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**Information technology — General  
video coding —**

**Part 1:  
Essential video coding**

*Technologies de l'information — Codage vidéo général —  
Partie 1: Codage vidéo essentiel*

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## Foreword

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A list of all parts in the ISO/IEC 23094 series can be found on the ISO website.

Any feedback or questions on this document should be directed to the user's national standards body. A complete listing of these bodies can be found at [www.iso.org/members.html](http://www.iso.org/members.html).

## Introduction

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# Information technology — General video coding —

## Part 1: Essential video coding

### 1 Scope

This document specifies a video coding technology known as essential video coding (EVC), which contains syntax format, semantics and an associated decoding process. The decoding process is designed to guarantee that all EVC decoders conform to a specified combination of capabilities known as the profile, level and toolset. Any decoding process that produces identical cropped decoded output pictures to those produced by the described process is considered to be in conformance with the requirements of this document.

This document is designed to cover a wide range of application, including but not limited to digital storage media, television broadcasting and real-time communications.

### 2 Normative references

The following documents are referred to in the text in such a way that some or all of their content constitutes requirements of this document. For dated references, only the edition cited applies. For undated references, the latest edition of the referenced document (including any amendments) applies.

ISO 11664-1, *Colorimetry — Part 1: CIE standard colorimetric observers*

### 3 Terms and definitions

For the purposes of this document, the following definitions apply.

ISO and IEC maintain terminological databases for use in standardization at the following addresses:

- ISO Online browsing platform: available at <https://www.iso.org/obp>
- IEC Electropedia: available at <http://www.electropedia.org/>

#### 3.1

##### **access unit**

set of *NAL units* (3.53) that are associated with each other according to a specified classification rule, are consecutive in *decoding order* (3.28), and contain exactly one *coded picture* (3.16)

#### 3.2

##### **adaptive loop filter**

##### **ALF**

filtering process that is applied as part of the *decoding process* (3.29) and is controlled by *parameters* (3.58) conveyed in an *APS* (3.4)

### 3.3

#### **ALF APS**

APS (3.4) that controls the ALF (3.2) process

### 3.4

#### **adaptation parameter set**

##### **APS**

*syntax structure* (3.87) containing *syntax elements* (3.86) that apply to zero or more *slices* (3.81) or *pictures* (3.60) as determined by zero or more *syntax elements* (3.86) found in *slice headers* (3.82)

### 3.5

#### **bi-predictive slice**

##### **B slice**

*slice* (3.81) that is decoded using *intra prediction* (3.43) or using *inter prediction* (3.40) with at most two *motion vectors* (3.52) and *reference indices* (3.74) to predict the sample values of each *block* (3.11)

### 3.6

#### **bin**

one bit of a *bin string* (3.7)

### 3.7

#### **bin string**

intermediate binary representation of values of *syntax elements* (3.86) from the *binarization* (3.8) of the *syntax element* (3.86)

### 3.8

#### **binarization**

set of *bin strings* (3.7) for all possible values of a *syntax element* (3.86)

### 3.9

#### **binarization process**

unique mapping process of all possible values of a *syntax elements* (3.86) from the *binarization* (3.8) of the *syntax element* (3.86)

### 3.10

#### **bitstream**

sequence of bits, in the form of a *NAL unit stream* (3.54) or a *raw bitstream* (3.71), that forms the representation of *coded pictures* (3.16) and associated data forming one or more *coded video sequences* (3.19)

### 3.11

#### **block**

MxN (M-column by N-row) array of samples, or an MxN array of *transform coefficients* (3.93)

### 3.12

#### **buffering period**

set of *access units* (3.1) starting with an *access unit* (3.1) that contains a buffering period supplemental enhancement information (SEI) message and containing all subsequent *access units* (3.1) in *decoding order* (3.28) up to but not including the next *access unit* (3.1) (when present) that contains a buffering period SEI message

### 3.13

#### **byte**

sequence of 8 bits, within which, when written or read as a sequence of bit values, the left-most and right-most bits represent the most and least significant bits, respectively

**3.14****byte-aligned**

position in a *bitstream* (3.10) where the position is an integer multiple of 8 bits from the position of the first bit in the *bitstream* (3.10)

Note 1 to entry: A bit or *byte* (3.13) or *syntax element* (3.86) is said to be byte-aligned when the position at which it appears in a *bitstream* (3.10) is byte-aligned.

**3.15****chroma**

sample array or single sample representing one of the two colour difference signals related to the primary colours, represented by the symbols Cb and Cr

Note 1 to entry: The term chroma is used rather than the term chrominance in order to avoid the implication of the use of linear light transfer characteristics that are often associated with the term chrominance.

**3.16****coded picture**

*coded representation* (3.18) of a *picture* (3.60) containing all *CTUs* (3.22) of the *picture* (3.60)

**3.17****coded picture buffer****CPB**

first-in first-out buffer containing *access units* (3.1) in *decoding order* (3.28)

Note 1 to entry: Specified in the *hypothetical reference decoder* (3.36) in Annex C.

**3.18****coded representation**

data element as represented in its coded form

**3.19****coded video sequence****CVS**

sequence of *access units* (3.1) that consists, in *decoding order* (3.28), of an *IDR access unit* (3.38), followed by zero or more *access units* (3.1) that are not *IDR access units* (3.38), including all subsequent *access units* (3.1) up to but not including any subsequent *access unit* (3.1) that is an *IDR access unit* (3.38)

**3.20****coding block****CB**

$M \times N$  *block* (3.11) of samples for some values of M and N such that the division of a *CTB* (3.21) into coding blocks is a *partitioning* (3.59)

**3.21****coding tree block****CTB**

$N \times N$  *block* (3.11) of samples for some value of N such that the division of a *component* (3.24) into coding tree blocks is a *partitioning* (3.59)

**3.22****coding tree unit****CTU**

*CTB* (3.21) of *luma* (3.51) samples, two corresponding *CTBs* (3.21) of *chroma* (3.15) samples of a *picture* (3.60) that has three sample arrays, or a *CTB* of samples of a monochrome *picture* (3.60) or a *picture*

(3.60) that is coded using three separate colour planes and *syntax structures* (3.87) used to code the samples

### 3.23

#### **coding unit**

**CU**  
*coding block* (3.20) of *luma* (3.51) samples, two corresponding *coding blocks* (3.20) of *chroma* (3.15) samples of a *picture* (3.60) that has three sample arrays, or a *coding block* (3.20) of samples of a monochrome *picture* (3.60) or a *picture* (3.60) that is coded using three separate colour planes and *syntax structures* (3.87) used to code the samples

### 3.24

#### **component**

array or single sample from one of the three arrays (*luma* (3.51) and two *chroma* (3.15)) that compose a *picture* (3.60) in 4:2:0, 4:2:2, or 4:4:4 colour format or the array or a single sample of the array that compose a *picture* (3.60) in monochrome format

### 3.25

#### **decoded picture**

derived by decoding a *coded picture* (3.16)

### 3.26

#### **decoded picture buffer**

##### **DPB**

buffer holding *decoded pictures* (3.25) for reference, output reordering, or output delay

Note 1 to entry: Specified for the *hypothetical reference decoder* (3.36) in Annex C.

### 3.27

#### **decoder**

embodiment of a *decoding process* (3.29)

### 3.28

#### **decoding order**

order in which *syntax elements* (3.86) are processed by the *decoding process* (3.29)

### 3.29

#### **decoding process**

process specified that reads a *bitstream* (3.10) and derives *decoded pictures* (3.25) from it

### 3.30

#### **dynamic range adjustment**

##### **DRA**

mapping process that is applied to *decoded picture* (3.25) prior to cropping and output as part of the *decoding process* (3.29) and is controlled by parameters conveyed in an *APS* (3.4)

### 3.31

#### **DRA APS**

*APS* (3.4) that controls the *DRA* (3.30) process

**3.32****decoder under test****DUT**

*decoder* (3.27) that is tested for conformance to this document

Note 1 to entry: A *decoder* (3.27) is tested by operating the *hypothetical stream scheduler* (3.37) to deliver a conforming *bitstream* (3.10) to the *decoder* (3.27) and to the *hypothetical reference decoder* (3.36) and comparing the values and timing of the output of the two *decoders* (3.27).

**3.33****encoder**

embodiment of an *encoding process* (3.34)

**3.34****encoding process**

process that produces a *bitstream* (3.10) conforming to this document

**3.35****flag**

variable or single-bit *syntax element* (3.86) that can take one of the two possible values: 0 and 1

**3.36****hypothetical reference decoder****HRD**

hypothetical *decoder* (3.27) model that specifies constraints on the variability of conforming *NAL unit streams* (3.54) or conforming *raw bitstreams* (3.10) produced by an encoding process

**3.37****hypothetical stream scheduler****HSS**

hypothetical delivery mechanism for the timing and data flow of the input of a *bitstream* (3.10) into the *hypothetical reference decoder* (3.36)

Note 1 to entry: The HSS is used for checking the conformance of a *bitstream* (3.10) or a *decoder* (3.36).

**3.38****IDR access unit**

access unit in which the *coded picture* is an *IDR picture*

**3.39****IDR picture**

*coded picture* (3.16) for which each *VCL NAL unit* (3.96) has `NalUnitType` equal to `IDR_NUT`

**3.40****inter prediction**

*prediction* (3.63) derived in a manner that is dependent on data elements (e.g., sample values or motion vectors) of one or more *reference pictures* (3.75)

Note 1 to entry: A *prediction* (3.63) from a *reference picture* (3.75) that is the current *picture* (3.60) itself is also inter prediction.

**3.41**

**intra block copy**

**IBC**

*prediction* (3.63) derived in a manner that is dependent on data elements (e.g., sample values or block vectors) of the same decoded *slice* (3.81) without referring to a *reference picture* (3.75)

**3.42**

**intra coding**

coding of a *coding block* (3.20), *slice* (3.81), or *picture* (3.60) that uses *intra prediction* (3.43)

**3.43**

**intra prediction**

*prediction* (3.63) derived from only data elements (e.g., sample values) of the same decoded *slice* (3.81) without referring to a *reference picture* (3.75)

**3.44**

**intra slice**

**I slice**

*slice* (3.81) that is decoded using *intra prediction* (3.43) only

**3.45**

**level**

defined set of constraints on the values that may be taken by the *syntax elements* (3.86) and variables of this document, or the value of a *transform coefficient* (3.93) prior to scaling

Note 1 to entry: The same set of levels is defined for all *profiles* (3.67), with most aspects of the definition of each level being in common across different *profiles* (3.67). Individual implementations can, within the specified constraints, support a different level for each supported *profile* (3.67).

**3.46**

**list 0 motion vector**

*motion vector* (3.52) associated with a *reference index* (3.74) pointing into a *reference picture list 0* (3.77)

**3.47**

**list 0 prediction**

*inter prediction* (3.40) of the content of a *slice* (3.81) using a *reference index* (3.74) pointing into a *reference picture list 0* (3.77)

**3.48**

**list 1 motion vector**

*motion vector* (3.52) associated with a *reference index* (3.74) pointing into a *reference picture list 1* (3.78)

**3.49**

**list 1 prediction**

*inter prediction* (3.40) of the content of a *slice* (3.81) using a *reference index* (3.74) pointing into a *reference picture list 1* (3.78)

**3.50**

**long-term reference picture**

**LTRP**

*picture* (3.60) that is marked as "used for long-term reference"

**3.51****luma**

sample array or single sample is representing the monochrome signal related to the primary colours, represented by the symbol or subscript Y or L

Note 1 to entry: The term luma is used rather than the term luminance in order to avoid the implication of the use of linear light transfer characteristics that are often associated with the term luminance. The symbol L is sometimes used instead of the symbol Y to avoid confusion with the symbol y as used for vertical location.

**3.52****motion vector**

two-dimensional vector used for *inter prediction* (3.40) that provides an offset from the coordinates in the *decoded picture* (3.25) to the coordinates in a *reference picture* (3.75)

**3.53****NAL unit**

*syntax structure* (3.87) containing an indication of the type of data to follow and *bytes* (3.13) containing that data in the form of an *RBSP* (3.72) interspersed as necessary

**3.54****NAL unit stream**

sequence of *NAL units* (3.53)

**3.55****non-IDR picture**

*coded picture* (3.16) that is not an *IDR picture* (3.39)

**3.56****non-VCL NAL unit**

*NAL unit* (3.53) that is not a *VCL NAL unit* (3.96)

**3.57****output order**

order in which the *decoded pictures* (3.25) are output from the *decoded picture buffer* (3.26) [for the *decoded pictures* (3.25) that are to be output from the *decoded picture buffer* (3.26)]

**3.58****parameter**

*syntax element* (3.86) of an *SPS* (3.79), *PPS* (3.61) or *APS* (3.4)

**3.59****partitioning**

division of a set into subsets such that each element of the set is in exactly one of the subsets

**3.60****picture**

array of *luma* (3.51) samples in monochrome format or an array of *luma* (3.51) samples and two corresponding arrays of *chroma* (3.15) samples in 4:2:0, 4:2:2, and 4:4:4 colour format

Note 1 to entry: A picture can be either a frame or a field. However, in one *CVS* (3.19), either all pictures are frames or all pictures are fields.

### 3.61

#### picture parameter set

##### PPS

*syntax structure* (3.87) containing *syntax elements* (3.86) that apply to zero or more entire *coded pictures* (3.16) as determined by a *syntax element* (3.86) found in each *slice header* (3.82)

### 3.62

#### picture order count

##### POC

variable that is associated with each *picture* (3.60), uniquely identifies the associated *picture* (3.60) among all *pictures* (3.60) in the *CVS* (3.19), and, when the associated *picture* (3.60) is to be output from the *decoded picture buffer* (3.26), indicates the position of the associated *picture* (3.60) in *output order* (3.57) relative to the *output order* (3.57) positions of the other *pictures* (3.60) in the same *CVS* (3.19) that are to be output from the *decoded picture buffer* (3.26)

### 3.63

#### prediction

embodiment of the *prediction process* (3.63)

### 3.64

#### prediction process

use of a *predictor* (3.66) to provide an estimate of the data element [e.g., sample value or *motion vector* (3.52)] currently being decoded

### 3.65

#### predictive slice

##### P slice

*slice* (3.81) that is decoded using *intra prediction* (3.43) or using *inter prediction* (3.40) with at most one *motion vector* (3.52) and *reference index* (3.74) to predict the sample values of each *block* (3.11)

### 3.66

#### predictor

combination of specified values or previously decoded data elements [e.g., sample value or *motion vector* (3.52)] used in the *decoding process* (3.29) of subsequent data elements

### 3.67

#### profile

specified subset of the syntax of this document

### 3.68

#### quantization parameter

##### QP

variable used by the *decoding process* (3.29) for scaling of *transform coefficient* (3.93) levels

### 3.69

#### random access

act of starting the decoding process for a *bitstream* (3.10) at a point other than the beginning of the stream

### 3.70

#### raster scan

mapping of a rectangular two-dimensional pattern to a one-dimensional pattern such that the first entries in the one-dimensional pattern are from the first top row of the two-dimensional pattern scanned from left to right, followed similarly by the second, third, etc., rows of the pattern (going down) each scanned from left to right

**3.71****raw bitstream**

encapsulation of a *NAL unit stream* (3.54) containing *NAL unit* (3.53) length field and *NAL units* (3.53)

Note 1 to entry: Specified in Annex A.

**3.72****raw byte sequence payload****RBSP**

*syntax structure* (3.87) containing an integer number of *bytes* (3.13) that is encapsulated in a *NAL unit* (3.53) and that is either empty or has the form of a *string of data bits* (3.85) containing *syntax elements* (3.86) followed by an *RBSP stop bit* (3.73) and zero or more subsequent bits equal to 0

**3.73****raw byte sequence payload stop bit****RBSP stop bit**

bit equal to 1 present within a *raw byte sequence payload* (3.72) after a *string of data bits* (3.85), for which the location of the end within an *RBSP* (3.72) can be identified by searching from the end of the *RBSP* (3.72) for the RBSP stop bit, which is the last non-zero bit in the *RBSP* (3.72)

**3.74****reference index**

index into a *reference picture list* (3.76)

**3.75****reference picture**

*picture* (3.60) that is a *short-term reference picture* (3.80) or *long-term reference picture* (3.50)

Note 1 to entry: A reference picture contains samples that can be used for *inter prediction* (3.40) in the *decoding process* (3.29) of subsequent *pictures* (3.60) in *decoding order* (3.28).

**3.76****reference picture list**

list of *reference pictures* (3.80) that is used for *inter prediction* (3.40) of a *P slice* (3.65) or *B slice* (3.5)

Note 1 to entry: For the *decoding process* (3.29) of a *P slice* (3.65), there is one reference picture list – *reference picture list 0* (3.77). For the *decoding process* (3.28) of a *B slice* (3.5), there are two reference picture lists – *reference picture list 0* (3.77) and *reference picture list 1* (3.78).

**3.77****reference picture list 0**

*reference picture list* (3.76) used for *inter prediction* of a *P slice* (3.65) or the first *reference picture list* (3.76) used for *inter prediction* (3.40) of a *B slice* (3.5)

**3.78****reference picture list 1**

second *reference picture list* (3.76) used for *inter prediction* (3.40) of a *B slice* (3.5)

**3.79****sequence parameter set****SPS**

*syntax structure* (3.87) containing *syntax elements* (3.86) that apply to zero or more entire *CVSs* as determined by the content of a *syntax element* (3.86) found in the *PPS* (3.61) referred to by a *syntax element* (3.86) found in each *slice header* (3.82)

**3.80**

**short-term reference picture**

**STRP**

*picture* (3.60) that is marked as "used for short-term reference"

**3.81**

**slice**

integer number of *tiles* (3.88) of a *picture* (3.60) in the *tile scan* (3.91) of the *picture* (3.60) and that are exclusively contained in a single *NAL unit* (3.53)

**3.82**

**slice header**

part of a coded *slice* (3.81) containing the data elements pertaining to the first or all *tiles* (3.88) represented in the *slice* (3.81)

**3.83**

**source**

term used to describe the video material or some of its attributes before *encoding process* (3.34)

**3.84**

**split unit**

**SU**

$M \times N$  *block* (3.11) of samples for some values and M and N such that the division of a *component* (3.24) into four *quad blocks* (3.11), or three horizontal *blocks* (3.11) or two horizontal *blocks* (3.11), or three vertical *blocks* (3.11) or two vertical *blocks* (3.11)

**3.85**

**string of data bits**

**SODB**

sequence of some number of bits representing *syntax elements* (3.86) present within a *raw byte sequence payload* (3.72) prior to the *raw byte sequence payload stop bit* (3.73), where the left-most bit is considered to be the first and most significant bit, and the right-most bit is considered to be the last and least significant bit

**3.86**

**syntax element**

element of data represented in the *bitstream* (3.10)

**3.87**

**syntax structure**

zero or more *syntax elements* (3.86) present together in the *bitstream* (3.10) in a specified order

**3.88**

**tile**

rectangular region of *CTUs* (3.22) within a particular *tile column* (3.89) and a particular *tile row* (3.90) in a *picture* (3.60)

**3.89**

**tile column**

rectangular region of *CTUs* (3.22) having a height equal to the height of the *picture* (3.60) and width specified by *syntax elements* (3.86) in the *PPS* (3.61)

**3.90****tile row**

rectangular region of *CTUs* (3.22) having a height specified by *syntax elements* (3.86) in the *PPS* (3.61) and a width equal to the width of the *picture* (3.60)

**3.91****tile scan**

specific sequential ordering of *CTUs* (3.22) *partitioning* (3.59) a *picture* (3.60) in which the *CTUs* (3.22) are ordered consecutively in *CTU* (3.22) *raster scan* (3.70) in a *tile* (3.88) whereas *tiles* (3.88) in a *picture* (3.60) are ordered consecutively in a *raster scan* (3.70) of the *tiles* (3.88) of the *picture* (3.60)

**3.92****transform block****TB**

rectangular  $M \times N$  *block* (3.11) of samples resulting from a transform in the *decoding process* (3.29)

**3.93****transform coefficient**

scalar quantity, considered to be in a frequency domain, that is associated with a particular one-dimensional or two-dimensional frequency index in a transform in the *decoding process* (3.29)

**3.94****transform unit****TU**

*transform block* (3.94) of *luma* (3.51) samples and two corresponding *transform blocks* (3.94) of *chroma* (3.15) samples of a *picture* (3.60)

**3.95****tree**

tree is a finite set of nodes with a unique root node

**3.96****VCL NAL unit**

collectively, coded *slice* (3.81) *NAL units* (3.53) and the subset of *NAL units* (3.53) that have reserved values of *NalUnitType* that are classified as VCL NAL units in this document

**4 Abbreviated terms**

ATS	adaptive transform selection
B	bi-predictive
CABAC	context-based adaptive binary arithmetic coding
CBR	constant bit rate
CIE	International Commission on Illumination (Commission Internationale de l'Eclairage)
DMVR	decoder-side motion vector refinement
EG	exponential-Golomb
EGk	k-th order exponential-Golomb
FCC	Federal Communications Commission (of the United States)
FIR	finite impulse response

FL	fixed length
GOP	group of pictures
HMVP	history-based motion vector prediction
I	intra
IDR	instantaneous decoding refresh
LSB	least significant bit
LPS	least probable symbol
MAC	multiplexed analogue components
MMVD	merge with motion vector difference
MPS	most probable symbol
MSB	most significant bit
MVP	motion vector prediction
NAL	network abstraction layer
NTSC	National Television System Committee (of the United States)
P	predictive
PAL	phase alternating line
RGB	same as GBR
RPL	reference picture list
SAR	sample aspect ratio
SECAM	sequential colour with memory (séquentiel couleur avec mémoire)
SEI	supplemental enhancement information
SMPTE	Society of Motion Picture and Television Engineers
TB	truncated binary
TR	truncated rice
U	unary
UCS	universal coded character set
UTF	UCS transmission format
VBR	variable bit rate
VCL	video coding layer
VUI	video usability information

## 5 Conventions

### 5.1 General

NOTE The mathematical operators used in this document are similar to those used in the C programming language. However, the results of integer division and arithmetic shift operations are defined more precisely, and additional operations are defined, such as exponentiation and real-valued division. Numbering and counting conventions generally begin from 0, e.g., "the first" is equivalent to the 0-th, "the second" is equivalent to the 1-th, etc.

## 5.2 Arithmetic operators

+	addition
-	subtraction (as a two-argument operator) or negation (as a unary prefix operator)
*	multiplication, including matrix multiplication
×	multiplication, including matrix multiplication
$x^y$	exponentiation. Specifies x to the power of y. In other contexts, such notation is used for superscripting not intended for interpretation as exponentiation
/	integer division with truncation of the result toward zero. For example, $7 / 4$ and $-7 / -4$ are truncated to 1 and $-7 / 4$ and $7 / -4$ are truncated to -1
÷	division in mathematical equations where no truncation or rounding is intended
$\frac{x}{y}$	division in mathematical equations where no truncation or rounding is intended
$\sum_{i=x}^y f(i)$	summation of $f(i)$ with i taking all integer values from x up to and including y
$x \% y$	modulus. Remainder of x divided by y, defined only for integers x and y with $x \geq 0$ and $y > 0$

## 5.3 Logical operators

$x \ \&\& \ y$	boolean logical "and" of x and y
$x \    \ y$	boolean logical "or" of x and y
!	boolean logical "not"
$x \ ? \ y \ : \ z$	if x is TRUE or not equal to 0, evaluates to the value of y; otherwise, evaluates to the value of z

## 5.4 Relational operators

>	greater than
>=	greater than or equal to
<	less than
<=	less than or equal to
= =	equal to
!=	not equal to

When a relational operator is applied to a syntax element or variable that has been assigned the value "na" (not applicable), the value "na" is treated as a distinct value for the syntax element or variable. The value "na" is considered not to be equal to any other value.

## 5.5 Bit-wise operators

&	bit-wise "and" When operating on integer arguments, operates on a two's complement representation of the integer value. When operating on a binary argument that contains fewer bits than another argument, the shorter argument is extended by adding more significant bits equal to 0.
---	---

- | bit-wise "or"  
When operating on integer arguments, operates on a two's complement representation of the integer value. When operating on a binary argument that contains fewer bits than another argument, the shorter argument is extended by adding more significant bits equal to 0
- ^ bit-wise "exclusive or"  
When operating on integer arguments, operates on a two's complement representation of the integer value. When operating on a binary argument that contains fewer bits than another argument, the shorter argument is extended by adding more significant bits equal to 0.
- x >> y arithmetic right shift of a two's complement integer representation of x by y binary digits  
This function is defined only for non-negative integer values of y. Bits shifted into the most significant bits (MSBs) as a result of the right shift have a value equal to the MSB of x prior to the shift operation.
- x << y arithmetic left shift of a two's complement integer representation of x by y binary digits  
This function is defined only for non-negative integer values of y. Bits shifted into the least significant bits (LSBs) as a result of the left shift have a value equal to 0.

**5.6 Assignment operators**

- = assignment operator
- ++ increment, i.e., x++ is equivalent to x = x + 1; when used in an array index, evaluates to the value of the variable prior to the increment operation
- decrement, i.e., x-- is equivalent to x = x - 1; when used in an array index, evaluates to the value of the variable prior to the decrement operation
- += increment by amount specified, i.e., x += 3 is equivalent to x = x + 3, and x += (-3) is equivalent to x = x + (-3)
- = decrement by amount specified, i.e., x -= 3 is equivalent to x = x - 3, and x -= (-3) is equivalent to x = x - (-3)

**5.7 Range notation**

- x = y..z x takes on integer values starting from y to z, inclusive, with x, y, and z being integer numbers and z being greater than y

**5.8 Mathematical functions**

$$\text{Abs}(x) = \begin{cases} x & ; \quad x \geq 0 \\ -x & ; \quad x < 0 \end{cases} \tag{1}$$

Asin(x) trigonometric inverse sine function, operating on an argument x that is in the range of -1.0 to 1.0, inclusive, with an output value in the range of  $-\pi/2$  to  $\pi/2$ , inclusive, in units of radians (2)

Atan(x) trigonometric inverse tangent function, operating on an argument x, with an output value in the range of  $-\pi/2$  to  $\pi/2$ , inclusive, in units of radians (3)

$$\text{Atan2}(y, x) = \begin{cases} \text{Atan}\left(\frac{y}{x}\right) & ; \quad x > 0 \\ \text{Atan}\left(\frac{y}{x}\right) + \pi & ; \quad x < 0 \ \&\& \ y \geq 0 \\ \text{Atan}\left(\frac{y}{x}\right) - \pi & ; \quad x < 0 \ \&\& \ y < 0 \\ +\frac{\pi}{2} & ; \quad x = 0 \ \&\& \ y \geq 0 \\ -\frac{\pi}{2} & ; \quad \text{otherwise} \end{cases} \quad (4)$$

$\text{Ceil}(x)$  smallest integer greater than or equal to  $x$  (5)

$\text{Clip1}_Y(x) = \text{Clip3}(0, (1 \ll \text{BitDepth}_Y) - 1, x)$  (6)

$\text{Clip1}_C(x) = \text{Clip3}(0, (1 \ll \text{BitDepth}_C) - 1, x)$  (7)

$$\text{Clip3}(x, y, z) = \begin{cases} x & ; \quad z < x \\ y & ; \quad z > y \\ z & ; \quad \text{otherwise} \end{cases} \quad (8)$$

$\text{Cos}(x)$  trigonometric cosine function operating on an argument  $x$  in units of radians (9)

$\text{Floor}(x)$  largest integer less than or equal to  $x$  (10)

$$\text{GetCurrMsb}(a, b, c, d) = \begin{cases} c + d & ; \quad b - a \geq d / 2 \\ c - d & ; \quad a - b > d / 2 \\ c & ; \quad \text{otherwise} \end{cases} \quad (11)$$

$\text{Ln}(x)$  natural logarithm of  $x$  (the base- $e$  logarithm, where  $e$  is the natural logarithm base constant 2.718 281 828...) (12)

$\text{Log2}(x)$  base-2 logarithm of  $x$  (13)

$\text{Log10}(x)$  base-10 logarithm of  $x$  (14)

$$\text{Min}(x, y) = \begin{cases} x & ; \quad x \leq y \\ y & ; \quad x > y \end{cases} \quad (15)$$

$$\text{Max}(x, y) = \begin{cases} x & ; \quad x \geq y \\ y & ; \quad x < y \end{cases} \quad (16)$$

$\text{Round}(x) = \text{Sign}(x) * \text{Floor}(\text{Abs}(x) + 0.5)$  (17)

$$\text{Sign}(x) = \begin{cases} 1 & ; \quad x > 0 \\ 0 & ; \quad x = 0 \\ -1 & ; \quad x < 0 \end{cases} \quad (18)$$

$\text{Sin}(x)$  trigonometric sine function operating on an argument  $x$  in units of radians (19)

$\text{Sqrt}(x) = \sqrt{x}$  (20)

$\text{Swap}(x, y) = (y, x)$  (21)

$\text{Tan}(x)$  trigonometric tangent function operating on an argument  $x$  in units of radians (22)

### 5.9 Order of operation precedence

When the order of precedence in an expression is not indicated explicitly by use of parentheses, the following rules apply:

- Operations of a higher precedence are evaluated before any operation of a lower precedence.
- Operations of the same precedence are evaluated sequentially from left to right.

Table 1 specifies the precedence of operations from highest to lowest; a higher position in the table indicates a higher precedence.

NOTE For those operators that are also used in the C programming language, the order of precedence used in this document is the same as used in the C programming language.

**Table 1 — Operation precedence from highest (top of the table) to lowest (bottom of the table)**

operations (with operands x, y, and z)
"x++", "x--"
"!x", "-x" (as a unary prefix operator)
$x^y$
"x * y", "x × y", "x / y", "x ÷ y", " $\frac{x}{y}$ ", "x % y"
"x + y", "x - y" (as a two-argument operator), " $\sum_{i=x}^y f(i)$ "
"x << y", "x >> y"
"x < y", "x <= y", "x > y", "x >= y"
"x == y", "x != y"
"x & y"
"x   y"
"x && y"
"x    y"
"x ? y : z"
"x.y"
"x = y", "x += y", "x -= y"

### 5.10 Variables, syntax elements and tables

Syntax elements in the bitstream are represented in **bold** type. Each syntax element is described by its name (all lower case letters with underscore characters), and one descriptor for its method of coded representation. The decoding process behaves according to the value of the syntax element and to the values of previously decoded syntax elements. When a value of a syntax element is used in the syntax tables or the text, it appears in regular (i.e., not bold) type.

In some cases, the syntax tables may use the values of other variables derived from syntax elements values. Such variables appear in the syntax tables, or text, named by a mixture of lower case and upper

case letters and without any underscore characters. Variables with names starting with an upper case letter are derived for the decoding of the current syntax structure and all depending syntax structures. Variables with names starting with an upper case letter may be used in the decoding process for later syntax structures without mentioning the originating syntax structure of the variable. Variables with names starting with a lower case letter are only used within the subclause in which they are derived.

In some cases, "mnemonic" names for syntax element values or variable values are used interchangeably with their numerical values. Sometimes "mnemonic" names are used without any associated numerical values. The association of values and names is specified in the text. The names are constructed from one or more groups of letters separated by an underscore character. Each group starts with an upper case letter and may contain more upper case letters.

NOTE The syntax is described in a manner that closely follows the C-language syntactic constructs.

Functions that specify properties of the current position in the bitstream are referred to as syntax functions. These functions are specified in subclause 7.2 and assume the existence of a bitstream pointer with an indication of the position of the next bit to be read by the decoding process from the bitstream. Syntax functions are described by their names, which are constructed as syntax element names and end with left and right round parentheses including zero or more variable names (for definition) or values (for usage), separated by commas (if more than one variable).

Functions that are not syntax functions (including mathematical functions specified in subclause 5.8) are described by their names, which start with an upper case letter, contain a mixture of lower and upper case letters without any underscore character, and end with left and right parentheses including zero or more variable names (for definition) or values (for usage) separated by commas (if more than one variable).

A one-dimensional array is referred to as a list. A two-dimensional array is referred to as a matrix. Arrays can either be syntax elements or variables. Subscripts or square parentheses are used for the indexing of arrays. In reference to a visual depiction of a matrix, the first subscript is used as a row (vertical) index and the second subscript is used as a column (horizontal) index. The indexing order is reversed when using square parentheses rather than subscripts for indexing. Thus, an element of a matrix  $s$  at horizontal position  $x$  and vertical position  $y$  may be denoted either as  $s[x][y]$  or as  $s_{yx}$ . A single column of a matrix may be referred to as a list and denoted by the omission of the row index. Thus, the column of a matrix  $s$  at horizontal position  $x$  may be referred to as the list  $s[x]$ .

A specification of values of the entries in rows and columns of an array may be denoted by  $\{ \{ \dots \} \{ \dots \} \}$ , where each inner pair of brackets specifies the values of the elements within a row in increasing column order and the rows are ordered in increasing row order. Thus, setting a matrix  $s$  equal to  $\{ \{ 1 \ 6 \} \{ 4 \ 9 \} \}$  specifies that  $s[0][0]$  is set equal to 1,  $s[1][0]$  is set equal to 6,  $s[0][1]$  is set equal to 4, and  $s[1][1]$  is set equal to 9.

Binary notation is indicated by enclosing the string of bit values by single quote marks. For example, '01000001' represents an eight-bit string having only its second and its last bits (counted from the most to the least significant bit) equal to 1.

Hexadecimal notation, indicated by prefixing the hexadecimal number by "0x", may be used instead of binary notation when the number of bits is an integer multiple of 4. For example, 0x41 represents an eight-bit string having only its second and its last bits (counted from the most to the least significant bit) equal to 1.

Numerical values not enclosed in single quotes and not prefixed by "0x" are decimal values.

A value equal to 0 represents a FALSE condition in a test statement. The value TRUE is represented by any value different from zero.

### 5.11 Text description of logical operations

In the text, a statement of logical operations as would be described mathematically in the following form:

```
if( condition 0 )
  statement 0
else if( condition 1 )
  statement 1
...
else /* informative remark on remaining condition */
  statement n
```

may be described in the following manner:

... as follows / ... the following applies:

- If condition 0, statement 0
- Otherwise, if condition 1, statement 1
- ...
- Otherwise (informative remark on remaining condition), statement n

Each "If ... Otherwise, if ... Otherwise, ..." statement in the text is introduced with "... as follows" or "... the following applies" immediately followed by "If ... ". The last condition of the "If ... Otherwise, if ... Otherwise, ..." is always an "Otherwise, ...". Interleaved "If ... Otherwise, if ... Otherwise, ..." statements can be identified by matching "... as follows" or "... the following applies" with the ending "Otherwise, ...".

In the text, a statement of logical operations as would be described mathematically in the following form:

```
if( condition 0a && condition 0b )
  statement 0
else if( condition 1a || condition 1b )
  statement 1
...
else
  statement n
```

may be described in the following manner:

... as follows / ... the following applies:

- If all of the following conditions are true, statement 0:
  - condition 0a
  - condition 0b
- Otherwise, if one or more of the following conditions are true, statement 1:
  - condition 1a
  - condition 1b
- ...
- Otherwise, statement n

In the text, a statement of logical operations as would be described mathematically in the following form:

```

if( condition 0 )
  statement 0
if( condition 1 )
  statement 1

```

may be described in the following manner:

When condition 0, statement 0

When condition 1, statement 1

## 5.12 Processes

Processes are used to describe the decoding of syntax elements. A process has a separate specification and invoking. All syntax elements and upper case variables that pertain to the current syntax structure and depending syntax structures are available in the process specification and invoking. A process specification may also have a lower case variable explicitly specified as input. Each process specification has explicitly specified an output. The output is a variable that can either be an upper case variable or a lower case variable.

When invoking a process, the assignment of variables is specified as follows:

- If the variables at the invoking and the process specification do not have the same name, the variables are explicitly assigned to lower case input or output variables of the process specification.
- Otherwise (the variables at the invoking and the process specification have the same name), the assignment is implied.

In the specification of a process, a specific coding block may be referred to by the variable name having a value equal to the address of the specific coding block.

## 6 Bitstream and picture formats, partitionings, scanning processes and neighbouring relationships

### 6.1 Bitstream formats

This subclause specifies the relationship between the network abstraction layer (NAL) unit stream and raw bitstream, either of which is referred to as the bitstream.

The bitstream can be in one of two formats: the NAL unit stream format or the raw bitstream file storage format. The NAL unit stream format is conceptually the more "basic" type. It consists of a sequence of syntax structures called NAL units. This sequence is ordered in decoding order. There are constraints imposed on the decoding order (and contents) of the NAL units in the NAL unit stream.

The raw bitstream file storage format can be constructed from the NAL unit stream format by ordering the NAL units in decoding order and prefixing each NAL unit with a NAL unit length field to form a stream of bytes. Methods of framing the NAL units in a manner other than the use of the raw bitstream file storage

format are outside the scope of this document. The raw bitstream file storage format is specified in Annex B.

## 6.2 Source, decoded and output picture formats

This subclause specifies the relationship between source and decoded pictures that are given via the bitstream.

The video source that is represented by the bitstream is a sequence of pictures in decoding order.

The source and decoded pictures are each comprised of one or more sample arrays:

- Luma (Y) only (monochrome).
- Luma and two chroma (YCbCr or YCgCo).
- Green, blue, and red (GBR, also known as RGB).
- Arrays representing other unspecified monochrome or tri-stimulus colour samplings (for example, YZX, also known as XYZ).

For the convenience of notation and terminology in this document, the variables and terms associated with these arrays are referred to as luma (or L or Y) and chroma, where the two chroma arrays are referred to as Cb and Cr; regardless of the actual colour representation method in use. The actual colour representation method in use can be indicated in syntax that is specified in Annex E.

The variables SubWidthC and SubHeightC are specified in Table 2, depending on the chroma format sampling structure, which is specified through chroma\_format\_idc. Other values of chroma\_format\_idc, SubWidthC and SubHeightC may be specified in the future by ISO/IEC.

**Table 2 — SubWidthC and SubHeightC values derived from chroma\_format\_idc**

chroma_format_idc	Chroma format	SubWidthC	SubHeightC
0	Monochrome	1	1
1	4:2:0	2	2
2	4:2:2	2	1
3	4:4:4	1	1

In monochrome sampling, there is only one sample array, which is nominally considered the luma array.

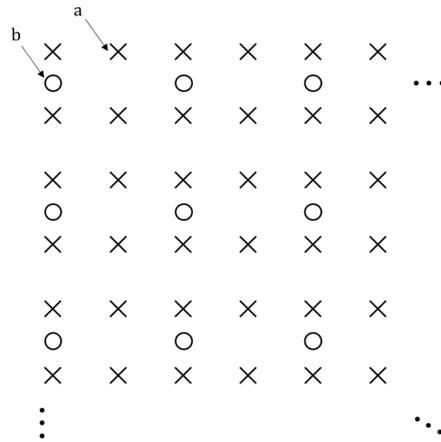
In 4:2:0 sampling, each of the two chroma arrays has half the height and half the width of the luma array.

In 4:2:2 sampling, each of the two chroma arrays has the same height and half the width of the luma array.

In 4:4:4 sampling, each of the two chroma arrays has the same height and width as the luma array.

The number of bits necessary for the representation of each of the samples in the luma and chroma arrays in a video sequence is in the range of 8 to 16, inclusive, and the number of bits used in the luma array may differ from the number of bits used in the chroma arrays.

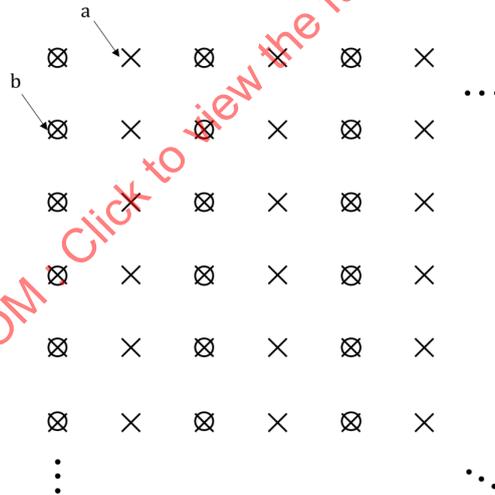
When the value of chroma\_format\_idc is equal to 1, the nominal vertical and horizontal relative locations of luma and chroma samples in pictures are shown in Figure 1. Alternative chroma sample relative locations may be indicated in video usability information (see Annex E).



- a Location of luma sample.
- b Location of chroma sample.

**Figure 1 — Nominal vertical and horizontal locations of 4:2:0 luma and chroma samples in a picture**

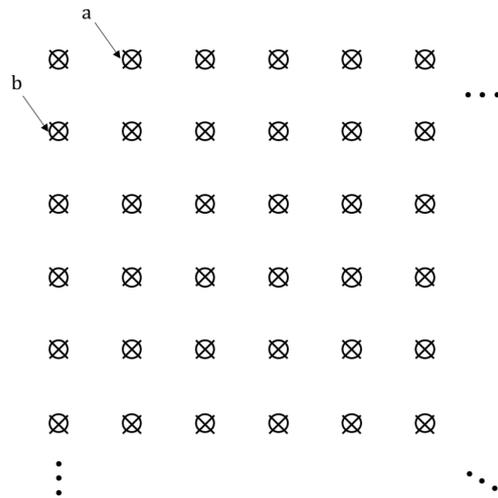
When the value of `chroma_format_idc` is equal to 2, the chroma samples are co-sited with the corresponding luma samples and the nominal locations in a picture are as shown in Figure 2.



- a Location of luma sample.
- b Location of chroma sample.

**Figure 2 — Nominal vertical and horizontal locations of 4:2:2 luma and chroma samples in a picture**

When the value of `chroma_format_idc` is equal to 3, all array samples are co-sited for all cases of pictures and the nominal locations in a picture are as shown in Figure 3.



- a Location of luma sample.
- b Location of chroma sample.

**Figure 3 — Nominal vertical and horizontal locations of 4:4:4 luma and chroma samples in a picture**

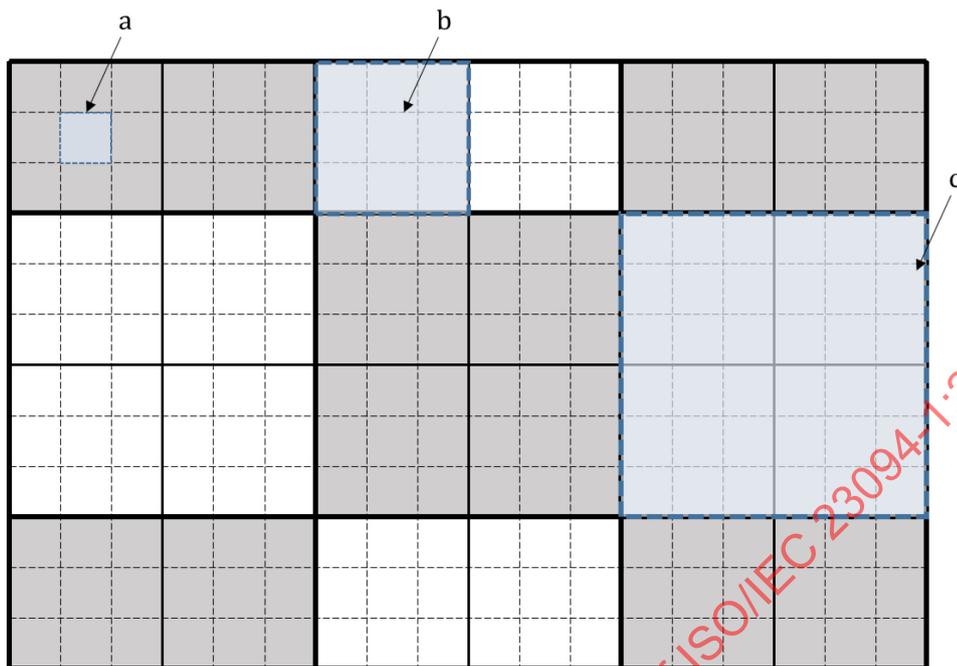
### 6.3 Partitioning of pictures, slices, tiles, and CTUs

#### 6.3.1 Partitioning of pictures into slices and tiles

This subclause specifies how a picture is partitioned into slices and tiles.

Pictures are divided into slices and tiles. A tile is a group of CTUs that cover a rectangular region of a picture. A slice is a group of tiles that cover a rectangular region of a picture.

For example, a picture may be divided into 24 tiles (6 tile columns and 4 tile rows) and 9 slices as shown in Figure 4.

**Key**

- a CTU
- b tile
- c slice

**Figure 4 — Picture with 18 by 12 luma CTUs that is partitioned into 24 tiles and 9 slices**

### 6.3.2 Spatial or component-wise partitionings

The following divisions of processing elements form spatial or component-wise partitioning:

- the division of each picture into components;
- the division of each component into CTBs;
- the division of each picture into tile columns;
- the division of each picture into tile rows;
- the division of each tile column into tiles;
- the division of each tile row into tiles;
- the division of each tile into CTUs;
- the division of each picture into slices;
- the division of each slice into tiles;
- the division of each slice into CTUs; and
- the division of each CTU into CTBs.

## 6.4 Availability processes

### 6.4.1 Derivation process for neighbouring block availability

Input to this process is the luma location (  $x_{NbY}$ ,  $y_{NbY}$  ) covered by a neighbouring block relative to the top-left luma sample of the current picture.

Output of this process is the availability of the neighbouring block covering the location (  $x_{NbY}$ ,  $y_{NbY}$  ), denoted as  $availableN$ .

The neighbouring block availability  $availableN$  is derived as follows:

- If one or more of the following conditions are true,  $availableN$  is set equal to FALSE.
  - The neighbouring block is contained in a different tile than the current block.
  - $x_{NbY}$  is less than 0.
  - $y_{NbY}$  is less than 0.
  - $x_{NbY}$  is greater than or equal to  $pic\_width\_in\_luma\_samples$ .
  - $y_{NbY}$  is greater than or equal to  $pic\_height\_in\_luma\_samples$ .
  - $IsCoded[ x_{NbY} ][ y_{NbY} ]$  is equal to FALSE.
- Otherwise,  $availableN$  is set equal to TRUE.

### 6.4.2 Derivation process for left and right neighbouring blocks availabilities

Inputs to this process are:

- the luma location (  $x_{Curr}$ ,  $y_{Curr}$  ) of the top-left sample of the current block relative to the top-left luma sample of the current picture, and
- a variable  $nCbW$  specifying the width of the current block.

Output of this process is left and right availabilities of the neighbouring blocks, denoted as  $availLR$ .

A variable  $availLR$ , which indicates the left and right neighbouring blocks availabilities, is derived as follows:

- The left luma location (  $x_{NbL}$ ,  $y_{NbL}$  ) inside the neighbouring luma coding block is set equal to (  $x_{Curr} - 1$ ,  $y_{Curr}$  ).
- The right luma location (  $x_{NbR}$ ,  $y_{NbR}$  ) inside the neighbouring luma coding block is set equal to (  $x_{Curr} + nCbW$ ,  $y_{Curr}$  ).
- The derivation process for neighbouring block availability as specified in subclause 6.4.1 is invoked the left luma location (  $x_{NbL}$ ,  $y_{NbL}$  ) as input, and the output is assigned to the coding block availability flag,  $availableL$ .
- The derivation process for neighbouring block availability as specified in subclause 6.4.1 is invoked with the right luma location (  $x_{NbR}$ ,  $y_{NbR}$  ) as input, and the output is assigned to the coding block availability flag,  $availableR$ .

- The left and right neighbouring availability, availLR, is derived by:

$$\text{availLR} = \text{availableL} + \text{availableR} * 2 \quad (23)$$

availLR can be equal to LR\_00, LR\_10, LR\_01, or LR\_11, where LR\_00 denotes the availability, availLR, equal to 0 when both left and right neighbouring blocks are not available; LR\_10 denotes the availability, availLR, equal to 1 when left neighbouring block is available but right block is not available; LR\_01 denotes the availability, availLR, equal to 2 when left neighbouring block is not available but the right block is available; LR\_11 denotes the availability, availLR, equal to 3 when both left and right neighbouring block are available. When sps\_suco\_flag is equal to 0, availLR is always smaller than 2 (availLR is equal to LR\_10 or availLR is equal to LR\_00).

#### 6.4.3 Derivation process for neighbouring block motion vector candidate availability

Input to this process is the luma location ( xNbY, yNbY ) covered by a neighbouring block relative to the top-left luma sample of the current picture.

Output of this process is the availability of the neighbouring block covering the location ( xNbY, yNbY ), denoted as availableN.

The neighbouring block availability availableN is derived as follows:

- If one or more of the following conditions are true, availableN is set equal to FALSE.
  - The neighbouring block is contained in a different tile than the current block.
  - xNbY is less than 0.
  - yNbY is less than 0.
  - xNbY is greater than or equal to pic\_width\_in\_luma\_samples.
  - yNbY is greater than or equal to pic\_height\_in\_luma\_samples.
  - IsCoded[ xNbY ][ yNbY ] is equal to FALSE.
  - The neighbouring block is coded in intra or intra block copy mode.
- Otherwise, availableN is set equal to TRUE.

#### 6.4.4 Derivation process for ALF neighbouring block availability

Input to this process is the luma location ( xNbY, yNbY ) covered by a neighbouring block relative to the top-left luma sample of the current picture.

Output of this process is the availability of the neighbouring block covering the location ( xNbY, yNbY ), denoted as availableN.

The neighbouring block availability availableN is derived as follows:

- If one or more of the following conditions are true, availableN is set equal to FALSE.
  - xNbY is less than 0.
  - yNbY is less than 0.

- $xNbY$  is greater than or equal to  $pic\_width\_in\_luma\_samples$ .
- $yNbY$  is greater than or equal to  $pic\_height\_in\_luma\_samples$ .
- $IsCoded[xNbY][yNbY]$  is equal to FALSE.
- The neighbouring block is coded in intra or intra block copy mode.
- Otherwise,  $availableN$  is set equal to TRUE.

## 6.5 Scanning processes

### 6.5.1 CTB raster and tile scanning process

The list  $ColWidth[i]$  for  $i$  ranging from 0 to  $num\_tile\_columns\_minus1$ , inclusive, specifying the width of the  $i$ -th tile column in units of CTBs, is derived as follows:

```

if( uniform_tile_spacing_flag )
    for( i = 0; i <= num_tile_columns_minus1; i++ )
        ColWidth[ i ] = ( ( i + 1 ) * PicWidthInCtbsY ) / ( num_tile_columns_minus1 + 1 ) -
            ( i * PicWidthInCtbsY ) / ( num_tile_columns_minus1 + 1 )
else {
    ColWidth[ num_tile_columns_minus1 ] = PicWidthInCtbsY
    for( i = 0; i < num_tile_columns_minus1; i++ ) {
        ColWidth[ i ] = tile_column_width_minus1[ i ] + 1
        ColWidth[ num_tile_columns_minus1 ] -= ColWidth[ i ]
    }
}
    
```

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The list  $RowHeight[j]$  for  $j$  ranging from 0 to  $num\_tile\_rows\_minus1$ , inclusive, specifying the height of the  $j$ -th tile row in units of CTBs, is derived as follows:

```

if( uniform_tile_spacing_flag )
    for( j = 0; j <= num_tile_rows_minus1; j++ )
        RowHeight[ j ] = ( ( j + 1 ) * PicHeightInCtbsY ) / ( num_tile_rows_minus1 + 1 ) -
            ( j * PicHeightInCtbsY ) / ( num_tile_rows_minus1 + 1 )
else {
    RowHeight[ num_tile_rows_minus1 ] = PicHeightInCtbsY
    for( j = 0; j < num_tile_rows_minus1; j++ ) {
        RowHeight[ j ] = tile_row_height_minus1[ j ] + 1
        RowHeight[ num_tile_rows_minus1 ] -= RowHeight[ j ]
    }
}
    
```

(25)

The list  $ColBd[i]$  for  $i$  ranging from 0 to  $num\_tile\_columns\_minus1 + 1$ , inclusive, specifying the location of the  $i$ -th tile column boundary in units of CTBs, is derived as follows:

```

for( ColBd[ 0 ] = 0, i = 0; i <= num_tile_columns_minus1; i++ )
    ColBd[ i + 1 ] = ColBd[ i ] + ColWidth[ i ]
    
```

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The list  $RowBd[j]$  for  $j$  ranging from 0 to  $num\_tile\_rows\_minus1 + 1$ , inclusive, specifying the location of the  $j$ -th tile row boundary in units of CTBs, is derived as follows:

```

for( RowBd[ 0 ] = 0, j = 0; j <= num_tile_rows_minus1; j++ )
    RowBd[ j + 1 ] = RowBd[ j ] + RowHeight[ j ]

```

(27)

The list CtbAddrRsToTs[ ctbAddrRs ] for ctbAddrRs ranging from 0 to PicSizeInCtbsY – 1, inclusive, specifying the conversion from a CTB address in CTB raster scan of a picture to a CTB address in tile scan, is derived as follows:

```

for( ctbAddrRs = 0; ctbAddrRs < PicSizeInCtbsY; ctbAddrRs++ ) {
    tbX = ctbAddrRs % PicWidthInCtbsY
    tbY = ctbAddrRs / PicWidthInCtbsY
    for( i = 0; i <= num_tile_columns_minus1; i++ )
        if( tbX >= ColBd[ i ] )
            tileX = i
    for( j = 0; j <= num_tile_rows_minus1; j++ )
        if( tbY >= RowBd[ j ] )
            tileY = j
    CtbAddrRsToTs[ ctbAddrRs ] = 0
    for( i = 0; i < tileX; i++ )
        CtbAddrRsToTs[ ctbAddrRs ] += RowHeight[ tileY ] * ColWidth[ i ]
    for( j = 0; j < tileY; j++ )
        CtbAddrRsToTs[ ctbAddrRs ] += PicWidthInCtbsY * RowHeight[ j ]
    CtbAddrRsToTs[ ctbAddrRs ] +=
    ( tbY – RowBd[ tileY ] ) * ColWidth[ tileX ] + tbX – ColBd[ tileX ]
}

```

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The list CtbAddrTsToRs[ ctbAddrTs ] for ctbAddrTs ranging from 0 to PicSizeInCtbsY – 1, inclusive, specifying the conversion from a CTB address in tile scan to a CTB address in CTB raster scan of a picture, is derived as follows:

```

for( ctbAddrRs = 0; ctbAddrRs < PicSizeInCtbsY; ctbAddrRs++ )
    CtbAddrTsToRs[ CtbAddrRsToTs[ ctbAddrRs ] ] = ctbAddrRs

```

(29)

The list TileIdx[ ctbAddrTs ] for ctbAddrTs ranging from 0 to PicSizeInCtbsY – 1, inclusive, specifying the conversion from a CTB address in tile scan to a tile ID, is derived as follows:

```

for( j = 0, tileIdx = 0; j <= num_tile_rows_minus1; j++ )
    for( i = 0; i <= num_tile_columns_minus1; i++, tileIdx++ )
        for( y = RowBd[ j ]; y < RowBd[ j + 1 ]; y++ )
            for( x = ColBd[ i ]; x < ColBd[ i + 1 ]; x++ )
                TileIdx[ CtbAddrRsToTs[ y * PicWidthInCtbsY + x ] ] =
                explicit_tile_id_flag ? tile_id_val[ i ][ j ] : tileIdx

```

(30)

The list NumCtusInTile[ tileIdx ] for tileIdx ranging from 0 to PicSizeInCtbsY – 1, inclusive, specifying the conversion from a tile index to the number of CTUs in the tile, is derived as follows:

```

for( j = 0, tileIdx = 0; j <= num_tile_rows_minus1; j++ )
    for( i = 0; i <= num_tile_columns_minus1; i++, tileIdx++ )
        NumCtusInTile[ tileIdx ] = ColWidth[ i ] * RowHeight[ j ]

```

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The set TileIdToIdx[ tileId ] for a set of NumTilesInPic tileId values specifying the conversion from a tile ID to a tile index and the list FirstCtbAddrTs[ tileIdx ] for tileIdx ranging from 0 to NumTilesInPic – 1, inclusive, specifying the conversion from a tile ID to the CTB address in tile scan of the first CTB in the tile are derived as follows:

```

for( ctbAddrTs = 0, tileIdx = 0, tileStartFlag = 1; ctbAddrTs < PicSizeInCtbsY; ctbAddrTs++ ) {
    if( tileStartFlag ) {
        TileIdToIdx[ TileId[ ctbAddrTs ] ] = tileIdx
        FirstCtbAddrTs[ tileIdx ] = ctbAddrTs
        tileStartFlag = 0
    }
    tileEndFlag = ctbAddrTs == PicSizeInCtbsY - 1 || TileId[ ctbAddrTs + 1 ] !=
TileId[ ctbAddrTs ]
    if( tileEndFlag ) {
        tileIdx++
        tileStartFlag = 1
    }
}
}

```

The values of ColumnWidthInLumaSamples[ i ], specifying the width of the i-th tile column in units of luma samples, are set equal to ColWidth[ i ] << CtbLog2SizeY for i ranging from 0 to num\_tile\_columns\_minus1, inclusive.

The values of RowHeightInLumaSamples[ j ], specifying the height of the j-th tile row in units of luma samples, are set equal to RowHeight[ j ] << CtbLog2SizeY for j ranging from 0 to num\_tile\_rows\_minus1, inclusive.

### 6.5.2 Zig-zag scan order 1D array initialization process

Inputs to this process are:

- a variable blkWidth specifying the width of block, and
- a variable blkHeight specifying the height of block.

Output of this process is the array zigZagScan[ sPos ].

The array index sPos specifies the scan position ranging from 0 to ( blkWidth \* blkHeight ) - 1. Depending on the value of blkWidth and blkHeight, the array zigZagScan is derived as follows:

```

pos = 0
zigZagScan[ pos ] = 0
pos++
for( line = 1; line < ( blkWidth + blkHeight - 1 ); line++ ) {
    if( line % 2 ) {
        x = Min( line, blkWidth - 1 )
        y = Max( 0, line - ( blkWidth - 1 ) )
        while( x >= 0 && y < blkHeight ) {
            zigZagScan[ pos ] = y * blkWidth + x
            pos++
            x--
            y++
        }
    }
    else{
        y = Min( line, -1 )
        x = Max( 0, line - ( blkHeight - 1 ) )
        while( y >= 0 && x < blkWidth ) {
            zigZagScan[ pos ] = y * blkWidth + x

```

```

        pos++
        x++
        y--
    }
}

```

### 6.5.3 Inverse scan order 1D array initialization process

Inputs to this process are:

- a variable blkWidth specifying the width of block, and
- a variable blkHeight specifying the height of block.

Output of this process is the array inverseScan[ rPos ].

The array index rPos specifies the raster scan position ranging from 0 to ( blkWidth \* blkHeight ) - 1. Depending on the value of blkWidth and blkHeight, the array inverseScan is derived as follows:

- The variable forwardScan is derived by invoking zig-zag scan order 1D array initialization process as specified in subclause 6.5.2 with input parameters blkWidth and blkHeight.
- The output variable inverseScan is derived as follows:

```

for( pos = 0; pos < blkWidth * blkHeight; pos++ ) {
    inverseScan[ forwardScan[ pos ] ] = pos
}

```

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## 7 Syntax and semantics

### 7.1 Method of specifying syntax in tabular form

The syntax tables specify a superset of the syntax of all allowed bitstreams.

NOTE An actual decoder must implement some means for identifying entry points into the bitstream and some means to identify and handle non-conforming bitstreams. The methods for identifying and handling errors and other such situations are not specified in this document.

Table 3 lists examples of the syntax specification format. When **syntax\_element** appears, it specifies that a syntax element is parsed from the bitstream and the bitstream pointer is advanced to the next position beyond the syntax element in the bitstream parsing process.

**Table 3 — Examples of the syntax specification format**

	Descriptor
/* A statement can be a syntax element with an associated descriptor or can be an expression used to specify conditions for the existence, type and quantity of syntax elements, as in the following two examples */	
<b>syntax_element</b>	ue(v)
conditioning statement	
/* A group of statements enclosed in curly brackets is a compound statement and is treated functionally as a single statement. */	
{	
statement	
statement	
...	
}	
/* A "while" structure specifies a test of whether a condition is true, and if true, specifies evaluation of a statement (or compound statement) repeatedly until the condition is no longer true */	
while( condition )	
statement	
/* A "do ... while" structure specifies evaluation of a statement once, followed by a test of whether a condition is true, and if true, specifies repeated evaluation of the statement until the condition is no longer true */	
do	
statement	
while( condition )	
/* An "if ... else" structure specifies a test of whether a condition is true and, if the condition is true, specifies evaluation of a primary statement, otherwise, specifies evaluation of an alternative statement. The "else" part of the structure and the associated alternative statement is omitted if no alternative statement evaluation is needed */	
if( condition )	
primary statement	
else	
alternative statement	
/* A "for" structure specifies evaluation of an initial statement, followed by a test of a condition, and if the condition is true, specifies repeated evaluation of a primary statement followed by a subsequent statement until the condition is no longer true. */	
for( initial statement; condition; subsequent statement )	
primary statement	

## 7.2 Specification of syntax functions and descriptors

The functions presented in this document are used in the syntactical description. These functions are expressed in terms of the value of a bitstream pointer that indicates the position of the next bit to be read by the decoding process from the bitstream.

`byte_aligned()` is specified as follows:

- If the current position in the bitstream is on a byte boundary, i.e., the next bit in the bitstream is the first bit in a byte, the return value of `byte_aligned()` is equal to TRUE.
- Otherwise, the return value of `byte_aligned()` is equal to FALSE.

`more_data_in_payload()` is specified as follows:

- If `byte_aligned()` is equal to TRUE and the current position in the `sei_payload()` syntax structure is  $8 * \text{payloadSize}$  bits from the beginning of the `sei_payload()` syntax structure, the return value of `more_data_in_payload()` is equal to FALSE.
- Otherwise, the return value of `more_data_in_payload()` is equal to TRUE.

`more_rbsp_data()` is specified as follows:

- If there is no more data in the raw byte sequence payload (Rbsp), the return value of `more_rbsp_data()` is equal to FALSE.
- Otherwise, the Rbsp data are searched for the last (least significant, right-most) bit equal to 1 that is present in the Rbsp. Given the position of this bit, which is the first bit (`rbsp_stop_one_bit`) of the `rbsp_trailing_bits()` syntax structure, the following applies:
  - If there is more data in an Rbsp before the `rbsp_trailing_bits()` syntax structure, the return value of `more_rbsp_data()` is equal to TRUE.
  - Otherwise, the return value of `more_rbsp_data()` is equal to FALSE.

The method for enabling determination of whether there is more data in the Rbsp is specified by the application (or in Annex B for applications that use the raw bitstream file storage format).

`more_rbsp_trailing_data()` is specified as follows:

- If there is more data in an Rbsp, the return value of `more_rbsp_trailing_data()` is equal to TRUE.
- Otherwise, the return value of `more_rbsp_trailing_data()` is equal to FALSE.

`next_bits(n)` provides the next bits in the bitstream for comparison purposes, without advancing the bitstream pointer. Provides a look at the next  $n$  bits in the bitstream with  $n$  being its argument.

`payload_extension_present()` is specified as follows:

- If the current position in the `sei_payload()` syntax structure is not the position of the last (least significant, right-most) bit that is equal to 1 that is less than  $8 * \text{payloadSize}$  bits from the beginning of the syntax structure (i.e., the position of the `payload_bit_equal_to_one` syntax element), the return value of `payload_extension_present()` is equal to TRUE.
- Otherwise, the return value of `payload_extension_present()` is equal to FALSE.

read\_bits( n ) reads the next n bits from the bitstream and advances the bitstream pointer by n bit positions. When n is equal to 0, read\_bits( n ) is specified to return a value equal to 0 and to not advance the bitstream pointer.

The following descriptors specify the parsing process of each syntax element:

- ae(v): context-adaptive arithmetic entropy-coded syntax element. The parsing process for this descriptor is specified in subclause 9.3.
- b(8): byte having any pattern of bit string (8 bits). The parsing process for this descriptor is specified by the return value of the function read\_bits( 8 ).
- f(n): fixed-pattern bit string using n bits written (from left to right) with the left bit first. The parsing process for this descriptor is specified by the return value of the function read\_bits( n ).
- i(n): signed integer using n bits. When n is "v" in the syntax table, the number of bits varies in a manner dependent on the value of other syntax elements. The parsing process for this descriptor is specified by the return value of the function read\_bits( n ) interpreted as a two's complement integer representation with most significant bit written first.
- se(v): signed integer 0-th order Exp-Golomb-coded syntax element with the left bit first. The parsing process for this descriptor is specified in subclause 9.2
- u(n): unsigned integer using n bits. When n is "v" in the syntax table, the number of bits varies in a manner dependent on the value of other syntax elements. The parsing process for this descriptor is specified by the return value of the function read\_bits( n ) interpreted as a binary representation of an unsigned integer with most significant bit written first.
- ue(v): unsigned integer 0-th order Exp-Golomb-coded syntax element with the left bit first. The parsing process for this descriptor is specified in subclause 9.2.
- uek(v): unsigned integer k-th order Exp-Golomb-coded syntax element with the left bit first. The parsing process for this descriptor is specified in subclause 9.2 with the order k defined in the semantics of the syntax element.

### 7.3 Syntax in tabular form

#### 7.3.1 NAL unit syntax

##### 7.3.1.1 General NAL unit syntax

	Descriptor
nal_unit( NumBytesInNalUnit ) {	
nal_unit_header( )	
NumBytesInRbsp = 0	
for( i = 2; i < NumBytesInNalUnit; i++ )	
<b>rbsp_byte</b> [ NumBytesInRbsp++ ]	b(8)
}	

## 7.3.1.2 NAL unit header syntax

	Descriptor
nal_unit_header( ) {	
<b>forbidden_zero_bit</b>	f(1)
<b>nal_unit_type_plus1</b>	u(6)
<b>nuh_temporal_id</b>	u(3)
<b>nuh_reserved_zero_5bits</b>	u(5)
<b>nuh_extension_flag</b>	u(1)
}	

## 7.3.2 Raw byte sequence payloads, trailing bits and byte alignment syntax

## 7.3.2.1 SPS RBSP syntax

	Descriptor
seq_parameter_set_rbsp( ) {	
<b>sps_seq_parameter_set_id</b>	ue(v)
<b>profile_idc</b>	u(8)
<b>level_idc</b>	u(8)
<b>toolset_idc_h</b>	u(32)
<b>toolset_idc_l</b>	u(32)
<b>chroma_format_idc</b>	ue(v)
<b>pic_width_in_luma_samples</b>	ue(v)
<b>pic_height_in_luma_samples</b>	ue(v)
<b>bit_depth_luma_minus8</b>	ue(v)
<b>bit_depth_chroma_minus8</b>	ue(v)
<b>sps_btt_flag</b>	u(1)
if( sps_btt_flag ) {	
<b>log2_ctu_size_minus5</b>	ue(v)
<b>log2_min_cb_size_minus2</b>	ue(v)
<b>log2_diff_ctu_max_14_cb_size</b>	ue(v)
<b>log2_diff_ctu_max_tt_cb_size</b>	ue(v)
<b>log2_diff_min_cb_min_tt_cb_size_minus2</b>	ue(v)
}	
<b>sps_suco_flag</b>	u(1)
if( sps_suco_flag ) {	
<b>log2_diff_ctu_size_max_suco_cb_size</b>	ue(v)
<b>log2_diff_max_suco_min_suco_cb_size</b>	ue(v)
}	
<b>sps_admvp_flag</b>	u(1)
if( sps_admvp_flag ) {	
<b>sps_affine_flag</b>	u(1)
<b>sps_amvr_flag</b>	u(1)
<b>sps_dmvr_flag</b>	u(1)
<b>sps_mmvd_flag</b>	u(1)

<b>sps_hmvp_flag</b>	u(1)
}	
<b>sps_eipd_flag</b>	u(1)
if( sps_eipd_flag ) {	
<b>sps_ibc_flag</b>	u(1)
if( sps_ibc_flag )	
<b>log2_max_ibc_cand_size_minus2</b>	ue(v)
}	
<b>sps_cm_init_flag</b>	u(1)
if( sps_cm_init_flag )	
<b>sps_adcc_flag</b>	u(1)
<b>sps_iqt_flag</b>	u(1)
if( sps_iqt_flag )	
<b>sps_ats_flag</b>	u(1)
<b>sps_addb_flag</b>	u(1)
<b>sps_alf_flag</b>	u(1)
<b>sps_htdf_flag</b>	u(1)
<b>sps_rpl_flag</b>	u(1)
<b>sps_pocs_flag</b>	u(1)
<b>sps_dquant_flag</b>	u(1)
<b>sps_dra_flag</b>	u(1)
if( sps_pocs_flag )	
<b>log2_max_pic_order_cnt_lsb_minus4</b>	ue(v)
if( !sps_pocs_flag    !sps_rpl_flag ) {	
<b>log2_sub_gop_length</b>	ue(v)
if( log2_sub_gop_length == 0 )	
<b>log2_ref_pic_gap_length</b>	ue(v)
}	
if( !sps_rpl_flag )	
<b>max_num_tid0_ref_pics</b>	ue(v)
else {	
<b>sps_max_dec_pic_buffering_minus1</b>	ue(v)
<b>long_term_ref_pics_flag</b>	u(1)
<b>rpl1_same_as_rpl0_flag</b>	u(1)
for( i = 0; i < !rpl1_same_as_rpl0_flag ? 2 : 1; i++ ) {	
<b>num_ref_pic_lists_in_sps[ i ]</b>	ue(v)
for( j = 0; j < num_ref_pic_lists_in_sps[ i ]; j++ )	
ref_pic_list_struct( i, j, long_term_ref_pics_flag )	
}	
}	
<b>picture_cropping_flag</b>	u(1)
if( picture_cropping_flag ) {	
<b>picture_crop_left_offset</b>	ue(v)
<b>picture_crop_right_offset</b>	ue(v)
<b>picture_crop_top_offset</b>	ue(v)
<b>picture_crop_bottom_offset</b>	ue(v)

}	
if( ChromaArrayType != 0 ) {	
<b>chroma_qp_table_present_flag</b>	u(1)
if( chroma_qp_table_present_flag )	
<b>same_qp_table_for_chroma</b>	u(1)
<b>global_offset_flag</b>	u(1)
for( i = 0; i < same_qp_table_for_chroma ? 1 : 2; i++ ) {	
<b>num_points_in_qp_table_minus1[ i ]</b>	ue(v)
for( j = 0; j <= num_points_in_qp_table_minus1[ i ]; j++ )	
<b>delta_qp_in_val_minus1[ i ][ j ]</b>	u(6)
<b>delta_qp_out_val[ i ][ j ]</b>	se(v)
}	
}	
}	
}	
<b>vui_parameters_present_flag</b>	u(1)
if( vui_parameters_present_flag )	
vui_parameters( )	
rbsp_trailing_bits( )	
}	

7.3.2.2 PPS RBSP syntax

	Descriptor
pic_parameter_set_rbsp( ) {	
pps_pic_parameter_set_id	ue(v)
pps_seq_parameter_set_id	ue(v)
for( i = 0; i < 2; i++ )	
num_ref_idx_default_active_minus1[ i ]	ue(v)
additional_lt_poc_lsb_len	ue(v)
rpl1_idx_present_flag	u(1)
single_tile_in_pic_flag	u(1)
if( !single_tile_in_pic_flag ) {	
num_tile_columns_minus1	ue(v)
num_tile_rows_minus1	ue(v)
uniform_tile_spacing_flag	u(1)
if( !uniform_tile_spacing_flag ) {	
for( i = 0; i < num_tile_columns_minus1; i++ )	
tile_column_width_minus1[ i ]	ue(v)
for( i = 0; i < num_tile_rows_minus1; i++ )	
tile_row_height_minus1[ i ]	ue(v)
}	
loop_filter_across_tiles_enabled_flag	u(1)
tile_offset_len_minus1	ue(v)
}	
tile_id_len_minus1	ue(v)
explicit_tile_id_flag	u(1)
if( explicit_tile_id_flag )	
for( i = 0; i <= num_tile_rows_minus1; i++ )	
for( j = 0; j <= num_tile_columns_minus1; j++ )	
tile_id_val[ i ][ j ]	u(v)
pic_dra_enabled_flag	u(1)
if( pic_dra_enabled_flag )	
pic_dra_aps_id	u(5)
arbitrary_slice_present_flag	u(1)
constrained_intra_pred_flag	u(1)
cu_qp_delta_enabled_flag	u(1)
if( cu_qp_delta_enabled_flag )	
log2_cu_qp_delta_area_minus6	ue(v)
rbsp_trailing_bits( )	
}	

## 7.3.2.3 APS RBSP syntax

	Descriptor
adaptation_parameter_set_rbsp() {	
<b>adaptation_parameter_set_id</b>	u(5)
<b>aps_params_type</b>	u(3)
if( aps_params_type == ALF_APS )	
alf_data( )	
else if( aps_params_type == DRA_APS )	
dra_data( )	
<b>aps_extension_flag</b>	u(1)
if( aps_extension_flag )	
while( more_rbsp_data( ) )	
<b>aps_extension_data_flag</b>	u(1)
rbsp_trailing_bits( )	
}	

## 7.3.2.4 Filler data RBSP syntax

	Descriptor
filler_data_rbsp() {	
while( next_bits( 8 ) == 0xFF )	
<b>ff_byte</b> // equal to 0xFF	f(8)
rbsp_trailing_bits( )	
}	

## 7.3.2.5 Supplemental enhancement information RBSP syntax

	Descriptor
sei_rbsp() {	
do	
sei_message( )	
while( more_rbsp_data( ) )	
rbsp_trailing_bits( )	
}	

## 7.3.2.6 Slice layer RBSP syntax

	Descriptor
slice_layer_rbsp( ) {	
slice_header( )	
slice_data( )	
rbsp_slice_trailing_bits( )	
}	

7.3.2.7 Rbsp slice trailing bits syntax

	Descriptor
rbsp_slice_trailing_bits() {	
rbsp_trailing_bits()	
while( more_rbsp_trailing_data() )	
<b>cabac_zero_word</b> /* equal to 0x0000 */	f(16)
}	

7.3.2.8 Rbsp trailing bits syntax

	Descriptor
rbsp_trailing_bits() {	
<b>rbsp_stop_one_bit</b> /* equal to 1 */	f(1)
while( !byte_aligned() )	
<b>rbsp_alignment_zero_bit</b> /* equal to 0 */	f(1)
}	

7.3.2.9 Byte alignment syntax

	Descriptor
byte_alignment() {	
<b>alignment_bit_equal_to_one</b> /* equal to 1 */	f(1)
while( !byte_aligned() )	
<b>alignment_bit_equal_to_zero</b> /* equal to 0 */	f(1)
}	

7.3.3 Supplemental enhancement information message syntax

	Descriptor
sei_message() {	
payloadType = 0	
do {	
<b>payload_type_byte</b>	u(8)
payloadType += payload_type_byte	
} while( payload_type_byte == 0xFF )	
payloadSize = 0	
do {	
<b>payload_size_byte</b>	u(8)
payloadSize += payload_size_byte	
} while( payload_size_byte == 0xFF )	
sei_payload( payloadType, payloadSize )	
}	

## 7.3.4 Slice header syntax

	Descriptor
slice_header() {	
<b>slice_pic_parameter_set_id</b>	ue(v)
if( !single_tile_in_pic_flag ) {	
<b>single_tile_in_slice_flag</b>	u(1)
<b>first_tile_id</b>	u(v)
}	
if( !single_tile_in_slice_flag ) {	
if( arbitrary_slice_present_flag )	
<b>arbitrary_slice_flag</b>	u(1)
if( !arbitrary_slice_flag )	
<b>last_tile_id</b>	u(v)
else {	
<b>num_remaining_tiles_in_slice_minus1</b>	ue(v)
for( i = 0; i < NumTilesInSlice - 1; i++ )	
<b>delta_tile_id_minus1[ i ]</b>	ue(v)
}	
}	
<b>slice_type</b>	ue(v)
if( nal_unit_type == IDR_NUT )	
<b>no_output_of_prior_pics_flag</b>	u(1)
if( sps_mmvd_flag && ( slice_type == B    slice_type == P ) )	
<b>mmvd_group_enable_flag</b>	u(1)
if( sps_alf_flag ) {	
<b>slice_alf_enabled_flag</b>	u(1)
if( slice_alf_enabled_flag ) {	
<b>slice_alf_luma_aps_id</b>	u(5)
<b>slice_alf_map_flag</b>	u(1)
<b>slice_alf_chroma_idc</b>	u(2)
if( ( ChromaArrayType == 1    ChromaArrayType == 2 ) && slice_alf_chroma_idc > 0 )	
<b>slice_alf_chroma_aps_id</b>	u(5)
}	
if( ChromaArrayType == 3 ) {	
if( !slice_alf_enabled_flag )	
<b>slice_alf_chroma_idc</b>	u(2)
if( sliceChromaAlfEnabledFlag ) {	
<b>slice_alf_chroma_aps_id</b>	u(5)
<b>slice_alf_chroma_map_flag</b>	u(1)
}	
if( sliceChroma2AlfEnabledFlag ) {	
<b>slice_alf_chroma2_aps_id</b>	u(5)
<b>slice_alf_chroma2_map_flag</b>	u(1)
}	
}	

if( NalUnitType != IDR_NUT ) {	
if( sps_pocs_flag )	
<b>slice_pic_order_cnt_lsb</b>	u(v)
if( sps_rpl_flag ) {	
for( i = 0; i < 2; i++ ) {	
if( num_ref_pic_lists_in_sps[ i ] > 0 && ( i == 0    ( i == 1 && rpl1_idx_present_flag ) ) )	
<b>ref_pic_list_sps_flag[ i ]</b>	u(1)
if( ref_pic_list_sps_flag[ i ] ) {	
if( num_ref_pic_lists_in_sps[ i ] > 1 && ( i == 0    ( i == 1 && rpl1_idx_present_flag ) ) )	
<b>ref_pic_list_idx[ i ]</b>	u(v)
} else	
ref_pic_list_struct( i, num_ref_pic_lists_in_sps[ i ], long_term_ref_pics_flag )	
for( j = 0; j < num_ltrp_entries[ i ][ SliceRplsIdx[ i ] ]; j++ ) {	
<b>additional_poc_lsb_present_flag[ i ][ j ]</b>	u(1)
if( additional_poc_lsb_present_flag[ i ][ j ] )	
<b>additional_poc_lsb_val[ i ][ j ]</b>	u(v)
}	
}	
}	
if( slice_type == P    slice_type == B ) {	
<b>num_ref_idx_active_override_flag</b>	u(1)
if( num_ref_idx_active_override_flag )	
for( i = 0; i < ( slice_type == B ? 2 : 1 ); i++ )	
<b>num_ref_idx_active_minus1[ i ]</b>	ue(v)
if( sps_admvp_flag ) {	
<b>temporal_mvp_assigned_flag</b>	u(1)
if( temporal_mvp_assigned_flag ) {	
if( slice_type == B ) {	
<b>col_pic_list_idx</b>	u(1)
<b>col_source_mvp_list_idx</b>	u(1)
}	
<b>col_pic_ref_idx</b>	ue(v)
}	
}	
<b>slice_deblocking_filter_flag</b>	u(1)
if( slice_deblocking_filter_flag && sps_addb_flag ) {	
<b>slice_alpha_offset</b>	se(v)
<b>slice_beta_offset</b>	se(v)
}	
<b>slice_qp</b>	u(6)
<b>slice_cb_qp_offset</b>	se(v)
<b>slice_cr_qp_offset</b>	se(v)

if( !single_tile_in_slice_flag )	
for( i = 0; i < NumTilesInSlice - 1; i++ )	
<b>entry_point_offset_minus1</b> [ i ]	u(v)
byte_alignment( )	
}	

### 7.3.5 Adaptive loop filter data syntax

	Descriptor
alf_data( ) {	
<b>alf_luma_filter_signal_flag</b>	u(1)
<b>alf_chroma_filter_signal_flag</b>	u(1)
if( alf_luma_filter_signal_flag ) {	
<b>alf_luma_num_filters_signalled_minus1</b>	ue(v)
<b>alf_luma_type_flag</b>	u(1)
if( alf_luma_num_filters_signalled_minus1 > 0 ) {	
for( i = 0; i < NumAlfFilters; i++ )	
<b>alf_luma_coeff_delta_idx</b> [ i ]	u(v)
}	
<b>alf_luma_fixed_filter_usage_pattern</b>	uek(v)
if( alf_luma_fixed_filter_usage_pattern == 2 ) {	
for( i = 0; i < NumAlfFilters; i++ )	
<b>alf_luma_fixed_filter_usage_flag</b> [ i ]	u(1)
}	
if( alf_luma_fixed_filter_usage_pattern > 0 ) {	
for( i = 0; i < NumAlfFilters; i++ ) {	
if( alf_luma_fixed_filter_usage_flag[ i ] )	
<b>alf_luma_fixed_filter_set_idx</b> [ i ]	u(4)
}	
}	
<b>alf_luma_coeff_delta_flag</b>	u(1)
if( !alf_luma_coeff_delta_flag && alf_luma_num_filters_signalled_minus1 > 0 )	
<b>alf_luma_coeff_delta_prediction_flag</b>	u(1)
<b>alf_luma_min_eg_order_minus1</b>	ue(v)
for( i = 0; i < LumaMaxGolombIdx; i++ )	
<b>alf_luma_eg_order_increase_flag</b> [ i ]	u(1)
if( alf_luma_coeff_delta_flag ) {	
for( i = 0; i < NumSignalledFilter; i++ )	
<b>alf_luma_coeff_flag</b> [ i ]	u(1)
}	

for( i = 0; i < NumSignalledFilter; i++ ) {	
if( alf_luma_coeff_flag[ i ] ) {	
for( j = 0; j < NumAlfCoefs - 1; j++ ) {	
<b>alf_luma_coeff_delta_abs</b> [ i ][ j ]	uek(v)
if( alf_luma_coeff_delta_abs[ i ][ j ] )	
<b>alf_luma_coeff_delta_sign_flag</b> [ i ][ j ]	u(1)
}	
}	
}	
if( alf_chroma_filter_signal_flag ) {	
<b>alf_chroma_min_eg_order_minus1</b>	ue(v)
for( i = 0; i < ChromaMaxGolombIdx; i++ )	
<b>alf_chroma_eg_order_increase_flag</b> [ i ]	u(1)
for( j = 0; j < 6; j++ ) {	
<b>alf_chroma_coeff_abs</b> [ j ]	uek(v)
if( alf_chroma_coeff_abs[ j ] > 0 )	
<b>alf_chroma_coeff_sign_flag</b> [ j ]	u(1)
}	
}	
}	
}	

7.3.6 DRA data syntax

	Descriptor
dra_data() {	
<b>dra_descriptor1</b>	u(4)
<b>dra_descriptor2</b>	u(4)
<b>dra_number_ranges_minus1</b>	ue(v)
<b>dra_equal_ranges_flag</b>	u(1)
<b>dra_global_offset</b>	u(10)
if( dra_equal_ranges_flag )	
<b>dra_delta_range</b> [ 0 ]	u(10)
else	
for( j = 0; j <= dra_number_ranges_minus1; j++ )	
<b>dra_delta_range</b> [ j ]	u(10)
for( j = 0; j <= dra_number_ranges_minus1; j++ )	
<b>dra_scale_value</b> [ j ]	u(v)
<b>dra_cb_scale_value</b>	u(v)
<b>dra_cr_scale_value</b>	u(v)
<b>dra_table_idx</b>	ue(v)
}	

### 7.3.7 Reference picture list structure syntax

	Descriptor
ref_pic_list_struct( listIdx, rplsIdx, ltrpFlag ) {	
<b>num_strp_entries</b> [ listIdx ][ rplsIdx ]	ue(v)
if( ltrpFlag )	
<b>num_ltrp_entries</b> [ listIdx ][ rplsIdx ]	ue(v)
for( i = 0; i < NumEntriesInList[ listIdx ][ rplsIdx ]; i++ ) {	
if( num_ltrp_entries[ listIdx ][ rplsIdx ] > 0 )	
<b>lt_ref_pic_flag</b> [ listIdx ][ rplsIdx ][ i ]	u(1)
if( !lt_ref_pic_flag[ listIdx ][ rplsIdx ][ i ] ) {	
<b>delta_poc_st</b> [ listIdx ][ rplsIdx ][ i ]	ue(v)
if( delta_poc_st[ listIdx ][ rplsIdx ][ i ] > 0 )	
<b>strp_entry_sign_flag</b> [ listIdx ][ rplsIdx ][ i ]	u(1)
} else	
<b>poc_lsb_lt</b> [ listIdx ][ rplsIdx ][ i ]	u(v)
}	
}	
}	

### 7.3.8 Slice data syntax

#### 7.3.8.1 General slice data syntax

	Descriptor
slice_data() {	
for( i = 0; i < NumTilesInSlice; i++ ) {	
ctbAddrInTs = FirstCtbAddrTs[ SliceTileIdx[ i ] ]	
for( j = 0; j < NumCtusInTile[ SliceTileIdx[ i ] ]; j++, ctbAddrInTs++ ) {	
CtbAddrInRs = CtbAddrTsToRs[ ctbAddrInTs ]	
coding_tree_unit( )	
}	
<b>end_of_tile_one_bit</b> /* equal to 1 */	ae(v)
if( i < NumTilesInSlice - 1 )	
byte_alignment( )	
}	
}	

7.3.8.2 Coding tree unit syntax

	Descriptor
coding_tree_unit( ) {	
xCtb = ( CtbAddrInRs % PicWidthInCtbsY ) << CtbLog2SizeY	
yCtb = ( CtbAddrInRs / PicWidthInCtbsY ) << CtbLog2SizeY	
tileIndex = TileIdToIdx[ TileId[ CtbAddrRsToTs[ CtbAddrInRs ] ] ]	
firstCtbAddrRs = CtbAddrTsToRs[ FirstCtbAddrTs[ tileIndex ] ]	
xFirstCtb = ( firstCtbAddrRs % PicWidthInCtbsY ) << CtbLog2SizeY	
if( xCtb == xFirstCtb )	
NumHmvpCand = 0	
if( slice_alf_enabled_flag && slice_alf_map_flag )	
<b>alf_ctb_flag</b> [ xCtb >> CtbLog2SizeY ][ yCtb >> CtbLog2SizeY ]	ae(v)
if( sliceChromaAlfEnabledFlag && slice_alf_chroma_map_flag )	
<b>alf_ctb_chroma_flag</b> [ xCtb >> CtbLog2SizeY ][ yCtb >> CtbLog2SizeY ]	ae(v)
if( sliceChroma2AlfEnabledFlag && slice_alf_chroma2_map_flag )	
<b>alf_ctb_chroma2_flag</b> [ xCtb >> CtbLog2SizeY ][ yCtb >> CtbLog2SizeY ]	ae(v)
split_unit( xCtb, yCtb, CtbLog2SizeY, CtbLog2SizeY, 0, 0, 0, PRED_MODE_NO_CONSTRAINT )	
}	

7.3.8.3 Split unit syntax

	Descriptor
split_unit( x0, y0, log2CbWidth, log2CbHeight, ctDepth, splitUnitOrder, cuQpDeltaCode, predModeConstraintCurrent ) {	
if( sps_btt_flag == 0 ) {	
if( log2CbWidth > 2    log2CbHeight > 2 )	
<b>split_cu_flag</b> [ x0 ][ y0 ]	ae(v)
}	
else if( sps_btt_flag == 1 ) {	
if( ( log2CbWidth > 2    log2CbHeight > 2 ) && x0 + ( 1 << log2CbWidth ) <= pic_width_in_luma_samples && y0 + ( 1 << log2CbHeight ) <= pic_height_in_luma_samples ) {	
if( allowSplitBtVer    allowSplitBtHor    allowSplitTtVer    allowSplitTtHor )	
<b>btt_split_flag</b> [ x0 ][ y0 ]	ae(v)
if( btt_split_flag[ x0 ][ y0 ] ) {	
if( ( allowSplitBtVer    allowSplitTtVer ) && ( allowSplitBtHor    allowSplitTtHor ) )	
<b>btt_split_dir</b> [ x0 ][ y0 ]	ae(v)
if( ( btt_split_dir[ x0 ][ y0 ] && allowSplitBtVer && allowSplitTtVer )    ( !btt_split_dir[ x0 ][ y0 ] && allowSplitBtHor && allowSplitTtHor ) )	
<b>btt_split_type</b> [ x0 ][ y0 ]	ae(v)
}	
if( cu_qp_delta_enabled_flag && sps_dquant_flag ) {	
if( btt_split_flag[ x0 ][ y0 ] == 0 && log2CbWidth + log2CbHeight >= cuQpDeltaArea && cuQpDeltaCode != 2 ) {	
if( log2CbWidth > MaxTbLog2SizeY    log2CbHeight > MaxTbLog2SizeY )	
cuQpDeltaCode = 2	

else	
cuQpDeltaCode = 1	
isCuQpDeltaCoded = 0	
}	
else if( ( log2CbWidth + log2CbHeight == cuQpDeltaArea + 1 && btt_split_type[ x0 ][ y0 ] == 1 )    ( log2CbWidth + log2CbHeight == cuQpDeltaArea && cuQpDeltaCode != 2 ) ) {	
cuQpDeltaCode = 2	
isCuQpDeltaCoded = 0	
}	
}	
}	
}	
if( sps_suco_flag && allowSplitUnitCodingOrder )	
<b>split_unit_coding_order_flag</b> [ x0 ][ y0 ]	ae(v)
if( needSignalPredModeConstraintTypeFlag )	
<b>pred_mode_constraint_type_flag</b> [ x0 ][ y0 ]	ae(v)
if( split_cu_flag[ x0 ][ y0 ] ) {	
x1 = x0 + ( 1 << ( log2CbWidth - 1 ) )	
y1 = y0 + ( 1 << ( log2CbHeight - 1 ) )	
if( split_unit_coding_order_flag[ x0 ][ y0 ] == 0 ) {	
split_unit( x0, y0, log2CbWidth - 1, log2CbHeight - 1, ctDepth + 1, 0, cuQpDeltaCode, PRED_MODE_NO_CONSTRAINT )	
if( x1 < pic_width_in_luma_samples )	
split_unit( x1, y0, log2CbWidth - 1, log2CbHeight - 1, ctDepth + 1, 0, cuQpDeltaCode, PRED_MODE_NO_CONSTRAINT )	
if( y1 < pic_height_in_luma_samples )	
split_unit( x0, y1, log2CbWidth - 1, log2CbHeight - 1, ctDepth + 1, 0, cuQpDeltaCode, PRED_MODE_NO_CONSTRAINT )	
if( x1 < pic_width_in_luma_samples && y1 < pic_height_in_luma_samples )	
split_unit( x1, y1, log2CbWidth - 1, log2CbHeight - 1, ctDepth + 1, 0, cuQpDeltaCode, PRED_MODE_NO_CONSTRAINT )	
}	
else {	
split_unit( x1, y0, log2CbWidth - 1, log2CbHeight - 1, ctDepth + 1, 1, cuQpDeltaCode, PRED_MODE_NO_CONSTRAINT )	
split_unit( x0, y0, log2CbWidth - 1, log2CbHeight - 1, ctDepth + 1, 1, cuQpDeltaCode, PRED_MODE_NO_CONSTRAINT )	
split_unit( x1, y1, log2CbWidth - 1, log2CbHeight - 1, ctDepth + 1, 1, cuQpDeltaCode, PRED_MODE_NO_CONSTRAINT )	
split_unit( x0, y1, log2CbWidth - 1, log2CbHeight - 1, ctDepth + 1, 1, cuQpDeltaCode, PRED_MODE_NO_CONSTRAINT )	
}	
}	
else if( SplitMode[ x0 ][ y0 ] == SPLIT_BT_VER ) {	
x1 = x0 + ( 1 << ( log2CbWidth - 1 ) )	
if( split_unit_coding_order_flag[ x0 ][ y0 ] == 0 ) {	

split_unit( x0, y0, log2CbWidth - 1, log2CbHeight, ctDepth + 1, 0, cuQpDeltaCode, predModeConstraint )	
if( x1 < pic_width_in_luma_samples )	
split_unit( x1, y0, log2CbWidth - 1, log2CbHeight, ctDepth + 1, 0, cuQpDeltaCode, predModeConstraint )	
}	
else {	
split_unit( x1, y0, log2CbWidth - 1, log2CbHeight, ctDepth + 1, 1, cuQpDeltaCode, predModeConstraint )	
split_unit( x0, y0, log2CbWidth - 1, log2CbHeight, ctDepth + 1, 1, cuQpDeltaCode, predModeConstraint )	
}	
}	
else if( SplitMode[ x0 ][ y0 ] == SPLIT_BT_HOR ) {	
y1 = y0 + ( 1 << ( log2CbHeight - 1 ) )	
split_unit( x0, y0, log2CbWidth, log2CbHeight - 1, ctDepth + 1, splitUnitOrder, cuQpDeltaCode, predModeConstraint )	
if( y1 < pic_height_in_luma_samples )	
split_unit( x0, y1, log2CbWidth, log2CbHeight - 1, ctDepth + 1, splitUnitOrder, cuQpDeltaCode, predModeConstraint )	
}	
else if( SplitMode[ x0 ][ y0 ] == SPLIT_TT_VER ) {	
x1 = x0 + ( 1 << ( log2CbWidth - 2 ) )	
x2 = x1 + ( 1 << ( log2CbWidth - 1 ) )	
if( split_unit_coding_order_flag[ x0 ][ y0 ] == 0 ) {	
split_unit( x0, y0, log2CbWidth - 2, log2CbHeight, ctDepth + 2, 0, cuQpDeltaCode, predModeConstraint )	
split_unit( x1, y0, log2CbWidth - 1, log2CbHeight, ctDepth + 1, 0, cuQpDeltaCode, predModeConstraint )	
split_unit( x2, y0, log2CbWidth - 2, log2CbHeight, ctDepth + 2, 0, cuQpDeltaCode, predModeConstraint )	
}	
else {	
split_unit( x2, y0, log2CbWidth - 2, log2CbHeight, ctDepth + 2, 1, cuQpDeltaCode, predModeConstraint )	
split_unit( x1, y0, log2CbWidth - 1, log2CbHeight, ctDepth + 1, 1, cuQpDeltaCode, predModeConstraint )	
split_unit( x0, y0, log2CbWidth - 2, log2CbHeight, ctDepth + 2, 1, cuQpDeltaCode, predModeConstraint )	
}	
}	
else if( SplitMode[ x0 ][ y0 ] == SPLIT_TT_HOR ) {	
y1 = y0 + ( 1 << ( log2CbHeight - 2 ) )	
y2 = y1 + ( 1 << ( log2CbHeight - 1 ) )	
split_unit( x0, y0, log2CbWidth, log2CbHeight - 2, ctDepth + 2, splitUnitOrder, cuQpDeltaCode, predModeConstraint )	
split_unit( x0, y1, log2CbWidth, log2CbHeight - 1, ctDepth + 1, splitUnitOrder, cuQpDeltaCode, predModeConstraint )	

split_unit( x0, y2, log2CbWidth, log2CbHeight - 2, ctDepth + 2, splitUnitOrder, cuQpDeltaCode, predModeConstraint )	
}	
else {	
treeType = predModeConstraint == PRED_MODE_CONSTRAINT_INTRA_IBC ? DUAL_TREE_LUMA : SINGLE_TREE	
if( predModeConstraint == PRED_MODE_NO_CONSTRAINT && ( slice_type == I    ( sps_admvp_flag && log2CbWidth == 2 && log2CbHeight == 2 ) ) )	
predModeConstraint = PRED_MODE_CONSTRAINT_INTRA_IBC	
coding_unit( x0, y0, log2CbWidth, log2CbHeight, ctDepth, cuQpDeltaCode )	
}	
if ( isTreeSplitPoint )	
coding_unit( x0, y0, log2CbWidth, log2CbHeight, ctDepth, cuQpDeltaCode, DUAL_TREE_CHROMA, PRED_MODE_CONSTRAINT_INTRA_IBC )	
}	

7.3.8.4 Coding unit syntax

coding_unit( x0, y0, log2CbWidth, log2CbHeight, ctDepth, cuQpDeltaCode, treeType predModeConstraint ) {	Descriptor
if( predModeConstraint != PRED_MODE_CONSTRAINT_INTRA_IBC )	
<b>cu_skip_flag</b> [ x0 ][ y0 ]	ae(v)
if( cu_skip_flag[ x0 ][ y0 ] ) {	
if( sps_mmvd_flag )	
<b>mmvd_flag</b> [ x0 ][ y0 ]	ae(v)
if( mmvd_flag[ x0 ][ y0 ] ) {	
if( mmvd_group_enable_flag && ( log2CbWidth + log2CbHeight ) > 5 )	
<b>mmvd_group_idx</b> [ x0 ][ y0 ]	ae(v)
<b>mmvd_merge_idx</b> [ x0 ][ y0 ]	ae(v)
<b>mmvd_distance_idx</b> [ x0 ][ y0 ]	ae(v)
<b>mmvd_direction_idx</b> [ x0 ][ y0 ]	ae(v)
} else {	
if( sps_affine_flag && log2CbWidth >= 3 && log2CbHeight >= 3 )	
<b>affine_flag</b> [ x0 ][ y0 ]	ae(v)
if( affine_flag[ x0 ][ y0 ] )	
<b>affine_merge_idx</b> [ x0 ][ y0 ]	ae(v)
else {	
if( !sps_admvp_flag ) {	
<b>mvp_idx_l0</b> [ x0 ][ y0 ]	ae(v)
if( slice_type == B )	
<b>mvp_idx_l1</b> [ x0 ][ y0 ]	ae(v)
} else	
<b>merge_idx</b> [ x0 ][ y0 ]	ae(v)
}	
}	

} else {	
if( predModeConstraint == PRED_MODE_NO_CONSTRAINT )	
<b>pred_mode_flag</b> [ x0 ][ y0 ]	ae(v)
if( isIbcAllowed )	
<b>ibc_flag</b> [ x0 ][ y0 ]	ae(v)
if( CuPredMode == MODE_INTRA ) {	
if( treeType != DUAL_TREE_CHROMA ) {	
if( !sps_eipd_flag )	
<b>intra_pred_mode</b> [ x0 ][ y0 ]	ae(v)
else if( sps_eipd_flag == 1 ) {	
<b>intra_luma_pred_mpm_flag</b> [ x0 ][ y0 ]	ae(v)
if( intra_luma_pred_mpm_flag[ x0 ][ y0 ] )	
<b>intra_luma_pred_mpm_idx</b> [ x0 ][ y0 ]	ae(v)
else {	
<b>intra_luma_pred_pims_flag</b> [ x0 ][ y0 ]	ae(v)
if( intra_luma_pred_pims_flag[ x0 ][ y0 ] )	
<b>intra_luma_pred_pims_idx</b> [ x0 ][ y0 ]	ae(v)
else	
<b>intra_luma_pred_rem_mode</b> [ x0 ][ y0 ]	ae(v)
}	
}	
}	
}	
if( treeType != DUAL_TREE_LUMA && sps_eipd_flag == 1 && ChromaArrayType != 0 )	
<b>intra_chroma_pred_mode</b> [ x0 ][ y0 ]	ae(v)
}	
else { /* ( CuPredMode != MODE_INTRA ) */	
if( CuPredMode == MODE_IBC ) {	
<b>abs_mvd_l0</b> [ x0 ][ y0 ][ 0 ]	ae(v)
if( abs_mvd_l0[ x0 ][ y0 ][ 0 ] )	
<b>mvd_l0_sign_flag</b> [ x0 ][ y0 ][ 0 ]	ae(v)
<b>abs_mvd_l0</b> [ x0 ][ y0 ][ 1 ]	ae(v)
if( abs_mvd_l0[ x0 ][ y0 ][ 1 ] )	
<b>mvd_l0_sign_flag</b> [ x0 ][ y0 ][ 1 ]	ae(v)
}	
else {	
if( sps_amvr_flag )	
<b>amvr_idx</b> [ x0 ][ y0 ]	ae(v)
if( slice_type == B && sps_admvp_flag == 0 )	
<b>direct_mode_flag</b> [ x0 ][ y0 ]	ae(v)
else if( sps_admvp_flag == 1 ) {	
if( amvr_idx[ x0 ][ y0 ] == 0 )	
<b>merge_mode_flag</b> [ x0 ][ y0 ]	ae(v)
if( merge_mode_flag[ x0 ][ y0 ] ) {	
if( sps_mmvd_flag )	

<b>mmvd_flag</b> [ x0 ][ y0 ]	ae(v)
if( mmvd_flag[ x0 ][ y0 ] ) {	
if( mmvd_group_enable_flag && log2CbWidth + log2CbHeight > 5 )	
<b>mmvd_group_idx</b> [ x0 ][ y0 ]	ae(v)
<b>mmvd_merge_idx</b> [ x0 ][ y0 ]	ae(v)
<b>mmvd_distance_idx</b> [ x0 ][ y0 ]	ae(v)
<b>mmvd_direction_idx</b> [ x0 ][ y0 ]	ae(v)
}	
else {	
if( sps_affine_flag && log2CbWidth >= 3 && log2CbHeight >= 3 )	
<b>affine_flag</b> [ x0 ][ y0 ]	ae(v)
if( affine_flag[ x0 ][ y0 ] )	
<b>affine_merge_idx</b> [ x0 ][ y0 ]	ae(v)
else	
<b>merge_idx</b> [ x0 ][ y0 ]	ae(v)
}	
}	
}	
if( direct_mode_flag[ x0 ][ y0 ] == 0 && merge_mode_flag[ x0 ][ y0 ] == 0 ) {	
if( slice_type == B )	
<b>inter_pred_idc</b> [ x0 ][ y0 ]	ae(v)
if( sps_admvp_flag == 0 ) {	
if( inter_pred_idc[ x0 ][ y0 ] != PRED_L1 ) {	
if( num_ref_idx_active_minus1[ 0 ] > 0 )	
<b>ref_idx_l0</b> [ x0 ][ y0 ]	ae(v)
<b>mvp_idx_l0</b> [ x0 ][ y0 ]	ae(v)
<b>abs_mvd_l0</b> [ x0 ][ y0 ][ 0 ]	ae(v)
if( abs_mvd_l0[ x0 ][ y0 ][ 0 ] )	
<b>mvd_l0_sign_flag</b> [ x0 ][ y0 ][ 0 ]	ae(v)
<b>abs_mvd_l0</b> [ x0 ][ y0 ][ 1 ]	ae(v)
if( abs_mvd_l0[ x0 ][ y0 ][ 1 ] )	
<b>mvd_l0_sign_flag</b> [ x0 ][ y0 ][ 1 ]	ae(v)
}	
if( inter_pred_idc[ x0 ][ y0 ] != PRED_L0 ) {	
if( num_ref_idx_active_minus1[ 1 ] > 0 )	
<b>ref_idx_l1</b> [ x0 ][ y0 ]	ae(v)
<b>mvp_idx_l1</b> [ x0 ][ y0 ]	ae(v)
<b>abs_mvd_l1</b> [ x0 ][ y0 ][ 0 ]	ae(v)
if( abs_mvd_l1[ x0 ][ y0 ][ 0 ] )	
<b>mvd_l1_sign_flag</b> [ x0 ][ y0 ][ 0 ]	ae(v)
<b>abs_mvd_l1</b> [ x0 ][ y0 ][ 1 ]	ae(v)
if( abs_mvd_l1[ x0 ][ y0 ][ 1 ] )	
<b>mvd_l1_sign_flag</b> [ x0 ][ y0 ][ 1 ]	ae(v)
}	
}	
}	
} else if( sps_admvp_flag == 1 ) {	

if( sps_affine_flag && log2CbWidth >= 4 && log2CbHeight >= 4 && amvr_idx[ x0 ][ y0 ] = 0 )	
<b>affine_flag</b> [ x0 ][ y0 ]	ae(v)
if( affine_flag[ x0 ][ y0 ] ) {	
<b>affine_mode_flag</b> [ x0 ][ y0 ]	ae(v)
vertexNum = 1+ affine_flag[ x0 ][ y0 ] + affine_mode_flag[ x0 ][ y0 ]	
if( inter_pred_idc[ x0 ][ y0 ] != PRED_L1    inter_pred_idc[ x0 ][ y0 ] == PRED_BI ) {	
<b>ref_idx_l0</b> [ x0 ][ y0 ]	ae(v)
<b>affine_mvp_flag_l0</b> [ x0 ][ y0 ]	ae(v)
<b>affine_mvd_flag_l0</b> [ x0 ][ y0 ]	ae(v)
for( vertex = 0; vertex < vertexNum; vertex++ ) {	
if ( affine_mvd_flag_l0[ x0 ][ y0 ] ) {	
<b>abs_mvd_l0</b> [ x0 ][ y0 ][ vertex ][ 0 ]	ae(v)
if( abs_mvd_l0[ x0 ][ y0 ][ vertex ][ 0 ] )	
<b>mvd_l0_sign_flag</b> [ x0 ][ y0 ][ vertex ][ 0 ]	ae(v)
<b>abs_mvd_l0</b> [ x0 ][ y0 ][ vertex ][ 1 ]	ae(v)
if( abs_mvd_l0[ x0 ][ y0 ][ vertex ][ 1 ] )	
<b>mvd_l0_sign_flag</b> [ x0 ][ y0 ][ vertex ][ 1 ]	ae(v)
}	
}	
}	
if( inter_pred_idc[ x0 ][ y0 ] != PRED_L0    inter_pred_idc[ x0 ][ y0 ] == PRED_BI ) {	
<b>ref_idx_l1</b> [ x0 ][ y0 ]	ae(v)
<b>affine_mvp_flag_l1</b> [ x0 ][ y0 ]	ae(v)
<b>affine_mvd_flag_l1</b> [ x0 ][ y0 ]	ae(v)
for( vertex = 0; vertex < vertexNum; vertex++ ) {	
if( affine_mvd_flag_l1[ x0 ][ y0 ] ) {	
<b>abs_mvd_l1</b> [ x0 ][ y0 ][ vertex ][ 0 ]	ae(v)
if( abs_mvd_l1[ x0 ][ y0 ][ vertex ][ 0 ] )	
<b>mvd_l1_sign_flag</b> [ x0 ][ y0 ][ vertex ][ 0 ]	ae(v)
<b>abs_mvd_l1</b> [ x0 ][ y0 ][ vertex ][ 1 ]	ae(v)
if( abs_mvd_l1[ x0 ][ y0 ][ vertex ][ 1 ] )	
<b>mvd_l1_sign_flag</b> [ x0 ][ y0 ][ vertex ][ 1 ]	ae(v)
}	
}	
}	
}	
else {	
if( inter_pred_idc[ x0 ][ y0 ] == PRED_BI )	
<b>bi_pred_idx</b> [ x0 ][ y0 ]	ae(v)
if( inter_pred_idc[ x0 ][ y0 ] != PRED_L1 ) {	
if( num_ref_idx_active_minus1[ 0 ] > 0 && bi_pred_idx[ x0 ][ y0 ] == 0 )	
<b>ref_idx_l0</b> [ x0 ][ y0 ]	ae(v)

if( bi_pred_idx[ x0 ][ y0 ] != 1 ) {	
<b>abs_mvd_l0</b> [ x0 ][ y0 ][ 0 ]	ae(v)
if( abs_mvd_l0[ x0 ][ y0 ][ 0 ] )	
<b>mvd_l0_sign_flag</b> [ x0 ][ y0 ][ 0 ]	ae(v)
<b>abs_mvd_l0</b> [ x0 ][ y0 ][ 1 ]	ae(v)
if( abs_mvd_l0[ x0 ][ y0 ][ 1 ] )	
<b>mvd_l0_sign_flag</b> [ x0 ][ y0 ][ 1 ]	ae(v)
}	
}	
if( inter_pred_idc[ x0 ][ y0 ] != PRED_L0 ) {	
if( num_ref_idx_active_minus1[ 1 ] > 0 && bi_pred_idx[ x0 ][ y0 ] == 0 )	
<b>ref_idx_l1</b> [ x0 ][ y0 ]	ae(v)
if( bi_pred_idx[ x0 ][ y0 ] != 2 ) {	
<b>abs_mvd_l1</b> [ x0 ][ y0 ][ 0 ]	ae(v)
if( abs_mvd_l1[ x0 ][ y0 ][ 0 ] )	
<b>mvd_l1_sign_flag</b> [ x0 ][ y0 ][ 0 ]	ae(v)
<b>abs_mvd_l1</b> [ x0 ][ y0 ][ 1 ]	ae(v)
if( abs_mvd_l1[ x0 ][ y0 ][ 1 ] )	
<b>mvd_l1_sign_flag</b> [ x0 ][ y0 ][ 1 ]	ae(v)
}	
}	
}	
}	
if( CuPredMode != MODE_INTRA && merge_mode_flag[ x0 ][ y0 ] == 0 && treeType == SINGLE_TREE )	
<b>cbf_all</b> [ x0 ][ y0 ]	ae(v)
if( cbf_all[ x0 ][ y0 ] ) {	
isSplit = log2CbWidth > MaxTbLog2SizeY    log2CbHeight > MaxTbLog2SizeY	
log2TbWidth = log2CbWidth > MaxTbLog2SizeY ? MaxTbLog2SizeY : log2CbWidth	
log2TbHeight = log2CbHeight > MaxTbLog2SizeY ? MaxTbLog2SizeY : log2CbHeight	
transform_unit( x0, y0, log2TbWidth, log2TbHeight, isSplit, cuQpDeltaCode, treeType, CuPredMode )	
if( log2CbWidth > MaxTbLog2SizeY )	
transform_unit( x0 + ( 1 << log2TbWidth ), y0, log2TbWidth, log2TbHeight, isSplit, cuQpDeltaCode, treeType, CuPredMode )	
if( log2CbHeight > MaxTbLog2SizeY )	
transform_unit( x0, y0 + ( 1 << log2TbHeight ), log2TbWidth, log2TbHeight, isSplit, cuQpDeltaCode, treeType, CuPredMode )	
if( log2CbWidth > MaxTbLog2SizeY && log2CbHeight > MaxTbLog2SizeY )	
transform_unit( x0 + ( 1 << log2TbWidth ), y0 + ( 1 << log2TbHeight ), log2TbWidth, log2TbHeight, isSplit, cuQpDeltaCode, treeType, CuPredMode )	

}	
}	
}	

7.3.8.5 Transform unit syntax

	Descriptor
transform_unit( x0, y0, log2TbWidth, log2TbHeight, isSplit, cuQpDeltaCode, treeType, CuPredMode ) {	
if( treeType != DUAL_TREE_LUMA && ChromaArrayType != 0 ) {	
<b>cbf_cb</b>	ae(v)
<b>cbf_cr</b>	ae(v)
}	
if( ( isSplit    CuPredMode == MODE_INTRA    cbf_cb    cbf_cr ) && treeType != DUAL_TREE_CHROMA )	
<b>cbf_luma</b>	ae(v)
if( cu_qp_delta_enabled_flag && ( ( !sps_dquant_flag    (cuQpDeltaCode == 1 && isCuQpDeltaCoded == 0) ) && ( cbf_luma    cbf_cb    cbf_cr ) )    ( cuQpDeltaCode == 2 && isCuQpDeltaCoded == 0 ) ) {	
<b>cu_qp_delta_abs</b>	ae(v)
if( cu_qp_delta_abs > 0 )	
<b>cu_qp_delta_sign_flag</b>	
}	
if( CuPredMode == MODE_INTRA && sps_ats_flag && log2CbWidth <= 5 && log2CbHeight <= 5 && cbf_luma ) {	
<b>ats_cu_intra_flag[ x0 ][ y0 ]</b>	ae(v)
if( ats_cu_intra_flag[ x0 ][ y0 ] == 1 ) {	
<b>ats_hor_mode[ x0 ][ y0 ]</b>	ae(v)
<b>ats_ver_mode[ x0 ][ y0 ]</b>	ae(v)
}	
}	
if( CuPredMode == MODE_INTER && sps_ats_flag ) {	
if( ( allowAtsInterVerHalf    allowAtsInterVerQuad    allowAtsInterHorHalf    allowAtsInterHorQuad ) && ( cbf_cb    cbf_cr    cbf_luma ) )	
<b>ats_cu_inter_flag[ x0 ][ y0 ]</b>	ae(v)
if( ats_cu_inter_flag[ x0 ][ y0 ] ) {	
if( ( allowAtsInterVerHalf    allowAtsInterHorHalf ) && ( allowAtsInterVerQuad    allowAtsInterHorQuad ) )	
<b>ats_cu_inter_quad_flag[ x0 ][ y0 ]</b>	ae(v)
if( ( ats_cu_inter_quad_flag[ x0 ][ y0 ] && allowAtsInterVerQuad && allowAtsInterHorQuad )    ( !ats_cu_inter_quad_flag[ x0 ][ y0 ] && allowAtsInterVerHalf && allowAtsInterHorHalf ) ) {	
<b>ats_cu_inter_horizontal_flag[ x0 ][ y0 ]</b>	ae(v)
<b>ats_cu_inter_pos_flag[ x0 ][ y0 ]</b>	ae(v)
}	
}	
}	
if( ats_cu_inter_flag[ x0 ][ y0 ] ) {	
if( ats_cu_inter_horizontal_flag[ x0 ][ y0 ] ) {	

TrafoLog2Width = log2TbWidth - ( ats_cu_inter_quad_flag[ x0 ][ y0 ] ? 2 : 1 )	
TrafoLog2Height = log2TbHeight	
TrafoX0 = ats_cu_inter_pos_flag[ x0 ][ y0 ] ? 0 : ( 1 << log2TbWidth ) - ( 1 << TrafoLog2Width )	
TrafoY0 = 0	
} else {	
TrafoLog2Width = log2TbWidth	
TrafoLog2Height = log2TbHeight - ( ats_cu_inter_quad_flag[ x0 ][ y0 ] ? 2 : 1 )	
TrafoX0 = 0	
TrafoY0 = ats_cu_inter_pos_flag[ x0 ][ y0 ] ? 0 : ( 1 << log2TbHeight ) - ( 1 << TrafoLog2Height )	
}	
} else {	
TrafoX0 = 0	
TrafoY0 = 0	
TrafoLog2Width = log2TbWidth	
TrafoLog2Height = log2TbHeight	
}	
if( cbf_luma )	
residual_coding( x0 + TrafoX0, y0 + TrafoY0, TrafoLog2Width, TrafoLog2Height, 0 )	
if( cbf_cb )	
residual_coding( x0 + TrafoX0, y0 + TrafoY0, TrafoLog2Width - SubWidthC + 1, TrafoLog2Height - SubHeightC + 1, 1 )	
if( cbf_cr )	
residual_coding( x0 + TrafoX0, y0 + TrafoY0, TrafoLog2Width - SubWidthC + 1, TrafoLog2Height - SubHeightC + 1, 2 )	
}	

### 7.3.8.6 Residual coding syntax

	Descriptor
residual_coding( x0, y0, log2TbWidth, log2TbHeight, cIdx ) {	
if( sps_adcc_flag == 0 )	
residual_coding_rle( x0, y0, log2TbWidth, log2TbHeight, cIdx )	
else	
residual_coding_adv( x0, y0, log2TbWidth, log2TbHeight, cIdx )	
}	

7.3.8.7 Run-length residual coding syntax

	Descriptor
residual_coding_rle( x0, y0, log2TbWidth, log2TbHeight, cIdx ) {	
ScanPos = 0	
PrevLevel = 6	
do {	
<b>coeff_zero_run</b>	ae(v)
ScanPos += coeff_zero_run	
<b>coeff_abs_level_minus1</b>	ae(v)
<b>coeff_sign_flag</b>	ae(v)
Level = ( coeff_abs_level_minus1 + 1 ) * ( 1 - 2 * coeff_sign_flag )	
blkPos = ScanOrder[ log2TbWidth ][ log2TbHeight ][ ScanPos ]	
xC = blkPos & ( ( 1 << log2TbWidth ) - 1 )	
yC = blkPos >> log2TbWidth	
TransCoeffLevel[ x0 ][ y0 ][ cIdx ][ xC ][ yC ] = Level	
if( ScanPos < ( ( 1 << ( log2TbWidth + log2TbHeight ) ) - 1 ) )	
<b>coeff_last_flag</b>	ae(v)
PrevLevel = coeff_abs_level_minus1 + 1	
ScanPos++	
} while( coeff_last_flag == 0 && ScanPos < ( 1 << ( log2TbWidth + log2TbHeight ) ) )	
}	

7.3.8.8 Advanced residual coding syntax

	Descriptor
residual_coding_adv( x0, y0, log2TbWidth, log2TbHeight, cIdx ) {	
<b>last_sig_coeff_x_prefix</b>	ae(v)
<b>last_sig_coeff_y_prefix</b>	ae(v)
if( last_sig_coeff_x_prefix > 3 )	
<b>last_sig_coeff_x_suffix</b>	ae(v)
if( last_sig_coeff_y_prefix > 3 )	
<b>last_sig_coeff_y_suffix</b>	ae(v)
rasterPosLast = LastSignificantCoeffX + LastSignificantCoeffY * ( 1 << log2TbWidth )	
scanPosLast = InvScanOrder[ log2TbWidth ][ log2TbHeight ][ rasterPosLast ]	
lastCoefGroup = scanPosLast >> 4	
iPos = scanPosLast	
for( cgIdx = lastCoefGroup; cgIdx >= 0; cgIdx-- ) {	
escapeDataPresent = 0	
numNZ = 0	
subBlockPos = cgIdx << 4	
for( ; iPos >= subBlockPos; iPos-- ) {	
blkPos = ScanOrder[ log2TbWidth ][ log2TbHeight ][ iPos ]	
xC = blkPos & ( ( 1 << log2TbWidth ) - 1 )	
yC = blkPos >> log2TbWidth	
if( iPos != scanPosLast )	
<b>sig_coeff_flag</b> [ xC ][ yC ]	ae(v)

else	
sig_coeff_flag[ xC ][ yC ] = 1	
TransCoeffLevel[ x0 ][ y0 ][ cIdx ][ xC ][ yC ] = sig_coeff_flag[ xC ][ yC ]	
if( TransCoeffLevel[ x0 ][ y0 ][ cIdx ][ xC ][ yC ] ) {	
blkPosArray[ numNZ ] = blkPos	
numNZ++	
}	
}	
if( numNZ > 0 ) {	
lastGreaterAScanPos = -1	
numC1Flag = Min( numNZ, 8 )	
for( n = 0; n < numC1Flag; n++ ) {	
blkPos = blkPosArray[ n ]	
xC = blkPos & ( ( 1 << log2TbWidth ) - 1 )	
yC = blkPos >> log2TbWidth	
<b>coeff_abs_level_greaterA_flag[ n ]</b>	ae(v)
TransCoeffLevel[ x0 ][ y0 ][ cIdx ][ xC ][ yC ] += coeff_abs_level_greaterA_flag[ n ]	
if( coeff_abs_level_greaterA_flag[ n ] )	
if( lastGreaterAScanPos == -1 )	
lastGreaterAScanPos = n	
else	
escapeDataPresent = 1	
}	
if( lastGreaterAScanPos != -1 ) {	
blkPos = blkPosArray[ lastGreaterAScanPos ]	
xC = blkPos & ( ( 1 << log2TbWidth ) - 1 )	
yC = blkPos >> log2TbWidth	
<b>coeff_abs_level_greaterB_flag[ lastGreaterAScanPos ]</b>	ae(v)
TransCoeffLevel[ x0 ][ y0 ][ cIdx ][ xC ][ yC ] += coeff_abs_level_greaterB_flag[ lastGreaterAScanPos ]	
if( coeff_abs_level_greaterB_flag[ lastGreaterAScanPos ] )	
escapeDataPresent = 1	
}	
escapeDataPresent = escapeDataPresent    ( numNZ > 8 )	
countFirstBCoef = 1	
if( escapeDataPresent ) {	
for( n = 0; n < numNZ; n++ ) {	
blkPos = blkPosArray[ n ]	
xC = blkPos & ( ( 1 << log2TbWidth ) - 1 )	
yC = blkPos >> log2TbWidth	
baseLevel = ( n < 8 ) ? ( 2 + countFirstBCoef ) : 1	
if( TransCoeffLevel[ x0 ][ y0 ][ cIdx ][ xC ][ yC ] >= baseLevel ) {	
<b>coeff_abs_level_remaining[ n ]</b>	ae(v)
TransCoeffLevel[ x0 ][ y0 ][ cIdx ][ xC ][ yC ] = baseLevel + coeff_abs_level_remaining	

}	
if( TransCoeffLevel[ x0 ][ y0 ][ cIdx ][ xC ][ yC ] >= 2 )	
countFirstBCoef = 0	
}	
}	
<b>coeff_signs_group</b>	ae(v)
coeff_signs_group = coeff_signs_group << ( 32 - numNZ )	
for( n = 0; n < numNZ; n++ ) {	
blkPos = blkPosArray[ n ]	
xC = blkPos & ( ( 1 << log2TbWidth ) - 1 )	
yC = blkPos >> log2TbWidth	
signVal = coeff_signs_group >> 31	
coeff_signs_group = coeff_signs_group << 1	
TransCoeffLevel[ x0 ][ y0 ][ cIdx ][ xC ][ yC ] = signVal > 0 ? -TransCoeffLevel[ x0 ][ y0 ][ cIdx ][ xC ][ yC ] : TransCoeffLevel[ x0 ][ y0 ][ cIdx ][ xC ][ yC ]	
}	
}	
}	
}	

## 7.4 Semantics

### 7.4.1 General

Semantics associated with the syntax structures and with the syntax elements within these structures are specified in this subclause. When the semantics of a syntax element is specified using a table or a set of tables, any values that are not specified in the table(s) shall not be present in the bitstream unless otherwise specified in this document.

### 7.4.2 NAL unit semantics

#### 7.4.2.1 General NAL unit semantics

NumBytesInNalUnit specifies the size of the NAL unit in bytes. This value is required for the decoding of the NAL unit. Some form of demarcation of NAL unit boundaries is necessary to enable inference of NumBytesInNalUnit. One such demarcation method is specified in Annex B for the raw bitstream file storage format. Other methods of demarcation may be specified outside of this document.

NOTE The video coding layer (VCL) is specified to efficiently represent the content of the video data. The NAL is specified to format that data and provide header information in a manner appropriate for conveyance on a variety of communication channels or storage media. All data are contained in NAL units, each of which contains an integer number of bytes. A NAL unit specifies a generic format for use in both packet-oriented and bitstream systems. The format of NAL units for both packet-oriented transport and raw bitstream is identical except that each NAL unit is preceded by a NAL unit length field in the raw bitstream file storage format specified in Annex B.

**rbsp\_byte[ i ]** is the i-th byte of an RBSP. An RBSP is specified as an ordered sequence of bytes.

The RBSP contains a string of data bits (SODB) as follows:

- If the SODB is empty (i.e., zero bits in length), the RBSP is also empty.
- Otherwise, the RBSP contains the SODB as follows:
  - 1) The first byte of the RBSP contains the most significant, left-most eight bits of the SODB; the next byte of the RBSP contains the next eight bits of the SODB, etc., until fewer than eight bits of the SODB remain.
  - 2) `rbsp_trailing_bits( )` are present after the SODB as follows:
    - i) The first (most significant, left-most) bits of the final RBSP byte contain the remaining bits of the SODB (if any).
    - ii) The next bit consists of a single `rbsp_stop_one_bit` equal to 1.
    - iii) When the `rbsp_stop_one_bit` is not the last bit of a byte-aligned byte, one or more `rbsp_alignment_zero_bit` is present to result in byte alignment.
  - 3) One or more `cabac_zero_word` 16-bit syntax elements equal to 0x0000 may be present in some RBSPs after the `rbsp_trailing_bits( )` at the end of the RBSP.

Syntax structures having these RBSP properties are denoted in the syntax tables using an "\_rbsp" suffix. These structures are carried within NAL units as the content of the `rbsp_byte[ i ]` data bytes. The association of the RBSP syntax structures to the NAL units is as specified in Table 4.

NOTE When the boundaries of the RBSP are known, the decoder can extract the SODB from the RBSP by concatenating the bits of the bytes of the RBSP and discarding the `rbsp_stop_one_bit`, which is the last (least significant, right-most) bit equal to 1, and discarding any following (less significant, farther to the right) bits that follow it, which are equal to 0. The data necessary for the decoding process is contained in the SODB part of the RBSP.

#### 7.4.2.2 NAL unit header semantics

**forbidden\_zero\_bit** shall be equal to 0.

**nal\_unit\_type\_plus1** minus 1 specifies the type of RBSP data structure contained in the NAL unit as specified in Table 4. The value of `nal_unit_type_plus1` shall not be equal to 0. The variable `NalUnitType` is derived as follows:

$$\text{NalUnitType} = \text{nal\_unit\_type\_plus1} - 1 \quad (35)$$

**Table 4 — NAL unit type codes and NAL unit type classes**

NalUnitType	Name of NalUnitType	Content of NAL unit and RBSP syntax structure	NAL unit type class
0	NONIDR_NUT	Coded slice of a non-IDR picture <code>slice_layer_rbsp( )</code>	VCL
1	IDR_NUT	Coded slice of an IDR picture <code>slice_layer_rbsp( )</code>	VCL

NalUnitType	Name of NalUnitType	Content of NAL unit and RBSP syntax structure	NAL unit type class
2-23	RSV_VCL_NUT02.. RSV_VCL_NUT23	Reserved VCL NAL Units	VCL
24	SPS_NUT	SPS seq_parameter_set_rbsp( )	non-VCL
25	PPS_NUT	PPS pic_parameter_set_rbsp( )	non-VCL
26	APS_NUT	Adaptation parameter set adaptation_parameter_set_rbsp( )	non-VCL
27	FD_NUT	Filler data filler_data_rbsp( )	non-VCL
28	SEI_NUT	Supplemental enhancement information sei_rbsp( )	non-VCL
29-55	RSV_NONVCL29.. RSV_NONVCL55	Reserved	non-VCL
56-62	UNSPEC_NUT56.. UNSPEC_NUT62	Unspecified	non-VCL

**nuh\_temporal\_id** specifies a temporal identifier for the NAL unit.

The variable TemporalId is derived as follows:

$$\text{TemporalId} = \text{nuh\_temporal\_id} \tag{36}$$

When NalUnitType is equal to IDR\_NUT, the coded slice belongs to an IDR picture, TemporalId shall be equal to 0.

The value of TemporalId shall be the same for all VCL NAL units of an access unit. The value of TemporalId of a coded picture or an access unit is the value of the TemporalId of the VCL NAL units of the coded picture or the access unit.

The value of TemporalId for non-VCL NAL units is constrained as follows:

- If NalUnitType is equal to SPS\_NUT, TemporalId shall be equal to 0 and the TemporalId of the access unit containing the NAL unit shall be equal to 0.
- Otherwise, TemporalId shall be greater than or equal to the TemporalId of the access unit containing the NAL unit.

NOTE When the NAL unit is a non-VCL NAL unit, the value of TemporalId is equal to the minimum value of the TemporalId values of all access units to which the non-VCL NAL unit applies. When NalUnitType is equal to PPS\_NUT, or APS\_NUT, TemporalId can be greater than or equal to the TemporalId of the containing access unit, as all PPSs or APSSs can be included at the beginning of a bitstream, wherein the first coded picture has TemporalId equal to 0. When NalUnitType is equal to SEI\_NUT, TemporalId can be greater than or equal to the TemporalId of the containing access unit, as an SEI NAL unit can contain information that applies to a bitstream subset that includes access units for which the TemporalId values are greater than the TemporalId of the access unit containing the SEI NAL unit.

**nuh\_reserved\_zero\_5bits** shall be equal to 0 in bitstreams conforming to this version of this document. Values of nuh\_reserved\_zero\_5bits greater than 0 are reserved for future use by ISO/IEC. Decoders

conforming to a profile specified in Annex A shall ignore (i.e., remove from the bitstream and discard) all NAL units with values of `nuh_reserved_zero_5bits` greater than 0.

**nuh\_extension\_flag** shall be equal to 0 in bitstreams conforming to this version of this document. Value of `nuh_extesion_flag` equal to 1 is reserved for future use by ISO/IEC. Decoders conforming to a profile specified in Annex A shall ignore (i.e., remove from the bitstream and discard) all NAL units with values of `nuh_extension_flag` equal to 1.

### 7.4.2.3 Order of NAL units and association to coded pictures, access units, and coded video sequences

#### 7.4.2.3.1 General

This subclause specifies constraints on the order of NAL units in the bitstream.

Any order of NAL units in the bitstream obeying these constraints is referred to in the text as the decoding order of NAL units. Within a NAL unit, the syntax in subclauses 7.3.1, D.2, E.2 and specifies the decoding order of syntax elements. Decoders shall be capable of receiving NAL units and their syntax elements in decoding order.

#### 7.4.2.3.2 Order of access units and association to CVSs

A bitstream conforming to this document consists of one or more CVSs.

A CVS consists of one or more access units. The order of NAL units and coded pictures and their association to access units is described in subclause 7.4.2.3.3.

The first access unit of a CVS is an IDR access unit.

#### 7.4.2.3.3 Order of NAL units and coded pictures and their association to access units

This subclause specifies the order of NAL units and coded pictures and their association to access units for CVSs that conform to one or more of the profiles specified in Annex A and that are decoded using the decoding process as specified in Clauses 2 through 9.

An access unit consists of one coded picture, and zero or more non-VCL NAL units.

The first access unit in the bitstream starts with the first NAL unit of the bitstream.

Let `firstVclNalUnitInAu` be a VCL NAL unit that is the first VCL NAL unit of a coded picture and for which the derived `PicOrderCntVal` differs from the `PicOrderCntVal` of the previous coded picture. The first of any of the following NAL units preceding `firstVclNalUnitInAu` and succeeding the last VCL NAL unit of the previous coded picture preceding `firstVclNalUnitInAu`, if any, specifies the start of a new access unit:

- SPS NAL unit (when present),
- PPS NAL unit (when present),
- APS NAL unit (when present),
- SEI NAL unit (when present),
- NAL units with `NalUnitType` in the range of `RSV_NONVCL29..RSV_NONVCL55` (when present),
- NAL units with `NalUnitType` in the range of `UNSPEC_NUT56..UNSPEC_NUT62` (when present).

NOTE The first NAL unit preceding `firstVclNalUnitInAu` and succeeding the last VCL NAL unit of the previous coded picture preceding `firstVclNalUnitInAu`, if any, can only be one of the above-listed NAL units.

When there is none of the above NAL units preceding `firstVclNalUnitInAu` and succeeding the last VCL NAL unit of the previous coded picture preceding `firstVclNalUnitInAu`, if any, `firstVclNalUnitInAu` starts a new access unit.

The order of the coded pictures and non-VCL NAL units within an access unit shall obey the following constraints:

- When any SPS NAL units, PPS NAL units, APS NAL units, SEI NAL units, NAL units with `NalUnitType` in the range of `RSV_NONVCL29..RSV_NONVCL55`, or NAL units with `NalUnitType` in the range of `UNSPEC_NUT56..UNSPEC_NUT62` are present in an access unit, they shall not follow the last VCL NAL unit of the access unit.
- NAL units having `NalUnitType` equal to `FD_NUT` in an access unit shall not precede the first VCL NAL unit of the access unit.

### 7.4.3 Raw byte sequence payloads, trailing bits and byte alignment semantics

#### 7.4.3.1 SPS RBSP semantics

**`sps_seq_parameter_set_id`** provides an identifier for the SPS for reference by other syntax elements. The value of `sps_seq_parameter_set_id` shall be in the range of 0 to 15, inclusive.

**`profile_idc`** indicates a profile to which the CVS conforms as specified in Annex A. Bitstreams shall not contain values of `profile_idc` other than those specified in Annex A. Other values of `profile_idc` are reserved for future use by ISO/IEC.

**`level_idc`** indicates a level to which the CVS conforms as specified in Annex A. Bitstreams shall not contain values of `level_idc` other than those specified in Annex A. Other values of `level_idc` are reserved for future use by ISO/IEC.

NOTE 1 A greater value of `level_idc` indicates a higher level.

NOTE 2 When the coded video sequence conforms to multiple profiles, `profile_idc` must indicate the profile that provides the preferred decoded result or the preferred bitstream identification, as determined by the encoder (in a manner not specified in this document).

**`toolset_idc_h`** indicates set of constraints to which the CVS conforms as specified in Annex A.

If a particular bit in syntax element `toolset_idc_h` is equal to 0, the corresponding, as per Annex A, SPS flag shall be equal to 0.

Otherwise, when the bit value in syntax element `toolset_idc_h` is equal to 1, the corresponding, as per Annex A, SPS flag value is not constrained.

**`toolset_idc_l`** indicates set of constraints to which the CVS conforms as specified in Annex A.

If a particular bit in syntax element `toolset_idc_l` is equal to 1, the corresponding, as per Annex A, SPS flag shall be equal to 1.

Otherwise, when the bit value in syntax element `toolset_idc_l` is equal to 0, the corresponding, as per Annex A, SPS flag value is not constrained.

The value of `toolset_idc_l` shall satisfy the following constraint:

— The value of ( toolset\_idc\_l | toolset\_idc\_h ) shall be equal to toolset\_idc\_h.

**chroma\_format\_idc** specifies the chroma sampling relative to the luma sampling as specified in subclause 6.2. The value of chroma\_format\_idc shall be in the range of 0 to 3, inclusive.

Depending on the value of chroma\_format\_idc, the value of the variables SubWidthC, and SubHeightC are assigned as specified in subclause 6.2 and the variable ChromaArrayType is set equal to chroma\_format\_idc.

**pic\_width\_in\_luma\_samples** specifies the width of each decoded picture in units of luma samples. pic\_width\_in\_luma\_samples shall not be equal to 0 and shall be an integer multiple of  $\text{Max}(\text{MinCbSizeY}, 8)$ .

**pic\_height\_in\_luma\_samples** specifies the height of each decoded picture in units of luma samples. pic\_height\_in\_luma\_samples shall not be equal to 0 and shall be an integer multiple of  $\text{Max}(\text{MinCbSizeY}, 8)$ .

**bit\_depth\_luma\_minus8** specifies the bit depth of the samples of the luma array  $\text{BitDepth}_Y$  and the value of the luma quantization parameter range offset  $\text{QpBdOffset}_Y$  as follows:

$$\text{BitDepth}_Y = 8 + \text{bit\_depth\_luma\_minus8} \quad (37)$$

$$\text{QpBdOffset}_Y = 6 * \text{bit\_depth\_luma\_minus8} \quad (38)$$

bit\_depth\_luma\_minus8 shall be in the range of 0 to 8, inclusive.

**bit\_depth\_chroma\_minus8** specifies the bit depth of the samples of the chroma arrays  $\text{BitDepth}_C$  and the value of the chroma quantization parameter range offset  $\text{QpBdOffset}_C$  as follows:

$$\text{BitDepth}_C = 8 + \text{bit\_depth\_chroma\_minus8} \quad (39)$$

$$\text{QpBdOffset}_C = 6 * \text{bit\_depth\_chroma\_minus8} \quad (40)$$

bit\_depth\_chroma\_minus8 shall be in the range of 0 to 8, inclusive.

**sps\_btt\_flag** equal to 1 specifies that the binary and ternary splits are used. sps\_btt\_flag equal to 0 specifies that the binary and ternary splits are not used and the quad split is only used.

**log2\_ctu\_size\_minus5** plus 5 specifies the luma coding tree block size of each CTU. When log2\_ctu\_size\_minus5 is not present, the value of log2\_ctu\_size\_minus5 is inferred to be equal to 1. The value of log2\_ctu\_size\_minus5 shall be in the range of 0 to 2, inclusive.

The variables CtbLog2SizeY, CtbSizeY, PicWidthInCtbsY, PicHeightInCtbsY, PicSizeInCtbsY, PicSizeInSamplesY, PicWidthInSamplesC, and PicHeightInSamplesC are derived as follows:

$$\text{CtbLog2SizeY} = \text{log2\_ctu\_size\_minus5} + 5 \quad (41)$$

$$\text{CtbSizeY} = 1 \ll \text{CtbLog2SizeY} \quad (42)$$

$$\text{MaxCbLog2Size11Ratio} = \text{CtbLog2SizeY} \quad (43)$$

$$\text{MaxCbLog2Size12Ratio} = \text{MaxCbLog2Size11Ratio} \quad (44)$$

$$\text{PicWidthInCtbsY} = \text{Ceil}(\text{pic\_width\_in\_luma\_samples} \div \text{CtbSizeY}) \quad (45)$$

$$\text{PicHeightInCtbsY} = \text{Ceil}(\text{pic\_height\_in\_luma\_samples} \div \text{CtbSizeY}) \quad (46)$$

$$\text{PicSizeInCtbsY} = \text{PicWidthInCtbsY} * \text{PicHeightInCtbsY} \quad (47)$$

$$\text{PicSizeInSamplesY} = \text{pic\_width\_in\_luma\_samples} * \text{pic\_height\_in\_luma\_samples} \quad (48)$$

$$\text{PicWidthInSamplesC} = \text{pic\_width\_in\_luma\_samples} / \text{SubWidthC} \quad (49)$$

$$\text{PicHeightInSamplesC} = \text{pic\_height\_in\_luma\_samples} / \text{SubHeightC} \quad (50)$$

The variables MaxTbLog2SizeY, MinTbLog2SizeY, MaxTbSizeY, and MinTbSizeY are derived as follows:

$$\text{MaxTbLog2SizeY} = 6 \quad (51)$$

$$\text{MinTbLog2SizeY} = 2 \quad (52)$$

$$\text{MaxTbSizeY} = 1 \ll \text{MaxTbLog2SizeY} \quad (53)$$

$$\text{MinTbSizeY} = 1 \ll \text{MinTbLog2SizeY} \quad (54)$$

The variables CtbWidthC and CtbHeightC, which specify the width and height, respectively, of the array for each chroma CTB, are derived as follows:

- If chroma\_format\_idc is equal to 0 (monochrome), CtbWidthC and CtbHeightC are both equal to 0.
- Otherwise, CtbWidthC and CtbHeightC are derived as follows:

$$\text{CtbWidthC} = \text{CtbSizeY} / \text{SubWidthC} \quad (55)$$

$$\text{CtbHeightC} = \text{CtbSizeY} / \text{SubHeightC} \quad (56)$$

**log2\_min\_cb\_size\_minus2** plus 2 specifies the minimum coding block size. When log2\_min\_cb\_size\_minus2 is not present, it is inferred to be equal to 0. The value of log2\_min\_cb\_size\_minus2 shall be in the range of 0 to CtbLog2SizeY - 2, inclusive.

The variables MinCbLog2SizeY, MinCbSizeY, PicWidthInMinCbsY, PicHeightInMinCbsY, PicSizeInMinCbsY, MinCbLog2Size11Ratio, MinCbLog2Size12Ratio, and MinCbLog2Size14Ratio are derived as follows:

$$\text{MinCbLog2SizeY} = 2 + \text{log2\_min\_cb\_size\_minus2} \quad (57)$$

$$\text{MinCbSizeY} = 1 \ll \text{MinCbLog2SizeY} \quad (58)$$

$$\text{PicWidthInMinCbsY} = \text{pic\_width\_in\_luma\_samples} / \text{MinCbSizeY} \quad (59)$$

$$\text{PicHeightInMinCbsY} = \text{pic\_height\_in\_luma\_samples} / \text{MinCbSizeY} \quad (60)$$

$$\text{PicSizeInMinCbsY} = \text{PicWidthInMinCbsY} * \text{PicHeightInMinCbsY} \quad (61)$$

$$\text{MinCbLog2Size11Ratio} = \text{MinCbLog2SizeY} \quad (62)$$

$$\text{MinCbLog2Size12Ratio} = \text{MinCbLog2Size11Ratio} + 1 \quad (63)$$

$$\text{MinCbLog2Size14Ratio} = \text{MinCbLog2Size12Ratio} + 1 \quad (64)$$

**log2\_diff\_ctu\_max\_14\_cb\_size** specifies the difference between the luma coding tree block size and the maximum coding block size in which its width and height ratio is equal to or greater than 1:4 or 4:1. When **log2\_diff\_ctu\_max\_14\_cb\_size** is not present, it is inferred to be equal to 0. The value of **log2\_diff\_ctu\_max\_14\_cb\_size** shall be in the range of 0 to  $\text{CtbLog2SizeY} - \text{MinCbLog2Size14Ratio} + 1$ , inclusive.

The variable **MaxCbLog2Size14Ratio** is derived as follows:

$$\text{MaxCbLog2Size14Ratio} = \text{Min}(\text{CtbLog2SizeY} - \text{log2\_diff\_ctu\_max\_14\_cb\_size}, \text{MaxTbLog2SizeY}) \quad (65)$$

**log2\_diff\_ctu\_max\_tt\_cb\_size** specifies the difference between the luma coding tree block size and the maximum coding block size allowing ternary tree split. When **log2\_diff\_ctu\_max\_tt\_cb\_size** is not present, it is inferred to be equal to 0. The value of **log2\_diff\_ctu\_max\_tt\_cb\_size** shall be in the range of 0 to  $\text{CtbLog2SizeY} - \text{MinCbLog2Size14Ratio}$ , inclusive.

The variable **MaxTtLog2Size** is derived as follows:

$$\text{MaxTtLog2Size} = \text{Min}(\text{CtbLog2SizeY} - \text{log2\_diff\_ctu\_max\_tt\_cb\_size}, \text{MaxTbLog2SizeY}) \quad (66)$$

**log2\_diff\_min\_cb\_min\_tt\_cb\_size\_minus2** plus 2 specifies the difference between the minimum coding block size and the minimum coding block size allowing ternary tree split. When **log2\_diff\_min\_cb\_min\_tt\_cb\_size\_minus2** is not present, it is inferred to be equal to 0. The value of **log2\_diff\_min\_cb\_min\_tt\_cb\_size\_minus2** shall be in the range of 0 to  $\text{MaxTtLog2Size} - \text{MinCbLog2SizeY} - 1$ , inclusive.

The variable **MinTtLog2Size** is derived as follows:

$$\text{MinTtLog2Size} = \text{MinCbLog2SizeY} + 2 + \text{log2\_diff\_min\_cb\_min\_tt\_cb\_size\_minus2} \quad (67)$$

**sps\_suco\_flag** equal to 1 specifies that the split unit coding ordering is used. **sps\_suco\_flag** equal to 0 specifies that the split unit coding ordering is not used.

**log2\_diff\_ctu\_size\_max\_suco\_cb\_size** specifies the difference between the luma coding tree block size and the maximum coding block size allowing split unit coding order. When **log2\_diff\_ctu\_size\_max\_suco\_cb\_size** is not present, it is inferred to be equal to  $\text{CtbLog2SizeY} - \text{MinCbLog2SizeY}$ . The value of **log2\_diff\_ctu\_size\_max\_suco\_cb\_size** shall be in the range of 0 to  $\text{CtbLog2SizeY} - \text{MinCbLog2SizeY}$ , inclusive.

The variable **MaxSucoLog2Size** is derived as follows:

$$\text{MaxSucoLog2Size} = \text{Min}(\text{CtbLog2SizeY} - \text{log2\_diff\_ctu\_size\_max\_suco\_cb\_size}, 6) \quad (68)$$

**log2\_diff\_max\_suco\_min\_suco\_cb\_size** specifies the difference between the maximum coding block size allowing split unit coding order and the minimum coding block size allowing split unit coding order. When **log2\_diff\_max\_suco\_min\_suco\_cb\_size** is not present, it is inferred to be equal to 0. The value of **log2\_diff\_max\_suco\_min\_suco\_cb\_size** shall be in the range of 0 to  $\text{MaxSucoLog2Size} - \text{MinCbLog2SizeY}$ , inclusive.

The variable **MinSucoLog2Size** is derived as follows:

$$\text{MinSucoLog2Size} = \text{Max}(\text{MaxSucoLog2Size} - \text{log2\_diff\_max\_suco\_min\_suco\_cb\_size}, \text{Max}(4, \text{MinCbLog2SizeY})) \quad (69)$$

**sps\_admvp\_flag** equal to 1 specifies that the advanced motion vector prediction, signalling and interpolation are used. **sps\_admvp\_flag** equal to 0 specifies that the advanced motion vector prediction, signalling and interpolation are not used.

**sps\_affine\_flag** equal to 1 specifies that the affine model based motion compensation can be used for inter prediction. **sps\_affine\_flag** equal to 0 specifies that the syntax shall be constrained such that no affine model based motion compensation is used in the CVS, and **affine\_flag**, **affine\_merge\_idx** and **affine\_mode\_flag** are not present in the coding unit syntax of the CVS. When **sps\_affine\_flag** is not present, it is inferred to be equal to 0.

**sps\_amvr\_flag** equal to 1 specifies that the adaptive motion vector resolution is used. **sps\_amvr\_flag** equal to 0 specifies that the adaptive motion vector resolution is not used. When **sps\_amvr\_flag** is not present, it is inferred to be equal to 0.

**sps\_dmvr\_flag** equal to 1 specifies that decoder-side motion vector refinement can be used. **sps\_dmvr\_flag** equal to 0 specifies that decoder-side motion vector refinement is not used. When **sps\_dmvr\_flag** is not presented, it is inferred to be equal to 0.

**sps\_mmvd\_flag** equal to 1 specifies that MMVD can be used. **sps\_mmvd\_flag** equal to 0 specifies that MMVD is not used. When **sps\_mmvd\_flag** is not present, it is inferred to be equal to 0.

**sps\_hmvp\_flag** equal to 1 specifies that HMVP can be used. **sps\_hmvp\_flag** equal to 0 specifies that HMVP is not used. When **sps\_hmvp\_flag** is not present, it is inferred to be equal to 0.

**sps\_eipd\_flag** equal to 1 specifies that the extended intra prediction modes are used. **sps\_eipd\_flag** equal to 0 specifies that the extended intra prediction modes are not used.

**sps\_ibc\_flag** equal to 1 specifies that the intra block copy can be used. **sps\_ibc\_flag** equal to 0 specifies that the intra block copy is not used. When **sps\_ibc\_flag** is not present, it is inferred to be equal to 0.

**log2\_max\_ibc\_cand\_size\_minus2** plus 2 specifies the maximum block size of the intra block copy mode as follows:

$$\text{log2MaxIbcCandSize} = 2 + \text{log2\_max\_ibc\_cand\_size\_minus2} \quad (70)$$

**log2\_max\_ibc\_cand\_size\_minus2** shall be in the range of 0 to 4, inclusive.

**sps\_cm\_init\_flag** equal to 1 specifies that the context modeling and initialization processes are used. **sps\_cm\_init\_flag** equal to 0 specifies that the context modeling and initialization processes are not used.

**sps\_adcc\_flag** equal to 1 specifies that the advanced residual coding specified in subclause 7.3.8.8 is used. **sps\_adcc\_flag** equal to 0 specifies that the run-length residual coding specified in subclause 7.3.8.7 is used. When **sps\_adcc\_flag** is not presented, it is inferred to be equal to 0.

For **log2TbWidth** ranging from 1 to **MaxTbLog2SizeY**, inclusive, and **log2TbHeight** ranging from 1 to **MaxTbLog2SizeY**, inclusive, the array **ScanOrder[ sPos ]** specifies the mapping of the zig-zag scan position **sPos**, ranging from 0 to  $(1 \ll \text{log2TbHeight}) * (1 \ll \text{log2TbWidth}) - 1$ , inclusive to a raster scan position **rPos**. The array **InvScanOrder[ rPos ]** specifies the mapping of the raster scan position **rPos**, ranging from 0 to  $(1 \ll \text{log2TbHeight}) * (1 \ll \text{log2TbWidth}) - 1$ , inclusive to a the zig-zag scan position **sPos**.

For **log2TbWidth** ranging from 1 to **MaxTbLog2SizeY**, inclusive, and **log2TbHeight** ranging from 1 to **MaxTbLog2SizeY**, inclusive, the array **ScanOrder** is derived by invoking subclause 6.5.2 with input parameters **blkWidth** equal to  $(1 \ll \text{log2TbWidth})$  and **blkHeight** equal to  $(1 \ll \text{log2TbHeight})$  and the array **InvScanOrder** is derived by invoking subclause 6.5.3 with input parameters **blkWidth** equal to  $(1 \ll \text{log2TbWidth})$  and **blkHeight** equal to  $(1 \ll \text{log2TbHeight})$ .

**sps\_iqt\_flag** equal to 1 specifies that the improved quantization and transform are used. **sps\_iqt\_flag** equal to 0 specifies that the improved quantization and transform are not used.

**sps\_ats\_flag** equal to 1 specifies that `ats_cu_intra_flag` and `ats_cu_inter_flag` may be present in the residual coding syntax of the CVS. `sps_ats_flag` equal to 0 specifies that `ats_cu_intra_flag` and `ats_cu_inter_flag` are not present in the residual coding syntax of the CVS. When not present, the value of `sps_ats_flag` is inferred to be equal to 0.

**sps\_addb\_flag** equal to 1 specifies that the advanced deblocking filter specified in subclause 8.8.3 can be applied. `sps_addb_flag` equal to 0 specifies that the deblocking filter specified in subclause 8.8.2 can be applied.

**sps\_alf\_flag** equal to 1 specifies that the adaptive loop filter can be applied. `sps_alf_flag` equal to 0 specifies that the adaptive loop filter is not applied.

**sps\_htdf\_flag** equal to 1 specifies that the hadamard transform domain filter can be applied. `sps_htdf_flag` equal to 0 specifies that the hadamard transform domain filter is not applied.

**sps\_rpl\_flag** equal to 1 specifies that syntax related to reference picture lists is present. `sps_rpl_flag` equal to 0 specifies that syntax related to reference picture lists is not present.

**sps\_pocs\_flag** equal to 1 specifies that syntax related to picture order count is present. `sps_pocs_flag` equal to 0 specifies that syntax related to picture order count is not present.

**sps\_dquant\_flag** equal to 1 specifies that the improved delta qp signalling processes is used. `sps_dquant_flag` equal to 0 specifies that the improved delta qp signalling process is not used. `sps_dquant_flag` shall be equal to 0 when both `sps_btt_flag` and `sps_admvp_flag` are equal to 0.

**sps\_dra\_flag** equal to 1 specifies that the dynamic range adjustment mapping on output samples can be used. `sps_dra_flag` equal to 0 specifies that dynamic range adjustment mapping on output samples is not used.

**log2\_max\_pic\_order\_cnt\_lsb\_minus4** specifies the value of the variable `MaxPicOrderCntLsb` that is used in the decoding process for picture order count as follows:

$$\text{MaxPicOrderCntLsb} = 2^{(\text{log2\_max\_pic\_order\_cnt\_lsb\_minus4} + 4)} \quad (71)$$

The value of `log2_max_pic_order_cnt_lsb_minus4` shall be in the range of 0 to 12, inclusive. When not present, the value of `log2_max_pic_order_cnt_lsb_minus4` is inferred to be equal to 0.

**log2\_sub\_gop\_length**, when present, specifies the value of the variable `SubGopLength` that is used in the decoding process for picture order count as follows:

$$\text{SubGopLength} = 2^{(\text{log2\_sub\_gop\_length})} \quad (72)$$

The value of `log2_sub_gop_length` shall be in the range of 0 to 5, inclusive. When not present, the value of `log2_sub_gop_length` is inferred to be equal to 0.

**log2\_ref\_pic\_gap\_length**, when present, specifies the value of the variable `RefPicGapLength` that is used in the decoding process for reference picture marking as follows:

$$\text{RefPicGapLength} = 2^{(\text{log2\_ref\_pic\_gap\_length})} \quad (73)$$

The value of `log2_ref_pic_gap_length` shall be in the range of 0 to 5, inclusive. When not present, the value of `log2_ref_pic_gap_length` is inferred to be equal to 0.

**sps\_max\_dec\_pic\_buffering\_minus1** plus 1 specifies the maximum required size of the decoded picture buffer for the CVS in units of picture storage buffers. The value of `sps_max_dec_pic_buffering_minus1` shall

be in the range of 0 to  $\text{MaxDpbSize} - 1$ , inclusive, where  $\text{MaxDpbSize}$  is as specified in subclause A.4. When not present, the value of  $\text{sps\_max\_dec\_pic\_buffering\_minus1}$  is inferred to be equal to  $\text{SubGopLength} + \text{max\_num\_tid0\_ref\_pics} - 1$ .

**max\_num\_tid0\_ref\_pics**, when  $\text{sps\_rpl\_flag}$  is equal to 0, specifies the maximum number of reference pictures in temporal layer 0 that may be used by the decoding process for inter prediction of any picture in the CVS. The value of  $\text{max\_num\_tid0\_ref\_pics}$  is also used to determine the size of the Decoded Picture Buffer. The value of  $\text{max\_num\_tid0\_ref\_pics}$  shall be in the range of 0 to 5. When not present, the value of  $\text{max\_num\_tid0\_ref\_pics}$  is inferred to be equal to 0.

**long\_term\_ref\_pics\_flag** equal to 0 specifies that no LTRP is used for inter prediction of any coded picture in the CVS.  $\text{long\_term\_ref\_pics\_flag}$  equal to 1 specifies that LTRPs may be used for inter prediction of one or more coded pictures in the CVS. When not present, the value of  $\text{long\_term\_ref\_pics\_flag}$  is inferred to be equal to 0.

**rpl1\_same\_as\_rpl0\_flag** equal to 1 specifies that the syntax structures  $\text{num\_ref\_pic\_lists\_in\_sps}[1]$  and  $\text{ref\_pic\_list\_struct}(1, \text{rplsIdx}, \text{ltrpFlag})$  are not present and the following applies:

- The value of  $\text{num\_ref\_pic\_lists\_in\_sps}[1]$  is inferred to be equal to the value of  $\text{num\_ref\_pic\_lists\_in\_sps}[0]$ .
- The value of each of syntax elements in  $\text{ref\_pic\_list\_struct}(1, \text{rplsIdx}, \text{ltrpFlag})$  is inferred to be equal to the value of corresponding syntax element in  $\text{ref\_pic\_list\_struct}(0, \text{rplsIdx}, \text{ltrpFlag})$  for  $\text{rplsIdx}$  ranging from 0 to  $\text{num\_ref\_pic\_lists\_in\_sps}[0] - 1$ .

**num\_ref\_pic\_lists\_in\_sps**[  $i$  ] specifies the number of the  $\text{ref\_pic\_list\_struct}(\text{listIdx}, \text{rplsIdx}, \text{ltrpFlag})$  syntax structures with  $\text{listIdx}$  equal to  $i$  included in the SPS. The value of  $\text{num\_ref\_pic\_lists\_in\_sps}[i]$  shall be in the range of 0 to 64, inclusive. When not present, the value of  $\text{num\_ref\_pic\_lists\_in\_sps}[i]$  is inferred to be equal to 0.

NOTE For each value of  $\text{listIdx}$  (equal to 0 or 1), a decoder must allocate memory for a total number of  $\text{num\_ref\_pic\_lists\_in\_sps}[i] + 1$   $\text{ref\_pic\_list\_struct}(\text{listIdx}, \text{rplsIdx}, \text{ltrpFlag})$  syntax structures since there can be one  $\text{ref\_pic\_list\_struct}(\text{listIdx}, \text{rplsIdx}, \text{ltrpFlag})$  syntax structure directly signalled in the slice headers of a current picture.

**picture\_cropping\_flag** equal to 1 specifies that the picture cropping offset parameters follow next in the SPS.  $\text{picture\_cropping\_flag}$  equal to 0 specifies that the picture cropping offset parameters are not present.

**picture\_crop\_left\_offset**, **picture\_crop\_right\_offset**, **picture\_crop\_top\_offset** and **picture\_crop\_bottom\_offset** specify the samples of pictures in the CVS that are output from the decoding process, in terms of a rectangular region specified in picture coordinates for output. When  $\text{picture\_cropping\_flag}$  is equal to 0, the value of  $\text{picture\_crop\_left\_offset}$ ,  $\text{picture\_crop\_right\_offset}$ ,  $\text{picture\_crop\_top\_offset}$  and  $\text{picture\_crop\_bottom\_offset}$  are inferred to be equal to 0. The conformance cropping window contains the luma samples with horizontal picture coordinates from  $\text{SubWidthC} * \text{picture\_crop\_left\_offset}$  to  $\text{picture\_width\_in\_luma\_samples} - (\text{SubWidthC} * \text{picture\_crop\_right\_offset} + 1)$  and vertical picture coordinates from  $\text{SubHeightC} * \text{picture\_crop\_top\_offset}$  to  $\text{picture\_height\_in\_luma\_samples} - (\text{SubHeightC} * \text{picture\_crop\_bottom\_offset} + 1)$ , inclusive.

The value of  $\text{SubWidthC} * (\text{picture\_crop\_left\_offset} + \text{picture\_crop\_right\_offset})$  shall be less than  $\text{picture\_width\_in\_luma\_samples}$ , and the value of  $\text{SubHeightC} * (\text{picture\_crop\_top\_offset} + \text{picture\_crop\_bottom\_offset})$  shall be less than  $\text{picture\_height\_in\_luma\_samples}$ .

When ChromaArrayType is not equal to 0, the corresponding specified samples of the two chroma arrays are the samples having picture coordinates (  $x / \text{SubWidthC}$ ,  $y / \text{SubHeightC}$  ), where (  $x, y$  ) are the picture coordinates of the specified luma samples.

**chroma\_qp\_table\_present\_flag** equal to 1 specifies that user defined chroma QP mapping tables ChromaQpTable are signalled. chroma\_qp\_table\_present\_flag equal to 0 specifies that user defined chroma QP mapping tables are not signalled and variable ChromaQpTable are initialized as follows:

- If ChromaArrayType is equal to 1, the following applies:
  - If sps\_iqt\_flag is equal to 0, the variables ChromaQpTable[  $m$  ][  $q_{Pi}$  ] with  $m$  being equal to 0 and 1, and  $q_{Pi}$  being in the range of  $-\text{QpBdOffset}_c$  to 57 are set equal to the value of  $Q_{Pc}$  as specified in Table 5 based on the index  $q_{Pi}$ .
  - Otherwise (sps\_iqt\_flag is equal to 1), the variables ChromaQpTable[  $m$  ][  $q_{Pi}$  ] with  $m$  equal to 0 and 1, and  $q_{Pi}$  being in the range of  $-\text{QpBdOffset}_c$  to 57 set equal to the value of  $Q_{Pc}$  as specified in Table 6 based on the index  $q_{Pi}$ .
- Otherwise, ChromaQpTable[  $m$  ][  $q_{Pi}$  ] with  $m$  being equal to 0 and 1, and  $q_{Pi}$  being in the range of  $-\text{QpBdOffset}_c$  to 57 are set equal to the value of  $q_{Pi}$ .

**Table 5 — Specification of  $Q_{Pc}$  as a function of  $q_{Pi}$  (sps\_iqt\_flag = = 0)**

<b>q<sub>Pi</sub></b>	< 30	30	31	32	33	34	35	36	37	38	39	40	41	42	43
<b>Q<sub>Pc</sub></b>	= q <sub>Pi</sub>	29	29	29	30	31	32	32	33	33	34	34	35	35	36
<b>q<sub>Pi</sub></b>	44	45	46	47	48	49	50	51	52	53	54	55	56	57	58
<b>Q<sub>Pc</sub></b>	36	36	37	37	37	38	38	39	39	40	40	40	41	41	41

**Table 6 — Specification of  $Q_{Pc}$  as a function of  $q_{Pi}$  (sps\_iqt\_flag = = 1)**

<b>q<sub>Pi</sub></b>	< 30	30	31	32	33	34	35	36	37	38	39	40	41	42	43	> 43
<b>Q<sub>Pc</sub></b>	= q <sub>Pi</sub>	29	30	31	32	33	34	35	36	37	37	38	39	40	40	= q <sub>Pi</sub> - 3

When not present, the value of chroma\_qp\_table\_present\_flag is inferred to be equal to 0.

**same\_qp\_table\_for\_chroma** equal to 1 specifies that only one chroma QP mapping table is signalled and applies to both Cb and Cr components. same\_qp\_table\_for\_chroma equal to 0 specifies that two chroma QP mapping tables for Cb and Cr respectively are signalled in the SPS.

**global\_offset\_flag** equal to 1 specifies that the first pivot point in the chroma QP mapping tables have an input coordinate of at least 16 and output coordinate of at least 16. global\_offset\_flag equal to 0 specifies that there are no restrictions on the first pivot point in the chroma QP mapping tables.

**num\_points\_in\_qp\_table\_minus1[  $i$  ]** plus 1 specifies the number of points used to describe the chroma QP mapping table. The value of num\_points\_in\_qp\_table\_minus1[  $i$  ] shall be in the range of 0 to  $57 + \text{QpBdOffset}_c - (\text{global\_offset\_flag} = = 1 ? 16 : 0)$ , inclusive.

**delta\_qp\_in\_val\_minus1[  $i$  ][  $j$  ]** plus 1 specifies a delta value used to derive the input coordinate of the  $j$ -th pivot point of the  $i$ -th chroma QP mapping table.

**delta\_qp\_out\_val[  $i$  ][  $j$  ]** specifies a delta value used to derive the output coordinate of the  $j$ -th pivot point of the  $i$ -th chroma QP mapping table.

The  $i$ -th chroma QP mapping tables  $\text{ChromaQpTable}[i]$  for  $i = 0..(\text{same\_qp\_table\_for\_chroma} ? 0 : 1)$  are derived as follows:

```

startQp = ( global_offset_flag == 1 ) ? 16 : -QpBdOffsetc
qpInVal[ i ][ 0 ] = startQp + delta_qp_in_val_minus1[ i ][ 0 ]
qpOutVal[ i ][ 0 ] = startQp + delta_qp_in_val_minus1[ i ][ 0 ] + delta_qp_out_val[ i ][ 0 ]
for( j = 1; j <= num_points_in_qp_table_minus1[ i ]; j++ ) {
    qpInVal[ i ][ j ] = qpInVal[ i ][ j - 1 ] + delta_qp_in_val_minus1[ i ][ j ] + 1
    qpOutVal[ i ][ j ] = qpOutVal[ i ][ j - 1 ] + ( delta_qp_in_val_minus1[ i ][ j ] + 1 -
        delta_qp_out_val[ i ][ j ]
    }
ChromaQpTable[ i ][ qpInVal[ i ][ 0 ] ] = qpOutVal[ i ][ 0 ]
for( k = qpInVal[ i ][ 0 ] - 1; k >= -QpBdOffsetc; k-- )
    ChromaQpTable[ i ][ k ] = Clip3( -QpBdOffsetc, 57, ChromaQpTable[ i ][ k + 1 ] - 1 )

for( j = 0; j < num_points_in_qp_table_minus1[ i ]; j++ ) {
    sh = ( delta_qp_in_val_minus1[ i ][ j + 1 ] + 1 ) >> 1
    for( k = qpInVal[ i ][ j ] + 1, m = 1; k <= qpInVal[ i ][ j + 1 ]; k++, m++ )
        ChromaQpTable[ i ][ k ] = ChromaQpTable[ i ][ qpInVal[ i ][ j ] ] +
            ( delta_qp_out_val[ i ][ j + 1 ] * m + sh ) / ( delta_qp_in_val_minus1[ i ][ j + 1 ] + 1 )
    }

for( k = qpInVal[ i ][ num_points_in_qp_table_minus1[ i ] ] + 1; k <= 57; k++ )
    ChromaQpTable[ i ][ k ] = Clip3( -QpBdOffsetc, 57, ChromaQpTable[ i ][ k - 1 ] + 1 )

```

When  $\text{same\_qp\_table\_for\_chroma}$  is equal to 1,  $\text{ChromaQpTable}[1][k]$  is set equal to  $\text{ChromaQpTable}[0][k]$  for  $k = -\text{QpBdOffset}_c..57$ .

The values of  $\text{qpInVal}[i][j]$  and  $\text{qpOutVal}[i][j]$  shall be in the range of  $-\text{QpBdOffset}_c$  to 57, inclusive, for  $i = 0..(\text{same\_qp\_table\_for\_chroma} ? 0 : 1)$  and  $j = 0..num\_points\_in\_qp\_table\_minus1[i]$ .

**vui\_parameters\_present\_flag** equal to 1 specifies that the  $\text{vui\_parameters}()$  syntax structure as specified in Annex E is present. **vui\_parameters\_present\_flag** equal to 0 specifies that the  $\text{vui\_parameters}()$  syntax structure as specified in Annex E is not present.

#### 7.4.3.2 PPS RBSP semantics

**pps\_pic\_parameter\_set\_id** identifies the PPS for reference by other syntax elements. The value of  $\text{pps\_pic\_parameter\_set\_id}$  shall be in the range of 0 to 63, inclusive.

**pps\_seq\_parameter\_set\_id** specifies the value of  $\text{sps\_seq\_parameter\_set\_id}$  for the active SPS. The value of  $\text{pps\_seq\_parameter\_set\_id}$  shall be in the range of 0 to 15, inclusive.

**num\_ref\_idx\_default\_active\_minus1**[ $i$ ] plus 1, when  $i$  is equal to 0, specifies the inferred value of the variable  $\text{NumRefIdxActive}[0]$  for P or B slices with  $\text{num\_ref\_idx\_active\_override\_flag}$  equal to 0, and, when  $i$  is equal to 1, specifies the inferred value of  $\text{NumRefIdxActive}[1]$  for B slices with  $\text{num\_ref\_idx\_active\_override\_flag}$  equal to 0. The value of  $\text{num\_ref\_idx\_default\_active\_minus1}[i]$  shall be in the range of 0 to 14, inclusive.

**additional\_lt\_poc\_lsb\_len** specifies the value of the variable  $\text{MaxLtPicOrderCntLsb}$  that is used in the decoding process for reference picture lists as follows:

$$\text{MaxLtPicOrderCntLsb} = 2^{(\log_2\text{max\_pic\_order\_cnt\_lsb\_minus4} + 4 + \text{additional\_lt\_poc\_lsb\_len})} \quad (75)$$

The value of `additional_lt_poc_lsb_len` shall be in the range of 0 to  $32 - \log_2_{\text{max\_pic\_order\_cnt\_lsb\_minus4}} - 4$ , inclusive.

When `long_term_ref_pics_flag` is equal to 0, the value of `additional_lt_poc_lsb_len` is inferred to be equal to 0.

`rpl1_idx_present_flag` equal to 0 specifies that `ref_pic_list_sps_flag[1]` and `ref_pic_list_idx[1]` are not present in slice headers. `rpl1_idx_present_flag` equal to 1 specifies that `ref_pic_list_sps_flag[1]` and `ref_pic_list_idx[1]` may be present in slice headers.

When `sps_rlp_flag` is equal to 0, `rpl1_idx_present_flag` shall be equal to 0.

`single_tile_in_pic_flag` equal to 1 specifies that there is only one tile in each picture referring to the PPS. `single_tile_in_pic_flag` equal to 0 specifies that there is more than one tile in each picture referring to the PPS.

The value of `single_tile_in_pic_flag` shall be the same for all PPSs that are activated within a CVS.

`num_tile_columns_minus1` plus 1 specifies the number of tile columns partitioning the picture. `num_tile_columns_minus1` shall be in the range of 0 to `PicWidthInCtbsY - 1`, inclusive. When not present, the value of `num_tile_columns_minus1` is inferred to be equal to 0.

`num_tile_rows_minus1` plus 1 specifies the number of tile rows partitioning the picture. `num_tile_rows_minus1` shall be in the range of 0 to `PicHeightInCtbsY - 1`, inclusive. When not present, the value of `num_tile_rows_minus1` is inferred to be equal to 0.

The variable `NumTilesInPic` is set equal to  $(\text{num\_tile\_columns\_minus1} + 1) * (\text{num\_tile\_rows\_minus1} + 1)$ .

When `single_tile_in_pic_flag` is equal to 0, `NumTilesInPic` shall be greater than 1.

`uniform_tile_spacing_flag` equal to 1 specifies that tile column boundaries and likewise tile row boundaries are distributed uniformly across the picture. `uniform_tile_spacing_flag` equal to 0 specifies that tile column boundaries and likewise tile row boundaries are not distributed uniformly across the picture but signalled explicitly using the syntax elements `tile_column_width_minus1[i]` and `tile_row_height_minus1[i]`. When not present, the value of `uniform_tile_spacing_flag` is inferred to be equal to 1.

`tile_column_width_minus1[i]` plus 1 specifies the width of the *i*-th tile column in units of CTBs. `tile_column_width_minus1` shall be in the range of 0 to `PicWidthInCtbsY - num_tile_columns_minus1 - 1`, inclusive. The sum of  $(\text{tile\_column\_width\_minus1}[i] + 1)$  for *i* ranging from 0 to `num_tile_columns_minus1 - 1` is less than `PicWidthInCtbsY`.

`tile_row_height_minus1[i]` plus 1 specifies the height of the *i*-th tile row in units of CTBs. `tile_row_height_minus1` shall be in the range of 0 to `PicHeightInCtbsY - num_tile_rows_minus1 - 1`, inclusive. The sum of  $(\text{tile\_row\_height\_minus1}[i] + 1)$  for *i* ranging from 0 to `num_tile_rows_minus1 - 1` is less than `PicHeightInCtbsY`.

`loop_filter_across_tiles_enabled_flag` equal to 1 specifies that in-loop filtering operations may be performed across tile boundaries in pictures referring to the PPS. `loop_filter_across_tiles_enabled_flag` equal to 0 specifies that in-loop filtering operations are not performed across tile boundaries in pictures referring to the PPS. The in-loop filtering operations include the deblocking filter and adaptive loop filter operations. When not present, the value of `loop_filter_across_tiles_enabled_flag` is inferred to be equal to 1.

**tile\_offset\_len\_minus1** plus 1 specifies the length, in bits, of the `entry_point_offset_minus1[ i ]` syntax elements in the slice headers referring to the PPS. The value of `tile_offset_len_minus1` shall be in the range of 0 to 31, inclusive.

**tile\_id\_len\_minus1** plus 1 specifies the number of bits used to represent the syntax element `tile_id_val[ i ][ j ]`, when present, in the PPS, and the syntax element `first_tile_id` and `last_tile_id` in slice headers referring to the PPS. The value of `tile_id_len_minus1` shall be in the range of  $\text{Ceil}(\text{Log}_2(\text{NumTilesInPic})) - 1$  to 15, inclusive.

**explicit\_tile\_id\_flag** equal to 1 specifies that tile ID for each tile is explicitly signalled. `explicit_tile_id_flag` equal to 0 specifies that tile IDs are not explicitly signalled.

**tile\_id\_val[ i ][ j ]** specifies the tile ID of the tile of the *i*-th tile row and the *j*-th tile column. The length of `tile_id_val[ i ][ j ]` is `tile_id_len_minus1 + 1` bits.

For any integer *m* in the range of 0 to `num_tile_columns_minus1`, inclusive, and any integer *n* in the range of 0 to `num_tile_rows_minus1`, inclusive, `tile_id_val[ i ][ j ]` shall not be equal to `tile_id_val[ m ][ n ]` when *i* is not equal to *m* or *j* is not equal to *n*, and `tile_id_val[ i ][ j ]` shall be less than `tile_id_val[ m ][ n ]` when  $j * (\text{num\_tile\_columns\_minus1} + 1) + i$  is less than  $n * (\text{num\_tile\_columns\_minus1} + 1) + m$ .

The following variables are derived by invoking the CTB raster and tile scanning conversion process as specified in subclause 6.5.1:

- The list `ColWidth[ i ]` for *i* ranging from 0 to `num_tile_columns_minus1`, inclusive, specifying the width of the *i*-th tile column in units of CTBs,
- the list `RowHeight[ j ]` for *j* ranging from 0 to `num_tile_rows_minus1`, inclusive, specifying the height of the *j*-th tile row in units of CTBs,
- the list `ColBd[ i ]` for *i* ranging from 0 to `num_tile_columns_minus1 + 1`, inclusive, specifying the location of the *i*-th tile column boundary in units of CTBs,
- the list `RowBd[ j ]` for *j* ranging from 0 to `num_tile_rows_minus1 + 1`, inclusive, specifying the location of the *j*-th tile row boundary in units of CTBs,
- the list `CtbAddrRsToTs[ ctbAddrRs ]` for `ctbAddrRs` ranging from 0 to `PicSizeInCtbsY - 1`, inclusive, specifying the conversion from a CTB address in the CTB raster scan of a picture to a CTB address in the tile scan,
- the list `CtbAddrTsToRs[ ctbAddrTs ]` for `ctbAddrTs` ranging from 0 to `PicSizeInCtbsY - 1`, inclusive, specifying the conversion from a CTB address in the tile scan to a CTB address in the CTB raster scan of a picture,
- the list `TileId[ ctbAddrTs ]` for `ctbAddrTs` ranging from 0 to `PicSizeInCtbsY - 1`, inclusive, specifying the conversion from a CTB address in tile scan to a tile ID,
- the list `NumCtusInTile[ tileIdx ]` for `tileIdx` ranging from 0 to `PicSizeInCtbsY - 1`, inclusive, specifying the conversion from a tile index to the number of CTUs in the tile,
- the set `TileIdToIdx[ tileId ]` for a set of `NumTilesInPic` `tileId` values specifying the conversion from a tile ID to a tile index and the list `FirstCtbAddrTs[ tileIdx ]` for `tileIdx` ranging from 0 to `NumTilesInPic - 1`, inclusive, specifying the conversion from a tile ID to the CTB address in tile scan of the first CTB in the tile,

- the list `FirstCtbAddrTs[ tileIdx ]` for `tileIdx` ranging from 0 to `NumTilesInPic – 1`, inclusive, specifying the conversion from a tile ID to the CTB address in tile scan of the first CTB in the tile,
- the lists `ColumnWidthInLumaSamples[ i ]` for `i` ranging from 0 to `num_tile_columns_minus1`, inclusive, specifying the width of the `i`-th tile column in units of luma samples,
- the list `RowHeightInLumaSamples[ j ]` for `j` ranging from 0 to `num_tile_rows_minus1`, inclusive, specifying the height of the `j`-th tile row in units of luma samples.

The values of `ColumnWidthInLumaSamples[ i ]` for `i` ranging from 0 to `num_tile_columns_minus1`, inclusive, and `RowHeightInLumaSamples[ j ]` for `j` ranging from 0 to `num_tile_rows_minus1`, inclusive, shall all be greater than 0.

**pic\_dra\_enabled\_flag** equal to 1 specifies that DRA is enabled for all decoded picture referring to the PPS. **pic\_dra\_enabled\_flag** equal to 0 specifies that DRA is not enabled for all decoded pictures referring to the PPS. When not present, **pic\_dra\_enabled\_flag** is inferred to be equal to 0. When **sps\_dra\_flag** is equal to 0, **pic\_dra\_enabled\_flag** shall be equal to 0.

**pic\_dra\_aps\_id** specifies the `adaptation_parameter_set_id` of the DRA APS that is enabled for decoded pictures referring to the PPS.

The `TemporalId` of the APS NAL unit having `aps_params_type` equal to `DRA_APS` and `adaptation_parameter_set_id` equal to **pic\_dra\_aps\_id** shall be less than or equal to the `TemporalId` of the picture associated with the PPS.

When multiple APSs of `DRA_APS` type with the same value of `adaptation_parameter_set_id` are referred to by two or more pictures within a CVS, the multiple APSs of type `DRA_APS` with the same value of `adaptation_parameter_set_id` shall have the same content.

**arbitrary\_slice\_present\_flag** equal to 1 specifies that the syntax element `arbitrary_slice_flag` is present in slice headers referring to the PPS. **arbitrary\_slice\_present\_flag** equal to 0 specifies that the syntax element `arbitrary_slice_flag` is not present in slice headers referring to the PPS.

**constrained\_intra\_pred\_flag** equal to 0 specifies that intra prediction allows usage of decoded samples of neighbouring coding blocks coded using either intra or inter prediction modes. **constrained\_intra\_pred\_flag** equal to 1 specifies constrained intra prediction, in which case intra prediction only uses decoded samples from neighbouring coding blocks coded using intra prediction modes.

**cu\_qp\_delta\_enabled\_flag** equal to 1 specifies that the `log2_cu_qp_delta_area_minus6` syntax element is present in the PPS and that `cu_qp_delta_abs` and `cu_qp_delta_sign_flag` may be present in the transform unit syntax. **cu\_qp\_delta\_enabled\_flag** equal to 0 specifies that the `log2_cu_qp_delta_area_minus6` syntax element is not present in the PPS and `cu_qp_delta_abs` and `cu_qp_delta_sign_flag` are not present in the transform unit syntax.

**log2\_cu\_qp\_delta\_area\_minus6** specifies the `cuQpDeltaArea` value of coding units that convey `cu_qp_delta` as follows:

$$\text{cuQpDeltaArea} = \text{log2\_cu\_qp\_delta\_area\_minus6} + 6 \quad (76)$$

The value of `log2_cu_qp_delta_area_minus6` shall be in the range of 0 to  $2 * \text{CtbLog2SizeY} - 6$ , inclusive.

**7.4.3.3 APS RBSP semantics**

Each APS RBSP shall be available to the decoding process prior to it being referenced, included in at least one access unit with TemporalId less than or equal to the TemporalId of the coded slice NAL unit that refers it or provided through external means.

For all APS NAL units with `aps_param_type` equal to `ALF_APS` or `DRA_APS`, it is the requirement of bitstream conformance that number of APS NAL units within an access unit shall not exceed 32 for each of the APS types.

`adaptation_parameter_set_id` provides an identifier for the APS for reference by other syntax elements.

APS NAL units with different values of `aps_params_type` use separate values spaces for `adaptation_parameter_set_id`.

When `aps_params_type` is equal to `ALF_APS` or `DRA_APS`, the value of `adaptation_parameter_set_id` shall be in the range of 0 to 31, inclusive.

All APS NAL units with `aps_param_type` equal to `ALF_APS` and a particular value of `adaptation_parameter_set_id` within an access unit, shall have the same content.

All APS NAL units with `aps_param_type` equal to `DRA_APS` and a particular value of `adaptation_parameter_set_id` within a CVS, shall have the same content.

NOTE An APS NAL unit (with a particular value of `adaptation_parameter_set_id` and a particular value of `aps_params_type`) can be shared across pictures, and different slices within a picture can refer to different ALF APSs.

`aps_params_type` specifies the type of APS parameters carried in the APS as specified in Table 7.

**Table 7 — APS parameters type codes and types of APS parameters**

<code>aps_params_type</code>	Name of <code>aps_params_type</code>	Type of APS parameters
0	<code>ALF_APS</code>	ALF parameters
1	<code>DRA_APS</code>	DRA parameters
2..7	Reserved	Reserved

`aps_extension_flag` equal to 0 specifies that no `aps_extension_data_flag` syntax elements are present in the APS RBSP syntax structure. `aps_extension_flag` equal to 1 specifies that there are `aps_extension_data_flag` syntax elements present in the APS RBSP syntax structure. Bitstreams conforming to this version of this document shall have `aps_extension_flag` value be equal to 0.

`aps_extension_data_flag` may have any value. Its presence and value do not affect decoder conformance to profiles specified in this version of this document. Decoders conforming to this version of this document shall ignore all `aps_extension_data_flag` syntax elements.

**7.4.3.4 Filler data RBSP semantics**

The filler data RBSP contains bytes whose value shall be equal to 0xFF. No normative decoding process is specified for a filler data RBSP.

`ff_byte` is a byte equal to 0xFF.

### 7.4.3.5 Supplemental enhancement information RBSP semantics

Supplemental enhancement information (SEI) contains information that is not necessary to decode the samples of coded pictures from VCL NAL units. An SEI RBSP contains one or more SEI messages.

### 7.4.3.6 Slice layer RBSP semantics

The slice layer RBSP consists of a slice header and slice data.

### 7.4.3.7 RBSP slice trailing bits semantics

**cabac\_zero\_word** is a byte-aligned sequence of two bytes equal to 0x0000.

Let the variable **NumBytesInPicVclNalUnits** be the sum of the values of **NumBytesInNalUnit** for all VCL NAL units of a coded picture.

Let the variable **BinCountsInPicNalUnits** be the number of times that the parsing process function **DecodeBin()**, specified in subclause 9.3.4.3, is invoked to decode the contents of all VCL NAL units of a coded picture.

Let the variable **RawMinCuBits** be derived as follows:

$$\text{RawMinCuBits} = \text{MinCbSizeY} * \text{MinCbSizeY} * (\text{BitDepthY} + ((\text{ChromaArrayType} \neq 0) ? 2 * \text{BitDepthC} / (\text{SubWidthC} * \text{SubHeightC}) : 0)) \quad (77)$$

The value of **BinCountsInNalUnits** shall be less than or equal to  $(32 \div 3) * \text{NumBytesInVclNalUnits} + (\text{RawMinCuBits} * \text{PicSizeInMinCbsY}) \div 32$ .

NOTE The constraint on the maximum number of bins resulting from decoding the contents of the coded slice segment NAL units can be met by inserting a number of **cabac\_zero\_word** syntax elements to increase the value of **NumBytesInVclNalUnits**.

### 7.4.3.8 RBSP trailing bits semantics

**rbsp\_stop\_one\_bit** shall be equal to 1.

**rbsp\_alignment\_zero\_bit** shall be equal to 0.

### 7.4.3.9 Byte alignment semantics

**alignment\_bit\_equal\_to\_one** shall be equal to 1.

**alignment\_bit\_equal\_to\_zero** shall be equal to 0.

## 7.4.4 Supplemental enhancement information message semantics

Each SEI message consists of the variables specifying the type **payloadType** and size **payloadSize** of the SEI message payload. SEI message payloads are specified in Annex D. The derived SEI message payload size **payloadSize** is specified in bytes and shall be equal to the number of RBSP bytes in the SEI message payload.

**payload\_type\_byte** is a byte of the payload type of an SEI message.

**payload\_size\_byte** is a byte of the payload size of an SEI message.

### 7.4.5 Slice header semantics

When present, the value of the slice header syntax elements `slice_pic_parameter_set_id`, `no_output_of_prior_pics_flag`, `slice_pic_order_cnt_lsb`, and `ref_pic_flag` shall be the same in all slice headers of a coded picture.

**slice\_pic\_parameter\_set\_id** specifies the value of `pps_pic_parameter_set_id` for the PPS in use. The value of `slice_pic_parameter_set_id` shall be in the range of 0 to 63, inclusive.

**single\_tile\_in\_slice\_flag** equal to 1 specifies that there is only one tile in the slice. `single_tile_in_slice_flag` equal to 0 specifies that there is more than one tile in the slice. When not present, the value of `single_tile_in_slice_flag` is inferred to be equal to 1.

**first\_tile\_id** specifies the tile ID of the first tile of the slice. The length of `first_tile_id` is `tile_id_len_minus1 + 1` bits. The value of `first_tile_id` shall not be equal to the value of `first_tile_id` of any other coded slice of the same coded picture. When not present, the value of `first_tile_id` is inferred to be equal to 0.

When there is more than one slice in a picture, the decoding order of the slices in the picture shall be in increasing value of `first_tile_id`.

**arbitrary\_slice\_flag** equal to 1 specifies that the tiles in the slice may be any set of two or more tiles of the picture and the tile ID of each of the tiles is explicitly signalled in the slice header. `arbitrary_slice_flag` equal to 0 specifies the tiles in the slice are identified by the syntax elements `first_tile_id` and `last_tile_id`. When not present, the value of `arbitrary_slice_flag` is inferred to be equal to 0.

**last\_tile\_id** specifies the tile ID of the last tile of the slice. The length of `last_tile_id` is `tile_id_len_minus1 + 1` bits. When not present, the value of `last_tile_id` is inferred to be equal to `first_tile_id`.

When `arbitrary_slice_flag` is equal to 0, the variables `numTileRowsInSlice`, `numTileColumnsInSlice`, and `NumTilesInSlice` are derived as follows:

```

firstTileIdx = TileIdToIdx[ first_tile_id ]
firstTileColumnIdx = firstTileIdx % ( num_tile_columns_minus1 + 1 )
lastTileIdx = TileIdToIdx[ last_tile_id ]
lastTileColumnIdx = lastTileIdx % ( num_tile_columns_minus1 + 1 )

deltaTileIdx = lastTileIdx - firstTileIdx
if( lastTileIdx < firstTileIdx ) {
    if( firstTileColumnIdx > lastTileColumnIdx )
        deltaTileIdx += NumTilesInPic + num_tile_columns_minus1 + 1
    else
        deltaTileIdx += NumTilesInPic
} else if( firstTileColumnIdx > lastTileColumnIdx )
    deltaTileIdx += num_tile_columns_minus1 + 1
numTileRowsInSlice = ( deltaTileIdx / ( num_tile_columns_minus1 + 1 ) ) + 1
numTileColumnsInSlice = ( deltaTileIdx % ( num_tile_columns_minus1 + 1 ) ) + 1
NumTilesInSlice = numTileRowsInSlice * numTileColumnsInSlice
    
```

(78)

When `arbitrary_slice_flag` is equal to 0, the variable `SliceTileIdx[ i ]` specifies the tile index of the *i*-th tile in the slice and is derived as follows:

```

tileIdx = TileIdToIdx[ first_tile_id ]
for( j = 0, cIdx = 0; j < numTileRowsInSlice; j++, tileIdx += num_tile_columns_minus1 + 1 ) {
    tileIdx = tileIdx % NumTilesInPic
}
    
```

```

for( i = 0, currTileIdx = tileIdx; i < numTileColumnsInSlice; i++, currTileIdx++, cIdx++ ) {
    if( currTileIdx / ( num_tile_columns_minus1 + 1 ) >
        tileIdx / ( num_tile_columns_minus1 + 1 ) )
        SliceTileIdx[ cIdx ] = currTileIdx - ( num_tile_columns_minus1 + 1 )
    else
        SliceTileIdx[ cIdx ] = currTileIdx
    }
}

```

**num\_remaining\_tiles\_in\_slice\_minus1** specifies the number of tiles in the slice excluding the first tile of the slice. The value of num\_remaining\_tiles\_in\_slice\_minus1 shall be in the range of 0 to NumTilesInPic - 1, inclusive.

When arbitrary\_slice\_flag is equal to 1, the variable NumTilesInSlice is derived as follows:

$$\text{NumTilesInSlice} = \text{num\_remaining\_tiles\_in\_slice\_minus1} + 2 \quad (80)$$

**delta\_tile\_id\_minus1[ i ]** specifies the difference between the tile ID of the (i + 1)-th tile and the tile ID of i-th tile in the slice. The value of delta\_tile\_id\_minus1[ i ] shall be in the range of 0 to  $2^{(\text{tile\_id\_len\_minus1} + 1)} - 1$ , inclusive.

When arbitrary\_slice\_flag is equal to 1, the variable SliceTileIdx[ i ] for i in the range 0 to NumTilesInSlice - 1, inclusive, is derived as follows:

$$\text{sliceTileId}[ i ] = i > 0 ? ( \text{sliceTileId}[ i - 1 ] + \text{delta\_tile\_id\_minus1}[ i - 1 ] + 1 ) : \text{first\_tile\_id} \quad (81)$$

$$\text{liceTileIdx}[ i ] = \text{TileIdToIdx}[ \text{sliceTileId}[ i ] ] \quad (82)$$

**slice\_type** specifies the coding type of the slice according to Table 8.

**Table 8 — Name association to slice\_type**

slice_type	Name of slice_type
0	B (B slice)
1	P (P slice)
2	I (I slice)

When NalUnitType is equal to IDR\_NUT, i.e., the picture is an IDR picture, slice\_type shall be equal to 2.

**no\_output\_of\_prior\_pics\_flag** affects the output of previously-decoded pictures in the decoded picture buffer after the decoding of an IDR picture that is not the first picture in the bitstream as specified in Annex C.

**mmvd\_group\_enable\_flag** equal to 1 specifies that the syntax element mmvd\_group\_idx is present. mmvd\_group\_enable\_flag equal to 0 specifies that the syntax element mmvd\_group\_idx is not present. When not present, the value of mmvd\_group\_enable\_flag is inferred to be equal to 0.

**slice\_alf\_enabled\_flag** equal to 1 specifies that adaptive loop filter is enabled and may be applied to Y, Cb, or Cr colour component in a slice. When ChromaArrayType is in the range from 0 to 2, inclusive, slice\_alf\_enabled\_flag equal to 0 specifies that adaptive loop filter is disabled for all colour components in a slice. When ChromaArrayType is equal to 3, slice\_alf\_enabled\_flag equal to 0 specifies that adaptive loop

filter is disabled for Y components in a slice. When not present, the value of `slice_alf_enabled_flag` is inferred to be equal to 0.

**slice\_alf\_chroma\_idc** equal to 0 specifies that the ALF is not applied to Cb and Cr colour components in a slice. `slice_alf_chroma_idc` equal to 1 indicates that the adaptive loop filter can be applied to the Cb colour component, `slice_alf_chroma_idc` equal to 2 indicates that the adaptive loop filter can be applied to the Cr colour component, and `slice_alf_chroma_idc` equal to 3 indicates that the adaptive loop filter can be applied to Cb and Cr colour components. When `alf_chroma_idc` is not present, it is inferred to be equal to 0.

When `slice_alf_chroma_idc` is equal to 0, the variables `sliceChromaAlfEnabledFlag` and `sliceChroma2AlfEnabledFlag` are set equal to 0.

If `slice_alf_chroma_idc` is equal to 1 or 3, the variable `sliceChromaAlfEnabledFlag` is set equal to 1. Otherwise, the variable `sliceChromaAlfEnabledFlag` is set equal to 0.

If `slice_alf_chroma_idc` is equal to 2 or 3, the variable `sliceChroma2AlfEnabledFlag` is set equal to 1. Otherwise, the variable `sliceChroma2AlfEnabledFlag` is set equal to 0.

When `ChromaArrayType` is equal to 0, it is requirement of bitstream conformance that the value of `slice_alf_chroma_idc` shall be equal to 0.

**slice\_alf\_luma\_aps\_id** specifies the `adaptation_parameter_set_id` of the ALF APS to be used for filtering of luma component of the current slice. The `TemporalId` of the ALF APS NAL unit having `adaptation_parameter_set_id` equal to `slice_alf_luma_aps_id` shall be less than or equal to the `TemporalId` of the coded slice NAL unit. The value of `alf_luma_filter_signal_flag` of the APS NAL unit having `aps_params_type` equal to ALF\_APS and `adaptation_parameter_set_id` equal to `slice_alf_luma_aps_id` shall be equal to 1.

**slice\_alf\_chroma\_aps\_id** specifies the `adaptation_parameter_set_id` of the ALF APS to be used in the current slice for filtering of Cb chroma component, when `ChromaArrayType` is in the range from 1 to 3, inclusive, and Cr chroma components when `ChromaArrayType` is in the range from 1 to 2, inclusive. The `TemporalId` of the ALF APS NAL unit having `adaptation_parameter_set_id` equal to `slice_alf_chroma_aps_id` shall be less than or equal to the `TemporalId` of the coded slice NAL unit.

When `ChromaArrayType` is equal to 3, the value of `alf_luma_filter_signal_flag` of the APS NAL unit having `aps_params_type` equal to ALF\_APS and `adaptation_parameter_set_id` equal to `slice_alf_chroma_aps_id` shall be equal to 1.

When `ChromaArrayType` is equal to 1 or 2, the value of `alf_chroma_filter_signal_flag` of the APS NAL unit having `aps_params_type` equal to ALF\_APS and `adaptation_parameter_set_id` equal to `slice_alf_chroma_aps_id` shall be equal to 1.

**slice\_alf\_chroma2\_aps\_id** specifies the `adaptation_parameter_set_id` of the ALF APS to be used for filtering of chroma Cr component of the current slice, when `ChromaArrayType` is equal to 3. The `TemporalId` of the ALF APS NAL unit having `adaptation_parameter_set_id` equal to `slice_alf_chroma2_aps_id` shall be less than or equal to the `TemporalId` of the coded slice NAL unit.

The value of `alf_luma_filter_signal_flag` of the APS NAL unit having `aps_params_type` equal to ALF\_APS and `adaptation_parameter_set_id` equal to `slice_alf_chroma2_aps_id` shall be equal to 1.

When multiple ALF APSs with the same value of `adaptation_parameter_set_id` are referred to by two or more slices of the same picture, the multiple ALF APSs with the same value of `adaptation_parameter_set_id` shall have the same content.

**slice\_alf\_map\_flag** equal to 1 specifies that adaptive loop filter applicability map for luma component is signalled. **slice\_alf\_map\_flag** equal to 0 specifies that adaptive loop filter applicability map for luma is not signalled. When not present, the value of **slice\_alf\_map\_flag** is inferred to be equal to 0.

**slice\_alf\_chroma\_map\_flag** equal to 1 specifies that adaptive loop filter applicability map for Cb component is signalled. **slice\_alf\_chroma\_map\_flag** equal to 0 specifies that adaptive loop filter applicability map for Cb component is not signalled. When not present, the value of **slice\_alf\_chroma\_map\_flag** is inferred to be equal to 0.

**slice\_alf\_chroma2\_map\_flag** equal to 1 specifies that adaptive loop filter applicability map for Cr component is signalled. **slice\_alf\_chroma2\_map\_flag** equal to 0 specifies that adaptive loop filter applicability map for Cr component is not signalled. When not present, the value of **slice\_alf\_chroma2\_map\_flag** is inferred to be equal to 0.

**slice\_pic\_order\_cnt\_lsb** when present, specifies the picture order count modulo **MaxPicOrderCntLsb** for the current picture. The length of the **slice\_pic\_order\_cnt\_lsb** syntax element is  $\log_2 \text{max\_pic\_order\_cnt\_lsb\_minus4} + 4$  bits. When not present, the value of **slice\_pic\_order\_cnt\_lsb** is inferred to be equal to 0.

**ref\_pic\_list\_sps\_flag**[ *i* ] equal to 1 specifies that reference picture list *i* of the current picture is derived based on one of the **ref\_pic\_list\_struct**( *listIdx*, *rplIdx*, *ltrpFlag* ) syntax structures with *listIdx* equal to *i* in the active SPS. **ref\_pic\_list\_sps\_flag**[ *i* ] equal to 0 specifies that reference picture list *i* of the current picture is derived based on the **ref\_pic\_list\_struct**( *listIdx*, *rplIdx*, *ltrpFlag* ) syntax structure with *listIdx* equal to *i* that is directly included in the slice headers of the current picture. When **num\_ref\_pic\_lists\_in\_sps**[ *i* ] is equal to 0, the value of **ref\_pic\_list\_sps\_flag**[ *i* ] shall be equal to 0. When **rpl1\_idx\_present\_flag** is equal to 0 and **ref\_pic\_list\_sps\_flag**[ 0 ] is present, the value of **ref\_pic\_list\_sps\_flag**[ 1 ] is inferred to be equal to **ref\_pic\_list\_sps\_flag**[ 0 ]. When not present, the value of **ref\_pic\_list\_sps\_flag**[ *i* ] is inferred to be equal to 0.

**ref\_pic\_list\_idx**[ *i* ] specifies the index, into the list of the **ref\_pic\_list\_struct**( *listIdx*, *rplIdx*, *ltrpFlag* ) syntax structures with *listIdx* equal to *i* included in the active SPS, of the **ref\_pic\_list\_struct**( *listIdx*, *rplIdx*, *ltrpFlag* ) syntax structure with *listIdx* equal to *i* that is used for derivation of reference picture list *i* of the current picture. The syntax element **ref\_pic\_list\_idx**[ *i* ] is represented by  $\text{Ceil}(\log_2(\text{num\_ref\_pic\_lists\_in\_sps}[i]))$  bits. When not present, the value of **ref\_pic\_list\_idx**[ *i* ] is inferred to be equal to 0. The value of **ref\_pic\_list\_idx**[ *i* ] shall be in the range of 0 to **num\_ref\_pic\_lists\_in\_sps**[ *i* ] - 1, inclusive. When **rpl1\_idx\_present\_flag** is equal to 0 and **ref\_pic\_list\_sps\_flag**[ 0 ] is present, the value of **ref\_pic\_list\_idx**[ 1 ] is inferred to be equal to **ref\_pic\_list\_idx**[ 0 ].

The variable **SliceRplIdx**[ *i* ] is derived as follows:

$$\text{SliceRplIdx}[i] = \text{ref\_pic\_list\_sps\_flag}[i] ? \text{ref\_pic\_list\_idx}[i] : \text{num\_ref\_pic\_lists\_in\_sps}[i] \quad (83)$$

**additional\_poc\_lsb\_present\_flag**[ *i* ][ *j* ] equal to 1 specifies that **additional\_poc\_lsb\_val**[ *i* ][ *j* ] is present. **additional\_poc\_lsb\_present\_flag**[ *i* ][ *j* ] equal to 0 specifies that **additional\_poc\_lsb\_val**[ *i* ][ *j* ] is not present.

**additional\_poc\_lsb\_val**[ *i* ][ *j* ] specifies the value of **FullPocLsbLt**[ *i* ][ *j* ] as follows:

$$\text{FullPocLsbLt}[i][\text{SliceRplIdx}[i][j]] = \text{additional\_poc\_lsb\_val}[i][j] * \text{MaxPicOrderCntLsb} + \text{poc\_lsb\_lt}[i][\text{SliceRplIdx}[i][j]] \quad (84)$$

The syntax element **additional\_poc\_lsb\_val**[ *i* ][ *j* ] is represented by **additional\_lt\_poc\_lsb\_len** bits. When not present, the value of **additional\_poc\_lsb\_val**[ *i* ][ *j* ] is inferred to be equal to 0.

**num\_ref\_idx\_active\_override\_flag** equal to 1 specifies that the syntax element `num_ref_idx_active_minus1[0]` is present for P and B slices and that the syntax element `num_ref_idx_active_minus1[1]` is present for B slices. `num_ref_idx_active_override_flag` equal to 0 specifies that the syntax elements `num_ref_idx_active_minus1[0]` and `num_ref_idx_active_minus1[1]` are not present.

**num\_ref\_idx\_active\_minus1[ i ]**, when present, specifies the value of the variable `NumRefIdxActive[ i ]` as follows:

$$\text{NumRefIdxActive}[ i ] = \text{num\_ref\_idx\_active\_minus1}[ i ] + 1 \quad (85)$$

The value of `num_ref_idx_active_minus1[ i ]` shall be in the range of 0 to 14, inclusive.

The value of `NumRefIdxActive[ i ] - 1` specifies the greatest reference index for reference picture list `i` that may be used to decode the slice. When the value of `NumRefIdxActive[ i ]` is equal to 0, no reference index for reference picture list `i` may be used to decode the slice.

For `i` equal to 0 or 1, when the current slice is a B slice and `num_ref_idx_active_override_flag` is equal to 0, `NumRefIdxActive[ i ]` is inferred to be equal to `num_ref_idx_default_active_minus1[ i ] + 1`.

When the current slice is a P slice and `num_ref_idx_active_override_flag` is equal to 0, `NumRefIdxActive[ 0 ]` is inferred to be equal to `num_ref_idx_default_active_minus1[ 0 ] + 1`.

When the current slice is a P slice, `NumRefIdxActive[ 1 ]` is inferred to be equal to 0.

When the current slice is an I slice, both `NumRefIdxActive[ 0 ]` and `NumRefIdxActive[ 1 ]` are inferred to be equal to 0.

**temporal\_mvp\_assigned\_flag** specifies whether temporal motion vector predictors derivation process is to be configured with additional parameters signalled in the bitstream. When not present, the value of `temporal_mvp_assigned_flag` is inferred to be equal to 0.

**col\_pic\_list\_idx** specifies the reference picture list for currently coded slice for the derivation of collocated picture for purposes of temporal motion vector prediction. When `col_pic_list_idx` is not present, and `slice_type` is equal to P the `col_pic_list_idx` is inferred to be equal to 0. When `col_pic_list_idx` is not present, and `slice_type` is equal to B the `col_pic_list_idx` is inferred to be equal to 1.

**col\_source\_mvp\_list\_idx** specifies the reference picture list in collocated location for the derivation of motion vector candidate for purposes of temporal motion vector prediction. When `col_source_mvp_list_idx` is not present, `col_source_mvp_list_idx` is inferred to be equal to 0.

**col\_pic\_ref\_idx** specifies the reference index used for temporal motion vector prediction. `col_pic_ref_idx` refers to a picture in `RefPicList[ col_pic_list_idx ]` of the current picture, and the value of `col_pic_ref_idx` shall be in the range of 0 to `num_ref_idx_active_minus1[ col_pic_list_idx ]`, inclusive. When `col_pic_ref_idx` is not present, `col_pic_ref_idx` is inferred to be equal to 0.

**slice\_deblocking\_filter\_flag** equal to 1 specifies that the operation of the deblocking filter is applied for the current slice. `slice_deblocking_filter_flag` equal to 0 specifies that the operation of the deblocking filter is not applied for the current slice.

**slice\_alpha\_offset** specifies the offset used in Table 34 and Table 35 for deblocking filtering operations the slice. From this value, the offset that shall be applied when addressing these tables shall be computed as:

$$\text{FilterOffsetA} = \text{slice\_alpha\_offset} \quad (86)$$

The value of `slice_alpha_offset` shall be in the range of  $-12$  to  $+12$ , inclusive. When `slice_alpha_offset` is not present in the slice header, the value of `slice_alpha_offset` shall be inferred to be equal to 0.

**slice\_beta\_offset** specifies the offset used in Table 34 for deblocking filtering operations within the slice. From this value, the offset that is applied when addressing Table 34 of the deblocking filter shall be computed as:

$$\text{FilterOffsetB} = \text{slice\_beta\_offset} \quad (87)$$

The value of `slice_beta_offset` shall be in the range of  $-12$  to  $+12$ , inclusive. When `slice_beta_offset` is not present in the slice header the value of `slice_beta_offset` shall be inferred to be equal to 0.

**slice\_qp** specifies the luma quantization parameter value,  $Qp_Y$  to be used for the coding blocks in the slice. The value of `slice_qp` shall be in the range of 0 to 51, inclusive.

**slice\_cb\_qp\_offset** and **slice\_cr\_qp\_offset** specify the offsets to the luma quantization parameter  $Qp_Y$  used for deriving  $Qp_{Cb}$  and  $Qp_{Cr}$ , respectively. The values of `slice_cb_qp_offset` and `slice_cr_qp_offset` shall be in the range of  $-12$  to  $+12$ , inclusive.

**entry\_point\_offset\_minus1**[ *i* ] plus 1 specifies the *i*-th entry point offset in bytes, and is represented by `tile_offset_len_minus1` plus 1 bits. The slice data that follow the slice header consists of `NumTilesInSlice` subsets, with subset index values ranging from 0 to `NumTilesInSlice` – 1, inclusive. The first byte of the slice data is considered byte 0. Subset 0 consists of bytes 0 to `entry_point_offset_minus1`[ 0 ], inclusive, of the coded slice data, subset *k*, with *k* in the range of 1 to `NumTilesInSlice` – 2, inclusive, consists of bytes `firstByte`[ *k* ] to `lastByte`[ *k* ], inclusive, of the coded slice data with `firstByte`[ *k* ] and `lastByte`[ *k* ] defined as:

$$\text{firstByte}[ k ] = \sum_{n=1}^k (\text{entry\_point\_offset\_minus\_1}[ n - 1 ] + 1) \quad (88)$$

$$\text{lastByte}[ k ] = \text{firstByte}[ k ] + \text{entry\_point\_offset\_minus\_1}[ k ] \quad (89)$$

The last subset (with subset index equal to `NumTilesInSlice` – 1) consists of the remaining bytes of the coded slice data.

Each subset shall consist of all coded bits of all CTUs in the slice that are within the same tile.

#### 7.4.6 Adaptive loop filter data semantics

**alf\_luma\_filter\_signal\_flag** equal to 1 specifies that a luma filter set is signalled. **alf\_luma\_filter\_signal\_flag** equal to 0 specifies that a luma filter set is not signalled. When **alf\_luma\_filter\_signal\_flag** is not present, it is inferred to be equal to 0.

**alf\_chroma\_filter\_signal\_flag** equal to 1 specifies that chroma filter is signalled. **alf\_chroma\_filter\_signal\_flag** equal to 0 specifies that chroma filter is not signalled. When **alf\_chroma\_filter\_signal\_flag** is not present, it is inferred to be equal to 0. When `ChromaArrayType` is equal to 0 or 3, it is requirement of bitstream conformance that the value of **alf\_chroma\_filter\_signal\_flag** shall be equal to 0.

The variable `NumAlfFilters` specifying the number of different adaptive loop filters is set equal to 25.

**alf\_luma\_num\_filters\_signalled\_minus1** plus 1 specifies the number of adaptive loop filter classes for which luma coefficients can be signalled. The value of **alf\_luma\_num\_filters\_signalled\_minus1** shall be in the range of 0 to `NumAlfFilters` – 1, inclusive.

The variable `NumSignalledFilter` is set equal to **alf\_luma\_num\_filters\_signalled\_minus1** + 1.

**alf\_luma\_type\_flag** specifies a type of luma filter. When **alf\_luma\_type\_flag** is equal to 0, the value **LumaMaxGolombIdx** is set equal to 2 and the variable **NumAlfCoefs** is set equal to 7, when **alf\_luma\_type\_flag** is equal to 1, the value **LumaMaxGolombIdx** is set equal to 3 and the variable **NumAlfCoefs** is set equal to 13.

The array **coefPosMap[ ]** specified for follows:

- If **alf\_luma\_type\_flag** is equal to 0, the following applies:

$$\text{coefPosMap}[ ] = \{ 0, 0, 1, 0, 0, 2, 3, 4, 0, 0, 5, 6, 7 \} \quad (90)$$

- Otherwise (**alf\_luma\_type\_flag** is not equal to 0), the following applies:

$$\text{coefPosMap}[ ] = \{ 1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13 \} \quad (91)$$

**alf\_luma\_coeff\_delta\_idx[ i ]** specifies the indices of the signalled adaptive loop filter luma coefficient deltas for the filter class indicated by *i* ranging from 0 to **NumAlfFilters** - 1, inclusive. When **alf\_luma\_coeff\_delta\_idx[ i ]** is not present, it is inferred to be equal to 0.

The codeword length of **alf\_luma\_coeff\_delta\_idx[ i ]** is  $\text{Ceil}(\text{Log}_2(\text{alf\_luma\_num\_filters\_signalled\_minus1} + 1))$  bits.

**alf\_luma\_fixed\_filter\_usage\_pattern** equal to 0 specifies that new filters do not use fixed filter and all entries **alf\_luma\_fixed\_filter\_usage\_flag[ i ]** are set equal to 0. **alf\_luma\_fixed\_filter\_usage\_pattern** equal to 1 specifies all new filters use fixed filter and all entries of **alf\_luma\_fixed\_filter\_usage\_flag[ i ]** are set equal to 1. **alf\_luma\_fixed\_filter\_usage\_pattern** equal to 2 specifies that usage of fixed filter is defined by signalled value of **alf\_luma\_fixed\_filter\_usage\_flag[ i ]** syntax elements. The value *i* shall be in the range from 0 to **NumAlfFilters** - 1, inclusive. The order *k* of the exp-Golomb code used to decode the value of **alf\_luma\_fixed\_filter\_usage\_pattern** is equal to 0.

**alf\_luma\_fixed\_filter\_usage\_flag[ i ]** equal to 1 specifies *i*-th filter uses fixed filter. **alf\_luma\_fixed\_filter\_usage\_flag[ i ]** equal to 0 specifies *i*-th filter does not use fixed filter. When it is not present, **alf\_luma\_fixed\_filter\_usage\_flag[ i ]** is inferred to be equal to 0 if **alf\_luma\_fixed\_filter\_usage\_pattern** is equal to 0 and **alf\_luma\_fixed\_filter\_usage\_flag[ i ]** is inferred to be equal to 1 if **alf\_luma\_fixed\_filter\_usage\_pattern** is equal to 1.

**alf\_luma\_fixed\_filter\_set\_idx** specifies a fixed filter set index. The value of **alf\_luma\_fixed\_filter\_set\_idx** shall be in a range of 0 to 15, inclusive.

**alf\_luma\_coeff\_delta\_flag** equal to 1 indicates that **alf\_luma\_coeff\_delta\_prediction\_flag** is not signalled and syntax elements **alf\_luma\_coeff\_flag[ i ]** are signalled. **alf\_luma\_coeff\_delta\_flag** equal to 0 indicates that **alf\_luma\_coeff\_delta\_prediction\_flag** may be signalled and syntax elements **alf\_luma\_coeff\_flag[ i ]** are not signalled.

**alf\_luma\_coeff\_delta\_prediction\_flag** equal to 1 specifies that the signalled luma filter coefficient deltas are predicted from the deltas of the previous luma coefficients. **alf\_luma\_coeff\_delta\_prediction\_flag** equal to 0 specifies that the signalled luma filter coefficient deltas are not predicted from the deltas of the previous luma coefficients. When not present, **alf\_luma\_coeff\_delta\_prediction\_flag** is inferred to be equal to 0.

**alf\_luma\_min\_eg\_order\_minus1** plus 1 specifies the minimum order of the exp-Golomb code for luma filter coefficient signalling. The value of **alf\_luma\_min\_eg\_order\_minus1** shall be in the range of 0 to 6, inclusive.

The variable **kMin** is set equal to **alf\_luma\_min\_eg\_order\_minus1** + 1.

**alf\_luma\_eg\_order\_increase\_flag**[ i ] equal to 1 specifies that the minimum order of the exp-Golomb code for luma filter coefficient signalling is incremented by 1. **alf\_luma\_eg\_order\_increase\_flag**[ i ] equal to 0 specifies that the minimum order of the exp-Golomb code for luma filter coefficient signalling is not incremented by 1.

With i being in range from 0 to LumaMaxGolombIdx – 1, inclusive, the order **expGoOrderY**[ i ] of the exp-Golomb code used to decode the values of **alf\_luma\_coeff\_delta\_abs**[ k ][ j ] is derived as follows:

$$\text{expGoOrderY}[ i ] = \text{kMin} + \text{alf\_luma\_eg\_order\_increase\_flag}[ i ] \quad (92)$$

$$\text{kMin} = \text{expGoOrderY}[ i ] \quad (93)$$

**alf\_luma\_coeff\_flag**[ i ] equal to 1 specifies that the coefficients of the luma filter indicated by i are signalled. **alf\_luma\_coeff\_flag**[ i ] equal to 0 specifies that all filter coefficients of the luma filter indicated by i are set equal to 0. When not present, **alf\_luma\_coeff\_flag**[ i ] is set equal to 1.

**alf\_luma\_coeff\_delta\_abs**[ i ][ j ] specifies the absolute value of the j-th coefficient delta of the signalled luma filter indicated by i. When **alf\_luma\_coeff\_delta\_abs**[ i ][ j ] is not present, it is inferred to be equal to 0.

The order k of the exp-Golomb binarization **uek**(v) is derived as follows:

$$\text{golombOrderIdxY}[ ] = \{ 0, 0, 1, 0, 0, 1, 2, 1, 0, 0, 1, 2 \} \quad (94)$$

$$k = \text{expGoOrderY}[ \text{golombOrderIdxY}[ j ] ] \quad (95)$$

**alf\_luma\_coeff\_delta\_sign\_flag**[ i ][ j ] specifies the sign of the j-th luma coefficient of the filter indicated by i as follows:

- If **alf\_luma\_coeff\_delta\_sign\_flag**[ i ][ j ] is equal to 0, the corresponding luma filter coefficient has a negative value.
- Otherwise (**alf\_luma\_coeff\_delta\_sign\_flag**[ i ][ j ] is equal to 1), the corresponding luma filter coefficient has a positive value.

When **alf\_luma\_coeff\_delta\_sign\_flag**[ i ][ j ] is not present, it is inferred to be equal to 1.

The variable **filterCoefficients**[ i ][ j ] with  $i = 0.. \text{alf\_luma\_num\_filters\_signalled\_minus1}$ ,  $j = 0.. \text{NumAlfCoefs} - 2$  is initialized as follows:

$$\text{filterCoefficients}[ i ][ j ] = \text{alf\_luma\_coeff\_delta\_abs}[ i ][ j ] * ( 2 * \text{alf\_luma\_coeff\_delta\_sign\_flag}[ i ][ j ] - 1 ) \quad (96)$$

When **alf\_luma\_coeff\_delta\_prediction\_flag** is equal to 1, **filterCoefficients**[ i ][ j ] of luma adaptive loop filter set with  $i = 1.. \text{alf\_luma\_num\_filters\_signalled\_minus1}$  and  $j = 0.. \text{NumAlfCoefs} - 2$  are modified as follows:

$$\text{filterCoefficients}[ i ][ j ] += \text{filterCoefficients}[ i - 1 ][ j ] \quad (97)$$

The luma filter coefficients **AlfCoeff<sub>i</sub>**[ adaptation\_parameter\_set\_id ] with elements **AlfCoeff<sub>i</sub>**[ adaptation\_parameter\_set\_id ][ filtIdx ][ j ], with  $\text{filtIdx} = 0.. \text{NumAlfFilters} - 1$  and coefficient position index  $j = 0..11$  are derived as follows:

- If **alf\_luma\_fixed\_filter\_usage\_flag**[ filtIdx ] is equal to 1, the following applies:

$$\text{outCoef[ filtIdx ][ j ]} = \text{AlfFixFiltCoeff[ AlfClassToFiltMap[ filtIdx ][ alf_luma_fixed_filter_set_idx[ filtIdx ] ] ][ j ]} \quad (98)$$

— Otherwise (alf\_luma\_fixed\_filter\_usage\_flag[ filtIdx ] is equal to 0), the following applies:

$$\text{outCoef[ filtIdx ][ j ]} = 0 \quad (99)$$

— For every j with coefPosMap[ j ] larger than 0, outCoef[ j ] is updated as follows:

$$\text{outCoef[ filtIdx ][ j ]} += \text{filterCoefficients[ alf_luma_coeff_delta_idx[ filtIdx ] ][ coefPosMap[ j ] - 1 ]} \quad (100)$$

— The luma filter coefficients AlfCoeff<sub>L</sub>[ adaptation\_parameter\_set\_id ][ filtIdx ][ j ] is derived as follows:

$$\text{AlfCoeff}_L[\text{adaptation\_parameter\_set\_id}][\text{filtIdx}][\text{j}] = \text{outCoef}[\text{j}] \quad (101)$$

The fixed filter coefficients AlfFixFiltCoeff[ i ][ j ] with i = 0..63, j = 0..11 and the class to filter mapping AlfClassToFiltMap[ m ][ n ] with m = 0..24 and n = 0..15 are defined as follows:

$$\text{AlfFixFiltCoeff[ i ][ j ]} = \quad (102)$$

```
{
{ 0, 2, 7, -12, -4, -11, -2, 31, -9, 6, -4, 30 },
{ -26, 4, 17, 22, -7, 19, 40, 47, 49, -28, 35, 48 },
{ -24, -8, 30, 64, -13, 18, 18, 27, 80, 0, 31, 19 },
{ -4, -14, 44, 100, -7, 6, -4, 8, 90, 26, 26, -12 },
{ -17, -9, 23, -3, -15, 20, 53, 48, 16, -25, 42, 66 },
{ -12, -2, 1, -19, -5, 8, 66, 80, -2, -25, 20, 78 },
{ 2, 8, -23, -14, -3, -23, 64, 86, 35, -17, -4, 79 },
{ 12, 4, -39, -7, 1, -20, 78, 13, -8, 11, -42, 98 },
{ 0, 3, -4, 0, 2, -7, 6, 0, 0, 3, -8, 11 },
{ 4, -7, -25, -19, -9, 8, 86, 65, -14, -7, -7, 97 },
{ 3, 3, 2, -30, 6, -34, 43, 71, -10, 4, -23, 77 },
{ 12, -3, -34, -14, -5, -14, 88, 28, -12, 8, -34, 112 },
{ -1, 6, 8, -29, 7, -27, 15, 60, -4, 6, -21, 39 },
{ 8, -1, -7, -22, 5, -41, 63, 40, -13, 7, -28, 105 },
{ 1, 3, -5, -1, 1, -10, 12, -1, 0, 3, -9, 19 },
{ 10, -1, -23, -14, -3, -27, 78, 24, -14, 8, -28, 102 },
{ 0, 0, -1, 0, 0, -1, 1, 0, 0, 0, 0, 1 },
{ 7, 3, -19, -7, 2, -27, 51, 8, -6, 7, -24, 64 },
{ 11, -10, -22, -22, -11, -12, 87, 49, -20, 4, -16, 108 },
{ 17, -2, -69, -4, -4, 22, 106, 31, -7, 13, -63, 121 },
{ 1, 4, -1, -7, 5, -26, 24, 0, 1, 3, -18, 51 },
{ 3, 5, -10, -2, 4, -17, 17, 1, -2, 6, -16, 27 },
{ 9, 2, -23, -5, 6, -45, 90, -22, 1, 7, -39, 121 },
{ 4, 5, -15, -2, 4, -22, 34, -2, -2, 7, -22, 48 },
{ 6, 8, -22, -3, 4, -32, 57, -3, -4, 11, -43, 102 },
{ 2, 5, -11, 1, 12, -46, 64, -32, 7, 4, -31, 85 },
{ 5, 5, -12, -8, 6, -48, 74, -13, -1, 7, -41, 129 },
{ 0, 1, -1, 0, 1, -3, 2, 0, 0, 1, -3, 4 },
{ -1, 3, 16, -42, 6, -16, 2, 105, 6, 6, -31, 43 },
{ 7, 8, -27, -4, -4, -23, 46, 79, 64, -8, -13, 68 },
{ -3, 12, -4, -34, 14, -6, -24, 179, 56, 2, -48, 15 },
{ 8, 0, -16, -25, -1, -29, 68, 84, 3, -3, -18, 94 },
{ -3, 1, 22, -32, 2, -20, 5, 89, 0, 9, -18, 40 },
{ 14, 6, -51, 22, -10, -22, 36, 75, 106, -4, -11, 56 },
{ 1, 38, -59, 14, 8, -44, -18, 156, 80, -1, -42, 29 },
{ -1, 2, 4, -9, 3, -13, 7, 17, -4, 2, -6, 17 },
{ 11, -2, -15, -36, 2, -32, 67, 89, -19, -1, -14, 103 },
{ -1, 10, 3, -28, 7, -27, 7, 117, 34, 1, -35, 51 },
{ 3, 3, 4, -18, 6, -40, 36, 18, -8, 7, -25, 86 },
{ -1, 3, 9, -18, 5, -26, 12, 37, -11, 3, -7, 32 },
{ 0, 17, -38, -9, -28, -17, 25, 48, 103, 2, 40, 69 },
{ 6, 4, -11, -20, 5, -32, 51, 77, 17, 0, -25, 84 },
{ 0, -5, 28, -24, -1, -22, 18, -9, 17, -1, -12, 107 },
{ -10, -4, 17, -30, -29, 31, 40, 49, 44, -26, 67, 67 },
{ -30, -12, 39, 15, -21, 32, 29, 26, 71, 20, 43, 28 },
{ 6, -7, -7, -34, -21, 15, 53, 60, 12, -26, 45, 89 },
{ -1, -5, 59, -58, -8, -30, 2, 17, 34, -7, 25, 111 },
{ 7, 1, -7, -20, -9, -22, 48, 27, -4, -6, 0, 107 },
{ -2, 22, 29, -70, -4, -28, 2, 19, 94, -40, 14, 110 }
}
```

```
{ 13, 0, -22, -27, -11, -15, 66, 44, -7, -5, -10, 121 },
{ 10, 6, -22, -14, -2, -33, 68, 15, -9, 5, -35, 135 },
{ 2, 11, 4, -32, -3, -20, 23, 18, 17, -1, -28, 88 },
{ 0, 3, -2, -1, 3, -16, 16, -3, 0, 2, -12, 35 },
{ 1, 6, -6, -3, 10, -51, 70, -31, 5, 6, -42, 125 },
{ 5, -7, 61, -71, -36, -6, -2, 15, 57, 18, 14, 108 },
{ 9, 1, 35, -70, -73, 28, 13, 1, 96, 40, 36, 80 },
{ 11, -7, 33, -72, -78, 48, 33, 37, 35, 7, 85, 76 },
{ 4, 15, 1, -26, -24, -19, 32, 29, -8, -6, 21, 125 },
{ 11, 8, 14, -57, -63, 21, 34, 51, 7, -3, 69, 89 },
{ 7, 16, -7, -31, -38, -5, 41, 44, -11, -10, 45, 109 },
{ 5, 16, 16, -46, -55, 3, 22, 32, 13, 0, 48, 107 },
{ 2, 10, -3, -14, -9, -28, 39, 15, -10, -5, -1, 123 },
{ 3, 11, 11, -27, -17, -24, 18, 22, 2, 4, 3, 100 },
{ 0, 1, 7, -9, 3, -20, 16, 3, -2, 0, -9, 61 },
}
```

AlfClassToFiltMap[ m ][ n ] = (103)

```
{
{ 0, 1, 2, 3, 4, 5, 6, 7, 9, 19, 32, 41, 42, 44, 46, 63 },
{ 0, 1, 2, 4, 5, 6, 7, 9, 11, 16, 25, 27, 28, 31, 32, 47 },
{ 5, 7, 9, 11, 12, 14, 15, 16, 17, 18, 19, 21, 22, 27, 31, 33 },
{ 7, 8, 9, 11, 14, 15, 16, 17, 18, 19, 22, 23, 24, 25, 35, 36 },
{ 7, 8, 11, 13, 14, 15, 16, 17, 19, 20, 21, 22, 23, 24, 25, 27 },
{ 1, 2, 3, 4, 6, 19, 29, 30, 33, 34, 37, 41, 42, 44, 47, 54 },
{ 1, 2, 3, 4, 6, 11, 28, 29, 30, 31, 32, 33, 34, 37, 47, 63 },
{ 0, 1, 4, 6, 10, 12, 13, 19, 28, 29, 31, 32, 34, 35, 36, 37 },
{ 6, 9, 10, 12, 13, 16, 19, 20, 28, 31, 35, 36, 37, 38, 39, 52 },
{ 7, 8, 10, 11, 12, 13, 19, 23, 25, 27, 28, 31, 35, 36, 38, 39 },
{ 1, 2, 3, 5, 29, 30, 33, 34, 40, 43, 44, 46, 54, 55, 62 },
{ 1, 2, 3, 4, 29, 30, 31, 33, 34, 37, 40, 41, 43, 44, 59, 61 },
{ 0, 1, 3, 6, 19, 28, 29, 30, 31, 32, 33, 34, 37, 41, 44, 61 },
{ 1, 6, 10, 13, 19, 28, 29, 30, 32, 33, 34, 35, 37, 41, 48, 52 },
{ 0, 5, 6, 10, 19, 27, 28, 29, 32, 37, 38, 40, 41, 47, 49, 58 },
{ 1, 2, 3, 4, 11, 29, 33, 42, 43, 44, 45, 46, 48, 55, 56, 59 },
{ 0, 1, 2, 5, 7, 9, 29, 40, 43, 44, 45, 47, 48, 56, 59, 63 },
{ 0, 4, 5, 9, 14, 19, 26, 35, 36, 43, 45, 47, 48, 49, 50, 51 },
{ 9, 11, 12, 14, 16, 19, 20, 24, 26, 36, 38, 47, 49, 50, 51, 53 },
{ 7, 8, 13, 14, 20, 21, 24, 25, 26, 27, 35, 38, 47, 50, 52, 53 },
{ 1, 2, 4, 29, 33, 40, 41, 42, 43, 44, 45, 46, 54, 55, 56, 58 },
{ 2, 4, 32, 40, 42, 43, 44, 45, 46, 54, 55, 56, 58, 59, 60, 62 },
{ 0, 19, 42, 43, 45, 46, 48, 54, 55, 56, 57, 58, 59, 60, 61, 62 },
{ 8, 13, 36, 42, 45, 46, 51, 53, 54, 57, 58, 59, 60, 61, 62, 63 },
{ 8, 13, 20, 27, 36, 38, 42, 46, 52, 53, 56, 57, 59, 61, 62, 63 },
}
```

The last filter coefficients  $\text{AlfCoeff}_L[\text{adaptation\_parameter\_set\_id}][\text{filtIdx}][12]$  for  $\text{filtIdx} = 0.. \text{NumAlfFilters} - 1$  are derived as follows:

$$\text{AlfCoeff}_L[\text{adaptation\_parameter\_set\_id}][\text{filtIdx}][12] = 512 - \sum_k (\text{AlfCoeff}_L[\text{adaptation\_parameter\_set\_id}][\text{filtIdx}][k] \ll 1), \text{ with } k = 0.. \text{NumAlfCoefs} - 2 \quad (104)$$

The values of  $\text{AlfCoeff}_L[\text{adaptation\_parameter\_set\_id}][\text{filtIdx}][j]$  with  $\text{filtIdx} = 0.. \text{NumAlfFilters} - 1$ ,  $j = 0..11$  shall be in the range of  $-2^9$  to  $2^9 - 1$ , inclusive and the values of  $\text{AlfCoeff}_L[\text{adaptation\_parameter\_set\_id}][\text{filtIdx}][12]$  shall be in the range of  $-2^{10}$  to  $2^{10} - 1$ , inclusive.

**alf\_chroma\_min\_eg\_order\_minus1** plus 1 specifies the minimum order of the exp-Golomb code for chroma filter coefficient signalling. The value of **alf\_chroma\_min\_eg\_order\_minus1** shall be in the range of 0 to 6, inclusive.

**alf\_chroma\_eg\_order\_increase\_flag[ i ]** equal to 1 specifies that the minimum order of the exp-Golomb code for chroma filter coefficient signalling is incremented by 1. **alf\_chroma\_eg\_order\_increase\_flag[ i ]** equal to 0 specifies that the minimum order of the exp-Golomb code for chroma filter coefficient signalling is not incremented by 1.

The variable **kMin** is set equal to **alf\_chroma\_min\_eg\_order\_minus1 + 1** and the value **ChromaMaxGolombIdx** is set equal to 2.

With  $i$  being in range from 0 to  $\text{ChromaMaxGolombIdx} - 1$ , inclusive, the order  $\text{expGoOrderC}[i]$  of the exp-Golomb code used to decode the values of  $\text{alf\_chroma\_coeff\_abs}[j]$  is derived as follows:

$$\text{expGoOrderC}[i] = \text{kMin} + \text{alf\_chroma\_eg\_order\_increase\_flag}[i] \quad (105)$$

$$\text{kMin} = \text{expGoOrderY}[i] \quad (106)$$

**alf\_chroma\_coeff\_abs**[ $j$ ] specifies the absolute value of the  $j$ -th chroma filter coefficient. When **alf\_chroma\_coeff\_abs**[ $j$ ] is not present, it is inferred to be equal to 0.

The order  $k$  of the exp-Golomb binarization  $\text{uek}(v)$  is derived as follows:

$$\text{golombOrderIdxC}[] = \{ 0, 0, 1, 0, 0, 1 \} \quad (107)$$

$$k = \text{expGoOrderC}[\text{golombOrderIdxC}[j]] \quad (108)$$

**alf\_chroma\_coeff\_sign\_flag**[ $j$ ] specifies the sign of the  $j$ -th chroma filter coefficient as follows:

- If **alf\_chroma\_coeff\_sign\_flag**[ $j$ ] is equal to 0, the corresponding chroma filter coefficient has a negative value.
- Otherwise (**alf\_chroma\_coeff\_sign\_flag**[ $j$ ] is equal to 1), the corresponding chroma filter coefficient has a positive value.

When **alf\_chroma\_coeff\_sign\_flag**[ $j$ ] is not present, it is inferred to be equal to 1.

The chroma filter coefficients  $\text{AlfCoeff}_c[\text{adaptation\_parameter\_set\_id}]$  with elements  $\text{AlfCoeff}_c[\text{adaptation\_parameter\_set\_id}][j]$ , with  $j = 0..5$  are derived as follows:

$$\text{AlfCoeff}_c[\text{adaptation\_parameter\_set\_id}][j] = \text{alf\_chroma\_coeff\_abs}[j] * (2 * \text{alf\_chroma\_coeff\_sign\_flag}[j] - 1) \quad (109)$$

The last filter coefficient for  $j = 6$  is derived as follows:

$$\text{AlfCoeff}_c[\text{adaptation\_parameter\_set\_id}][6] = 512 - \sum_k (\text{AlfCoeff}_c[\text{adaptation\_parameter\_set\_id}][k] \ll 1), \text{ with } k = 0..5 \quad (110)$$

The values of  $\text{AlfCoeff}_c[\text{adaptation\_parameter\_set\_id}][j]$  with  $\text{altIdx} = 0..\text{alf\_chroma\_num\_alt\_filters\_minus1}$ ,  $j = 0..5$  shall be in the range of  $-2^9$  to  $2^9 - 1$ , inclusive and the values of  $\text{AlfCoeff}_c[\text{adaptation\_parameter\_set\_id}][6]$  shall be in the range of  $-2^{10}$  to  $2^{10} - 1$ , inclusive.

#### 7.4.7 DRA data semantics

**dra\_descriptor1** specifies the number of bits used to represent the integer part of the DRA scale parameters signalling. The value of **dra\_descriptor1** shall be in the range of 0 to 15, inclusive. In the current version of the specification value of syntax element **dra\_descriptor1** is restricted to 4; other values are reserved for future use.

**dra\_descriptor2** specifies the number of bits used to represent the fractional part of the DRA scale parameters signalling and the reconstruction process. The value of **dra\_descriptor2** shall be in the range of 0 to 15, inclusive. In the current version of the specification value of syntax element **dra\_descriptor2** is restricted to 9; other values are reserved for future use.

The variable **numBitsDraScale** is derived as follows:

$$\text{numBitsDraScale} = \text{dra\_descriptor1} + \text{dra\_descriptor2} \quad (111)$$

It is requirement of bitstream conformance that the value of numBitsDraScale shall be greater than 0.

**dra\_number\_ranges\_minus1** plus 1 specifies the number of ranges signalled to describe the DRA table. The value of dra\_number\_ranges\_minus1 shall be in the range of 0 to 31, inclusive.

**dra\_equal\_ranges\_flag** equal to 1 specifies that the DRA table is derived using equal-sized ranges, with size specified by the syntax element dra\_delta\_range[ 0 ]. dra\_equal\_ranges\_flag equal to 0 specifies that the DRA table is derived using dra\_number\_ranges, with the size of each of the ranges specified by the syntax element dra\_delta\_range[ j ].

**dra\_global\_offset** specifies that the starting codeword position utilized to derive the DRA table, InDraRange[ 0 ]. The value of dra\_global\_offset shall be in the range of 1 to  $\text{Min}(1023, (1 \ll \text{BitDepth}_Y) - 1)$ , inclusive.

**dra\_delta\_range[ j ]** specifies the size of the j-th range in codewords which is utilized to derive the DRA table, for j in the range of 0 to dra\_number\_ranges\_minus1, inclusive. The value of dra\_delta\_range[ j ] shall be in the range of 1 to  $\text{Min}(1023, (1 \ll \text{BitDepth}_Y) - 1)$ , inclusive.

The variable InDraRange[ 0 ] is initialized as follows:

$$\text{InDraRange}[ 0 ] = \text{dra\_global\_offset} \ll \text{Max}( 0, \text{BitDepth}_Y - 10 ) \quad (112)$$

The variable InDraRange[ j ] for j in the range of 1 to dra\_number\_ranges\_minus1 + 1, inclusive, are derived as follows:

$$\text{deltaRange} = ( \text{dra\_equal\_ranges\_flag} = 1 ) ? \text{dra\_delta\_range}[ 0 ] : \text{dra\_delta\_range}[ j - 1 ] \quad (113)$$

$$\text{InDraRange}[ j ] = \text{InDraRange}[ j - 1 ] + ( \text{deltaRange} \ll \text{Max}( 0, \text{BitDepth}_Y - 10 ) ) \quad (114)$$

It is a requirement of the bitstream conformance that InDraRange[ j ] shall be in the range 0 to  $(1 \ll \text{BitDepth}_Y) - 1$ , inclusive.

**dra\_scale\_value[ j ]** specifies the DRA scale value associated with j-th range of the DRA table. The number of bits used to signal dra\_scale\_value[ j ] is equal to numBitsDraScale.

**dra\_cb\_scale\_value** specifies the scale value for chroma samples of the Cb component utilized to derive the DRA table. The number of bits used to signal dra\_cb\_scale\_value is equal to numBitsDraScale.

**dra\_cr\_scale\_value** specifies the scale value for chroma samples of the Cr component utilized to derive the DRA table. The number of bits used to signal dra\_cr\_scale\_value is equal to numBitsDraScale.

The values of dra\_scale\_value[ j ] for j in the range of 0 to dra\_number\_ranges\_minus1, inclusive, dra\_cb\_scale\_value and dra\_cr\_scale\_value shall not be equal to 0. In the current version of the specification, the value of syntax elements dra\_scale\_value[ j ], dra\_cb\_scale\_value and dra\_cr\_scale\_value shall be less than  $4 \ll \text{dra\_descriptor2}$ . Other values are reserved for future use. When ChromaArrayType is equal to 0, it is requirements of the bitstream conforming to this document, that values dra\_cb\_scale\_value and dra\_cr\_scale\_value shall be equal to 1.

**dra\_table\_idx** specifies the mode the chroma scale derivation process, and when it is applicable, dra\_table\_idx is less than or equal to 57, the access entry of the ChromaQpTable utilized to derived the chroma scale values. The value of dra\_table\_idx shall be in the range of 0 to 58, inclusive. When ChromaArrayType is equal to 0, it is requirements of the bitstream conforming to this document, that values dra\_table\_idx shall be equal to 58.

If `dra_table_idx` is equal to 58, the variable `DraJoinedScaleFlag` is set equal to 0, otherwise it is set equal to 1.

The variable `numOutRangesL` is set equal to `dra_number_ranges_minus1 + 1`.

The variable `OutRangesL[adaptation_parameter_set_id][0]` is set equal to 0, the variable `OutRangesL[i]`, for `i` in the range of 0 to `numOutRangesL`, inclusive, are derived as follows:

$$\text{outDelta} = \text{dra\_scale\_value}[i - 1] * (\text{InDraRange}[i] - \text{InDraRange}[i - 1]) \quad (115)$$

$$\begin{aligned} \text{OutRangesL}[adaptation\_parameter\_set\_id][i] = \\ \text{OutRangesL}[adaptation\_parameter\_set\_id][i - 1] + \text{outDelta} \end{aligned} \quad (116)$$

The variables denoting DRA scale and offset values, `InvLumaScales[adaptation_parameter_set_id][i]`, and `DraOffsets[adaptation_parameter_set_id][i]` respectively, for `i` in the range of 1 to `dra_number_ranges_minus1`, inclusive, are derived as follows:

$$\text{invScalePrec} = 18 \quad (117)$$

$$\text{invScale} = ((1 \ll \text{invScalePrec}) + (\text{dra\_scale\_val}[i] \gg 1)) / \text{dra\_scale\_val}[i] \quad (118)$$

$$\text{InvLumaScales}[adaptation\_parameter\_set\_id][i] = \text{invScale} \quad (119)$$

$$\text{diffVal} = \text{OutRangesL}[i + 1] * \text{invScale} \quad (120)$$

$$\begin{aligned} \text{DraOffsets}[adaptation\_parameter\_set\_id][i] = ((\text{InDraRange}[i + 1] \ll \text{invScalePrec}) - \text{diffVal} + \\ (1 \ll (\text{dra\_descriptor2} - 1))) \gg \text{dra\_descriptor2} \end{aligned} \quad (121)$$

The variable `OutRangesL[i]`, for `i` in the range of 0 to `numOutRangesL`, inclusive, are modified as follows:

$$\begin{aligned} \text{OutRangesL}[adaptation\_parameter\_set\_id][i] = (\text{OutRangesL}[adaptation\_parameter\_set\_id][i] + \\ (1 \ll (\text{dra\_descriptor2} - 1))) \gg \text{dra\_descriptor2} \end{aligned} \quad (122)$$

When `ChromaArrayType` is not equal to 0, the process of deriving output chroma DRA parameters in subclause 8.9.7 is invoked with array of luma scale values `dra_scale_val[]`, array of luma range values `OutRangesL[]`, and chroma index `cldx` as inputs, and array of chroma scale values `OutScalesC[][]`, array of chroma offset values `OutOffsetsC[][]` and array of chroma range values `OutRangesC[][]` as outputs.

#### 7.4.8 Reference picture list structure semantics

The `ref_pic_list_struct(listIdx, rplsIdx, ltrpFlag)` syntax structure may be present in an SPS or in a slice header. Depending on whether the syntax structure is included in a slice header or an SPS, the following applies:

- If present in a slice header, the `ref_pic_list_struct(listIdx, rplsIdx, ltrpFlag)` syntax structure specifies reference picture list `listIdx` of the current picture (the picture containing the slice).
- Otherwise (present in an SPS), the `ref_pic_list_struct(listIdx, rplsIdx, ltrpFlag)` syntax structure specifies a candidate for reference picture list `listIdx`, and the term "the current picture" in the semantics specified in the remainder of this subclause refers to each picture that 1) has one or more slices containing `ref_pic_list_idx[listIdx]` equal to an index into the list of the `ref_pic_list_struct(listIdx, rplsIdx, ltrpFlag)` syntax structures included in the SPS, and 2) is in a CVS that has the SPS as the active SPS.

**num\_strp\_entries**[ listIdx ][ rplsIdx ] specifies the number of STRP entries in the ref\_pic\_list\_struct( listIdx, rplsIdx, ltrpFlag ) syntax structure. When not present, the value of num\_ltrp\_entries[ listIdx ][ rplsIdx ] is inferred to be equal to 0. The value of num\_strp\_entries[ listIdx ][ rplsIdx ] shall be in the range of 0 to sps\_max\_dec\_pic\_buffering\_minus1, inclusive.

**num\_ltrp\_entries**[ listIdx ][ rplsIdx ] specifies the number of LTRP entries in the ref\_pic\_list\_struct( listIdx, rplsIdx, ltrpFlag ) syntax structure. When not present, the value of num\_ltrp\_entries[ listIdx ][ rplsIdx ] is inferred to be equal to 0.

The variable NumEntriesInList[ listIdx ][ rplsIdx ] is derived as follows:

$$\text{NumEntriesInList[ listIdx ][ rplsIdx ]} = \text{num\_strp\_entries[ listIdx ][ rplsIdx ]} + \text{num\_ltrp\_entries[ listIdx ][ rplsIdx ]} \quad (123)$$

The value of NumEntriesInList[ listIdx ][ rplsIdx ] shall be in the range of 0 to sps\_max\_dec\_pic\_buffering\_minus1, inclusive.

**lt\_ref\_pic\_flag**[ listIdx ][ rplsIdx ][ i ] equal to 1 specifies that the i-th entry in the ref\_pic\_list\_struct( listIdx, rplsIdx, ltrpFlag ) syntax structure is an LTRP entry. lt\_ref\_pic\_flag[ listIdx ][ rplsIdx ][ i ] equal to 0 specifies that the i-th entry in the ref\_pic\_list\_struct( listIdx, rplsIdx, ltrpFlag ) syntax structure is an STRP entry. When not present, the value of lt\_ref\_pic\_flag[ listIdx ][ rplsIdx ][ i ] is inferred to be equal to 0.

The sum of lt\_ref\_pic\_flag[ listIdx ][ rplsIdx ][ i ] for all values of i in the range of 0 to NumEntriesInList[ listIdx ][ rplsIdx ] - 1, inclusive, shall be equal to num\_ltrp\_entries[ listIdx ][ rplsIdx ].

**delta\_poc\_st**[ listIdx ][ rplsIdx ][ i ], when the i-th entry is the first STRP entry in ref\_pic\_list\_struct( rplsIdx, ltrpFlag ) syntax structure, specifies the absolute difference between the picture order count values of the current picture and the picture referred to by the i-th entry, or, when the i-th entry is an STRP entry but not the first STRP entry in the ref\_pic\_list\_struct( rplsIdx, ltrpFlag ) syntax structure, specifies the absolute difference between the picture order count values of the pictures referred to by the i-th entry and by the previous STRP entry in the ref\_pic\_list\_struct( listIdx, rplsIdx, ltrpFlag ) syntax structure.

The value of delta\_poc\_st[ listIdx ][ rplsIdx ][ i ] shall be in the range of  $-2^{15}$  to  $2^{15} - 1$ , inclusive.

**strp\_entry\_sign\_flag**[ listIdx ][ rplsIdx ][ i ] equal to 1 specifies that i-th entry in the syntax structure ref\_pic\_list\_struct( listIdx, rplsIdx, ltrpFlag ) has a value greater than or equal to 0. strp\_entry\_sign\_flag[ listIdx ][ rplsIdx ] equal to 0 specifies that the i-th entry in the syntax structure ref\_pic\_list\_struct( listIdx, rplsIdx, ltrpFlag ) has a value less than 0. When not present, the value of strp\_entry\_sign\_flag[ i ][ j ] is inferred to be equal to 1.

The list DeltaPocSt[ listIdx ][ rplsIdx ] is derived as follows:

$$\begin{aligned} &\text{for( } i = 0; i < \text{NumEntriesInList[ listIdx ][ rplsIdx ]; } i++ \text{ ) } \{ \\ &\quad \text{if( !lt\_ref\_pic\_flag[ i ][ RplsIdx[ i ] ][ j ] )} \\ &\quad\quad \text{DeltaPocSt[ listIdx ][ rplsIdx ][ i ]} = ( \text{strp\_entry\_sign\_flag[ listIdx ][ rplsIdx ][ i ] } ) ? \\ &\quad\quad\quad \text{delta\_poc\_st[ listIdx ][ rplsIdx ][ i ]} : 0 - \text{delta\_poc\_st[ listIdx ][ rplsIdx ][ i ]} \\ &\quad \} \end{aligned} \quad (124)$$

**poc\_lsb\_lt**[ listIdx ][ rplsIdx ][ i ] specifies the value of the picture order count modulo MaxPicOrderCntLsb of the picture referred to by the i-th entry in the ref\_pic\_list\_struct( listIdx, rplsIdx, ltrpFlag ) syntax structure. The length of the poc\_lsb\_lt[ listIdx ][ rplsIdx ][ i ] syntax element is  $\log_2 \text{max\_pic\_order\_cnt\_lsb\_minus4} + 4$  bits.

## 7.4.9 Slice data semantics

### 7.4.9.1 General slice data semantics

**end\_of\_tile\_one\_bit** shall be equal to 1.

### 7.4.9.2 Coding tree unit semantics

The CTU is the root node of the coding structure.

The array  $\text{IsCoded}[x][y]$ , with  $x = x_0..x_0 + (1 \ll \text{CtbLog2SizeY})$ , and  $y = y_0..y_0 + (1 \ll \text{CtbLog2SizeY})$ , specifying whether the sample at  $(x, y)$  is coded is initialized as follows:

$$\text{IsCoded}[x][y] = \text{FALSE} \quad (125)$$

**alf\_ctb\_flag** $[x_{\text{Ctb}} \gg \text{CtbLog2SizeY}][y_{\text{Ctb}} \gg \text{CtbLog2SizeY}]$  equal to 1 specifies that the adaptive loop filter is applied to the coding tree block of the luma component of the coding tree unit at luma location  $(x_{\text{Ctb}}, y_{\text{Ctb}})$ . **alf\_ctb\_flag** $[x_{\text{Ctb}} \gg \text{CtbLog2SizeY}][y_{\text{Ctb}} \gg \text{CtbLog2SizeY}]$  equal to 0 specifies that the adaptive loop filter is not applied to the coding tree block of the luma of the coding tree unit at luma location  $(x_{\text{Ctb}}, y_{\text{Ctb}})$ .

When **alf\_ctb\_flag** $[x_{\text{Ctb}} \gg \text{CtbLog2SizeY}][y_{\text{Ctb}} \gg \text{CtbLog2SizeY}]$  is not present, it is inferred to be equal to **slice\_alf\_enabled\_flag**.

**alf\_ctb\_chroma\_flag** $[x_{\text{Ctb}} \gg \text{CtbLog2SizeY}][y_{\text{Ctb}} \gg \text{CtbLog2SizeY}]$  equal to 1 specifies that the adaptive loop filter is applied to the coding tree block of the Cb chroma component of the coding tree unit at location  $(x_{\text{Ctb}}, y_{\text{Ctb}})$ . **alf\_ctb\_chroma\_flag** $[x_{\text{Ctb}} \gg \text{CtbLog2SizeY}][y_{\text{Ctb}} \gg \text{CtbLog2SizeY}]$  equal to 0 specifies that the adaptive loop filter is not applied to the coding tree block of the Cb chroma component of the coding tree unit at location  $(x_{\text{Ctb}}, y_{\text{Ctb}})$ .

When **alf\_ctb\_chroma\_flag** $[x_{\text{Ctb}} \gg \text{CtbLog2SizeY}][y_{\text{Ctb}} \gg \text{CtbLog2SizeY}]$  is not present, it is inferred to be equal to **sliceChromaAlfEnabledFlag**.

**alf\_ctb\_chroma2\_flag** $[x_{\text{Ctb}} \gg \text{CtbLog2SizeY}][y_{\text{Ctb}} \gg \text{CtbLog2SizeY}]$  equal to 1 specifies that the adaptive loop filter is applied to the coding tree block of the Cr chroma component of the coding tree unit at location  $(x_{\text{Ctb}}, y_{\text{Ctb}})$ . **alf\_ctb\_chroma2\_flag** $[x_{\text{Ctb}} \gg \text{CtbLog2SizeY}][y_{\text{Ctb}} \gg \text{CtbLog2SizeY}]$  equal to 0 specifies that the adaptive loop filter is not applied to the coding tree block of the Cr chroma component of the coding tree unit at location  $(x_{\text{Ctb}}, y_{\text{Ctb}})$ .

When **alf\_ctb\_chroma2\_flag** $[x_{\text{Ctb}} \gg \text{CtbLog2SizeY}][y_{\text{Ctb}} \gg \text{CtbLog2SizeY}]$  is not present, it is inferred to be equal to **sliceChroma2AlfEnabledFlag**.

### 7.4.9.3 Split unit semantics

**split\_cu\_flag** $[x_0][y_0]$  specifies whether a coding unit is split into coding units with half horizontal and vertical size. The array indices  $x_0, y_0$  specify the location  $(x_0, y_0)$  of the top-left luma sample of the considered coding block relative to the top-left luma sample of the picture. When **split\_cu\_flag** $[x_0][y_0]$  is not present, the value of **split\_cu\_flag** $[x_0][y_0]$  is inferred to be equal to 0.

The variables **allowSplitBtVer**, **allowSplitBtHor**, **allowSplitTtVer** and **allowSplitTtHor** are derived as follows:

— The variable **allowSplitBtVer** is derived as follows:

- A variable  $\log_2\text{CbWidthTemp}$  is set equal to  $\log_2\text{CbWidth} - 1$ .
- A variable  $\log_2\text{CbSizeLongerSide}$  is set equal to  $(\log_2\text{CbWidthTemp} > \log_2\text{CbHeight} ? \log_2\text{CbWidthTemp} : \log_2\text{CbHeight})$ .
- A variable  $\text{ratioWH}$  is set equal to  $\text{Abs}(\log_2\text{CbWidthTemp} - \log_2\text{CbHeight})$ .
- If one or more of the following conditions are true,  $\text{allowSplitBtVer}$  is set equal to FALSE.
  - $\log_2\text{CbWidthTemp}$  is less than 2.
  - If  $\text{ratioWH}$  is equal to 0,  $\log_2\text{CbSizeLongerSide}$  is greater than  $\text{MaxCbLog}_2\text{Size11Ratio}$  or  $\log_2\text{CbSizeLongerSide}$  is less than  $\text{MinCbLog}_2\text{Size11Ratio}$ .
  - If  $\text{ratioWH}$  is equal to 1,  $\log_2\text{CbSizeLongerSide}$  is greater than  $\text{MaxCbLog}_2\text{Size12Ratio}$  or  $\log_2\text{CbSizeLongerSide}$  is less than  $\text{MinCbLog}_2\text{Size12Ratio}$ .
  - If  $\text{ratioWH}$  is equal to 2,  $\log_2\text{CbSizeLongerSide}$  is greater than  $\text{MaxCbLog}_2\text{Size14Ratio}$  or  $\log_2\text{CbSizeLongerSide}$  is less than  $\text{MinCbLog}_2\text{Size14Ratio}$ .
  - If  $\text{predModeConstraintCurrent}$  is equal to  $\text{PRED\_MODE\_CONSTRAINT\_INTER}$  and  $\log_2\text{CbWidthTemp}$  is equal to 2 and  $\log_2\text{CbHeight}$  is equal to 2.
- Otherwise,  $\text{allowSplitBtVer}$  is set equal to TRUE.
- The variable  $\text{allowSplitBtHor}$  is derived as follows:
  - A variable  $\log_2\text{CbHeightTemp}$  is set equal to  $\log_2\text{CbHeight} - 1$ .
  - A variable  $\log_2\text{CbSizeLongerSide}$  is set equal to  $(\log_2\text{CbWidth} > \log_2\text{CbHeightTemp} ? \log_2\text{CbWidth} : \log_2\text{CbHeightTemp})$ .
  - A variable  $\text{ratioWH}$  is set equal to  $\text{Abs}(\log_2\text{CbWidth} - \log_2\text{CbHeightTemp})$ .
  - If one or more of the following conditions are true,  $\text{allowSplitBtHor}$  is set equal to FALSE.
    - $\log_2\text{CbHeightTemp}$  is less than 2.
    - If  $\text{ratioWH}$  is equal to 0,  $\log_2\text{CbSizeLongerSide}$  is greater than  $\text{MaxCbLog}_2\text{Size11Ratio}$  or  $\log_2\text{CbSizeLongerSide}$  is less than  $\text{MinCbLog}_2\text{Size11Ratio}$ .
    - If  $\text{ratioWH}$  is equal to 1,  $\log_2\text{CbSizeLongerSide}$  is greater than  $\text{MaxCbLog}_2\text{Size12Ratio}$  or  $\log_2\text{CbSizeLongerSide}$  is less than  $\text{MinCbLog}_2\text{Size12Ratio}$ .
    - If  $\text{ratioWH}$  is equal to 2,  $\log_2\text{CbSizeLongerSide}$  is greater than  $\text{MaxCbLog}_2\text{Size14Ratio}$  or  $\log_2\text{CbSizeLongerSide}$  is less than  $\text{MinCbLog}_2\text{Size14Ratio}$ .
    - If  $\text{predModeConstraintCurrent}$  is equal to  $\text{PRED\_MODE\_CONSTRAINT\_INTER}$  and  $\log_2\text{CbWidth}$  is equal to 2 and  $\log_2\text{CbHeightTemp}$  is equal to 2.
  - Otherwise,  $\text{allowSplitBtHor}$  is set equal to TRUE.
- The variable  $\text{allowSplitTtVer}$  is derived as follows:
  - If one or more of the following conditions are true,  $\text{allowSplitTtVer}$  is set equal to FALSE.

- $\log_2\text{CbWidth}$  is less than  $\log_2\text{CbHeight}$ .
  - $\log_2\text{CbWidth}$  is greater than  $\text{MaxTtLog}_2\text{Size}$  or  $\log_2\text{CbWidth}$  is less than  $\text{MinTtLog}_2\text{Size}$ .
  - $\log_2\text{CbWidth}$  is equal to  $\log_2\text{CbHeight}$  and  $\log_2\text{CbWidth}$  is larger than  $\text{MaxCbLog}_2\text{Size}_{14}\text{Ratio}$ .
  - $\log_2\text{CbWidth}$  is equal to  $\log_2\text{CbHeight}$  and  $\log_2\text{CbWidth}$  is smaller than  $\text{MinCbLog}_2\text{Size}_{14}\text{Ratio}$ .
  - If  $\text{predModeConstraintCurrent}$  is equal to  $\text{PRED\_MODE\_CONSTRAINT\_INTER}$  and  $\log_2\text{CbWidth}$  is equal to 4 and  $\log_2\text{CbHeight}$  is equal to 2.
  - Otherwise,  $\text{allowSplitTtVer}$  is set equal to TRUE.
- The variable  $\text{allowSplitTtHor}$  is derived as follows:
- If one or more of the following conditions are true,  $\text{allowSplitTtHor}$  is set equal to FALSE.
    - $\log_2\text{CbHeight}$  is less than  $\log_2\text{CbWidth}$ .
    - $\log_2\text{CbHeight}$  is greater than  $\text{MaxTtLog}_2\text{Size}$  or  $\log_2\text{CbHeight}$  is less than  $\text{MinTtLog}_2\text{Size}$ .
    - $\log_2\text{CbWidth}$  is equal to  $\log_2\text{CbHeight}$  and  $\log_2\text{CbHeight}$  is larger than  $\text{MaxCbLog}_2\text{Size}_{14}\text{Ratio}$ .
    - $\log_2\text{CbWidth}$  is equal to  $\log_2\text{CbHeight}$  and  $\log_2\text{CbHeight}$  is smaller than  $\text{MinCbLog}_2\text{Size}_{14}\text{Ratio}$ .
    - If  $\text{predModeConstraintCurrent}$  is equal to  $\text{PRED\_MODE\_CONSTRAINT\_INTER}$  and  $\log_2\text{CbWidth}$  is equal to 2 and  $\log_2\text{CbHeight}$  is equal to 4.
  - Otherwise,  $\text{allowSplitTtHor}$  is set equal to TRUE.

**btt\_split\_flag**[  $x_0$  ][  $y_0$  ] specifies whether a coding unit is split. **btt\_split\_flag**[  $x_0$  ][  $y_0$  ] equal to 1 specifies that a coding unit is split into two or three coding units. **btt\_split\_flag**[  $x_0$  ][  $y_0$  ] equal to 0 specifies that a coding unit is not split.

When **btt\_split\_flag**[  $x_0$  ][  $y_0$  ] is not present, the value of **btt\_split\_flag**[  $x_0$  ][  $y_0$  ] is inferred to be equal to 0.

**btt\_split\_dir**[  $x_0$  ][  $y_0$  ] equal to 0 specifies that a coding unit is split in horizontal direction. **btt\_split\_dir**[  $x_0$  ][  $y_0$  ] equal to 1 specifies that a coding unit is split in vertical direction.

When **btt\_split\_dir**[  $x_0$  ][  $y_0$  ] is not present, the value of **btt\_split\_dir**[  $x_0$  ][  $y_0$  ] is inferred to be equal to 1 if  $\text{allowSplitBtVer}$  or  $\text{allowSplitTtVer}$  is equal to 1, otherwise it is inferred to be equal to 0.

**btt\_split\_type**[  $x_0$  ][  $y_0$  ] equal to 0 specifies that a coding unit is split into two coding units. **btt\_split\_type**[  $x_0$  ][  $y_0$  ] equal to 1 specifies that a coding unit is split into three coding units.

When **btt\_split\_type**[  $x_0$  ][  $y_0$  ] is not present, the value of **btt\_split\_type**[  $x_0$  ][  $y_0$  ] is derived as follows:

- If one of the follows are true, **btt\_split\_type**[  $x_0$  ][  $y_0$  ] is set equal to 1:
  - **btt\_split\_dir**[  $x_0$  ][  $y_0$  ] is equal to 0 and  $\text{allowSplitTtHor}$  is equal to 1.

- $\text{btt\_split\_dir}[x_0][y_0]$  is equal to 1 and  $\text{allowSplitTtVer}$  is equal to 1.
  - Otherwise,  $\text{btt\_split\_type}[x_0][y_0]$  is set equal to 0.
- The array  $\text{SplitMode}[x][y]$  is derived as follows for  $x = x_0..x_0 + (1 \ll \log_2\text{CbWidth}) - 1$  and  $y = y_0..y_0 + (1 \ll \log_2\text{CbHeight}) - 1$ :
- If  $\text{btt\_split\_flag}[x_0][y_0]$  is equal to 1, the following applies:
    - If  $\text{btt\_split\_dir}[x_0][y_0]$  is equal to 0, the following applies:
      - If  $\text{btt\_split\_type}[x_0][y_0]$  is equal to 0,  $\text{SplitMode}[x][y]$  is set equal to  $\text{SPLIT\_BT\_HOR}$ .
      - Otherwise ( $\text{btt\_split\_type}[x_0][y_0]$  is equal to 1),  $\text{SplitMode}[x][y]$  is set equal to  $\text{SPLIT\_TT\_VER}$ .
    - Otherwise ( $\text{btt\_split\_dir}[x_0][y_0]$  is equal to 1), the following applies:
      - If  $\text{btt\_split\_type}[x_0][y_0]$  is equal to 0,  $\text{SplitMode}[x][y]$  is set equal to  $\text{SPLIT\_BT\_VER}$ .
      - Otherwise ( $\text{btt\_split\_type}[x_0][y_0]$  is equal to 1),  $\text{SplitMode}[x][y]$  is set equal to  $\text{SPLIT\_TT\_VER}$ .
  - Otherwise, if  $x_0 + (1 \ll \log_2\text{CbWidth})$  is greater than  $\text{pic\_width\_in\_luma\_samples}$  and  $y_0 + (1 \ll \log_2\text{CbHeight})$  is smaller than or equal to  $\text{pic\_height\_in\_luma\_samples}$ , the following applies:
    - If  $\text{allowSplitBtVer}$  is equal to  $\text{TRUE}$ ,  $\text{SplitMode}[x][y]$  is set equal to  $\text{SPLIT\_BT\_VER}$ .
    - Otherwise,  $\text{SplitMode}[x][y]$  is set equal to  $\text{SPLIT\_BT\_HOR}$ .
  - Otherwise, if  $y_0 + (1 \ll \log_2\text{CbHeight})$  is greater than  $\text{pic\_height\_in\_luma\_samples}$ , the following applies:
    - If  $\text{allowSplitBtHor}$  is equal to  $\text{TRUE}$ ,  $\text{SplitMode}[x][y]$  is set equal to  $\text{SPLIT\_BT\_HOR}$ .
    - Otherwise,  $\text{SplitMode}[x][y]$  is set equal to  $\text{SPLIT\_BT\_VER}$ .
  - Otherwise,  $\text{SplitMode}[x][y]$  is set equal to  $\text{NO\_SPLIT}$ .

The array  $\text{CtDepth}[x][y]$  specifies the coding tree depth for a luma coding block covering the location  $(x, y)$ . When  $\text{split\_cu\_flag}[x_0][y_0]$  and  $\text{btt\_split\_flag}[x_0][y_0]$  are equal to 0,  $\text{CtDepth}[x][y]$  is inferred to be equal to  $\text{ctDepth}$  for  $x = x_0..x_0 + (1 \ll \log_2\text{CbWidth}) - 1$  and  $y = y_0..y_0 + (1 \ll \log_2\text{CbHeight}) - 1$ .

The variable  $\text{allowSplitUnitCodingOrder}$  is derived as follows:

- A variable  $\text{log2CbSizeLongerSide}$  is set equal to  $(\text{log2CbWidth} > \text{log2CbHeight} ? \text{log2CbWidth} : \text{log2CbHeight})$ .
- A variable  $\text{log2CbSizeShorterSide}$  is set equal to  $(\text{log2CbWidth} > \text{log2CbHeight} ? \text{log2CbHeight} : \text{log2CbWidth})$ .
- If one or more of the following conditions are true,  $\text{allowSplitUnitCodingOrder}$  is set equal to  $\text{FALSE}$ .

- $\log_2\text{CbSizeLongerSide}$  is greater than  $\text{MaxSucoLog}_2\text{Size}$  or  $\log_2\text{CbSizeShorterSide}$  is less than  $\text{MinSucoLog}_2\text{Size}$ .
  - $x_0 + (1 \ll \log_2\text{CbWidth})$  is greater than  $\text{pic\_width\_in\_luma\_samples}$  or  $y_0 + (1 \ll \log_2\text{CbHeight})$  is greater than  $\text{pic\_height\_in\_luma\_samples}$ .
  - $\log_2\text{CbWidth}$  is equal to or smaller than  $\log_2\text{CbHeight}$ , and  $\text{split\_cu\_flag}[x_0][y_0]$  is equal to 0.
  - $\text{SplitMode}[x_0][y_0]$  is equal to  $\text{SPLIT\_BT\_HOR}$ ,  $\text{SPLIT\_TT\_HOR}$  or  $\text{NO\_SPLIT}$ , and  $\text{split\_cu\_flag}[x_0][y_0]$  is equal to 0.
- Otherwise,  $\text{allowSplitUnitCodingOrder}$  is set equal to  $\text{TRUE}$ .

The variable  $\text{needSignalPredModeConstraintTypeFlag}$  is derived as follows:

- If one of the following conditions is true,  $\text{needSignalPredModeConstraintTypeFlag}$  is set equal to 0:
  - $\text{sps\_btt\_flag}$  is equal to 0 or  $\text{sps\_admvp\_flag}$  is equal to 0.
  - $\text{slice\_type}$  is equal to I.
  - $\text{ChromaArrayType}$  is not equal to 1.
  - $\text{predModeConstraintCurrent}$  is not equal to  $\text{PRED\_MODE\_NO\_CONSTRAINT}$ .
- Otherwise, if one of the following conditions is true,  $\text{needSignalPredModeConstraintTypeFlag}$  is set equal to 1:
  - $\text{cbWidth} * \text{cbHeight}$  is equal to 64 and  $\text{SplitMode}[x_0][y_0]$  is equal to  $\text{SPLIT\_BT\_HOR}$  or  $\text{SPLIT\_BT\_VER}$ .
  - $\text{cbWidth} * \text{cbHeight}$  is equal to 128 and  $\text{SplitMode}[x_0][y_0]$  is equal to  $\text{SPLIT\_TT\_HOR}$  or  $\text{SPLIT\_TT\_VER}$ .
- Otherwise,  $\text{needSignalPredModeConstraintTypeFlag}$  is set equal to 0.

**$\text{split\_unit\_coding\_order\_flag}[x_0][y_0]$**  specifies the coding order of split coding units.  $\text{split\_unit\_coding\_order\_flag}[x_0][y_0]$  equal to 0 specifies the split coding units is coded from left to right.  $\text{split\_unit\_coding\_order\_flag}[x_0][y_0]$  equal to 1 specifies the split coding units is coded from right to left. When  $\text{split\_unit\_coding\_order\_flag}[x_0][y_0]$  is not present, it is inferred to be equal to  $\text{splitUnitOrder}$ .

**$\text{pred\_mode\_constraint\_type\_flag}[x_0][y_0]$**  specifies type of restriction on prediction mode for all coding units inside the current split unit. When  $\text{pred\_mode\_constraint\_type\_flag}[x_0][y_0]$  is not present, it is inferred to be equal to 0.

The variable  $\text{predModeConstraint}$  is derived as follows:

- If  $\text{sps\_btt\_flag}$  is equal to 0 or  $\text{sps\_admvp\_flag}$  is equal to 0,  $\text{predModeConstraint}$  is set equal to  $\text{PRED\_MODE\_NO\_CONSTRAINT}$ .
- Otherwise, if  $\text{needSignalPredModeConstraintTypeFlag}$  is equal to 1, the variable  $\text{predModeConstraint}$  is derived as follows:

$$\text{predModeConstraint} = \text{pred\_mode\_constraint\_type\_flag}[x0][y0] ? \\ \text{PRED\_MODE\_CONSTRAINT\_INTRA\_IBC} : \text{PRED\_MODE\_CONSTRAINT\_INTER} \quad (126)$$

- Otherwise, if `predModeConstraintCurrent` is not equal to `PRED_MODE_NO_CONSTRAINT` the variable `predModeConstraint` is set equal to `predModeConstraintCurrent`.
- Otherwise, if one of the following conditions is true, `predModeConstraint` is set equal to `PRED_MODE_CONSTRAINT_INTRA_IBC`:
  - `ChromaArrayType` is equal to 1 and `cbWidth * cbHeight` is equal to 64 and `SplitMode[x0][y0]` is not equal to `NO_SPLIT`.
  - `ChromaArrayType` is equal to 1 and `cbWidth * cbHeight` is equal to 128 and `SplitMode[x0][y0]` is equal to `SPLIT_TT_HOR` or `SPLIT_TT_VER`.
  - `ChromaArrayType` is equal to 2 and `cbWidth * cbHeight` is equal to 32 and `SplitMode[x0][y0]` is equal to `SPLIT_BT_HOR` or `SPLIT_BT_VER`.
  - `ChromaArrayType` is equal to 2 and `cbWidth * cbHeight` is equal to 64 and `SplitMode[x0][y0]` is equal to `SPLIT_TT_HOR` or `SPLIT_TT_VER`.
- Otherwise, `predModeConstraint` is set equal to `PRED_MODE_NO_CONSTRAINT`.

The variable `isTreeSplitPoint` is set equal to 1 if the following two conditions both are true, and is set equal to 0 otherwise:

- `predModeConstraintCurrent` is equal to `PRED_MODE_NO_CONSTRAINT`.
- `predModeConstraint` is equal to `PRED_MODE_CONSTRAINT_INTRA_IBC`.

#### 7.4.9.4 Coding unit semantics

The luma coding block width `cbWidth` and height `cbHeight` are derived as follows:

$$\text{cbWidth} = (1 \ll \log_2 \text{CbWidth}) \quad (127)$$

$$\text{cbHeight} = (1 \ll \log_2 \text{CbHeight}) \quad (128)$$

The arrays `CbPosX` and `CbPosY` specify horizontal and vertical coordinates of top-left sample of luma block corresponding to considered coding unit. The arrays `CbWidth` and `CbHeight` specify width and height of luma block corresponding to considered coding unit. The array indices `x` and `y` specify the location  $(x, y)$  relative to the top-left luma sample of the picture.

The arrays `CbPosX`, `CbPosY`, `CbWidth`, and `CbHeight` are derived as follows for  $x = x0..x0 + \text{cbWidth} - 1$  and  $y = y0..y0 + \text{cbHeight} - 1$ :

$$\text{CbPosX}[x][y] = x0 \quad (129)$$

$$\text{CbPosY}[x][y] = y0 \quad (130)$$

$$\text{CbWidth}[x][y] = \text{cbWidth} \quad (131)$$

$$\text{CbHeight}[x][y] = \text{cbHeight} \quad (132)$$

The array `LumaPredMode[ x ][ y ]` specify prediction mode of luma block covers location ( x, y ). The array indices x, y specify the location ( x,y ) relative to the top-left luma sample of the picture. `LumaPredMode[ x ][ y ]` can be one of followings: `MODE_INTRA`, `MODE_INTER`, and `MODE_IBC`.

`cu_skip_flag[ x0 ][ y0 ]` equal to 1 specifies that for the current coding unit, when decoding a P or B slice, no more syntax elements except the motion vector predictor indices `mvp_idx_l0[ x0 ][ y0 ]` and `mvp_idx_l1[ x0 ][ y0 ]` are parsed after `cu_skip_flag[ x0 ][ y0 ]`. `cu_skip_flag[ x0 ][ y0 ]` equal to 0 specifies that the coding unit is not skipped. The array indices x0, y0 specify the location ( x0, y0 ) of the top-left luma sample of the considered coding block related to the top-left luma sample of the picture. When `cu_skip_flag[ x0 ][ y0 ]` is not present, it is inferred to be equal to 0.

`mmvd_flag[ x0 ][ y0 ]` equal to 1 specifies that merge mode with motion vector difference is used to generate the inter prediction parameters of the current coding unit. The array indices x0, y0 specify the location ( x0, y0 ) of the top-left luma sample of the considered coding block relative to the top-left luma sample of the picture. When `mmvd_flag[ x0 ][ y0 ]` is not present, it is inferred to be equal to 0.

`mmvd_group_idx[ x0 ][ y0 ]` specifies which inter prediction direction (list 0, list 1, or bi-prediction direction) of the merging candidate determined by `mmvd_merge_idx[ x0 ][ y0 ]` is used at MMVD mode, i.e. specifies whether the merging candidate is modified. The array indices x0, y0 specify the location ( x0, y0 ) of the top-left luma sample of the considered coding block relative to the top-left luma sample of the picture. When `mmvd_group_idx[ x0 ][ y0 ]` is not present, it is inferred to be equal to 0.

`mmvd_merge_idx[ x0 ][ y0 ]` specifies which candidate of the merging candidate list is used with the motion vector difference derived from `mmvd_distance_idx[ x0 ][ y0 ]` and `mmvd_direction_idx[ x0 ][ y0 ]`. The array indices x0, y0 specify the location ( x0, y0 ) of the top-left luma sample of the considered coding block relative to the top-left luma sample of the picture. When `mmvd_merge_idx[ x0 ][ y0 ]` is not present, it is inferred to be equal to 0.

`mmvd_distance_idx[ x0 ][ y0 ]` specifies the index used to derive `MmvdDistance[ x0 ][ y0 ]` as specified in Table 9. The array indices x0, y0 specify the location ( x0, y0 ) of the top-left luma sample of the considered coding block relative to the top-left luma sample of the picture. When `mmvd_distance_idx[ x0 ][ y0 ]` is not present, it is inferred to be equal to 0.

Table 9 — Specification of `MmvdDistance[ x0 ][ y0 ]` based on `mmvd_distance_idx[ x0 ][ y0 ]`

<code>mmvd_distance_idx[ x0 ][ y0 ]</code>	<code>MmvdDistance[ x0 ][ y0 ]</code>
0	1
1	2
2	4
3	8
4	16
5	32
6	64
7	128

`mmvd_direction_idx[ x0 ][ y0 ]` specifies the index used to derive `MmvdSign[ x0 ][ y0 ]` as specified in Table 10. The array indices x0, y0 specify the location ( x0, y0 ) of the top-left luma sample of the considered coding block relative to the top-left luma sample of the picture.

**Table 10 — Specification of MmvdSign[ x0 ][ y0 ] based on mmvd\_direction\_idx[ x0 ][ y0 ]**

mmvd_direction_idx[ x0 ][ y0 ]	MmvdSign[ x0 ][ y0 ][ 0 ]	MmvdSign[ x0 ][ y0 ][ 1 ]
0	+1	0
1	-1	0
2	0	+1
3	0	-1

Both components of the merge plus MVD offset MmvdOffset[ x0 ][ y0 ] are derived as follows:

$$\text{MmvdOffset}[x_0][y_0][0] = \text{MmvdDistance}[x_0][y_0] * \text{MmvdSign}[x_0][y_0][0] \quad (133)$$

$$\text{MmvdOffset}[x_0][y_0][1] = \text{MmvdDistance}[x_0][y_0] * \text{MmvdSign}[x_0][y_0][1] \quad (134)$$

**affine\_flag**[ x0 ][ y0 ] equal to 1 specifies that for the current coding unit, when decoding a P or B slice, affine model based motion compensation is used to generate the prediction samples of the current coding unit. **affine\_flag**[ x0 ][ y0 ] equal to 0 specifies that the coding unit is not predicted by affine model based motion compensation. When **affine\_flag**[ x0 ][ y0 ] is not present, it is inferred to be equal to 0.

**affine\_merge\_idx**[ x0 ][ y0 ] specifies the merging candidate index of the affine merging candidate list where x0, y0 specify the location ( x0, y0 ) of the top-left luma sample of the considered coding block relative to the top-left luma sample of the picture. When **affine\_merge\_idx**[ x0 ][ y0 ] is not present, it is inferred to be equal to 0.

**mvp\_idx\_l0**[ x0 ][ y0 ] specifies the motion vector predictor index of list 0 where x0, y0 specify the location ( x0, y0 ) of the top-left luma sample of the considered coding block relative to the top-left luma sample of the picture. When **mvp\_idx\_l0**[ x0 ][ y0 ] is not present, it is inferred to be equal to 0.

**mvp\_idx\_l1**[ x0 ][ y0 ] has the same semantics as **mvp\_idx\_l0**, with l0 and list 0 replaced by l1 and list 1, respectively.

**merge\_idx**[ x0 ][ y0 ] specifies the merging candidate index of the merging candidate list where x0, y0 specify the location ( x0, y0 ) of the top-left luma sample of the considered coding block relative to the top-left luma sample of the picture. When **merge\_idx**[ x0 ][ y0 ] is not present, it is inferred to be equal to 0.

**pred\_mode\_flag**[ x0 ][ y0 ] when present specifies that the current coding unit is coded in inter or intra block copy prediction mode if **pred\_mode\_flag**[ x0 ][ y0 ] is equal to 0. **pred\_mode\_flag**[ x0 ][ y0 ] is equal to 1 specifies that the current coding unit is coded in intra prediction mode.

The variable **isIbcAllowed** is set equal to 1 if all of the following conditions are met, and is set equal to 0 otherwise:

- **sps\_ibc\_flag** is equal to 1.
- **log2CbWidth** is less than or equal to **log2MaxIbcCandSize** and **log2CbHeight** is less than or equal to **log2MaxIbcCandSize**.
- **treeType** is not equal to **DUAL\_TREE\_CHROMA**.
- **predModeConstraint** is not equal to **PRED\_MODE\_CONSTRAINT\_INTER**.

- `predModeConstraint` is not equal to `PRED_MODE_NO_CONSTRAINT` or `pred_mode_flag[ x0 ][ y0 ]` is equal to 1.

**ibc\_flag**[ `x0` ][ `y0` ] specifies whether the intra block copy mode is used for the current coding unit. The array indices `x0`, `y0` specify the location ( `x0`, `y0` ) of the top-left luma sample of the considered coding block relative to the top-left luma sample of the picture. When `ibc_flag[ x0 ][ y0 ]` is not present, it is inferred to be equal to 0.

The variable `CuPredMode` is derived as follows:

- If `ibc_flag[ x0 ][ y0 ]` is equal to 1, the variable `CuPredMode` is set equal to `MODE_IBC`.
- Otherwise, if `predModeConstraint` is equal to `PRED_MODE_CONSTRAINT_INTER` or `cu_skip_flag[ x0 ][ y0 ]` is equal to 1, `CuPredMode` is set equal to `MODE_INTER`.
- Otherwise, if `predModeConstraint` is equal to `PRED_MODE_CONSTRAINT_INTRA`, `CuPredMode` is set equal to `MODE_INTRA`.
- Otherwise, `CuPredMode` is derived as follows:

$$\text{CuPredMode} = \text{pred\_mode\_flag}[ x0 ][ y0 ] = 0 ? \text{MODE\_INTER} : \text{MODE\_INTRA} \quad (135)$$

If `treeType` is not equal to `DUAL_TREE_CHROMA`, `LumaPredMode[ x ][ y ]` is set equal to `CuPredMode` for `x = x0..x0 + cbWidth - 1` and `y = y0..y0 + cbWidth - 1`.

**intra\_pred\_mode**[ `x0` ][ `y0` ] specifies the intra prediction mode for both luma and chroma samples. The array indices `x0`, `y0` specify the location ( `x0`, `y0` ) of the top-left luma sample of the considered coding block relative to the top-left luma sample of the picture.

The syntax elements **intra\_luma\_pred\_mpm\_flag**[ `x0` ][ `y0` ], **intra\_luma\_pred\_mpm\_idx**[ `x0` ][ `y0` ], **intra\_luma\_pred\_pims\_flag**[ `x0` ][ `y0` ], **intra\_luma\_pred\_pims\_idx**[ `x0` ][ `y0` ] and **intra\_luma\_pred\_rem\_mode**[ `x0` ][ `y0` ] specify the intra prediction mode for luma samples. The array indices `x0`, `y0` specify the location ( `x0`, `y0` ) of the top-left luma sample of the considered coding block relative to the top-left luma sample of the picture. When `intra_luma_pred_mpm_flag[ x0 ][ y0 ]` or `intra_luma_pred_pims_flag[ x0 ][ y0 ]` is equal to 1, the intra prediction mode is inferred from neighbouring intra-predicted coding units according to subclause 8.4.2.

**intra\_chroma\_pred\_mode**[ `x0` ][ `y0` ] specifies the intra prediction mode for chroma samples. The array indices `x0`, `y0` specify the location ( `x0`, `y0` ) of the top-left luma sample of the considered coding block relative to the top-left luma sample of the picture. When `intra_chroma_pred_mode[ x0 ][ y0 ]` is not present, it is inferred to be equal to 0.

**affine\_mode\_flag**[ `x0` ][ `y0` ] equal to 1 specifies that for the current coding unit, when decoding a P or B slice, 6-parameter affine model based motion compensation is used to generate the prediction samples of the current coding unit. `affine_mode_flag[ x0 ][ y0 ]` equal to 0 specifies that 4-parameter affine model based motion compensation is used to generate the prediction samples of the current coding unit.

`MotionModelIdx[ x ][ y ]` represents motion model of a coding unit as illustrated in Table 11. The array indices `x`, `y` specify the luma sample location ( `x`, `y` ) relative to the top-left luma sample of the picture.

The variable `MotionModelIdx[ x ][ y ]` is derived as follows for `x = x0..x0 + ( 1 << log2CbWidth ) - 1` and `y = y0..y0 + ( 1 << log2CbHeight ) - 1`:

- If `merge_mode_flag[ x0 ][ y0 ]` is equal to 1, the following applies:

$$\text{MotionModelIdc}[x][y] = \text{affine\_flag}[x0][y0] \quad (136)$$

— Otherwise ( $\text{merge\_mode\_flag}[x0][y0]$  is equal to 0), the following applies:

$$\text{MotionModelIdc}[x][y] = \text{affine\_flag}[x0][y0] + \text{affine\_mode\_flag}[x0][y0] \quad (137)$$

**Table 11 — Interpretation of MotionModelIdc[ x ][ y ]**

MotionModelIdc[ x ][ y ]	Motion model for motion compensation
0	Translational motion
1	4-parameter affine motion
2	6-parameter affine motion

**affine\_mv\_flag\_l0**[ x0 ][ y0 ] specifies the affine motion vector predictor flag of list 0 where x0, y0 specify the location ( x0, y0 ) of the top-left luma sample of the considered coding block relative to the top-left luma sample of the picture. When **affine\_mv\_flag\_l0**[ x0 ][ y0 ] is not present, it is inferred to be equal to 0.

**affine\_mv\_flag\_l1**[ x0 ][ y0 ] has the same semantics as **affine\_mv\_flag\_l0**, with l0 and list 0 replaced by l1 and list 1, respectively.

**affine\_mvd\_flag\_l0**[ x0 ][ y0 ] equal to 1 indicates that the motion vector difference of list 0 of current affine coding unit is presented in the bitstream, where x0, y0 specify the location ( x0, y0 ) of the top-left luma sample of the considered coding block relative to the top-left luma sample of the picture. When **affine\_mvd\_flag\_l0**[ x0 ][ y0 ] is not present, it is inferred to be equal to 0.

When **affine\_mvd\_flag\_l0** is equal to 0, the following applies:

$$\text{MvdCpL0}[x0][y0][0][0] = 0 \quad (138)$$

$$\text{MvdCpL0}[x0][y0][0][1] = 0 \quad (139)$$

$$\text{MvdCpL0}[x0][y0][1][0] = 0 \quad (140)$$

$$\text{MvdCpL0}[x0][y0][1][1] = 0 \quad (141)$$

$$\text{MvdCpL0}[x0][y0][2][0] = 0 \quad (142)$$

$$\text{MvdCpL0}[x0][y0][2][1] = 0 \quad (143)$$

**affine\_mvd\_flag\_l1**[ x0 ][ y0 ] has the same semantics as **affine\_mvd\_flag\_l0**, with l0, L0 and list 0 replaced by l1, L1 and list 1, respectively.

**amvr\_idx**[ x0 ][ y0 ] specifies the resolution of the motion vector for the current coding unit. The array indices x0, y0 specify the location ( x0, y0 ) of the top-left luma sample of the considered coding block relative to the top-left luma sample of the picture. When **amvr\_idx**[ x0 ][ y0 ] is not present, it is inferred to be equal to 0.

**direct\_mode\_flag**[ x0 ][ y0 ] specifies whether the inter prediction parameters for the current coding unit are inferred from the temporal collocated block. The array indices x0, y0 specify the location ( x0, y0 ) of the top-left luma sample of the considered coding block relative to the top-left sample of the picture. When **direct\_mode\_flag**[ x0 ][ y0 ] is not present, it is inferred to be equal to 0.

**merge\_mode\_flag**[ x0 ][ y0 ] specifies whether the inter prediction parameters for the current coding unit are inferred from a neighbouring inter-predicted partition. The array indices x0, y0 specify the location ( x0, y0 ) of the top-left luma sample of the considered coding block relative to the top-left luma sample of the picture. When merge\_mode\_flag[ x0 ][ y0 ] is not present, it is inferred to be equal to 0.

**inter\_pred\_idc**[ x0 ][ y0 ] specifies whether list 0, list 1, or bi-prediction is used for the current coding unit according to Table 12. The array indices x0, y0 specify the location ( x0, y0 ) of the top-left luma sample of the considered coding block relative to the top-left luma sample of the picture.

When inter\_pred\_idc[ x0 ][ y0 ] is not present, it is inferred to be equal to PRED\_L0.

**Table 12 — Name association to inter prediction mode**

inter_pred_idc	Name of inter_pred_idc	
	$( (1 \ll \log_2 \text{CbWidth}) + (1 \ll \log_2 \text{CbHeight}) ) > 12 \mid \mid !\text{sps\_admvp\_flag}$	$( (1 \ll \log_2 \text{CbWidth}) + (1 \ll \log_2 \text{CbHeight}) ) \leq 12 \ \&\& \ \text{sps\_admvp\_flag}$
0	PRED_BI	PRED_L0
1	PRED_L0	PRED_L1
2	PRED_L1	na

**ref\_idx\_l0**[ x0 ][ y0 ] specifies the list 0 reference picture index for the current coding unit. The array indices x0 and y0 specify the location ( x0, y0 ) of the top-left luma sample of the considered coding block relative to the top-left luma sample of the picture. When ref\_idx\_l0[ x0 ][ y0 ] is not present, it is inferred to be equal to 0.

**abs\_mvd\_l0**[ x0 ][ y0 ][ compIdx ] specifies the absolute value of a motion vector component difference of list 0 for the current coding unit. When abs\_mvd\_l0[ x0 ][ y0 ][ compIdx ] is not present, it is inferred to be equal to 0.

**abs\_mvd\_l0**[ x0 ][ y0 ][ vertex ][ compIdx ] has the same semantics as abs\_mvd\_l0[ x0 ][ y0 ][ compIdx ].

**mvd\_l0\_sign\_flag**[ x0 ][ y0 ][ compIdx ] specifies the sign of a motion vector component difference of list 0 for the current coding unit as follows:

- If mvd\_l0\_sign\_flag[ x0 ][ y0 ][ compIdx ] is equal to 0, the corresponding motion vector component difference has a positive value.
- Otherwise (mvd\_l0\_sign\_flag[ x0 ][ y0 ][ compIdx ] is equal to 1), the corresponding motion vector component difference has a negative value.

When mvd\_l0\_sign\_flag[ x0 ][ y0 ][ compIdx ] is not present, it is inferred to be equal to 0.

**mvd\_l0\_sign\_flag**[ x0 ][ y0 ][ vertex ][ compIdx ] has the same semantics as mvd\_l0\_sign\_flag[ x0 ][ y0 ][ compIdx ].

**ref\_idx\_l1**[ x0 ][ y0 ] has the same semantics as ref\_idx\_l0[ x0 ][ y0 ], with l0 and list 0 replaced by l1 and list 1, respectively.

**abs\_mvd\_l1**[ x0 ][ y0 ][ compIdx ] has the same semantics as abs\_mvd\_l0 with l0 and list 0 replaced by l1 and list 1, respectively.

**abs\_mvd\_l1**[ x0 ][ y0 ][ vertex ][ compIdx ] has the same semantics as **abs\_mvd\_l1**[ x0 ][ y0 ][ compIdx ].

**mvd\_l1\_sign\_flag**[ x0 ][ y0 ][ compIdx ] has the same semantics as and **mvd\_l0\_sign\_flag**[ x0 ][ y0 ][ compIdx ], with l0 and list 0 replaced by l1 and list 1, respectively.

**mvd\_l1\_sign\_flag**[ x0 ][ y0 ][ vertex ][ compIdx ] has the same semantics as **mvd\_l1\_sign\_flag**[ x0 ][ y0 ][ compIdx ].

If **MotionModelIdx**[ x0 ][ y0 ] is equal to 0, the following applies:

- The variable motion vector difference of list X **MvdLX**[ x0 ][ y0 ][ compIdx ], with X being replaced by 0 or 1, specifies the difference between a list X motion vector component and its prediction, is derived as follows for compIdx = 0..1:

$$\text{MvdLX}[x0][y0][\text{compIdx}] = \text{abs\_mvd\_lX}[x0][y0][\text{compIdx}] * (1 - 2 * \text{mvd\_lX\_sign\_flag}[x0][y0][\text{compIdx}]) \quad (144)$$

The value of **MvdLX**[ x0 ][ y0 ][ compIdx ] shall be in the range of  $-2^{15}$  to  $2^{15} - 1$ , inclusive. The array indices x0, y0 specify the location ( x0, y0 ) of the top-left luma sample of the considered coding block relative to the top-left luma sample of the picture. The horizontal motion vector component difference is assigned compIdx = 0 and the vertical motion vector component is assigned compIdx = 1.

- When **sps\_amvr\_flag** is equal to 1, the variables **MvdLX**[ x0 ][ y0 ][ compIdx ], with X being replaced by 0 or 1, for compIdx = 0..1 are modified as follows:

$$\text{MvdLX}[x0][y0][\text{compIdx}] = \text{MvdLX}[x0][y0][\text{compIdx}] \ll \text{amvr\_idx}[x0][y0] \quad (145)$$

Otherwise (**MotionModelIdx**[ x0 ][ y0 ] is not equal to 0), the following applies:

- The variable motion vector difference of list X **MvdCpLX**[ x0 ][ y0 ][ vertex ][ compIdx ], with X being replaced by 0 or 1, specifies the difference between a list X motion vector component and its prediction, is derived as follows for vertex = 0..vertexNum - 1 and compIdx = 0..1:

$$\text{MvdCpLX}[x0][y0][\text{vertex}][\text{compIdx}] = \text{abs\_mvd\_lX}[x0][y0][\text{vertex}][\text{compIdx}] * (1 - 2 * \text{mvd\_lX\_sign\_flag}[x0][y0][\text{vertex}][\text{compIdx}]) \quad (146)$$

The array indices x0, y0 specify the location ( x0, y0 ) of the top-left luma sample of the considered coding block relative to the top-left luma sample of the picture, the array index vertex specifies the control point index. The horizontal motion vector component difference is assigned compIdx = 0 and the vertical motion vector component is assigned compIdx = 1.

**bi\_pred\_idx**[ x0 ][ y0 ] specifies whether the reference indices and the motion vector differences for list 0 or list 1 are present. **bi\_pred\_idx**[ x0 ][ y0 ] equal to 0 specifies the reference indices and the motion vector differences for list 0 and list 1 are present. **bi\_pred\_idx**[ x0 ][ y0 ] equal to 1 specifies the reference indices for list 0 and list 1 are not present and the motion vector difference for list 0 is not present. **bi\_pred\_idx**[ x0 ][ y0 ] equal to 2 specifies the reference indices for list 0 and list 1 are not present and the motion vector difference for list 1 is not present. When **bi\_pred\_idx**[ x0 ][ y0 ] is not present, it is inferred to be equal to 0.

**cbf\_all**[ x0 ][ y0 ] equal to 1 specifies that the **transform\_unit**( ) syntax structure is present for the current coding unit. **cbf\_all**[ x0 ][ y0 ] equal to 0 specifies that **transform\_unit**( ) syntax structure is not present for the current coding unit. The array indices x0 and y0 specify the location ( x0, y0 ) of the top-left luma sample of the considered coding block relative to the top-left luma sample of the picture. When **cbf\_all**[ x0 ][ y0 ] is not present, its value is inferred to be equal to 1.

#### 7.4.9.5 Transform unit semantics

The variables `allowAtsInterVerHalf`, `allowAtsInterHorHalf`, `allowAtsInterVerQuad` and `allowAtsInterHorQuad` are derived as follows:

- The variable `allowAtsInterVerHalf` is derived as follows:
  - If all of the following conditions are true, the variable `allowAtsInterVerHalf` is set equal to TRUE.
    - $\log_2\text{CbWidth}$  is greater than or equal to  $(\text{MinTbLog}_2\text{SizeY} + 1)$ .
    - $\log_2\text{CbWidth}$  is less than or equal to  $\text{MaxTbLog}_2\text{SizeY}$ .
    - $\log_2\text{CbHeight}$  is less than or equal to  $\text{MaxTbLog}_2\text{SizeY}$ .
  - Otherwise, the variable `allowAtsInterVerHalf` is set equal to FALSE.
- The variable `allowAtsInterVerQuad` is derived as follows:
  - If all of the following conditions are true, the variable `allowAtsInterVerQuad` is set equal to TRUE.
    - $\log_2\text{CbWidth}$  is greater than or equal to  $(\text{MinTbLog}_2\text{SizeY} + 2)$ .
    - $\log_2\text{CbWidth}$  is less than or equal to  $\text{MaxTbLog}_2\text{SizeY}$ .
    - $\log_2\text{CbHeight}$  is less than or equal to  $\text{MaxTbLog}_2\text{SizeY}$ .
  - Otherwise, the variable `allowAtsInterVerQuad` is set equal to FALSE.
- The variable `allowAtsInterHorHalf` is derived as follows:
  - If all of the following conditions are true, the variable `allowAtsInterHorHalf` is set equal to TRUE.
    - $\log_2\text{CbHeight}$  is greater than or equal to  $(\text{MinTbLog}_2\text{SizeY} + 1)$ .
    - $\log_2\text{CbWidth}$  is less than or equal to  $\text{MaxTbLog}_2\text{SizeY}$ .
    - $\log_2\text{CbHeight}$  is less than or equal to  $\text{MaxTbLog}_2\text{SizeY}$ .
  - Otherwise, the variable `allowAtsInterHorHalf` is set equal to FALSE.
- The variable `allowAtsInterHorQuad` is derived as follows:
  - If all of the following conditions are true, the variable `allowAtsInterHorQuad` is set equal to TRUE.
    - $\log_2\text{CbHeight}$  is greater than or equal to  $(\text{MinTbLog}_2\text{SizeY} + 2)$ .
    - $\log_2\text{CbWidth}$  is less than or equal to  $\text{MaxTbLog}_2\text{SizeY}$ .
    - $\log_2\text{CbHeight}$  is less than or equal to  $\text{MaxTbLog}_2\text{SizeY}$ .
  - Otherwise, the variable `allowAtsInterHorQuad` is set equal to FALSE.

`cbf_cb` equal to 1 specifies that the Cb transform block contains one or more transform coefficient levels not equal to 0. When `cbf_cb` is not present, it is inferred to be equal to 0.

**cbf\_cr** equal to 1 specifies that the Cr transform block contains one or more transform coefficient levels not equal to 0. When **cbf\_cr** is not present, it is inferred to be equal to 0.

**cbf\_luma** equal to 1 specifies that the luma transform block contains one or more transform coefficient levels not equal to 0. When **cbf\_luma** is not present, it is inferred to be equal to 0 if **treeType** is equal to DUAL\_TREE\_CHROMA, otherwise it is inferred to be equal to 1.

**cu\_qp\_delta\_abs** specifies the absolute value of the difference  $CuQpDelta[x][y]$  value between the luma quantization parameter of the current coding unit and its prediction. When **cu\_qp\_delta\_abs** is not present, it is inferred to be equal to 0.

When **cu\_qp\_delta\_abs** is present, the variable **isCuQpDeltaCoded** is derived as follows:

$$isCuQpDeltaCoded = 1 \quad (147)$$

**cu\_qp\_delta\_sign\_flag** specifies the sign of  $CuQpDelta[x][y]$  as follows:

- If **cu\_qp\_delta\_sign\_flag** is equal to 0, the corresponding **cu\_qp\_delta** value has a positive value.
- Otherwise (**cu\_qp\_delta\_sign\_flag** is equal to 1), the corresponding **cu\_qp\_delta** value has a negative value.

When **cu\_qp\_delta\_sign\_flag** is not present, it is inferred to be equal to 0.

$CuQpDelta[x][y]$  represents the value of the difference between the luma quantization parameter of the current coding unit and its prediction. The array indices  $x, y$  specify the luma sample location  $(x, y)$  relative to the top-left luma sample of the picture.

When **cu\_qp\_delta\_abs** is present or **isSplit** is equal to FALSE, the variable  $CuQpDelta[x][y]$  is derived as follows for  $x = x0..x0 + (1 \ll \log2CbWidth) - 1$  and  $y = y0..y0 + (1 \ll \log2CbHeight) - 1$ :

$$CuQpDelta[x][y] = cu\_qp\_delta\_abs * (1 - 2 * cu\_qp\_delta\_sign) \quad (148)$$

The value of  $CuQpDelta[x][y]$  shall be in the range of -26 to +25, inclusive.

**ats\_cu\_intra\_flag[x0][y0]** specifies whether an adaptive transform selection is applied to the residual samples along the horizontal and vertical direction of the associated luma transform block. The array indices  $x0, y0$  specify the location  $(x0, y0)$  of the top-left luma sample of the considered transform block relative to the top-left luma sample of the picture.

When **ats\_cu\_intra\_flag[x0][y0]** is not present, it is inferred to be equal to 0.

**ats\_hor\_mode[x0][y0]** specifies which kernel is applied to the residual samples along the horizontal direction of the associated luma transform block. The array indices  $x0, y0$  specify the location  $(x0, y0)$  of the top-left luma sample of the considered transform block relative to the top-left luma sample of the picture.

When **ats\_hor\_mode[x0][y0]** is not present, it is inferred to be equal to 0.

**ats\_ver\_mode[x0][y0]** specifies which kernel is applied to the residual samples along the vertical direction of the associated luma transform block. The array indices  $x0, y0$  specify the location  $(x0, y0)$  of the top-left luma sample of the considered transform block relative to the top-left luma sample of the picture.

When **ats\_ver\_mode[x0][y0]** is not present, it is inferred to be equal to 0.

**ats\_cu\_inter\_flag**[ x0 ][ y0 ] equal to 1 specifies that for the current coding unit, sub-block transform is used. **ats\_cu\_inter\_flag**[ x0 ][ y0 ] equal to 0 specifies that for the current coding unit, sub-block transform is not used.

When **ats\_cu\_inter\_flag**[ x0 ][ y0 ] is not present, its value is inferred to be equal to 0.

**ats\_cu\_inter\_quad\_flag**[ x0 ][ y0 ] equal to 1 specifies that for the current coding unit, the sub-block transform includes a transform unit of 1/4 size of the current coding unit. **ats\_cu\_inter\_quad\_flag**[ x0 ][ y0 ] equal to 0 specifies that for the current coding unit the sub-block transform includes a transform unit of 1/2 size of the current coding unit.

When **ats\_cu\_inter\_quad\_flag**[ x0 ][ y0 ] is not present, its value is inferred to be equal to 0.

**ats\_cu\_inter\_horizontal\_flag**[ x0 ][ y0 ] equal to 1 specifies that the width of the transform unit is equal to the width of the current coding unit and the height of the transform unit is smaller than the height of the current coding unit. **ats\_cu\_inter\_horizontal\_flag**[ x0 ][ y0 ] equal to 0 specifies that the height of the transform unit is equal to the height of the current coding unit and the width of the transform unit is smaller than the width of the current coding unit.

When **ats\_cu\_inter\_horizontal\_flag**[ x0 ][ y0 ] is not present, its value is derived as follows:

- If **ats\_cu\_inter\_quad\_flag**[ x0 ][ y0 ] is equal to 1, **ats\_cu\_inter\_horizontal\_flag**[ x0 ][ y0 ] is inferred to be equal to `allowAtsInterHorQuad`.
- Otherwise (**ats\_cu\_inter\_quad\_flag**[ x0 ][ y0 ] is equal to 0), **ats\_cu\_inter\_horizontal\_flag**[ x0 ][ y0 ] is inferred to be equal to `allowAtsInterHorHalf`.

**ats\_cu\_inter\_pos\_flag**[ x0 ][ y0 ] equal to 1 specifies that the bottom-right corner of the transform unit is aligned with the bottom-right corner of the coding unit. **ats\_cu\_inter\_pos\_flag**[ x0 ][ y0 ] equal to 0 specifies that the top-left corner of the transform unit is aligned with the top-left corner of the coding unit.

#### 7.4.9.6 Run-length residual coding semantics

The transform coefficient levels are represented by the arrays **TransCoeffLevel**[ x0 ][ y0 ][ cIdx ][ xC ][ yC ], which are either specified in subclause 7.3.8.7 or inferred as follows. The array indices x0, y0 specify the location ( x0, y0 ) of the top-left luma sample of the considered transform block relative to the top-left luma sample of the picture. The array index cIdx specifies an indicator for the colour component; it is equal to 0 for Y, 1 for Cb, and 2 for Cr. The array indices xC and yC specify the transform coefficient location ( xC, yC ) within the current transform block. When the value of **TransCoeffLevel**[ x0 ][ y0 ][ cIdx ][ xC ][ yC ] is not specified in subclause 7.3.8.7, it is inferred to be equal to 0.

**coeff\_zero\_run** specifies the number of zero-valued transform coefficient levels that are located before the position of the next non-zero transform coefficient level in a scan of transform coefficient levels.

**coeff\_abs\_level\_minus1** plus 1 specifies the absolute value of a transform coefficient level at the given scanning position.

The value of **coeff\_abs\_level\_minus1** shall be constrained such that the corresponding value of **TransCoeffLevel**[ x0 ][ y0 ][ cIdx ][ xC ][ yC ] is in the range of -32768 to 32767, inclusive.

**coeff\_sign\_flag** specifies the sign of a transform coefficient level for the given scanning position as follows:

- If `coeff_sign_flag` is equal to 0, the corresponding transform coefficient level has a positive value.
- Otherwise (`coeff_sign_flag` is equal to 1), the corresponding transform coefficient level has a negative value.

When `coeff_sign_flag` is not present, it is inferred to be equal to 0.

**coeff\_last\_flag** specifies for the given scanning position whether there are non-zero transform coefficient levels for the next subsequent scanning positions to  $(1 \ll \log_2 \text{CbWidth}) * (1 \ll \log_2 \text{CbHeight}) - 1$  as follows:

- If `coeff_last_flag` is equal to 1, all following transform coefficient levels (in scanning order) of the block have a value equal to 0.
- Otherwise (`coeff_last_flag` is equal to 0), there are further non-zero transform coefficient levels along the scanning path.

#### 7.4.9.7 Advanced residual coding semantics

The transform coefficient levels are represented by the arrays `TransCoeffLevel[ x0 ][ y0 ][ cIdx ][ xC ][ yC ]`, which are either specified in subclause 7.3.8.8 or inferred as follows. The array indices `x0`, `y0` specify the location  $(x_0, y_0)$  of the top-left luma sample of the considered transform block relative to the top-left luma sample of the picture. The array index `cIdx` specifies an indicator for the colour component; it is equal to 0 for Y, 1 for Cb, and 2 for Cr. The array indices `xC` and `yC` specify the transform coefficient location  $(x_C, y_C)$  within the current transform block. When the value of `TransCoeffLevel[ x0 ][ y0 ][ cIdx ][ xC ][ yC ]` is not specified in subclause 7.3.8.8, it is inferred to be equal to 0.

**last\_sig\_coeff\_x\_prefix** specifies the prefix of the column position of the last significant coefficient in scanning order within a transform block. The values of `last_sig_coeff_x_prefix` shall be in the range of  $0$  to  $(\log_2 \text{TrafoWidth} \ll 1) - 1$ , inclusive.

**last\_sig\_coeff\_y\_prefix** specifies the prefix of the row position of the last significant coefficient in scanning order within a transform block. The values of `last_sig_coeff_y_prefix` shall be in the range of  $0$  to  $(\log_2 \text{TrafoHeight} \ll 1) - 1$ , inclusive.

**last\_sig\_coeff\_x\_suffix** specifies the suffix of the column position of the last significant coefficient in scanning order within a transform block. The values of `last_sig_coeff_x_suffix` shall be in the range of  $0$  to  $(1 \ll ((\text{last\_sig\_coeff\_x\_prefix} \gg 1) - 1)) - 1$ , inclusive.

The column position of the last significant coefficient in scanning order within a transform block `LastSignificantCoeffX` is derived as follows:

- If `last_sig_coeff_x_suffix` is not present, the following applies:

$$\text{LastSignificantCoeffX} = \text{last\_sig\_coeff\_x\_prefix} \quad (149)$$

- Otherwise (`last_sig_coeff_x_suffix` is present), the following applies:

$$\text{LastSignificantCoeffX} = (1 \ll ((\text{last\_sig\_coeff\_x\_prefix} \gg 1) - 1)) * (2 + (\text{last\_sig\_coeff\_x\_prefix} \& 1)) + \text{last\_sig\_coeff\_x\_suffix} \quad (150)$$

**last\_sig\_coeff\_y\_suffix** specifies the suffix of the row position of the last significant coefficient in scanning order within a transform block. The values of `last_sig_coeff_y_suffix` shall be in the range of  $0$  to  $(1 \ll ((\text{last\_sig\_coeff\_y\_prefix} \gg 1) - 1)) - 1$ , inclusive.

The row position of the last significant coefficient in scanning order within a transform block LastSignificantCoeffY is derived as follows:

- If last\_sig\_coeff\_y\_suffix is not present, the following applies:

$$\text{LastSignificantCoeffY} = \text{last\_sig\_coeff\_y\_prefix} \quad (151)$$

- Otherwise (last\_sig\_coeff\_y\_suffix is present), the following applies:

$$\text{LastSignificantCoeffY} = ( 1 \ll ( ( \text{last\_sig\_coeff\_y\_prefix} \gg 1 ) - 1 ) ) * ( 2 + ( \text{last\_sig\_coeff\_y\_prefix} \& 1 ) ) + \text{last\_sig\_coeff\_y\_suffix} \quad (152)$$

**sig\_coeff\_flag**[ xC ][ yC ] specifies for the transform coefficient location ( xC, yC ) within the current transform block whether the corresponding transform coefficient level at the location ( xC, yC ) is non-zero as follows:

- If sig\_coeff\_flag[ xC ][ yC ] is equal to 0, the transform coefficient level at the location ( xC, yC ) is set equal to 0.
- Otherwise (sig\_coeff\_flag[ xC ][ yC ] is equal to 1), the transform coefficient level at the location ( xC, yC ) has a non-zero value.

When sig\_coeff\_flag[ xC ][ yC ] is not present, it is inferred as follows:

- If ( xC, yC ) is the last significant location ( LastSignificantCoeffX, LastSignificantCoeffY ) in scan order, sig\_coeff\_flag[ xC ][ yC ] is inferred to be equal to 1.
- Otherwise, sig\_coeff\_flag[ xC ][ yC ] is inferred to be equal to 0.

**coeff\_abs\_level\_greaterA\_flag**[ n ] specifies for the scanning position n whether there are absolute values of transform coefficient levels greater than 1.

When coeff\_abs\_level\_greaterA\_flag[ n ] is not present, it is inferred to be equal to 0.

**coeff\_abs\_level\_greaterB\_flag**[ n ] specifies for the scanning position n whether there are absolute values of transform coefficient levels greater than 2.

When coeff\_abs\_level\_greaterB\_flag[ n ] is not present, it is inferred to be equal to 0.

**coeff\_signs\_group** specifies the binary representation for sign flags for the group transform coefficient. The number of bits used to represent coeff\_signs\_group is determined by a number of non-zero transform coefficients numNZ present in the transform coefficients group and should be in the range  $1..2^{16} - 1$ , inclusive.

When coeff\_signs\_group is not present, it is inferred to be equal to 0.

**coeff\_abs\_level\_remaining**[ n ] is the remaining absolute value of a transform coefficient level that is coded with Golomb-Rice code at the scanning position n. When coeff\_abs\_level\_remaining[ n ] is not present, it is inferred to be equal to 0.

The value of coeff\_abs\_level\_remaining[ n ] shall be constrained such that the corresponding value of TransCoeffLevel[ x0 ][ y0 ][ cIdx ][ xC ][ yC ] is in the range of -32768 to 32767, inclusive.

## 8 Decoding process

### 8.1 General decoding process

The decoding process operates as follows for the current picture CurrPic:

- 1) The decoding of NAL units is specified in subclause 8.2.
- 2) The processes in subclause 8.3 specify the following decoding processes using syntax elements in the slice header layer and above:
  - Variables and functions relating to picture order count are derived as specified in subclause 8.3.1. This needs to be invoked only for the first slice of a picture.
  - At the beginning of the decoding process for each slice of a non-IDR picture, the decoding process for reference picture lists construction specified in subclause 8.3.2 is invoked for derivation of reference picture list 0 (RefPicList[ 0 ]) and reference picture list 1 (RefPicList[ 1 ]) and the decoding process for collocated picture specified in subclause 8.3.4 is invoked for derivation of the variables ColPic.
  - The decoding process for reference picture marking in subclause 8.3.3 is invoked, wherein reference pictures may be marked as "unused for reference" or "used for long-term reference". This needs to be invoked only for the first slice of a picture.
- 3) The processes in subclauses 8.4, 8.5, 8.6, 8.7 and 8.8 specify decoding processes using syntax elements in all syntax structure layers. It is the requirement of bitstream conformance that the coded slices of the picture shall contain slice data for every CTU of the picture, such that the division of the picture into slices, the division of the slices into tiles and the division of the tiles into CTUs each forms a partitioning of the picture.
- 4) After all slices of the current picture have been decoded, the current decoded picture is marked as "used for short-term reference".

### 8.2 NAL unit decoding process

Inputs to this process are NAL units of the current picture and their associated non-VCL NAL units.

Outputs of this process are the parsed RBSP syntax structures encapsulated within the NAL units.

The decoding process for each NAL unit extracts the RBSP syntax structure from the NAL unit and then parses the RBSP syntax structure.

### 8.3 Slice decoding process

#### 8.3.1 Decoding process for picture order count

Output of this process is PicOrderCntVal, the picture order count of the current picture.

Picture order counts are used to identify pictures, for deriving motion parameters in merge mode and motion vector prediction, and for decoder conformance checking.

Each coded picture is associated with a picture order count variable, denoted as PicOrderCntVal.

When the current picture is not an IDR picture, the variables `prevPicOrderCntLsb` and `prevPicOrderCntMsb` are derived as follows:

- Let `prevTid0Pic` be the previous picture in decoding order that has `TemporalId` equal to 0.
- The variable `prevPicOrderCntLsb` is set equal to `slice_pic_order_cnt_lsb` of `prevTid0Pic`.
- The variable `prevPicOrderCntMsb` is set equal to `PicOrderCntMsb` of `prevTid0Pic`.

If `sps_pocs_flag` is equal to 1, the following applies:

- The variable `PicOrderCntMsb` of the current picture is derived as follows:
  - If the current picture is an IDR picture, `PicOrderCntMsb` is set equal to 0.
  - Otherwise, `PicOrderCntMsb` is derived as follows:

```

if( ( slice_pic_order_cnt_lsb < prevPicOrderCntLsb ) &&
    ( ( prevPicOrderCntLsb - slice_pic_order_cnt_lsb ) >= ( MaxPicOrderCntLsb / 2 ) ) )
    PicOrderCntMsb = prevPicOrderCntMsb + MaxPicOrderCntLsb
else if( ( slice_pic_order_cnt_lsb > prevPicOrderCntLsb ) &&
    ( ( slice_pic_order_cnt_lsb - prevPicOrderCntLsb ) > ( MaxPicOrderCntLsb / 2 ) ) )
    PicOrderCntMsb = prevPicOrderCntMsb - MaxPicOrderCntLsb
else
    PicOrderCntMsb = prevPicOrderCntMsb
    
```

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- `PicOrderCntVal` is derived as follows:

$$\text{PicOrderCntVal} = \text{PicOrderCntMsb} + \text{slice\_pic\_order\_cnt\_lsb} \quad (154)$$

Otherwise (`sps_pocs_flag` is equal to 0), the following applies:

- If the current picture is an IDR picture, the following applies:

$$\text{PicOrderCntVal} = 0 \quad (155)$$

$$\text{DocOffset} = -1 \quad (156)$$

- Otherwise (the current picture is not an IDR picture), the following ordered steps are applied:

- 1) Let `prevPicOrderCntVal` be the `PicOrderCntVal` of `prevTid0Pic`.
- 2) If `TemporalId` equals 0, then `PicOrderCntVal` and `DocOffset` are derived as follows:

$$\text{PicOrderCntVal} = \text{prevPicOrderCntVal} + \text{SubGopLength} \quad (157)$$

$$\text{DocOffset} = 0 \quad (158)$$

- 3) Otherwise (`TemporalId` is not equal to 0), the following applies:

- Let `prevDocOffset` be the `DocOffset` of the previous picture in decoding order.

- `DocOffset` is derived as follows:

$$\text{DocOffset} = ( \text{prevDocOffset} + 1 ) \% \text{SubGopLength} \quad (159)$$

— If DocOffset equals 0, the following applies:

$$\text{prevPicOrderCntVal} = \text{prevPicOrderCntVal} + \text{SubGopLength} \quad (160)$$

$$\text{ExpectedTemporalId} = 0 \quad (161)$$

— Otherwise (DocOffset is not equal to 0), the following applies:

$$\text{ExpectedTemporalId} = 1 + \text{Floor}(\text{Log2}(\text{DocOffset})) \quad (162)$$

— PicOrderCntVal is derived as follows:

```

while( TemporalId != ExpectedTemporalId ) {
    DocOffset = ( DocOffset + 1 ) % SubGopLength
    if( DocOffset == 0 )
        ExpectedTemporalId = 0
    else
        ExpectedTemporalId = 1 + Floor( Log2( DocOffset ) )
}
PocOffset = SubGopLength * ( ( 2 * DocOffset + 1 ) / 2TemporalId - 2 )
PicOrderCntVal = prevPicOrderCntVal + PocOffset

```

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NOTE All IDR pictures have PicOrderCntVal equal to 0 since slice\_pic\_order\_cnt\_lsb is inferred to be 0 for IDR pictures and prevPicOrderCntLsb and prevPicOrderCntMsb are both set equal to 0.

The value of PicOrderCntVal shall be in the range of  $-2^{31}$  to  $2^{31} - 1$ , inclusive. In one CVS, the PicOrderCntVal values for any two coded pictures shall not be the same.

At any moment during the decoding process, the values of PicOrderCntVal & ( MaxLtPicOrderCntLsb - 1 ) for any two reference pictures in the DPB shall not be the same.

The function PicOrderCnt( picX ) is specified as follows:

$$\text{PicOrderCnt}(\text{picX}) = \text{PicOrderCntVal of the picture picX} \quad (164)$$

The function DiffPicOrderCnt( picA, picB ) is specified as follows:

$$\text{DiffPicOrderCnt}(\text{picA}, \text{picB}) = \text{PicOrderCnt}(\text{picA}) - \text{PicOrderCnt}(\text{picB}) \quad (165)$$

The bitstream shall not contain data that result in values of DiffPicOrderCnt( picA, picB ) used in the decoding process that are not in the range of  $-2^{15}$  to  $2^{15} - 1$ , inclusive.

NOTE Where X is the current picture and Y and Z are two other pictures in the same CVS, Y and Z are considered to be in the same output order direction from X when both DiffPicOrderCnt( X, Y ) and DiffPicOrderCnt( X, Z ) are positive or both are negative.

## 8.3.2 Decoding process for reference picture lists construction

### 8.3.2.1 Decoding process for reference picture lists construction when sps\_rpl\_flag is equal to 1

When sps\_rpl\_flag is equal to 1, this process is invoked at the beginning of the decoding process for each slice of a non-IDR picture.

Reference pictures are addressed through reference indices. A reference index is an index into a reference picture list. When decoding an I slice, no reference picture list is used in decoding of the slice data. When

decoding a P slice, only reference picture list 0 (i.e., RefPicList[ 0 ]) is used in decoding of the slice data. When decoding a B slice, both reference picture list 0 (i.e., RefPicList[ 0 ]) and the reference picture list 1 (i.e., RefPicList[ 1 ]) are used in decoding of the slice data.

At the beginning of the decoding process for each slice of a non-IDR picture, the reference picture lists RefPicList[ 0 ] and RefPicList[ 1 ] are derived. The reference picture lists are used in marking of reference pictures as specified in subclause 8.3.3 or in decoding of the slice data.

NOTE For an I slice of a non-IDR picture that it is not the first slice of the picture, RefPicList[ 0 ] and RefPicList[ 1 ] can be derived for bitstream conformance checking purpose, but their derivation is not necessary for decoding of the current picture or pictures following the current picture in decoding order. For a P slice that it is not the first slice of a picture, RefPicList[ 1 ] can be derived for bitstream conformance checking purpose, but its derivation is not necessary for decoding of the current picture or pictures following the current picture in decoding order.

The reference picture lists RefPicList[ 0 ] and RefPicList[ 1 ] are constructed as follows:

```

for( i = 0; i < 2; i++ )
  for( j = 0, pocBase = PicOrderCntVal; j < NumEntriesInList[ i ][ SliceRplsIdx[ i ] ]; j++ ) {
    if( !lt_ref_pic_flag[ i ][ SliceRplsIdx[ i ] ][ j ] ) {
      RefPicPocList[ i ][ j ] = pocBase - DeltaPocSt[ i ][ SliceRplsIdx[ i ] ][ j ]
      if( there is a reference picture picA in the DPB with PicOrderCntVal equal to
          RefPicPocList[ i ][ j ] )
        RefPicList[ i ][ j ] = picA
      else
        RefPicList[ i ][ j ] = "no reference picture"
      pocBase = RefPicPocList[ i ][ j ]
    } else {
      if( there is a reference picA in the DPB with PicOrderCntVal & ( MaxLtPicOrderCntLsb - 1 )
          equal to FullPocLsbLt[ i ][ SliceRplsIdx[ i ] ][ j ] )
        RefPicList[ i ][ j ] = picA
      else
        RefPicList[ i ][ j ] = "no reference picture"
    }
  }
}
    
```

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For each i equal to 0 or 1, the following applies:

- The first NumRefIdxActive[ i ] entries in RefPicList[ i ] are referred to as the active entries in RefPicList[ i ], and the other entries in RefPicList[ i ] are referred to as the inactive entries in RefPicList[ i ].
- Each entry in RefPicList[ i ][ j ] for j in the range of 0 to NumEntriesInList[ i ][ SliceRplsIdx[ i ] ] - 1, inclusive, is referred to as an STRP entry if lt\_ref\_pic\_flag[ i ][ SliceRplsIdx[ i ] ][ j ] is equal to 0, and as an LTRP entry otherwise.

NOTE 1 It is possible that a particular picture is referred to by both an entry in RefPicList[ 0 ] and an entry in RefPicList[ 1 ]. It is also possible that a particular picture is referred to by more than one entry in RefPicList[ 0 ] or by more than one entry in RefPicList[ 1 ].

NOTE 2 The active entries in RefPicList[ 0 ] and the active entries in RefPicList[ 1 ] collectively refer to all reference pictures that can be used for inter prediction of the current picture and one or more pictures that follow the current picture in decoding order. The inactive entries in RefPicList[ 0 ] and the inactive entries in RefPicList[ 1 ] collectively refer to all reference pictures that are not used for inter prediction of the current picture but can be used in inter prediction for one or more pictures that follow the current picture in decoding order.

NOTE 3 There can be one or more entries in RefPicList[ 0 ] or RefPicList[ 1 ] that are equal to "no reference picture" because the corresponding pictures are not present in the DPB. Each inactive entry in RefPicList[ 0 ] or

RefPicList[ 1 ] that is equal to "no reference picture" must be ignored. An unintentional picture loss must be inferred for each active entry in RefPicList[ 0 ] or RefPicList[ 1 ] that is equal to "no reference picture".

It is a requirement of bitstream conformance that the following constraints apply:

- For each  $i$  equal to 0 or 1, NumEntriesInList[ $i$ ][ SliceRplsIdx[ $i$ ] ] shall not be less than NumRefIdxActive[  $i$  ].
- The picture referred to by each active entry in RefPicList[ 0 ] or RefPicList[ 1 ] shall be present in the DPB and shall have TemporalId less than or equal to that of the current picture.
- An STRP entry in RefPicList[ 0 ] or RefPicList[ 1 ] of a slice of a picture and an LTRP entry in RefPicList[ 0 ] or RefPicList[ 1 ] of the same slice or a different slice of the same picture shall not refer to the same picture.
- There shall be no LTRP entry in RefPicList[ 0 ] or RefPicList[ 1 ] for which the difference between the PicOrderCntVal of the current picture and the PicOrderCntVal of the picture referred to by the entry is greater than or equal to  $2^{24}$ .
- Let setOfRefPics be the set of unique pictures referred to by all entries in RefPicList[ 0 ] and all entries in RefPicList[ 1 ]. The number of pictures in setOfRefPics shall be less than or equal to sps\_max\_dec\_pic\_buffering\_minus1 and setOfRefPics shall be the same for all slices of a picture.

### 8.3.2.2 Decoding process for reference picture lists construction when sps\_rpl\_flag is equal to 0

#### 8.3.2.2.1 General

When sps\_rpl\_flag is equal to 0, this process is invoked at the beginning of the decoding process for each P or B slice:

The reference picture list RefPicList[ 0 ] is constructed as follows:

- 1) The decoding process for filling a reference picture list with lower PicOrderCntVal in subclause 8.3.2.2.2 is invoked with  $i$  set equal to 0 and startIdx set equal to 0, and the output is the variable nextIdx.
- 2) When nextIdx is less than NumRefIdxActive[ 0 ], the decoding process for filling a reference picture list with higher PicOrderCntVal in subclause 8.3.2.2.3 is invoked with  $i$  set equal to 0 and startIdx set equal to nextIdx, and the output is the variable nextIdx.
- 3) When nextIdx is less than NumRefIdxActive[ 0 ], NumRefIdxActive[ 0 ] is set equal to nextIdx.

For B slices, the reference picture list RefPicList[ 1 ] is constructed as follows:

- 1) The decoding process for filling a reference picture list with higher PicOrderCntVal in subclause 8.3.2.2.3 is invoked with  $i$  set equal to 1 and startIdx set equal to 0, and the output is the variable nextIdx.
- 2) When nextIdx is less than NumRefIdxActive[ 1 ], the decoding process for filling a reference picture list with lower PicOrderCntVal in subclause 8.3.2.2.2 is invoked with  $i$  set equal to 1 and startIdx set equal to nextIdx, and the output is the variable nextIdx.
- 3) When nextIdx is less than NumRefIdxActive[ 1 ], NumRefIdxActive[ 1 ] is set equal to nextIdx.

**8.3.2.2.2 Decoding process for filling a reference picture list with lower PicOrderCntVal pictures**

Inputs to this process are:

- a reference picture list identifier *i*, and
- a start index position *startIdx*.

Output of this process is the variable *nextIdx* representing the number of positions filled in the reference picture list.

The variable *nextIdx* is set equal to *startIdx*.

The variable *nextTemporalId* is set equal to  $\text{Max}(\text{TemporalId} - 1, 0)$ .

Let *minPoc* be set equal to the lowest value of *PictureOrderCountVal* of all reference pictures in the DPB.

The reference picture list *RefPicList[ i ]* is filled with lower *PicOrderCntVal* pictures as follows:

```

for( j = PicOrderCntVal; j >= minPoc && nextIdx < NumRefIdxActive[ i ]; j-- )
    if( there is a reference picture picA in the DPB with PicOrderCntVal equal to j and
        with TemporalId <= nextTemporalId ) {
        RefPicList[ i ][ nextIdx++ ] = picA
        nextTemporalId = Max( TemporalId of picA - 1, 0 )
    }
}
    
```

(167)

**8.3.2.2.3 Decoding process for filling a reference picture list with higher PicOrderCntVal**

Inputs to this process are:

- a reference picture list identifier *i*, and
- a start index position *startIdx*.

Output of this process is the variable *nextIdx* representing the number of positions filled in the reference picture list.

The variable *nextIdx* is set equal to *startIdx*.

The variable *nextTemporalId* is set equal to  $\text{Max}(\text{TemporalId} - 1, 0)$ .

Let *maxPoc* be set equal to the highest value of *PictureOrderCountVal* of all reference pictures in the DPB.

The reference picture list *RefPicList[ i ]* is filled with higher *PicOrderCntVal* pictures as follows:

```

for( j = PicOrderCntVal; j <= maxPoc && nextIdx < NumRefIdxActive[ i ]; j++ ) {
    if( there is a reference picture picA in the DPB with PicOrderCntVal equal to j and
        with TemporalId <= nextTemporalId ) {
        RefPicList[ i ][ nextIdx++ ] = picA
        nextTemporalId = Max( TemporalId of picA - 1, 0 )
    }
}
    
```

(168)

### 8.3.3 Decoding process for reference picture marking

#### 8.3.3.1 Decoding process for reference picture marking when `sps_rpl_flag` is equal to 1

When `sps_rpl_flag` is equal to 1, this process is invoked once per picture, after decoding of a slice header and the decoding process for reference picture list construction for the slice as specified in subclause 8.3.2, but prior to the decoding of the slice data. This process may result in one or more reference pictures in the DPB being marked as "unused for reference" or "used for long-term reference".

A decoded picture in the DPB can be marked as "unused for reference", "used for short-term reference" or "used for long-term reference", but only one among these three at any given moment during the operation of the decoding process. Assigning one of these markings to a picture implicitly removes another of these markings when applicable. When a picture is referred to as being marked as "used for reference", this collectively refers to the picture being marked as "used for short-term reference" or "used for long-term reference" (but not both).

When the current picture is an IDR picture, all reference pictures currently in the DPB (if any) are marked as "unused for reference".

STRPs are identified by their `PicOrderCntVal` values. LTRPs are identified by the `log2_max_pic_order_cnt_lsb_minus4 + 4 + additional_lt_poc_lsb_len` LSBs of their `PicOrderCntVal` values.

The following applies:

- For each LTRP entry in `RefPicList[ 0 ]` or `RefPicList[ 1 ]`, when the referred picture is an STRP, the picture is marked as "used for long-term reference".
- Each reference picture in the DPB that is not referred to by any entry in `RefPicList[ 0 ]` or `RefPicList[ 1 ]` is marked as "unused for reference".

#### 8.3.3.2 Decoding process for reference picture marking when `sps_rpl_flag` is equal to 0

When `sps_rpl_flag` is equal to 0, this process is invoked for decoded pictures when `TemporalId` is equal to 0. The process is invoked once, after decoding of a slice header, but prior to the decoding process for reference picture list construction for the slice as specified in subclause 8.3.2 and prior to the decoding of the slice data.

Let `minPoc` be set equal to the lowest value of `PictureOrderCountVal` of all reference pictures in the DPB.

The variable `idx` is set equal to 0.

If `log2_sub_gop_length` is greater than 0, the decoded reference picture marking is performed as follows:

```

for( j = PicOrderCntVal - 1; j >= minPoc; j-- ) {
    if( there is a reference picture picA in the DPB with PicOrderCntVal equal to j ) {
        if( TemporalId of picA == 0 && idx < max_num_tid0_ref_pics ) {
            the picture picA is marked as "used for short-term reference"
            idx++
        } else
            the picture picA is marked as "unused for reference"
    }
}

```

(169)

Otherwise (`log2_sub_gop_length` equals 0), the decoded reference picture marking is performed as follows:

```

for( j = PicOrderCntVal - 1; j >= minPoc; j-- ) {
    if( there is a reference picture picA in the DPB with PicOrderCntVal equal to j ) {
        picApoc is set equal to the PicOrderCntVal of picA
        if( ( ( picApoc == PicOrderCntVal - 1 ) || ( picApoc % RefPicGapLength ) == 0 ) &&
            idx < max_num_tid0_ref_pics ) {
            the picture picA is marked as "used for short-term reference"
            idx++
        } else
            the picture picA is marked as "unused for reference"
    }
}

```

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### 8.3.4 Decoding process for collocated picture

This process is invoked at the beginning of the decoding process for each P or B slice, after the invocation of the decoding process for reference picture list construction for the slice as specified in subclause 8.3.2, but prior to the decoding of any coding unit. The variable ColPic is set equal to RefPicList[ col\_pic\_list\_idx ][ col\_pic\_ref\_idx ].

## 8.4 Decoding process for coding units coded in intra prediction mode

### 8.4.1 General

Inputs to this process are:

- a luma location ( xCb, yCb ) specifying the top-left sample of the current luma coding block relative to the top-left luma sample of the current picture,
- a variable log2CbWidth specifying the width of the current luma coding block, and
- a variable log2CbHeight specifying the height of the current luma coding block.

Output of this process is a modified reconstructed picture before in-loop filtering.

When treeType is not equal to DUAL\_TREE\_CHROMA, the following steps are performed:

- The derivation process for the luma intra prediction mode as specified in subclause 8.4.2 is invoked with the luma location ( xCb, yCb ) and the width of the current coding block log2BlkWidth set equal to log2CbWidth as inputs.
- The decoding process for intra prediction as specified in subclause 8.4.4 is invoked with the luma location ( xCb, yCb ), the variables log2BlkWidth and log2BlkHeight set equal to log2CbWidth and log2CbHeight, the variable predModeIntra set equal to IntraPredModeY[ xCb ][ yCb ] and the variable cIdx set equal to 0 as inputs, and the outputs are the predicted samples predSamples[ x ][ y ], with  $x = 0..( 1 \ll \log_2 \text{CbWidth} ) - 1$  and  $y = 0..( 1 \ll \log_2 \text{CbHeight} ) - 1$ .
- Let resSamples be  $( 1 \ll \log_2 \text{CbWidth} ) \times ( 1 \ll \log_2 \text{CbHeight} )$  array of residual samples.
- The decoding process for the residual signal as specified in subclause 8.4.5 is invoked with the luma location ( xCb, yCb ), the luma location ( 0, 0 ), the variable nCbW set equal to  $( 1 \ll \log_2 \text{CbWidth} )$ , the variable nCbH set equal to  $( 1 \ll \log_2 \text{CbHeight} )$ , the variable nTbW set equal to  $( 1 \ll \log_2 \text{CbWidth} )$ , the variable nTbH set equal to  $( 1 \ll \log_2 \text{CbHeight} )$ , the variable cIdx set equal to 0 and the  $( 1 \ll \log_2 \text{CbWidth} ) \times ( 1 \ll \log_2 \text{CbHeight} )$  array resSamples as inputs, the output is a modified version of the  $( 1 \ll \log_2 \text{CbWidth} ) \times ( 1 \ll \log_2 \text{CbHeight} )$  array resSamples.

- The picture construction process prior to post-reconstruction and in-loop filtering for a colour component as specified in subclause 8.7.5 is invoked with the luma coding block location (  $x_{Cb}$ ,  $y_{Cb}$  ), the variable  $nCbW$  set equal to (  $1 \ll \log_2 CbWidth$  ), the variable  $nCbH$  set equal to (  $1 \ll \log_2 CbHeight$  ), the variable  $cIdx$  set equal to 0, the (  $1 \ll \log_2 CbWidth$  ) $\times$ (  $1 \ll \log_2 CbHeight$  ) array  $predSamples$  set equal to  $predSamples$ , and the (  $1 \ll \log_2 CbWidth$  ) $\times$ (  $1 \ll \log_2 CbHeight$  ) array  $resamples$  set equal to  $resamples$  as inputs, and the output is a modified reconstructed picture before the post-reconstruction filtering process and in-loop filtering.
- When the value of  $sps\_htdf\_flag$  is equal to 1, the post-reconstruction filter process prior to in-loop filtering for a luma component as specified in subclause 8.7.6.1 is invoked with the luma coding block location (  $x_{Cb}$ ,  $y_{Cb}$  ), the variable  $nCbW$  set equal to (  $1 \ll \log_2 CbWidth$  ), the variable  $nCbH$  set equal to (  $1 \ll \log_2 CbHeight$  ), the variable  $Qp'_v$  set equal to  $Qp'_v$ , which is obtained according to derivation process for quantization parameters as specified in subclause 8.7.1, and the output is a modified reconstructed picture before in-loop filtering.

When  $ChromaArrayType$  is not equal to 0 and  $treeType$  is not equal to DUAL\_TREE\_LUMA, the following decoding process for chroma samples applies:

- The variables  $\log_2 CbWidthC$  and  $\log_2 CbHeightC$  are set equal to  $\log_2 CbWidth - (ChromaArrayType = 3 ? 0 : 1)$  and  $\log_2 CbHeight - (ChromaArrayType = 1 ? 1 : 0)$ .
- The derivation process for the chroma intra prediction mode as specified in subclause 8.4.3 is invoked with the luma location (  $x_{Cb}$ ,  $y_{Cb}$  ) as input, and the output is the variable  $IntraPredModeC$ .
- The decoding process for intra prediction as specified in subclause 8.4.4 is invoked with the chroma location (  $x_{Cb} / SubWidthC$ ,  $y_{Cb} / SubHeightC$  ), the variables  $\log_2 BlkWidth$  and  $\log_2 BlkHeight$  set equal to  $\log_2 CbWidthC$  and  $\log_2 CbHeightC$ , the variable  $predModeIntra$  set equal to  $IntraPredModeC$  and the variable  $cIdx$  set equal to 1 as inputs, and the output is the predicted samples  $predSamples[x][y]$ , with  $x = 0..(1 \ll \log_2 CbWidthC) - 1$  and  $y = 0..(1 \ll \log_2 CbHeightC) - 1$ .
- Let  $resSamples$  be (  $1 \ll \log_2 CbWidthC$  ) $\times$ (  $1 \ll \log_2 CbHeightC$  ) array of residual samples.
- The decoding process for the residual signal as specified in subclause 8.4.5 is invoked with the luma location (  $x_{Cb}$ ,  $y_{Cb}$  ), the luma location ( 0, 0 ), the variable  $nCbW$  set equal to (  $1 \ll \log_2 CbWidth$  ), the variable  $nCbH$  set equal to (  $1 \ll \log_2 CbHeight$  ), the variable  $nTbW$  set equal to (  $1 \ll \log_2 CbWidth$  ), the variable  $nTbH$  set equal to (  $1 \ll \log_2 CbHeight$  ), the variable  $cIdx$  set equal to 1, and the (  $1 \ll \log_2 CbWidthC$  ) $\times$ (  $1 \ll \log_2 CbHeightC$  ) array  $resSamples$  as inputs, the output is a modified version of the (  $1 \ll \log_2 CbWidthC$  ) $\times$ (  $1 \ll \log_2 CbHeightC$  ) array  $resSamples$ .
- The picture construction process prior to in-loop filtering for a colour component as specified in subclause 8.7.5 is invoked with the luma coding block location (  $x_{Cb}$ ,  $y_{Cb}$  ), the variable  $nCbW$  set equal to (  $1 \ll \log_2 CbWidthC$  ), the variable  $nCbH$  set equal to (  $1 \ll \log_2 CbHeightC$  ), the variable  $cIdx$  set equal to 1, the (  $1 \ll \log_2 CbWidthC$  ) $\times$ (  $1 \ll \log_2 CbHeightC$  ) array  $predSamples$  set equal to  $predSamples$ , and the (  $1 \ll \log_2 CbWidthC$  ) $\times$ (  $1 \ll \log_2 CbHeightC$  ) array  $resamples$  set equal to  $resSamples$  as inputs, and the output is a modified reconstructed picture before in-loop filtering.
- The decoding process for intra prediction as specified in subclause 8.4.4 is invoked with the chroma location (  $x_{Cb} / SubWidthC$ ,  $y_{Cb} / SubHeightC$  ), the variables  $\log_2 BlkWidth$  and  $\log_2 BlkHeight$  set equal to  $\log_2 CbWidthC$  and  $\log_2 CbHeightC$ , the variable  $predModeIntra$  set equal to  $IntraPredModeC$  and the variable  $cIdx$  set equal to 2 as inputs, and the output is the predicted samples  $predSamples[x][y]$ , with  $x = 0..(1 \ll \log_2 CbWidthC) - 1$  and  $y = 0..(1 \ll \log_2 CbHeightC) - 1$ .

- The decoding process for the residual signal as specified in subclause 8.4.5 is invoked with the luma location ( xCb, yCb ), the luma location ( 0, 0 ), the variable nCbW set equal to ( 1 << log2CbWidth ), the variable nCbH set equal to ( 1 << log2CbHeight ), the variable nTbW set equal to ( 1 << log2CbWidth ), the variable nTbH set equal to ( 1 << log2CbHeight ), the variable cIdx set equal to 2, and the ( 1 << log2CbWidthC)x(1 << log2CbHeightC) array resSamples as inputs, the output is a modified version of the ( 1 << log2CbWidthC)x(1 << log2CbHeightC) array resSamples.
- The picture construction process prior to in-loop filtering for a colour component as specified in subclause 8.7.5 is invoked with the luma coding block location ( xCb, yCb ), the variable nCbW set equal to ( 1 << log2CbWidthC ), the variable nCbH set equal to ( 1 << log2CbHeightC ), the variable cIdx set equal to 2, the ( 1 << log2CbWidthC)x(1 << log2CbHeightC) array predSamples set equal to predSamples, and the ( 1 << log2CbWidthC)x(1 << log2CbHeightC) array resamples set equal to resSamples as inputs, and the output is a modified reconstructed picture before in-loop filtering.

**8.4.2 Derivation process for luma intra prediction mode**

Inputs to this process are:

- a sample location ( xCb, yCb ) specifying the top-left sample of the current block relative to the top-left sample of the current picture, and
- a variable log2BlkWidth specifying the width of the current coding block.

In this process, the luma intra prediction mode IntraPredModeY[ xCb ][ yCb ] is derived.

If sps\_eipd\_flag is equal to 0, the following applies:

- Table 13 specifies the value for the intra prediction mode and the associated names.

**Table 13 — Specification of intra prediction mode and associated names (when sps\_eipd\_flag = 0)**

Intra prediction mode ( IntraPredModeY[ xCb ][ yCb ] )	Associated name
0	INTRA_DC
1	INTRA_HOR
2	INTRA_VER
3	INTRA_UL
4	INTRA_UR

- IntraPredModeList specified in Table 14 is derived by the intra prediction modes of neighbouring blocks, and IntraPredModeY[ xCb ][ yCb ] is derived using IntraPredModeList as follows:

$$\text{IntraPredModeY[ xCb ][ yCb ]} = \text{IntraPredModeList[ intra\_pred\_mode[ xCb ][ yCb ] ]} \tag{171}$$

**Table 14 — Derivation of IntraPredModeList from the intra prediction mode of the neighbouring blocks**

		IntraPredModeY[ xCb ][ yCb - 1 ]					
		na	0	1	2	3	4
IntraPredModeY [ xCb - 1 ][ yCb ]	na	0, 2, 3, 1, 4	0, 2, 1, 3, 4	0, 2, 1, 3, 4	1, 2, 0, 3, 4	0, 2, 1, 3, 4	0, 1, 2, 3, 4
	0	1, 0, 2, 3, 4	0, 1, 2, 3, 4	0, 1, 2, 3, 4	1, 2, 0, 3, 4	0, 1, 3, 2, 4	0, 2, 1, 4, 3
	1	1, 0, 2, 3, 4	1, 0, 2, 3, 4	1, 0, 2, 3, 4	2, 0, 1, 3, 4	1, 0, 3, 2, 4	0, 1, 2, 4, 3
	2	1, 0, 2, 3, 4	0, 2, 1, 3, 4	1, 0, 2, 3, 4	1, 2, 0, 3, 4	0, 1, 2, 3, 4	0, 2, 1, 4, 3
	3	0, 1, 2, 3, 4	0, 3, 2, 1, 4	1, 0, 2, 3, 4	1, 2, 0, 3, 4	1, 2, 3, 0, 4	0, 2, 1, 4, 3
	4	0, 1, 2, 3, 4	0, 1, 2, 4, 3	0, 1, 2, 4, 3	0, 2, 1, 4, 3	0, 1, 2, 3, 4	0, 1, 2, 4, 3

Otherwise (sps\_eipd\_flag is equal to 1), the following applies:

— IntraPredModeY[ xCb ][ yCb ] is derived by the following ordered steps:

- 1) The neighbouring locations ( xNbA, yNbA ), ( xNbB, yNbB ) and ( xNbC, yNbC ) are set equal to ( xCb - 1, yCb ), ( xCb, yCb - 1 ) and ( xCb + (1 << log<sub>2</sub>BlkWidth), yCb ), respectively.
- 2) For X being replaced by either A, B or C, the variables candIntraPredModeX are derived as follows:
  - The derivation process for neighbouring block availability as specified in subclause 6.4.1 is invoked the neighbouring location ( xNbY, yNbY ) set equal to ( xNbX, yNbX ) as input, and the output is assigned to availableX.
  - A variable validX and the candidate intra prediction mode candIntraPredModeX are derived as follows:
    - If the availableX is equal to TRUE and LumaPredMode[ xNbX ][ yNbX ] is equal to MODE\_INTRA, validX is set equal to TRUE and candIntraPredModeX is set equal to IntraPredModeY[ xNbX ][ yNbX ].
    - Otherwise, validX is set equal to FALSE and candIntraPredModeX is set equal to INTRA\_DC.
  - When validC is equal to TRUE, the following applies:
    - If both validA and validB are equal to TRUE, the following applies:
      - If candIntraPredModeA is equal to candIntraPredModeB, candIntraPredModeB is set equal to candIntraPredModeC and validC is set equal to FALSE.
      - Otherwise, if candIntraPredModeA or candIntraPredModeB is equal to candIntraPredModeC, validC is set equal to FALSE.
    - Otherwise, if validA is equal to FALSE, candIntraPredModeA is set equal to candIntraPredModeC and validC is set equal to FALSE.
    - Otherwise, if validB is equal to FALSE, candIntraPredModeB is set equal to candIntraPredModeC and validC is set equal to FALSE.

3) candModeList[ x ] with x = 0, 1 is derived as follows:

$$\text{candModeList}[ 0 ] = \text{Min}( \text{candIntraPredModeA}, \text{candIntraPredModeB} ) \quad (172)$$

$$\text{candModeList}[ 1 ] = \text{Max}( \text{candIntraPredModeA}, \text{candIntraPredModeB} ) \quad (173)$$

— When candModeList[ 1 ] is equal to candModeList[ 0 ], the following applies:

$$\text{candModeList}[ 0 ] = \text{INTRA\_DC} \quad (174)$$

$$\text{candModeList}[ 1 ] = ( \text{candModeList}[ 1 ] = \text{INTRA\_DC} ) ? \text{INTRA\_BI} : \text{candModeList}[ 1 ] \quad (175)$$

4) extCandModeList[ x ] with x = 0..7 is derived as follows:

— If validC is equal to FALSE, the following applies:

— If both candModeList[ 0 ] and candModeList[ 1 ] are less than 3 (i.e., equal to INTRA\_PLN, INTRA\_DC, or INTRA\_BI), extCandModeList[ x ] with x = 0..7 is derived as follows:

— extCandModeList[ 0 ] is a mode which is not included in candModeList[ x ] with x = 0, 1 among INTRA\_PLN, INTRA\_DC, and INTRA\_BI. extCandModeList[ x ] with x = 1..7 is derived as follows:

$$\text{extCandModeList}[ 1 ] = \text{INTRA\_VER} \quad (176)$$

$$\text{extCandModeList}[ 2 ] = \text{INTRA\_HOR} \quad (177)$$

$$\text{extCandModeList}[ 3 ] = \text{INTRA\_DIA\_R} \text{ (i.e., } ( \text{INTRA\_VER} + \text{INTRA\_HOR} ) \gg 1 ) \quad (178)$$

$$\text{extCandModeList}[ 4 ] = \text{INTRA\_DIA\_L} \quad (179)$$

$$\text{extCandModeList}[ 5 ] = \text{INTRA\_DIA\_U} \quad (180)$$

$$\text{extCandModeList}[ 6 ] = \text{INTRA\_VER} + 4 \quad (181)$$

$$\text{extCandModeList}[ 7 ] = \text{INTRA\_HOR} - 4 \quad (182)$$

— Otherwise, if candModeList[ 0 ] is less than 3 and candModeList[ 1 ] are greater than or equal to 3, extCandModeList[ x ] with x = 0..7 is derived as follows:

— If candModeList[ 0 ] is equal to INTRA\_PLN, extCandModeList[ x ] with x = 0, 1 is derived as follows:

$$\text{extCandModeList}[ 0 ] = \text{INTRA\_BI} \quad (183)$$

$$\text{extCandModeList}[ 1 ] = \text{INTRA\_DC} \quad (184)$$

— Otherwise, extCandModeList[ x ] with x = 0, 1 is derived as follows:

$$\text{extCandModeList}[ 0 ] = ( \text{candModeList}[ 0 ] = \text{INTRA\_BI} ) ? \text{INTRA\_DC} : \text{INTRA\_BI} \quad (185)$$

$$\text{extCandModeList}[ 1 ] = \text{INTRA\_PLN} \quad (186)$$

— If candModeList[ 1 ] is greater than 30, extCandModeList[ x ] with x = 2..7 is derived as follows:

$$\text{extCandModeList}[ 2 ] = ( \text{candModeList}[ 1 ] = = 32 ) ? 31 : 32 \quad (187)$$

$$\text{extCandModeList}[ 3 ] = 30 \quad (188)$$

$$\text{extCandModeList}[ 4 ] = 29 \quad (189)$$

$$\text{extCandModeList}[ 5 ] = 28 \quad (190)$$

$$\text{extCandModeList}[ 6 ] = \text{INTRA\_HOR} \quad (191)$$

$$\text{extCandModeList}[ 7 ] = \text{INTRA\_DIA\_R} \quad (192)$$

- Otherwise, if  $\text{candModeList}[ 1 ]$  is less than 5,  $\text{extCandModeList}[ x ]$  with  $x = 2..7$  is derived as follows:

$$\text{extCandModeList}[ 2 ] = ( \text{candModeList}[ 1 ] = = 3 ) ? 4 : 3 \quad (193)$$

$$\text{extCandModeList}[ 3 ] = 5 \quad (194)$$

$$\text{extCandModeList}[ 4 ] = 6 \quad (195)$$

$$\text{extCandModeList}[ 5 ] = 7 \quad (196)$$

$$\text{extCandModeList}[ 6 ] = \text{INTRA\_VER} \quad (197)$$

$$\text{extCandModeList}[ 7 ] = \text{INTRA\_DIA\_R} \quad (198)$$

- Otherwise,  $\text{extCandModeList}[ x ]$  with  $x = 2..7$  is derived as follows:

$$\text{extCandModeList}[ 2 ] = \text{candModeList}[ 1 ] + 2 \quad (199)$$

$$\text{extCandModeList}[ 3 ] = \text{candModeList}[ 1 ] - 2 \quad (200)$$

$$\text{extCandModeList}[ 4 ] = \text{candModeList}[ 1 ] + 1 \quad (201)$$

$$\text{extCandModeList}[ 5 ] = \text{candModeList}[ 1 ] - 1 \quad (202)$$

- If  $\text{candModeList}[ 1 ]$  is equal to or less than 23 and equal to or greater than 13, the following applies:

$$\text{extCandModeList}[ 6 ] = \text{candModeList}[ 1 ] - 5 \quad (203)$$

$$\text{extCandModeList}[ 7 ] = \text{candModeList}[ 1 ] + 5 \quad (204)$$

- Otherwise, the following applies:

$$\text{extCandModeList}[ 6 ] = ( \text{candModeList}[ 1 ] > 23 ) ? \text{candModeList}[ 1 ] - 5 : \text{candModeList}[ 1 ] + 5 \quad (205)$$

$$\text{extCandModeList}[ 7 ] = ( \text{candModeList}[ 1 ] > 23 ) ? \text{candModeList}[ 1 ] - 10 : \text{candModeList}[ 1 ] + 10 \quad (206)$$

- Otherwise,  $\text{extCandModeList}[ x ]$  with  $x = 0..7$  is derived as follows:

$$\text{extCandModeList}[ 0 ] = \text{INTRA\_BI} \quad (207)$$

$$\text{extCandModeList}[ 1 ] = \text{INTRA\_DC} \quad (208)$$

—  $\text{extCandModeList}[ x ]$  with  $x = 2..7$  is derived as follows:

— A  $\text{list}[ y ]$  with  $y = 0..14$  is derived as follows:

$$\text{list}[ 0 ] = ( \text{candModeList}[ 0 ] == 3 \mid \mid \text{candModeList}[ 0 ] == 4 ) ? \\ \text{candModeList}[ 0 ] + 1 : \text{candModeList}[ 0 ] - 2 \quad (209)$$

$$\text{list}[ 1 ] = ( \text{candModeList}[ 0 ] == 31 ) ? \\ \text{candModeList}[ 0 ] - 1 : \text{candModeList}[ 0 ] + 2 \quad (210)$$

$$\text{list}[ 2 ] = ( \text{candModeList}[ 1 ] == 4 ) ? \\ \text{candModeList}[ 1 ] + 1 : \text{candModeList}[ 1 ] - 2 \quad (211)$$

$$\text{list}[ 3 ] = ( \text{candModeList}[ 1 ] == 32 \mid \mid \text{candModeList}[ 1 ] == 31 ) ? \\ \text{candModeList}[ 1 ] - 1 : \text{candModeList}[ 1 ] + 2 \quad (212)$$

$$\text{list}[ 4 ] = ( \text{candModeList}[ 0 ] + \text{candModeList}[ 1 ] + 1 ) \gg 1 \quad (213)$$

$$\text{list}[ 5 ] = ( \text{list}[ 4 ] + \text{candModeList}[ 0 ] + 1 ) \gg 1 \quad (214)$$

$$\text{list}[ 6 ] = ( \text{list}[ 4 ] + \text{candModeList}[ 1 ] + 1 ) \gg 1 \quad (215)$$

$$\text{list}[ 7 ] = \text{INTRA\_VER} \quad (216)$$

$$\text{list}[ 8 ] = \text{INTRA\_HOR} \quad (217)$$

$$\text{list}[ 9 ] = \text{INTRA\_DIA\_R} \quad (218)$$

$$\text{list}[ 10 ] = \text{INTRA\_PLN} \quad (219)$$

$$\text{list}[ 11 ] = \text{INTRA\_DIA\_L} \quad (220)$$

$$\text{list}[ 12 ] = \text{INTRA\_DIA\_U} \quad (221)$$

$$\text{list}[ 13 ] = \text{INTRA\_VER} + 4 \quad (222)$$

$$\text{list}[ 14 ] = \text{INTRA\_HOR} - 4 \quad (223)$$

— A variable  $i\text{Count}$  is set equal to 2.

— For  $i$  equal to 0 to 14, inclusive, the following is applied until  $i\text{Count}$  is greater than 7:

— For  $j$  equal to 0 to  $i\text{Count} - 1$ , inclusive, the following is applied:

— When  $\text{list}[ i ]$  is equal to among  $\text{extCandModeList}[ j ]$ ,  $\text{candModeList}[ 0 ]$ , and  $\text{candModeList}[ 1 ]$ ,  $i$  is incremented by 1 and  $j$  is set equal to 0.

— When  $j$  is equal to  $( i\text{Count} - 1 )$ ,  $\text{extCandModeList}[ i\text{Count} ]$  is set equal to  $\text{list}[ i ]$ ,  $i$  and  $i\text{Count}$  are incremented by 1 and  $j$  is set equal to 0.

— Otherwise ( $\text{validC}$  is equal to TRUE), the following applies:

- If both  $\text{candModeList}[0]$  and  $\text{candModeList}[1]$  are less than 3 (i.e., equal to INTRA\_PLN, INTRA\_DC, or INTRA\_BI),  $\text{extCandModeList}[x]$  with  $x = 0..7$  is derived as follows:
  - $\text{extCandModeList}[0]$  is set equal to a mode which is not included in the  $\text{candModeList}$  among INTRA\_PLN, INTRA\_DC, and INTRA\_BI.
  - If  $\text{candIntraPredModeC}$  is less than 3,  $\text{extCandModeList}[x]$  with  $x = 1..7$  is set equal to Formulae 176 to 182.
  - Otherwise,  $\text{extCandModeList}[x]$  with  $x = 1..7$  is derived as follows:

$$\text{extCandModeList}[1] = \text{candIntraPredModeC} \quad (224)$$

$$\text{extCandModeList}[2] = (\text{candIntraPredModeC} = 3 \mid \mid \text{candIntraPredModeC} = 4) ? \\ \text{candIntraPredModeC} + 1 : \text{candIntraPredModeC} - 2 \quad (225)$$

$$\text{extCandModeList}[3] = (\text{candIntraPredModeC} = 32 \mid \mid \text{candIntraPredModeC} = 31) ? \\ \text{candIntraPredModeC} - 1 : \text{candIntraPredModeC} + 2 \quad (226)$$

- $\text{extCandModeList}[x]$  with  $x = 4..7$  is derived as follows:

- A list[ $y$ ] with  $y = 0..9$  is derived as follows:

$$\text{list}[0] = \text{INTRA\_VER} \quad (227)$$

$$\text{list}[1] = \text{INTRA\_HOR} \quad (228)$$

$$\text{list}[2] = \text{INTRA\_DIA\_R} \quad (229)$$

$$\text{list}[3] = \text{INTRA\_PLN} \quad (230)$$

$$\text{list}[4] = \text{INTRA\_DIA\_L} \quad (231)$$

$$\text{list}[5] = \text{INTRA\_DIA\_U} \quad (232)$$

$$\text{list}[6] = \text{INTRA\_VER} + 4 \quad (233)$$

$$\text{list}[7] = \text{INTRA\_HOR} - 4 \quad (234)$$

$$\text{list}[8] = \text{INTRA\_VER} - 4 \quad (235)$$

$$\text{list}[9] = \text{INTRA\_HOR} + 4 \quad (236)$$

- A variable  $i\text{Count}$  is set equal to 4.
- For  $i$  equal to 0 to 9, inclusive, the following is applied until  $i\text{Count}$  is greater than 7:
  - For  $j$  equal to 0 to  $i\text{Count} - 1$ , inclusive, the following is applied:
    - When  $\text{list}[i]$  is equal to among  $\text{extCandModeList}[j]$ ,  $\text{candModeList}[0]$ , and  $\text{candModeList}[1]$ ,  $i$  is incremented by 1 and  $j$  is set equal to 0.

- When  $j$  is equal to  $(iCount - 1)$ ,  $extCandModeList[iCount]$  is set equal to  $list[i]$ ,  $i$  and  $iCount$  are incremented by 1 and  $j$  is set equal to 0.
- Otherwise, if  $candModeList[0]$  is less than 3 and  $candModeList[1]$  are greater than or equal to 3,  $extCandModeList[x]$  with  $x = 0..7$  is derived as follows:
  - If  $candIntraPredModeC$  is less than 3,  $extCandModeList[x]$  with  $x = 0..7$  is set equal to Formulae 183 to 206.
  - Otherwise,  $extCandModeList[x]$  with  $x = 0..7$  is derived as follows:

- If  $candModeList[0]$  is equal to INTRA\_PLN,  $extCandModeList[x]$  with  $x = 0..2$  is derived as follows:

$$extCandModeList[0] = INTRA\_BI \quad (237)$$

$$extCandModeList[1] = INTRA\_DC \quad (238)$$

$$extCandModeList[2] = candIntraPredModeC \quad (239)$$

- Otherwise,  $extCandModeList[x]$  with  $x = 0..2$  is derived as follows:

$$extCandModeList[0] = (candModeList[0] == INTRA\_BI) ? INTRA\_DC : INTRA\_BI \quad (240)$$

$$extCandModeList[1] = INTRA\_PLN \quad (241)$$

$$extCandModeList[2] = candIntraPredModeC \quad (242)$$

- $extCandModeList[x]$  with  $x = 3..7$  is derived as follows:

- A list  $[y]$  with  $y = 0..14$  is derived as follows:

$$list[0] = (candIntraPredModeC == 3 || candIntraPredModeC == 4) ? candIntraPredModeC + 1 : candIntraPredModeC - 2 \quad (243)$$

$$list[1] = (candIntraPredModeC == 32 || candIntraPredModeC == 31) ? candIntraPredModeC - 1 : candIntraPredModeC + 2 \quad (244)$$

$$list[2] = (candModeList[1] == 3 || candModeList[1] == 4) ? candModeList[1] + 1 : candModeList[1] - 2 \quad (245)$$

$$list[3] = (candModeList[1] == 32 || candModeList[1] == 31) ? candModeList[1] - 1 : candModeList[1] + 2 \quad (246)$$

$$list[4] = (candIntraPredModeC + candModeList[1] + 1) >> 1 \quad (247)$$

$$list[5] = (candIntraPredModeC + list[4] + 1) >> 1 \quad (248)$$

$$list[6] = (candModeList[1] + list[4] + 1) >> 1 \quad (249)$$

$$list[7] = INTRA\_VER \quad (250)$$

$$list[8] = INTRA\_HOR \quad (251)$$

list[ 9 ] = INTRA\_DIA\_R (252)

list[ 10 ] = INTRA\_PLN (253)

list[ 11 ] = INTRA\_DIA\_L (254)

list[ 12 ] = INTRA\_DIA\_U (255)

list[ 13 ] = INTRA\_VER + 4 (256)

list[ 14 ] = INTRA\_HOR - 4 (257)

- A variable iCount is set equal to 3.
- For i equal to 0 to 14, inclusive, the following is applied until iCount is greater than 7:
  - For j equal to 0 to iCount - 1, inclusive, the following is applied:
    - When list[ i ] is equal to among extCandModeList[ j ], candModeList[ 0 ], and candModeList[ 1 ], i is incremented by 1 and j is set equal to 0.
    - When j is equal to ( iCount - 1 ), extCandModeList[ iCount ] is set equal to list[ i ], i and iCount are incremented by 1 and j is set equal to 0.
- Otherwise, extCandModeList[ x ] with x = 0..7 is derived as follows:

- If candIntraPredModeC is less than 3, extCandModeList[ x ] with x = 0..7 is derived as follows:

extCandModeList[ 0 ] = candIntraPredModeC (258)

extCandModeList[ 1 ] = ( candIntraPredModeC == INTRA\_BI ) ? INTRA\_DC : INTRA\_BI (259)

- extCandModeList[ x ] with x = 2..7 is derived as follows:
  - A list[ x ] with x = 0..14 is set equal to Formulae 209 to 223.
  - A variable iCount is set equal to 2.
  - For i equal to 0 to 14, inclusive, the following is applied until iCount is greater than 7:
    - For j equal to 0 to iCount - 1, inclusive, the following applies:
      - When list[ i ] is equal to among extCandModeList[ j ], candModeList[ 0 ], and candModeList[ 1 ], i is incremented by 1 and j is set equal to 0.
      - When j is equal to ( iCount - 1 ), extCandModeList[ iCount ] is set equal to list[ i ], i and iCount are incremented by 1 and j is set equal to 0.

— Otherwise, extCandModeList[ x ] with x = 0..7 is derived as follows:

$$\text{extCandModeList}[ 0 ] = \text{INTRA\_BI} \quad (260)$$

$$\text{extCandModeList}[ 1 ] = \text{INTRA\_DC} \quad (261)$$

$$\text{extCandModeList}[ 2 ] = \text{candIntraPredModeC} \quad (262)$$

— extCandModeList[ x ] with x = 3..7 is derived as follows:

— A list[ y ] with y = 0..15 is derived as follows:

$$\text{list}[ 0 ] = ( \text{candModeList}[ 0 ] == 3 \mid \mid \text{candModeList}[ 0 ] == 4 ) ? \\ \text{candModeList}[ 0 ] + 1 : \text{candModeList}[ 0 ] - 2 \quad (263)$$

$$\text{list}[ 1 ] = ( \text{candModeList}[ 0 ] == 31 ) ? \\ \text{candModeList}[ 0 ] - 1 : \text{candModeList}[ 0 ] + 2 \quad (264)$$

$$\text{list}[ 2 ] = ( \text{candModeList}[ 1 ] == 4 ) ? \\ \text{candModeList}[ 1 ] + 1 : \text{candModeList}[ 1 ] - 2 \quad (265)$$

$$\text{list}[ 3 ] = ( \text{candModeList}[ 1 ] == 32 \mid \mid \text{candModeList}[ 1 ] == 31 ) ? \\ \text{candModeList}[ 0 ] - 1 : \text{candModeList}[ 0 ] + 2 \quad (266)$$

$$\text{list}[ 4 ] = ( \text{candIntraPredModeC} == 3 \mid \mid \text{candIntraPredModeC} == 4 ) ? \\ \text{candIntraPredModeC} + 1 : \text{candIntraPredModeC} - 2 \quad (267)$$

$$\text{list}[ 5 ] = ( \text{candIntraPredModeC} == 32 \mid \mid \text{candIntraPredModeC} == 31 ) ? \\ \text{candIntraPredModeC} - 1 : \text{candIntraPredModeC} + 2 \quad (268)$$

$$\text{list}[ 6 ] = ( \text{candIntraPredModeC} < \text{candModeList}[ 1 ] ) ? \\ ( \text{candModeList}[ 0 ] + \text{candIntraPredModeC} + 1 ) >> 1 : \\ ( \text{candModeList}[ 0 ] + \text{candModeList}[ 1 ] + 1 ) >> 1 \quad (269)$$

$$\text{list}[ 7 ] = ( \text{candIntraPredModeC} < \text{candModeList}[ 0 ] ) ? \\ ( \text{candModeList}[ 0 ] + \text{candModeList}[ 1 ] + 1 ) >> 1 : \\ ( \text{candIntraPredModeC} + \text{candModeList}[ 1 ] + 1 ) >> 1 \quad (270)$$

$$\text{list}[ 8 ] = \text{INTRA\_VER} \quad (271)$$

$$\text{list}[ 9 ] = \text{INTRA\_HOR} \quad (272)$$

$$\text{list}[ 10 ] = \text{INTRA\_DIA\_R} \quad (273)$$

$$\text{list}[ 11 ] = \text{INTRA\_PLN} \quad (274)$$

$$\text{list}[ 12 ] = \text{INTRA\_DIA\_L} \quad (275)$$

$$\text{list}[ 13 ] = \text{INTRA\_DIA\_U} \quad (276)$$

$$\text{list}[ 14 ] = \text{INTRA\_VER} + 4 \quad (277)$$

$$\text{list}[ 15 ] = \text{INTRA\_HOR} - 4 \quad (278)$$

— A variable iCount is set equal to 3.

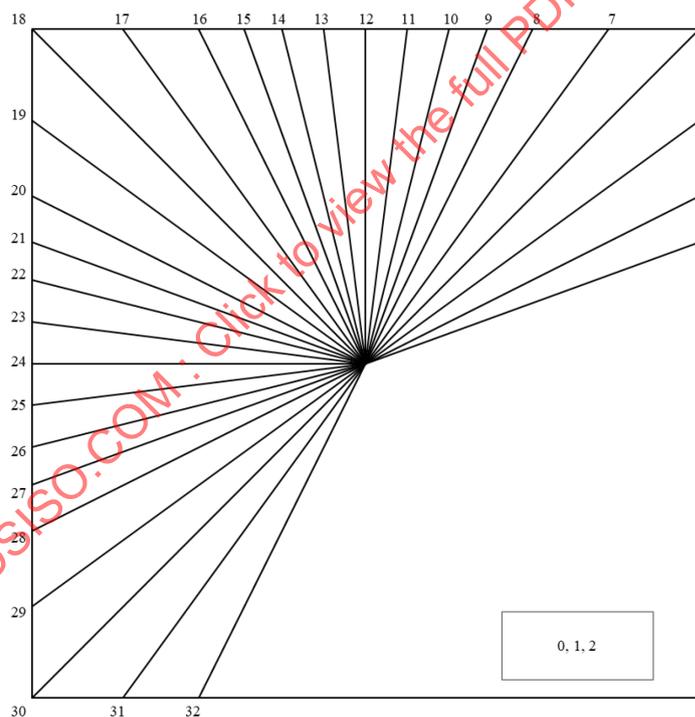
- For  $i$  equal to 0 to 15, inclusive, the following is applied until  $iCount$  is greater than 7:
    - For  $j$  equal to 0 to  $iCount - 1$ , inclusive, the following applies:
      - When  $list[i]$  is equal to among  $extCandModeList[j]$ ,  $candModeList[0]$ , and  $candModeList[1]$ ,  $i$  is incremented by 1 and  $j$  is set equal to 0.
      - When  $j$  is equal to  $(iCount - 1)$ ,  $extCandModeList[iCount]$  is set equal to  $list[i]$ ,  $i$  and  $iCount$  are incremented by 1 and  $j$  is set equal to 0.
- 5) A list  $remModeList[x]$  with  $x = 0..32$  is derived as follows:
- $remModeList[x]$  with  $x = 0, 1$  is set equal to  $candModeList[y]$  with  $y = 0, 1$ .
  - $remModeList[x]$  with  $x = 2..9$  is set equal to  $extCandModeList[y]$  with  $y = 0..7$ .
  - $remModeList[x]$  with  $x = 10..32$  is derived as follows:
    - A variable  $iCount$  is set equal to 10.
    - A  $defaultModeList[33]$  is set equal to { INTRA\_DC, INTRA\_BI, INTRA\_VER, INTRA\_PLN, INTRA\_HOR, INTRA\_VER - 1, INTRA\_VER + 1, INTRA\_VER - 2, INTRA\_VER + 2, INTRA\_VER - 3, INTRA\_VER + 3, INTRA\_HOR - 1, INTRA\_HOR + 1, INTRA\_HOR - 2, INTRA\_HOR + 2, INTRA\_HOR - 3, INTRA\_HOR + 3, INTRA\_VER + 5, INTRA\_VER + 4, INTRA\_VER - 5, INTRA\_VER - 4, INTRA\_DIA\_R, INTRA\_DIA\_L, INTRA\_DIA\_L - 3, INTRA\_DIA\_L - 2, INTRA\_DIA\_L - 1, INTRA\_DIA\_U, INTRA\_DIA\_U + 1, INTRA\_DIA\_U + 2, INTRA\_HOR - 4, INTRA\_HOR - 5, INTRA\_HOR + 5, INTRA\_HOR + 4 }.
    - For  $i$  equal to 0 to 32, inclusive, the following applies:
      - If  $defaultModeList[i]$  is equal to  $candModeList[y]$  with  $y = 0, 1$  or the  $extCandModeList[z]$  with  $z = 0..7$ ,  $i$  is incremented by 1.
      - Otherwise,  $remModeList[iCount]$  is set equal to  $defaultModeList[i]$  and  $iCount$  is incremented by 1.
- 6)  $IntraPredModeY[xCb][yCb]$  is derived by applying the following procedure:
- If  $intra\_luma\_pred\_mpm\_flag[x0][y0]$  is equal to 1, the  $IntraPredModeY[xCb][yCb]$  is set equal to  $candModeList[intra\_luma\_pred\_mpm\_idx[x0][y0]]$ .
- Otherwise, if  $intra\_luma\_pred\_pims\_flag[x0][y0]$  is equal to 1, the  $IntraPredModeY[xCb][yCb]$  is set equal to  $extCandModeList[intra\_luma\_pred\_pims\_idx[x0][y0]]$ .
  - Otherwise, the  $IntraPredModeY[xCb][yCb]$  is set equal to  $remModeList[intra\_luma\_pred\_rem\_mode[x0][y0] + 2 + 8]$ .

— Table 15 specifies the value for the intra prediction mode and the associated names.

**Table 15 — Specification of intra prediction mode and associated names  
(when sps\_eipd\_flag = = 1)**

Intra prediction mode ( IntraPredModeY[ xCb ][ yCb ] )	Associated name
0	INTRA_DC
1	INTRA_PLN
2	INTRA_BI
6	INTRA_DIA_L
12	INTRA_VER
18	INTRA_DIA_R
24	INTRA_HOR
30	INTRA_DIA_U

— IntraPredModeY[ xCb ][ yCb ] labelled 0..32 represents directions of predictions as illustrated in Figure 5.



- Key**
- 0 INTRA\_DC
  - 1 INTRA\_PLN
  - 2 INTRA\_BI

**Figure 5 — Intra prediction mode directions**

### 8.4.3 Derivation process for chroma intra prediction mode

Input to this process is a luma location ( xCb, yCb ) specifying the top-left sample of the current chroma coding block relative to the top-left luma sample of the current picture.

Output of this process is the variable `IntraPredModeC`.

When `LumaPredMode[xCb][yCb]` is equal to `MODE_IBC`, `IntraPredModeY[xCb][yCb]` is set equal to `INTRA_DC`.

The chroma intra prediction mode `IntraPredModeC` is derived as follows:

- If `intra_chroma_pred_mode[xCb][yCb]` is equal to 0, `IntraPredModeC` is set equal to `IntraPredModeY[xCb][yCb]`.
- Otherwise, `IntraPredModeC` is derived as follows:
  - If `IntraPredModeY[xCb][yCb]` is `INTRA_DC`, `INTRA_HOR`, `INTRA_VER` or `INTRA_BI`, the following applies:
    - A variable `modeIdx` is derived as follows:
      - If `IntraPredModeY[xCb][yCb]` is equal to `INTRA_BI`, `modeIdx` is set equal to 1.
      - Otherwise, if `IntraPredModeY[xCb][yCb]` is equal to `INTRA_DC`, `modeIdx` is set equal to 2.
      - Otherwise, if `IntraPredModeY[xCb][yCb]` is equal to `INTRA_HOR`, `modeIdx` is set equal to 3.
      - Otherwise, if `IntraPredModeY[xCb][yCb]` is equal to `INTRA_VER`, `modeIdx` is set equal to 4.
    - If `intra_chroma_pred_mode[xCb][yCb]` is equal to or greater than `modeIdx`, `IntraPredModeC` is set equal to `intra_chroma_pred_mode[xCb][yCb] + 1`.
    - Otherwise, `IntraPredModeC` is set equal to `intra_chroma_pred_mode[xCb][yCb]`.
  - Otherwise, `IntraPredModeC` is set equal to `intra_chroma_pred_mode[xCb][yCb]`.

Table 16 specifies the value for the chroma intra prediction mode.

**Table 16 — Specification of `IntraPredModeC`**

<code>IntraPredModeC</code>	chroma intra prediction mode
0	<code>IntraPredModeY[xCb][yCb]</code>
1	<code>INTRA_BI</code>
2	<code>INTRA_DC</code>
3	<code>INTRA_HOR</code>
4	<code>INTRA_VER</code>

## 8.4.4 Decoding process of intra prediction

### 8.4.4.1 General

Inputs to this process are:

- a sample location (  $x_{CbCmp}$ ,  $y_{CbCmp}$  ) specifying the top-left sample of the current block relative to the top-left sample of the current picture,
- variables  $\log_2BlkWidth$  and  $\log_2BlkHeight$  specifying the width and height of the current coding block,
- a variable  $predModelIntra$  specifying the intra prediction mode, and
- a variable  $cIdx$  specifying the colour component of the current coding block.

Outputs of this process are the predicted samples  $predSamples[x][y]$ , with  $x = 0..nCbw - 1$  and  $y = 0..nCbh - 1$ .

The variables  $nCbW$  and  $nCbH$  are set equal to  $1 \ll \log_2BlkWidth$  and  $1 \ll \log_2BlkHeight$ .

If  $sps\_suco\_flag$  is equal to 1, the following applies:

- The  $nCbW * 3 + nCbH * 3 + 1$  neighbouring samples  $p[x][y]$  that are constructed samples after the post-reconstruction filtering process, with  $x = -1, y = -1..nCbh + nCbW - 1$ ,  $x = 0..nCbw + nCbH - 1, y = -1$ , and  $x = nCbW, y = 0..nCbh + nCbW - 1$  are derived as follows:

- The neighbouring location (  $x_{NbCmp}$ ,  $y_{NbCmp}$  ) is specified as follows:

$$(x_{NbCmp}, y_{NbCmp}) = (x_{CbCmp} + x, y_{CbCmp} + y) \quad (279)$$

- The current luma location (  $x_{CbY}$ ,  $y_{CbY}$  ) and the neighbouring luma location (  $x_{NbY}$ ,  $y_{NbY}$  ) are derived as follows:

$$(x_{CbY}, y_{CbY}) = (cIdx == 0) ? (x_{CbCmp}, y_{CbCmp}) : (x_{CbCmp} * SubWidthC, y_{CbCmp} * SubHeightC) \quad (280)$$

$$(x_{NbY}, y_{NbY}) = (cIdx == 0) ? (x_{NbCmp}, y_{NbCmp}) : (x_{NbCmp} * SubWidthC, y_{NbCmp} * SubHeightC) \quad (281)$$

- The derivation process for neighbouring block availability as specified in subclause 6.4.1 is invoked with the neighbouring luma location (  $x_{NbY}$ ,  $y_{NbY}$  ) as input, and the output is assigned to  $availableN$ .

- Each sample  $p[x][y]$  is derived as follows:

- If one or more of the following conditions are true, the sample  $p[x][y]$  is marked as "not available for intra prediction".

- The variable  $availableN$  is equal to FALSE.

- $LumaPredMode[x_{NbY}][y_{NbY}]$  is not equal to  $MODE\_INTRA$  and  $constrained\_intra\_pred\_flag$  is equal to 1.

- Otherwise, the sample  $p[x][y]$  is marked as "available for intra prediction" and the sample at the location  $(x_{NbCmp}, y_{NbCmp})$  is assigned to  $p[x][y]$ .
- When at least one sample  $p[x][y]$  with  $x = -1, y = -1..nC_bH + nC_bW - 1$  and  $x = 0..nC_bW + nC_bH - 1, y = -1$  and  $x = nC_bW, y = 0..nC_bH + nC_bW - 1$  is marked as "not available for intra prediction", the reference sample substitution process for intra sample prediction as specified in subclause 8.4.4.2 is invoked with the samples  $p[x][y]$  with  $x = -1, y = -1..nC_bH + nC_bW - 1$  and  $x = 0..nC_bW + nC_bH - 1, y = -1$  and  $x = nC_bW, y = 0..nC_bH + nC_bW - 1, nC_bW, nC_bH$  and  $cIdx$  as inputs, and the modified samples  $p[x][y]$  with  $x = -1, y = -1..nC_bH + nC_bW - 1$  and  $x = 0..nC_bW + nC_bH - 1, y = -1$  and  $x = nC_bW, y = 0..nC_bH + nC_bW - 1$  as outputs.

Otherwise ( $sps\_suco\_flag$  is equal to 0), the following applies:

- The  $nC_bW * 2 + nC_bH * 2 + 1$  neighbouring samples  $p[x][y]$  that are constructed samples after the post-reconstruction filtering process, with  $x = -1, y = -1..nC_bH + nC_bW - 1$  and  $x = 0..nC_bW + nC_bH - 1, y = -1$ , are derived as follows:
  - The neighbouring location  $(x_{NbCmp}, y_{NbCmp})$  is specified as follows:
 
$$(x_{NbCmp}, y_{NbCmp}) = (x_{CbCmp} + x, y_{CbCmp} + y) \quad (282)$$
  - The current luma location  $(x_{CbY}, y_{CbY})$  and the neighbouring luma location  $(x_{NbY}, y_{NbY})$  are derived as follows:
 
$$(x_{CbY}, y_{CbY}) = (cIdx == 0) ? (x_{CbCmp}, y_{CbCmp}) : (x_{CbCmp} * SubWidthC, y_{CbCmp} * SubHeightC) \quad (283)$$

$$(x_{NbY}, y_{NbY}) = (cIdx == 0) ? (x_{NbCmp}, y_{NbCmp}) : (x_{NbCmp} * SubWidthC, y_{NbCmp} * SubHeightC) \quad (284)$$
- The derivation process for neighbouring block availability as specified in subclause 6.4.1 is invoked with the neighbouring luma location  $(x_{NbY}, y_{NbY})$  as input, and the output is assigned to  $availableN$ .
- Each sample  $p[x][y]$  is derived as follows:
  - If one or more of the following conditions are true, the sample  $p[x][y]$  is marked as "not available for intra prediction".
    - The variable  $availableN$  is equal to FALSE.
    - $LumaCuPredMode[x_{NbY}][y_{NbY}]$  is not equal to  $MODE\_INTRA$  and  $constrained\_intra\_pred\_flag$  is equal to 1.
  - Otherwise, the sample  $p[x][y]$  is marked as "available for intra prediction" and the sample at the location  $(x_{NbCmp}, y_{NbCmp})$  is assigned to  $p[x][y]$ .
- When at least one sample  $p[x][y]$  with  $x = -1, y = -1..nC_bH + nC_bW - 1$  and  $x = 0..nC_bW + nC_bH - 1, y = -1$  is marked as "not available for intra prediction", the reference sample substitution process for intra sample prediction as specified in subclause 8.4.4.2 is invoked with the samples  $p[x][y]$  with  $x = -1, y = -1..nC_bH + nC_bW - 1$  and  $x = 0..nC_bW + nC_bH - 1, y = -1, nC_bW, nC_bH$  and  $cIdx$  as inputs, and the modified samples  $p[x][y]$  with  $x = -1, y = -1..nC_bH + nC_bW - 1$  and  $x = 0..nC_bW + nC_bH - 1, y = -1$  as outputs.

The variable `availLR` is derived by invoking the derivation process for left and right neighbouring blocks availabilities as specified in subclause 6.4.2 with the luma location ( `xCbCmp`, `yCbCmp` ) and the luma coding block width `nCbW` as inputs.

Depending on the value of `predModeIntra`, the following applies:

- If `predModeIntra` is equal to `INTRA_DC`, the corresponding intra prediction mode specified in subclause 8.4.4.3 is invoked with the sample array `p`, the coding block width `nCbW`, height `nCbH` and the neighboring availability value `availLR` as inputs, and the outputs are the predicted sample array `predSamples`.
- Otherwise, if `predModeIntra` is equal to `INTRA_HOR`, the corresponding intra prediction mode specified in subclause 8.4.4.4 is invoked with the sample array `p`, the coding block width `nCbW`, height `nCbH` and the neighboring availability value `availLR` as inputs, and the outputs are the predicted sample array `predSamples`.
- Otherwise, if `predModeIntra` is equal to `INTRA_VER`, the corresponding intra prediction mode specified in subclause 8.4.4.5 is invoked with the sample array `p`, the coding block width `nCbW` and height `nCbH` as inputs, and the outputs are the predicted sample array `predSamples`.
- Otherwise, if `predModeIntra` is equal to `INTRA_UL`, the corresponding intra prediction mode specified in subclause 8.4.4.6 is invoked with the sample array `p`, the coding block width `nCbW` and height `nCbH` as inputs, and the outputs are the predicted sample array `predSamples`.
- Otherwise, if `predModeIntra` is equal to `INTRA_UR`, the corresponding intra prediction mode specified in subclause 8.4.4.7 is invoked with the sample array `p`, the coding block width `nCbW` and height `nCbH` as inputs, and the outputs are the predicted sample array `predSamples`.
- Otherwise, if `predModeIntra` is equal to `INTRA_BI`, the corresponding intra prediction mode specified in subclause 8.4.4.8 is invoked with the sample array `p`, the block size `nCbW`, `nCbH`, `log2BlkWidth`, `log2BlkHeight` and the neighboring availability value `availLR` as inputs, and the outputs are the predicted sample array `predSamples`.
- Otherwise, if `predModeIntra` is equal to `INTRA_PLN`, the corresponding intra prediction mode specified in subclause 8.4.4.9 is invoked with the sample array `p`, the block size `nCbW`, `nCbH`, `log2BlkWidth`, `log2BlkHeight` and the neighboring availability value `availLR` as inputs, and the outputs are the predicted sample array `predSamples`.
- Otherwise, the corresponding intra prediction mode specified in subclause 8.4.4.10 is invoked with the intra prediction mode `predModeIntra`, the sample array `p`, the coding block width `nCbW`, height `nCbH` and the neighboring availability value `availLR` as inputs, and the outputs are the predicted sample array `predSamples`.

#### **8.4.4.2 Reference sample substitution process for intra sample prediction**

Inputs to this process are:

- reference samples `p[x][y]` with  $x = -1, y = -1..nCbH + nCbW - 1$  and  $x = 0..nCbW + nCbH - 1, y = -1$  for intra sample prediction,
- reference samples `p[x][y]` with  $x = nCbW, y = 0..nCbH + nCbW - 1$  if `sps_suco_flag` is equal to 1,
- variables `nCbW` and `nCbH` specifying the width and height of the current coding block, and
- a variable `cIdx` specifying the colour component of the current coding block.

Outputs of this process are:

- the modified reference samples  $p[x][y]$  with  $x = -1, y = -1..nC_bH + nC_bW - 1$  and  $x = 0..nC_bW + nC_bH - 1, y = -1$  for intra sample prediction, and
- the modified reference samples  $p[x][y]$  with  $x = nC_bW, y = 0..nC_bH + nC_bW - 1$  if `sps_suco_flag` is equal to 1.

The variable `bitDepth` is derived as follows:

- If `cIdx` is equal to 0, `bitDepth` is set equal to `BitDepthv`.
- Otherwise, `bitDepth` is set equal to `BitDepthc`.

If `sps_eipd_flag` is equal to 0, the following applies:

- The values of the samples  $p[x][y]$  with  $x = -1, y = -1..nC_bH + nC_bW - 1$  and  $x = 0..nC_bW + nC_bH - 1, y = -1$  are modified as follows:
  - When  $p[-1][-1]$  is marked as "not available for intra prediction", the value of  $1 \ll (\text{bitDepth} - 1)$  is assigned to  $p[-1][-1]$ .
  - The following ordered steps are applied:
    - 1) Search sequentially starting from  $x = 0, y = -1$  to  $x = nC_bW + nC_bH - 1, y = -1$ . When a sample  $p[x][y]$  is marked as "not available for intra prediction", the value of  $1 \ll (\text{bitDepth} - 1)$  is assigned to  $p[x][y]$ .
    - 2) Search sequentially starting from  $x = -1, y = 0$  to  $x = -1, y = nC_bH + nC_bW - 1$ . When a sample  $p[x][y]$  is marked as "not available for intra prediction", the value of  $1 \ll (\text{bitDepth} - 1)$  is assigned to  $p[x][y]$ .
- All samples  $p[x][y]$  with  $x = -1, y = -1..nC_bH + nC_bW - 1$  and  $x = 0..nC_bW + nC_bH - 1, y = -1$  are marked as "available for intra prediction".

Otherwise (`sps_eipd_flag` is equal to 1), the following applies:

- If `sps_suco_flag` is equal to 1, the following applies:
  - The values of the samples  $p[x][y]$  with  $x = -1, y = -1..nC_bH + nC_bW - 1$  and  $x = 0..nC_bW + nC_bH - 1, y = 0$  and  $x = nC_bW, y = -1..nC_bH + nC_bW - 1$  are modified as follows:
    - When  $p[-1][-1]$  is marked as "not available for intra prediction", the value of  $1 \ll (\text{bitDepth} - 1)$  is assigned to  $p[-1][-1]$ .
    - The following ordered steps are applied:
      - 1) Search sequentially starting from  $x = 0, y = -1$  to  $x = nC_bW + nC_bH - 1, y = -1$ . When a sample  $p[x][y]$  is marked as "not available for intra prediction", the value of  $p[x-1][y]$  is assigned to  $p[x][y]$ .
      - 2) Search sequentially starting from  $x = -1, y = 0$  to  $x = -1, y = nC_bH + nC_bW - 1$ . When a sample  $p[x][y]$  is marked as "not available for intra prediction", the value of  $p[x][y-1]$  is assigned to  $p[x][y]$ .

- 3) Search sequentially starting from  $x = nCbW, y = 0$  to  $x = nCbW, y = nCbH + nCbW - 1$ . When a sample  $p[x][y]$  is marked as "not available for intra prediction", the value of  $p[x][y - 1]$  is assigned to  $p[x][y]$ .
  - All samples  $p[x][y]$  with  $x = -1, y = -1..nCbH + nCbW - 1$  and  $x = 0..nCbW + nCbH - 1, y = -1$  and  $x = nCbW, y = 0..nCbH + nCbW - 1$  are marked as "available for intra prediction".
- Otherwise ( $sps\_suco\_flag$  is equal to 0), the following applies:
  - The values of the samples  $p[x][y]$  with  $x = -1, y = -1..nCbH + nCbW - 1$  and  $x = 0..nCbW + nCbH - 1, y = -1$  are modified as follows:
    - When  $p[-1][-1]$  is marked as "not available for intra prediction", the value of  $1 << (\text{bitDepth} - 1)$  is assigned to  $p[-1][-1]$ .
    - The following ordered steps are applied:
      - 1) Search sequentially starting from  $x = 0, y = -1$  to  $x = nCbW + nCbH - 1, y = -1$ . When a sample  $p[x][y]$  is marked as "not available for intra prediction", the value of  $p[x - 1][y]$  is assigned to  $p[x][y]$ .
      - 2) Search sequentially starting from  $x = -1, y = 0$  to  $x = -1, y = nCbH + nCbW - 1$ . When a sample  $p[x][y]$  is marked as "not available for intra prediction", the value of  $p[x][y - 1]$  is assigned to  $p[x][y]$ .
    - All samples  $p[x][y]$  with  $x = -1, y = -1..nCbH + nCbW - 1$  and  $x = 0..nCbW + nCbH - 1, y = -1$  are marked as "available for intra prediction".

#### 8.4.4.3 Specification of intra prediction mode INTRA\_DC

Inputs to this process are:

- the neighbouring samples  $p[x][y]$ ,
- variables  $nCbW$  and  $nCbH$  specifying the width and height of the current coding block, and
- the variable  $availLR$  specifying left and right neighbouring blocks availabilities of luma coding block.

Outputs of this process are the predicted samples  $predSamples[x][y]$ , with  $x = 0..nCbW - 1, y = 0..nCbH - 1$ .

If  $sps\_eipd\_flag$  is equal to 0, the following applies:

- The values of the prediction samples  $predSamples[x][y]$ , with  $x = 0..nCbW - 1, y = 0..nCbH - 1$ , are derived as follows:

$$predSamples[x][y] = \left( \sum_{x'=0}^{nCbW-1} p[x'][-1] + \sum_{y'=0}^{nCbH-1} p[-1][y'] + nCbW \right) \gg (\text{Log}_2(nCbW) + 1) \quad (285)$$

Otherwise ( $sps\_eipd\_flag$  is equal to 1), the following applies:

- The scaling coefficients  $divScaleMult[idx]$  with  $idx = 0..7$  are specified in Table 17. The normalization factor  $divScaleShift = 12$ .

— The values of the prediction samples  $\text{predSamples}[x][y]$ , with  $x = 0..nCbW - 1, y = 0..nCbH - 1$ , are derived as follows:

— If  $\text{availLR}$  is equal to  $\text{LR}_{11}$ , the values of the  $\text{predSamples}[x][y]$ , with  $x = 0..nCbW - 1, y = 0..nCbH - 1$ ,  $\text{aspRatioShift} = (nCbW > 2 * nCbH) ? \text{Log2}(nCbH) + 1 : \text{Log2}(nCbW)$ ,  $\text{log2AspRatio} = (nCbW > 2 * nCbH) ? (\text{Log2}(nCbW) - \text{Log2}(nCbH) - 1) : (\text{Log2}(nCbH) - \text{Log2}(nCbW) + 1)$  are derived as follows:

$$\text{predSamples}[x][y] = ((\sum_{x'=0}^{nCbW-1} p[x'][-1] + \sum_{y'=0}^{nCbH-1} p[-1][y'] + \sum_{y'=0}^{nCbH-1} p[nCbW][y'] + ((nCbW + nCbH + nCbH) >> 1) * \text{divScaleMult}[\text{log2AspRatio}]) >> (\text{divScaleShift} + \text{aspRatioShift}) \quad (286)$$

— Otherwise, if  $\text{availLR}$  is equal to  $\text{LR}_{01}$ , the values of the  $\text{predSamples}[x][y]$ , with  $x = 0..nCbW - 1, y = 0..nCbH - 1$ ,  $\text{aspRatioShift} = (nCbW > nCbH) ? \text{Log2}(nCbH) : \text{Log2}(nCbW)$ ,  $\text{log2AspRatio} = (nCbW > nCbH) ? (\text{Log2}(nCbW) - \text{Log2}(nCbH)) : (\text{Log2}(nCbH) - \text{Log2}(nCbW))$  are derived as follows:

$$\text{predSamples}[x][y] = ((\sum_{x'=0}^{nCbW-1} p[x'][-1] + \sum_{y'=0}^{nCbH-1} p[nCbW][y'] + ((nCbW + nCbH) >> 1)) * \text{divScaleMult}[\text{log2AspRatio}]) >> (\text{divScaleShift} + \text{aspRatioShift}) \quad (287)$$

— Otherwise ( $\text{availLR}$  is equal to  $\text{LR}_{10}$  or  $\text{LR}_{00}$ ), the values of the  $\text{predSamples}[x][y]$ , with  $x = 0..nCbW - 1, y = 0..nCbH - 1$ ,  $\text{aspRatioShift} = (nCbW > nCbH) ? \text{Log2}(nCbH) : \text{Log2}(nCbW)$ ,  $\text{log2AspRatio} = (nCbW > nCbH) ? (\text{Log2}(nCbW) - \text{Log2}(nCbH)) : (\text{Log2}(nCbH) - \text{Log2}(nCbW))$  are derived as follows:

$$\text{predSamples}[x][y] = ((\sum_{x'=0}^{nCbW-1} p[x'][-1] + \sum_{y'=0}^{nCbH-1} p[-1][y'] + ((nCbW + nCbH) >> 1)) * \text{divScaleMult}[\text{log2AspRatio}]) >> (\text{divScaleShift} + \text{aspRatioShift}) \quad (288)$$

**Table 17 — Specification of  $\text{divScaleMult}[\text{idx}]$  for various input values of  $\text{idx}$**

<b>idx</b>	0	1	2	3	4	5	6	7
<b><math>\text{divScaleMult}[\text{idx}]</math></b>	2048	1365	819	455	241	124	63	32

**8.4.4.4 Specification of intra prediction mode  $\text{INTRA}_{\text{HOR}}$**

Inputs to this process are:

- the neighbouring samples  $p[x][y]$ ,
- variables  $nCbW$  and  $nCbH$  specifying the width and height of the current coding block, and
- the variable  $\text{availLR}$  specifying left and right neighbouring blocks availabilities of luma coding block.

Outputs of this process are the predicted samples  $\text{predSamples}[x][y]$ , with  $x = 0..nCbW - 1, y = 0..nCbH - 1$ .

If  $\text{sps\_eipd\_flag}$  is equal to 0, the following applies:

- The values of the prediction samples  $\text{predSamples}[x][y]$ , with  $x = 0..nCbW - 1, y = 0..nCbH - 1$ , are derived as follow:

$$\text{predSamples}[x][y] = p[-1][y] \quad (289)$$

Otherwise (sps\_eipd\_flag is equal to 1), the following applies:

- The scaling coefficients  $\text{divScaleMult}[\text{idx}]$  with  $\text{idx} = 0..7$  are specified in Table 17. The normalization factor  $\text{divScaleShift} = 12$ .
- The values of the prediction samples  $\text{predSamples}[x][y]$ , with  $x = 0..nCbW - 1$ ,  $y = 0..nCbH - 1$ , are derived as follows:
  - If  $\text{availLR}$  is equal to  $\text{LR}_{11}$ , the values of the  $\text{predSamples}[x][y]$ , with  $x = 0..nCbW - 1$ ,  $y = 0..nCbH - 1$  are derived as follows:

$$\text{predSamples}[x][y] = ((p[-1][y] * (nCbW - x) + p[nCbW][y] * (x + 1) + (nCbW >> 1)) * \text{divScaleMult}[\text{Log2}(nCbW)]) >> \text{divScaleShift} \quad (290)$$

- Otherwise, if  $\text{availLR}$  is equal to  $\text{LR}_{01}$ , the values of the  $\text{predSamples}[x][y]$ , with  $x = 0..nCbW - 1$ ,  $y = 0..nCbH - 1$  are derived as follows:

$$\text{predSamples}[x][y] = p[nCbW][y] \quad (291)$$

- Otherwise ( $\text{availLR}$  is equal to  $\text{LR}_{00}$  or  $\text{LR}_{10}$ ), the values of the  $\text{predSamples}[x][y]$ , with  $x = 0..nCbW - 1$ ,  $y = 0..nCbH - 1$  are derived as follows:

$$\text{predSamples}[x][y] = p[-1][y] \quad (292)$$

#### 8.4.4.5 Specification of intra prediction mode INTRA\_VER

Inputs to this process are:

- the neighbouring samples  $p[x][y]$ , and
- variables  $nCbW$  and  $nCbH$  specifying the width and height of the current coding block.

Outputs of this process are the predicted samples  $\text{predSamples}[x][y]$ , with  $x = 0..nCbW - 1$ ,  $y = 0..nCbH - 1$ .

The values of the prediction samples  $\text{predSamples}[x][y]$ , with  $x = 0..nCbW - 1$ ,  $y = 0..nCbH - 1$ , are derived as follows:

$$\text{predSamples}[x][y] = p[x][-1] \quad (293)$$

#### 8.4.4.6 Specification of intra prediction mode INTRA\_UL

Inputs to this process are:

- the neighbouring samples  $p[x][y]$ , and
- two variables  $nCbW$  and  $nCbH$  specifying the width and height of the current coding block.

Outputs of this process are the predicted samples  $\text{predSamples}[x][y]$ , with  $x = 0..nCbW - 1$ ,  $y = 0..nCbH - 1$ .

The values of the prediction samples  $\text{predSamples}[x][y]$ , with  $x = 0..nCbW - 1$ ,  $y = 0..nCbH - 1$ , are derived as follows:

— If  $y$  is greater than  $x$ , the following applies:

$$\text{predSamples}[x][y] = p[-1][y - x - 1] \quad (294)$$

— Otherwise, the following applies:

$$\text{predSamples}[x][y] = p[x - y - 1][-1] \quad (295)$$

#### 8.4.4.7 Specification of intra prediction mode INTRA\_UR

Inputs to this process are:

- the neighbouring samples  $p[x][y]$ , and
- two variables  $nCbW$  and  $nCbH$  specifying the width and height of the current coding block.

Outputs of this process are the predicted samples  $\text{predSamples}[x][y]$ , with  $x = 0..nCbW - 1$ ,  $y = 0..nCbH - 1$ .

The values of the prediction samples  $\text{predSamples}[x][y]$ , with  $x = 0..nCbW - 1$ ,  $y = 0..nCbH - 1$ , are derived as follows:

$$\text{predSamples}[x][y] = (\text{predSamples}[x + y + 1][-1] + \text{predSamples}[-1][x + y + 1]) \gg 1 \quad (296)$$

#### 8.4.4.8 Specification of intra prediction mode INTRA\_BI

Inputs to this process are:

- the neighbouring samples  $p[x][y]$ ,
- two variables  $nCbW$  and  $nCbH$  specifying the width and height of the current coding block,
- two variables  $\log2BlkWidth$  and  $\log2BlkHeight$  specifying the width and height of the current coding block, and
- the variable  $availLR$  specifying left and right neighbouring blocks availabilities of luma coding block.

Outputs of this process are the predicted samples  $\text{predSamples}[x][y]$ , with  $x = 0..nCbW - 1$ ,  $y = 0..nCbH - 1$ .

The variable  $bitDepth$  is derived as follows:

- If  $cIdx$  is equal to 0,  $bitDepth$  is set equal to  $BitDepth_y$ .
- Otherwise,  $bitDepth$  is set equal to  $BitDepth_c$ .

The scaling coefficients  $\text{divScaleMult}[idx]$  with  $idx = 0..7$  are specified in Table 17. The normalization factor  $\text{divScaleShift} = 12$ . The weighting factor  $\text{weightFactor}[\text{absLog2DiffWH}]$  with  $\text{absLog2DiffWH} = 1..5$  are specified in Table 18.

**Table 18 — Specification of weightFactor[ absLog2DiffWH ] for various input values of absLog2DiffWH**

absLog2DiffWH	1	2	3	4	5
weightFactor[ absLog2DiffWH ]	341	205	114	60	31

Depending on the value of availLR, the following applies:

— If availLR is equal to LR\_11 or LR\_01, the follows applies:

— If availLR is equal to LR\_11, the values of the prediction samples predSamples[ x ][ y ] are derived as follows:

$$\begin{aligned} \text{predSamples}[x][y] = & \text{Clip3}(0, (1 \ll \text{bitDepth}) - 1, \\ & (((p[-1][y] * (\text{nCbW} - x) + p[\text{nCbW}][y] * (x + 1) + (\text{nCbW} \gg 1)) * \\ & \text{divScaleMult}[\text{Log2}(\text{nCbW})]) \gg \text{divScaleShift}) + \\ & ((p[x][-1] * (\text{nCbH} - 1 - y) + ((p[-1][\text{nCbH} - 1] * (\text{nCbW} - x) + \\ & p[\text{nCbW}][\text{nCbH} - 1] * (x + 1) + (\text{nCbW} \gg 1)) * \text{divScaleMult}[\text{Log2}(\text{nCbW})]) \gg \\ & \text{divScaleShift}) * (y + 1) + (\text{nCbH} \gg 1)) \gg \text{Log2}(\text{nCbH}) + 1) \gg 1) \end{aligned} \quad (297)$$

— Otherwise, if availLR is equal to LR\_01, the values of the prediction samples predSamples[ x ][ y ] are derived as follows:

— The variables iA, iB, iC are specified as follows:

$$iA = p[-1][-1] \quad (298)$$

$$iB = p[\text{nCbW}][\text{nCbH}] \quad (299)$$

— If nCbW is equal to nCbH, the variable iC is derived as follows:

$$iC = (iA + iB + 1) \gg 1 \quad (300)$$

— Otherwise, the variable iC is derived as follows:

$$iShift = \text{Min}(\text{log2BlkWidth}, \text{log2BlkHeight}) \quad (301)$$

$$\text{absLog2DiffWH} = \text{Abs}(\text{log2BlkWidth} - \text{log2BlkHeight}) \quad (302)$$

$$\begin{aligned} iC = & (((iA \ll \text{log2BlkWidth}) + (iB \ll \text{log2BlkHeight})) * \\ & \text{weightFactor}[\text{absLog2DiffWH}] \\ & + (1 \ll (iShift + 9))) \gg (iShift + 10) \end{aligned} \quad (303)$$

— The values of the prediction samples predSamples[ x ][ y ] are derived as follows:

$$\begin{aligned} \text{predSamples}[x][y] = & \text{Clip3}(0, (1 \ll \text{bitDepth}) - 1, \\ & (((iA - p[\text{nCbW}][y]) * (x + 1)) \ll \text{log2BlkHeight}) + (((iB - p[x][-1]) * \\ & (y + 1)) \ll \text{log2BlkWidth}) + ((p[x][-1] + p[\text{nCbW}][y]) \ll (\text{log2BlkWidth} + \\ & \text{log2BlkHeight})) + ((iC \ll 1) - iA - iB) * x * y + (1 \ll (\text{log2BlkWidth} + \\ & \text{log2BlkHeight})) \gg (\text{log2BlkWidth} + \text{log2BlkHeight} + 1)) \end{aligned} \quad (304)$$

— Otherwise (availLR is equal to LR\_10 or LR\_00), the values of the prediction samples predSamples[ x ][ y ], with x = 0..nCbW - 1, y = 0..nCbH - 1, are derived as follows:

— The variables iA, iB, iC are specified as follows:

$$iA = p[ nCbW ][ -1 ] \quad (305)$$

$$iB = p[ -1 ][ nCbH ] \quad (306)$$

— If  $nCbW$  is equal to  $nCbH$ , the variable  $iC$  is derived as follows:

$$iC = ( iA + iB + 1 ) \gg 1 \quad (307)$$

— Otherwise, the variable  $iC$  is derived as follows:

$$iShift = \text{Min}( \log2BlkWidth, \log2BlkHeight ) \quad (308)$$

$$\text{absLog2DiffWH} = \text{Abs}( \log2BlkWidth - \log2BlkHeight ) \quad (309)$$

$$iC = ( ( iA \ll \log2BlkWidth ) + ( iB \ll \log2BlkHeight ) ) * \text{weightFactor}[ \text{absLog2DiffWH} ] + ( 1 \ll ( iShift + 9 ) ) \gg ( iShift + 10 ) \quad (310)$$

— The values of the prediction samples  $\text{predSamples}[ x ][ y ]$  are derived as follows:

$$\begin{aligned} \text{predSamples}[ x ][ y ] = & \text{Clip3}( 0, ( 1 \ll \text{bitDepth} ) - 1, \\ & ( ( ( iA - p[ -1 ][ y ] ) * ( x + 1 ) ) \ll \log2BlkHeight ) + ( ( iB - p[ x ][ -1 ] ) * ( y + 1 ) ) \\ & \ll \log2BlkWidth ) + ( ( p[ x ][ -1 ] + p[ -1 ][ y ] ) \ll ( \log2BlkWidth + \log2BlkHeight ) ) + \\ & ( ( iC \ll 1 ) - iA - iB ) * x * y + ( 1 \ll ( \log2BlkWidth + \log2BlkHeight ) ) \gg \\ & ( \log2BlkWidth + \log2BlkHeight + 1 ) ) \end{aligned} \quad (311)$$

#### 8.4.4.9 Specification of intra prediction mode INTRA\_PLN

Inputs to this process are:

- the neighbouring samples  $p[ x ][ y ]$ ,
- two variables  $nCbW$  and  $nCbH$  specifying the width and height of the current coding block,
- two variables  $\log2BlkWidth$  and  $\log2BlkHeight$  specifying the width and height of the current coding block, and
- the variable  $\text{availLR}$  specifying left and right neighbouring blocks availabilities of luma coding block.

Outputs of this process are the predicted samples  $\text{predSamples}[ x ][ y ]$ , with  $x = 0..nCbW - 1$ ,  $y = 0..nCbH - 1$ .

The variable  $\text{bitDepth}$  is derived as follows:

- If  $\text{cIdx}$  is equal to 0,  $\text{bitDepth}$  is set equal to  $\text{BitDepth}_y$ .
- Otherwise,  $\text{bitDepth}$  is set equal to  $\text{BitDepth}_c$ .

The scaling and shift factors  $\text{mult}[ i ]$  and  $\text{shift}[ i ]$  with  $i = 2..7$  are specified in Table 19.

The variables  $\text{idxW}$  and  $\text{idxH}$  are derived as follows:

$$\text{idxW} = \text{Max}( \log2BlkWidth, 2 ) \quad (312)$$

$$\text{idxH} = \text{Max}( \log2BlkHeight, 2 ) \quad (313)$$

Depending on the value of availLR, the following applies:

- If availLR is equal to LR\_11 or LR\_01, the values of the prediction samples predSamples[ x ][ y ] are derived as follows:

$$iH = \sum_{x'=0}^{(nCbw/2)-1} (x' + 1) * (p[(nCbw/2) - x' - 1][ - 1 ] - p[(nCbw/2) + x' + 1][ - 1 ]) \quad (314)$$

$$iV = \sum_{y'=0}^{(nCbh/2)-1} (y' + 1) * (p[nCbW][(nCbh/2) + y'] - p[nCbW][(nCbh/2) - y' - 2]) \quad (315)$$

$$iA = ( p[ 0 ][ - 1 ] + p[ nCbW ][ nCbH - 1 ] ) \ll 4 \quad (316)$$

$$iB = ( ( iH \ll 5 ) * mult[ idxH ] + ( 1 \ll ( shift[ idxH ] - 1 ) ) ) \gg shift[ idxH ] \quad (317)$$

$$iC = ( ( iV \ll 5 ) * mult[ idxW ] + ( 1 \ll ( shift[ idxW ] - 1 ) ) ) \gg shift[ idxW ] \quad (318)$$

$$predSamples[ x ][ y ] = Clip3( 0, ( 1 \ll bitDepth ) - 1, ( iA + ( x - ( nCbW \gg 1 ) - 1 ) * iB + ( y - ( nCbH \gg 1 ) - 1 ) * iC + 16 ) \gg 5 ) \quad (319)$$

- Otherwise (availLR is equal to LR\_10 or LR\_00), the values of the prediction samples predSamples[ x ][ y ], with x = 0..nCbw - 1, y = 0..nCbh - 1, are derived as follows:

$$iH = \sum_{x'=0}^{(nCbw/2)-1} (x' + 1) * (p[(nCbw/2) + x'][-1] - p[(nCbw/2) - x' - 2][-1]) \quad (320)$$

$$iV = \sum_{y'=0}^{(nCbh/w)-1} (y' + 1) * (p[-1][(nCbh/2) + y'] - p[-1][(nCbh/2) - y' - 2]) \quad (321)$$

$$iA = ( p[ nCbW - 1 ][ - 1 ] + p[ - 1 ][ nCbH - 1 ] ) \ll 4 \quad (322)$$

$$iB = ( ( iH \ll 5 ) * mult[ idxH ] + ( 1 \ll ( shift[ idxH ] - 1 ) ) ) \gg shift[ idxH ] \quad (323)$$

$$iC = ( ( iV \ll 5 ) * mult[ idxW ] + ( 1 \ll ( shift[ idxW ] - 1 ) ) ) \gg shift[ idxW ] \quad (324)$$

$$predSamples[ x ][ y ] = Clip3( 0, ( 1 \ll bitDepth ) - 1, ( iA + ( x - ( nCbW \gg 1 ) - 1 ) * iB + ( y - ( nCbH \gg 1 ) - 1 ) * iC + 16 ) \gg 5 ) \quad (325)$$

**Table 19 — Specification of mult[ i ] and shift[ i ]**

i	2	3	4	5	6	7
mult[ i ]	13	17	5	11	23	47
shift[ i ]	7	10	11	15	19	23

**8.4.4.10 Specification of directional intra prediction modes**

Inputs to this process are:

- the intra prediction mode predModeIntra,
- the neighbouring samples p[ x ][ y ],
- two variables nCbW and nCbH specifying the width and height of the current coding block, and
- the variable availLR specifying left and right neighbouring blocks availabilities of luma coding block.

Outputs of this process are the predicted samples  $\text{predSamples}[x][y]$ , with  $x = 0..nCbW - 1$ ,  $y = 0..nCbH - 1$ .

The variables  $\text{dirXYSign}$ ,  $\text{divDxy}$  and  $\text{divDyx}$  are defined in Table 20.

Arrays  $\text{refUp}$ ,  $\text{refLeft}$ , and  $\text{refRight}$  are derived as follows:

- $\text{refUp}[x]$  is assigned with the neighbouring samples  $p[x][y]$  with  $x = -1..nCbH + nCbW - 1$ ,  $y = -1$ .
- $\text{refLeft}[y]$  is assigned with the neighbouring samples  $p[x][y]$ , with  $x = -1$ ,  $y = -1..nCbH + nCbW - 1$ .
- $\text{refRight}[y]$  is assigned with the neighbouring samples  $p[x][y]$ , with  $x = nCbW$ ,  $y = -1..nCbH + nCbW - 1$ .

The value of the prediction sample  $\text{predSamples}[x][y]$ , with  $x = 0..nCbW - 1$ ,  $y = 0..nCbH - 1$  are derived by the following ordered steps:

1) The values  $iOffset$ ,  $iX$ ,  $iY$  and  $\text{refPosition}$  are specified as follows:

— Depending on the values of  $\text{availLR}$ , the following applies:

— If  $\text{availLR}$  is equal to  $\text{LR}_01$  or  $\text{LR}_{11}$ , the following applies:

$$iTanY = ((y + 1) * \text{divDxy}) \gg 10 \quad (326)$$

$$iTanX = ((x + 1) * \text{divDyx}) \gg 10 \quad (327)$$

— If  $\text{predModelIntra}$  is less than  $\text{INTRA\_VER}$ , the following applies:

— If  $x$  is less than  $nCbW - iTanY$  (refer to upper sample), the following applies:

$$iOffset = (((y + 1) * \text{divDxy}) \gg 5) - (iTanY \ll 5) \quad (328)$$

$$iX = x + iTanY \quad (329)$$

$$\text{refPosition} = \text{refUp} \quad (330)$$

— Otherwise (refer to right sample), the following applies:

$$iOffset = (((nCbW - x) * \text{divDyx}) \gg 5) - (((nCbW - x) * \text{divDyx}) \gg 10) \ll 5 \quad (331)$$

$$iX = x + (((nCbW - x) * \text{divDyx}) \gg 10) \quad (332)$$

$$\text{refPosition} = \text{refRight} \quad (333)$$

— Otherwise, if  $\text{predModelIntra}$  is greater than  $\text{INTRA\_HOR}$ , the following applies:

$$iTanX = (((nCbW - x) * \text{divDyx}) \gg 10) \quad (334)$$

$$iTanY = (((nCbW - x) * \text{divDxy}) \gg 10) \quad (335)$$

— If  $y$  is less than  $iTanX$  (refer to upper sample), the following applies:

$$iOffset = (((nCbW - x) * \text{divDxy}) \gg 5) - (iTanY \ll 5) \quad (336)$$

$$iX = x + iTanY \quad (337)$$

$$\text{refPosition} = \text{refUp} \quad (338)$$

— Otherwise (refer to right sample), the following applies:

$$\text{iOffset} = ( ( ( \text{nCbW} - x ) * \text{divDxy} ) \gg 5 ) - ( \text{iTanX} \ll 5 ) \quad (339)$$

$$\text{iY} = y - \text{iTanX} \quad (340)$$

$$\text{refPosition} = \text{refRight} \quad (341)$$

— Otherwise, the following applies:

— If  $y$  is less than  $\text{iTanX}$  (refer to upper sample), the following applies:

$$\text{iOffset} = ( ( ( y + 1 ) * \text{divDxy} ) \gg 5 ) - ( \text{iTanY} \ll 5 ) \quad (342)$$

$$\text{iX} = x - \text{iTanY} \quad (343)$$

$$\text{refPosition} = \text{refUp} \quad (344)$$

— Otherwise, if  $\text{avail\_LR}$  is equal to  $\text{LR\_01}$  (refer to right sample), the following applies:

$$\text{iOffset} = ( ( ( \text{nCbW} - x ) * \text{divDxy} ) \gg 5 ) - ( ( ( ( \text{nCbW} - x ) * \text{divDyx} ) \gg 10 ) \ll 5 ) \quad (345)$$

$$\text{iY} = y + ( ( ( \text{nCbW} - x ) * \text{divDyx} ) \gg 10 ) \quad (346)$$

$$\text{refPosition} = \text{refRight} \quad (347)$$

— Otherwise (refer to left sample), the following applies:

$$\text{iOffset} = ( ( ( x + 1 ) * \text{divDyx} ) \gg 5 ) - ( \text{iTanX} \ll 5 ) \quad (348)$$

$$\text{iY} = y - \text{iTanX} \quad (349)$$

$$\text{refPosition} = \text{refLeft} \quad (350)$$

— Otherwise ( $\text{availLR}$  is equal to  $\text{LR\_10}$  or  $\text{LR\_00}$ ), the following applies:

$$\text{iTanY} = ( ( ( y + 1 ) * \text{divDxy} ) \gg 10 ) \quad (351)$$

$$\text{iTanX} = ( ( ( x + 1 ) * \text{divDyx} ) \gg 10 ) \quad (352)$$

— If  $\text{predModeIntra}$  is less than  $\text{INTRA\_VER}$  (refer to upper sample), the following applies:

$$\text{iOffset} = ( ( ( y + 1 ) * \text{divDxy} ) \gg 5 ) - ( \text{iTanY} \ll 5 ) \quad (353)$$

$$\text{iX} = x + \text{iTanY} \quad (354)$$

$$\text{refPosition} = \text{refUp} \quad (355)$$

— Otherwise, if  $\text{predModeIntra}$  is greater than  $\text{INTRA\_HOR}$  (refer to left sample), the following applies:

$$\text{iOffset} = ( ( ( x + 1 ) * \text{divDyx} ) \gg 5 ) - ( \text{iTanX} \ll 5 ) \quad (356)$$

$$iY = y + iTanX \quad (357)$$

$$refPosition = refLeft \quad (358)$$

— Otherwise, the following applies:

— If  $y$  is less than  $iTanX$  (refer to upper sample), the following applies:

$$iOffset = ( ( ( y + 1 ) * divDxy ) \gg 5 ) - ( iTanY \ll 5 ) \quad (359)$$

$$iX = x - iTanY \quad (360)$$

$$refPosition = refUp \quad (361)$$

— Otherwise (refer to left sample), the following applies:

$$iOffset = ( ( ( x + 1 ) * divDyx ) \gg 5 ) - ( iTanX \ll 5 ) \quad (362)$$

$$iY = y - iTanX \quad (363)$$

$$refPosition = refLeft \quad (364)$$

2) The value of the prediction samples  $predSamples[x][y]$  are derived as follows:

— If  $refPosition$  is equal to  $refUp$  (refer to upper sample), the following applies:

— A variable  $clipMax$  is set equal to  $( nCbW + nCbH - 1 )$ .

— A variable  $clipMin$  is set equal to  $-1$ .

— If  $dirXYSign$  is equal to  $-1$ , the following applies:

$$iXn = Clip3( clipMin, clipMax, iX + 1 ) \quad (365)$$

$$iXnP2 = Clip3( clipMin, clipMax, iX + 2 ) \quad (366)$$

$$iXnN1 = Clip3( clipMin, clipMax, iX - 1 ) \quad (367)$$

— Otherwise, the following applies:

$$iXn = Clip3( clipMin, clipMax, iX - 1 ) \quad (368)$$

$$iXnP2 = Clip3( clipMin, clipMax, iX - 2 ) \quad (369)$$

$$iXnN1 = Clip3( clipMin, clipMax, iX + 1 ) \quad (370)$$

— The prediction samples  $predSamples[x][y]$  are derived as follows:

$$predSamples[x][y] = ( p[ iXnN1 ][ -1 ] * ( 32 - iOffset ) + p[ iX ][ -1 ] * ( 64 - iOffset ) + p[ iXn ][ -1 ] * ( 32 + iOffset ) + p[ iXnP2 ][ -1 ] * iOffset + 64 ) \gg 7 \quad (371)$$

— Otherwise, if  $refPosition$  is equal to  $refLeft$  (refer to left sample), the following applies:

— A variable  $clipMax$  is set equal to  $( nCbW + nCbH - 1 )$ .

— A variable  $clipMin$  is set equal to  $-1$ .

— If dirXYSign is equal to -1, the following applies:

$$iYn = \text{Clip3}(\text{clipMin}, \text{clipMax}, iY + 1) \quad (372)$$

$$iYnP2 = \text{Clip3}(\text{clipMin}, \text{clipMax}, iY + 2) \quad (373)$$

$$iYnN1 = \text{Clip3}(\text{clipMin}, \text{clipMax}, iY - 1) \quad (374)$$

— Otherwise, the following applies:

$$iYn = \text{Clip3}(\text{clipMin}, \text{clipMax}, iY - 1) \quad (375)$$

$$iYnP2 = \text{Clip3}(\text{clipMin}, \text{clipMax}, iY - 2) \quad (376)$$

$$iYnN1 = \text{Clip3}(\text{clipMin}, \text{clipMax}, iY + 1) \quad (377)$$

— The prediction samples predSamples[ x ][ y ] are derived as follows:

$$\text{predSamples}[ x ][ y ] = (\text{p}[-1][ iYnN1 ] * (32 - iOffset) + \text{p}[-1][ iY ] * (64 - iOffset) + \text{p}[-1][ iYn ] * (32 + iOffset) + \text{p}[-1][ iYnP2 ] * iOffset + 64) >> 7 \quad (378)$$

— Otherwise (refPosition is equal to refRight), the following applies:

— A variable clipMax is set equal to ( nCbW + nCbH - 1 ).

— A variable clipMin is set equal to -1.

— If dirXYSign is equal to -1, the following applies:

$$iYn = \text{Clip3}(\text{clipMin}, \text{clipMax}, iY - 1) \quad (379)$$

$$iYnP2 = \text{Clip3}(\text{clipMin}, \text{clipMax}, iY - 2) \quad (380)$$

$$iYnN1 = \text{Clip3}(\text{clipMin}, \text{clipMax}, iY + 1) \quad (381)$$

— Otherwise, the following applies:

$$iYn = \text{Clip3}(\text{clipMin}, \text{clipMax}, iY + 1) \quad (382)$$

$$iYnP2 = \text{Clip3}(\text{clipMin}, \text{clipMax}, iY + 2) \quad (383)$$

$$iYnN1 = \text{Clip3}(\text{clipMin}, \text{clipMax}, iY - 1) \quad (384)$$

— The prediction samples predSamples[ x ][ y ] are derived as follows:

$$\text{predSamples}[ x ][ y ] = (\text{p}[ \text{nCbW} ][ iYnN1 ] * (32 - iOffset) + \text{p}[ \text{nCbW} ][ iY ] * (64 - iOffset) + \text{p}[ \text{nCbW} ][ iYn ] * (32 + iOffset) + \text{p}[ \text{nCbW} ][ iYnP2 ] * iOffset + 64) >> 7 \quad (385)$$

**Table 20 — Specification of dirXYSign, divDxy and divDyx**

predModeIntra	dirXYSign	divDxy	divDyx
3	-1	2816	372
4	-1	2048	512

predModelIntra	dirXYSign	divDxy	divDyx
5	-1	1408	744
6	-1	1024	1024
7	-1	744	1408
8	-1	512	2048
9	-1	372	2816
10	-1	256	4096
11	-1	128	8192
12	-	-	-
13	1	128	8192
14	1	256	4096
15	1	372	2816
16	1	512	2048
17	1	744	1408
18	1	1024	1024
19	1	1408	744
20	1	2048	512
21	1	2816	372
22	1	4096	256
23	1	8192	128
24	-	-	-
25	-1	8192	128
26	-1	4096	256
27	-1	2816	372
28	-1	2048	512
29	-1	1408	744
30	-1	1024	1024
31	-1	744	1408
32	-1	512	2048

#### 8.4.5 Decoding process for the residual signal

Inputs to this process are:

- a luma location (  $x_{Cb}$ ,  $y_{Cb}$  ) specifying the top-left sample of the current luma coding block relative to the top-left luma sample of the current picture,
- a luma location (  $x_{Tb}$ ,  $y_{Tb}$  ) specifying the top-left samples of the current luma block relative to the top-left sample of the current luma coding block,

- two variables  $nCbW$  and  $nCbH$  specifying the width and the height of the current luma coding block,
- two variables  $nTbW$  and  $nTbH$  specifying the width and the height of the current luma coding block,
- a variable  $cIdx$  specifying the colour component of the current block, and
- an  $(nCbW) \times (nCbH)$  array  $resSamples$  of residual block.

Output of this process is a modified version of the  $(nCbW) \times (nCbH)$  array  $resSamples$  of residual samples.

Depending on the variables  $nTbW$  and  $nTbH$ , the following applies:

- If both  $nTbW$  and  $nTbH$  are greater than  $MaxTbSizeY$ , the following ordered steps apply:
  - 1) The decoding process for the residual signal as specified in this subclause is invoked with the luma location  $(x_{Cb}, y_{Cb})$ , the luma location  $(x_{Tb}, y_{Tb})$ , the variable  $nCbW$  set equal to  $nCbW$  and the variable  $nCbH$  set equal to  $nCbH$ , the variable  $nTbW$  set equal to  $nTbW / 2$  and  $nTbH$  set equal to  $nTbH / 2$ , the variable  $cIdx$  set equal to  $cIdx$ , and the  $(nCbW) \times (nCbH)$  array  $resSamples$  as inputs, and the output is a modified version of the  $(nCbW) \times (nCbH)$  array  $resSamples$ .
  - 2) The decoding process for the residual signal as specified in this subclause is invoked with the luma location  $(x_{Cb}, y_{Cb})$ , the luma location  $(x_{Tb} + nTbW / 2, y_{Tb})$ , the variable  $nCbW$  set equal to  $nCbW$  and the variable  $nCbH$  set equal to  $nCbH$ , the variable  $nTbW$  set equal to  $nTbW / 2$  and  $nTbH$  set equal to  $nTbH / 2$ , the variable  $cIdx$  set equal to  $cIdx$ , and the  $(nCbW) \times (nCbH)$  array  $resSamples$  as inputs, and the output is a modified version of the  $(nCbW) \times (nCbH)$  array  $resSamples$ .
  - 3) The decoding process for the residual signal as specified in this subclause is invoked with the luma location  $(x_{Cb}, y_{Cb})$ , the luma location  $(x_{Tb}, y_{Tb} + nTbH / 2)$ , the variable  $nCbW$  set equal to  $nCbW$  and the variable  $nCbH$  set equal to  $nCbH$ , the variable  $nTbW$  set equal to  $nTbW / 2$  and  $nTbH$  set equal to  $nTbH / 2$ , the variable  $cIdx$  set equal to  $cIdx$ , and the  $(nCbW) \times (nCbH)$  array  $resSamples$  as inputs, and the output is a modified version of the  $(nCbW) \times (nCbH)$  array  $resSamples$ .
  - 4) The decoding process for the residual signal as specified in this subclause is invoked with the luma location  $(x_{Cb}, y_{Cb})$ , the luma location  $(x_{Tb} + nTbW / 2, y_{Tb} + nTbH / 2)$ , the variable  $nCbW$  set equal to  $nCbW$  and the variable  $nCbH$  set equal to  $nCbH$ , the variable  $nTbW$  set equal to  $nTbW / 2$  and  $nTbH$  set equal to  $nTbH / 2$ , the variable  $cIdx$  set equal to  $cIdx$ , and the  $(nCbW) \times (nCbH)$  array  $resSamples$  as inputs, and the output is a modified version of the  $(nCbW) \times (nCbH)$  array  $resSamples$ .
- Otherwise, if  $nTbW$  is greater than  $MaxTbSizeY$ , the following ordered steps apply:
  - 1) The decoding process for the residual signal as specified in this subclause is invoked with the luma location  $(x_{Cb}, y_{Cb})$ , the luma location  $(x_{Tb}, y_{Tb})$ , the variable  $nCbW$  set equal to  $nCbW$  and the variable  $nCbH$  set equal to  $nCbH$ , the variable  $nTbW$  set equal to  $nTbW / 2$  and  $nTbH$  set equal to  $nTbH$ , the variable  $cIdx$  set equal to  $cIdx$ , and the  $(nCbW) \times (nCbH)$  array  $resSamples$  as inputs, and the output is a modified version of the  $(nCbW) \times (nCbH)$  array  $resSamples$ .
  - 2) The decoding process for the residual signal as specified in this subclause is invoked with the luma location  $(x_{Cb}, y_{Cb})$ , the luma location  $(x_{Tb} + nTbW / 2, y_{Tb})$ , the variable  $nCbW$  set equal to  $nCbW$  and the variable  $nCbH$  set equal to  $nCbH$ , the variable  $nTbW$  set equal to  $nTbW / 2$  and  $nTbH$  set equal to  $nTbH$ , the variable  $cIdx$  set equal to  $cIdx$ , and the  $(nCbW) \times (nCbH)$  array  $resSamples$  as inputs, and the output is a modified version of the  $(nCbW) \times (nCbH)$  array  $resSamples$ .

- Otherwise, if  $nTbH$  is greater than  $MaxTbSizeY$ , the following ordered steps apply:
  - 1) The decoding process for the residual signal as specified in this subclause is invoked with the luma location  $(x_{Cb}, y_{Cb})$ , the luma location  $(x_{Tb}, y_{Tb})$ , the variable  $nCbW$  set equal to  $nCbW$  and the variable  $nCbH$  set equal to  $nCbH$ , the variable  $nTbW$  set equal to  $nTbW$  and  $nTbH$  set equal to  $nTbH / 2$ , the variable  $cIdx$  set equal to  $cIdx$ , and the  $(nCbW) \times (nCbH)$  array  $resSamples$  as inputs, and the output is a modified version of the  $(nCbW) \times (nCbH)$  array  $resSamples$ .
  - 2) The decoding process for the residual signal as specified in this subclause is invoked with the luma location  $(x_{Cb}, y_{Cb})$ , the luma location  $(x_{Tb}, y_{Tb} + nTbH / 2)$ , the variable  $nCbW$  set equal to  $nCbW$  and the variable  $nCbH$  set equal to  $nCbH$ , the variable  $nTbW$  set equal to  $nTbW$  and  $nTbH$  set equal to  $nTbH / 2$ , the variable  $cIdx$  set equal to  $cIdx$ , and the  $(nCbW) \times (nCbH)$  array  $resSamples$  as inputs, and the output is a modified version of the  $(nCbW) \times (nCbH)$  array  $resSamples$ .
- Otherwise (both  $nTbW$  and  $nTbH$  are less than or equal to  $MaxTbSizeY$ ), the following ordered steps apply:
  - 1) When  $cIdx$  is not equal to 0,  $nTbW$  is set equal to  $nTbW / SubWidthC$  and  $nTbH$  is set equal to  $nTbH / SubHeightC$ .
  - 2) The scaling and transformation process as specified in subclause 8.7.2 is invoked with the luma location  $(x_{Cb} + x_{Tb}, y_{Cb} + y_{Tb})$ , the variable  $cIdx$  set equal to  $cIdx$ , the transform width  $nTbW$  set equal to  $nTbW$  and the transform height  $nTbH$  set equal to  $nTbH$  as inputs, and the output is an  $(nTbW) \times (nTbH)$  array  $transformBlock$ .
  - 3) The  $(nCbW) \times (nCbH)$  residual sample array of the current coding block  $resSamples$  is modified as follows:

$$resSamples[x_{Tb} / (cIdx ? SubWidthC : 1) + i, y_{Tb} / (cIdx ? SubHeightC : 1) + j] = transformBlock[i, j], \quad (386)$$

with  $i = 0..nTbW - 1, j = 0..nTbH - 1$

## 8.5 Decoding process for coding units coded in inter prediction mode

### 8.5.1 General

Inputs to this process are:

- a luma location  $(x_{Cb}, y_{Cb})$  specifying the top-left sample of the current luma coding block relative to the top-left luma sample of the current picture, and
- two variables  $\log2CbWidth$  and  $\log2CbHeight$  specifying the width and the height of the current luma coding block.

Output of this process is a modified reconstructed picture before in-loop filtering.

The derivation process for quantization parameters as specified in subclause 8.7.1 is invoked with the luma location  $(x_{Cb}, y_{Cb})$  as input.

The variables  $nCbW_L$  and  $nCbH_L$  are set equal to  $1 \ll \log2CbWidth$  and  $1 \ll \log2CbHeight$ , respectively. When  $ChromaArrayType$  is not equal to 0, the variable  $nCbW_C$  is set equal to  $(1 \ll \log2CbWidth) / SubWidthC$  and the variable  $nCbH_C$  is set equal to  $(1 \ll \log2CbHeight) / SubHeightC$ .

The decoding process for coding units coded in inter prediction mode consists of the following ordered steps:

- 1) The motion vector components and reference indices of the current coding unit are derived as follows:
  - If  $\text{affine\_flag}[\text{xCb}][\text{yCb}]$  is equal to 1, the derivation process for affine motion vector components and reference indices as specified in subclause 8.5.3 is invoked with the luma coding block location  $(\text{xCb}, \text{yCb})$ , the luma coding block width  $\text{nCbW}_L$ , and the luma coding block height  $\text{nCbH}_L$  as inputs, and the reference indices  $\text{refIdxLX}$ , the prediction list utilization flags  $\text{predFlagLX}$ , the number of luma coding subblocks in horizontal direction  $\text{numSbX}$  and in vertical direction  $\text{numSbY}$ , the flag specifying motion vector clipping type  $\text{clipMV}$ , the luma motion vector array  $\text{mvLX}[\text{xSbIdx}][\text{ySbIdx}]$ , and the chroma motion vector array  $\text{mvCLX}[\text{xSbIdx}][\text{ySbIdx}]$  with  $\text{xSbIdx} = 0.. \text{numSbX} - 1$ , and  $\text{ySbIdx} = 0.. \text{numSbY} - 1$ , with  $X$  being 0 or 1, the number of control point motion vectors  $\text{numCpMv}$ , and the control point motion vectors  $\text{cpMvL0}[\text{cpIdx}]$  with  $\text{cpIdx} = 0.. \text{numCpMv} - 1$ ,  $\text{cpMvL1}[\text{cpIdx}]$  with  $\text{cpIdx} = 0.. \text{numCpMv} - 1$  as outputs. The DMVR utilization flag  $\text{dmvrAppliedFlag}$  is set equal to 0.
  - Otherwise, the derivation process for motion vector components and reference indices as specified in subclause 8.5.2.1 is invoked with the luma coding block location  $(\text{xCb}, \text{yCb})$ , the luma coding block width  $\text{nCbW}_L$ , and the luma coding block height  $\text{nCbH}_L$  as inputs, and the luma motion vectors  $\text{mvL0}[0][0]$  and  $\text{mvL1}[0][0]$ , when  $\text{ChromaArrayType}$  is not equal to 0, the chroma motion vector  $\text{mvCL0}[0][0]$  and  $\text{mvCL1}[0][0]$ , the reference indices  $\text{refIdxL0}$  and  $\text{refIdxL1}$ , the prediction list utilization flags  $\text{predFlagL0}[0][0]$  and  $\text{predFlagL1}[0][0]$ , and the DMVR utilization flag  $\text{dmvrAppliedFlag}$  as outputs.
  - If  $\text{dmvrAppliedFlag}$  is equal to 1, it is modified as follows:
    - $\text{dmvrAppliedFlag}$  is set equal to 0, if any of the following conditions are false:
      - $\text{mmvd\_flag}[\text{xCb}][\text{yCb}]$  is equal to 0.
      - $\text{predFlagL0}$  is equal to 1 and  $\text{predFlagL1}$  is equal to 1.
      - $\text{DiffPicOrderCnt}(\text{currPic}, \text{RefPicList0}[\text{refIdxL0}]) + \text{DiffPicOrderCnt}(\text{currPic}, \text{RefPicList1}[\text{refIdxL1}])$  is equal to 0.
      - $\text{nCbW}$  is greater than or equal to 8 and  $\text{nCbH}$  is greater than or equal to 8.
    - The reference picture consisting of an ordered two-dimensional array  $\text{refPicLX}_L$  of luma samples and two ordered two-dimensional arrays  $\text{refPicLX}_{Cb}$  and  $\text{refPicLX}_{Cr}$  of chroma samples is derived by invoking the process as specified in subclause 8.5.4.2 with  $\text{refIdxLX}$  as input.
    - The coded block is partitioned into sub-blocks with the number of luma coding subblocks in horizontal direction  $\text{numSbXLX}$  and in vertical direction  $\text{numSbYLX}$ , and the sub-block width  $\text{sbWidth}$  and the sub-block height  $\text{sbHeight}$  are computed as follows:
      - The number of luma coding subblocks in horizontal direction  $\text{numSbX}$  and in vertical direction  $\text{numSbY}$ , the subblock width  $\text{sbWidth}$  and the subblock height  $\text{sbHeight}$  are derived as follows:

$$\text{numSbXL0} = \text{numSbXL1} = (\text{nCbW}_L > 16) ? (\text{nCbW}_L \gg 4) : 1 \quad (387)$$

$$\text{numSbYL0} = \text{numSbYL1} = (\text{nCbHL} > 16) ? (\text{nCbHL} \gg 4) : 1 \quad (388)$$

$$\text{sbWidth} = (\text{nCbWL} > 16) ? 16 : \text{nCbWL} \quad (389)$$

$$\text{sbHeight} = (\text{nCbHL} > 16) ? 16 : \text{nCbHL} \quad (390)$$

— For  $\text{xSbIdx} = 0.. \text{numSbXL0} - 1$  and  $\text{ySbIdx} = 0.. \text{numSbYL0} - 1$ , the following applies:

— The luma motion vectors  $\text{mvLX}[\text{xSbIdx}][\text{ySbIdx}]$  and the prediction list utilization flags  $\text{predFlagLX}[\text{xSbIdx}][\text{ySbIdx}]$  with  $X$  equal to 0 and 1, and the luma location  $(\text{xSb}[\text{xSbIdx}][\text{ySbIdx}], \text{ySb}[\text{xSbIdx}][\text{ySbIdx}])$  specifying the top-left sample of the coding subblock relative to the top-left luma sample of the current picture are derived as follows:

$$\text{mvLX}[\text{xSbIdx}][\text{ySbIdx}] = \text{mvLX}[0][0] \quad (391)$$

$$\text{predFlagLX}[\text{xSbIdx}][\text{ySbIdx}] = \text{predFlagLX}[0][0] \quad (392)$$

$$\text{xSb}[\text{xSbIdx}][\text{ySbIdx}] = \text{xCb} + \text{xSbIdx} * \text{sbWidth} \quad (393)$$

$$\text{ySb}[\text{xSbIdx}][\text{ySbIdx}] = \text{yCb} + \text{ySbIdx} * \text{sbHeight} \quad (394)$$

— The decoder side motion vector refinement process as specified in subclause 8.5.5 is invoked with  $\text{xSb}[\text{xSbIdx}][\text{ySbIdx}]$ ,  $\text{ySb}[\text{xSbIdx}][\text{ySbIdx}]$ ,  $\text{sbWidth}$ ,  $\text{sbHeight}$ , the motion vectors  $\text{mvLX}[\text{xSbIdx}][\text{ySbIdx}]$  and the reference picture array  $\text{refPicLX}_L$  as inputs, and delta motion vector  $\text{dMvL0}[\text{xSbIdx}][\text{ySbIdx}]$  as output.

— When  $\text{ChromaArrayType}$  is not equal to 0, the derivation process for chroma motion vectors as specified in subclause 8.5.2.6 is invoked with  $\text{mvLX}[\text{xSbIdx}][\text{ySbIdx}]$  and  $\text{refIdxLX}$  as inputs, and  $\text{mvCLX}[\text{xSbIdx}][\text{ySbIdx}]$  as outputs with  $X$  equal to 0 and 1.

— Otherwise ( $\text{dmvrAppliedFlag}$  is equal to 0), the following applies:

— When  $\text{ChromaArrayType}$  is not equal to 0 and  $\text{predFlagLX}[0][0]$ , with  $X$  being 0 or 1, is equal to 1, the derivation process for chroma motion vectors as specified in subclause 8.5.2.6 is invoked with  $\text{mvLX}[0][0]$  and  $\text{refIdxLX}$  as inputs, and  $\text{mvCLX}[0][0]$  as output.

— The number of luma coding subblocks in horizontal direction  $\text{numSbXL0}$  and  $\text{numSbXL1}$  and in vertical direction  $\text{numSbYL0}$  and  $\text{numSbYL1}$  are all set equal to 1.

2) The arrays of luma and chroma motion vectors after decoder side motion vector refinement,  $\text{refMvLX}[\text{xSbIdx}][\text{ySbIdx}]$  and  $\text{refMvCLX}[\text{xSbIdx}][\text{ySbIdx}]$ , with  $X$  being 0 and 1, are derived as follows for  $\text{xSbIdx} = 0.. \text{numSbXL0} - 1$ ,  $\text{ySbIdx} = 0.. \text{numSbYL0} - 1$ :

— If  $\text{dmvrAppliedFlag}$  is equal to 1, the derivation process for chroma motion vectors as specified in subclause 8.5.2.6 is invoked with  $\text{refMvLX}[\text{xSbIdx}][\text{ySbIdx}]$  and  $\text{refIdxLX}$  as inputs, and  $\text{refMvCLX}[\text{xSbIdx}][\text{ySbIdx}]$  as output and the input  $\text{refMvLX}[\text{xSbIdx}][\text{ySbIdx}]$  is derived as follows:

$$\text{mvLX}[\text{xSbIdx}][\text{ySbIdx}] = \text{mvLX}[\text{xSbIdx}][\text{ySbIdx}] \ll 2 \quad (395)$$

— If  $X$  is equal to 0, the following applies:

$$\text{refMvLX}[\text{xSbIdx}][\text{ySbIdx}] = \text{mvLX}[\text{xSbIdx}][\text{ySbIdx}] + \text{dMvL0}[\text{xSbIdx}][\text{ySbIdx}] \quad (396)$$

— Otherwise (X is equal to 1), the following applies:

$$\text{refMvLX}[x\text{SbIdx}][y\text{SbIdx}] = \text{mvLX}[x\text{SbIdx}][y\text{SbIdx}] - \text{dMvL0}[x\text{SbIdx}][y\text{SbIdx}] \quad (397)$$

— The following applies:

$$\text{refMvLX}[x\text{SbIdx}][y\text{SbIdx}][0] = \text{Clip3}(-2^{17}, 2^{17} - 1, \text{refMvLX}[x\text{SbIdx}][y\text{SbIdx}][0]) \quad (398)$$

$$\text{refMvLX}[x\text{SbIdx}][y\text{SbIdx}][1] = \text{Clip3}(-2^{17}, 2^{17} - 1, \text{refMvLX}[x\text{SbIdx}][y\text{SbIdx}][1]) \quad (399)$$

— Otherwise (dmvrAppliedFlag is equal to 0), the following applies:

$$\text{refMvLX}[x\text{SbIdx}][y\text{SbIdx}] = \text{mvLX}[x\text{SbIdx}][y\text{SbIdx}] \ll 2 \quad (400)$$

$$\text{refMvCLX}[x\text{SbIdx}][y\text{SbIdx}] = \text{mvCLX}[x\text{SbIdx}][y\text{SbIdx}] \ll 2 \quad (401)$$

NOTE The array refMvLX is used in the derivation process for collocated motion vectors in subclause 8.5.2.3.4. mvLX is used in the derivation process for spatial motion vector predictors and boundary strength derivation process of deblocking filter.

3) When affine\_flag[xCb][yCb] is equal to 0 and dmvrAppliedFlag is equal to 0, the following applies:

$$\text{numSbX} = 1 \quad (402)$$

$$\text{numSbY} = 1 \quad (403)$$

$$\text{numCpMv} = 2 \quad (404)$$

$$\text{cpMvL0}[0] = \text{mvL0}[0][0][0] \quad (405)$$

$$\text{cpMvL0}[1] = \text{mvL0}[0][0][1] \quad (406)$$

$$\text{cpMvL1}[0] = \text{mvL1}[0][0][0] \quad (407)$$

$$\text{cpMvL1}[1] = \text{mvL1}[0][0][1] \quad (408)$$

$$\text{mvL0}[0][0][0] = \text{mvL0}[0][0][0] \ll 2 \quad (409)$$

$$\text{mvL0}[0][0][1] = \text{mvL0}[0][0][1] \ll 2 \quad (410)$$

$$\text{mvL1}[0][0][0] = \text{mvL1}[0][0][0] \ll 2 \quad (411)$$

$$\text{mvL1}[0][0][1] = \text{mvL1}[0][0][1] \ll 2 \quad (412)$$

$$\text{mvCL0}[0][0][0] = \text{mvCL0}[0][0][0] \ll 2 \quad (413)$$

$$\text{mvCL0}[0][0][1] = \text{mvCL0}[0][0][1] \ll 2 \quad (414)$$

$$\text{mvCL1}[0][0][0] = \text{mvCL1}[0][0][0] \ll 2 \quad (415)$$

$$\text{mvCL1}[0][0][1] = \text{mvCL1}[0][0][1] \ll 2 \quad (416)$$

4) The decoding process for inter sample prediction as specified in subclause 8.5.4.1 is invoked with the luma coding block location (xCb, yCb), the luma coding block width nCbWL, the luma coding block height nCbHL, the number of luma coding subblocks in horizontal direction numSbX, and in

vertical direction  $\text{numSbY}$  the luma motion vectors  $\text{mvL0}[\text{xSbIdx}][\text{ySbIdx}]$  and  $\text{mvL1}[\text{xSbIdx}][\text{ySbIdx}]$  with  $\text{xSbIdx} = 0.. \text{numSbX} - 1$ , and the refined luma motion vectors  $\text{refMvL0}[\text{xSbIdx}][\text{ySbIdx}]$  and  $\text{refMvL1}[\text{xSbIdx}][\text{ySbIdx}]$  with  $\text{xSbIdx} = 0.. \text{numSbX} - 1$ , and  $\text{ySbIdx} = 0.. \text{numSbY} - 1$ , and  $\text{ySbIdx} = 0.. \text{numSbY} - 1$ , when  $\text{ChromaArrayType}$  is not equal to 0, the chroma motion vectors  $\text{mvCL0}[\text{xSbIdx}][\text{ySbIdx}]$  with  $\text{xSbIdx} = 0.. \text{numSbX} - 1$ , and  $\text{ySbIdx} = 0.. \text{numSbY} - 1$  and  $\text{mvCL1}[\text{xSbIdx}][\text{ySbIdx}]$  with  $\text{xSbIdx} = 0.. \text{numSbX} - 1$ , and  $\text{ySbIdx} = 0.. \text{numSbY} - 1$ , the refined chroma motion vectors  $\text{refMvCL0}[\text{xSbIdx}][\text{ySbIdx}]$  with  $\text{xSbIdx} = 0.. \text{numSbX} - 1$ , and  $\text{ySbIdx} = 0.. \text{numSbY} - 1$  and  $\text{refMvCL1}[\text{xSbIdx}][\text{ySbIdx}]$  with  $\text{xSbIdx} = 0.. \text{numSbX} - 1$ , and  $\text{ySbIdx} = 0.. \text{numSbY} - 1$ , the reference indices  $\text{refIdxL0}$  and  $\text{refIdxL1}$ , and the prediction list utilization flags  $\text{predFlagL0}$  and  $\text{predFlagL1}$ , the number of control point motion vectors  $\text{numCpMv}$ , the control point motion vectors  $\text{cpMvL0}[\text{cpIdx}]$  with  $\text{cpIdx} = 0.. \text{numCpMv} - 1$ ,  $\text{cpMvL1}[\text{cpIdx}]$  with  $\text{cpIdx} = 0.. \text{numCpMv} - 1$  and  $\text{clipMV}$  flag specifying motion vector clipping type as inputs, and the inter prediction samples ( $\text{predSamples}$ ) that are an  $(\text{nCbW}_L) \times (\text{nCbH}_L)$  array  $\text{predSamples}_L$  of prediction luma samples and, when  $\text{ChromaArrayType}$  is not equal to 0, two  $(\text{nCbW}_C) \times (\text{nCbH}_C)$  arrays  $\text{predSamples}_{Cb}$  and  $\text{predSamples}_{Cr}$  of prediction chroma samples, one for each of the chroma components  $Cb$  and  $Cr$ , as outputs.

- 5) The variable  $\text{isChromaPresent}$  is set equal to TRUE if  $\text{ChromaArrayType}$  is not equal to 0, and is set equal to FALSE otherwise.
- 6) The decoding process for the residual signal of coding units coded in inter prediction mode as specified in subclause 8.5.6.1 is invoked with the luma location  $(\text{xCb}, \text{yCb})$  and the luma coding block width  $\text{log2CbWidth}$ , the luma coding block height  $\text{log2CbHeight}$  and the chroma component presence indicator  $\text{isChromaPresent}$  as inputs, and the array  $\text{resSamples}_L$  and, when  $\text{isChromaPresent}$ , two arrays  $\text{resSamples}_{Cb}$  and  $\text{resSamples}_{Cr}$  as outputs.
- 7) The reconstructed samples of the current coding unit are derived as follows:
  - The picture reconstruction process prior to post-reconstruction and in-loop filtering for a colour component as specified in subclause 8.7.5 is invoked with the luma coding block location  $(\text{xCb}, \text{yCb})$ , the variable  $\text{nCurrW}$  set equal to  $\text{nCbW}_L$ , the variable  $\text{nCurrH}$  set equal to  $\text{nCbH}_L$ , the variable  $\text{cIdx}$  set equal to 0, the  $(\text{nCbW}_L) \times (\text{nCbH}_L)$  array  $\text{predSamples}$  set equal to  $\text{predSamples}_L$ , and the  $(\text{nCbW}_L) \times (\text{nCbH}_L)$  array  $\text{resSamples}$  set equal to  $\text{resSamples}_L$  as inputs, and the output is a modified reconstructed picture before the post-reconstruction filtering process and in-loop filtering.
  - When value of  $\text{cbf\_luma}$  is equal to 1 and  $\text{sps\_htdf\_flag}$  is equal to 1, the post-reconstruction filtering process prior to in-loop filtering for a luma component as specified in subclause 8.7.6.1 is invoked with the luma coding block location  $(\text{xCb}, \text{yCb})$ , the variable  $\text{nCurrW}$  set equal to  $\text{nCbW}_L$ , the variable  $\text{nCurrH}$  set equal to  $\text{nCbH}_L$ , the variable  $\text{Qp}'_Y$  set equal to  $\text{Qp}'_Y$ , which is obtained according to derivation process for quantization parameters as specified in subclause 8.7.1, and the output is a modified reconstructed picture before in-loop filtering.
  - When  $\text{isChromaPresent}$ , the picture reconstruction process prior to in-loop filtering for a colour component as specified in subclause 8.7.5 is invoked with the chroma coding block location  $(\text{xCb} / \text{SubWidthC}, \text{yCb} / \text{SubHeightC})$ , the variable  $\text{nCurrW}$  set equal to  $\text{nCbW}_C$ , the variable  $\text{nCurrH}$  set equal to  $\text{nCbH}_C$ , the variable  $\text{cIdx}$  set equal to 1, the  $(\text{nCbW}_C) \times (\text{nCbH}_C)$  array  $\text{predSamples}$  set equal to  $\text{predSamples}_{Cb}$ , and the  $(\text{nCbW}_C) \times (\text{nCbH}_C)$  array  $\text{resSamples}$  set equal to  $\text{resSamples}_{Cb}$  as inputs, and the output is a modified reconstructed picture before in-loop filtering.
  - When  $\text{isChromaPresent}$ , the picture reconstruction process prior to in-loop filtering for a colour component as specified in subclause 8.7.5 is invoked with the chroma coding block

location (  $x_{Cb} / \text{SubWidthC}$ ,  $y_{Cb} / \text{SubHeightC}$  ), the variable  $n_{\text{CurrW}}$  set equal to  $n_{\text{CbW}_C}$ , the variable  $n_{\text{CurrH}}$  set equal to  $n_{\text{CbH}_C}$ , the variable  $c_{\text{Idx}}$  set equal to 2, the  $(n_{\text{CbW}_C}) \times (n_{\text{CbH}_C})$  array  $\text{predSamples}$  set equal to  $\text{predSamples}_{Cr}$ , and the  $(n_{\text{CbW}_C}) \times (n_{\text{CbH}_C})$  array  $\text{resSamples}$  set equal to  $\text{resSamples}_{Cr}$  as inputs, and the output is a modified reconstructed picture before in-loop filtering.

When  $\text{affine\_flag}[x_{Cb}][y_{Cb}]$  is equal to 0, for use in derivation processes of variables invoked later in the decoding process, the following assignments are made for  $x = 0..n_{\text{CbW}_L} - 1$  and  $y = 0..n_{\text{CbH}_L} - 1$ :

$$\text{MvL0}[x_{Cb} + x][y_{Cb} + y] = \text{mvL0}[0][0] \gg 2 \quad (417)$$

$$\text{MvL1}[x_{Cb} + x][y_{Cb} + y] = \text{mvL1}[0][0] \gg 2 \quad (418)$$

$$\text{RefIdxL0}[x_{Cb} + x][y_{Cb} + y] = \text{refIdxL0} \quad (419)$$

$$\text{RefIdxL1}[x_{Cb} + x][y_{Cb} + y] = \text{refIdxL1} \quad (420)$$

$$\text{PredFlagL0}[x_{Cb} + x][y_{Cb} + y] = \text{predFlagL0}[0][0] \quad (421)$$

$$\text{PredFlagL1}[x_{Cb} + x][y_{Cb} + y] = \text{predFlagL1}[0][0] \quad (422)$$

When  $\text{affine\_flag}[x_{Cb}][y_{Cb}]$  is equal to 0, for  $x_{\text{SbIdx}} = 0..n_{\text{SbXL0}} - 1$  and  $y_{\text{SbIdx}} = 0..n_{\text{SbYL0}} - 1$ , the following applies:

- The following assignments are made for  $x = 0..s_{\text{bWidth}} - 1$  and  $y = 0..s_{\text{bHeight}} - 1$ :

$$\begin{aligned} \text{MvDmvrL0}[x_{Cb} + x_{\text{SbIdx}} \cdot s_{\text{bWidth}} + x][y_{Cb} + y_{\text{SbIdx}} \cdot s_{\text{bHeight}} + y] = \\ \text{refMvL0}[x_{\text{SbIdx}}][y_{\text{SbIdx}}] \gg 2 \end{aligned} \quad (423)$$

$$\begin{aligned} \text{MvDmvrL1}[x_{Cb} + x_{\text{SbIdx}} \cdot s_{\text{bWidth}} + x][y_{Cb} + y_{\text{SbIdx}} \cdot s_{\text{bHeight}} + y] = \\ \text{refMvL1}[x_{\text{SbIdx}}][y_{\text{SbIdx}}] \gg 2 \end{aligned} \quad (424)$$

## 8.5.2 Derivation process for motion vector components and reference indices

### 8.5.2.1 General

Inputs to this process are:

- a luma location (  $x_{Cb}$ ,  $y_{Cb}$  ) of the top-left sample of the current luma coding block relative to the top-left luma sample of the current picture, and
- two variables  $n_{\text{CbW}}$  and  $n_{\text{CbH}}$  specifying the width and the height of the current luma coding block.

Outputs of this process are:

- the luma motion vectors  $\text{mvL0}[0][0]$  and  $\text{mvL1}[0][0]$ ,
- when  $\text{ChromaArrayType}$  is not equal to 0, the chroma motion vectors  $\text{mvCL0}[0][0]$  and  $\text{mvCL1}[0][0]$ ,
- the reference indices  $\text{refIdxL0}$  and  $\text{refIdxL1}$ ,
- the prediction list utilization flags  $\text{predFlagL0}[0][0]$  and  $\text{predFlagL1}[0][0]$ , and
- the DMVR utilization flag  $\text{dmvrAppliedFlag}$ .

Let the variable LX be RefPicListX, with X being 0 or 1, of the current picture.

For the derivation of the variables  $mvL0[0][0]$  and  $mvL1[0][0]$ ,  $refIdxL0$  and  $refIdxL1$ ,  $predFlagL0[0][0]$  and  $predFlagL1[0][0]$ , and  $dmvrAppliedFlag$ , the following applies:

- If  $sps\_admvp\_flag$  is equal to 1, and  $cu\_skip\_flag[xCb][yCb]$  or  $merge\_mode\_flag[xCb][yCb]$  is equal to 1, the derivation process for luma motion vectors for merge mode as specified in subclause 8.5.2.3.1 is invoked with the luma location  $(xCb, yCb)$ , and the variables  $nCbW$  and  $nCbH$  as inputs, and the outputs being the luma motion vectors  $mvL0[0][0]$  and  $mvL1[0][0]$ , the reference indices  $refIdxL0$  and  $refIdxL1$ , and the prediction list utilization flags  $predFlagL0[0][0]$  and  $predFlagL1[0][0]$ . The DMVR utilization flag  $dmvrAppliedFlag$  is set equal to 1.
- Otherwise, if  $sps\_admvp\_flag$  is equal to 0, and  $cu\_skip\_flag[xCb][yCb]$  is equal to 1, the derivation process for luma motion vectors for skip mode as specified in subclause 8.5.2.2 is invoked with the luma location  $(xCb, yCb)$ , and the variables  $nCbW$  and  $nCbH$  as inputs, and the outputs being the luma motion vectors  $mvL0[0][0]$  and  $mvL1[0][0]$ , the reference indices  $refIdxL0$  and  $refIdxL1$ , and the prediction list utilization flags  $predFlagL0[0][0]$  and  $predFlagL1[0][0]$ . The variable  $dmvrAppliedFlag$  is set equal to 0.
- Otherwise, if  $sps\_admvp\_flag$  is equal to 0, and  $direct\_mode\_flag[xCb][yCb]$  is equal to 1, the derivation process for luma motion vectors for direct mode as specified in subclause 8.5.2.5 is invoked with the luma location  $(xCb, yCb)$ , and the variables  $nCbW$  and  $nCbH$  as inputs, and the outputs being the luma motion vectors  $mvL0[0][0]$  and  $mvL1[0][0]$ , the reference indices  $refIdxL0$  and  $refIdxL1$ , and the prediction list utilization flags  $predFlagL0[0][0]$  and  $predFlagL1[0][0]$ . The variable  $dmvrAppliedFlag$  is set equal to 0.
- Otherwise ( $direct\_mode\_flag[xCb][yCb]$ ,  $merge\_mode\_flag[xCb][yCb]$  and  $cu\_skip\_flag[xCb][yCb]$  are all equal to 0), for X being replaced by either 0 or 1 in the variables  $predFlagLX[0][0]$ ,  $mvLX[0][0]$ ,  $refIdxLX$  and  $MvdLX$ , in PRED\_LX, and in the syntax elements  $ref\_idx\_LX$ , the following ordered steps apply:
  - 1) The variable  $dmvrAppliedFlag$  is set equal to 0.
  - 2) The variables  $refIdxLX$  and  $predFlagLX[0][0]$  are derived as follows:
    - If  $sps\_admvp\_flag$  is equal to 0, the following applies:
      - If  $inter\_pred\_idc[xCb][yCb]$  is equal to PRED\_LX or PRED\_BI, the variables  $refIdxLX$  and  $predFlagLX[0][0]$  are specified by:
 
$$refIdxLX = ref\_idx\_LX[xCb][yCb] \quad (425)$$

$$predFlagLX[0][0] = 1 \quad (426)$$
      - Otherwise, the variables  $refIdxLX$  and  $predFlagLX[0][0]$  are specified by:
 
$$refIdxLX = -1 \quad (427)$$

$$predFlagLX[0][0] = 0 \quad (428)$$
    - Otherwise ( $sps\_admvp\_flag$  is equal to 1), the following applies:
      - If  $bi\_pred\_idx$  is equal to 0, the following applies:

- If  $\text{inter\_pred\_idc}[x_{Cb}][y_{Cb}]$  is equal to  $\text{PRED\_LX}$  or  $\text{PRED\_BI}$ , the variables  $\text{refIdxLX}$  and  $\text{predFlagLX}[0][0]$  are specified by:

$$\text{refIdxLX} = \text{ref\_idx\_lX}[x_{Cb}][y_{Cb}] \quad (429)$$

$$\text{predFlagLX}[0][0] = 1 \quad (430)$$

- Otherwise, the variables  $\text{refIdxLX}$  and  $\text{predFlagLX}[0][0]$  are specified by:

$$\text{refIdxLX} = -1 \quad (431)$$

$$\text{predFlagLX}[0][0] = 0 \quad (432)$$

- Otherwise ( $\text{bi\_pred\_idx}$  is not equal to 0), the following applies:

- The variable  $\text{predFlagLX}[0][0]$  is specified by:

$$\text{predFlagLX}[0][0] = 1 \quad (433)$$

- The derivation process for luma reference index as specified in subclause 8.5.2.4.5.1 is invoked with the luma coding block location  $(x_{Cb}, y_{Cb})$ , the coding block width  $n_{CbW}$  and the coding block height  $n_{CbH}$  as inputs, and the output being  $\text{refIdxLX}$ .

- 3) The variable  $\text{mvdLX}$  is derived as follows:

$$\text{mvdLX}[0] = \text{MvdLX}[x_{Cb}][y_{Cb}][0] \quad (434)$$

$$\text{mvdLX}[1] = \text{MvdLX}[x_{Cb}][y_{Cb}][1] \quad (435)$$

- 4) When  $\text{predFlagLX}[0][0]$  is equal to 1, the derivation process for luma motion vector prediction as specified in subclause 8.5.2.4.1 is invoked with the luma coding block location  $(x_{Cb}, y_{Cb})$ , the coding block width  $n_{CbW}$ , the coding block height  $n_{CbH}$  and  $\text{refIdxLX}$  as inputs, and the output being  $\text{mvpLX}$ .

- 5) When  $\text{predFlagLX}[0][0]$  is equal to 1, the luma motion vector  $\text{mvLX}[0][0]$  is derived as follows:

$$\text{uLX}[0] = (\text{mvpLX}[0] + \text{mvdLX}[0] + 2^{16}) \% 2^{16} \quad (436)$$

$$\text{mvLX}[0][0][0] = (\text{uLX}[0] \geq 2^{15}) ? (\text{uLX}[0] - 2^{16}) : \text{uLX}[0] \quad (437)$$

$$\text{uLX}[1] = (\text{mvpLX}[1] + \text{mvdLX}[1] + 2^{16}) \% 2^{16} \quad (438)$$

$$\text{mvLX}[0][0][1] = (\text{uLX}[1] \geq 2^{15}) ? (\text{uLX}[1] - 2^{16}) : \text{uLX}[1] \quad (439)$$

NOTE The resulting values of  $\text{mvLX}[0][0][0]$  and  $\text{mvLX}[0][0][1]$  as specified above are always in the range of  $-2^{15}$  to  $2^{15} - 1$ , inclusive.

When  $\text{ChromaArrayType}$  is not equal to 0 and  $\text{predFlagLX}[0][0]$ , with  $X$  being 0 or 1, is equal to 1, the derivation process for chroma motion vectors as specified in subclause 8.5.2.6 is invoked with  $\text{mvLX}[0][0]$  as input, and the output being  $\text{mvCLX}[0][0]$ .

When  $\text{sps\_hmvp\_flag}$  is equal to 1, the updating process for the history-based motion vector predictor list as specified in subclause 8.5.2.7. is invoked with luma motion vectors  $\text{mvL0}[0][0]$  and  $\text{mvL1}[0][0]$ , reference indices  $\text{refIdxL0}$  and  $\text{refIdxL1}$  as inputs.

### 8.5.2.2 Derivation process for luma motion vectors for skip mode

Inputs to this process are:

- a luma location (  $x_{Cb}$ ,  $y_{Cb}$  ) of the top-left sample of the current luma coding block relative to the top-left luma sample of the current picture, and
- two variables  $nCbW$  and  $nCbH$  specifying the width and the height of the current luma coding block.

Outputs of this process are:

- the luma motion vectors  $mvL0[0][0]$  and  $mvL1[0][0]$ ,
- the reference indices  $refIdxL0$  and  $refIdxL1$ , and
- the prediction list utilization flags  $predFlagL0[0][0]$  and  $predFlagL1[0][0]$ .

The motion vectors  $mvL0[0][0]$  and  $mvL1[0][0]$ , the reference indices  $refIdxL0$  and  $refIdxL1$ , and the prediction utilization flags  $predFlagL0[0][0]$  and  $predFlagL1[0][0]$  are derived by the following ordered steps:

- 1) When  $slice\_type$  is equal to P, the variables  $mvL1[0][0]$ ,  $refIdxL1$  and  $predFlagL1[0][0]$  are set as follows:

$$mvL1[0][0][0] = 0 \quad (440)$$

$$mvL1[0][0][1] = 0 \quad (441)$$

$$refIdxL1 = -1 \quad (442)$$

$$predFlagL1[0][0] = 0 \quad (443)$$

- 2) The derivation process for motion vector predictor from neighbouring coding unit partitions as specified in subclause 8.5.2.4.3 is invoked with the luma coding block location (  $x_{Cb}$ ,  $y_{Cb}$  ), the coding block width  $nCbW$ , the coding block height  $nCbH$ , the motion vector prediction index  $mvPIdx$  equal to  $mvp\_idx\_l0[x_{Cb}][y_{Cb}]$  and the reference list identifier  $listX$  set equal to 0 as inputs, and the output being the motion vector predictor  $mvPred$ . The variables  $mvL0[0][0]$ ,  $refIdxL0$  and  $predFlagL0[0][0]$  are set as follows:

$$mvL0[0][0] = mvPred \quad (444)$$

$$refIdxL0 = 0 \quad (445)$$

$$predFlagL0[0][0] = 1 \quad (446)$$

- 3) When  $slice\_type$  is equal to B, the derivation process for motion vector predictor from neighbouring coding unit partitions as specified in subclause 8.5.2.4.3 is invoked with the luma coding block location (  $x_{Cb}$ ,  $y_{Cb}$  ), the coding block width  $nCbW$ , the coding block height  $nCbH$ , the motion vector prediction index  $mvPIdx$  equal to  $mvp\_idx\_l1[x_{Cb}][y_{Cb}]$  and the reference list identifier  $listX$  set equal to 1 as inputs, and the output being the motion vector predictor  $mvPred$ . The variables  $mvL1[0][0]$ ,  $refIdxL1$  and  $predFlagL1[0][0]$  are set as follows:

$$mvL1[0][0] = mvPred \quad (447)$$

$$refIdxL1 = 0 \quad (448)$$

$$\text{predFlagL1}[0][0] = 1 \quad (449)$$

### 8.5.2.3 Derivation process for luma motion vectors and reference indices for merge mode

#### 8.5.2.3.1 General

Inputs to this process are:

- a luma location (  $x_{Cb}$ ,  $y_{Cb}$  ) of the top-left sample of the current luma coding block relative to the top-left luma sample of the current picture, and
- two variables  $n_{CbW}$  and  $n_{CbH}$  specifying the width and the height of the current luma coding block.

Outputs of this process are:

- the luma motion vectors  $mvL0[0][0]$  and  $mvL1[0][0]$ ,
- the reference indices  $refIdxL0$  and  $refIdxL1$ , and
- the prediction list utilization flags  $predFlagL0[0][0]$  and  $predFlagL1[0][0]$ .

Variables  $mLSize$  is set equal to  $((n_{CbW} * n_{CbH} \leq 32) ? 4 : 6)$ , merging candidate list  $mergeCandList$  is set equal to the empty list and number of elements within  $mergeCandList$   $numCurrMergeCand$  is set equal to 0.

The motion vectors  $mvL0[0][0]$  and  $mvL1[0][0]$ , the reference indices  $refIdxL0$  and  $refIdxL1$ , and the prediction list utilization flags  $predFlagL0[0][0]$  and  $predFlagL1[0][0]$  are derived by the following ordered steps:

- 1) The derivation process for spatial merge candidates as specified in subclause 8.5.2.3.2 is invoked with the luma coding block location (  $x_{Cb}$ ,  $y_{Cb}$  ), the coding block width  $n_{CbW}$ , the coding block height  $n_{CbH}$ ,  $mergeCandList$ ,  $numCurrMergeCand$  and maximal size of merge candidate list  $mLSize$  as inputs, updated  $mergeCandList$  and number of elements  $numCurrMergeCand$  within  $mergeCandList$  as outputs.
- 2) The derivation process for temporal merge candidates as specified in subclause 8.5.2.3.3 is invoked with the luma location (  $x_{Cb}$ ,  $y_{Cb}$  ), the luma coding block width  $n_{CbW}$ , the luma coding block height  $n_{CbH}$ ,  $mergeCandList$  and  $numCurrMergeCand$  as inputs, updated  $mergeCandList$  and number of elements  $numCurrMergeCand$  within  $mergeCandList$  as outputs.
- 3) When  $sps\_hmv\_flag$  is equal to 1,  $numCurrMergeCand$  is less than  $mLSize$  and  $NumHmvpCand$  (number of entries in  $HmvpCandList$ ) is greater than 2, the derivation process of history-based merging candidates as specified in subclause 8.5.2.3.6 is invoked with  $mergeCandList$ ,  $numCurrMergeCand$ , maximal size of merge candidate list  $mLSize$ , the coding block width  $n_{CbW}$  and the coding block height  $n_{CbH}$  as inputs, and modified  $mergeCandList$  and  $numCurrMergeCand$  as outputs.
- 4) When  $slice\_type$  is equal to B, input variables  $n_{CbW}$  and  $n_{CbH}$  are both larger than 4 and  $numCurrMergeCand$  is less than  $mLSize$ , the derivation process for combined bi-predictive merging candidates as specified in subclause 8.5.2.3.7 is invoked with  $mergeCandList$ ,  $numCurrMergeCand$  and maximal size of merge candidate list  $mLSize$  as inputs, and modified  $mergeCandList$  and  $numCurrMergeCand$  as outputs.
- 5) When  $numCurrMergeCand$  is less than  $mLSize$ , the derivation process for zero motion vector merging candidates as specified in subclause 8.5.2.3.8 is invoked with the coding block width  $n_{CbW}$

and the coding block height  $nCbH$ , the  $mergeCandList$ ,  $numCurrMergeCand$  and maximal size of merge candidate list  $mLSize$  as inputs, and modified  $mergeCandList$  and  $numCurrMergeCand$  as outputs.

- 6) The following assignments are made with  $N$  being the candidate at position  $merge\_idx[xCb][yCb]$  in the merging candidate list  $mergeCandList$  ( $N = mergeCandList[merge\_idx[xCb][yCb]]$ ) and  $X$  being replaced by 0 or 1:

$$refIdxLX = refIdxLXN \quad (450)$$

$$mvLX[0][0][0] = mvLXN[0] \quad (451)$$

$$mvLX[0][0][1] = mvLXN[1] \quad (452)$$

- When  $refIdxLX$  is a valid reference picture, the following applies:

$$predFlagLX[0][0] = 1 \quad (453)$$

- 7) When  $mmvd\_flag[xCb][yCb]$  is equal to 1, the following applies:

- The following assignments are made with  $N$  being the candidate at position  $mmvd\_merge\_idx[xCb][yCb]$  in the merging candidate list  $mergeCandList$  ( $N = mergeCandList[mmvd\_merge\_idx[xCb][yCb]]$ ) and  $X$  being replaced by 0 or 1:

$$refIdxLX = refIdxLXN \quad (454)$$

$$mvLX[0][0][0] = mvLXN[0] \quad (455)$$

$$mvLX[0][0][1] = mvLXN[1] \quad (456)$$

- When  $refIdxLX$  is a valid reference picture, the following applies:

$$predFlagLX[0][0] = 1 \quad (457)$$

- The derivation process for MMVD motion vector as specified in subclause 8.5.2.3.9 is invoked with the luma location  $(xCb, yCb)$ , the luma motion vectors  $mvL0[0][0]$  and  $mvL1[0][0]$ , the reference indices  $refIdxL0$  and  $refIdxL1$ , and the prediction list utilization flags  $predFlagL0[0][0]$  and  $predFlagL1[0][0]$  as inputs, and the MMVD motion vectors  $mMvL0$  and  $mMvL1$ , the modified reference indices  $refIdxL0$  and  $refIdxL1$ , and the modified prediction list utilization flags  $predFlagL0[0][0]$  and  $predFlagL1[0][0]$  as outputs.

- The luma motion vector  $mvLX$  is replaced by the MMVD motion vector  $mMvLX$  for  $X$  being 0 and 1 as follows:

$$mvLX[0][0][0] = mMvLX[0] \quad (458)$$

$$mvLX[0][0][1] = mMvLX[1] \quad (459)$$

### 8.5.2.3.2 Derivation process for spatial merging candidates

Inputs to this process are:

- a luma location  $(xCb, yCb)$  of the top-left sample of the current luma coding block relative to the top-left luma sample of the current picture,

- two variables  $nCbW$  and  $nCbH$  specifying the width and the height of the current luma coding block,
- a merging candidate list  $mergeCandList$ ,
- a number of elements  $numCurrMergeCand$  within  $mergeCandList$ , and
- a maximal number of elements  $mLSize$  within  $mergeCandList$ .

Outputs of this process are:

- the merging candidate list  $mergeCandList$ , and
- the number of elements  $numCurrMergeCand$  within  $mergeCandList$ .

The variable  $availLR$  is derived by invoking the derivation process for left and right neighbouring blocks availabilities as specified in subclause 6.4.2 with the luma location  $(x_{Cb}, y_{Cb})$  and the luma coding block width  $nCbW$  as inputs.

If  $availLR$  is equal to  $LR_{11}$ , the following applies:

- The luma location  $(x_{NbA_1}, y_{NbA_1})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} - 1, y_{Cb} + nCbH - 1)$ .
- The luma location  $(x_{NbB_1}, y_{NbB_1})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} + nCbW, y_{Cb} + nCbH - 1)$ .
- The luma location  $(x_{NbB_0}, y_{NbB_0})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb}, y_{Cb} - 1)$ .
- The luma location  $(x_{NbA_0}, y_{NbA_0})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} + nCbW, y_{Cb} - 1)$ .
- The luma location  $(x_{NbB_2}, y_{NbB_2})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} - 1, y_{Cb} - 1)$ .

Otherwise, if  $availLR$  is equal to  $LR_{01}$ , the following applies:

- The luma location  $(x_{NbA_1}, y_{NbA_1})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} + nCbW, y_{Cb} + nCbH - 1)$ .
- The luma location  $(x_{NbB_1}, y_{NbB_1})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb}, y_{Cb} - 1)$ .
- The luma location  $(x_{NbB_0}, y_{NbB_0})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} - 1, y_{Cb} - 1)$ .
- The luma location  $(x_{NbA_0}, y_{NbA_0})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} + nCbW, y_{Cb} + nCbH)$ .
- The luma location  $(x_{NbB_2}, y_{NbB_2})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} + nCbW, y_{Cb} - 1)$ .

Otherwise, if  $availLR$  is equal to  $LR_{10}$  or  $LR_{00}$ , the following applies:

- The luma location  $(x_{NbA_1}, y_{NbA_1})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} - 1, y_{Cb} + nCbH - 1)$ .

- The luma location  $(xNbB_1, yNbB_1)$  inside the neighbouring luma coding block is set equal to  $(xCb + nCbW - 1, yCb - 1)$ .
- The luma location  $(xNbB_0, yNbB_0)$  inside the neighbouring luma coding block is set equal to  $(xCb + nCbW, yCb - 1)$ .
- The luma location  $(xNbA_0, yNbA_0)$  inside the neighbouring luma coding block is set equal to  $(xCb - 1, yCb + nCbH)$ .
- The luma location  $(xNbB_2, yNbB_2)$  inside the neighbouring luma coding block is set equal to  $(xCb - 1, yCb - 1)$ .

For the derivation of  $refIdxLOA_1$ ,  $refIdxL1A_1$ ,  $predFlagLOA_1$ ,  $predFlagL1A_1$ ,  $mvLOA_1$  and  $mvL1A_1$  the following applies:

- The derivation process for neighbouring block motion vector candidate availability as specified in subclause 6.4.3 is invoked with the luma location  $(xNbA_1, yNbA_1)$  as input, and the output is assigned to the coding block availability flag  $availableA_1$ .
- The variables  $refIdxLXA_1$ ,  $predFlagLXA_1$  and  $mvLXA_1$  are derived as follows for X being 0 or 1:
  - If  $availableA_1$  is equal to FALSE, both components of  $mvLXA_1$  are set equal to 0,  $refIdxLXA_1$  is set equal to -1 and  $predFlagLXA_1$  is set equal to 0.
  - Otherwise, the following assignments are made:

$$mvLXA_1 = MvLX[xNbA_1][yNbA_1] \quad (460)$$

$$refIdxLXA_1 = RefIdxLX[xNbA_1][yNbA_1] \quad (461)$$

$$predFlagLXA_1 = PredFlagLX[xNbA_1][yNbA_1] \quad (462)$$

- When neither of  $refIdxLOA_1$  and  $refIdxL1A_1$  is equal to -1 and sum of the  $nCbW$  and  $nCbH$  is less than or equal to 12, and the following assignments are made:

$$refIdxL1A_1 = -1 \quad (463)$$

$$predFlagL1A_1 = 0 \quad (464)$$

- When  $availableA_1$  is equal to TRUE, the variable  $mergeCandList[numCurrMergeCand++]$  is updated with  $mvLXA_1$ ,  $refIdxLXA_1$  and  $predFlagLXA_1$  for X being 0 or 1.

For the derivation of  $refIdxLOB_1$ ,  $refIdxL1B_1$ ,  $predFlagLOB_1$ ,  $predFlagL1B_1$ ,  $mvLOB_1$  and  $mvL1B_1$  the following applies:

- The derivation process for neighbouring block motion vector candidate availability as specified in subclause 6.4.3 is invoked with the luma location  $(xNbB_1, yNbB_1)$  as input, and the output is assigned to the coding block availability flag  $availableB_1$ .
- The variables  $refIdxLXB_1$ ,  $predFlagLXB_1$  and  $mvLXB_1$  are derived as follows for X being 0 or 1:
  - If  $availableB_1$  is equal to FALSE, both components of  $mvLXB_1$  are set equal to 0,  $refIdxLXB_1$  is set equal to -1 and  $predFlagLXB_1$  is set equal to 0.
  - Otherwise,  $availableFlagB_1$  is set equal to 1 and the following assignments are made:

$$mvLXB_1 = MvLX[ xNbB_1 ][ yNbB_1 ] \quad (465)$$

$$refIdxLXB_1 = RefIdxLX[ xNbB_1 ][ yNbB_1 ] \quad (466)$$

$$predFlagLXB_1 = PredFlagLX[ xNbB_1 ][ yNbB_1 ] \quad (467)$$

- When neither of  $refIdxLOB_1$  and  $refIdxL1B_1$  is equal to  $-1$  and sum of the  $nCbW$  and  $nCbH$  is less than or equal to 12, and the following assignments are made:

$$refIdxL1B_1 = -1 \quad (468)$$

$$predFlagL1B_1 = 0 \quad (469)$$

- When  $availableB_1$  is equal to TRUE, the variable  $mergeCandList[ numCurrMergeCand++ ]$  is updated with  $mvLXB_1$ ,  $refIdxLXB_1$  and  $predFlagLXB_1$  for X being 0 or 1.
- When  $availableB_1$  is equal to TRUE and  $numCurrMergeCand$  is greater than 1, the derivation process for redundancy check as specified in subclause 8.5.2.3.10 is invoked with a merging candidate list  $mergeCandList$ , and the number of elements  $numCurrMergeCand$  within  $mergeCandList$  as inputs, and the number of elements  $numCurrMergeCand$  within  $mergeCandList$  as output.

For the derivation of  $refIdxLOB_0$ ,  $refIdxL1B_0$ ,  $predFlagLOB_0$ ,  $predFlagL1B_0$ ,  $mvLOB_0$  and  $mvL1B_0$  the following applies:

- The derivation process for neighbouring block motion vector candidate availability as specified in subclause 6.4.3 is invoked with the luma location  $( xNbB_0, yNbB_0 )$  as input, and the output is assigned to the coding block availability flag  $availableB_0$ .

- The variables  $refIdxLXB_0$ ,  $predFlagLXB_0$  and  $mvLXB_0$  are derived as follows for X being 0 or 1:

- If  $availableB_0$  is equal to FALSE, both components of  $mvLXB_0$  are set equal to 0,  $refIdxLXB_0$  is set equal to  $-1$  and  $predFlagLXB_0$  is set equal to 0.

- Otherwise, the following assignments are made:

$$mvLXB_0 = MvLX[ xNbB_0 ][ yNbB_0 ] \quad (470)$$

$$refIdxLXB_0 = RefIdxLX[ xNbB_0 ][ yNbB_0 ] \quad (471)$$

$$predFlagLXB_0 = PredFlagLX[ xNbB_0 ][ yNbB_0 ] \quad (472)$$

- When neither of  $refIdxLOB_0$  and  $refIdxL1B_0$  is equal to  $-1$  and sum of the  $nCbW$  and  $nCbH$  is less than or equal to 12, and the following assignments are made:

$$refIdxL1B_0 = -1 \quad (473)$$

$$predFlagL1B_0 = 0 \quad (474)$$

- When  $availableB_0$  is equal to TRUE, the variable  $mergeCandList[ numCurrMergeCand++ ]$  is updated with  $mvLXB_0$ ,  $refIdxLXB_0$  and  $predFlagLXB_0$  for X being 0 or 1.

- When  $availableB_0$  is equal to TRUE and  $numCurrMergeCand$  is greater than 1, the derivation process for redundancy check as specified in subclause 8.5.2.3.10 is invoked with a merging candidate list  $mergeCandList$ , and the number of elements  $numCurrMergeCand$  within  $mergeCandList$  as inputs, and the number of elements  $numCurrMergeCand$  within  $mergeCandList$  as output.

When  $\text{numCurrMergeCand} < \text{mLSize} - 1$ , for the derivation of  $\text{refIdxL0A}_0$ ,  $\text{refIdxL1A}_0$ ,  $\text{predFlagL0A}_0$ ,  $\text{predFlagL1A}_0$ ,  $\text{mvL0A}_0$  and  $\text{mvL1A}_0$  the following applies:

- The derivation process for neighbouring block motion vector candidate availability as specified in subclause 6.4.3 is invoked with the luma location  $(x\text{NbA}_0, y\text{NbA}_0)$  as input, and the output is assigned to the coding block availability flag  $\text{availableA}_0$ .
- The variables  $\text{refIdxLXA}_0$ ,  $\text{predFlagLXA}_0$  and  $\text{mvLXA}_0$  are derived as follows for X being 0 or 1:
  - If  $\text{availableA}_0$  is equal to FALSE, both components of  $\text{mvLXA}_0$  are set equal to 0,  $\text{refIdxLXA}_0$  is set equal to -1 and  $\text{predFlagLXA}_0$  is set equal to 0.

— Otherwise, the following assignments are made:

$$\text{mvLXA}_0 = \text{MvLX}[x\text{NbA}_0][y\text{NbA}_0] \quad (475)$$

$$\text{refIdxLXA}_0 = \text{RefIdxLX}[x\text{NbA}_0][y\text{NbA}_0] \quad (476)$$

$$\text{predFlagLXA}_0 = \text{PredFlagLX}[x\text{NbA}_0][y\text{NbA}_0] \quad (477)$$

- When neither of  $\text{refIdxL0A}_0$  and  $\text{refIdxL1A}_0$  is equal to -1 and sum of the  $n\text{CbW}$  and  $n\text{CbH}$  is less than or equal to 12, and the following assignments are made:

$$\text{refIdxL1A}_0 = -1 \quad (478)$$

$$\text{predFlagL1A}_0 = 0 \quad (479)$$

- When  $\text{availableA}_0$  is equal to TRUE, the variable  $\text{mergeCandList}[\text{numCurrMergeCand}++]$  is updated with  $\text{mvLXA}_0$ ,  $\text{refIdxLXA}_0$  and  $\text{predFlagLXA}_0$  for X being 0 or 1.
- When  $\text{availableA}_0$  is equal to TRUE and  $\text{numCurrMergeCand}$  is greater than 1, the derivation process for redundancy check as specified in subclause 8.5.2.3.10 is invoked with a merging candidate list  $\text{mergeCandList}$ , and the number of elements  $\text{numCurrMergeCand}$  within  $\text{mergeCandList}$  as inputs, and the number of elements  $\text{numCurrMergeCand}$  within  $\text{mergeCandList}$  as output.

When  $\text{numCurrMergeCand} < \text{mLSize} - 1$ , for the derivation of  $\text{refIdxL0B}_2$ ,  $\text{refIdxL1B}_2$ ,  $\text{predFlagL0B}_2$ ,  $\text{predFlagL1B}_2$ ,  $\text{mvL0B}_2$  and  $\text{mvL1B}_2$ , the following applies:

- The derivation process for neighbouring block motion vector candidate availability as specified in subclause 6.4.3 is invoked with the luma location  $(x\text{NbB}_2, y\text{NbB}_2)$  as input, and the output is assigned to the coding block availability flag  $\text{availableB}_2$ .
- The variables  $\text{refIdxLXB}_2$ ,  $\text{predFlagLXB}_2$  and  $\text{mvLXB}_2$  are derived as follows for X being 0 or 1:
  - If  $\text{availableB}_2$  is equal to FALSE, both components of  $\text{mvLXB}_2$  are set equal to 0,  $\text{refIdxLXB}_2$  is set equal to -1 and  $\text{predFlagLXB}_2$  is set equal to 0.

— Otherwise, the following assignments are made:

$$\text{mvLXB}_2 = \text{MvLX}[x\text{NbB}_2][y\text{NbB}_2] \quad (480)$$

$$\text{refIdxLXB}_2 = \text{RefIdxLX}[x\text{NbB}_2][y\text{NbB}_2] \quad (481)$$

$$\text{predFlagLXB}_2 = \text{PredFlagLX}[x\text{NbB}_2][y\text{NbB}_2] \quad (482)$$

- When neither of  $\text{refIdxLOB}_2$  and  $\text{refIdxL1B}_2$  is equal to  $-1$  and sum of the  $\text{nCbW}$  and  $\text{nCbH}$  is less than or equal to  $12$ , and the following assignments are made:

$$\text{refIdxL1B}_2 = -1 \quad (483)$$

$$\text{predFlagL1B}_2 = 0 \quad (484)$$

- When  $\text{availableB}_2$  is equal to  $\text{TRUE}$ , the variable  $\text{mergeCandList}[\text{numCurrMergeCand}++]$  is updated with  $\text{mvLXB}_2$ ,  $\text{refIdxLXB}_2$  and  $\text{predFlagLXB}_2$  for  $X$  being  $0$  or  $1$ .
- When  $\text{availableB}_2$  is equal to  $\text{TRUE}$  and  $\text{numCurrMergeCand}$  is greater than  $1$ , the derivation process for redundancy check as specified in subclause 8.5.2.3.10 is invoked with a merging candidate list  $\text{mergeCandList}$ , and the number of elements  $\text{numCurrMergeCand}$  within  $\text{mergeCandList}$  as inputs, and the number of elements  $\text{numCurrMergeCand}$  within  $\text{mergeCandList}$  as output.

### 8.5.2.3.3 Derivation process for temporal merge candidates

Inputs to this process are:

- a luma location  $(x_{Cb}, y_{Cb})$  specifying the top-left sample of the current luma coding block relative to the top-left luma sample of the current picture,
- two variables  $\text{nCbW}$  and  $\text{nCbH}$  specifying the width and the height of the luma coding block,
- a merging candidate list  $\text{mergeCandList}$ , and
- a number of elements  $\text{numCurrMergeCand}$  within  $\text{mergeCandList}$ .

Outputs of this process are:

- the merging candidate list  $\text{mergeCandList}$ , and
- the number of elements  $\text{numCurrMergeCand}$  within  $\text{mergeCandList}$ .

The variable  $\text{currCb}$  specifies the current luma coding block at luma location  $(x_{Cb}, y_{Cb})$ .

The variable  $\text{refIdxLXCol}$ , with  $X$  being equal to  $0$  or  $1$ , is set equal to  $0$ .

The variable  $\text{availLR}$  is derived by invoking the derivation process for left and right neighbouring blocks availabilities as specified in subclause 6.4.2 with the luma location  $(x_{Cb}, y_{Cb})$  and the luma coding block width  $\text{nCbW}$  as inputs.

Input merging candidate list  $\text{mergeCandList}$  is modified as the following ordered steps:

- 1) The central collocated motion vector is derived as follows:

$$x_{ColCtr} = x_{Cb} + (\text{nCbW} \gg 1) \quad (485)$$

$$y_{ColCtr} = y_{Cb} + (\text{nCbH} \gg 1) \quad (486)$$

- The luma location  $(x_{ColCb}, y_{ColCb})$  is set equal to  $((x_{ColCtr} \gg 3) \ll 3, (y_{ColCtr} \gg 3) \ll 3)$ .

- The derivation process for collocated motion vectors as specified in subclause 8.5.2.3.4 is invoked with luma location coordinates (  $x_{ColCb}$ ,  $y_{ColCb}$  ) as input, and the output is assigned to  $mvLXCol$ , with  $X$  being equal to 0 or 1, and  $availableFlagCol$ .
- When  $availableFlagCol$  is equal to 3 and sum of the  $nCbW$  and  $nCbH$  is less than or equal to 12, and the following assignments are made:
  - $predFlagL1Col = 0$  (487)
  - $refIdxL1Col = -1$  (488)
- When  $availableFlagCol$  is not equal to 0, the variable  $mergeCandList[ numCurrMergeCand++ ]$  is updated with  $mvLXCol$ ,  $refIdxLXCol$  and  $predFlagLXCol$ , for  $X$  being equal to 0 or 1.
- When  $availableFlagCol$  is not equal to 0 and  $numCurrMergeCand$  is greater than 1, variable  $origNumCurrMergeCand$  is set equal to  $numCurrMergeCand$  and the derivation process for redundancy check as specified in subclause 8.5.2.3.10 is invoked with a merging candidate list  $mergeCandList$ , and the number of elements  $numCurrMergeCand$  within  $mergeCandList$  as inputs, and the number of elements  $numCurrMergeCand$  within  $mergeCandList$  as output.
- When  $numCurrMergeCand$  is less than  $origNumCurrMergeCand$ ,  $availableFlagCol$  is set equal to 0.
- 2) When  $availableFlagCol$  is equal to 0, the bottom collocated motion vector is derived as follows:
  - If  $availLR$  is equal to  $LR\_01$ , the following applies:
    - $x_{ColBot} = x_{Cb}$  (489)
    - $y_{ColBot} = y_{Cb} + nCbH$  (490)
  - Otherwise, the following applies:
    - $x_{ColBot} = x_{Cb} + nCbW - 1$  (491)
    - $y_{ColBot} = y_{Cb} + nCbH$  (492)
  - If  $y_{ColBot}$  is less than  $pic\_height\_in\_luma\_samples$ , and  $y_{Cb} \gg CtbLog2SizeY$  is equal to  $y_{ColBot} \gg CtbLog2SizeY$ , the following applies:
    - The luma location (  $x_{ColCb}$ ,  $y_{ColCb}$  ) is set equal to (  $( x_{ColBot} \gg 3 ) \ll 3$ ,  $( y_{ColBot} \gg 3 ) \ll 3$  ).
    - The derivation process for collocated motion vectors as specified in subclause 8.5.2.3.4 is invoked with luma location coordinates (  $x_{ColCb}$ ,  $y_{ColCb}$  ) as input, and the output is assigned to  $mvLXCol$ , with  $X$  being equal to 0 or 1, and  $availableFlagCol$ .
    - Otherwise, both components of  $mvLXCol$ , with  $X$  being equal to 0 or 1, are set equal to 0, and  $availableFlagCol$  is set equal to 0.
- When  $availableFlagCol$  is equal to 3 and sum of the  $nCbW$  and  $nCbH$  is less than or equal to 12, and the following assignments are made:
  - $predFlagL1Col = 0$  (493)
  - $refIdxL1Col = -1$  (494)

- When availableFlagCol is not equal to 0, the variable mergeCandList[ numCurrMergeCand++ ] is updated with mvLXCol, refIdxLXCol and predFlagLXCol, for X being equal to 0 or 1.
  - When availableFlagCol is not equal to 0 and numCurrMergeCand is greater than 1, variable origNumCurrMergeCand is set equal to numCurrMergeCand and the derivation process for redundancy check as specified in subclause 8.5.2.3.10 is invoked with a merging candidate list mergeCandList, and the number of elements numCurrMergeCand within mergeCandList as inputs, and the number of elements numCurrMergeCand within mergeCandList as output.
  - When numCurrMergeCand is less than origNumCurrMergeCand, availableFlagCol is set equal to 0.
- 3) When availableFlagCol is equal to 0, the side collocated motion vector is derived as follows:
- If availLR is equal to LR\_01, the following applies:
    - $$xColSide = xCb - 1 \quad (495)$$
    - $$yColSide = yCb + nCbH - 1 \quad (496)$$
  - Otherwise, the following applies:
    - $$xColSide = xCb + nCbW \quad (497)$$
    - $$yColSide = yCb + nCbH - 1 \quad (498)$$
  - If xColSide larger than 0, and xColSide is less than pic\_width\_in\_luma\_samples, the following applies:
    - The luma location coordinates ( xColCb, yColCb ) is set equal to ( ( xColSide >> 3 ) << 3, ( yColSide >> 3 ) << 3 ).
    - The derivation process for collocated motion vectors as specified in subclause 8.5.2.3.4 is invoked with luma location coordinates ( xColCb, yColCb ) as input, and the output is assigned to mvLXCol, with X being equal to 0 or 1, and availableFlagCol.
    - Otherwise, both components of mvLXCol, with X being equal to 0 or 1, are set equal to 0 and availableFlagCol is set equal to 0.
  - When availableFlagCol is equal to 3 and sum of the nCbW and nCbH is less than or equal to 12, and the following assignments are made:
    - $$predFlagL1Col = 0 \quad (499)$$
    - $$refIdxL1Col = -1 \quad (500)$$
  - When availableFlagCol is not equal to 0, the variable mergeCandList[ numCurrMergeCand++ ] is updated with mvLXCol, refIdxLXCol and predFlagLXCol for X being equal to 0 or 1.
  - When availableFlagCol is not equal to 0 and numCurrMergeCand is greater than 1, variable origNumCurrMergeCand is set equal to numCurrMergeCand and the derivation process for redundancy check as specified in subclause 8.5.2.3.10 is invoked with a merging candidate list mergeCandList, and the number of elements numCurrMergeCand within mergeCandList as inputs, and the number of elements numCurrMergeCand within mergeCandList as output.
  - When numCurrMergeCand is less than origNumCurrMergeCand, availableFlagCol is set equal to 0.

#### 8.5.2.3.4 Derivation process for collocated motion vectors

Input to this process is a luma location coordinates (  $xColCb$ ,  $yColCb$  ) in the collocated picture specified by  $ColPic$ .

Outputs of this process are:

- the motion vector prediction  $mvpLXCol$  in 1/4 fractional-sample accuracy, with  $X$  being equal to 0 or 1, and
- the availability flag  $availableFlagCol$  (jointly for lists 0 and 1).

The variable  $currPic$  specifies the current picture.

The arrays  $predFlagL0Col[x][y]$ ,  $mvL0Col[x][y]$  and  $refIdxL0Col[x][y]$  are set equal to  $PredFlagL0[x][y]$ ,  $MvDmvrL0[x][y]$  and  $RefIdxL0[x][y]$ , respectively, of the collocated picture specified by  $ColPic$ , and the arrays  $predFlagL1Col[x][y]$ ,  $mvL1Col[x][y]$  and  $refIdxL1Col[x][y]$  are set equal to  $PredFlagL1[x][y]$ ,  $MvDmvrL1[x][y]$  and  $RefIdxL1[x][y]$ , respectively, of the collocated picture specified by  $ColPic$ .

The variables  $mvCol$  and  $availableFlagLXCol$ , for  $X$  being equal to 0 or 1, are derived as follows:

- If  $refIdxLXCol[xColCb][yColCb]$  is invalid, both components of  $mvLXCol$  are set equal to 0 and  $availableFlagLXCol$  is set equal to 0.
- Otherwise, the motion vector  $mvCol[colX]$ , the reference index  $refIdxCol[colX]$  and the reference list identifier  $listCol[colX]$ , with  $colX$  being equal to 0 or 1, are derived as follows:
  - The variable  $refIdxCol[colX]$ , with  $colX$  being equal to 0 or 1, is set equal to invalid.
  - If  $temporal\_mvp\_assigned\_flag$  is equal to 0, the following applies:
    - If  $predFlagL0Col[x][y]$  is equal to 0, and  $predFlagL1Col[x][y]$  is equal to 1,  $mvCol[colX]$ ,  $refIdxCol[colX]$  and  $listCol[colX]$  are set equal to  $mvLXCol[xColCb][yColCb]$ ,  $refIdxLXCol[xColCb][yColCb]$  with  $X$  being equal to 1 and  $colX$  being equal to 1, respectively.
    - Otherwise, if  $predFlagL0Col[x][y]$  is equal to 1, and  $predFlagL1Col[x][y]$  is equal to 0,  $mvCol[colX]$ ,  $refIdxCol[colX]$  and  $listCol[colX]$  are set equal to  $mvLXCol[xColCb][yColCb]$ ,  $refIdxLXCol[xColCb][yColCb]$  with  $X$  being equal to 0 and  $colX$  being equal to 0, respectively.
    - Otherwise ( $predFlagL0Col[x][y]$  is equal to 1, and  $predFlagL1Col[x][y]$  is equal to 1),  $mvCol[colX]$ ,  $refIdxCol[colX]$  and  $listCol[colX]$  are set equal to  $mvLXCol[xColCb][yColCb]$ ,  $refIdxLXCol[xColCb][yColCb]$  with  $X$  being 0 or 1 and  $colX$  being equal to 0 or 1, respectively.
  - Otherwise ( $temporal\_mvp\_assigned\_flag$  is equal to 1), the following applies:
    - When  $predFlagLXCol[x][y]$  with  $X$  equal to  $col\_pic\_list\_idx$  is equal to 1,  $mvCol[colX]$ ,  $refIdxCol[colX]$  and  $listCol[colX]$  are derived as follows:
      - $mvCol[colX]$ ,  $refIdxCol[colX]$  and  $listCol[colX]$  set equal to  $mvLXCol[xColCb][yColCb]$ ,  $refIdxLXCol[xColCb][yColCb]$  with  $X$  being equal to  $col\_source\_mvp\_list\_idx$  and  $colX$  being equal to 0, respectively.

- $mvCol[ colX ]$ ,  $refIdxCol[ colX ]$  and  $listCol[ colX ]$  set equal to  $mvLXCol[ xColCb ][ yColCb ]$ ,  $refIdxLXCol[ xColCb ][ yColCb ]$  with  $X$  being equal to  $col\_source\_mvp\_list\_idx$ , and  $colX$  being equal to 1.

— The variables  $mvpLXCol$  and  $availableFlagLXCol$  are derived as follows:

- The variable  $refPicOfColPic[ X ]$  is set equal to the picture with reference index  $refIdxCol[ X ]$  in the reference picture list  $listCol[ X ]$  of the slice containing luma location coordinates  $( xColCb, yColCb )$  in the collocated picture specified by  $ColPic$ , and the following applies:

- The POC distance (denoted as  $currPocDiffX$ ) between current picture and current picture's reference picture specified by  $RefPicListX[ refIdxLX ]$  with  $refIdxLX$  being equal to 0, is computed as follows:

$$currPocDiffLX = DiffPicOrderCnt( currPic, RefPicListX[ refIdxLX ] ) \quad (501)$$

, with  $X$  being equal to 0 or 1, respectively

- The POC distance (denoted as  $colPocDiffLX$ ) between the collocated picture  $ColPic$  and  $refPicOfColPic[ X ]$  is computed as follows:

$$colPocDiffLX = DiffPicOrderCnt( ColPic, refPicOfColPic[ X ] ) \quad (502)$$

, with  $X$  being equal to 0 or 1, respectively

- If  $refIdxCol[ X ]$  is valid and  $colPocDiffLX$  is not equal to 0, the variable  $availableFlagLXCol$  is set equal to 1, the  $mvpLXCol$  is derived as a scaled version of the motion vector  $mvCol[ X ]$  as follows:

$$distScaleFactorLX = ( currPocDiffLX << 5 ) / colPocDiffLX \quad (503)$$

$$mvpLXCol = Clip3( -32768, 32767, Sign( distScaleFactorLX * mvCol[ X ] ) * ( ( Abs( distScaleFactorLX * mvCol[ X ] ) + 16 ) >> 5 ) ) \quad (504)$$

, with  $X$  being equal to 0 or 1, respectively

- Otherwise (invalid  $refIdxCol[ X ]$  or  $colPocDiffLX$  is equal to 0), the variable  $availableFlagLXCol$  is set equal to 0 and  $mvpLXCol$  is derived as follows:

$$mvpLXCol = 0 \quad (505)$$

, with  $X$  being 0 or 1 specifying reference list 0 and reference list 1, respectively

The picture boundary based clipping process for variables for collocated motion vectors  $mvpLXCol$  is invoked as specified in subclause 8.5.2.3.5 with  $mvpLXCol$  and  $( xCb, yCb )$  as inputs.

The  $availableFlagCol$  is derived as follows:

- If  $availableFlagLXCol$  for  $X$  being 0 and 1 are both equal to 1,  $availableFlagCol$  is set equal to 3.
- Otherwise, if  $availableFlagLXCol$  for  $X$  being equal to 0 is equal to 1 and  $availableFlagLXCol$  for  $X$  being 1 is equal to 0,  $availableFlagCol$  is set equal to 1.
- Otherwise, if  $availableFlagLXCol$  for  $X$  being equal to 1 is equal to 1 and  $availableFlagLXCol$  for  $X$  being 0 is equal to 0,  $availableFlagCol$  is set equal to 2.
- Otherwise,  $availableFlagCol$  is set equal to 0.

### 8.5.2.3.5 Derivation process for constrained scaled motion

Inputs to this process are:

- the motion vector prediction mvLXCol, and
- a luma location ( xCb, yCb ) specifying the top-left sample of the luma coding block.

Output of this process is the motion vector prediction mvLXCol.

The variable mvLXCol for X being set equal to 0 or 1 is derived as follows:

- The variable picPaddingSize is equal to 144.
- The variables paddedWidth and paddedHeight are derived as follows:

$$\text{paddedWidth} = \text{pic\_width\_in\_luma\_samples} + \text{picPaddingSize} \quad (506)$$

$$\text{paddedHeight} = \text{pic\_height\_in\_luma\_samples} + \text{picPaddingSize} \quad (507)$$

$$\text{mvLXCol}[0] = (\text{xCb} + \text{mvLXCol}[0]) < -\text{picPaddingSize} ? -(\text{xCb} + \text{picPaddingSize}) : \text{mvLXCol}[0] \quad (508)$$

$$\text{mvLXCol}[1] = (\text{yCb} + \text{mvLXCol}[1]) < -\text{picPaddingSize} ? -(\text{yCb} + \text{picPaddingSize}) : \text{mvLXCol}[1] \quad (509)$$

$$\text{mvLXCol}[0] = (\text{xCb} + \text{mvLXCol}[0]) > \text{paddedWidth} ? (\text{paddedWidth} - \text{xCb}) : \text{mvLXCol}[0] \quad (510)$$

$$\text{mvLXCol}[1] = (\text{yCb} + \text{mvLXCol}[1]) > \text{paddedHeight} ? (\text{paddedHeight} - \text{yCb}) : \text{mvLXCol}[1] \quad (511)$$

### 8.5.2.3.6 Derivation process for history-based merging candidates

Inputs to this process are:

- a merge candidate list mergeCandList,
- a number of available merging candidates in the list numCurrMergeCand,
- a maximal number of elements mLSize within mergeCandList, and
- two variables nCbW and nCbH specifying the width and the height of the current luma coding block.

Outputs to this process are:

- the modified merging candidate list mergeCandList, and
- the modified number of merging candidates in the list numCurrMergeCand.

The variable numOrigMergeCand is set equal to numCurrMergeCand. The variable hmvpStop is set equal to FALSE.

The variable maxNumCheckedHistory is set equal to  $((\text{NumHmvpCand} + 1) \gg 2) \ll 2 - 1$ .

For each candidate in HmvpCandList with hMvpIdx =  $3.. \text{Min}(\text{maxNumCheckedHistory}, (\text{mLSize} = 4) ? 15 : 23)$ , the following ordered steps are repeated until hmvpStop is equal to TRUE.

- 1) The variable hMvpCand is derived as follows:

- hMvpCand is set equal to HmvpCandList[ NumHmvpCand – hMvpIdx ].
  - When refIdxL0 and refIdxL1 of hMvpCand are both valid and sum of the nCbW and nCbH is less than or equal to 12, then refIdxL1 of hMvpCand is set equal to -1.
- 2) The variable mergeCandList[ numCurrMergeCand++ ] is updated with hMvpCand.
  - 3) When numCurrMergeCand is greater than 1, derivation process for redundancy check as specified in subclause 8.5.2.3.10 is invoked with a merging candidate list mergeCandList and the number of elements numCurrMergeCand within mergeCandList as inputs, and with updated merging candidate list mergeCandList and the number of elements numCurrMergeCand within mergeCandList as outputs.
  - 4) When numCurrMergeCand is equal to mLSize, hmvpStop is set equal to TRUE.
  - 5) hMvpIdx is increased by 4.

**8.5.2.3.7 Derivation process for combined bi-predictive merging candidates**

Inputs to this process are:

- a merging candidate list mergeCandList,
- a number of elements numCurrMergeCand within mergeCandList, and
- a maximal number of elements mLSize within mergeCandList.

Outputs of this process are:

- the merging candidate list mergeCandList, and
- the number of elements numCurrMergeCand within mergeCandList.

The arrays refIdxL0 and refIdxL1, each size of numCurrMergeCand, are composed of the reference indices of the list 0 and reference indices of the list 1, respectively, of every candidate in the mergeCandList. The arrays of motion vectors mvL0 and mvL1, each size of numCurrMergeCand, are composed of motion vectors in list 0 and list 1, respectively, of every candidate in mergeCandList.

When numCurrMergeCand is greater than 1 and less than mLSize, the variable numInputMergeCand is set equal to numCurrMergeCand, the variable combIdx is set equal to 0, the variable combStop is set equal to FALSE and the following ordered steps are repeated until combStop is equal to TRUE:

- 1) The variables l0CandIdx and l1CandIdx are derived using combIdx as specified in Table 21.
- 2) The following assignments are made:

$$\text{refIdxL0}[\text{l0Cand}] = \text{refIdxL0}[\text{l0CandIdx}] \tag{512}$$

$$\text{refIdxL1}[\text{l1Cand}] = \text{refIdxL1}[\text{l1CandIdx}] \tag{513}$$

$$\text{mvL0}[\text{l0Cand}] = \text{mvL0}[\text{l0CandIdx}] \tag{514}$$

$$\text{mvL1}[\text{l1Cand}] = \text{mvL1}[\text{l1CandIdx}] \tag{515}$$

- 3) When both  $\text{refIdxL0l0Cand}$  and  $\text{refIdxL1l1Cand}$  are valid, the candidate  $\text{combCand}_k$  with  $k$  equal to  $(\text{numCurrMergeCand} - \text{numInputMergeCand})$  is added at the end of  $\text{mergeCandList}$ , i.e.,  $\text{mergeCandList}[\text{numCurrMergeCand}]$  is set equal to  $\text{combCand}_k$ , the motion vectors of  $\text{combCand}_k$  and  $\text{numCurrMergeCand}$  are derived as follows:

$$\text{refIdxL0combCand}_k = \text{refIdxL0l0Cand} \quad (516)$$

$$\text{refIdxL1combCand}_k = \text{refIdxL1l1Cand} \quad (517)$$

$$\text{mvL0combCand}_k[0] = \text{mvL0l0Cand}[0] \quad (518)$$

$$\text{mvL0combCand}_k[1] = \text{mvL0l0Cand}[1] \quad (519)$$

$$\text{mvL1combCand}_k[0] = \text{mvL1l1Cand}[0] \quad (520)$$

$$\text{mvL1combCand}_k[1] = \text{mvL1l1Cand}[1] \quad (521)$$

$$\text{numCurrMergeCand} = \text{numCurrMergeCand} + 1 \quad (522)$$

- 4) The variable  $\text{combIdx}$  is incremented by 1.
- 5) When  $\text{combIdx}$  is equal to  $(\text{numInputMergeCand} * (\text{numInputMergeCand} - 1))$  or  $\text{numCurrMergeCand}$  is equal to  $\text{mLSize}$ ,  $\text{combStop}$  is set equal to TRUE.

**Table 21 — Specification of l0CandIdx and l1CandIdx**

<b>combIdx</b>	<b>0</b>	<b>1</b>	<b>2</b>	<b>3</b>	<b>4</b>	<b>5</b>	<b>6</b>	<b>7</b>	<b>8</b>	<b>9</b>
<b>l0CandIdx</b>	0	1	0	2	1	2	0	3	1	3
<b>l1CandIdx</b>	1	0	2	0	2	1	3	0	3	1
<b>combIdx</b>	<b>10</b>	<b>11</b>	<b>12</b>	<b>13</b>	<b>14</b>	<b>15</b>	<b>16</b>	<b>17</b>	<b>18</b>	<b>19</b>
<b>l0CandIdx</b>	2	3	0	4	1	4	2	4	3	4
<b>l1CandIdx</b>	3	2	4	0	4	1	4	2	4	3

#### 8.5.2.3.8 Derivation process for zero motion vector merging candidates

Inputs to this process are:

- two variables  $\text{nCbW}$  and  $\text{nCbH}$  specifying the width and the height of the current luma coding block,
- a merging candidate list  $\text{mergeCandList}$ ,
- a number of elements  $\text{numCurrMergeCand}$  within  $\text{mergeCandList}$ , and
- a maximal number of elements  $\text{mLSize}$  within  $\text{mergeCandList}$ .

Outputs of this process are:

- the merging candidate list  $\text{mergeCandList}$ , and
- the number of elements  $\text{numCurrMergeCand}$  within  $\text{mergeCandList}$ .

Candidate zeroCand consists of the luma motion vectors mvL0zeroCand and mvL1zeroCand, the reference indices refldxL0zeroCand and refldxL1zeroCand and the availability flags predFlagL0zeroCand and predFlagL1zeroCand.

A variable biPredAllowed is set equal to FALSE if slice\_type is equal to P, or slice\_type is equal to B and sum of the nCbW and nCbH is less than or equal to 12, otherwise biPredAllowed is set equal to TRUE.

While numCurrMergeCand is less than mLSize, the following applies:

- Motion vectors, reference indices and availability flags of candidate zeroCand are derived as follows:
  - $mvL0zeroCand[0] = 0$  (523)
  - $mvL0zeroCand[1] = 0$  (524)
  - $mvL1zeroCand[0] = 0$  (525)
  - $mvL1zeroCand[1] = 0$  (526)
  - $refldxL0zeroCand = 0$  (527)
  - $refldxL1zeroCand = (biPredAllowed ? 0 : -1)$  (528)
  - $predFlagL0zeroCand = 1$  (529)
  - $predFlagL1zeroCand = (biPredAllowed ? 1 : 0)$  (530)
- mergeCandList[ numCurrMergeCand++ ] is set equal to zeroCand.

### 8.5.2.3.9 Derivation process for MMVD motion vector

Inputs to this process are:

- a luma location ( xCb, yCb ) of the top-left sample of the current luma coding block relative to the top-left luma sample of the current picture,
- luma merge motion vectors mvL0[ 0 ][ 0 ] and mvL1[ 0 ][ 0 ],
- reference indices refldxL0 and refldxL1, and
- prediction list utilization flags predFlagL0[ 0 ][ 0 ] and predFlagL1[ 0 ][ 0 ].

Outputs of this process are:

- the MMVD motion vector mMvL0 and mMvL1,
- the modified reference indices refldxL0 and refldxL1, and
- the modified prediction list utilization flags predFlagL0[ 0 ][ 0 ] and predFlagL1[ 0 ][ 0 ].

The variable currPic specifies the current picture.

The MMVD motion vectors mMvL0 and mMvL1 are derived, and refldxL0, refldxL1, predFlagL0[ 0 ][ 0 ] and predFlagL1[ 0 ][ 0 ] are updated as follows:

- The MMVD motion vectors are set as follows:

$$mMvL0 = mvL0[0][0] \quad (531)$$

$$mMvL1 = mvL1[0][0] \quad (532)$$

- If the value of `mmvd_group_idx` is equal to 1, the following applies:

- If both `predFlagL0[0][0]` and `predFlagL1[0][0]` are equal to 1, the following applies:

$$refIdxL1 = -1 \quad (533)$$

$$predFlagL1[0][0] = 0 \quad (534)$$

$$mMvL1[0] = 0 \quad (535)$$

$$mMvL1[1] = 0 \quad (536)$$

- Otherwise, if `slice_type` is equal to B and `predFlagL0[0][0]` is equal to 1, the following applies:

$$predFlagL1[0][0] = 1 \quad (537)$$

- If `NumRefIdxActive[1]` is greater than 1 and `DiffPicOrderCnt(RefPicList1[1], currPic)` is equal to `DiffPicOrderCnt(currPic, RefPicList0[refIdxL0])`, the following applies:

$$refIdxL1 = 1 \quad (538)$$

- Otherwise, the following applies:

$$refIdxL1 = 0 \quad (539)$$

- `mMvL1` is set as follows:

$$currPocDiffL0 = \text{DiffPicOrderCnt}(currPic, RefPicList0[refIdxL0]) \quad (540)$$

$$currPocDiffL1 = \text{DiffPicOrderCnt}(currPic, RefPicList1[refIdxL1]) \quad (541)$$

$$distScaleFactor = (currPocDiffL1 << 5) / currPocDiffL0 \quad (542)$$

$$mMvL1[0] = \text{Clip3}(-32768, 32767, \text{Sign}(distScaleFactor * mMvL0[0]) * ((\text{Abs}(distScaleFactor * mMvL0[0]) + 16) >> 5)) \quad (543)$$

$$mMvL1[1] = \text{Clip3}(-32768, 32767, \text{Sign}(distScaleFactor * mMvL0[1]) * ((\text{Abs}(distScaleFactor * mMvL0[1]) + 16) >> 5)) \quad (544)$$

- Otherwise, if `slice_type` is equal to P, the following applies:

- If `NumRefIdxActive[0]` is equal to 1, the following applies:

$$targetRefIdxL0 = refIdxL0 \quad (545)$$

- Otherwise, the following applies:

$$targetRefIdxL0 = !refIdxL0 \quad (546)$$

— mMvL0 is set as follows:

— If targetRefIdxL0 is equal to refIdxL0, the following applies:

$$mMvL0[0] = mMvL0[0] + 3 \quad (547)$$

$$mMvL0[1] = mMvL0[1] \quad (548)$$

— Otherwise, the following applies:

$$currPocDiffL0 = DiffPicOrderCnt( currPic, RefPicList0[ refIdxL0 ] ) \quad (549)$$

$$currPocDiffL1 = DiffPicOrderCnt( currPic, RefPicList0[ targetRefIdxL0 ] ) \quad (550)$$

$$distScaleFactor = ( currPocDiffL1 \ll 5 ) / currPocDiffL0 \quad (551)$$

$$mMvL0[0] = Clip3( -32768, 32767, Sign( distScaleFactor * mMvL0[0] ) * ( ( Abs( distScaleFactor * mMvL0[0] ) + 16 ) \gg 5 ) ) \quad (552)$$

$$mMvL0[1] = Clip3( -32768, 32767, Sign( distScaleFactor * mMvL0[1] ) * ( ( Abs( distScaleFactor * mMvL0[1] ) + 16 ) \gg 5 ) ) \quad (553)$$

— refIdxL0 is set equal to targetRefIdxL0.

— Otherwise, if predFlagL1[0][0] are equal to 1, the following applies:

$$predFlagL0[0][0] = 1 \quad (554)$$

— If NumRefIdxActive[0] is greater than 1 and DiffPicOrderCnt( RefList0[1], currPic ) is equal to DiffPicOrderCnt( currPic, RefPicList1[ refIdxL1 ] ), the following applies:

$$refIdxL0 = 1 \quad (555)$$

— Otherwise, the following applies:

$$refIdxL0 = 0 \quad (556)$$

— mMvL0 is set as follows:

$$currPocDiffL0 = DiffPicOrderCnt( currPic, RefPicList0[ refIdxL0 ] ) \quad (557)$$

$$currPocDiffL1 = DiffPicOrderCnt( currPic, RefPicList1[ refIdxL1 ] ) \quad (558)$$

$$distScaleFactor = ( currPocDiffL0 \ll 5 ) / currPocDiffL1 \quad (559)$$

$$mMvL0[0] = Clip3( -32768, 32767, Sign( distScaleFactor * mMvL1[0] ) * ( ( Abs( distScaleFactor * mMvL1[0] ) + 16 ) \gg 5 ) ) \quad (560)$$

$$mMvL0[1] = Clip3( -32768, 32767, Sign( distScaleFactor * mMvL1[1] ) * ( ( Abs( distScaleFactor * mMvL1[1] ) + 16 ) \gg 5 ) ) \quad (561)$$

— Otherwise, if the value of mmvd\_group\_idx is equal to 2, the following applies:

— If both predFlagL0[0][0] and predFlagL1[0][0] are equal to 1, the following applies:

$$refIdxL0 = -1 \quad (562)$$

$$\text{predFlagL0}[0][0] = 0 \quad (563)$$

$$\text{mMvL0}[0] = 0 \quad (564)$$

$$\text{mMvL0}[1] = 0 \quad (565)$$

— Otherwise, if slice\_type is equal to B and predFlagL0[0][0] is equal to 1, the following applies:

$$\text{predFlagL1}[0][0] = 1 \quad (566)$$

— If NumRefIdxActive[1] is greater than 1 and DiffPicOrderCnt( RefPicList[1], currPic ) is equal to DiffPicOrderCnt( currPic, RefPicList0[refIdxL0] ), the following applies:

$$\text{refIdxL1} = 1 \quad (567)$$

— Otherwise, the following applies:

$$\text{refIdxL1} = 0 \quad (568)$$

— mMvL1 is set as follows:

$$\text{currPocDiffL0} = \text{DiffPicOrderCnt}( \text{currPic}, \text{RefPicList0}[\text{refIdxL0}] ) \quad (569)$$

$$\text{currPocDiffL1} = \text{DiffPicOrderCnt}( \text{currPic}, \text{RefPicList1}[\text{refIdxL1}] ) \quad (570)$$

$$\text{distScaleFactor} = ( \text{currPocDiffL1} \leq 5 ) / \text{currPocDiffL0} \quad (571)$$

$$\text{mMvL1}[0] = \text{Clip3}( -32768, 32767, \text{Sign}( \text{distScaleFactor} * \text{mMvL0}[0] ) * ( ( \text{Abs}( \text{distScaleFactor} * \text{mMvL0}[0] ) + 16 ) \gg 5 ) ) \quad (572)$$

$$\text{mMvL1}[1] = \text{Clip3}( -32768, 32767, \text{Sign}( \text{distScaleFactor} * \text{mMvL0}[1] ) * ( ( \text{Abs}( \text{distScaleFactor} * \text{mMvL0}[1] ) + 16 ) \gg 5 ) ) \quad (573)$$

— refIdxL0 is set equal to -1, and predFlagL0[0][0], mMvL0[0] and mMvL0[1] are set equal to 0.

— Otherwise, if slice\_type is equal to P, the following applies:

— If NumRefIdxActive[0] is less than 3, the following applies:

$$\text{targetRefIdxL0} = \text{refIdxL0} \quad (574)$$

— Otherwise, the following applies:

$$\text{targetRefIdxL0} = \text{refIdxL0} < 2 ? 2 : 1 \quad (575)$$

— mMvL0 is set as follows:

— If targetRefIdxL0 is equal to refIdxL0, the following applies:

$$\text{mMvL0}[0] = \text{mMvL0}[0] - 3 \quad (576)$$

$$\text{mMvL0}[1] = \text{mMvL0}[1] \quad (577)$$

— Otherwise, the following applies:

$$\text{currPocDiffL0} = \text{DiffPicOrderCnt}(\text{currPic}, \text{RefPicList0}[\text{refIdxL0}]) \quad (578)$$

$$\text{currPocDiffL1} = \text{DiffPicOrderCnt}(\text{currPic}, \text{RefPicList0}[\text{targetRefIdxL0}]) \quad (579)$$

$$\text{distScaleFactor} = (\text{currPocDiffL1} \ll 5) / \text{currPocDiffL0} \quad (580)$$

$$\text{mMvL0}[0] = \text{Clip3}(-32768, 32767, \text{Sign}(\text{distScaleFactor} * \text{mMvL0}[0]) * ((\text{Abs}(\text{distScaleFactor} * \text{mMvL0}[0]) + 16) \gg 5)) \quad (581)$$

$$\text{mMvL0}[1] = \text{Clip3}(-32768, 32767, \text{Sign}(\text{distScaleFactor} * \text{mMvL0}[1]) * ((\text{Abs}(\text{distScaleFactor} * \text{mMvL0}[1]) + 16) \gg 5)) \quad (582)$$

— refIdxL0 is set equal to targetRefIdxL0.

— Otherwise, if predFlagL1[0][0] is equal to 1, the following applies:

$$\text{predFlagL0}[0][0] = 1 \quad (583)$$

— If NumRefIdxActive[0] is greater than 1 and DiffPicOrderCnt(RefPicList0[1], currPic) is equal to DiffPicOrderCnt(currPic, RefPicList1[refIdxL1]), the following applies:

$$\text{refIdxL0} = 1 \quad (584)$$

— Otherwise, the following applies:

$$\text{refIdxL0} = 0 \quad (585)$$

— mMvL0 is set as follows:

$$\text{currPocDiffL0} = \text{DiffPicOrderCnt}(\text{currPic}, \text{RefPicList0}[\text{refIdxL0}]) \quad (586)$$

$$\text{currPocDiffL1} = \text{DiffPicOrderCnt}(\text{currPic}, \text{RefPicList1}[\text{refIdxL1}]) \quad (587)$$

$$\text{distScaleFactor} = (\text{currPocDiffL0} \ll 5) / \text{currPocDiffL1} \quad (588)$$

$$\text{mMvL0}[0] = \text{Clip3}(-32768, 32767, \text{Sign}(\text{distScaleFactor} * \text{mMvL1}[0]) * ((\text{Abs}(\text{distScaleFactor} * \text{mMvL1}[0]) + 16) \gg 5)) \quad (589)$$

$$\text{mMvL0}[1] = \text{Clip3}(-32768, 32767, \text{Sign}(\text{distScaleFactor} * \text{mMvL1}[1]) * ((\text{Abs}(\text{distScaleFactor} * \text{mMvL1}[1]) + 16) \gg 5)) \quad (590)$$

— refIdxL1 is set equal to -1, and predFlagL1[0][0], mMvL1[0] and mMvL1[1] are set equal to 0.

— If both predFlagL0[0][0] and predFlagL1[0][0] are equal to 1, the following applies:

$$\text{currPocDiffL0} = \text{DiffPicOrderCnt}(\text{currPic}, \text{RefPicList0}[\text{refIdxL0}]) \quad (591)$$

$$\text{currPocDiffL1} = \text{DiffPicOrderCnt}(\text{currPic}, \text{RefPicList1}[\text{refIdxL1}]) \quad (592)$$

— If Abs(currPocDiffL0) is equal to Abs(currPocDiffL1), the following applies:

$$\text{mMvdL0}[0] = \text{MmvdOffset}[0] \quad (593)$$

$$\text{mMvdL0}[1] = \text{MmvdOffset}[1] \quad (594)$$

$$mMvdL1[0] = MmvdOffset[0] \quad (595)$$

$$mMvdL1[1] = MmvdOffset[1] \quad (596)$$

— Otherwise, if  $Abs(\text{currPocDiffL0})$  is greater than  $Abs(\text{currPocDiffL1})$ , the following applies:

$$mMvdL1[0] = MmvdOffset[0] \quad (597)$$

$$mMvdL1[1] = MmvdOffset[1] \quad (598)$$

$$\text{distScaleFactor} = (Abs(\text{currPocDiffL1}) \ll 5) / Abs(\text{currPocDiffL0}) \quad (599)$$

$$mMvdL0[0] = \text{Clip3}(-32768, 32767, (\text{distScaleFactor} * mMvdL1[0] + 16) \gg 5) \quad (600)$$

$$mMvdL0[1] = \text{Clip3}(-32768, 32767, (\text{distScaleFactor} * mMvdL1[1] + 16) \gg 5) \quad (601)$$

— Otherwise, if  $Abs(\text{currPocDiffL0})$  is less than  $Abs(\text{currPocDiffL1})$ , the following applies:

$$mMvdL0[0] = MmvdOffset[0] \quad (602)$$

$$mMvdL0[1] = MmvdOffset[1] \quad (603)$$

$$\text{distScaleFactor} = (Abs(\text{currPocDiffL0}) \ll 5) / Abs(\text{currPocDiffL1}) \quad (604)$$

$$mMvdL1[0] = \text{Clip3}(-32768, 32767, (\text{distScaleFactor} * mMvdL0[0] + 16) \gg 5) \quad (605)$$

$$mMvdL1[1] = \text{Clip3}(-32768, 32767, (\text{distScaleFactor} * mMvdL0[1] + 16) \gg 5) \quad (606)$$

— If  $\text{currPocDiffL0} * \text{currPocDiffL1}$  is smaller than 0, the following applies:

$$mMvdL0[0] = mMvdL0[0] \quad (607)$$

$$mMvdL0[1] = mMvdL0[1] \quad (608)$$

$$mMvdL1[0] = -mMvdL1[0] \quad (609)$$

$$mMvdL1[1] = -mMvdL1[1] \quad (610)$$

— Otherwise (if  $\text{predFlagL0}[0][0]$  or  $\text{predFlagL1}[0][0]$  are equal to 1), the following applies for X being 0 and 1:

$$mMvdLX[0] = (\text{predFlagLX}[0][0] = 1) ? MmvdOffset[0] : 0 \quad (611)$$

$$mMvdLX[1] = (\text{predFlagLX}[0][0] = 1) ? MmvdOffset[1] : 0 \quad (612)$$

— The MMVD motion vectors are updated as follows:

$$mMvL0[0] += mMvdL0[0] \quad (613)$$

$$mMvL0[1] += mMvdL0[1] \quad (614)$$

$$mMvL1[0] += mMvdL1[0] \quad (615)$$

$$mMvL1[1] += mMvdL1[1] \quad (616)$$

### 8.5.2.3.10 Derivation process for motion vector prediction redundancy check

Inputs to this process are:

- a merging candidate list `mergeCandList`, and
- a number of elements `numCurrMergeCand` within `mergeCandList`.

Outputs of this process are:

- the merging candidate list `mergeCandList`, and
- the number of elements `numCurrMergeCand` within `mergeCandList`.

When `numCurrMergeCand` is greater than 1, the variable `candIsNew` is set equal to `TRUE`, the variable `candIndx` is set equal to 0 and the following ordered steps are repeated until `candIsNew` is equal to `FALSE` or `candIndx` is equal to `numCurrMergeCand - 2`:

- 1) The variable `candIsNew` is set equal to `FALSE` if `mergeCandList[candIndx]` and `mergeCandList[numCurrMergeCand - 1]` have all the following conditions met:
  - number of available reference lists for compared entries are same.
  - entries have same available reference list indices (e.g. list 0, list 1 or list 0 and list 1).
  - entries have same valid reference indices in corresponding references lists.
  - entries have same motion vectors corresponding to available reference lists.
- 2) If `candIsNew` is equal to `TRUE`, the variable `candIndx` is incremented by 1.

When `candIsNew` is equal to `FALSE`, the variable `numCurrMergeCand` is decremented by 1.

### 8.5.2.4 Derivation process for luma motion vector prediction

#### 8.5.2.4.1 General

Inputs to this process are:

- a luma location (`xCb`, `yCb`) of the top-left sample of the current luma coding block relative to the top-left luma sample of the current picture,
- two variables `nCbW` and `nCbH` specifying the width and the height of the current luma coding block, and
- the reference index of the current coding unit partition `refIdxLX`, with `X` being 0 or 1.

Output of this process is the prediction `mvpLX` of the motion vector `mvLX`, with `X` being 0 or 1.

If `sps_admvp_flag` is equal to 0, the following applies:

The motion vector predictor `mvpLX` with `X` being 0 or 1 is derived in the following ordered steps:

- 1) The variable `mvpLX` is set as follows:

$$\text{mvpLX}[0] = 0 \quad (617)$$

$$\text{mvpLX}[1] = 0 \quad (618)$$

- 2) When  $\text{refIdxLX}$  is not equal to  $-1$ , the derivation process for motion vector predictor from neighbouring coding unit partitions as specified in subclause 8.5.2.4.3 is invoked with the luma coding block location  $(x_{Cb}, y_{Cb})$ , the coding block width  $n_{CbW}$ , the coding block height  $n_{CbH}$ , the motion vector prediction index  $\text{mvpIdx}$  equal to  $\text{mvp\_idx\_lX}[x_{Cb}][y_{Cb}]$  and the reference list identifier  $\text{listX}$  set equal to  $X$ , with  $X$  being 0 or 1, as inputs, and the output being the motion vector predictor  $\text{mvPred}$ . The variable  $\text{mvpLX}$  is set equal to  $\text{mvPred}$ .

Otherwise ( $\text{sps\_admvp\_flag}$  is equal to 1), the following applies:

A variable  $\text{mvpAvailFlag}$  is set equal to 0.

The variable  $\text{availLR}$  is derived by invoking the derivation process for left and right neighbouring blocks availabilities as specified in subclause 6.4.2 with the luma location  $(x_{Cb}, y_{Cb})$  and the luma coding block width  $n_{CbW}$  as inputs.

If  $\text{availLR}$  is equal to  $\text{LR}_{11}$ , the following applies:

- The luma location  $(x_{NbA_1}, y_{NbA_1})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} - 1, y_{Cb} + n_{CbH} - 1)$ .
- The luma location  $(x_{NbB_1}, y_{NbB_1})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} + n_{CbW}, y_{Cb} + n_{CbH} - 1)$ .
- The luma location  $(x_{NbB_0}, y_{NbB_0})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb}, y_{Cb} - 1)$ .
- The luma location  $(x_{NbA_0}, y_{NbA_0})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} + n_{CbW}, y_{Cb} - 1)$ .
- The luma location  $(x_{NbB_2}, y_{NbB_2})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} - 1, y_{Cb} - 1)$ .

Otherwise, if  $\text{availLR}$  is equal to  $\text{LR}_{01}$ , the following applies:

- The luma location  $(x_{NbA_1}, y_{NbA_1})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} + n_{CbW}, y_{Cb} + n_{CbH} - 1)$ .
- The luma location  $(x_{NbB_1}, y_{NbB_1})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb}, y_{Cb} - 1)$ .
- The luma location  $(x_{NbB_0}, y_{NbB_0})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} - 1, y_{Cb} - 1)$ .
- The luma location  $(x_{NbA_0}, y_{NbA_0})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} + n_{CbW}, y_{Cb} + n_{CbH})$ .
- The luma location  $(x_{NbB_2}, y_{NbB_2})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} + n_{CbW}, y_{Cb} - 1)$ .

Otherwise, if  $\text{availLR}$  is equal to  $\text{LR}_{10}$  or  $\text{LR}_{00}$ , the following applies:

- The luma location (  $x_{NbA_1}, y_{NbA_1}$  ) inside the neighbouring luma coding block is set equal to (  $x_{Cb} - 1, y_{Cb} + n_{CbH} - 1$  ).
- The luma location (  $x_{NbB_1}, y_{NbB_1}$  ) inside the neighbouring luma coding block is set equal to (  $x_{Cb} + n_{CbW} - 1, y_{Cb} - 1$  ).
- The luma location (  $x_{NbB_0}, y_{NbB_0}$  ) inside the neighbouring luma coding block is set equal to (  $x_{Cb} + n_{CbW}, y_{Cb} - 1$  ).
- The luma location (  $x_{NbA_0}, y_{NbA_0}$  ) inside the neighbouring luma coding block is set equal to (  $x_{Cb} - 1, y_{Cb} + n_{CbH}$  ).
- The luma location (  $x_{NbB_2}, y_{NbB_2}$  ) inside the neighbouring luma coding block is set equal to (  $x_{Cb} - 1, y_{Cb} - 1$  ).

If  $amvr\_idx[x_0][y_0]$  is equal to 0, the following applies:

- The derivation process for neighbouring block motion vector candidate availability as specified in subclause 6.4.3 is invoked with the luma location (  $x_{NbA_1}, y_{NbA_1}$  ) as input, and the output is assigned to the coding block availability flag  $availableA_1$ .
- When  $availableA_1$  is equal to TRUE and  $RefIdxLX[x_{NbA_1}][y_{NbA_1}]$  is not equal to -1, the following applies:
  - $mvpAvailFlag$  is set equal to 1.
  - $mvpLX$  is set equal to  $MvLX[x_{NbA_1}][y_{NbA_1}]$ .
  - When  $refIdxLX$  is not equal to  $RefIdxLX[x_{NbA_1}][y_{NbA_1}]$ ,  $mvpLX$  is derived as follows:

- The POC distance (denoted as  $currPocDiffX$ ) between current picture and current picture's reference picture list  $RefPicListX[RefIdxLX[x_{NbA_1}][y_{NbA_1}]]$ , is computed as follows:

$$currPocDiffLX = DiffPicOrderCnt( currPic, RefPicListX[ RefIdxLX[ x_{NbA_1} ][ y_{NbA_1} ] ] ) \quad (619)$$

- The POC distance (denoted as  $targetPocDiffLX$ ) between current picture and the list X target reference picture of current picture is computed as follows:

$$targetPocDiffLX = DiffPicOrderCnt( currPic, RefPicListX[ refIdxLX ] ) \quad (620)$$

- $mvpLX$  is derived as a scaled version of the motion vector as follows:

$$distScaleFactorLX = ( targetPocDiffLX << 5 ) / currPocDiffLX \quad (621)$$

$$mvpLX = Clip3( -32768, 32767, Sign( distScaleFactorLX * mvpLX ) * ( ( Abs( distScaleFactorLX * mvpLX ) + 16 ) >> 5 ) ) \quad (622)$$

Otherwise, if  $amvr\_idx[x_0][y_0]$  is equal to 1, the following applies:

- The derivation process for neighbouring block motion vector candidate availability as specified in subclause 6.4.3 is invoked with the luma location (  $x_{NbB_1}, y_{NbB_1}$  ) as input, and the output is assigned to the coding block availability flag  $availableB_1$ .
- When  $availableB_1$  is equal to TRUE and  $RefIdxLX[x_{NbB_1}][y_{NbB_1}]$  is not equal to -1, the following applies:

- $mvAvailFlag$  is set equal to 1.
- $mvLX$  is set equal to  $MvLX[xNbB_1][yNbB_1]$ .
- When  $refIdxLX$  is not equal to  $RefIdxLX[xNbB_1][yNbB_1]$ ,  $mvLX$  is derived as follows:
  - The POC distance (denoted as  $currPocDiffX$ ) between current picture and current picture's reference picture list  $RefPicListX[RefIdxLX[xNbB_1][yNbB_1]]$ , is computed as follows:

$$currPocDiffLX = DiffPicOrderCnt( currPic, RefPicListX[ RefIdxLX[ xNbB_1 ][ yNbB_1 ] ] ) \quad (623)$$

- The POC distance (denoted as  $targetPocDiffLX$ ) between current picture and the list X target reference picture of current picture is computed as follows:

$$targetPocDiffLX = DiffPicOrderCnt( currPic, RefPicListX[ refIdxLX ] ) \quad (624)$$

- $mvLX$  is derived as a scaled version of the motion vector as follows:

$$distScaleFactorLX = ( targetPocDiffLX \ll 5 ) / currPocDiffLX \quad (625)$$

$$mvLX = Clip3( -32768, 32767, Sign( distScaleFactorLX * mvLX ) * ( ( Abs( distScaleFactorLX * mvLX ) + 16 ) \gg 5 ) ) \quad (626)$$

Otherwise, if  $amvr\_idx[x0][y0]$  is equal to 2, the following applies:

- The derivation process for neighbouring block motion vector candidate availability as specified in subclause 6.4.3 is invoked with the luma location  $(xNbB_0, yNbB_0)$  as input, and the output is assigned to the coding block availability flag  $availableB_0$ .
- When  $availableB_0$  is equal to TRUE and  $RefIdxLX[xNbB_0][yNbB_0]$  is not equal to -1, the following applies:
  - $mvAvailFlag$  is set equal to 1.
  - $mvLX$  is set equal to  $MvLX[xNbB_0][yNbB_0]$ .
  - When  $refIdxLX$  is not equal to  $RefIdxLX[xNbB_0][yNbB_0]$ ,  $mvLX$  is derived as follows:
    - The POC distance (denoted as  $currPocDiffX$ ) between current picture and current picture's reference picture list  $RefPicListX[RefIdxLX[xNbB_0][yNbB_0]]$ , is computed as follows:

$$currPocDiffLX = DiffPicOrderCnt( currPic, RefPicListX[ RefIdxLX[ xNbB_0 ][ yNbB_0 ] ] ) \quad (627)$$

- The POC distance (denoted as  $targetPocDiffLX$ ) between current picture and the list X target reference picture of current picture is computed as follows:

$$targetPocDiffLX = DiffPicOrderCnt( currPic, RefPicListX[ refIdxLX ] ) \quad (628)$$

- $mvLX$  is derived as a scaled version of the motion vector as follows:

$$distScaleFactorLX = ( targetPocDiffLX \ll 5 ) / currPocDiffLX \quad (629)$$

$$mvLX = Clip3( -32768, 32767, Sign( distScaleFactorLX * mvLX ) * ( ( Abs( distScaleFactorLX * mvLX ) + 16 ) \gg 5 ) ) \quad (630)$$

Otherwise, if  $amvr\_idx[x0][y0]$  is equal to 3, the following applies:

- The derivation process for neighbouring block motion vector candidate availability as specified in subclause 6.4.3 is invoked with the luma location (  $xNbA_0, yNbA_0$  ) as input, and the output is assigned to the coding block availability flag  $availableA_0$ .
- When  $availableA_0$  is equal to TRUE and  $RefIdxLX[ xNbA_0 ][ yNbA_0 ]$  is not equal to -1, the following applies:
  - $mvpAvailFlag$  is set equal to 1.
  - $mvpLX$  is set equal to  $MvLX[ xNbA_0 ][ yNbA_0 ]$ .
  - When  $refIdxLX$  is not equal to  $RefIdxLX[ xNbA_0 ][ yNbA_0 ]$ ,  $mvpLX$  is derived as follows:
    - The POC distance (denoted as  $currPocDiffX$ ) between current picture and current picture's reference picture list  $RefPicListX[ RefIdxLX[ xNbA_0 ][ yNbA_0 ] ]$ , is computed as follows:
 
$$currPocDiffLX = DiffPicOrderCnt( currPic, RefPicListX[ RefIdxLX[ xNbA_0 ][ yNbA_0 ] ] ) \quad (631)$$
    - The POC distance (denoted as  $targetPocDiffLX$ ) between current picture and the list X target reference picture of current picture is computed as follows:
 
$$targetPocDiffLX = DiffPicOrderCnt( currPic, RefPicListX[ refIdxLX ] ) \quad (632)$$
    - $mvpLX$  is derived as a scaled version of the motion vector as follows:
 
$$distScaleFactorLX = ( targetPocDiffLX << 5 ) / currPocDiffLX \quad (633)$$

$$mvpLX = Clip3( -32768, 32767, Sign( distScaleFactorLX * mvpLX ) * ( ( Abs( distScaleFactorLX * mvpLX ) + 16 ) >> 5 ) ) \quad (634)$$

Otherwise, if  $amvr\_idx[ x0 ][ y0 ]$  is equal to 4, the following applies:

- The derivation process for neighbouring block motion vector candidate availability as specified in subclause 6.4.3 is invoked with the luma location (  $xNbB_2, yNbB_2$  ) as input, and the output is assigned to the coding block availability flag  $availableB_2$ .
- When  $availableB_2$  is equal to TRUE and  $RefIdxLX[ xNbB_2 ][ yNbB_2 ]$  is not equal to -1, the following applies:
  - $mvpAvailFlag$  is set equal to 1.
  - $mvpLX$  is set equal to  $MvLX[ xNbB_2 ][ yNbB_2 ]$ .
  - When  $refIdxLX$  is not equal to  $RefIdxLX[ xNbB_2 ][ yNbB_2 ]$ ,  $mvpLX$  is derived as follows:
    - The POC distance (denoted as  $currPocDiffX$ ) between current picture and current picture's reference picture list  $RefPicListX[ RefIdxLX[ xNbB_2 ][ yNbB_2 ] ]$ , is computed as follows:
 
$$currPocDiffLX = DiffPicOrderCnt( currPic, RefPicListX[ RefIdxLX[ xNbB_2 ][ yNbB_2 ] ] ) \quad (635)$$
    - The POC distance (denoted as  $targetPocDiffLX$ ) between current picture and the list X target reference picture of current picture is computed as follows:
 
$$targetPocDiffLX = DiffPicOrderCnt( currPic, RefPicListX[ refIdxLX ] ) \quad (636)$$
    - $mvpLX$  is derived as a scaled version of the motion vector as follows:

$$\text{distScaleFactorLX} = ( \text{targetPocDiffLX} \ll 5 ) / \text{currPocDiffLX} \quad (637)$$

$$\text{mvpLX} = \text{Clip3}( -32768, 32767, \text{Sign}( \text{distScaleFactorLX} * \text{mvpLX} ) * \\ ( ( \text{Abs}( \text{distScaleFactorLX} * \text{mvpLX} ) + 16 ) \gg 5 ) ) \quad (638)$$

If `mvpAvailFlag` is equal to 0, the following applies:

- The derivation process for default reference index as specified in subclause 8.5.2.4.5.2 is invoked with the luma location ( `xCb`, `yCb` ), the current luma coding block width `nCbW`, the current luma coding block height `nCbH` and the reference index of the current coding unit partition `refIdxLX` as inputs, and the output is assigned to the default reference index `DefaultRefIdxLX`, with `X` being 0 or 1.
- The derivation process for default motion vector as specified in subclause 8.5.2.4.2 is invoked with the luma location ( `xCb`, `yCb` ), the current luma coding block width `nCbW`, the current luma coding block height `nCbH` and the reference index of the current coding unit partition `refIdxLX` as inputs, and the output is assigned to the default motion vector predictor `DefaultMvLX`, with `X` being 0 or 1.
- When `refIdxLX` is not equal to `DefaultRefIdxLX`, `DefaultMvLX` is derived as follows:

- The POC distance (denoted as `currPocDiffX`) between current picture and reference picture list `RefPicListX[ DefaultRefIdxLX ]`, is computed as follows:

$$\text{currPocDiffLX} = \text{DiffPicOrderCnt}( \text{currPic}, \text{RefPicListX}[ \text{DefaultRefIdxLX} ] ) \quad (639)$$

- The POC distance (denoted as `targetPocDiffLX`) between current picture and the list X target reference picture of current picture is computed as follows:

$$\text{targetPocDiffLX} = \text{DiffPicOrderCnt}( \text{currPic}, \text{RefPicListX}[ \text{refIdxLX} ] ) \quad (640)$$

- `DefaultMvLX` is derived as a scaled version of the motion vector as follows:

$$\text{distScaleFactorLX} = ( \text{targetPocDiffLX} \ll 5 ) / \text{currPocDiffLX} \quad (641)$$

$$\text{DefaultMvLX} = \text{Clip3}( -32768, 32767, \text{Sign}( \text{distScaleFactorLX} * \text{DefaultMvLX} ) * \\ ( ( \text{Abs}( \text{distScaleFactorLX} * \text{DefaultMvLX} ) + 16 ) \gg 5 ) ) \quad (642)$$

- The following applies:

$$\text{mvpLX}[ 0 ] = \text{DefaultMvLX}[ 0 ] \quad (643)$$

$$\text{mvpLX}[ 1 ] = \text{DefaultMvLX}[ 1 ] \quad (644)$$

When `sps_amvr_flag` is equal to 1 and `amvr_idx[ x0 ][ y0 ]` is not equal to 0, the following applies:

$$\text{mvpLX}[ 0 ] = \text{mvpLX}[ 0 ] \geq 0 ? \\ ( ( \text{mvpLX}[ 0 ] + ( 1 \ll ( \text{amvr\_idx}[ x0 ][ y0 ] - 1 ) ) ) \gg \text{amvr\_idx}[ x0 ][ y0 ] ) \ll \text{amvr\_idx}[ x0 ][ y0 ] : \\ - ( ( -\text{mvpLX}[ 0 ] + ( 1 \ll ( \text{amvr\_idx}[ x0 ][ y0 ] - 1 ) ) ) \gg \text{amvr\_idx}[ x0 ][ y0 ] ) \\ \ll \text{amvr\_idx}[ x0 ][ y0 ] \quad (645)$$

$$\text{mvpLX}[ 1 ] = \text{mvpLX}[ 1 ] \geq 0 ? \\ ( ( \text{mvpLX}[ 1 ] + ( 1 \ll ( \text{amvr\_idx}[ x0 ][ y0 ] - 1 ) ) ) \gg \text{amvr\_idx}[ x0 ][ y0 ] ) \ll \text{amvr\_idx}[ x0 ][ y0 ] : \\ - ( ( -\text{mvpLX}[ 1 ] + ( 1 \ll ( \text{amvr\_idx}[ x0 ][ y0 ] - 1 ) ) ) \gg \text{amvr\_idx}[ x0 ][ y0 ] ) \\ \ll \text{amvr\_idx}[ x0 ][ y0 ] \quad (646)$$

### 8.5.2.4.2 Derivation process for default motion vector prediction

Inputs to this process are:

- a luma location (  $x_{Cb}$ ,  $y_{Cb}$  ) of the top-left sample of the current luma coding block relative to the top-left luma sample of the current picture,
- two variables  $n_{CbW}$  and  $n_{CbH}$  specifying the width and the height of the current luma coding block, and
- the reference index of the current coding unit partition  $refIdxLX$ , with  $X$  being 0 or 1.

Output of this process is the  $DefaultMvLX$ , with  $X$  being 0 or 1.

The variable  $availLR$  is derived by invoking the derivation process for left and right neighbouring blocks availabilities as specified in subclause 6.4.2 with the luma location (  $x_{Cb}$ ,  $y_{Cb}$  ) and the luma coding block width  $n_{CbW}$  as inputs.

If  $availLR$  is equal to  $LR_{11}$ , the following applies:

- The luma location (  $x_{NbA_1}$ ,  $y_{NbA_1}$  ) inside the neighbouring luma coding block is set equal to (  $x_{Cb} - 1$ ,  $y_{Cb} + n_{CbH} - 1$  ).
- The luma location (  $x_{NbB_1}$ ,  $y_{NbB_1}$  ) inside the neighbouring luma coding block is set equal to (  $x_{Cb} + n_{CbW}$ ,  $y_{Cb} + n_{CbH} - 1$  ).

Otherwise, if  $availLR$  is equal to  $LR_{01}$ , the following applies:

- The luma location (  $x_{NbA_1}$ ,  $y_{NbA_1}$  ) inside the neighbouring luma coding block is set equal to (  $x_{Cb} + n_{CbW}$ ,  $y_{Cb} + n_{CbH} - 1$  ).
- The luma location (  $x_{NbB_1}$ ,  $y_{NbB_1}$  ) inside the neighbouring luma coding block is set equal to (  $x_{Cb}$ ,  $y_{Cb} - 1$  ).

Otherwise, if  $availLR$  is equal to  $LR_{10}$  or  $LR_{00}$ , the following applies:

- The luma location (  $x_{NbA_1}$ ,  $y_{NbA_1}$  ) inside the neighbouring luma coding block is set equal to (  $x_{Cb} - 1$ ,  $y_{Cb} + n_{CbH} - 1$  ).
- The luma location (  $x_{NbB_1}$ ,  $y_{NbB_1}$  ) inside the neighbouring luma coding block is set equal to (  $x_{Cb} + n_{CbW} - 1$ ,  $y_{Cb} - 1$  ).

For the derivation of  $DefaultMvLX$  with  $X$  being 0 or 1, the following applies:

- The derivation process for neighbouring block motion vector candidate availability as specified in subclause 6.4.3 is invoked with the luma location (  $x_{NbA_1}$ ,  $y_{NbA_1}$  ) as input, and the output is assigned to the coding block availability flag  $availableA_1$ .
- The derivation process for neighbouring block motion vector candidate availability as specified in subclause 6.4.3 is invoked with the luma location (  $x_{NbB_1}$ ,  $y_{NbB_1}$  ) as input, and the output is assigned to the coding block availability flag  $availableB_1$ .
- Both components of  $DefaultMvLX$  are set equal to 0.

- If  $\text{available}_{A_1}$  is equal to TRUE and  $\text{refIdx}_{LX}$  is equal to  $\text{RefIdx}_{LX}[\text{xNb}_{A_1}][\text{yNb}_{A_1}]$ ,  $\text{DefaultMv}_{LX}$  is set equal to  $\text{Mv}_{LX}[\text{xNb}_{A_1}][\text{yNb}_{A_1}]$ .
- Otherwise, if  $\text{available}_{B_1}$  is equal to TRUE and  $\text{refIdx}_{LX}$  is equal to  $\text{RefIdx}_{LX}[\text{xNb}_{B_1}][\text{yNb}_{B_1}]$ ,  $\text{DefaultMv}_{LX}$  is set equal to  $\text{Mv}_{LX}[\text{xNb}_{B_1}][\text{yNb}_{B_1}]$ .
- Otherwise, if  $\text{available}_{A_1}$  is equal to TRUE and  $\text{RefIdx}_{LX}[\text{xNb}_{A_1}][\text{yNb}_{A_1}]$  is not equal to  $-1$ ,  $\text{DefaultMv}_{LX}$  is set equal to  $\text{Mv}_{LX}[\text{xNb}_{A_1}][\text{yNb}_{A_1}]$ .
- Otherwise, if  $\text{available}_{B_1}$  is equal to TRUE and  $\text{RefIdx}_{LX}[\text{xNb}_{B_1}][\text{yNb}_{B_1}]$  is not equal to  $-1$ ,  $\text{DefaultMv}_{LX}$  is set equal to  $\text{Mv}_{LX}[\text{xNb}_{B_1}][\text{yNb}_{B_1}]$ .
- Otherwise, if  $\text{sps\_hmvp\_flag}$  is equal to 1 and  $\text{NumHmvpCand}$  ( number of entries in  $\text{HmvpCandList}$  ) is greater than 0, the  $\text{DefaultMv}_{LX}$  is set equal to the  $\text{DefaultMv}_{LX}$  of the history motion vector candidates derived as specified in subclause 8.5.2.4.4 with  $\text{refIdx}_{LX}$  as input.

#### 8.5.2.4.3 Derivation process for motion vector predictor from neighbouring coding unit partitions

This process is only invoked when  $\text{sps\_admvp\_flag}$  is equal to 0.

Inputs to this process are:

- a luma location  $(\text{xCb}, \text{yCb})$  of the top-left sample of the current luma coding block relative to the top-left luma sample of the current picture,
- two variables  $\text{nCbW}$  and  $\text{nCbH}$  specifying the width and the height of the current luma coding block,
- a motion vector prediction index  $\text{mvpIdx}$ , and
- a reference list identifier  $\text{listX}$ .

Output of this process is the motion vector predictor  $\text{mvPred}$ .

For  $X$  being replaced by  $\text{listX}$  in the variable  $\text{Mv}_{LX}$ , the motion vector predictors list,  $\text{mvpList}$ , is derived as follows:

For the derivation of  $\text{mvpList}[0]$ , the following applies:

- The luma location  $(\text{xNb}_0, \text{yNb}_0)$  inside the neighbouring luma coding block is set equal to  $(\text{xCb} - 1, \text{yCb})$ .
- The derivation process for neighbouring block availability as specified in subclause 6.4.1 is invoked with the luma location  $(\text{xNb}_0, \text{yNb}_0)$  as input, and the output is assigned to the coding block availability flag  $\text{available}_{Nb_0}$ .
- If  $\text{available}_{Nb_0}$  is equal to TRUE,  $\text{mvpList}[0]$  is derived as follows:

$$\text{mvpList}[0] = \text{Mv}_{LX}[\text{xNb}_0][\text{yNb}_0] \quad (647)$$

- Otherwise ( $\text{available}_{Nb_0}$  is equal to FALSE),  $\text{mvpList}[0]$  is derived as follows:

$$\text{mvpList}[0][0] = 1 \quad (648)$$

$$\text{mvpList}[0][1] = 1 \quad (649)$$

For the derivation of  $\text{mvpList}[1]$ , the following applies:

- The luma location  $(x_{Nb_1}, y_{Nb_1})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb}, y_{Cb} - 1)$ .
- The derivation process for neighbouring block availability as specified in subclause 6.4.1 is invoked the luma location  $(x_{Nb_1}, y_{Nb_1})$  as input, and the output is assigned to the coding block availability flag  $\text{availableNb}_1$ .
- If  $\text{availableNb}_1$  is equal to TRUE,  $\text{mvpList}[1]$  is derived as follows:

$$\text{mvpList}[1] = \text{MvLX}[x_{Nb_1}][y_{Nb_1}] \quad (650)$$

- Otherwise ( $\text{availableNb}_1$  is equal to FALSE),  $\text{mvpList}[1]$  is derived as follows:

$$\text{mvpList}[1][0] = 1 \quad (651)$$

$$\text{mvpList}[1][1] = 1 \quad (652)$$

For the derivation of  $\text{mvpList}[2]$ , the following applies:

- The luma location  $(x_{Nb_2}, y_{Nb_2})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} + x_{CbW}, y_{Cb} - 1)$ .
- The derivation process for neighbouring block availability as specified in subclause 6.4.1 is invoked the luma location  $(x_{Nb_2}, y_{Nb_2})$  as input, and the output is assigned to the coding block availability flag  $\text{availableNb}_2$ .
- If  $\text{availableNb}_2$  is equal to TRUE,  $\text{mvpList}[2]$  is derived as follows:

$$\text{mvpList}[2] = \text{MvLX}[x_{Nb_2}][y_{Nb_2}] \quad (653)$$

- Otherwise ( $\text{availableNb}_2$  is equal to FALSE),  $\text{mvpList}[2]$  is derived as follows:

$$\text{mvpList}[2][0] = 1 \quad (654)$$

$$\text{mvpList}[2][1] = 1 \quad (655)$$

For the derivation of  $\text{mvpList}[3]$ , the following applies:

- The variable  $\text{TempPic}$  is set equal to  $\text{RefPicListX}[0]$ .
- The luma location  $(x_{Nb_3}, y_{Nb_3})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb}, y_{Cb})$ .
- The variable  $\text{mvTemp}$  specifies the refined motion vector of list 0 ( $\text{MvDmvrL0}$ ) covering the luma location  $(x_{Nb_3}, y_{Nb_3})$  inside the temporal picture specified by  $\text{TempPic}$ .
- $\text{mvpList}[3]$  is derived as follows:

$$\text{mvpList}[3] = \text{mvTemp} \quad (656)$$

The variable  $\text{mvPred}$  is set equal to  $\text{mvpList}[\text{mvpIdx}]$ .

#### 8.5.2.4.4 Derivation process for history-based motion vector prediction candidates

Input to this process is the current reference picture index  $curRefIdxLX$ , with  $X$  being 0 or 1.

Outputs to this process are:

- the  $DefaultMvLX$ , with  $X$  being 0 or 1, and
- the  $DefaultRefIdxLX$ , with  $X$  being 0 or 1.

A variable  $HmvpMVList$  is defined as the history based motion vector table derived from  $HmvpCandList$ . A variable  $HmvpRefList$  is defined as the reference indices table derived from  $HmvpCandList$ . A variable  $NumHmvpCand$  is set equal to the number of motion entries in  $HmvpCandList$ .

For a given reference list  $X$ , with  $X$  being 0 or 1, for each index  $hMvpIdx$  with  $hMvpIdx = 1..Min(4, NumHmvpCand)$  in  $HmvpMVList[NumHmvpCand - hMvpIdx]$  and  $HmvpRefList[NumHmvpCand - hMvpIdx]$ , the following steps are executed until the variable  $HMVPDerived$  is equal to TRUE:

- 1)  $hMvpIdx$  is set equal to 1,  $HMVPDerived$  is set equal to FALSE.
- 2) If  $curRefIdxLX$  is equal to  $HmvpRefList[NumHmvpCand - hMvpIdx][X]$ , with  $X$  being 0 or 1,  $DefaultRefIdxLX$  is set equal to  $HmvpRefList[NumHmvpCand - hMvpIdx][X]$  and  $DefaultMvLX$  is set equal to  $NumHmvpCand[HMVPNum - hMvpIdx][X]$  and  $HMVPDerived$  is set equal to TRUE, otherwise  $hMvpIdx++$ .
- 3) If  $HMVPDerived$  is equal to FALSE and  $hMvpIdx < Min(4, NumHmvpCand)$ , repeat step 2.

If  $HMVPDerived$  is equal to FALSE, variable  $DefaultRefIdxLX$  and  $DefaultMvLX$  are derived as follows:

- 1)  $hMvpIdx$  is set equal to 1.
- 2) If  $HmvpRefList[NumHmvpCand - hMvpIdx][X]$  is valid,  $DefaultRefIdxLX$  is set equal to  $HmvpRefList[NumHmvpCand - hMvpIdx][X]$  and  $DefaultMvLX$  is set equal to  $HmvpMVList[NumHmvpCand - hMvpIdx][X]$  and  $HMVPDerived$  is set equal to TRUE, otherwise  $hMvpIdx++$ .
- 3) If  $HMVPDerived$  is equal to FALSE and  $hMvpIdx < Min(4, NumHmvpCand)$ , repeat step 2.

If  $HMVPDerived$  is equal to FALSE,  $DefaultMvLX[0]$ , and  $DefaultMvLX[1]$  and  $DefaultRefIdxLX$  are set equal to 0.

#### 8.5.2.4.5 Derivation process for the luma reference index

##### 8.5.2.4.5.1 General

Inputs to this process are:

- a luma location ( $xCb, yCb$ ) of the top-left sample of the current luma coding block relative to the top-left luma sample of the current picture, and
- two variables  $nCbW$  and  $nCbH$  specifying the width and the height of the current luma coding block.

Output of this process is the reference index  $refIdxLX$ .

The variable `availLR` is derived by invoking the derivation process for left and right neighbouring blocks availabilities as specified in subclause 6.4.2 with the luma location  $(x_{Cb}, y_{Cb})$  and the luma coding block width `nCbW` as inputs.

If `availLR` is equal to `LR_11`, the following applies:

- The luma location  $(x_{NbA_1}, y_{NbA_1})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} - 1, y_{Cb} + n_{CbH} - 1)$ .
- The luma location  $(x_{NbB_1}, y_{NbB_1})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} + n_{CbW}, y_{Cb} + n_{CbH} - 1)$ .
- The luma location  $(x_{NbB_0}, y_{NbB_0})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb}, y_{Cb} - 1)$ .
- The luma location  $(x_{NbA_0}, y_{NbA_0})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} + n_{CbW}, y_{Cb} - 1)$ .
- The luma location  $(x_{NbB_2}, y_{NbB_2})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} - 1, y_{Cb} - 1)$ .

Otherwise, if `availLR` is equal to `LR_01`, the following applies:

- The luma location  $(x_{NbA_1}, y_{NbA_1})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} + n_{CbW}, y_{Cb} + n_{CbH} - 1)$ .
- The luma location  $(x_{NbB_1}, y_{NbB_1})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb}, y_{Cb} - 1)$ .
- The luma location  $(x_{NbB_0}, y_{NbB_0})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} - 1, y_{Cb} - 1)$ .
- The luma location  $(x_{NbA_0}, y_{NbA_0})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} + n_{CbW}, y_{Cb} + n_{CbH})$ .
- The luma location  $(x_{NbB_2}, y_{NbB_2})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} + n_{CbW}, y_{Cb} - 1)$ .

Otherwise, if `availLR` is equal to `LR_10` or `LR_00`, the following applies:

- The luma location  $(x_{NbA_1}, y_{NbA_1})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} - 1, y_{Cb} + n_{CbH} - 1)$ .
- The luma location  $(x_{NbB_1}, y_{NbB_1})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} + n_{CbW} - 1, y_{Cb} - 1)$ .
- The luma location  $(x_{NbB_0}, y_{NbB_0})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} + n_{CbW}, y_{Cb} - 1)$ .
- The luma location  $(x_{NbA_0}, y_{NbA_0})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} - 1, y_{Cb} + n_{CbH})$ .
- The luma location  $(x_{NbB_2}, y_{NbB_2})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} - 1, y_{Cb} - 1)$ .

The derivation process for default reference index as specified in subclause 8.5.2.4.5.2 is invoked with the luma location  $(x_{Cb}, y_{Cb})$ , the current luma coding block width  $n_{CbW}$ , the current luma coding block height  $n_{CbH}$  and the reference index of the current coding unit partition set equal to 0 as inputs, and the output is assigned to the default reference index  $DefaultRefIdxLX$ , with  $X$  being 0 or 1.

If  $amvr\_idx[x_0][y_0]$  is equal to 0, the following applies:

- The derivation process for neighbouring block motion vector candidate availability as specified in subclause 6.4.3 is invoked with the luma location  $(x_{NbA_1}, y_{NbA_1})$  as input, and the output is assigned to the coding block availability flag  $availableA_1$ .
- If  $availableA_1$  is equal to FALSE,  $refIdxLX$  is set equal to  $DefaultRefIdxLX$ .
- Otherwise, the following applies:
  - If  $RefIdxLX[x_{NbA_1}][y_{NbA_1}]$  is not equal to -1,  $refIdxLX$  is set equal to  $RefIdxLX[x_{NbA_1}][y_{NbA_1}]$ .
  - Otherwise,  $refIdxLX$  is set equal to  $DefaultRefIdxLX$ .

Otherwise, if  $amvr\_idx[x_0][y_0]$  is equal to 1, the following applies:

- The derivation process for neighbouring block motion vector candidate availability as specified in subclause 6.4.3 is invoked with the luma location  $(x_{NbB_1}, y_{NbB_1})$  as input, and the output is assigned to the coding block availability flag  $availableB_1$ .
- If  $availableB_1$  is equal to FALSE,  $refIdxLX$  is set equal to  $DefaultRefIdxLX$ .
- Otherwise, the following applies:
  - If  $RefIdxLX[x_{NbB_1}][y_{NbB_1}]$  is not equal to -1,  $refIdxLX$  is set equal to  $RefIdxLX[x_{NbB_1}][y_{NbB_1}]$ .
  - Otherwise,  $refIdxLX$  is set equal to  $DefaultRefIdxLX$ .

Otherwise, if  $amvr\_idx[x_0][y_0]$  is equal to 2, the following applies:

- The derivation process for neighbouring block motion vector candidate availability as specified in subclause 6.4.3 is invoked with the luma location  $(x_{NbB_0}, y_{NbB_0})$  as input, and the output is assigned to the coding block availability flag  $availableB_0$ .
- If  $availableB_0$  is equal to FALSE,  $refIdxLX$  is set equal to  $DefaultRefIdxLX$ .
- Otherwise, the following applies:
  - If  $RefIdxLX[x_{NbB_0}][y_{NbB_0}]$  is not equal to -1,  $refIdxLX$  is set equal to  $RefIdxLX[x_{NbB_0}][y_{NbB_0}]$ .
  - Otherwise,  $refIdxLX$  is set equal to  $DefaultRefIdxLX$ .

Otherwise, if  $amvr\_idx[x_0][y_0]$  is equal to 3, the following applies:

- The derivation process for neighbouring block motion vector candidate availability as specified in subclause 6.4.3 is invoked with the luma location  $(x_{NbA_0}, y_{NbA_0})$  as input, and the output is assigned to the coding block availability flag  $availableA_0$ .

- If availableA<sub>0</sub> is equal to FALSE, refldxLX is set equal to DefaultRefldxLX.
- Otherwise, the following applies:
  - If RefldxLX[ xNbA<sub>0</sub> ][ yNbA<sub>0</sub> ] is not equal to -1, refldxLX is set equal to RefldxLX[ xNbA<sub>0</sub> ][ yNbA<sub>0</sub> ].
  - Otherwise, refldxLX is set equal to DefaultRefldxLX.

Otherwise, if amvr\_idx[ x0 ][ y0 ] is equal to 4, the following applies:

- The derivation process for neighbouring block motion vector candidate availability as specified in subclause 6.4.3 is invoked with the luma location ( xNbB<sub>2</sub>, yNbB<sub>2</sub> ) as input, and the output is assigned to the coding block availability flag availableB<sub>2</sub>.
- If availableB<sub>2</sub> is equal to FALSE, refldxLX is set equal to DefaultRefldxLX.
- Otherwise, the following applies:
  - If RefldxLX[ xNbB<sub>2</sub> ][ yNbB<sub>2</sub> ] is not equal to -1, refldxLX is set equal to RefldxLX[ xNbB<sub>2</sub> ][ yNbB<sub>2</sub> ].
  - Otherwise, refldxLX is set equal to DefaultRefldxLX.

#### 8.5.2.4.5.2 Derivation process for default reference index

Inputs to this process are:

- a luma location ( xCb, yCb ) of the top-left sample of the current luma coding block relative to the top-left luma sample of the current picture,
- two variables nCbW and nCbH specifying the width and the height of the current luma coding block, and
- the reference index of the current coding unit partition refldxLX, with X being 0 or 1.

Output of this process is the DefaultRefldxLX, with X being 0 or 1.

The variable availLR is derived by invoking the derivation process for left and right neighbouring blocks availabilities as specified in subclause 6.4.2 with the luma location ( xCb, yCb ) and the luma coding block width nCbW as inputs.

If availLR is equal to LR\_11, the following applies:

- The luma location ( xNbA<sub>1</sub>, yNbA<sub>1</sub> ) inside the neighbouring luma coding block is set equal to ( xCb - 1, yCb + nCbH - 1 ).
- The luma location ( xNbB<sub>1</sub>, yNbB<sub>1</sub> ) inside the neighbouring luma coding block is set equal to ( xCb + nCbW, yCb + nCbH - 1 ).

Otherwise, if availLR is equal to LR\_01, the following applies:

- The luma location ( xNbA<sub>1</sub>, yNbA<sub>1</sub> ) inside the neighbouring luma coding block is set equal to ( xCb + nCbW, yCb + nCbH - 1 ).

- The luma location  $(x_{NbB_1}, y_{NbB_1})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb}, y_{Cb} - 1)$ .

Otherwise, if  $availLR$  is equal to  $LR_{10}$  or  $LR_{00}$ , the following applies:

- The luma location  $(x_{NbA_1}, y_{NbA_1})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} - 1, y_{Cb} + n_{CbH} - 1)$ .
- The luma location  $(x_{NbB_1}, y_{NbB_1})$  inside the neighbouring luma coding block is set equal to  $(x_{Cb} + n_{CbW} - 1, y_{Cb} - 1)$ .

For the derivation of  $DefaultRefIdxLX$  with  $X$  being 0 or 1, the following applies:

- The derivation process for neighbouring block motion vector candidate availability as specified in subclause 6.4.3 is invoked with the luma location  $(x_{NbA_1}, y_{NbA_1})$  as input, and the output is assigned to the coding block availability flag  $availableA_1$ .
- The derivation process for neighbouring block motion vector candidate availability as specified in subclause 6.4.3 is invoked with the luma location  $(x_{NbB_1}, y_{NbB_1})$  as input, and the output is assigned to the coding block availability flag  $availableB_1$ .
- $DefaultRefIdxLX$  is set equal to 0.
- If  $availableA_1$  is equal to TRUE and  $refIdxLX$  is equal to  $RefIdxLX[x_{NbA_1}][y_{NbA_1}]$ ,  $DefaultRefIdxLX$  is set equal to  $refIdxLX$ .
- Otherwise, if  $availableB_1$  is equal to TRUE and  $refIdxLX$  is equal to  $RefIdxLX[x_{NbB_1}][y_{NbB_1}]$ ,  $DefaultRefIdxLX$  is set equal to  $refIdxLX$ .
- Otherwise, if  $availableA_1$  is equal to TRUE and  $RefIdxLX[x_{NbA_1}][y_{NbA_1}]$  is not equal to  $-1$ ,  $DefaultRefIdxLX$  is set equal to  $RefIdxLX[x_{NbA_1}][y_{NbA_1}]$ .
- Otherwise, if  $availableB_1$  is equal to TRUE and  $RefIdxLX[x_{NbB_1}][y_{NbB_1}]$  is not equal to  $-1$ ,  $DefaultRefIdxLX$  is set equal to  $RefIdxLX[x_{NbB_1}][y_{NbB_1}]$ .
- Otherwise, if  $sps\_hmv\_flag$  is equal to 1 and  $NumHmvpCand$  ( number of entries in  $HmvpCandList$  ) is greater than 0, the  $DefaultRefIdxLX$  is set equal to the  $DefaultRefIdxLX$  of the history motion vector candidates derived as specified in subclause 8.5.2.4.4 with  $refIdxLX$  as input.

#### 8.5.2.5 Derivation process for luma motion vectors for direct mode

Inputs to this process are:

- a luma location  $(x_{Cb}, y_{Cb})$  of the top-left sample of the current luma coding block relative to the top-left luma sample of the current picture, and
- two variables  $n_{CbW}$  and  $n_{CbH}$  specifying the width and the height of the current luma coding block.

Outputs of this process are:

- the luma motion vectors  $mvL0[0][0]$  and  $mvL1[0][0]$ ,
- the reference indices  $refIdxL0$  and  $refIdxL1$ , and
- the prediction list utilization flags  $predFlagL0[0][0]$  and  $predFlagL1[0][0]$ .

The variable currPic specifies the current picture.

For the derivation of the variables mvL0[0][0] and mvL1[0][0], refIdxL0 and refIdxL1, and predFlagL0[0][0] and predFlagL1[0][0], the following applies:

- The variables mvL0[0][0], mvL1[0][0], refIdxL0, refIdxL1, predFlagL0[0][0] and predFlagL1[0][0] are set as follows:

$$\text{mvL0}[0][0] = 0 \quad (657)$$

$$\text{mvL0}[0][1] = 0 \quad (658)$$

$$\text{mvL1}[0][0] = 0 \quad (659)$$

$$\text{mvL1}[0][1] = 0 \quad (660)$$

$$\text{refIdxL0} = 0 \quad (661)$$

$$\text{refIdxL1} = 0 \quad (662)$$

$$\text{predFlagL0}[0][0] = 1 \quad (663)$$

$$\text{predFlagL1}[0][0] = 0 \quad (664)$$

- The variable TempPic is set equal to RefPicList1[0].
- The motion vector mvTemp is set equal to the refined motion vector of list 0 (MvDmvrL0) covering the luma location (xCb + nCbW - 1, yCb + nCbH - 1) inside the temporal picture specified by TempPic.
- The variable refPicListTemp[0] is set equal to the picture with reference index 0 in the reference picture list of the coding block covering the luma location (xCb, yCb) in the temporal picture specified by TempPic.
- The variables diffPocNorm and diffPocDeNormL0 are derived as follows:

$$\text{diffPocDeNorm} = \text{DiffPicOrderCnt}(\text{TempPic}, \text{refPicListTemp}[0]) \quad (665)$$

$$\text{diffPocNormL0} = \text{DiffPicOrderCnt}(\text{currPic}, \text{RefPicList0}[0]) \quad (666)$$

$$\text{diffPocNormL1} = \text{DiffPicOrderCnt}(\text{RefPicList1}[0], \text{currPic}) \quad (667)$$

- If diffPocDeNorm is equal to 0, the following applies:

$$\text{mvL0}[0][0] = 0 \quad (668)$$

$$\text{mvL0}[0][1] = 0 \quad (669)$$

$$\text{mvL1}[0][0] = 0 \quad (670)$$

$$\text{mvL1}[0][1] = 0 \quad (671)$$

- Otherwise, the following applies:

$$\text{mvL0}[0][0] = \text{diffPocNormL0} * \text{mvTemp}[0] / \text{diffPocDeNorm} \quad (672)$$

$$mvL0[0][0][1] = diffPocNormL0 * mvTemp[1] / diffPocDeNorm \quad (673)$$

$$mvL1[0][0][0] = -diffPocNormL1 * mvTemp[0] / diffPocDeNorm \quad (674)$$

$$mvL1[0][0][1] = -diffPocNormL1 * mvTemp[1] / diffPocDeNorm \quad (675)$$

### 8.5.2.6 Derivation process for chroma motion vector

Input to this process is a luma motion vector mvLX.

Output of this process is a chroma motion vector mvCLX.

A chroma motion vector is derived from the corresponding luma motion vector.

For the derivation of the chroma motion vector mvCLX, the following applies:

$$mvCLX[0] = mvLX[0] * 2 / SubWidthC \quad (676)$$

$$mvCLX[1] = mvLX[1] * 2 / SubHeightC \quad (677)$$

### 8.5.2.7 Updating process for the history-based motion vector predictor candidate list

Inputs to this process are:

- luma motion vectors in 1/4 fractional-sample accuracy mvL0 and mvL1, and
- reference indices refIdxL0 and refIdxL1.

HmvpCandList is a list of entries, each of those consists of the luma motion vectors mvL0candN and mvL1candN, the reference indices refIdxL0candN and refIdxL1candN. Number of entries in HmvpCandList is equal to NumHmvpCand. If NumHmvpCand is equal to zero, HmvpCandList is set equal to the empty list.

The MVP candidate hMvpCand is set equal to entry consisting of the luma motion vectors mvL0 and mvL1, the reference indices refIdxL0 and refIdxL1. If NumHmvpCand is smaller than 23, for each index hMvpIdx = NumHmvpCand..22, both components of motion vectors of HmvpCandList[hMvpIdx] mvL0 and mvL1 are set equal to 0 and reference indices of HmvpCandList[hMvpIdx] refIdxL0 and refIdxL1 is set equal to -1.

If slice\_type is equal to P and refIdxL0 is valid or if slice\_type is equal to B and either refIdxL0 or refIdxL1 is valid, the candidate list HmvpCandList is modified using the candidate mvCand by the following ordered steps:

- 1) The variable curIdx is set equal to NumHmvpCand.
- 2) If NumHmvpCand is equal to 23, for each index hMvpIdx = 1..NumHmvpCand - 1, copy HmvpCandList[hMvpIdx] to HmvpCandList[hMvpIdx - 1].
- 3) Copy hMvpCand to HmvpCandList[hMvpIdx].
- 4) If NumHmvpCand is smaller than 23, NumHmvpCand is increased by 1.

**8.5.2.8 Conversion luma motion vectors from 1/16 fractional-sample accuracy to 1/4 fractional-sample accuracy**

Input to this process is the motion vector mv in 1/16 pel accuracy.

Output of the process is the motion vector mv in 1/4 pel accuracy.

For the conversion of the luma motion vector mv, the following applies:

$$mv[0] = mv[0] \gg 2 \tag{678}$$

$$mv[1] = mv[1] \gg 2 \tag{679}$$

**8.5.2.9 Conversion luma motion vectors from 1/4 fractional-sample accuracy to 1/16 fractional-sample accuracy**

Input to this process is the motion vector mv in 1/4 pel accuracy.

Output of the process is the motion vector mv in 1/16 pel accuracy.

For the conversion of the luma motion vector mv, the following applies:

$$mv[0] = mv[0] \ll 2 \tag{680}$$

$$mv[1] = mv[1] \ll 2 \tag{681}$$

**8.5.3 Derivation process for affine motion vector components and reference indices**

**8.5.3.1 General**

Inputs to this process are:

- a luma location ( xCb, yCb ) of the top-left sample of the current luma coding block relative to the top-left luma sample of the current picture,
- a variable cbWidth specifying the width of the current coding block in luma samples, and
- a variable cbHeight specifying the height of the current coding block in luma samples.

Outputs of this process are:

- the reference indices refIdxLX with X being 0 and 1,
- the prediction list utilization flags predFlagLX with X being 0 and 1,
- the number of luma coding subblocks in horizontal direction numSbX and in vertical direction numSbY,
- the flag specifying motion vector clipping type clipMV,
- the luma subblock motion vector array in 1/16 fractional-sample accuracy mvLX[ xSbIdx ][ ySbIdx ] with xSbIdx = 0..numSbX - 1, ySbIdx = 0..numSbY - 1, X being 0 and 1,
- the chroma subblock motion vector array in 1/32 fractional-sample accuracy mvCLX[ xSbIdx ][ ySbIdx ] with xSbIdx = 0..numSbX - 1, ySbIdx = 0..numSbY - 1, X being 0 and 1,

- the number of control point motion vectors numCpMv, and
- the control point motion vectors cpMvLX[ cpIdx ] with cpIdx = 0..numCpMv - 1, X being 0 and 1.

For the derivation of the variables mvL0[ xSbIdx ][ ySbIdx ], mvL1[ xSbIdx ][ ySbIdx ], mvCL0[ xSbIdx ][ ySbIdx ], mvCL1[ xSbIdx ][ ySbIdx ], refldxL0, refldxL1, numSbX, numSbY, predFlagL0[ xSbIdx ][ ySbIdx ], and predFlagL1[ xSbIdx ][ ySbIdx ], the following applies:

- For the derivation of the number of control point motion vectors numCpMv, the control point motion vectors cpMvL0[ cpIdx ] and cpMvL1[ cpIdx ] with cpIdx ranging from 0 to numCpMv - 1, refldxL0, refldxL1, predFlagL0 and predFlagL1, the following applies:
  - If merge\_mode\_flag[ xCb ][ yCb ] is equal to 1, the derivation process for motion vectors and reference indices in affine merge mode as specified in subclause 8.5.3.2 is invoked with the luma coding block location ( xCb, yCb ), the luma coding block width cbWidth, the luma coding block height cbHeight, the variable availLR specifying left and right neighbouring blocks' availability of luma coding block as inputs, the number of control point motion vectors numCpMv, the luma affine control point motion vectors cpMvL0[ cpIdx ] and cpMvL1[ cpIdx ] with cpIdx ranging from 0 to numCpMv - 1, the reference indices refldxL0 and refldxL1, and the prediction list utilization flags predFlagL0 and predFlagL1 as outputs.
  - Otherwise (merge\_mode\_flag[ xCb ][ yCb ] is equal to 0), for X being replaced by either 0 or 1 in the variables predFlagLX, cpMvLX, MvdCpLX, and refldxLX, in PRED\_LX, and in the syntax element ref\_idx\_IX, the following ordered steps apply:

1) The number of control point motion vectors numCpMv is set equal to MotionModelIdc[ xCb ][ yCb ] + 1

2) The variables refldxLX and predFlagLX are derived as follows:

- If inter\_pred\_idc[ xCb ][ yCb ] is equal to PRED\_LX or PRED\_BI, the following applies:

$$\text{refIdxLX} = \text{ref\_idx\_IX}[ \text{xCb} ][ \text{yCb} ] \quad (682)$$

$$\text{predFlagLX}[ 0 ][ 0 ] = 1 \quad (683)$$

- Otherwise, the variables refldxLX and predFlagLX are specified as follows:

$$\text{refIdxLX} = -1 \quad (684)$$

$$\text{predFlagLX}[ 0 ][ 0 ] = 0 \quad (685)$$

3) The variable mvdCpLX[ cpIdx ] with cpIdx ranging from 0 to numCpMv - 1, is derived as follows:

$$\text{mvdCpLX}[ \text{cpIdx} ][ 0 ] = \text{MvdCpLX}[ \text{xCb} ][ \text{yCb} ][ \text{cpIdx} ][ 0 ] \quad (686)$$

$$\text{mvdCpLX}[ \text{cpIdx} ][ 1 ] = \text{MvdCpLX}[ \text{xCb} ][ \text{yCb} ][ \text{cpIdx} ][ 1 ] \quad (687)$$

4) When predFlagLX[ 0 ][ 0 ] is equal to 1, the derivation process for luma affine control point motion vector predictors as specified in subclause 8.5.3.5 is invoked with the luma coding block location ( xCb, yCb ), and the variables cbWidth, cbHeight, refldxLX, and the number of control point motion vectors numCpMv, the variable availLR specifying left and right neighbouring blocks' availability of luma coding block as inputs, and the outputs being the

luma affine control point motion vector predictors  $mvpCpLX[cpIdx]$  with  $cpIdx$  ranging from 0 to  $numCpMv - 1$ .

- 5) When  $predFlagLX[0][0]$  is equal to 1, the luma motion vectors  $cpMvLX[cpIdx]$  with  $cpIdx$  ranging from 0 to  $numCpMv - 1$ , are derived as follows:

$$uLX[cpIdx][0] = (mvpCpLX[cpIdx][0] + mvdCpLX[cpIdx][0] + 2^{16}) \% 2^{16} \quad (688)$$

$$cpMvLX[cpIdx][0] = (uLX[cpIdx][0] \geq 2^{15}) ? (uLX[cpIdx][0] - 2^{16}) : uLX[cpIdx][0] \quad (689)$$

$$uLX[cpIdx][1] = (mvpCpLX[cpIdx][1] + mvdCpLX[cpIdx][1] + 2^{16}) \% 2^{16} \quad (690)$$

$$cpMvLX[cpIdx][1] = (uLX[cpIdx][1] \geq 2^{15}) ? (uLX[cpIdx][1] - 2^{16}) : uLX[cpIdx][1] \quad (691)$$

- The derivation process for affine subblock size as specified in subclause 8.5.3.8 is invoked with the luma coding block width  $cbWidth$ , the luma coding block height  $cbHeight$ , the number of control point motion vectors  $numCpMv$ , the control point motion vectors  $cpMvL0[cpIdx]$ ,  $cpMvL1[cpIdx]$  with  $cpIdx$  being 0..2, and the prediction list utilization flags  $predFlagL0$  and  $predFlagL1$  as inputs, the size of luma coding subblocks in horizontal direction  $sizeSbX$  and in vertical direction  $sizeSbY$ , the number of luma coding subblocks in horizontal direction  $numSbX$  and in vertical direction  $numSbY$ , and the flag  $clipMV$  specifying motion vector clipping type as outputs.

- The derivation process for subblock motion vector arrays from affine control point motion vectors as specified in subclause 8.5.3.7 is invoked with the luma coding block location  $(xCb, yCb)$ , the luma coding block width  $cbWidth$ , the luma coding block height  $cbHeight$ , the number of control point motion vectors  $numCpMv$ , the control point motion vectors  $cpMvL0[cpIdx]$ ,  $cpMvL1[cpIdx]$  with  $cpIdx$  being 0..2, the prediction list utilization flags  $predFlagL0$  and  $predFlagL1$ , and the reference indices  $refIdxL0$  and  $refIdxL1$  as inputs, and the number of luma coding subblocks in horizontal direction  $numSbX$  and in vertical direction  $numSbY$ , the size of luma coding subblocks in horizontal direction  $sizeSbX$  and in vertical direction  $sizeSbY$ , luma motion vector array  $mvLX[xSbIdx][ySbIdx]$  and the chroma motion vector array  $mvCLX[xSbIdx][ySbIdx]$  with  $xSbIdx = 0..numSbXLX - 1$ ,  $ySbIdx = 0..numSbYLY - 1$ ,  $X$  being 0 and 1 as outputs.

- For  $xSbIdx = 0..numSbX - 1$  and  $ySbIdx = 0..numSbY - 1$ , the motion vectors  $MvLX$  with  $X$  being 0 and 1 are derived as follows:

- The luma location  $(xSb, ySb)$  specifying the top-left sample of the current coding subblock relative to the top-left luma sample of the current picture is derived as follows:

$$(xSb, ySb) = (xCb + xSbIdx * sizeSbX, yCb + ySbIdx * sizeSbY) \quad (692)$$

- If  $xSbIdx$  and  $ySbIdx$  are both equal to 0 (top-left subblock), the following applies for  $x = 0..sizeSbX - 1$  and  $y = 0..sizeSbY - 1$ :

$$MvLX[xSb + x][ySb + y] = cpMvLX[0] \quad (693)$$

- Otherwise, if  $xSbIdx$  is equal to  $numSbX - 1$  and  $ySbIdx$  is equal to 0 (top-right subblock), the following applies for  $x = 0..sizeSbX - 1$  and  $y = 0..sizeSbY - 1$ :

$$MvLX[xSb + x][ySb + y] = cpMvLX[1] \quad (694)$$

- Otherwise, if  $numCpMv$  is equal to 3 and  $xSbIdx$  is equal to 0 and  $ySbIdx$  is equal to  $numSbY - 1$  (below-left subblock), the following applies for  $x = 0..sizeSbX - 1$  and  $y = 0..sizeSbY - 1$ :

$$MvLX[xSb + x][ySb + y] = cpMvLX[2] \quad (695)$$

- Otherwise, for  $x = 0..sizeSbX - 1$  and  $y = 0..sizeSbY - 1$  motion vector  $MvLX[xSb + x][ySb + y]$  is set equal to motion vector  $mvLX[xSbIdx][ySbIdx]$  converted from 1/16 fractional-sample accuracy to 1/4 fractional-sample accuracy as specified in subclause 8.5.2.8.
- When `sps_hmvp_flag` is equal to 1, the updating process for the history-based motion vector predictor list as specified in subclause 8.5.2.7. is invoked with affine luma motion vectors `center_mvLX` and `refIdxLX` with  $X$  being 0 and 1.
- Affine motion vector `center_mvLX` for position  $cbWidth \gg 1$  and  $cbHeight \gg 1$  are derived as follows:
  - The variable `numCpMv` is set equal to the number of control point motion vectors, `cpMvLX[cpIdx]` are set equal to the control point motion vectors of current block, with  $cpIdx = 0..numCpMv - 1$  and  $X$  being 0 or 1.
  - Horizontal change of motion vector  $dX$ , vertical change of motion vector  $dY$  and base motion vector `mvBaseScaled` are derived by invoking the process as specified in subclause 8.5.3.9 with the luma coding block width  $cbWidth$ , the luma coding block height  $cbHeight$ , number of control point motion vectors `numCpMv` and the control point motion vectors `cpMvLX[cpIdx]` with  $cpIdx = 0..numCpMv - 1$  as inputs.

$$xPosSb = cbWidth \gg 1 \quad (696)$$

$$yPosSb = cbHeight \gg 1 \quad (697)$$

$$mvLX[0] = (mvBaseScaled[0] + dX[0] * xPosSb + dY[0] * yPosSb) \quad (698)$$

$$mvLX[1] = (mvBaseScaled[1] + dX[1] * xPosSb + dY[1] * yPosSb) \quad (699)$$

- The rounding process for motion vectors as specified in subclause 8.5.3.10 is invoked the with `mvX` set equal to `mvLX`, `rightShift` set equal to 7, and `leftShift` set equal to 0 as inputs, and the rounded `mvLX` as output.
- The motion vectors `mvLX` are clipped as follows:
  - $$center\_mvLX[0] = Clip3(-2^{15}, 2^{15} - 1, mvLX[0]) \quad (700)$$
  - $$center\_mvLX[1] = Clip3(-2^{15}, 2^{15} - 1, mvLX[1]) \quad (701)$$
- For  $x = 0..cbWidth - 1$  and  $y = 0..cbHeight - 1$ , the reference indices `refIdxLX` and the prediction list utilization flags `PredFlagLX` with  $X$  being 0 and 1 are derived as follows:

$$RefIdxL0[xCb + x][yCb + y] = refIdxL0 \quad (702)$$

$$RefIdxL1[xCb + x][yCb + y] = refIdxL1 \quad (703)$$

$$PredFlagL0[xCb + x][yCb + y] = predFlagL0 \quad (704)$$

$$PredFlagL1[xCb + x][yCb + y] = predFlagL1 \quad (705)$$

$$MvDmvrL0[xCb + x][yCb + y] = MvL0[xCb + x][yCb + y] \quad (706)$$

$$MvDmvrL1[xCb + x][yCb + y] = MvL1[xCb + x][yCb + y] \quad (707)$$

**8.5.3.2 Derivation process for motion vectors and reference indices in affine merge mode**

Inputs to this process are:

- a luma location ( xCb, yCb ) of the top-left sample of the current luma coding block relative to the top-left luma sample of the current picture,
- two variables cbWidth and cbHeight specifying the width and the height of the luma coding block, and
- the variable availLR specifying left and right neighbouring blocks' availability of luma coding block.

Outputs of this process are:

- the number of control point motion vectors numCpMv,
- the luma affine control point motion vector cpMvLX[cpIdx] with X being 0 or 1, and cpIdx = 0..numCpMv - 1,
- the reference indices refIdxL0 and refIdxL1, and
- the prediction list utilization flags predFlagL0 and predFlagL1.

The affine merging candidate list, affineMergeCandList, is derived by the following ordered steps:

- 1) The sample locations ( xNbA<sub>0</sub>, yNbA<sub>0</sub> ), ( xNbA<sub>1</sub>, yNbA<sub>1</sub> ), ( xNbA<sub>2</sub>, yNbA<sub>2</sub> ), ( xNbB<sub>0</sub>, yNbB<sub>0</sub> ), ( xNbB<sub>1</sub>, yNbB<sub>1</sub> ), ( xNbB<sub>2</sub>, yNbB<sub>2</sub> ), ( xNbB<sub>3</sub>, yNbB<sub>3</sub> ), ( xNbC<sub>0</sub>, yNbC<sub>0</sub> ), ( xNbC<sub>1</sub>, yNbC<sub>1</sub> ) and ( xNbC<sub>2</sub>, yNbC<sub>2</sub> ) are derived as follows:

$$( xNbA_0, yNbA_0 ) = ( xCb - 1, yCb + cbHeight ) \tag{708}$$

$$( xNbA_1, yNbA_1 ) = ( xCb - 1, yCb + cbHeight - 1 ) \tag{709}$$

$$( xNbA_2, yNbA_2 ) = ( xCb - 1, yCb ) \tag{710}$$

$$( xNbB_0, yNbB_0 ) = ( xCb + cbWidth, yCb - 1 ) \tag{711}$$

$$( xNbB_1, yNbB_1 ) = ( xCb + cbWidth - 1, yCb - 1 ) \tag{712}$$

$$( xNbB_2, yNbB_2 ) = ( xCb - 1, yCb - 1 ) \tag{713}$$

$$( xNbB_3, yNbB_3 ) = ( xCb, yCb - 1 ) \tag{714}$$

$$( xNbC_0, yNbC_0 ) = ( xCb + cbWidth, yCb + cbHeight ) \tag{715}$$

$$( xNbC_1, yNbC_1 ) = ( xCb + cbWidth, yCb + cbHeight - 1 ) \tag{716}$$

$$( xNbC_2, yNbC_2 ) = ( xCb + cbWidth, yCb ) \tag{717}$$

- 2) The following applies for ( xNbBLK, yNbBLK ) with BLK being replaced by A<sub>0</sub>, A<sub>1</sub>, A<sub>2</sub>, B<sub>0</sub>, B<sub>1</sub>, B<sub>2</sub>, B<sub>3</sub>, C<sub>0</sub>, C<sub>1</sub>, and C<sub>2</sub>:

- The derivation process for neighbouring block motion vector candidate availability as specified in subclause 6.4.3 is invoked with the neighbouring luma location ( xNbBLK, yNbBLK ) as input, and the output is assigned to the block availability flag availableBLK.

- 3) The following applies for ( xNbBLK, yNbBLK ) with BLK being replaced by C<sub>1</sub>, B<sub>3</sub>, B<sub>2</sub>, C<sub>0</sub>, and B<sub>0</sub> if availLR is equal to LR\_01, otherwise replaced by A<sub>1</sub>, B<sub>1</sub>, B<sub>0</sub>, A<sub>0</sub>, and B<sub>2</sub>:
- When availableBLK is equal to TRUE and MotionModelIdc[ xNbBLK ][ yNbBLK ] is greater than 0, availableFlagBLK is set equal to 1.
- 4) The following applies to update availability flags:
- If availLR is equal to LR\_01, the following applies:
    - When availableFlagB<sub>3</sub> and availableFlagB<sub>2</sub> are both equal to 1, CbPosX[ xNbB<sub>3</sub> ][ yNbB<sub>3</sub> ] is equal to CbPosX[ xNbB<sub>2</sub> ][ yNbB<sub>2</sub> ], and CbPosY[ xNbB<sub>3</sub> ][ yNbB<sub>3</sub> ] is equal to CbPosY[ xNbB<sub>2</sub> ][ yNbB<sub>2</sub> ], availableFlagB<sub>2</sub> is set equal to 0.
    - When availableFlagC<sub>1</sub> and availableFlagC<sub>0</sub> are both equal to 1, CbPosX[ xNbC<sub>1</sub> ][ yNbC<sub>1</sub> ] is equal to CbPosX[ xNbC<sub>0</sub> ][ yNbC<sub>0</sub> ], and CbPosY[ xNbC<sub>1</sub> ][ yNbC<sub>1</sub> ] is equal to CbPosY[ xNbC<sub>0</sub> ][ yNbC<sub>0</sub> ], availableFlagC<sub>0</sub> is set equal to 0.
    - When availableFlagB<sub>3</sub> and availableFlagB<sub>0</sub> are both equal to 1, CbPosX[ xNbB<sub>3</sub> ][ yNbB<sub>3</sub> ] is equal to CbPosX[ xNbB<sub>0</sub> ][ yNbB<sub>0</sub> ], and CbPosY[ xNbB<sub>3</sub> ][ yNbB<sub>3</sub> ] is equal to CbPosY[ xNbB<sub>0</sub> ][ yNbB<sub>0</sub> ], availableFlagB<sub>0</sub> is set equal to 0.
    - When availableFlagC<sub>1</sub> and availableFlagB<sub>0</sub> are both equal to 1, CbPosX[ xNbC<sub>1</sub> ][ yNbC<sub>1</sub> ] is equal to CbPosX[ xNbB<sub>0</sub> ][ yNbB<sub>0</sub> ], and CbPosY[ xNbC<sub>1</sub> ][ yNbC<sub>1</sub> ] is equal to CbPosY[ xNbB<sub>0</sub> ][ yNbB<sub>0</sub> ], availableFlagB<sub>0</sub> is set equal to 0.
  - Otherwise (availLR is not equal to LR\_01), the following applies:
    - When availableFlagB<sub>1</sub> and availableFlagB<sub>0</sub> are both equal to 1, CbPosX[ xNbB<sub>1</sub> ][ yNbB<sub>1</sub> ] is equal to CbPosX[ xNbB<sub>0</sub> ][ yNbB<sub>0</sub> ], and CbPosY[ xNbB<sub>1</sub> ][ yNbB<sub>1</sub> ] is equal to CbPosY[ xNbB<sub>0</sub> ][ yNbB<sub>0</sub> ], availableFlagB<sub>0</sub> is set equal to 0.
    - When availableFlagA<sub>1</sub> and availableFlagA<sub>0</sub> are both equal to 1, CbPosX[ xNbA<sub>1</sub> ][ yNbA<sub>1</sub> ] is equal to CbPosX[ xNbA<sub>0</sub> ][ yNbA<sub>0</sub> ], and CbPosY[ xNbA<sub>1</sub> ][ yNbA<sub>1</sub> ] is equal to CbPosY[ xNbA<sub>0</sub> ][ yNbA<sub>0</sub> ], availableFlagA<sub>0</sub> is set equal to 0.
    - When availableFlagB<sub>1</sub> and availableFlagB<sub>2</sub> are both equal to 1, CbPosX[ xNbB<sub>1</sub> ][ yNbB<sub>1</sub> ] is equal to CbPosX[ xNbB<sub>2</sub> ][ yNbB<sub>2</sub> ], and CbPosY[ xNbB<sub>1</sub> ][ yNbB<sub>1</sub> ] is equal to CbPosY[ xNbB<sub>2</sub> ][ yNbB<sub>2</sub> ], availableFlagB<sub>2</sub> is set equal to 0.
    - When availableFlagA<sub>1</sub> and availableFlagB<sub>2</sub> are both equal to 1, CbPosX[ xNbA<sub>1</sub> ][ yNbA<sub>1</sub> ] is equal to CbPosX[ xNbB<sub>2</sub> ][ yNbB<sub>2</sub> ], and CbPosY[ xNbA<sub>1</sub> ][ yNbA<sub>1</sub> ] is equal to CbPosY[ xNbB<sub>2</sub> ][ yNbB<sub>2</sub> ], availableFlagB<sub>2</sub> is set equal to 0.
- 5) The following applies for ( xNbBLK, yNbBLK ) with BLK being replaced by C<sub>1</sub>, B<sub>3</sub>, B<sub>2</sub>, C<sub>0</sub>, and B<sub>0</sub> if availLR is equal to LR\_01, otherwise replaced by A<sub>1</sub>, B<sub>1</sub>, B<sub>0</sub>, A<sub>0</sub>, and B<sub>2</sub>:
- When availableFlagBLK is equal to 1, the following applies:
    - The variable motionModelIdcBLK is set equal to MotionModelIdc[ xNbBLK ][ yNbBLK ], ( xNb, yNb ) is set equal to ( CbPosX[ xNbBLK ][ yNbBLK ], CbPosY[ xNbBLK ][ yNbBLK ] ), nbW is set equal to CbWidth[ xNbBLK ][ yNbBLK ], nbH is set equal to CbHeight[ xNbBLK ][ yNbBLK ], and numCpMv is set equal to MotionModelIdc[ xNbBLK ][ yNbBLK ] + 1.

— For X being replaced by either 0 or 1, the following applies:

— When  $\text{PredFlagLX}[x\text{NbBLK}][y\text{NbBLK}]$  is equal to 1, the derivation process for luma affine control point motion vectors from a neighbouring block as specified in subclause 8.5.3.3 is invoked with the luma coding block location  $(x\text{Cb}, y\text{Cb})$ , the luma coding block width and height  $\text{cbWidth}$  and  $\text{cbHeight}$ , the neighbouring luma coding block location  $(x\text{Nb}, y\text{Nb})$ , the neighbouring luma coding block width and height  $\text{nbW}$  and  $\text{nbH}$ , and the number of control point motion vectors  $\text{numCpMv}$  as inputs, the control point motion vector predictor candidates  $\text{cpMvLXBLK}[\text{cpIdx}]$  with  $\text{cpIdx} = 0..\text{numCpMv} - 1$  as outputs.

— The following assignments are made:

$$\text{predFlagLXBLK} = \text{PredFlagLX}[x\text{NbBLK}][y\text{NbBLK}] \quad (718)$$

$$\text{refIdxLXBLK} = \text{RefIdxLX}[x\text{NbBLK}][y\text{NbBLK}] \quad (719)$$

6) The derivation process for constructed affine control point motion vector merging candidates as specified in subclause 8.5.3.4 is invoked with the luma coding block location  $(x\text{Cb}, y\text{Cb})$ , the luma coding block width and height  $\text{cbWidth}$  and  $\text{cbHeight}$ , the availability flags  $\text{availableA}_0$ ,  $\text{availableA}_1$ ,  $\text{availableA}_2$ ,  $\text{availableB}_0$ ,  $\text{availableB}_1$ ,  $\text{availableB}_2$ ,  $\text{availableB}_3$ ,  $\text{availableC}_0$ ,  $\text{availableC}_1$ , and  $\text{availableC}_2$ , the sample locations  $(x\text{NbA}_0, y\text{NbA}_0)$ ,  $(x\text{NbA}_1, y\text{NbA}_1)$ ,  $(x\text{NbA}_2, y\text{NbA}_2)$ ,  $(x\text{NbB}_0, y\text{NbB}_0)$ ,  $(x\text{NbB}_1, y\text{NbB}_1)$ ,  $(x\text{NbB}_2, y\text{NbB}_2)$ ,  $(x\text{NbB}_3, y\text{NbB}_3)$ ,  $(x\text{NbC}_0, y\text{NbC}_0)$ ,  $(x\text{NbC}_1, y\text{NbC}_1)$ , and  $(x\text{NbC}_2, y\text{NbC}_2)$  as inputs, and the availability flags  $\text{availableFlagConstK}$ , the reference indices  $\text{refIdxLXConstK}$ , the prediction list utilization flags  $\text{predFlagLXConstK}$ , the affine motion model indices  $\text{motionModelIdxConstK}$  and the constructed affine control point motion vectors  $\text{cpMvpLXConstK}[\text{cpIdx}]$  with X being 0 or 1,  $K = 1..6$ ,  $\text{cpIdx} = 0..2$  as outputs.

7) The initial affine merging candidate list,  $\text{affineMergeCandList}$ , is constructed as follows:

—  $i$  is set equal to 0.

— If  $\text{availLR}$  is equal to  $\text{LR}_01$ , the following applies:

$$\begin{aligned} &\text{if}(\text{availableFlagC}_1 \ \&\& \ i < 5) \\ &\quad \text{affineMergeCandList}[i++] = C_1 \\ &\text{if}(\text{availableFlagB}_3 \ \&\& \ i < 5) \\ &\quad \text{affineMergeCandList}[i++] = B_3 \\ &\text{if}(\text{availableFlagB}_2 \ \&\& \ i < 5) \\ &\quad \text{affineMergeCandList}[i++] = B_2 \\ &\text{if}(\text{availableFlagC}_0 \ \&\& \ i < 5) \\ &\quad \text{affineMergeCandList}[i++] = C_0 \\ &\text{if}(\text{availableFlagB}_0 \ \&\& \ i < 5) \\ &\quad \text{affineMergeCandList}[i++] = B_0 \end{aligned} \quad (720)$$

— Otherwise ( $\text{availLR}$  is not equal to  $\text{LR}_01$ ), the following applies:

$$\begin{aligned} &\text{if}(\text{availableFlagA}_1 \ \&\& \ i < 5) \\ &\quad \text{affineMergeCandList}[i++] = A_1 \\ &\text{if}(\text{availableFlagB}_1 \ \&\& \ i < 5) \\ &\quad \text{affineMergeCandList}[i++] = B_1 \\ &\text{if}(\text{availableFlagB}_0 \ \&\& \ i < 5) \\ &\quad \text{affineMergeCandList}[i++] = B_0 \\ &\text{if}(\text{availableFlagA}_0 \ \&\& \ i < 5) \\ &\quad \text{affineMergeCandList}[i++] = A_0 \end{aligned} \quad (721)$$

```

if( availableFlagB2 && i < 5 )
    affineMergeCandList[ i++ ] = B2

```

- Affine control point motion vector merging candidates follows model-based affine merge candidates:

```

if( availableFlagConst1 && i < 5 )
    affineMergeCandList[ i++ ] = Const1
if( availableFlagConst2 && i < 5 )
    affineMergeCandList[ i++ ] = Const2
if( availableFlagConst3 && i < 5 )
    affineMergeCandList[ i++ ] = Const3
if( availableFlagConst4 && i < 5 )
    affineMergeCandList[ i++ ] = Const4
if( availableFlagConst5 && i < 5 )
    affineMergeCandList[ i++ ] = Const5
if( availableFlagConst6 && i < 5 )
    affineMergeCandList[ i++ ] = Const6

```

(722)

- 8) The variable numCurrMergeCand and numOrigMergeCand are set equal to the number of merging candidates in the affineMergeCandList.
- 9) When numCurrMergeCand is less than 5, the following is repeated until numCurrMergeCand is equal to 5, with mvZero[ 0 ] and mvZero[ 1 ] both being equal to 0:

- The reference indices, the prediction list utilization flags and the motion vectors of zeroCand<sub>m</sub> with m equal to ( numCurrMergeCand – numOrigMergeCand ) are derived as follows:

$$\text{refIdxL0ZeroCand}_m = 0 \quad (723)$$

$$\text{predFlagL0ZeroCand}_m = 1 \quad (724)$$

$$\text{cpMvL0ZeroCand}_m[ 0 ] = \text{mvZero} \quad (725)$$

$$\text{cpMvL0ZeroCand}_m[ 1 ] = \text{mvZero} \quad (726)$$

$$\text{cpMvL0ZeroCand}_m[ 2 ] = \text{mvZero} \quad (727)$$

$$\text{refIdxL1ZeroCand}_m = (\text{slice\_type} == B) ? 0 : -1 \quad (728)$$

$$\text{predFlagL1ZeroCand}_m = (\text{slice\_type} == B) ? 1 : 0 \quad (729)$$

$$\text{cpMvL1ZeroCand}_m[ 0 ] = \text{mvZero} \quad (730)$$

$$\text{cpMvL1ZeroCand}_m[ 1 ] = \text{mvZero} \quad (731)$$

$$\text{cpMvL1ZeroCand}_m[ 2 ] = \text{mvZero} \quad (732)$$

$$\text{motionModelIdxZeroCand}_m = 1 \quad (733)$$

- The candidate zeroCand<sub>m</sub> with m equal to ( numCurrMergeCand – numOrigMergeCand ) is added at the end of affineMergeCandList and numCurrMergeCand is incremented by 1 as follows:

$$\text{affineMergeCandList}[ \text{numCurrMergeCand}++ ] = \text{zeroCand}_m \quad (734)$$

The variables  $refIdxL0$ ,  $refIdxL1$ ,  $predFlagL0$ ,  $predFlagL1$ ,  $cpMvL0[cpIdx]$  and  $cpMvL1[cpIdx]$  with  $cpIdx = 0..2$  are derived as follows:

- The following assignments are made with  $N$  being the candidate at position  $affine\_merge\_idx[xCb][yCb]$  in the affine merging candidate list  $affineMergeCandList$  ( $N = affineMergeCandList[affine\_merge\_idx[xCb][yCb]]$ ):

$$refIdxLX = refIdxLXN \quad (735)$$

$$predFlagLX = predFlagLXN \quad (736)$$

$$cpMvLX[0] = cpMvLXN[0] \quad (737)$$

$$cpMvLX[1] = cpMvLXN[1] \quad (738)$$

$$cpMvLX[2] = cpMvLXN[2] \quad (739)$$

$$numCpMv = motionModelIdxN + 1 \quad (740)$$

- The following assignment is made for  $x = xCb..xCb + cbWidth - 1$  and  $y = yCb..yCb + cbHeight - 1$ :

$$MotionModelIdx[x][y] = numCpMv - 1 \quad (741)$$

### 8.5.3.3 Derivation process for luma affine control point motion vectors from a neighbouring block

Inputs to this process are:

- a luma location  $(xCb, yCb)$  specifying the top-left sample of the current luma coding block relative to the top-left luma sample of the current picture,
- two variables  $cbWidth$  and  $cbHeight$  specifying the width and the height of the current luma coding block,
- a luma location  $(xNb, yNb)$  specifying the top-left sample of the neighbouring luma coding block relative to the top-left luma sample of the current picture,
- two variables  $nNbW$  and  $nNbH$  specifying the width and the height of the neighbouring luma coding block, and
- the number of control point motion vectors  $numCpMv$ .

Outputs of this process are the luma affine control point vectors  $cpMvLX[cpIdx]$  with  $cpIdx = 0..numCpMv - 1$  and  $X$  being 0 or 1.

The variable  $isCTUboundary$  is derived as follows:

- If all the following conditions are true,  $isCTUboundary$  is set equal to TRUE:
  - $((yNb + nNbH) \% CtbSizeY)$  is equal to 0.
  - $yNb + nNbH$  is equal to  $yCb$ .
- Otherwise,  $isCTUboundary$  is set equal to FALSE.

The variables  $\log_2\text{NbW}$  and  $\log_2\text{NbH}$  are derived as follows:

$$\log_2\text{NbW} = \text{Log}_2(\text{nNbW}) \quad (742)$$

$$\log_2\text{NbH} = \text{Log}_2(\text{nNbH}) \quad (743)$$

The variables  $\text{mvScaleHor}$ ,  $\text{mvScaleVer}$ ,  $\text{dHorX}$  and  $\text{dVerX}$  are derived as follows:

— If  $\text{isCTUboundary}$  is equal to TRUE, the following applies:

$$\text{mvScaleHor} = \text{MvLX}[\text{xNb}][\text{yNb} + \text{nNbH} - 1][0] \ll 7 \quad (744)$$

$$\text{mvScaleVer} = \text{MvLX}[\text{xNb}][\text{yNb} + \text{nNbH} - 1][1] \ll 7 \quad (745)$$

$$\text{dHorX} = (\text{MvLX}[\text{xNb} + \text{nNbW} - 1][\text{yNb} + \text{nNbH} - 1][0] - \text{MvLX}[\text{xNb}][\text{yNb} + \text{nNbH} - 1][0]) \ll (7 - \log_2\text{NbW}) \quad (746)$$

$$\text{dVerX} = (\text{MvLX}[\text{xNb} + \text{nNbW} - 1][\text{yNb} + \text{nNbH} - 1][1] - \text{MvLX}[\text{xNb}][\text{yNb} + \text{nNbH} - 1][1]) \ll (7 - \log_2\text{NbW}) \quad (747)$$

— Otherwise ( $\text{isCTUboundary}$  is equal to FALSE), the following applies:

$$\text{mvScaleHor} = \text{MvLX}[\text{xNb}][\text{yNb}][0] \ll 7 \quad (748)$$

$$\text{mvScaleVer} = \text{MvLX}[\text{xNb}][\text{yNb}][1] \ll 7 \quad (749)$$

$$\text{dHorX} = (\text{MvLX}[\text{xNb} + \text{nNbW} - 1][\text{yNb}][0] - \text{MvLX}[\text{xNb}][\text{yNb}][0]) \ll (7 - \log_2\text{NbW}) \quad (750)$$

$$\text{dVerX} = (\text{MvLX}[\text{xNb} + \text{nNbW} - 1][\text{yNb}][1] - \text{MvLX}[\text{xNb}][\text{yNb}][1]) \ll (7 - \log_2\text{NbW}) \quad (751)$$

The variables  $\text{dHorY}$  and  $\text{dVerY}$  are derived as follows:

— If  $\text{isCTUboundary}$  is equal to FALSE and  $\text{MotionModelIdc}[\text{xNb}][\text{yNb}]$  is equal to 2, the following applies:

$$\text{dHorY} = (\text{MvLX}[\text{xNb}][\text{yNb} + \text{nNbH} - 1][0] - \text{MvLX}[\text{xNb}][\text{yNb}][0]) \ll (7 - \log_2\text{NbH}) \quad (752)$$

$$\text{dVerY} = (\text{MvLX}[\text{xNb}][\text{yNb} + \text{nNbH} - 1][1] - \text{MvLX}[\text{xNb}][\text{yNb}][1]) \ll (7 - \log_2\text{NbH}) \quad (753)$$

— Otherwise ( $\text{isCTUboundary}$  is equal to TRUE or  $\text{MotionModelIdc}[\text{xNb}][\text{yNb}]$  is equal to 1), the following applies:

$$\text{dHorY} = -\text{dVerX} \quad (754)$$

$$\text{dVerY} = \text{dHorX} \quad (755)$$

The luma affine control point motion vectors  $\text{cpMvLX}[\text{cpIdx}]$  with  $\text{cpIdx} = 0.. \text{numCpMv} - 1$  and X being 0 or 1 are derived as follows:

— The first two control point motion vectors  $\text{cpMvLX}[0]$  and  $\text{cpMvLX}[1]$  are derived as follows:

$$\text{cpMvLX}[0][0] = (\text{mvScaleHor} + \text{dHorX} * (\text{xCb} - \text{xNb}) + \text{dHorY} * (\text{yCb} - \text{yNb})) \quad (756)$$

$$\text{cpMvLX}[0][1] = (\text{mvScaleVer} + \text{dVerX} * (\text{xCb} - \text{xNb}) + \text{dVerY} * (\text{yCb} - \text{yNb})) \quad (757)$$

$$\text{cpMvLX}[1][0] = (\text{mvScaleHor} + \text{dHorX} * (\text{xCb} + \text{cbWidth} - \text{xNb}) + \text{dHorY} * (\text{yCb} - \text{yNb})) \quad (758)$$

$$\text{cpMvLX}[1][1] = (\text{mvScaleVer} + \text{dVerX} * (\text{xCb} + \text{cbWidth} - \text{xNb}) + \text{dVerY} * (\text{yCb} - \text{yNb})) \quad (759)$$

— If numCpMv is equal to 3, the third control point vector cpMvLX[ 2 ] is derived as follows:

$$\text{cpMvLX}[2][0] = (\text{mvScaleHor} + \text{dHorX} * (\text{xCb} - \text{xNb}) + \text{dHorY} * (\text{yCb} + \text{cbHeight} - \text{yNb})) \quad (760)$$

$$\text{cpMvLX}[2][1] = (\text{mvScaleVer} + \text{dVerX} * (\text{xCb} - \text{xNb}) + \text{dVerY} * (\text{yCb} + \text{cbHeight} - \text{yNb})) \quad (761)$$

— The rounding process for motion vectors as specified in subclause 8.5.3.10 is invoked with mvX set equal to cpMvLX[ cpIdx ], rightShift set equal to 7, and leftShift set equal to 0 as inputs, and the rounded cpMvLX[ cpIdx ] as output, with X being 0 or 1 and cpIdx = 0..numCpMv - 1.

— The motion vectors cpMvLX[ cpIdx ] with cpIdx = 0..numCpMv - 1 are clipped as follows:

$$\text{cpMvLX}[ \text{cpIdx} ][ 0 ] = \text{Clip3}( -2^{15}, 2^{15} - 1, \text{cpMvLX}[ \text{cpIdx} ][ 0 ] ) \quad (762)$$

$$\text{cpMvLX}[ \text{cpIdx} ][ 1 ] = \text{Clip3}( -2^{15}, 2^{15} - 1, \text{cpMvLX}[ \text{cpIdx} ][ 1 ] ) \quad (763)$$

#### 8.5.3.4 Derivation process for constructed affine control point motion vector merging candidates

Inputs to this process are:

- a luma location ( xCb, yCb ) specifying the top-left sample of the current luma coding block relative to the top-left luma sample of the current picture,
- two variables cbWidth and cbHeight specifying the width and the height of the current luma coding block,
- the availability flags availableA<sub>0</sub>, availableA<sub>1</sub>, availableA<sub>2</sub>, availableB<sub>0</sub>, availableB<sub>1</sub>, availableB<sub>2</sub>, availableB<sub>3</sub>, availableC<sub>0</sub>, availableC<sub>1</sub>, and availableC<sub>2</sub>, and
- the sample locations ( xNbA<sub>0</sub>, yNbA<sub>0</sub> ), ( xNbA<sub>1</sub>, yNbA<sub>1</sub> ), ( xNbA<sub>2</sub>, yNbA<sub>2</sub> ), ( xNbB<sub>0</sub>, yNbB<sub>0</sub> ), ( xNbB<sub>1</sub>, yNbB<sub>1</sub> ), ( xNbB<sub>2</sub>, yNbB<sub>2</sub> ), ( xNbB<sub>3</sub>, yNbB<sub>3</sub> ), ( xNbC<sub>0</sub>, yNbC<sub>0</sub> ), ( xNbC<sub>1</sub>, yNbC<sub>1</sub> ), and ( xNbC<sub>2</sub>, yNbC<sub>2</sub> ).

Outputs of this process are:

- the availability flag of the constructed affine control point motion vector merging candidates availableFlagConstK, with K = 1..6,
- the reference indices refIdxLXConstK, with K = 1..6, X being 0 or 1,
- the prediction list utilization flags predFlagLXConstK, with K = 1..6, X being 0 or 1,
- the affine motion model indices motionModelIdxConstK, with K = 1..6, and
- the constructed affine control point motion vectors cpMvLXConstK[ cpIdx ] with cpIdx = 0..2, K = 1..6 and X being 0 or 1.

The first (top-left) control point motion vector  $cpMvLXCorner[0]$ , reference index  $refIdxLXCorner[0]$ , prediction list utilization flag  $predFlagLXCorner[0]$  and the availability flag  $availableFlagCorner[0]$  with  $X$  being 0 and 1 are derived as follows:

- The availability flag  $availableFlagCorner[0]$  is set equal to FALSE.
- The following applies for  $(xNbTL, yNbTL)$  with TL being replaced in order by  $B_2, B_3,$  and  $A_2$ :
  - When  $availableTL$  is equal to TRUE and  $availableFlagCorner[0]$  is equal to FALSE, the following applies with  $X$  being 0 and 1:

$$refIdxLXCorner[0] = RefIdxLX[xNbTL][yNbTL] \quad (764)$$

$$predFlagLXCorner[0] = PredFlagLX[xNbTL][yNbTL] \quad (765)$$

$$cpMvLXCorner[0] = MvLX[xNbTL][yNbTL] \quad (766)$$

$$availableFlagCorner[0] = TRUE \quad (767)$$

The second (top-right) control point motion vector  $cpMvLXCorner[1]$ , reference index  $refIdxLXCorner[1]$ , prediction list utilization flag  $predFlagLXCorner[1]$  and the availability flag  $availableFlagCorner[1]$  with  $X$  being 0 and 1 are derived as follows:

- The availability flag  $availableFlagCorner[1]$  is set equal to FALSE.
- The following applies for  $(xNbTR, yNbTR)$  with TR being replaced in order by  $B_0, B_1,$  and  $C_2$ :
  - When  $availableTR$  is equal to TRUE and  $availableFlagCorner[1]$  is equal to FALSE, the following applies with  $X$  being 0 and 1:

$$refIdxLXCorner[1] = RefIdxLX[xNbTR][yNbTR] \quad (768)$$

$$predFlagLXCorner[1] = PredFlagLX[xNbTR][yNbTR] \quad (769)$$

$$cpMvLXCorner[1] = MvLX[xNbTR][yNbTR] \quad (770)$$

$$availableFlagCorner[1] = TRUE \quad (771)$$

The third (bottom-left) control point motion vector  $cpMvLXCorner[2]$ , reference index  $refIdxLXCorner[2]$ , prediction list utilization flag  $predFlagLXCorner[2]$  and the availability flag  $availableFlagCorner[2]$  with  $X$  being 0 and 1 are derived as follows:

- The availability flag  $availableFlagCorner[2]$  is set equal to FALSE.
- If  $availLR$  is equal to LR\_10 or LR\_11, the following applies for  $(xNbBL, yNbBL)$  with BL being replaced in order by  $A_0$  and  $A_1$ :
  - When  $availableBL$  is equal to TRUE and  $availableFlagCorner[2]$  is equal to FALSE, the following applies with  $X$  being 0 and 1:

$$refIdxLXCorner[2] = RefIdxLX[xNbBL][yNbBL] \quad (772)$$

$$predFlagLXCorner[2] = PredFlagLX[xNbBL][yNbBL] \quad (773)$$

$$cpMvLXCorner[2] = MvLX[xNbBL][yNbBL] \quad (774)$$

$$\text{availableFlagCorner}[ 2 ] = \text{TRUE} \quad (775)$$

— Otherwise, the reference indices for the temporal merging candidate,  $\text{refIdxLXCorner}[ 2 ]$ , with X being 0 or 1, are set equal to 0.

— The variables  $\text{mvLXCol}$  and  $\text{availableFlagLXCol}$ , with X being 0 or 1, are derived as follows:

$$\text{xColBl} = \text{xCb} - 1 \quad (776)$$

$$\text{yColBl} = \text{yCb} + \text{cbHeight} \quad (777)$$

— If  $\text{yCb} \gg \text{CtbLog2SizeY}$  is equal to  $\text{yColBl} \gg \text{CtbLog2SizeY}$ ,  $\text{yColBl}$  is less than  $\text{pic\_height\_in\_luma\_samples}$  and  $\text{xColBl}$  is larger than 0, the following applies:

— The luma location  $(\text{xColCb}, \text{yColCb})$  is set equal to  $((\text{xColBl} \gg 3) \ll 3, (\text{yColBl} \gg 3) \ll 3)$ .

— The derivation process for collocated motion vectors as specified in subclause 8.5.2.3.4 is invoked with luma location coordinates  $(\text{xColCb}, \text{yColCb})$  as input, and the output is assigned to  $\text{mvLXCol}$  and  $\text{availableFlagLXCol}$ .

— Otherwise, both components of  $\text{mvLXCol}$  are set equal to 0 and  $\text{availableFlagLXCol}$  is set equal to 0.

— The variables  $\text{availableFlagCorner}[ 2 ]$ ,  $\text{predFlagL0Corner}[ 2 ]$ ,  $\text{cpMvL0Corner}[ 2 ]$  and  $\text{predFlagL1Corner}[ 2 ]$  are derived as follows:

$$\text{availableFlagCorner}[ 2 ] = \text{availableFlagL0Col} \quad (778)$$

$$\text{predFlagL0Corner}[ 2 ] = \text{availableFlagL0Col} \quad (779)$$

$$\text{cpMvL0Corner}[ 2 ] = \text{mvL0Col} \quad (780)$$

$$\text{predFlagL1Corner}[ 2 ] = 0 \quad (781)$$

— When  $\text{slice\_type}$  is equal to B, the variables  $\text{availableFlagCorner}[ 2 ]$ ,  $\text{predFlagL1Corner}[ 2 ]$  and  $\text{cpMvL1Corner}[ 2 ]$  are derived as follows:

$$\text{availableFlagCorner}[ 2 ] = \text{availableFlagL0Col} \mid \mid \text{availableFlagL1Col} \quad (782)$$

$$\text{predFlagL1Corner}[ 2 ] = \text{availableFlagL1Col} \quad (783)$$

$$\text{cpMvL1Corner}[ 2 ] = \text{mvL1Col} \quad (784)$$

The fourth (bottom-right or collocated bottom-right) control point motion vector  $\text{cpMvLXCorner}[ 3 ]$ , reference index  $\text{refIdxLXCorner}[ 3 ]$ , prediction list utilization flag  $\text{predFlagLXCorner}[ 3 ]$  and the availability flag  $\text{availableFlagCorner}[ 3 ]$  with X being 0 and 1 are derived as follows:

— The availability flag  $\text{availableFlagCorner}[ 3 ]$  is set equal to FALSE.

— If  $\text{availLR}$  is equal to LR\_01 or LR\_11, the following applies for  $(\text{xNbBR}, \text{yNbBR})$  with BR being replaced in order by  $C_0$  and  $C_1$ :

— When  $\text{availableBR}$  is equal to TRUE and  $\text{availableFlagCorner}[ 3 ]$  is equal to FALSE, the following applies with X being 0 and 1:

$$\text{refIdxLXCorner}[3] = \text{RefIdxLX}[x\text{NbBR}][y\text{NbBR}] \quad (785)$$

$$\text{predFlagLXCorner}[3] = \text{PredFlagLX}[x\text{NbBR}][y\text{NbBR}] \quad (786)$$

$$\text{cpMvLXCorner}[3] = \text{MvLX}[x\text{NbBR}][y\text{NbBR}] \quad (787)$$

$$\text{availableFlagCorner}[3] = \text{TRUE} \quad (788)$$

— Otherwise, the reference indices for the temporal merging candidate,  $\text{refIdxLXCorner}[3]$ , with  $X$  being 0 or 1, are set equal to 0.

— The variables  $\text{mvLXCol}$  and  $\text{availableFlagLXCol}$ , with  $X$  being 0 or 1, are derived as follows:

— The following applies:

$$x\text{ColBr} = x\text{Cb} + \text{cbWidth} \quad (789)$$

$$y\text{ColBr} = y\text{Cb} + \text{cbHeight} \quad (790)$$

— If  $y\text{Cb} \gg \text{CtbLog2SizeY}$  is equal to  $y\text{ColBr} \gg \text{CtbLog2SizeY}$ ,  $y\text{ColBr}$  is less than  $\text{pic\_height\_in\_luma\_samples}$  and  $x\text{ColBr}$  is less than  $\text{pic\_width\_in\_luma\_samples}$ , the following applies:

— The luma location  $(x\text{ColCb}, y\text{ColCb})$  is set equal to  $((x\text{ColBr} \gg 3) \ll 3, (y\text{ColBr} \gg 3) \ll 3)$ .

— The derivation process for collocated motion vectors as specified in subclause 8.5.2.3.4 is invoked with the luma location coordinates  $(x\text{ColCb}, y\text{ColCb})$  as input, and the output is assigned to  $\text{mvLXCol}$  and  $\text{availableFlagLXCol}$ .

— Otherwise, both components of  $\text{mvLXCol}$  are set equal to 0 and  $\text{availableFlagLXCol}$  is set equal to 0.

— The variables  $\text{availableFlagCorner}[3]$ ,  $\text{predFlagL0Corner}[3]$ ,  $\text{cpMvL0Corner}[3]$  and  $\text{predFlagL1Corner}[3]$  are derived as follows:

$$\text{availableFlagCorner}[3] = \text{availableFlagL0Col} \quad (791)$$

$$\text{predFlagL0Corner}[3] = \text{availableFlagL0Col} \quad (792)$$

$$\text{cpMvL0Corner}[3] = \text{mvL0Col} \quad (793)$$

$$\text{predFlagL1Corner}[3] = 0 \quad (794)$$

— When  $\text{slice\_type}$  is equal to B, the variables  $\text{availableFlagCorner}[3]$ ,  $\text{predFlagL1Corner}[3]$  and  $\text{cpMvL1Corner}[3]$  are derived as follows:

$$\text{availableFlagCorner}[3] = \text{availableFlagL0Col} \mid \mid \text{availableFlagL1Col} \quad (795)$$

$$\text{predFlagL1Corner}[3] = \text{availableFlagL1Col} \quad (796)$$

$$\text{cpMvL1Corner}[3] = \text{mvL1Col} \quad (797)$$

The first four constructed affine control point motion vector merging candidates  $\text{ConstK}$  with  $K = 1..4$  including the availability flags  $\text{availableFlagConstK}$ , the reference indices  $\text{refIdxLXConstK}$ , the prediction list utilization flags  $\text{predFlagLXConstK}$ , the affine motion model indices  $\text{motionModelIdxConstK}$ , and the

constructed affine control point motion vectors  $cpMvLXConstK[cpIdx]$  with  $cpIdx = 0..2$  and  $X$  being 0 or 1 are derived as follows:

1) When  $availableFlagCorner[0]$  is equal to TRUE and  $availableFlagCorner[1]$  is equal to TRUE and  $availableFlagCorner[2]$  is equal to TRUE, the following applies:

— For  $X$  being replaced by 0 or 1, the following applies:

— The variable  $availableFlagLX$  is derived as follows:

— If all of the following conditions are true,  $availableFlagLX$  is set equal to TRUE:

—  $predFlagLXCorner[0]$  is equal to 1.

—  $predFlagLXCorner[1]$  is equal to 1.

—  $predFlagLXCorner[2]$  is equal to 1.

—  $refIdxLXCorner[0]$  is equal to  $refIdxLXCorner[1]$ .

—  $refIdxLXCorner[0]$  is equal to  $refIdxLXCorner[2]$ .

— Otherwise,  $availableFlagLX$  is set equal to FALSE.

— When  $availableFlagLX$  is equal to TRUE, the following assignments are made:

$$predFlagLXConst1 = 1 \quad (798)$$

$$refIdxLXConst1 = refIdxLXCorner[0] \quad (799)$$

$$cpMvLXConst1[0] = cpMvLXCorner[0] \quad (800)$$

$$cpMvLXConst1[1] = cpMvLXCorner[1] \quad (801)$$

$$cpMvLXConst1[2] = cpMvLXCorner[2] \quad (802)$$

— The variables  $availableFlagConst1$  and  $motionModelIdcConst1$  are derived as follows:

— If  $availableFlagL0$  or  $availableFlagL1$  is equal to 1,  $availableFlagConst1$  is set equal to TRUE and  $motionModelIdcConst1$  is set equal to 2.

— Otherwise,  $availableFlagConst1$  is set equal to FALSE and  $motionModelIdcConst1$  is set equal to 0.

2) When  $availableFlagCorner[0]$  is equal to TRUE and  $availableFlagCorner[1]$  is equal to TRUE and  $availableFlagCorner[3]$  is equal to TRUE, the following applies:

— For  $X$  being replaced by 0 or 1, the following applies:

— The variable  $availableFlagLX$  is derived as follows:

— If all of the following conditions are true,  $availableFlagLX$  is set equal to TRUE:

—  $predFlagLXCorner[0]$  is equal to 1.

—  $predFlagLXCorner[1]$  is equal to 1.

- $\text{predFlagLXCorner}[3]$  is equal to 1.
  - $\text{refldxLXCorner}[0]$  is equal to  $\text{refldxLXCorner}[1]$ .
  - $\text{refldxLXCorner}[0]$  is equal to  $\text{refldxLXCorner}[3]$ .
  - Otherwise,  $\text{availableFlagLX}$  is set equal to FALSE.
  - When  $\text{availableFlagLX}$  is equal to TRUE, the following assignments are made:
    - $$\text{predFlagLXConst2} = 1 \quad (803)$$
    - $$\text{refldxLXConst2} = \text{refldxLXCorner}[0] \quad (804)$$
    - $$\text{cpMvLXConst2}[0] = \text{cpMvLXCorner}[0] \quad (805)$$
    - $$\text{cpMvLXConst2}[1] = \text{cpMvLXCorner}[1] \quad (806)$$
    - $$\text{cpMvLXConst2}[2] = \text{cpMvLXCorner}[3] + \text{cpMvLXCorner}[0] - \text{cpMvLXCorner}[1] \quad (807)$$
    - $$\text{cpMvLXConst2}[2][0] = \text{Clip3}(-2^{15}, 2^{15} - 1, \text{cpMvLXConst2}[2][0]) \quad (808)$$
    - $$\text{cpMvLXConst2}[2][1] = \text{Clip3}(-2^{15}, 2^{15} - 1, \text{cpMvLXConst2}[2][1]) \quad (809)$$
  - The variables  $\text{availableFlagConst2}$  and  $\text{motionModelIdcConst2}$  are derived as follows:
    - If  $\text{availableFlagL0}$  or  $\text{availableFlagL1}$  is equal to 1,  $\text{availableFlagConst2}$  is set equal to TRUE and  $\text{motionModelIdcConst2}$  is set equal to 2.
    - Otherwise,  $\text{availableFlagConst2}$  is set equal to FALSE and  $\text{motionModelIdcConst2}$  is set equal to 0.
- 3) When  $\text{availableFlagCorner}[0]$  is equal to TRUE and  $\text{availableFlagCorner}[2]$  is equal to TRUE and  $\text{availableFlagCorner}[3]$  is equal to TRUE, the following applies:
- For X being replaced by 0 or 1, the following applies:
    - The variable  $\text{availableFlagLX}$  is derived as follows:
      - If all of the following conditions are true,  $\text{availableFlagLX}$  is set equal to TRUE:
        - $\text{predFlagLXCorner}[0]$  is equal to 1.
        - $\text{predFlagLXCorner}[2]$  is equal to 1.
        - $\text{predFlagLXCorner}[3]$  is equal to 1.
        - $\text{refldxLXCorner}[0]$  is equal to  $\text{refldxLXCorner}[2]$ .
        - $\text{refldxLXCorner}[0]$  is equal to  $\text{refldxLXCorner}[3]$ .
      - Otherwise,  $\text{availableFlagLX}$  is set equal to FALSE.
  - When  $\text{availableFlagLX}$  is equal to TRUE, the following assignments are made:
    - $$\text{predFlagLXConst3} = 1 \quad (810)$$

$$\text{refIdxLXConst3} = \text{refIdxLXCorner}[ 0 ] \quad (811)$$

$$\text{cpMvLXConst3}[ 0 ] = \text{cpMvLXCorner}[ 0 ] \quad (812)$$

$$\text{cpMvLXConst3}[ 1 ] = \text{cpMvLXCorner}[ 3 ] + \text{cpMvLXCorner}[ 0 ] - \text{cpMvLXCorner}[ 2 ] \quad (813)$$

$$\text{cpMvLXConst3}[ 1 ][ 0 ] = \text{Clip3}( -2^{15}, 2^{15} - 1, \text{cpMvLXConst3}[ 1 ][ 0 ] ) \quad (814)$$

$$\text{cpMvLXConst3}[ 1 ][ 1 ] = \text{Clip3}( -2^{15}, 2^{15} - 1, \text{cpMvLXConst3}[ 1 ][ 1 ] ) \quad (815)$$

$$\text{cpMvLXConst3}[ 2 ] = \text{cpMvLXCorner}[ 2 ] \quad (816)$$

- The variables `availableFlagConst3` and `motionModelIdcConst3` are derived as follows:
  - If `availableFlagL0` or `availableFlagL1` is equal to 1, `availableFlagConst3` is set equal to TRUE and `motionModelIdcConst3` is set equal to 2.
  - Otherwise, `availableFlagConst3` is set equal to FALSE and `motionModelIdcConst3` is set equal to 0.

4) When `availableFlagCorner[ 1 ]` is equal to TRUE and `availableFlagCorner[ 2 ]` is equal to TRUE and `availableFlagCorner[ 3 ]` is equal to TRUE, the following applies:

- For X being replaced by 0 or 1, the following applies:
  - The variable `availableFlagLX` is derived as follows:
    - If all of the following conditions are true, `availableFlagLX` is set equal to TRUE:
      - `predFlagLXCorner[ 1 ]` is equal to 1.
      - `predFlagLXCorner[ 2 ]` is equal to 1.
      - `predFlagLXCorner[ 3 ]` is equal to 1.
      - `refIdxLXCorner[ 1 ]` is equal to `refIdxLXCorner[ 2 ]`.
      - `refIdxLXCorner[ 1 ]` is equal to `refIdxLXCorner[ 3 ]`.
    - Otherwise, `availableFlagLX` is set equal to FALSE.

- When `availableFlagLX` is equal to TRUE, the following assignments are made:

$$\text{predFlagLXConst4} = 1 \quad (817)$$

$$\text{refIdxLXConst4} = \text{refIdxLXCorner}[ 1 ] \quad (818)$$

$$\text{cpMvLXConst4}[ 0 ] = \text{cpMvLXCorner}[ 1 ] + \text{cpMvLXCorner}[ 2 ] - \text{cpMvLXCorner}[ 3 ] \quad (819)$$

$$\text{cpMvLXConst4}[ 0 ][ 0 ] = \text{Clip3}( -2^{15}, 2^{15} - 1, \text{cpMvLXConst4}[ 0 ][ 0 ] ) \quad (820)$$

$$\text{cpMvLXConst4}[ 0 ][ 1 ] = \text{Clip3}( -2^{15}, 2^{15} - 1, \text{cpMvLXConst4}[ 0 ][ 1 ] ) \quad (821)$$

$$\text{cpMvLXConst4}[ 1 ] = \text{cpMvLXCorner}[ 1 ] \quad (822)$$

$$\text{cpMvLXConst4}[ 2 ] = \text{cpMvLXCorner}[ 2 ] \quad (823)$$

- The variables `availableFlagConst4` and `motionModelIdcConst4` are derived as follows:
  - If `availableFlagL0` or `availableFlagL1` is equal to 1, `availableFlagConst4` is set equal to TRUE and `motionModelIdcConst4` is set equal to 2.
  - Otherwise, `availableFlagConst4` is set equal to FALSE and `motionModelIdcConst4` is set equal to 0.

The last two constructed affine control point motion vector merging candidates `ConstK` with  $K = 5..6$  including the availability flags `availableFlagConstK`, the reference indices `refIdxLXConstK`, the prediction list utilization flags `predFlagLXConstK`, the affine motion model indices `motionModelIdcConstK`, and the constructed affine control point motion vectors `cpMvLXConstK[cpIdx]` with  $cpIdx = 0..2$  and  $X$  being 0 or 1 are derived as follows:

5) When `availableFlagCorner[0]` is equal to TRUE and `availableFlagCorner[1]` is equal to TRUE, the following applies:

- For  $X$  being replaced by 0 or 1, the following applies:
  - The variable `availableFlagLX` is derived as follows:
    - If all of the following conditions are true, `availableFlagLX` is set equal to TRUE:
      - `predFlagLXCorner[0]` is equal to 1.
      - `predFlagLXCorner[1]` is equal to 1.
      - `refIdxLXCorner[0]` is equal to `refIdxLXCorner[1]`.
    - Otherwise, `availableFlagLX` is set equal to FALSE.
  - When `availableFlagLX` is equal to TRUE, the following assignments are made:

$$\text{predFlagLXConst5} = 1 \quad (824)$$

$$\text{refIdxLXConst5} = \text{refIdxLXCorner}[0] \quad (825)$$

$$\text{cpMvLXConst5}[0] = \text{cpMvLXCorner}[0] \quad (826)$$

$$\text{cpMvLXConst5}[1] = \text{cpMvLXCorner}[1] \quad (827)$$

- The variables `availableFlagConst5` and `motionModelIdcConst5` are derived as follows:
  - If `availableFlagL0` or `availableFlagL1` is equal to 1, `availableFlagConst5` is set equal to TRUE and `motionModelIdcConst5` is set equal to 1.
  - Otherwise, `availableFlagConst5` is set equal to FALSE and `motionModelIdcConst5` is set equal to 0.

6) When `availableFlagCorner[0]` is equal to TRUE and `availableFlagCorner[2]` is equal to TRUE, the following applies:

- For  $X$  being replaced by 0 or 1, the following applies:
  - The variable `availableFlagLX` is derived as follows:

- If all of the following conditions are true, availableFlagLX is set equal to TRUE:
  - predFlagLXCorner[ 0 ] is equal to 1.
  - predFlagLXCorner[ 2 ] is equal to 1.
  - refIdxLXCorner[ 0 ] is equal to refIdxLXCorner[ 2 ].
- Otherwise, availableFlagLX is set equal to FALSE.
- When availableFlagLX is equal to TRUE, the following applies:
  - The second control point motion vector cpMvLXCorner[ 1 ] is derived as follows:
 
$$\text{cpMvLXCorner}[ 1 ][ 0 ] = ( \text{cpMvLXCorner}[ 0 ][ 0 ] \ll 7 ) + ( ( \text{cpMvLXCorner}[ 2 ][ 1 ] - \text{cpMvLXCorner}[ 0 ][ 1 ] ) \ll ( 7 + \text{Log2}( \text{cbWidth} ) - \text{Log2}( \text{cbHeight} / \text{cbWidth} ) ) ) \quad (828)$$
  - The rounding process for motion vectors as specified in subclause 8.5.3.10 is invoked with mvX set equal to cpMvLXCorner[ 1 ], rightShift set equal to 7, and leftShift set equal to 0 as inputs, and the rounded cpMvLXCorner[ 1 ] as output.
  - The following assignments are made:
 
$$\text{predFlagLXConst6} = 1 \quad (830)$$

$$\text{refIdxLXConst6} = \text{refIdxLXCorner}[ 0 ] \quad (831)$$

$$\text{cpMvLXConst6}[ 0 ] = \text{cpMvLXCorner}[ 0 ] \quad (832)$$

$$\text{cpMvLXConst6}[ 1 ] = \text{cpMvLXCorner}[ 1 ] \quad (833)$$

$$\text{cpMvLXConst6}[ 1 ][ 0 ] = \text{Clip3}( -2^{15}, 2^{15} - 1, \text{cpMvLXConst6}[ 1 ][ 0 ] ) \quad (834)$$

$$\text{cpMvLXConst6}[ 1 ][ 1 ] = \text{Clip3}( -2^{15}, 2^{15} - 1, \text{cpMvLXConst6}[ 1 ][ 1 ] ) \quad (835)$$
- The variables availableFlagConst6 and motionModelIdcConst6 are derived as follows:
  - If availableFlagL0 or availableFlagL1 is equal to 1, availableFlagConst6 is set equal to TRUE and motionModelIdcConst6 is set equal to 1.
  - Otherwise, availableFlagConst6 is set equal to FALSE and motionModelIdcConst6 is set equal to 0.

### 8.5.3.5 Derivation process for luma affine control point motion vector predictors

Inputs to this process are:

- a luma location ( xCb, yCb ) of the top-left sample of the current luma coding block relative to the top-left luma sample of the current picture,

- two variables  $cbWidth$  and  $cbHeight$  specifying the width and the height of the current luma coding block,
- the reference index of the current coding unit  $refIdxLX$ , with  $X$  being 0 or 1,
- the number of control point motion vectors  $numCpMv$ , and
- the variable  $availLR$  specifying left and right neighbouring blocks' availability of luma coding block.

Outputs of this process are the luma affine control point motion vector predictors  $mvpCpLX[cpIdx]$  with  $X$  being 0 or 1, and  $cpIdx = 0..numCpMv - 1$ .

For the derivation of the control point motion vectors predictor candidate list,  $cpMvpListLX$  with  $X$  being 0 or 1, the following ordered steps apply:

- 1) The number of control point motion vector predictor candidates in the list  $numCpMvpCandLX$  is set equal to 0.
- 2) The variables  $availableFlagA$ ,  $availableFlagB$ , and  $availableFlagC$  are both set equal to FALSE.
- 3) The sample locations  $(xNbA_0, yNbA_0)$ ,  $(xNbA_1, yNbA_1)$ ,  $(xNbB_0, yNbB_0)$ ,  $(xNbB_1, yNbB_1)$ ,  $(xNbB_2, yNbB_2)$ ,  $(xNbC_0, yNbC_0)$ , and  $(xNbC_1, yNbC_1)$  are derived as follows:

$$(xNbA_0, yNbA_0) = (xCb - 1, yCb + cbHeight) \quad (836)$$

$$(xNbA_1, yNbA_1) = (xCb - 1, yCb + cbHeight - 1) \quad (837)$$

$$(xNbB_0, yNbB_0) = (xCb + cbWidth, yCb - 1) \quad (838)$$

$$(xNbB_1, yNbB_1) = (xCb + cbWidth - 1, yCb - 1) \quad (839)$$

$$(xNbB_2, yNbB_2) = (xCb - 1, yCb - 1) \quad (840)$$

$$(xNbC_0, yNbC_0) = (xCb + cbWidth, yCb + cbHeight) \quad (841)$$

$$(xNbC_1, yNbC_1) = (xCb + cbWidth, yCb + cbHeight - 1) \quad (842)$$

- 4) The following applies for  $(xNbA_k, yNbA_k)$  from  $(xNbA_0, yNbA_0)$  to  $(xNbA_1, yNbA_1)$ :
  - The derivation process for neighbouring block motion vector candidate availability as specified in subclause 6.4.3 is invoked with the neighbouring luma location  $(xNbA_k, yNbA_k)$  as input, and the output is assigned to the block availability flag  $availableA_k$ .
  - When  $availableA_k$  is equal to TRUE and  $MotionModelIdx[xNbA_k][yNbA_k]$  is greater than 0 and  $availableFlagA$  is equal to FALSE, the following applies:
    - The variable  $(xNb, yNb)$  is set equal to  $(CbPosX[xNbA_k][yNbA_k], CbPosY[xNbA_k][yNbA_k])$ ,  $nbW$  is set equal to  $CbWidth[xNbA_k][yNbA_k]$ , and  $nbH$  is set equal to  $CbHeight[xNbA_k][yNbA_k]$ .
    - If  $PredFlagLX[xNbA_k][yNbA_k]$  is equal to 1 and  $RefIdxLX[xNbA_k][yNbA_k]$  is equal to  $refIdxLX$ , the following applies:
      - The variable  $availableFlagA$  is set equal to TRUE.

- The derivation process for luma affine control point motion vectors from a neighbouring block as specified in subclause 8.5.3.3 is invoked with the luma coding block location (  $x_{Cb}, y_{Cb}$  ), the luma coding block width and height  $cbWidth$  and  $cbHeight$ , the neighbouring luma coding block location (  $x_{Nb}, y_{Nb}$  ), the neighbouring luma coding block width and height  $nbW$  and  $nbH$ , and the number of control point motion vectors  $numCpMv$  as input, the control point motion vector predictor candidates  $cpMvpLX[cpIdx]$  with  $cpIdx = 0..numCpMv - 1$  as outputs.
- The following assignments are made:

$$cpMvpListLX[numCpMvpCandLX][0] = cpMvpLX[0] \quad (843)$$

$$cpMvpListLX[numCpMvpCandLX][1] = cpMvpLX[1] \quad (844)$$

$$cpMvpListLX[numCpMvpCandLX][2] = cpMvpLX[2] \quad (845)$$

$$numCpMvpCandLX = numCpMvpCandLX + 1 \quad (846)$$

5) The following applies for (  $x_{NbB_k}, y_{NbB_k}$  ) from (  $x_{NbB_0}, y_{NbB_0}$  ) to (  $x_{NbB_2}, y_{NbB_2}$  ):

- The derivation process for neighbouring block motion vector candidate availability as specified in subclause 6.4.3 is invoked with the neighbouring luma location (  $x_{NbB_k}, y_{NbB_k}$  ) as input, and the output is assigned to the block availability flag  $availableB_k$ .
- When  $availableB_k$  is equal to TRUE and  $MotionModelIdx[x_{NbB_k}][y_{NbB_k}]$  is greater than 0 and  $availableFlagB$  is equal to FALSE, the following applies:
  - The variable (  $x_{Nb}, y_{Nb}$  ) is set equal to (  $CbPosX[x_{NbB_k}][y_{NbB_k}]$ ,  $CbPosY[x_{NbB_k}][y_{NbB_k}]$  ),  $nbW$  is set equal to  $CbWidth[x_{NbB_k}][y_{NbB_k}]$ , and  $nbH$  is set equal to  $CbHeight[x_{NbB_k}][y_{NbB_k}]$ .
  - If  $PredFlagLX[x_{NbB_k}][y_{NbB_k}]$  is equal to 1 and  $RefIdxLX[x_{NbB_k}][y_{NbB_k}]$  is equal to  $refIdxLX$ , the following applies:
    - The variable  $availableFlagB$  is set equal to TRUE.
    - The derivation process for luma affine control point motion vectors from a neighbouring block as specified in subclause 8.5.3.3 is invoked with the luma coding block location (  $x_{Cb}, y_{Cb}$  ), the luma coding block width and height  $cbWidth$  and  $cbHeight$ , the neighbouring luma coding block location (  $x_{Nb}, y_{Nb}$  ), the neighbouring luma coding block width and height  $nbW$  and  $nbH$ , and the number of control point motion vectors  $numCpMv$  as input, the control point motion vector predictor candidates  $cpMvpLX[cpIdx]$  with  $cpIdx = 0..numCpMv - 1$  as outputs.
    - The following assignments are made:

$$cpMvpListLX[numCpMvpCandLX][0] = cpMvpLX[0] \quad (847)$$

$$cpMvpListLX[numCpMvpCandLX][1] = cpMvpLX[1] \quad (848)$$

$$cpMvpListLX[numCpMvpCandLX][2] = cpMvpLX[2] \quad (849)$$

$$numCpMvpCandLX = numCpMvpCandLX + 1 \quad (850)$$

6) When  $\text{numCpMvpCandLX}$  is less than 2, the following applies for  $(x_{\text{NbC}_k}, y_{\text{NbC}_k})$  from  $(x_{\text{NbC}_0}, y_{\text{NbC}_0})$  to  $(x_{\text{NbC}_1}, y_{\text{NbC}_1})$ :

- The derivation process for neighbouring block motion vector candidate availability as specified in subclause 6.4.3 is invoked with the neighbouring luma location  $(x_{\text{NbC}_k}, y_{\text{NbC}_k})$  as input, and the output is assigned to the block availability flag  $\text{availableC}_k$ .
- When  $\text{availableC}_k$  is equal to TRUE and  $\text{MotionModelIdc}[x_{\text{NbC}_k}][y_{\text{NbC}_k}]$  is greater than 0 and  $\text{availableFlagC}$  is equal to FALSE, the following applies:
  - The variable  $(x_{\text{Nb}}, y_{\text{Nb}})$  is set equal to  $(\text{CbPosX}[x_{\text{NbC}_k}][y_{\text{NbC}_k}], \text{CbPosY}[x_{\text{NbC}_k}][y_{\text{NbC}_k}])$ ,  $\text{nbW}$  is set equal to  $\text{CbWidth}[x_{\text{NbC}_k}][y_{\text{NbC}_k}]$  and  $\text{nbH}$  is set equal to  $\text{CbHeight}[x_{\text{NbC}_k}][y_{\text{NbC}_k}]$ .
  - If  $\text{PredFlagLX}[x_{\text{NbC}_k}][y_{\text{NbC}_k}]$  is equal to 1 and  $\text{RefIdxLX}[x_{\text{NbC}_k}][y_{\text{NbC}_k}]$  is equal to  $\text{refIdxLX}$ , the following applies:
    - The variable  $\text{availableFlagC}$  is set equal to TRUE.
    - The derivation process for luma affine control point motion vectors from a neighbouring block as specified in subclause 8.5.3.3 is invoked with the luma coding block location  $(x_{\text{Cb}}, y_{\text{Cb}})$ , the luma coding block width and height  $\text{cbWidth}$  and  $\text{cbHeight}$ , the neighbouring luma coding block location  $(x_{\text{Nb}}, y_{\text{Nb}})$ , the neighbouring luma coding block width and height  $\text{nbW}$  and  $\text{nbH}$ , and the number of control point motion vectors  $\text{numCpMv}$  as inputs, the control point motion vector predictor candidates  $\text{cpMvpLX}[cpIdx]$  with  $cpIdx = 0..numCpMv - 1$  as outputs.
    - The following assignments are made:

$$\text{cpMvpListLX}[\text{numCpMvpCandLX}][0] = \text{cpMvpLX}[0] \quad (851)$$

$$\text{cpMvpListLX}[\text{numCpMvpCandLX}][1] = \text{cpMvpLX}[1] \quad (852)$$

$$\text{cpMvpListLX}[\text{numCpMvpCandLX}][2] = \text{cpMvpLX}[2] \quad (853)$$

$$\text{numCpMvpCandLX} = \text{numCpMvpCandLX} + 1 \quad (854)$$

7) When  $\text{numCpMvpCandLX}$  is less than 2, the following applies:

- The derivation process for constructed affine control point motion vector prediction candidate as specified in subclause 8.5.3.6 is invoked with the luma coding block location  $(x_{\text{Cb}}, y_{\text{Cb}})$ , the luma coding block width  $\text{cbWidth}$ , the luma coding block height  $\text{cbHeight}$ , and the reference index of the current coding unit  $\text{refIdxLX}$  as inputs, and the availability flag  $\text{availableConsFlagLX}$ , the availability flags  $\text{availableFlagLX}[cpIdx]$  and  $\text{cpMvpLX}[cpIdx]$  with  $cpIdx = 0..3$  as outputs.
- When  $\text{availableConsFlagLX}$  is equal to 1, and  $\text{numCpMvpCandLX}$  is equal to 0, the following assignments are made:

$$\text{cpMvpListLX}[\text{numCpMvpCandLX}][0] = \text{cpMvpLX}[0] \quad (855)$$

$$\text{cpMvpListLX}[\text{numCpMvpCandLX}][1] = \text{cpMvpLX}[1] \quad (856)$$

$$\text{cpMvpListLX}[\text{numCpMvpCandLX}][2] = \text{cpMvpLX}[2] \quad (857)$$

$$\text{numCpMvpCandLX} = \text{numCpMvpCandLX} + 1 \quad (858)$$

8) The following applies for  $cpIdx = 2..0$ :

- If  $cpIdx$  is equal to 2 and  $availableFlagLX[cpIdx]$  is equal to 0,  $cpIdx$  is modified to 3.
- When  $numCpMvpCandLX$  is less than 2 and  $availableFlagLX[cpIdx]$  is equal to 1, the following assignments are made:

$$cpMvpListLX[numCpMvpCandLX][0] = cpMvpLX[cpIdx] \quad (859)$$

$$cpMvpListLX[numCpMvpCandLX][1] = cpMvpLX[cpIdx] \quad (860)$$

$$cpMvpListLX[numCpMvpCandLX][2] = cpMvpLX[cpIdx] \quad (861)$$

$$numCpMvpCandLX = numCpMvpCandLX + 1 \quad (862)$$

9) When  $numCpMvpCandLX$  is less than 2, the following is repeated until  $numCpMvpCandLX$  is equal to 2, with  $mvZero[0]$  and  $mvZero[1]$  both being equal to 0:

$$cpMvpListLX[numCpMvpCandLX][0] = mvZero \quad (863)$$

$$cpMvpListLX[numCpMvpCandLX][1] = mvZero \quad (864)$$

$$cpMvpListLX[numCpMvpCandLX][2] = mvZero \quad (865)$$

$$numCpMvpCandLX = numCpMvpCandLX + 1 \quad (866)$$

The affine control point motion vector predictor  $cpMvpLX$  with  $X$  being 0 or 1 is derived as follows:

$$cpMvpLX = cpMvpListLX[affine_mvp_flag_LX[xCb][yCb]] \quad (867)$$

### 8.5.3.6 Derivation process for constructed affine control point motion vector prediction candidates

Inputs to this process are:

- a luma location  $(xCb, yCb)$  specifying the top-left sample of the current luma coding block relative to the top-left luma sample of the current picture,
- two variables  $cbWidth$  and  $cbHeight$  specifying the width and the height of the current luma coding block, and
- the reference index of the current coding unit partition  $refIdxLX$ , with  $X$  being 0 or 1.

Outputs of this process are:

- the availability flag of the constructed affine control point motion vector prediction candidates  $availableConsFlagLX$  with  $X$  being 0 or 1,
- the availability flags  $availableFlagLX[cpIdx]$  with  $cpIdx = 0..3$  and  $X$  being 0 or 1, and
- the constructed affine control point motion vector prediction candidates  $cpMvLX[cpIdx]$  with  $cpIdx = 0..3$  and  $X$  being 0 or 1.

The sample locations  $(xNbA_0, yNbA_0)$ ,  $(xNbA_1, yNbA_1)$ ,  $(xNbA_2, yNbA_2)$ ,  $(xNbB_0, yNbB_0)$ ,  $(xNbB_1, yNbB_1)$ ,  $(xNbB_2, yNbB_2)$ ,  $(xNbB_3, yNbB_3)$ , and  $(xNbC_2, yNbC_2)$  are derived as follows:

- The sample locations  $(x_{NbB_2}, y_{NbB_2})$ ,  $(x_{NbB_3}, y_{NbB_3})$ ,  $(x_{NbA_2}, y_{NbA_2})$  and  $(x_{NbC_2}, y_{NbC_2})$  are set equal to  $(x_{Cb} - 1, y_{Cb} - 1)$ ,  $(x_{Cb}, y_{Cb} - 1)$ ,  $(x_{Cb} - 1, y_{Cb})$  and  $(x_{Cb} + cbWidth, y_{Cb})$  respectively.
- The sample locations  $(x_{NbB_1}, y_{NbB_1})$  and  $(x_{NbB_0}, y_{NbB_0})$  are set equal to  $(x_{Cb} + cbWidth - 1, y_{Cb} - 1)$  and  $(x_{Cb} + cbWidth, y_{Cb} - 1)$ , respectively.
- The sample locations  $(x_{NbA_1}, y_{NbA_1})$  and  $(x_{NbA_0}, y_{NbA_0})$  are set equal to  $(x_{Cb} - 1, y_{Cb} + cbHeight - 1)$  and  $(x_{Cb} - 1, y_{Cb} + cbHeight)$ , respectively.

The first (top-left) control point motion vector  $cpMvLX[0]$  and the availability flag  $availableFlagLX[0]$  are derived in the following ordered steps:

- 1) The availability flag  $availableFlagLX[0]$  is set equal to 0 and both components of  $cpMvLX[0]$  are set equal to 0.
- 2) The following applies for  $(x_{NbTL}, y_{NbTL})$  with TL being replaced by  $B_2$ ,  $B_3$ , and  $A_2$ :
  - The derivation process for neighbouring block motion vector candidate availability as specified in subclause 6.4.3 is invoked the luma location  $(x_{NbY}, y_{NbY})$  set equal to  $(x_{NbTL}, y_{NbTL})$  as input, and the output is assigned to the coding block availability flag  $availableTL$ .
  - When  $availableTL$  is equal to TRUE and  $availableFlagLX[0]$  is equal to 0, the following applies:
    - If  $PredFlagLX[x_{NbTL}][y_{NbTL}]$  is equal to 1, and  $RefIdxLX[x_{NbTL}][y_{NbTL}]$  is equal to  $refIdxLX$ ,  $availableFlagLX[0]$  is set equal to 1 and the following assignments are made:

$$cpMvLX[0] = MvLX[x_{NbTL}][y_{NbTL}] \quad (868)$$

The second (top-right) control point motion vector  $cpMvLX[1]$  and the availability flag  $availableFlagLX[1]$  are derived in the following ordered steps:

- 1) The availability flag  $availableFlagLX[1]$  is set equal to 0 and both components of  $cpMvLX[1]$  are set equal to 0.
- 2) The following applies for  $(x_{NbTR}, y_{NbTR})$  with TR being replaced in given order by  $B_0$ ,  $B_1$  and  $C_2$ :
  - The derivation process for neighbouring block motion vector candidate availability as specified in subclause 6.4.3 is invoked with the luma location  $(x_{NbY}, y_{NbY})$  set equal to  $(x_{NbTR}, y_{NbTR})$  as input, and the output is assigned to the coding block availability flag  $availableTR$ .
  - When  $availableTR$  is equal to TRUE and  $availableFlagLX[1]$  is equal to 0, the following applies:
    - If  $PredFlagLX[x_{NbTR}][y_{NbTR}]$  is equal to 1, and  $RefIdxLX[x_{NbTR}][y_{NbTR}]$  is equal to  $refIdxLX$ ,  $availableFlagLX[1]$  is set equal to 1 and the following assignments are made:

$$cpMvLX[1] = MvLX[x_{NbTR}][y_{NbTR}] \quad (869)$$

The third (bottom-left) control point motion vector  $cpMvLX[2]$  and the availability flag  $availableFlagLX[2]$  are derived in the following ordered steps:

- 1) The availability flag  $availableFlagLX[2]$  is set equal to 0 and both components of  $cpMvLX[2]$  are set equal to 0.
- 2) The following applies for  $(x_{NbBL}, y_{NbBL})$  with BL being replaced by  $A_1$  and  $A_0$ :

- The derivation process for neighbouring block motion vector candidate availability as specified in subclause 6.4.3 is invoked the luma location (  $x_{NbY}$ ,  $y_{NbY}$  ) set equal to (  $x_{NbBL}$ ,  $y_{NbBL}$  ) as input, and the output is assigned to the coding block availability flag  $availableBL$ .
- When  $availableBL$  is equal to TRUE and  $availableFlagLX[ 2 ]$  is equal to 0, the following applies:
  - If  $PredFlagLX[ x_{NbBL} ][ y_{NbBL} ]$  is equal to 1, and  $RefIdxLX[ x_{NbBL} ][ y_{NbBL} ]$  is equal to  $refIdxLX$ ,  $availableFlagLX[ 2 ]$  is set equal to 1 and the following assignments are made:

$$cpMvLX[ 2 ] = MvLX[ x_{NbBL} ][ y_{NbBL} ] \quad (870)$$

The fourth (bottom-right) control point motion vector  $cpMvLX[ 3 ]$  and the availability flag  $availableFlagLX[ 3 ]$  are derived in the following ordered steps:

- 1) The sample locations (  $x_{NbC_1}$ ,  $y_{NbC_1}$  ) and (  $x_{NbC_0}$ ,  $y_{NbC_0}$  ) are set equal to (  $x_{Cb} + cbWidth$ ,  $y_{Cb} + cbHeight - 1$  ) and (  $x_{Cb} + cbWidth$ ,  $y_{Cb} + cbHeight$  ), respectively.
- 2) The availability flag  $availableFlagLX[ 3 ]$  is set equal to 0 and both components of  $cpMvLX[ 3 ]$  are set equal to 0.
- 3) The following applies for (  $x_{NbBR}$ ,  $y_{NbBR}$  ) with BR being replaced by  $C_1$  and  $C_0$ :
  - The derivation process for neighbouring block motion vector candidate availability as specified in subclause 6.4.3 is invoked with the luma location (  $x_{NbY}$ ,  $y_{NbY}$  ) set equal to (  $x_{NbBR}$ ,  $y_{NbBR}$  ) as input, and the output is assigned to the coding block availability flag  $availableBR$ .
  - When  $availableBR$  is equal to TRUE and  $availableFlagLX[ 2 ]$  is equal to 0, the following applies:
    - If  $PredFlagLX[ x_{NbBR} ][ y_{NbBR} ]$  is equal to 1, and  $RefIdxLX[ x_{NbBR} ][ y_{NbBR} ]$  is equal to  $refIdxLX$ ,  $availableFlagLX[ 3 ]$  is set equal to 1 and the following assignments are made:

$$cpMvLX[ 3 ] = MvLX[ x_{NbBR} ][ y_{NbBR} ] \quad (871)$$

The variable  $availableConsFlagLX$  is derived as follows:

- If  $availableFlagLX[ 0 ]$  is equal to 1,  $availableFlagLX[ 1 ]$  is equal to 1, and  $availableFlagLX[ 2 ]$  is equal to 1,  $availableConsFlagLX$  is set equal to 1.
- Otherwise, if  $availableFlagLX[ 0 ]$  is equal to 1,  $availableFlagLX[ 1 ]$  is equal to 1,  $availableFlagLX[ 2 ]$  is equal to 0, and  $availableFlagLX[ 3 ]$  is equal to 1,  $availableConsFlagLX$  is set equal to 1, and following applies:

$$cpMvLX[ 2 ] = Clip3( -2^{15}, 2^{15} - 1, cpMvLX[ 3 ] + cpMvLX[ 0 ] - cpMvLX[ 1 ] ) \quad (872)$$

- Otherwise, if  $availableFlagLX[ 0 ]$  is equal to 1,  $availableFlagLX[ 1 ]$  is equal to 1, and  $MotionModelIdc[ x_{Cb} ][ y_{Cb} ]$  is equal to 1,  $availableConsFlagLX$  is set equal to 1.
- Otherwise,  $availableConsFlagLX$  is set equal to 0.

### 8.5.3.7 Derivation process for motion vector arrays from affine control point motion vectors

Inputs to this process are:

- a luma location (  $x_{Cb}$ ,  $y_{Cb}$  ) of the top-left sample of the current luma coding block relative to the top-left luma sample of the current picture,

- two variables `cbWidth` and `cbHeight` specifying the width and the height of the luma coding block,
- the number of control point motion vectors `numCpMv`,
- the control point motion vectors `cpMvLX[ cpIdx ]`, with `cpIdx = 0..numCpMv - 1` and `X` being 0 or 1,
- the prediction list utilization flags `predFlagLX`, with `X` being 0 or 1, and
- the reference index `refIdxLX` and `X` being 0 or 1.

Outputs of this process are:

- the number of luma coding subblocks in horizontal direction `numSbX` and in vertical direction `numSbY`,
- the size of luma coding subblocks in horizontal direction `sizeSbX` and in vertical direction `sizeSbY`,
- the luma subblock motion vector array `mvLX[ xSbIdx ][ ySbIdx ]` with `xSbIdx = 0..numSbX - 1`, `ySbIdx = 0..numSbY - 1` and `X` being 0 or 1, and
- the chroma subblock motion vector array `mvCLX[ xSbIdx ][ ySbIdx ]` with `xSbIdx = 0..numSbX - 1`, `ySbIdx = 0..numSbY - 1` and `X` being 0 or 1.

The variables `sizeSbX`, `sizeSbY`, `numSbX`, `numSbY`, and `clipMV` flag are derived according to subclause 8.5.3.8.

When `predFlagLX` is equal to 1, the following applies for `X` being 0 and 1:

- Horizontal change of motion vector `dX`, vertical change of motion vector `dY` and base motion vector `mvBaseScaled` are derived by invoking the process as specified in subclause 8.5.3.9 with the luma coding block width `cbWidth`, the luma coding block height `cbHeight`, number of control point motion vectors `numCpMv` and the control point motion vectors `cpMvLX[ cpIdx ]` with `cpIdx = 0..numCpMv - 1` as inputs.
- For `ySbIdx = 0..numSbY - 1`:
  - For `xSbIdx = 0..numSbX - 1`:
    - The luma motion vector `mvLX[ xSbIdx ][ ySbIdx ]` is derived as follows:
 
$$xPosSb = sizeSbX * xSbIdx + ( sizeSbX >> 1 ) \quad (873)$$

$$yPosSb = sizeSbY * ySbIdx + ( sizeSbY >> 1 ) \quad (874)$$

$$mvLX[ xSbIdx ][ ySbIdx ][ 0 ] = ( mvBaseScaled[ 0 ] + dX[ 0 ] * xPosSb + dY[ 0 ] * yPosSb ) \quad (875)$$

$$mvLX[ xSbIdx ][ ySbIdx ][ 1 ] = ( mvBaseScaled[ 1 ] + dX[ 1 ] * xPosSb + dY[ 1 ] * yPosSb ) \quad (876)$$
    - The rounding process for motion vectors as specified in subclause 8.5.3.10 is invoked with `mvX` set equal to `mvLX[ xSbIdx ][ ySbIdx ]`, `rightShift` set equal to 5, and `leftShift` set equal to 0 as inputs, and the rounded `mvLX[ xSbIdx ][ ySbIdx ]` as output.
    - The motion vectors `mvLX[ xSbIdx ][ ySbIdx ]` are clipped as follows:
 
$$mvLX[ xSbIdx ][ ySbIdx ][ 0 ] = Clip3( -2^{17}, 2^{17} - 1, mvLX[ xSbIdx ][ ySbIdx ][ 0 ] ) \quad (877)$$

$$mvLX[xSbIdx][ySbIdx][1] = Clip3(-2^{17}, 2^{17} - 1, mvLX[xSbIdx][ySbIdx][1]) \quad (878)$$

- The derivation process for chroma motion vectors as specified in subclause 8.5.2.6 is invoked with  $mvLX[xSbIdx][ySbIdx]$  as input, and the chroma motion vector  $mvCLX[xSbIdx][ySbIdx]$  as output.

### 8.5.3.8 Derivation process for affine subblock size

Inputs to this process are:

- two variables  $cbWidth$  and  $cbHeight$  specifying the width and the height of the luma coding block,
- the number of control point motion vectors  $numCpMv$ ,
- the control point motion vectors  $cpMvLX[cpIdx]$ , with  $cpIdx = 0..numCpMv - 1$  and  $X$  being 0 or 1, and
- the prediction list utilization flags  $predFlagLX$ , with  $X$  being 0 or 1.

Outputs of this process are:

- the size of luma coding subblocks in horizontal direction  $sizeSbX$  and in vertical direction  $sizeSbY$ ,
- the number of luma coding subblocks in horizontal direction  $numSbX$  and in vertical direction  $numSbY$ , and
- the flag  $clipMV$  indicating motion vector clipping type for blocks processed with EIF.

The variables  $sizeSbX$  and  $sizeSbY$  are derived as follows:

- $sizeSbX$  is set equal to  $cbWidth$ .
- $sizeSbY$  is set equal to  $cbHeight$ .

The variables  $eifCanBeAppliedX$  and  $clipMVX$  are derived as follows for  $X$  being 0 and 1:

- $eifCanBeAppliedX$  is set equal to TRUE.
- $clipMVX$  is set equal to FALSE.

The variable  $eifSubblockSize$  is set equal to 4.

When  $predFlagLX$  is equal to 1, the following applies for  $X$  being 0 and 1:

- Horizontal change of motion vector  $dX$ , vertical change of motion vector  $dY$  and base motion vector  $mvBaseScaled$  are derived by invoking the process as specified in subclause 8.5.3.9 with the luma coding block width  $cbWidth$ , the luma coding block height  $cbHeight$ , number of control point motion vectors  $numCpMv$  and the control point motion vectors  $cpMvLX[cpIdx]$  with  $cpIdx = 0..numCpMv - 1$  as inputs.
- The variable  $mvWx$  and  $mvWy$  are derived as follows:

$$mvWx = \text{Max}(\text{Abs}(dX[0]), \text{Abs}(dX[1])) \quad (879)$$

$$mvWy = \text{Max}(\text{Abs}(dY[0]), \text{Abs}(dY[1])) \quad (880)$$

- The variable sizeSbXTemp is specified in Table 22 according to the value of mvWx.
- The variable sizeSbYTemp is specified in Table 23 according to the value of mvWy.
- The variable sizeSbX is modified as follow:  

$$\text{sizeSbX} = \text{Min}(\text{sizeSbX}, \text{sizeSbXTemp}) \quad (881)$$

- The variable sizeSbY is modified as follow:  

$$\text{sizeSbY} = \text{Min}(\text{sizeSbY}, \text{sizeSbYTemp}) \quad (882)$$

**Table 22 — Specification of sizeSbXTemp for various input values of mvWx**

<b>mvWx</b>	0	1	2	3	4	> 4
<b>sizeSbX</b>	cbWidth	32	16	8	8	4

**Table 23 — Specification of sizeSbYTemp for various input values of mvWy**

<b>mvWy</b>	0	1	2	3	4	> 4
<b>sizeSbY</b>	cbHeight	32	16	8	8	4

- The variables eifCanBeAppliedX and clipMVX are modified as follows:
- The arrays X[ i ] and Y[ i ] are derived as follows:

$$X[ 0 ] = 0 \quad (883)$$

$$X[ 1 ] = ( \text{eifSubblockSize} + 1 ) * ( dX[ 0 ] + ( 1 \ll 9 ) ) \quad (884)$$

$$X[ 2 ] = ( \text{eifSubblockSize} + 1 ) * dY[ 0 ] \quad (885)$$

$$X[ 3 ] = X[ 1 ] + X[ 2 ] \quad (886)$$

$$Y[ 0 ] = 0 \quad (887)$$

$$Y[ 1 ] = ( \text{eifSubblockSize} + 1 ) * dX[ 1 ] \quad (888)$$

$$Y[ 2 ] = ( \text{eifSubblockSize} + 1 ) * ( dY[ 1 ] + ( 1 \ll 9 ) ) \quad (889)$$

$$Y[ 3 ] = Y[ 1 ] + Y[ 2 ] \quad (890)$$

- The variable Xmax is set equal to maximum of X[ i ] for i is equal 0..3.
- The variable Xmin is set equal to minimum of X[ i ] for i is equal 0..3.
- The variable Ymax is set equal to maximum of Y[ i ] for i is equal 0..3.
- The variable Ymin is set equal to minimum of Y[ i ] for i is equal 0..3.
- The variable W is set equal to  $( X_{\text{max}} - X_{\text{min}} + ( 1 \ll 9 ) - 1 ) \gg 9$ .

- The variable  $H$  is set equal to  $(Y_{max} - Y_{min} + (1 \ll 9) - 1) \gg 9$ .
- If  $(W + 2) * (H + 2)$  is greater than 72, the variable  $clipMVX$  is set equal to TRUE.
- If  $dY[1]$  is less than  $(-1 \ll 9)$ , then the variable  $eifCanBeAppliedX$  is set equal to FALSE.
- Otherwise, the following applies:
  - If  $(\text{Max}(0, dY[1]) + \text{Abs}(dX[1])) * (1 + eifSubblockSize)$  is greater than  $(1 \ll 9)$ , then the variable  $eifCanBeAppliedX$  is set equal to FALSE.

The variables  $eifCanBeApplied$  and  $clipMV$  are derived as follows:

$$eifCanBeApplied = eifCanBeApplied0 \& eifCanBeApplied1 \quad (891)$$

$$clipMV = clipMV0 | clipMV1 \quad (892)$$

If  $eifCanBeApplied$  is equal to FALSE, then the variables  $sizeSbX$  and  $sizeSbY$  are modified as follows:

$$sizeSbX = \text{Max}(8, sizeSbX) \quad (893)$$

$$sizeSbY = \text{Max}(8, sizeSbY) \quad (894)$$

The number of luma coding subblocks in horizontal direction  $numSbX$  and in vertical direction  $numSbY$  are derived as follows:

$$numSbX = cbWidth / sizeSbX \quad (895)$$

$$numSbY = cbHeight / sizeSbY \quad (896)$$

### 8.5.3.9 Derivation process for affine motion model parameters from control point motion vectors

Inputs to this process are:

- two variables  $cbWidth$  and  $cbHeight$  specifying the width and the height of the luma coding block,
- the number of control point motion vectors  $numCpMv$ , and
- the control point motion vectors  $cpMvLX[cpIdx]$ , with  $cpIdx = 0..numCpMv - 1$  and  $X$  being 0 or 1.

Outputs of this process are:

- the horizontal change of motion vector  $dX$ ,
- the vertical change of motion vector  $dY$ , and
- the motion vector  $mvBaseScaled$  corresponding to the top-left corner of the luma coding block.

The variables  $log2CbW$  and  $log2CbH$  are derived as follows:

$$log2CbW = \text{Log2}(cbWidth) \quad (897)$$

$$\log_2 CbH = \text{Log}_2(\text{cbHeight}) \quad (898)$$

Horizontal change of motion vector dX is derived as follows:

$$dX[0] = (\text{cpMvLX}[1][0] - \text{cpMvLX}[0][0]) \ll (7 - \log_2 CbW) \quad (899)$$

$$dX[1] = (\text{cpMvLX}[1][1] - \text{cpMvLX}[0][1]) \ll (7 - \log_2 CbW) \quad (900)$$

Vertical change of motion vector dY is derived as follows:

— If numCpMv is equal to 3, dY is derived as follow:

$$dY[0] = (\text{cpMvLX}[2][0] - \text{cpMvLX}[0][0]) \ll (7 - \log_2 CbH) \quad (901)$$

$$dY[1] = (\text{cpMvLX}[2][1] - \text{cpMvLX}[0][1]) \ll (7 - \log_2 CbH) \quad (902)$$

— Otherwise ( numCpMv is equal to 2), dY is derived as follows:

$$dY[0] = -dX[1] \quad (903)$$

$$dY[1] = dX[0] \quad (904)$$

Motion vector mvBaseScaled corresponding to the top-left corner of the luma coding block is derived as follows:

$$\text{mvBaseScaled}[0] = \text{cpMvLX}[0][0] \ll 7 \quad (905)$$

$$\text{mvBaseScaled}[1] = \text{cpMvLX}[0][1] \ll 7 \quad (906)$$

### 8.5.3.10 Rounding process for motion vectors

Inputs to this process are:

- the motion vector mvX,
- the right shift parameter rightShift for rounding, and
- the left shift parameter leftShift for resolution increase.

Output of this process is the rounded motion vector mvX.

For the rounding of mvX, the following applies:

$$\text{offset} = (\text{rightShift} = 0) ? 0 : (1 \ll (\text{rightShift} - 1)) \quad (907)$$

$$\text{mvX}[0] = ((\text{mvX}[0] + \text{offset} - (\text{mvX}[0] \geq 0)) \gg \text{rightShift}) \ll \text{leftShift} \quad (908)$$

$$\text{mvX}[1] = ((\text{mvX}[1] + \text{offset} - (\text{mvX}[1] \geq 0)) \gg \text{rightShift}) \ll \text{leftShift} \quad (909)$$

## 8.5.4 Decoding process for inter prediction samples

### 8.5.4.1 General

Inputs to this process are:

- a luma location (  $x_{Cb}, y_{Cb}$  ) specifying the top-left sample of the current luma coding block relative to the top-left luma sample of the current picture,
- two variables  $n_{CbW}$  and  $n_{CbH}$  specifying the width and the height of the current luma coding block,
- variables  $numSbX$  and  $numSbY$  specifying the number of luma coding subblocks in horizontal and vertical direction,
- the luma motion vectors in 1/16 fractional-sample accuracy  $mvL0[xSbIdx][ySbIdx]$  with  $xSbIdx = 0..numSbX - 1$ , and  $ySbIdx = 0..numSbY - 1$ , and  $mvL1[xSbIdx][ySbIdx]$  with  $xSbIdx = 0..numSbX - 1$ , and  $ySbIdx = 0..numSbY - 1$ ,
- the refined motion vectors  $refMvL0[xSbIdx][ySbIdx]$  and  $refMvL1[xSbIdx][ySbIdx]$  with  $xSbIdx = 0..numSbX - 1$ , and  $ySbIdx = 0..numSbY - 1$ ,
- the chroma motion vectors in 1/32 fractional-sample accuracy  $mvCL0[xSbIdx][ySbIdx]$  with  $xSbIdx = 0..numSbX - 1$ ,  $ySbIdx = 0..numSbY - 1$ , and  $mvCL1[xSbIdx][ySbIdx]$  with  $xSbIdx = 0..numSbX - 1$ ,  $ySbIdx = 0..numSbY - 1$ ,
- the refined chroma motion vectors in 1/32 fractional-sample accuracy  $refMvCL0[xSbIdx][ySbIdx]$  with  $xSbIdx = 0..numSbX - 1$ ,  $ySbIdx = 0..numSbY - 1$ , and  $refMvCL1[xSbIdx][ySbIdx]$  with  $xSbIdx = 0..numSbX - 1$ ,  $ySbIdx = 0..numSbY - 1$ ,
- the reference indices  $refIdxL0$  and  $refIdxL1$ ,
- the prediction list utilization flags,  $predFlagL0$ , and  $predFlagL1$ ,
- the number of control point motion vectors  $numCpMv$ ,
- the control point motion vectors  $cpMvL0[cpIdx]$  with  $cpIdx = 0..numCpMv - 1$  and  $cpMvL1[cpIdx]$  with  $cpIdx = 0..numCpMv - 1$ , and
- $clipMV$  flag specifying motion vector clipping type.

Outputs of this process are:

- an  $(n_{CbW_L}) \times (n_{CbH_L})$  array  $predSamples_L$  of luma prediction samples, where  $n_{CbW_L}$  and  $n_{CbH_L}$  are derived as specified in this subclause,
- when  $ChromaArrayType$  is not equal to 0, an  $(n_{CbW_C}) \times (n_{CbH_C})$  array  $preSamples_{Cb}$  of chroma prediction samples for the component  $Cb$ , where  $n_{CbW_C}$  and  $n_{CbH_C}$  are derived as specified in this subclause, and
- when  $ChromaArrayType$  is not equal to 0, an  $(n_{CbW_C}) \times (n_{CbH_C})$  array  $predSamples_{Cr}$  of chroma residual samples for the component  $Cr$ , where  $n_{CbW_C}$  and  $n_{CbH_C}$  are derived as specified in this subclause.

The variables  $n_{CbW_L}$  and  $n_{CbH_L}$  are set equal to  $n_{CbW}$  and  $n_{CbH}$ , respectively, and the variables  $n_{CbW_C}$  and  $n_{CbH_C}$  are set equal to  $n_{CbW} / SubWidthC$  and  $n_{CbH} / SubHeightC$ , respectively.

Let  $predSamplesL0_L$  and  $predSamplesL1_L$  be  $(n_{CbW}) \times (n_{CbH})$  arrays of predicted luma sample values and, when  $ChromaArrayType$  is not equal to 0,  $predSampleL0_{Cb}$ ,  $predSampleL1_{Cb}$ ,  $predSampleL0_{Cr}$ , and  $predSampleL1_{Cr}$  be  $(n_{CbW} / SubWidthC) \times (n_{CbH} / SubHeightC)$  arrays of predicted chroma sample values.

For X being each of 0 and 1, when predFlagLX is equal to 1, the following applies:

- The reference picture consisting of an ordered two-dimensional array refPicLX<sub>L</sub> of luma samples and, when ChromaArrayType is not equal to 0, two ordered two-dimensional arrays refPicLX<sub>Cb</sub> and refPicLX<sub>Cr</sub> of chroma samples is derived by invoking the process as specified in subclause 8.5.4.2 with refIdxLX as input.
- The width and the height of the current luma coding subblock sbWidth, sbHeight are derived as follows:

$$\text{sbWidth} = \text{nCbW} / \text{numSbX} \quad (910)$$

$$\text{sbHeight} = \text{nCbH} / \text{numSbY} \quad (911)$$

- If affine\_flag is equal to 1 and one of the variables sbWidth, sbHeight is less than 8, the following applies:

- Horizontal change of motion vector dX, vertical change of motion vector dY and base motion vector mvBaseScaled are derived by invoking the process as specified in subclause 8.5.3.9 with the luma coding block width nCbW, the luma coding block height nCbH, number of control point motion vectors numCpMv and the control point motion vectors cpMvLX[ cpIdx ] with cpIdx = 0..numCpMv - 1 as inputs.

- The array predSamplesLX<sub>L</sub> is derived by invoking interpolation process for enhanced interpolation filter as specified in subclause 8.5.4.4.1 with the luma location ( xSb, ySb ), the luma coding block width nCbW, the luma coding block height nCbH, horizontal change of motion vector dX, vertical change of motion vector dY, base motion vector mvBaseScaled, the reference array refPicLX<sub>L</sub>, sample bit depth BitDepth<sub>V</sub>, picture width pic\_width\_in\_luma\_samples, height pic\_height\_in\_luma\_samples, clipMV flag and flag isLuma equal to TRUE as inputs.

- When ChromaArrayType is not equal to 0, the following applies:

- The arrays predSamplesLXC<sub>b</sub>, is derived by invoking interpolation process for enhanced interpolation filter as specified in subclause 8.5.4.4.1 with the luma location ( xSb, ySb ), the luma coding block width nCbW, the luma coding block height nCbH, horizontal change of motion vector dX, vertical change of motion vector dY, base motion vector mvBaseScaled, the reference array refPicLXC<sub>b</sub>, sample bit depth BitDepth<sub>C</sub>, picture width pic\_width\_in\_luma\_samples and height pic\_height\_in\_luma\_samples, clipMV flag and flag isLuma equal to FALSE as inputs.

- The arrays predSamplesLXC<sub>r</sub>, is derived by invoking interpolation process for enhanced interpolation filter as specified in subclause 8.5.4.4.1 with the luma location ( xSb, ySb ), the luma coding block width nCbW, the luma coding block height nCbH, horizontal change of motion vector dX, vertical change of motion vector dY, base motion vector mvBaseScaled, the reference array refPicLXC<sub>r</sub>, sample bit depth BitDepth<sub>C</sub>, picture width pic\_width\_in\_luma\_samples and height pic\_height\_in\_luma\_samples, clipMV flag and flag isLuma equal to FALSE as inputs.

- Otherwise, for each coding subblock at subblock index ( xSbIdx, ySbIdx ) with xSbIdx = 0..numSbX - 1, and ySbIdx = 0..numSbY - 1, the following applies:

- The luma location ( xSb, ySb ) specifying the top-left sample of the current coding subblock relative to the top-left luma sample of the current picture is derived as follows:

$$(xSb, ySb) = (xCb + xSbIdx * sbWidth, yCb + ySbIdx * sbHeight) \quad (912)$$

- The motion vector offset  $mvOffset$  is set equal to  $refMvLX[xSbIdx][ySbIdx] - mvLX[xSbIdx][ySbIdx]$ .
- The variable  $isChromaPresent$  is set equal to TRUE if  $ChromaArrayType$  is not equal to 0, and is set equal to FALSE otherwise.
- The arrays  $predSamplesLx_L$  and, when  $isChromaPresent$ ,  $predSamplesLx_{Cb}$ , and  $predSamplesLx_{Cr}$  are derived by invoking the fractional sample interpolation process as specified in subclause 8.5.4.3.1 with the luma locations  $(xSb, ySb)$ , the luma coding block width  $sbWidth$ , the luma coding block height  $sbHeight$ , the refined motion vector  $refMvLX[xSb][ySb]$ , the luma motion vector offset  $mvOffset$ , the reference array  $refPicLx_L$ , the chroma component presence indicator  $isChromaPresent$ , and, when  $isChromaPresent$ , motion vector  $refMvCLX[xSb][ySb]$ , and the reference arrays  $refPicLx_{Cb}$ ,  $refPicLx_{Cr}$  as inputs.

The prediction samples inside the current luma coding block,  $predSamples_L[x_L][y_L]$  with  $x_L = 0..nCbw - 1$  and  $y_L = 0..nCbh - 1$ , are derived by invoking the sample prediction process as specified in subclause 8.5.4.5 with the coding block width  $nCbW$ , the coding block height  $nCbH$  and the sample arrays  $predSamplesL0_L$  and  $predSamplesL1_L$ , and the variables  $predFlagL0$ ,  $predFlagL1$ ,  $refIdxL0$ ,  $refIdxL1$  and  $cIdx$  equal to 0 as inputs.

When  $ChromaArrayType$  is not equal to 0, the prediction samples inside the current chroma component  $Cb$  coding block,  $predSamples_{Cb}[x_C][y_C]$  with  $x_C = 0..nCbw / SubWidthC - 1$  and  $y_C = 0..nCbh / SubHeightC - 1$ , are derived by invoking the sample prediction process as specified in subclause 8.5.4.5 with the coding block width  $nCbW$  set equal to  $nCbW / SubWidthC$ , the coding block height  $nCbH$  set equal to  $nCbH / SubHeightC$ , the sample arrays  $predSamplesL0_{Cb}$  and  $predSamplesL1_{Cb}$ , and the variables  $predFlagL0$ ,  $predFlagL1$ ,  $refIdxL0$ ,  $refIdxL1$  and  $cIdx$  equal to 1 as inputs.

When  $ChromaArrayType$  is not equal to 0, the prediction samples inside the current chroma component  $Cr$  coding block,  $predSamples_{Cr}[x_C][y_C]$  with  $x_C = 0..nCbw / SubWidthC - 1$  and  $y_C = 0..nCbh / SubHeightC - 1$ , are derived by invoking the sample prediction process as specified in subclause 8.5.4.5 with the coding block width  $nCbW$  set equal to  $nCbW / SubWidthC$ , the coding block height  $nCbH$  set equal to  $nCbH / SubHeightC$ , the sample arrays  $predSamplesL0_{Cr}$  and  $predSamplesL1_{Cr}$ , and the variables  $predFlagL0$ ,  $predFlagL1$ ,  $refIdxL0$ ,  $refIdxL1$  and  $cIdx$  equal to 2 as inputs.

#### 8.5.4.2 Reference picture selection process

Input to this process is a reference index  $refIdxLX$ .

Outputs of this process are:

- a reference picture consisting of a two-dimensional array of luma samples  $refPicLx_L$ , and
- when  $ChromaArrayType$  is not equal to 0, two two-dimensional arrays of chroma samples  $refPicLx_{Cb}$  and  $refPicLx_{Cr}$ .

The output reference picture  $RefPicListX[refIdxLX]$  consists of a  $pic\_width\_in\_luma\_samples$  by  $pic\_height\_in\_luma\_samples$  array of luma samples  $refPicLx_L$  and, when  $ChromaArrayType$  is not equal to 0, two  $PicWidthInSamplesC$  by  $PicHeightInSamplesC$  arrays of chroma samples  $refPicLx_{Cb}$  and  $refPicLx_{Cr}$ .

The reference picture sample arrays  $refPicLx_L$ ,  $refPicLx_{Cb}$ , and  $refPicLx_{Cr}$  correspond to decoded sample arrays  $S_L$ ,  $S_{Cb}$ , and  $S_{Cr}$  derived in subclause 8.8 for a previously-decoded picture.

### 8.5.4.3 Fractional sample interpolation process

#### 8.5.4.3.1 General

Inputs to this process are:

- a luma location (  $x_{Sb}$ ,  $y_{Sb}$  ) specifying the top-left sample of the current coding subblock relative to the top-left luma sample of the current picture,
- a variable  $sbWidthLX$  specifying the width of the current coding subblock in luma samples,
- a variable  $sbHeightLX$  specifying the height of the current coding subblock in luma samples,
- a refined luma motion vector  $refMvLX$  given in 1/16-luma-sample units,
- a motion vector offset  $mvOffset$  given in 1/16-luma-sample units,
- the selected reference picture sample array  $refPicLX_L$ ,
- chroma component presence indicator  $isChromaPresent$ ,
- when  $isChromaPresent$ , a chroma motion vector  $mvCLX$  given in 1/32-chroma-sample units, and
- when  $isChromaPresent$ , selected reference picture sample arrays  $refPicLX_{Cb}$  and  $refPicLX_{Cr}$ .

Outputs of this process are:

- an  $(sbWidthLX) \times (sbHeightLX)$  array  $predSamplesLX_L$  of prediction luma sample values, and
- when  $isChromaPresent$ , two  $(sbWidthLX / SubWidthC) \times (sbHeightLX / SubHeightC)$  arrays  $predSamplesLX_{Cb}$  and  $predSamplesLX_{Cr}$  of prediction chroma sample values.

The motion vector  $mvLX$  is set equal to (  $refMvLX - mvOffset$  ).

Let (  $x_{Int_L}$ ,  $y_{Int_L}$  ) be a luma location given in full-sample units and (  $x_{Frac_L}$ ,  $y_{Frac_L}$  ) be an offset given in 1/16-sample units. These variables are used only in this subclause for specifying fractional-sample locations inside the reference sample arrays  $refPicLX_L$ ,  $refPicLX_{Cb}$  and  $refPicLX_{Cr}$ .

The top-left coordinate of the bounding block for reference sample padding (  $x_{SbIntL}$ ,  $y_{SbIntL}$  ) is set equal to ( (  $x_{Sb} + ( mvLX[ 0 ] \gg 4$  ),  $y_{Sb} + ( mvLX[ 1 ] \gg 4$  ) ).

The top-left coordinate of the chroma bounding block for reference sample padding (  $x_{SbIntC}$ ,  $y_{SbIntC}$  ) is set equal to ( (  $x_{Sb} / SubWidthC + ( mvLX[ 0 ] \gg 5$  ), (  $y_{Sb} / SubHeightC + ( mvLX[ 1 ] \gg 5$  ) ).

For each luma sample location (  $x_L = 0..sbWidth - 1$ ,  $y_L = 0..sbHeight - 1$  ) inside the prediction luma sample array  $predSamplesLX_L$ , the corresponding prediction luma sample value  $predSamplesLX_L[x_L][y_L]$  is derived as follows:

- The variables  $x_{Int_L}$ ,  $y_{Int_L}$ ,  $x_{Frac_L}$  and  $y_{Frac_L}$  are derived as follows:

$$x_{Int_L} = x_{Sb} + ( refMvLX[ 0 ] \gg 4 ) + x_L \quad (913)$$

$$y_{Int_L} = y_{Sb} + ( refMvLX[ 1 ] \gg 4 ) + y_L \quad (914)$$

$$x_{Frac_L} = refMvLX[ 0 ] \& 15 \quad (915)$$

$$yFrac_L = refMvLX[ 1 ] \& 15 \tag{916}$$

- The prediction luma sample value  $predSamplesLX_L[x_L][y_L]$  is derived by invoking the process as specified in subclause 8.5.4.3.2 with  $(xInt_L, yInt_L)$ ,  $(xFrac_L, yFrac_L)$ ,  $(xSbInt_L, ySbInt_L)$ ,  $sbWidth$ ,  $sbHeight$  and  $refPicLX_L$  as inputs.

If  $isChromaPresent$  the following applies:

Let  $(xInt_c, yInt_c)$  be a chroma location given in full-sample units and  $(xFrac_c, yFrac_c)$  be an offset given in 1/32 sample units. These variables are used only in this subclause for specifying general fractional-sample locations inside the reference sample arrays  $refPicLX_{cb}$  and  $refPicLX_{cr}$ .

For each chroma sample location  $(x_c = 0..sbWidth / SubWidthC - 1, y_c = 0..sbHeight / SubHeightC - 1)$  inside the prediction chroma sample arrays  $predSamplesLX_{cb}$  and  $predSamplesLX_{cr}$ , the corresponding prediction chroma sample values  $predSamplesLX_{cb}[x_c][y_c]$  and  $predSamplesLX_{cr}[x_c][y_c]$  are derived as follows:

- The variables  $xInt_c, yInt_c, xFrac_c$  and  $yFrac_c$  are derived as follows:

$$xInt_c = (xSb / SubWidthC) + (mvCLX[ 0 ] \gg 5) + x_c \tag{917}$$

$$yInt_c = (ySb / SubHeightC) + (mvCLX[ 1 ] \gg 5) + y_c \tag{918}$$

$$xFrac_c = mvCLX[ 0 ] \& 31 \tag{919}$$

$$yFrac_c = mvCLX[ 1 ] \& 31 \tag{920}$$

- The prediction sample value  $predSamplesLX_{cb}[x_c][y_c]$  is derived by invoking the process as specified in subclause 8.5.4.3.3 with  $(xInt_c, yInt_c)$ ,  $(xFrac_c, yFrac_c)$ ,  $(xSbInt_c, ySbInt_c)$ ,  $sbWidth / SubWidthC$ ,  $sbHeight / SubHeightC$  and  $refPicLX_{cb}$  as inputs.
- The prediction sample value  $predSamplesLX_{cr}[x_c][y_c]$  is derived by invoking the process as specified in subclause 8.5.4.3.3 with  $(xInt_c, yInt_c)$ ,  $(xFrac_c, yFrac_c)$ ,  $(xSbInt_c, ySbInt_c)$ ,  $sbWidth / SubWidthC$ ,  $sbHeight / SubHeightC$  and  $refPicLX_{cr}$  as inputs.

#### 8.5.4.3.2 Luma sample interpolation process

Inputs to this process are:

- a luma location in full-sample units  $(xInt_L, yInt_L)$ ,
- a luma location in fractional-sample units  $(xFrac_L, yFrac_L)$ ,
- a luma location in full-sample units  $(xSbInt_L, ySbInt_L)$  specifying the top-left sample of the bounding block for reference sample padding relative to the top-left luma sample of the reference picture,
- the luma reference sample array  $refPicLXL$ ,
- a variable  $sbWidth$  specifying the width of the current subblock, and
- a variable  $sbHeight$  specifying the height of the current subblock.

Output of this process is a predicted luma sample value  $predSampleLX_L$ .

The variables  $shift1, shift2$  and  $offset2$  are derived as follows:

— The variable shift1 is set equal to  $\text{Min}(4, \text{BitDepth}_Y - 8)$ , and the variable shift2 is set equal to  $\text{Max}(8, 20 - \text{BitDepth}_Y)$ .

— The variable offset2 is set equal to  $1 \ll (\text{shift2} - 1)$ .

The variable picW is set equal to pic\_width\_in\_luma\_samples and the variable picH is set equal to pic\_height\_in\_luma\_samples.

The luma interpolation filter coefficients  $f_L[p]$  for each 1/16 fractional sample position p equal to xFrac<sub>L</sub> or yFrac<sub>L</sub> are specified in Table 24 or Table 25.

The luma locations in full-sample units ( xInt<sub>i</sub>, yInt<sub>i</sub> ) are derived as follows for  $i = 0..7$ :

$$xInt_i = \text{Clip3}(0, picW - 1, xInt_L + i - 3) \quad (921)$$

$$yInt_i = \text{Clip3}(0, picH - 1, yInt_L + i - 3) \quad (922)$$

The luma locations in full-sample are further modified as follows for  $i = 0..7$ :

$$xInt_i = \text{Clip3}(xSbInt_L - 3, xSbInt_L + sbWidth + 3, xInt_i) \quad (923)$$

$$yInt_i = \text{Clip3}(ySbInt_L - 3, ySbInt_L + sbHeight + 3, yInt_i) \quad (924)$$

The predicted luma sample value predSampleLX<sub>L</sub> is derived as follows:

— If both xFrac<sub>L</sub> and yFrac<sub>L</sub> are equal to 0, the value of predSampleLX<sub>L</sub> is derived as follows:

$$\text{predSampleLX}_L = \text{refPicLX}_L[xInt_3][yInt_3] \quad (925)$$

— Otherwise, if xFrac<sub>L</sub> is not equal to 0 and yFrac<sub>L</sub> is equal to 0, the value of predSampleLX<sub>L</sub> is derived as follows:

$$\text{predSampleLX}_L = \text{Clip3}(0, (1 \ll \text{BitDepth}_Y) - 1, (\sum_{i=0}^7 f_L[xFrac_L][i] * \text{refPicLX}_L[xInt_i][yInt_3]) \gg 6) \quad (926)$$

— Otherwise, if xFrac<sub>L</sub> is equal to 0 and yFrac<sub>L</sub> is not equal to 0, the value of predSampleLX<sub>L</sub> is derived as follows:

$$\text{predSampleLX}_L = \text{Clip3}(0, (1 \ll \text{BitDepth}_Y) - 1, (\sum_{i=0}^7 f_L[yFrac_L][i] * \text{refPicLX}_L[xInt_3][yInt_i]) \gg 6) \quad (927)$$

— Otherwise, if xFrac<sub>L</sub> is not equal to 0 and yFrac<sub>L</sub> is not equal to 0, the value of predSampleLX<sub>L</sub> is derived as follows:

— The sample array temp[ n ] with  $n = 0..7$ , is derived as follows:

$$\text{temp}[n] = (\sum_{i=0}^7 f_L[xFrac_L][i] * \text{refPicLX}_L[xInt_i][yInt_n]) \gg \text{shift1} \quad (928)$$

— The predicted luma sample value predSampleLX<sub>L</sub> is derived as follows:

$$\text{predSampleLX}_L = \text{Clip3}(0, (1 \ll \text{BitDepth}_Y) - 1, ((\sum_{i=0}^7 f_L[yFrac_L][i] * \text{temp}[i]) + \text{offset2}) \gg \text{shift2}) \quad (929)$$

**Table 24 — Specification of the luma interpolation filter coefficients  $f_l[p]$  for each 1/16 fractional sample position  $p$  for  $\text{sps\_admvp\_flag} = 1$**

Fractional sample position $p$	interpolation filter coefficients							
	$f_l[p][0]$	$f_l[p][1]$	$f_l[p][2]$	$f_l[p][3]$	$f_l[p][4]$	$f_l[p][5]$	$f_l[p][6]$	$f_l[p][7]$
1	0	1	-3	63	4	-2	1	0
2	-1	2	-5	62	8	-3	1	0
3	-1	3	-8	60	13	-4	1	0
4	-1	4	-10	58	17	-5	1	0
5	-1	4	-11	52	26	-8	3	-1
6	-1	3	-9	47	31	-10	4	-1
7	-1	4	-11	45	34	-10	4	1
8	-1	4	-11	40	40	-11	4	-1
9	-1	4	-10	34	45	-11	4	-1
10	-1	4	-10	31	47	-9	3	-1
11	-1	3	-8	26	52	-11	4	-1
12	0	1	-5	17	58	-10	4	-1
13	0	1	-4	13	60	-8	3	-1
14	0	1	-3	8	62	-5	2	-1
15	0	1	-2	4	63	-3	1	0

**Table 25 — Specification of the luma interpolation filter coefficients  $f_l[p]$  for each 1/16 fractional sample position  $p$  for  $\text{sps\_admvp\_flag} = 0$**

Fractional sample position $p$	interpolation filter coefficients							
	$f_l[p][0]$	$f_l[p][1]$	$f_l[p][2]$	$f_l[p][3]$	$f_l[p][4]$	$f_l[p][5]$	$f_l[p][6]$	$f_l[p][7]$
1	na	na	na	na	na	na	na	na
2	na	na	na	na	na	na	na	na
3	na	na	na	na	na	na	na	na
4	0	1	-5	52	20	-5	1	0
5	na	na	na	na	na	na	na	na
6	na	na	na	na	na	na	na	na
7	na	na	na	na	na	na	na	na
8	0	2	-10	40	40	-10	2	0
9	na	na	na	na	na	na	na	na
10	na	na	na	na	na	na	na	na
11	na	na	na	na	na	na	na	na
12	0	1	-5	20	52	-5	1	0
13	na	na	na	na	na	na	na	na
14	na	na	na	na	na	na	na	na
15	na	na	na	na	na	na	na	na

NOTE The value 0 specified in Tables 24 and 25 can be considered as the value "na" for the implementation.

### 8.5.4.3.3 Chroma sample interpolation process

Inputs to this process are:

- a chroma location in full-sample units (  $xInt_c, yInt_c$  ),
- a chroma location in 1/32 fractional-sample units (  $xFrac_c, yFrac_c$  ),
- a chroma location in full-sample units (  $xSbInt_c, ySbInt_c$  ) specifying the top-left sample of the bounding block for reference sample padding relative to the top-left chroma sample of the reference picture,
- a variable  $sbWidth$  specifying the width of the current chroma subblock,
- a variable  $sbHeight$  specifying the height of the current chroma subblock, and
- the chroma reference sample array  $refPicLX_c$ .

Output of this process is a predicted chroma sample value  $predSampleLX_c$ .

The variables  $shift1$ ,  $shift2$  and  $offset2$  are derived as follows:

- The variable  $shift1$  is set equal to  $\text{Min}(4, \text{BitDepth}_c - 8)$ , the variable  $shift2$  is set equal to  $\text{Max}(8, 20 - \text{BitDepth}_c)$ .
- The variable  $offset2$  is set equal to  $1 \ll (\text{shift2} - 1)$ .

The variable  $picW_c$  is set equal to  $\text{pic\_width\_in\_luma\_samples} / \text{SubWidth}_c$  and the variable  $picH_c$  is set equal to  $\text{pic\_height\_in\_luma\_samples} / \text{SubHeight}_c$ .

The luma interpolation filter coefficients  $f_c[p]$  for each 1/32 fractional sample position  $p$  equal to  $xFrac_c$  or  $yFrac_c$  are specified in Table 26 or Table 27.

The chroma locations in full-sample units (  $xInt_i, yInt_i$  ) are derived as follows for  $i = 0..3$ :

$$xInt_i = \text{Clip3}(0, picW_c - 1, xInt_c + i - 1) \quad (930)$$

$$yInt_i = \text{Clip3}(0, picH_c - 1, yInt_c + i - 1) \quad (931)$$

The chroma locations in full-sample units (  $xInt_i, yInt_i$  ) are further modified as follows for  $i = 0..3$ :

$$xInt_i = \text{Clip3}(xSbInt_c - 1, xSbInt_c + sbWidth + 1, xInt_i) \quad (932)$$

$$yInt_i = \text{Clip3}(ySbInt_c - 1, ySbInt_c + sbHeight + 1, yInt_i) \quad (933)$$

The predicted chroma sample value  $predSampleLX_c$  is derived as follows:

- If both  $xFrac_c$  and  $yFrac_c$  are equal to 0, the value of  $predSampleLX_c$  is derived as follows:

$$predSampleLX_c = refPicLX_c[xInt_1][yInt_1] \quad (934)$$

- Otherwise, if  $xFrac_c$  is not equal to 0 and  $yFrac_c$  is equal to 0, the value of  $predSampleLX_c$  is derived as follows:

$$\text{predSampleLX}_c = \text{Clip3}(0, (1 \ll \text{BitDepth}_c) - 1, (\sum_{i=0}^3 f_c[\text{xFrac}_c][i] * \text{refPicLX}_c[\text{xInt}_i][\text{yInt}_i]) \gg 6) \tag{935}$$

— Otherwise, if  $\text{xFrac}_c$  is equal to 0 and  $\text{yFrac}_c$  is not equal to 0, the value of  $\text{predSampleLX}_c$  is derived as follows:

$$\text{predSampleLX}_c = \text{Clip3}(0, (1 \ll \text{BitDepth}_c) - 1, (\sum_{i=0}^3 f_c[\text{yFrac}_c][i] * \text{refPicLX}_c[\text{xInt}_i][\text{yInt}_i]) \gg 6) \tag{936}$$

— Otherwise, if  $\text{xFrac}_c$  is not equal to 0 and  $\text{yFrac}_c$  is not equal to 0, the value of  $\text{predSampleLX}_c$  is derived as follows:

— The sample array  $\text{temp}[n]$  with  $n = 0..3$ , is derived as follows:

$$\text{temp}[n] = (\sum_{i=0}^3 f_c[\text{xFrac}_c][i] * \text{refPicLX}_c[\text{xInt}_i][\text{yInt}_n]) \gg \text{shift1} \tag{937}$$

— The predicted chroma sample value  $\text{predSampleLX}_c$  is derived as follows:

$$\begin{aligned} \text{predSampleLX}_c = \text{Clip3}(0, (1 \ll \text{BitDepth}_c) - 1, ( & \text{offset2} + \\ & f_c[\text{yFrac}_c][0] * \text{temp}[0] + \\ & f_c[\text{yFrac}_c][1] * \text{temp}[1] + \\ & f_c[\text{yFrac}_c][2] * \text{temp}[2] + \\ & f_c[\text{yFrac}_c][3] * \text{temp}[3]) \gg \text{shift2}) \end{aligned} \tag{938}$$

**Table 26 — Specification of the chroma interpolation filter coefficients  $f_c[p]$  for each  $1/32$  fractional sample position  $p$  for  $\text{sps\_admvp\_flag} = 1$**

Fractional sample position $p$	interpolation filter coefficients			
	$f_c[p][0]$	$f_c[p][1]$	$f_c[p][2]$	$f_c[p][3]$
1	-1	63	2	0
2	-2	62	4	0
3	-2	60	7	-1
4	-2	58	10	-2
5	-3	57	12	-2
6	-4	56	14	-2
7	-4	55	15	-2
8	-4	54	16	-2
9	-5	53	18	-2
10	-6	52	20	-2
11	-6	49	24	-3
12	-6	46	28	-4
13	-5	44	29	-4
14	-4	42	30	-4
15	-4	39	33	-4
16	-4	36	36	-4
17	-4	33	39	-4

Fractional sample position $p$	interpolation filter coefficients			
	$fc[p][0]$	$fc[p][1]$	$fc[p][2]$	$fc[p][3]$
18	-4	30	42	-4
19	-4	29	44	-5
20	-4	28	46	-6
21	-3	24	49	-6
22	-2	20	52	-6
23	-2	18	53	-5
24	-2	16	54	-4
25	-2	15	55	-4
26	-2	14	56	-4
27	-2	12	57	-3
28	-2	10	58	-2
29	-1	7	60	-2
30	0	4	62	-2
31	0	2	63	-1

**Table 27 — Specification of the chroma interpolation filter coefficients  $fc[p]$  for each  $1/32$  fractional sample position  $p$  for  $sps\_admvp\_flag = 0$**

Fractional sample position $p$	interpolation filter coefficients			
	$fc[p][0]$	$fc[p][1]$	$fc[p][2]$	$fc[p][3]$
1	na	na	na	na
2	na	na	na	na
3	na	na	na	na
4	-2	58	10	-2
5	na	na	na	na
6	na	na	na	na
7	na	na	na	na
8	-4	52	20	-4
9	na	na	na	na
10	na	na	na	na
11	na	na	na	na
12	-6	46	30	-6
13	na	na	na	na
14	na	na	na	na
15	na	na	na	na
16	-8	40	40	-8
17	na	na	na	na
18	na	na	na	na
19	na	na	na	na
20	-4	28	46	-6
21	na	na	na	na
22	na	na	na	na
23	na	na	na	na
24	-4	20	52	-4
25	na	na	na	na
26	na	na	na	na
27	na	na	na	na
28	-2	10	58	-2
29	na	na	na	na
30	na	na	na	na
31	na	na	na	na

**8.5.4.4 Interpolation process for the enhanced interpolation filter**

**8.5.4.4.1 General**

Inputs to this process are:

- a location (  $x_{Cb}$ ,  $y_{Cb}$  ) in full-sample units,
- two variables  $cbWidth$  and  $cbHeight$  specifying the width and the height of the current coding block,
- horizontal change of motion vector  $dX$ ,
- vertical change of motion vector  $dY$ ,
- motion vector  $mvBaseScaled$ ,
- the selected reference picture sample arrays  $refPicLX$ ,
- sample bit depth  $bitDepth$ ,
- width of the picture in samples  $picWidth$ ,
- height of the picture in samples  $picHeight$ ,
- $clipMV$  flag specifying MV clipping type, and
- $isLuma$  flag specifying whether luma or chroma is processed.

Output of this process is an  $(cbWidth / SubWidthC) \times (cbHeight / SubHeightC)$  array  $predSamplesLX$  of prediction sample values.

Interpolation filter coefficients  $T[p]$  for each fractional sample position  $p$  equal to  $xFrac$  or  $yFrac$  are specified in Table 28.

The variables  $horMax$ ,  $verMax$ ,  $horMin$  and  $verMin$  are derived by invoking the process as specified in subclause 8.5.4.4.2 with a location (  $x_{Cb}$ ,  $y_{Cb}$  ) in full-sample units, two variables  $cbWidth$  and  $cbHeight$  specifying the width and the height of the current coding block, horizontal change of motion vector  $dX$ , vertical change of motion vector  $dY$ , motion vector  $mvBaseScaled$ , width of the picture in samples  $picWidth$ , height of the picture in samples  $picHeight$  and  $clipMV$  flag as inputs, and  $horMax$ ,  $verMax$ ,  $horMin$  and  $verMin$  as outputs.

When  $isLuma$  is equal to FALSE, then variables  $mvBaseScaled$ ,  $horMin$ ,  $horMax$ ,  $verMin$  and  $verMax$  are modified as follows:

$$x_{Cb} = x_{Cb} / SubWidthC \quad (939)$$

$$y_{Cb} = y_{Cb} / SubHeightC \quad (940)$$

$$cbWidth = cbWidth / SubWidthC \quad (941)$$

$$cbHeight = cbHeight / SubHeightC \quad (942)$$

$$mvBaseScaled[0] = mvBaseScaled[0] / SubWidthC \quad (943)$$

$$mvBaseScaled[1] = mvBaseScaled[1] / SubHeightC \quad (944)$$

$$horMin = horMin / SubWidthC \quad (945)$$

$$horMax = horMax / SubWidthC \quad (946)$$

$$verMin = verMin / SubHeightC \quad (947)$$

$$\text{verMax} = \text{verMax} / \text{SubHeightC} \quad (948)$$

The variables shift0, shift1, offset0 and offset1 are derived as follows:

- shift0 is set equal to bitDepth – 8, offset0 is equal to 0.
- shift1 is set equal to 12 – shift0, offset1 is equal to  $2^{\text{shift1} - 1}$ .

For  $x = -1..cbWidth$  and  $y = -1..cbHeight$ , the following applies:

- The motion vector mvX is derived as follows:

$$\text{mvX}[0] = (\text{mvBaseScaled}[0] + \text{dX}[0] * x + \text{dY}[0] * y) \gg 4 \quad (949)$$

$$\text{mvX}[1] = (\text{mvBaseScaled}[1] + \text{dX}[1] * x + \text{dY}[1] * y) \gg 4 \quad (950)$$

$$\text{mvX}[0] = \text{Clip3}(\text{horMin}, \text{horMax}, \text{mvX}[0]) \quad (951)$$

$$\text{mvX}[1] = \text{Clip3}(\text{verMin}, \text{verMax}, \text{mvX}[1]) \quad (952)$$

- The variables xInt, yInt, xFrac and yFrac are derived as follows:

$$\text{xInt} = \text{xCb} + (\text{mvX}[0] \gg 5) + x \quad (953)$$

$$\text{yInt} = \text{yCb} + (\text{mvX}[1] \gg 5) + y \quad (954)$$

$$\text{xFrac} = \text{mvX}[0] \& 31 \quad (955)$$

$$\text{yFrac} = \text{mvX}[1] \& 31 \quad (956)$$

- The variables A and B are derived as follows:

$$A = (\text{refPicLX}[\text{xInt}][\text{yInt}] * T[\text{xFrac}][0] + \text{refPicLX}[\text{xInt} + 1][\text{yInt}] * T[\text{xFrac}][1] + \text{offset0}) \gg \text{shift0} \quad (957)$$

$$B = (\text{refPicLX}[\text{xInt}][\text{yInt} + 1] * T[\text{xFrac}][0] + \text{refPicLX}[\text{xInt} + 1][\text{yInt} + 1] * T[\text{xFrac}][1] + \text{offset0}) \gg \text{shift0} \quad (958)$$

- The sample value  $b_{x,y}$  corresponding to location (x, y) is derived as follows:

$$b_{x,y} = (A * T[\text{yFrac}][0] + B * T[\text{yFrac}][1] + \text{offset1}) \gg \text{shift1} \quad (959)$$

The enhancement interpolation filter coefficients eF[] are specified as { -1, 10, -1 }.

The variables shift2, shift3, offset2 and offset3 are derived as follows:

- shift2 is set equal to Max( bitDepth – 11, 0 ), offset2 is equal to  $2^{\text{shift2} - 1}$ .
- shift3 is set equal to ( 6 – Max( bitDepth – 11, 0 ) ), offset3 is equal to  $2^{\text{shift3} - 1}$ .

For  $x = 0..cbWidth - 1$  and  $y = -1..cbHeight$ , the following applies:

$$h_{x,y} = (\text{eF}[0] * b_{x-1,y} + \text{eF}[1] * b_{x,y} + \text{eF}[2] * b_{x+1,y} + \text{offset2}) \gg \text{shift2} \quad (960)$$

For  $x = 0..cbWidth - 1$  and  $y = 0..cbHeight - 1$ , the following applies:

$$\text{predSamplesLXL}[x][y] = \text{Clip3}(0, (1 \ll \text{bitDepth}) - 1, \\ (eF[0] * h_{x,y-1} + eF[1] * h_{x,y} + eF[2] * h_{x,y+1} + \text{offset3}) \gg \text{shift3})(961)$$

**Table 28 — Specification of the interpolation filter coefficients  $T[p]$  for each fractional sample position  $p$**

Fractional sample position $p$	Interpolation filter coefficients	
	$T[p][0]$	$T[p][1]$
0	64	0
1	62	2
2	60	4
3	58	6
4	56	8
5	54	10
6	52	12
7	50	14
8	48	16
9	46	18
10	44	20
11	42	22
12	40	24
13	38	26
14	36	28
15	34	30
16	32	32
17	30	34
18	28	36
19	26	38
20	24	40
21	22	42
22	20	44
23	18	46
24	16	48
25	14	50
26	12	52
27	10	54
28	8	56
29	6	58
30	4	60
31	2	62

**8.5.4.4.2 Derivation of clipping parameters for affine motion vector**

Inputs to this process are:

- a location ( xCb, yCb ) in full-sample units,
- two variables cbWidth and cbHeight specifying the width and the height of the current coding block,
- horizontal change of motion vector dX,
- vertical change of motion vector dY,
- motion vector mvBaseScaled,
- width of the picture in samples picWidth,
- height of the picture in samples picHeight, and
- clipMV flag specifying MV clipping type.

Outputs of this process are:

- horMax, verMax, horMin and verMin that denotes the maximum and minimum allowed motion vector horizontal and vertical components.

The variables log2CbW and log2CbH are derived as follows:

$$\text{log2CbWidth} = \text{Log2}( \text{cbWidth} ) \tag{962}$$

$$\text{log2CbHeight} = \text{Log2}( \text{cbHeight} ) \tag{963}$$

The variables horMaxPic, verMaxPic, horMinPic and verMinPic are derived as follows:

$$\text{horMaxPic} = ( \text{picWidth} + 128 - \text{xCb} - \text{cbWidth} - 1 ) \ll 5 \tag{964}$$

$$\text{verMaxPic} = ( \text{picHeight} + 128 - \text{yCb} - \text{cbHeight} - 1 ) \ll 5 \tag{965}$$

$$\text{horMinPic} = ( -128 - \text{xCb} ) \ll 5 \tag{966}$$

$$\text{verMinPic} = ( -128 - \text{yCb} ) \ll 5 \tag{967}$$

The centre motion vector mvCenter is derived as follows:

$$\text{mvCenter}[ 0 ] = ( \text{mvBaseScaled}[ 0 ] + \text{dX}[ 0 ] * ( \text{cbWidth} \gg 1 ) + \text{dY}[ 0 ] * ( \text{cbHeight} \gg 1 ) ) \tag{968}$$

$$\text{mvCenter}[ 1 ] = ( \text{mvBaseScaled}[ 1 ] + \text{dX}[ 1 ] * ( \text{cbWidth} \gg 1 ) + \text{dY}[ 1 ] * ( \text{cbHeight} \gg 1 ) ) \tag{969}$$

The rounding process for motion vectors as specified in subclause 8.5.3.10 is invoked with mvCenter, rightShift set equal to 4, and leftShift set equal to 0 as inputs, and the rounded motion vector is return as mvCenter.

If clipMV is equal to FALSE, then the output variables horMax, verMax, horMin and verMin that denotes the maximum and minimum allowed motion vector horizontal and vertical components are set equal to variables horMaxPic, verMaxPic, horMinPic and verMinPic, respectively.

Otherwise, the following steps are applied:

- The array deviationMV is set equal to { 128, 256, 544, 1120, 2272 }.
- The variables mvHorMin, mvVerMin, mvHorMax and mvVerMax are derived as follows:
  - $\text{horMin} = \text{mvCenter}[0] - \text{deviationMV}[\log_2\text{CbWidth} - 3]$  (970)
  - $\text{verMin} = \text{mvCenter}[1] - \text{deviationMV}[\log_2\text{CbHeight} - 3]$  (971)
  - $\text{horMax} = \text{mvCenter}[0] + \text{deviationMV}[\log_2\text{CbWidth} - 3]$  (972)
  - $\text{verMax} = \text{mvCenter}[1] + \text{deviationMV}[\log_2\text{CbHeight} - 3]$  (973)
- If horMin is less than horMinPic, the variables horMin and horMax are updated as follows:
  - $\text{horMin} = \text{horMinPic}$  (974)
  - $\text{horMax} = \text{Min}(\text{horMaxPic}, \text{horMinPic} + 2 * \text{deviationMV}[\log_2\text{CbWidth} - 3])$  (975)
- Otherwise, if horMax is greater than horMaxPic, the variables horMin and horMax are updated as follows:
  - $\text{horMin} = \text{Max}(\text{horMinPic}, \text{horMaxPic} - 2 * \text{deviationMV}[\log_2\text{CbWidth} - 3])$  (976)
  - $\text{horMax} = \text{horMaxPic}$  (977)
- If verMin is less than verMinPic, the variables verMin and verMax are updated as follows:
  - $\text{verMin} = \text{verMinPic}$  (978)
  - $\text{verMax} = \text{Min}(\text{verMaxPic}, \text{verMinPic} + 2 * \text{deviationMV}[\log_2\text{CbHeight} - 3])$  (979)
- Otherwise, if verMax is greater than verMaxPic, the variables verMin and verMax are updated as follows:
  - $\text{verMin} = \text{Max}(\text{verMinPic}, \text{verMaxPic} - 2 * \text{deviationMV}[\log_2\text{CbHeight} - 3])$  (980)
  - $\text{verMax} = \text{verMaxPic}$  (981)
- The output variables horMax, verMax, horMin and verMin are clipped as follows:
  - $\text{horMax} = \text{Clip3}(-2^{17}, 2^{17} - 1, \text{horMax})$  (982)
  - $\text{verMax} = \text{Clip3}(-2^{17}, 2^{17} - 1, \text{verMax})$  (983)
  - $\text{horMin} = \text{Clip3}(-2^{17}, 2^{17} - 1, \text{horMin})$  (984)
  - $\text{verMin} = \text{Clip3}(-2^{17}, 2^{17} - 1, \text{verMin})$  (985)

#### 8.5.4.5 Sample prediction process

Inputs to this process are:

- two variables nCbW and nCbH specifying the width and the height of the current coding block,
- two (nCbW)x(nCbH) arrays predSamplesL0 and predSamplesL1,

- the prediction list utilization flags, predFlagL0 and predFlagL1,
- the reference indices refIdxL0 and refIdxL1, and
- a variable cIdx specifying colour component index.

Output of this process is the (nCbW)x(nCbH) array pbSamples of prediction sample values.

Depending on the values of predFlagL0 and predFlagL1, the prediction samples pbSamples[ x ][ y ] with x = 0..nCbW - 1 and y = 0..nCbH - 1 are derived as follows:

- If predFlagL0 is equal to 1 and predFlagL1 is equal to 0, the prediction sample values are derived as follows:

$$\text{pbSamples}[ x ][ y ] = \text{predSamplesL0}[ x ][ y ] \quad (986)$$

- Otherwise, if predFlagL0 is equal to 0 and predFlagL1 is equal to 1, the prediction sample values are derived as follows:

$$\text{pbSamples}[ x ][ y ] = \text{predSamplesL1}[ x ][ y ] \quad (987)$$

- Otherwise (predFlagL0 is equal to 1 and predFlagL1 is equal to 1), the prediction sample values are derived as follows:

$$\text{pbSamples}[ x ][ y ] = ( \text{predSamplesL0}[ x ][ y ] + \text{predSamplesL1}[ x ][ y ] + 1 ) \gg 1 \quad (988)$$

## 8.5.5 Decoder-side motion vector refinement process

### 8.5.5.1 General

Inputs to this process are:

- a luma location ( xSb, ySb ) specifying the top-left sample of the current coding subblock relative to the top-left luma sample of the current picture,
- a variable sbWidth specifying the width of the current coding subblock in luma samples,
- a variable sbHeight specifying the height of the current coding subblock in luma samples,
- the luma motion vectors in 1/4 fractional-sample accuracy mvL0 and mvL1, and
- the selected reference picture sample arrays refPicL0<sub>L</sub> and refPicL1<sub>L</sub>.

Output of this process is the delta luma motion vector in 1/16 fractional sample accuracy dMvL0.

For X being replaced by either 0 or 1, motion vectors mvLtX are derived as conversion mvLX from 1/4 accuracy to 1/16 accuracy in subclause 8.5.2.9.

A variable srRange is set as 2. Variables offsetH[ 0 ], offsetV[ 0 ], offsetH[ 1 ] and offsetV[ 1 ] are set equal to 2. A variable fracPelAppliedflag is set equal to FALSE.

For X being replaced by either 0 or 1, motion vectors mvLsX are derived as follows:

$$\text{mvLsX}[ 0 ] = \text{mvLtX}[ 0 ] - 16 * \text{srRange} \quad (989)$$

$$mvLsX[1] = mvLtX[1] - 16 * srRange \quad (990)$$

For X being replaced by either 0 or 1, the  $(sbWidth + 2 * srRange) \times (sbHeight + 2 * srRange)$  array  $predSamplesLX_L$  of prediction luma sample values is derived by invoking the fractional sample bilinear interpolation process as specified in subclause 8.5.5.2 with luma location  $(xSb, ySb)$ , width of subblock  $(sbWidth + 2 * srRange)$ , height of subblock  $(sbHeight + 2 * srRange)$ , reference picture sample array  $refPicLX_L$  and motion vector  $mvLsX$  as inputs, and  $predSamplesLX_L$  as output.

The  $9 \times 1$  array of  $sadVal$  is derived by invoking the sum of the absolute differences calculation process as specified in subclause 8.5.5.3 with  $sbWidth$ ,  $sbHeight$ ,  $predSamplesL0_L$ ,  $predSamplesL1_L$ ,  $offsetH$  and  $offsetV$  as inputs, and  $sadVal$  as output.

If  $sadVal[4]$  greater than or equal to  $sbWidth * sbHeight$ , then the following ordered steps are applied:

- 1) Array entry selection process as specified in subclause 8.5.5.4 is invoked with  $sadVal$  and  $n = 9$  as input, and  $bestIdx$  as output.
- 2) If  $bestIdx$  is equal to 4,  $fracPelAppliedflag$  is set equal to TRUE.

Otherwise, the following applies:

$$dMvL0[0] = 16 * (bestIdx / 3 - 1) \quad (991)$$

$$dMvL0[1] = 16 * (bestIdx \% 3 - 1) \quad (992)$$

$$offsetH[0] = offsetH[0] + (bestIdx / 3 - 1) \quad (993)$$

$$offsetV[0] = offsetV[0] + (bestIdx \% 3 - 1) \quad (994)$$

$$offsetH[1] = offsetH[1] + (1 - bestIdx / 3) \quad (995)$$

$$offsetV[1] = offsetV[1] + (1 - bestIdx \% 3) \quad (996)$$

- The  $9 \times 1$  array of  $sadVal$  is modified by invoking the sum of the absolute differences calculation process as specified in subclause 8.5.5.3 with  $sbWidth$ ,  $sbHeight$ ,  $predSamplesL0_L$ ,  $predSamplesL1_L$ ,  $offsetH$  and  $offsetV$  as inputs, and modified  $sadVal$  as output.
- Array entry selection process as specified in subclause 8.5.5.4 is invoked with  $sadVal$  as input, and  $bestIdx$  as output.
- If  $bestIdx$  is equal to 4 and  $sadVal[4]$  is greater than 0,  $fracPelAppliedflag$  is set equal to TRUE.
- $dMvL0$  is modified as follows:

$$dMvL0[0] = dMvL0[0] + 16 * (bestIdx / 3 - 1) \quad (997)$$

$$dMvL0[1] = dMvL0[1] + 16 * (bestIdx \% 3 - 1) \quad (998)$$

- 3) If  $fracPelAppliedflag$  is TRUE, then parametric motion vector refinement process as specified in subclause 8.5.5.5 is invoked with  $sadVal$  and  $dMvL0$  as inputs, and modified  $dMvL0$  as output.

### 8.5.5.2 Fractional sample bilinear interpolation process

#### 8.5.5.2.1 General

Inputs to this process are:

- a luma location (  $x_{Sb}$ ,  $y_{Sb}$  ) specifying the top-left sample of the current coding subblock relative to the top-left luma,sample of the current picture,
- a variable  $sbWidth$  specifying the width of the current coding subblock in luma samples,
- a variable  $sbHeight$  specifying the height of the current coding subblock in luma samples,
- a luma motion vector  $mvLX$  given in 1/16 luma-sample units, and
- the selected reference picture sample array  $refPicLX_L$ .

Output of this process is an  $(sbWidth) \times (sbHeight)$  array  $predSamplesLX_L$  of prediction luma sample values.

Let (  $x_{Int_L}$ ,  $y_{Int_L}$  ) be a luma location given in full-sample units and (  $x_{Frac_L}$ ,  $y_{Frac_L}$  ) be an offset given in 1/16 sample units. These variables are used only in this subclause for specifying fractional-sample locations inside the reference sample arrays  $refPicLX_L$ .

For each luma sample location (  $x_L = 0..sbWidth - 1$ ,  $y_L = 0..sbHeight - 1$  ) inside the prediction luma sample array  $predSamplesLX_L$ , the corresponding prediction luma sample value  $predSamplesLX_L[x_L][y_L]$  is derived as follows:

- The variables  $x_{Int_L}$ ,  $y_{Int_L}$ ,  $x_{Frac_L}$  and  $y_{Frac_L}$  are derived as follows:

$$x_{Int_L} = x_{Sb} + ( mvLX[ 0 ] \gg 4 ) + x_L \tag{999}$$

$$y_{Int_L} = y_{Sb} + ( mvLX[ 1 ] \gg 4 ) + y_L \tag{1000}$$

$$x_{Frac_L} = mvLX[ 0 ] \& 15 \tag{1001}$$

$$y_{Frac_L} = mvLX[ 1 ] \& 15 \tag{1002}$$

The luma prediction sample value  $predSamplesLX_L[x_L][y_L]$  is derived by invoking the process as specified in subclause 8.5.5.2.2 with (  $x_{Int_L}$ ,  $y_{Int_L}$  ), (  $x_{Frac_L}$ ,  $y_{Frac_L}$  ) and  $refPicLX_L$  as inputs.

#### 8.5.5.2.2 Luma sample bilinear interpolation process

Inputs to this process are:

- a luma location in full-sample units (  $x_{Int_L}$ ,  $y_{Int_L}$  ),
- a luma location in fractional-sample units (  $x_{Frac_L}$ ,  $y_{Frac_L}$  ), and
- the luma reference sample array  $refPicLX_L$ .

Output of this process is a predicted luma sample value  $predSampleLX_L$ .

The variables  $shift0$ ,  $shift1$ ,  $shift2$ ,  $shift3$ ,  $shift4$ ,  $offset1$ ,  $offset2$ ,  $offset3$  and  $offset4$  are derived as follows:

$$\text{shift0} = 10 - \text{BitDepth}_Y \quad (1003)$$

$$\text{shift1} = \text{BitDepth}_Y - 10 \quad (1004)$$

$$\text{offset1} = 1 \ll (\text{shift1} - 1) \quad (1005)$$

$$\text{shift2} = \text{BitDepth}_Y - 4 \quad (1006)$$

$$\text{offset2} = 1 \ll (\text{shift2} - 1) \quad (1007)$$

$$\text{shift3} = \text{BitDepth}_Y - 8 \quad (1008)$$

$$\text{offset3} = 0 \quad (1009)$$

$$\text{shift4} = 10 \quad (1010)$$

$$\text{offset4} = 1 \ll 9 \quad (1011)$$

The variable  $\text{picW}$  is set equal to  $\text{pic\_width\_in\_luma\_samples}$  and the variable  $\text{picH}$  is set equal to  $\text{pic\_height\_in\_luma\_samples}$ .

The luma interpolation filter coefficients  $\text{fb}_L[p]$  for each 1/16 fractional sample position  $p$  equal to  $\text{xFrac}_L$  or  $\text{yFrac}_L$  are specified in Table 29.

The predicted luma sample value  $\text{predSampleLX}_L$  is derived as follows:

— If both  $\text{xFrac}_L$  and  $\text{yFrac}_L$  are equal to 0, the value of  $\text{predSampleLX}_L$  is derived as follows:

$$\text{predSampleLX}_L = \text{BitDepth}_Y \leq 10 ? \text{refPicLX}_L[\text{xInt}_L][\text{yInt}_L] \ll \text{shift0} : ((\text{refPicLX}_L[\text{xInt}_L][\text{yInt}_L] + \text{offset1}) \gg \text{shift1}) \quad (1012)$$

— Otherwise, if  $\text{xFrac}_L$  is not equal to 0 and  $\text{yFrac}_L$  is equal to 0, the value of  $\text{predSampleLX}_L$  is derived as follows:

$$\text{predSampleLX}_L = (\text{fb}_L[\text{xFrac}_L][0] * \text{refPicLX}_L[\text{Clip3}(0, \text{picW} - 1, \text{xInt}_L)][\text{yInt}_L] + \text{fb}_L[\text{xFrac}_L][1] * \text{refPicLX}_L[\text{Clip3}(0, \text{picW} - 1, \text{xInt}_L + 1)][\text{yInt}_L] + \text{offset2}) \gg \text{shift2} \quad (1013)$$

— Otherwise, if  $\text{xFrac}_L$  is equal to 0 and  $\text{yFrac}_L$  is not equal to 0, the value of  $\text{predSampleLX}_L$  is derived as follows:

$$\text{predSampleLX}_L = (\text{fb}_L[\text{yFrac}_L][0] * \text{refPicLX}_L[\text{xInt}_L][\text{Clip3}(0, \text{picH} - 1, \text{yInt}_L)] + \text{fb}_L[\text{yFrac}_L][1] * \text{refPicLX}_L[\text{xInt}_L][\text{Clip3}(0, \text{picH} - 1, \text{yInt}_L + 1)] + \text{offset2}) \gg \text{shift2} \quad (1014)$$

— Otherwise, if  $\text{xFrac}_L$  is not equal to 0 and  $\text{yFrac}_L$  is not equal to 0, the value of  $\text{predSampleLX}_L$  is derived as follows:

— The sample array  $\text{temp}[n]$  with  $n = 0..1$ , is derived as follows:

$$\text{yPos}_L = \text{Clip3}(0, \text{PicH} - 1, \text{yInt}_L + n) \quad (1015)$$

$$\text{temp}[n] = (\text{fb}_L[\text{xFrac}_L][0] * \text{refPicLX}_L[\text{Clip3}(0, \text{picW} - 1, \text{xInt}_L)][\text{yPos}_L] + \text{fb}_L[\text{xFrac}_L][1] * \text{refPicLX}_L[\text{Clip3}(0, \text{picW} - 1, \text{xInt}_L + 1)][\text{yPos}_L] + \text{offset3}) \gg \text{shift3} \quad (1016)$$

— The predicted luma sample value  $\text{predSampleLX}_L$  is derived as follows:

$$\text{predSampleLX}_L = ( \text{fb}_L[\text{yFrac}_L][0] * \text{temp}[0] + \text{fb}_L[\text{yFrac}_L][1] * \text{temp}[1] + \text{offset4} ) \gg \text{shift4} \tag{1017}$$

**Table 29 — Specification of the luma interpolation filter coefficients  $\text{fb}_L[p]$  for each 1/16 fractional sample position  $p$**

Fractional sample position $p$	interpolation filter coefficients	
	$\text{fb}_L[p][0]$	$\text{fb}_L[p][1]$
1	60	4
2	56	8
3	52	12
4	48	16
5	44	20
6	40	24
7	36	28
8	32	32
9	28	36
10	24	40
11	20	44
12	16	48
13	12	52
14	8	56
15	4	60

**8.5.5.3 Sum of absolute differences calculation process**

Inputs to this process are:

- two variables  $nSbW$  and  $nSbH$  specifying the width and the height of the current coding subblock,
- two  $(nSbW + 4) \times (nSbH + 4)$  array  $\text{predSamplesL0}$  and  $\text{predSamplesL1}$ , and
- two  $2 \times 1$  arrays  $\text{offsetH}$  and  $\text{offsetV}$ .

Outputs of this process is the (9) array  $\text{sadValues}$  of the sum of absolute differences.

A  $2 \times 9$  array  $bC$  is set as follows:

- $bC[0][0] = -1, bC[1][0] = -1, bC[0][1] = -1, bC[1][1] = 0, bC[0][2] = -1, bC[1][2] = 1.$
- $bC[0][3] = 0, bC[1][3] = -1, bC[0][4] = 0, bC[1][4] = 0, bC[0][5] = 0, bC[1][5] = 1.$
- $bC[0][6] = 1, bC[1][6] = -1, bC[0][7] = 1, bC[1][7] = 0, bC[0][8] = 1, bC[1][8] = 1.$

For each  $i$  with  $i = 0..8$ ,  $\text{sadValues}[i]$  is derived based on  $\text{predSampleL0}$ ,  $\text{predSampleL1}$ ,  $bC$ ,  $\text{offsetH}[0]$ ,  $\text{offsetV}[0]$ ,  $\text{offsetH}[1]$ , and  $\text{offsetV}[1]$  as follows:

- Set initial value of  $\text{sadValues}[i]$  to 0.
- For each  $y$  with  $y = \text{bC}[1][i]..(\text{nSbH} + \text{bC}[1][i])$ , the SAD value  $\text{sadValues}[i]$  is accumulated as follows:
  - For each  $x$  with  $x = \text{bC}[0][i]..(\text{nSbW} + \text{bC}[0][i])$ , the following applies:
 
$$\text{sadValues}[i] = \text{sadValues}[i] + \text{Abs}(\text{predSamplesL0}[x + \text{offsetH}[0]][y + \text{offsetV}[0]] - \text{predSamplesL1}[x - 2 \times \text{bC}[0][i] + \text{offsetH}[1]][y - 2 \times \text{bC}[1][i] + \text{offsetV}[1]]) \quad (1018)$$

#### 8.5.5.4 Array entry selection process

Input to this process is:

- a  $9 \times 1$  array  $\text{sadVal}$ .

Output of this process is  $\text{bestIdx}$  specifying an index.

The following steps are applied:

- If  $\text{sadVal}[1] < \text{sadVal}[7]$  and  $\text{sadVal}[3] < \text{sadVal}[5]$ , the following applies:
  - A variable  $\text{idxVal}$  is set equal to 0.
  - If  $\text{sadVal}[1] < \text{sadVal}[3]$ , a variable  $\text{bestIdx}$  is set equal to 1.
  - Otherwise,  $\text{bestIdx}$  is set equal to 3.
- Otherwise, if  $\text{sadVal}[1] \geq \text{sadVal}[7]$  and  $\text{sadVal}[3] < \text{sadVal}[5]$ , the following applies:
  - A variable  $\text{idxVal}$  is set equal to 6.
  - If  $\text{sadVal}[7] < \text{sadVal}[3]$ ,  $\text{bestIdx}$  is set equal to 7.
  - Otherwise,  $\text{bestIdx}$  is set equal to 3.
- Otherwise, if  $\text{sadVal}[1] < \text{sadVal}[7]$  and  $\text{sadVal}[3] \geq \text{sadVal}[5]$ , the following applies:
  - A variable  $\text{idxVal}$  is set equal to 2.
  - If  $\text{sadVal}[1] < \text{sadVal}[5]$ ,  $\text{bestIdx}$  is set equal to 1.
  - Otherwise,  $\text{bestIdx}$  is set equal to 5.
- Otherwise, if  $\text{sadVal}[1] \geq \text{sadVal}[7]$  and  $\text{sadVal}[3] \geq \text{sadVal}[5]$ , the following applies:
  - A variable  $\text{idxVal}$  is set equal to 8.
  - If  $\text{sadVal}[7] < \text{sadVal}[5]$ ,  $\text{bestIdx}$  is set equal to 7.
  - Otherwise,  $\text{bestIdx}$  is set equal to 5.
- When  $\text{sadVal}[4] \leq \text{sadVal}[\text{bestIdx}]$ ,  $\text{bestIdx}$  is set equal to 4.
- When  $\text{sadVal}[\text{idxVal}] < \text{sadVal}[\text{bestIdx}]$ ,  $\text{bestIdx}$  is set equal to  $\text{idxVal}$ .

### 8.5.5.5 Parametric motion vector refinement process

Inputs to this process are:

- the evaluated cost values in sadVal array (where index 4 corresponds to the bestIdx, indices 1 and 7 correspond to the integer distance positions to the left and right of the bestIdx position, and indices 3 and 5 correspond to the integer distance positions to the top and bottom of the bestIdx position), and
- luma delta motion vector dMvL0 given in 1/16 luma-sample units.

Output of this process is the modified luma motion vector dMvL0.

The following ordered steps are performed to derive the modified dMvL0 and dMvL1:

- Compute delta motion vector, dMv, as follows:

$$\text{if( sadVal[ 1 ] + sadVal[ 7 ] = ( sadVal[ 4 ] << 1 ) )} \\ \text{dMv[ 0 ] = 0} \tag{1019}$$

$$\text{else} \\ \text{dMv[ 0 ] = ( ( sadVal[ 1 ] - sadVal[ 7 ] ) << 4 ) / ( 2 * ( sadVal[ 1 ] + sadVal[ 7 ] - ( sadVal[ 4 ] << 1 ) ) )}$$

$$\text{if( sadVal[ 3 ] + sadVal[ 5 ] = ( sadVal[ 4 ] << 1 ) )} \\ \text{dMv[ 1 ] = 0} \tag{1020}$$

$$\text{else} \\ \text{dMv[ 1 ] = ( ( sadVal[ 3 ] - sadVal[ 5 ] ) << 4 ) / ( 2 * ( sadVal[ 3 ] + sadVal[ 5 ] - ( sadVal[ 4 ] << 1 ) ) )}$$

- dMvL0 is modified as follows:

$$\text{dMvL0[ 0 ] = dMvL0[ 0 ] + dMv[ 0 ]} \tag{1021}$$

$$\text{dMvL0[ 1 ] = dMvL0[ 1 ] + dMv[ 1 ]} \tag{1022}$$

### 8.5.6 Decoding process for the residual signal of coding units coded in inter prediction mode

#### 8.5.6.1 General

Inputs to this process are:

- a luma location ( xCb, yCb ) specifying the top-left sample of the current luma coding block relative to the top-left luma sample of the current picture,
- two variables, log2CbWidth and log2CbHeight, specifying the width and the height of the current luma coding block, and
- a variable, isChromaPresent, specifying the chroma component presence indicator.

Outputs of this process are:

- an (nCbWL)x(nCbHL) array resSamplesL of luma residual samples, where nCbWL and nCbHL are derived as specified in this subclause,
- when isChromaPresent, an (nCbWC)x(nCbHC) array resSamplesCb of chroma residual samples for the component Cb, where nCbWC and nCbHC are derived as specified in this subclause, and

- when `isChromaPresent`, an  $(nCbW_c) \times (nCbH_c)$  array `resSamplesCr` of chroma residual samples for the component `Cr`, where `nCbWc` and `nCbHc` are derived as specified in this subclause.

The variables `nCbWL` and `nCbHL` are set equal to  $1 \ll \log_2CbWidth$  and  $1 \ll \log_2CbHeight$ . When `isChromaPresent`, the variable `nCbWc` is set equal to `nCbWL / SubWidthC` and the variable `nCbHc` is set equal to `nCbHL / SubHeightC`.

Let `resSamplesL` be an  $(nCbW_L) \times (nCbH_L)$  array of luma residual samples and, when `isChromaPresent`, let `resSamplesCb` and `resSamplesCr` be two  $(nCbW_c) \times (nCbH_c)$  arrays of chroma residual samples.

Depending on the value of `cbf_all[ xCb ][ yCb ]`, the following applies:

- If `cbf_all[ xCb ][ yCb ]` is equal to 0 or `cu_skip_flag[ xCb ][ yCb ]` is equal to 1, all samples of the  $(nCbW_L) \times (nCbH_L)$  array `resSamplesL` and, when `isChromaPresent`, all samples of the two  $(nCbW_c) \times (nCbH_c)$  arrays `resSamplesCb` and `resSamplesCr` are set equal to 0.
- Otherwise (`cbf_all[ xCb ][ yCb ]` is equal to 1), the following ordered steps apply:
  - 1) The decoding process for luma residual blocks as specified in subclause 8.5.6.2 is invoked with the luma location  $( xCb, yCb )$ , the luma location  $( 0, 0 )$ , the variables `log2TrafoWidth` and `log2TrafoHeight` set equal to `log2CbWidth` and `log2CbHeight`, the variables `nCbW` and `nCbH` set equal to `nCbWL` and `nCbHL`, and the  $(nCbW_L) \times (nCbH_L)$  array `resSamplesL` as inputs, and the output is a modified version of the  $(nCbW_L) \times (nCbH_L)$  array `resSamplesL`.
  - 2) When `isChromaPresent`, the decoding process for chroma residual blocks as specified in subclause 8.5.6.3 is invoked with the luma location  $( xCb, yCb )$ , the luma location  $( 0, 0 )$ , the variables `log2TrafoWidth` and `log2TrafoHeight` set equal to `log2CbWidth` and `log2CbHeight`, the variable `cldx` set equal to 1, the variable `nCbW` set equal to `nCbWc`, the variable `nCbH` set equal to `nCbHc` and the  $(nCbW_c) \times (nCbH_c)$  array `resSamplesCb` as inputs, and the output is a modified version of the  $(nCbW_c) \times (nCbH_c)$  array `resSamplesCb`.
  - 3) When `isChromaPresent`, the decoding process for chroma residual blocks as specified in subclause 8.5.6.3 is invoked with the luma location  $( xCb, yCb )$ , the luma location  $( 0, 0 )$ , the variables `log2TrafoWidth` and `log2TrafoHeight` set equal to `log2CbWidth` and `log2CbHeight`, the variable `cldx` set equal to 2, the variable `nCbW` set equal to `nCbWc`, the variable `nCbH` set equal to `nCbHc` and the  $(nCbW_c) \times (nCbH_c)$  array `resSamplesCr` as inputs, and the output is a modified version of the  $(nCbW_c) \times (nCbH_c)$  array `resSamplesCr`.

### 8.5.6.2 Decoding process for luma residual blocks

Inputs to this process are:

- a luma location  $( xCb, yCb )$  specifying the top-left sample of the current luma coding block relative to the top-left luma sample of the current picture,
- a luma location  $( xTb, yTb )$  specifying the top-left samples of the current luma block relative to the top-left sample of the current luma coding block,
- two variables, `log2TrafoWidth` and `log2TrafoHeight`, specifying the width and the height of the current luma block,
- two variables, `nCbW` and `nCbH`, specifying the width and the height of the current luma coding block, and
- an  $(nCbW) \times (nCbH)$  array `resSamples` of luma residual samples.

Output of this process is a modified version of the  $(nCbW) \times (nCbH)$  array `resSamples` of luma residual samples.

Depending on the variables `log2TrafoWidth` and `log2TrafoHeight`, the following applies:

— If both `log2TrafoWidth` and `log2TrafoHeight` are greater than `MaxTbLog2SizeY`, the following ordered steps apply:

- 1) The decoding process for luma residual blocks as specified in this subclause is invoked with the luma location  $(x_{Cb}, y_{Cb})$ , the luma location  $(x_{Tb}, y_{Tb})$ , the variable `log2TrafoWidth` set equal to `log2TrafoWidth - 1` and `log2TrafoHeight` set equal to `log2TrafoHeight - 1`, the variable `nCbW` set equal to `nCbW` and the variable `nCbH` set equal to `nCbH`, and the  $(nCbW) \times (nCbH)$  array `resSamples` as inputs, and the output is a modified version of the  $(nCbW) \times (nCbH)$  array `resSamples`.
- 2) The decoding process for luma residual blocks as specified in this subclause is invoked with the luma location  $(x_{Cb}, y_{Cb})$ , the luma location  $(x_{Tb} + (1 \ll (\log2TrafoWidth - 1)), y_{Tb})$ , the variable `log2TrafoWidth` set equal to `log2TrafoWidth - 1` and `log2TrafoHeight` set equal to `log2TrafoHeight - 1`, the variable `nCbW` set equal to `nCbW` and the variable `nCbH` set equal to `nCbH`, and the  $(nCbW) \times (nCbH)$  array `resSamples` as inputs, and the output is a modified version of the  $(nCbW) \times (nCbH)$  array `resSamples`.
- 3) The decoding process for luma residual blocks as specified in this subclause is invoked with the luma location  $(x_{Cb}, y_{Cb})$ , the luma location  $(x_{Tb}, y_{Tb} + (1 \ll (\log2TrafoHeight - 1)))$ , the variable `log2TrafoWidth` set equal to `log2TrafoWidth - 1` and `log2TrafoHeight` set equal to `log2TrafoHeight - 1`, the variable `nCbW` set equal to `nCbW` and the variable `nCbH` set equal to `nCbH`, and the  $(nCbW) \times (nCbH)$  array `resSamples` as inputs, and the output is a modified version of the  $(nCbW) \times (nCbH)$  array `resSamples`.
- 4) The decoding process for luma residual blocks as specified in this subclause is invoked with the luma location  $(x_{Cb}, y_{Cb})$ , the luma location  $(x_{Tb} + (1 \ll (\log2TrafoWidth - 1)), y_{Tb} + (1 \ll (\log2TrafoHeight - 1)))$ , the variable `log2TrafoWidth` set equal to `log2TrafoWidth - 1` and `log2TrafoHeight` set equal to `log2TrafoHeight - 1`, the variable `nCbW` set equal to `nCbW` and the variable `nCbH` set equal to `nCbH`, and the  $(nCbW) \times (nCbH)$  array `resSamples` as inputs, and the output is a modified version of the  $(nCbW) \times (nCbH)$  array `resSamples`.

— Otherwise, if `log2TrafoWidth` is greater than `MaxTbLog2SizeY`, the following ordered steps apply:

- 1) The decoding process for luma residual blocks as specified in this subclause is invoked with the luma location  $(x_{Cb}, y_{Cb})$ , the luma location  $(x_{Tb}, y_{Tb})$ , the variable `log2TrafoWidth` set equal to `log2TrafoWidth - 1` and `log2TrafoHeight` set equal to `log2TrafoHeight`, the variable `nCbW` set equal to `nCbW` and the variable `nCbH` set equal to `nCbH`, and the  $(nCbW) \times (nCbH)$  array `resSamples` as inputs, and the output is a modified version of the  $(nCbW) \times (nCbH)$  array `resSamples`.
- 2) The decoding process for luma residual blocks as specified in this subclause is invoked with the luma location  $(x_{Cb}, y_{Cb})$ , the luma location  $(x_{Tb} + (1 \ll (\log2TrafoWidth - 1)), y_{Tb})$ , the variable `log2TrafoWidth` set equal to `log2TrafoWidth - 1` and `log2TrafoHeight` set equal to `log2TrafoHeight`, the variable `nCbW` set equal to `nCbW` and the variable `nCbH` set equal to `nCbH`, and the  $(nCbW) \times (nCbH)$  array `resSamples` as inputs, and the output is a modified version of the  $(nCbW) \times (nCbH)$  array `resSamples`.

— Otherwise, if `log2TrafoHeight` is greater than `MaxTbLog2SizeY`, the following ordered steps apply:

- 1) The decoding process for luma residual blocks as specified in this subclause is invoked with the luma location (  $x_{Cb}$ ,  $y_{Cb}$  ), the luma location (  $x_{Tb}$ ,  $y_{Tb}$  ), the variable  $\log_2\text{TrafoWidth}$  set equal to  $\log_2\text{TrafoWidth}$  and  $\log_2\text{TrafoHeight}$  set equal to  $\log_2\text{TrafoHeight} - 1$ , the variable  $n_{CbW}$  set equal to  $n_{CbW}$  and the variable  $n_{CbH}$  set equal to  $n_{CbH}$ , and the  $(n_{CbW}) \times (n_{CbH})$  array  $\text{resSamples}$  as inputs, and the output is a modified version of the  $(n_{CbW}) \times (n_{CbH})$  array  $\text{resSamples}$ .
  - 2) The decoding process for luma residual blocks as specified in this subclause is invoked with the luma location (  $x_{Cb}$ ,  $y_{Cb}$  ), the luma location (  $x_{Tb}$ ,  $y_{Tb} + (1 \ll (\log_2\text{TrafoHeight} - 1))$  ), the variable  $\log_2\text{TrafoWidth}$  set equal to  $\log_2\text{TrafoWidth}$  and  $\log_2\text{TrafoHeight}$  set equal to  $\log_2\text{TrafoHeight} - 1$ , the variable  $n_{CbW}$  set equal to  $n_{CbW}$  and the variable  $n_{CbH}$  set equal to  $n_{CbH}$ , and the  $(n_{CbW}) \times (n_{CbH})$  array  $\text{resSamples}$  as inputs, and the output is a modified version of the  $(n_{CbW}) \times (n_{CbH})$  array  $\text{resSamples}$ .
- Otherwise (both  $\log_2\text{TrafoWidth}$  and  $\log_2\text{TrafoHeight}$  are less than or equal to  $\text{MaxTbLog}_2\text{SizeY}$ ), the following ordered steps apply:
- 1) The  $(n_{CbW}) \times (n_{CbH})$  residual sample array of the current coding block  $\text{resSamples}$  is set equal to 0.
  - 2) Depending on the value of  $\text{ats\_cu\_inter\_flag}[x_0][y_0]$ ,  $\text{ats\_cu\_inter\_quad\_flag}[x_0][y_0]$ ,  $\text{ats\_cu\_inter\_horizontal\_flag}[x_0][y_0]$ , the following applies:
    - If  $\text{ats\_cu\_inter\_flag}[x_0][y_0]$  is equal to 0,  $n_{TbW}$  and  $n_{TbH}$  are set equal to  $n_{CbW}$  and  $n_{CbH}$ .
    - Otherwise, if  $\text{ats\_cu\_inter\_flag}[x_0][y_0]$  is equal to 1 and  $\text{ats\_cu\_inter\_horizontal\_flag}[x_0][y_0]$  is equal to 0,  $n_{TbW}$  and  $n_{TbH}$  are set equal to  $(n_{CbW} \gg (\text{ats\_cu\_inter\_quad\_flag}[x_0][y_0] + 1))$  and  $n_{CbH}$ .
    - Otherwise (both  $\text{ats\_cu\_inter\_flag}[x_0][y_0]$  and  $\text{ats\_cu\_inter\_horizontal\_flag}[x_0][y_0]$  are equal to 1),  $n_{TbW}$  and  $n_{TbH}$  are set equal to  $n_{CbW}$  and  $(n_{CbH} \gg (\text{ats\_cu\_inter\_quad\_flag}[x_0][y_0] + 1))$ .
  - 3) Depending on the value of  $\text{ats\_cu\_inter\_flag}[x_0][y_0]$  and  $\text{ats\_cu\_inter\_pos\_flag}[x_0][y_0]$ , the following applies:
    - If  $\text{ats\_cu\_inter\_flag}[x_0][y_0]$  is equal to 0,  $x_{Tb}$  and  $y_{Tb}$  are set equal to  $x_{Cb}$  and  $y_{Cb}$ .
    - Otherwise, if  $\text{ats\_cu\_inter\_flag}[x_0][y_0]$  is equal to 1 and  $\text{cu\_inter\_pos\_flag}[x_0][y_0]$  is equal to 0,  $x_{Tb}$  and  $y_{Tb}$  are set equal to  $x_{Cb}$  and  $y_{Cb}$ .
    - Otherwise (both  $\text{ats\_cu\_inter\_flag}[x_0][y_0]$  and  $\text{cu\_inter\_pos\_flag}[x_0][y_0]$  are equal to 1),  $x_{Tb}$  is set equal to  $(x_{Cb} + n_{CbW} - n_{TbW})$  and  $y_{Tb}$  is set equal to  $(y_{Cb} + n_{CbH} - n_{TbH})$ .
  - 4) The scaling and transformation process as specified in subclause 8.7.2 is invoked with the luma location (  $x_{Tb}$ ,  $y_{Tb}$  ), the variable  $\text{cIdx}$  set equal to 0, the transform width  $n_{TbW}$  set equal to  $n_{TbW}$  and the transform height  $n_{TbH}$  set equal to  $n_{TbH}$  as inputs, and the output is an  $(n_{TbW}) \times (n_{TbH})$  array  $\text{transformBlock}$ .
  - 5) The  $(n_{CbW}) \times (n_{CbH})$  residual sample array of the current coding block  $\text{resSamples}$  is modified as follows:

$$\text{resSamples}[x_{Tb} + i, y_{Tb} + j] = \text{transformBlock}[i, j], \text{ with } i = 0..n_{TbW} - 1, j = 0..n_{TbH} - 1 \quad (1023)$$

### 8.5.6.3 Decoding process for chroma residual blocks

This process is only invoked when ChromaArrayType is not equal to 0.

Inputs to this process are:

- a luma location (  $x_{Cb}$ ,  $y_{Cb}$  ) specifying the top-left sample of the current luma coding block relative to the top-left luma sample of the current picture,
- a luma location (  $x_{Tb}$ ,  $y_{Tb}$  ) specifying the top-left samples of the current luma block relative to the top-left sample of the current luma coding block,
- two variables,  $\log_2\text{TrafoWidth}$  and  $\log_2\text{TrafoHeight}$ , specifying the width and the height of the current chroma block in luma samples,
- a variable,  $cIdx$ , specifying the chroma component of the current block,
- the variables,  $nCbW$  and  $nCbH$ , specifying the width and height, respectively, of the current chroma coding block, and
- an  $(nCbW) \times (nCbH)$  array  $\text{resSamples}$  of chroma residual samples.

Output of this process is a modified version of the  $(nCbW) \times (nCbH)$  array  $\text{resSamples}$  of chroma residual samples.

Depending on the variables  $\log_2\text{TrafoWidth}$  and  $\log_2\text{TrafoHeight}$ , the following applies:

- If both  $\log_2\text{TrafoWidth}$  and  $\log_2\text{TrafoHeight}$  are greater than  $\text{MaxTbLog}_2\text{SizeY}$ , the following ordered steps apply:
  - 1) The decoding process for chroma residual blocks as specified in this subclause is invoked with the luma location (  $x_{Cb}$ ,  $y_{Cb}$  ), the luma location (  $x_{Tb}$ ,  $y_{Tb}$  ), the variable  $\log_2\text{TrafoWidth}$  set equal to  $\log_2\text{TrafoWidth} - 1$  and  $\log_2\text{TrafoHeight}$  set equal to  $\log_2\text{TrafoHeight} - 1$ , the variable  $nCbW$  set equal to  $nCbW$  and the variable  $nCbH$  set equal to  $nCbH$ , and the  $(nCbW) \times (nCbH)$  array  $\text{resSamples}$  as inputs, and the output is a modified version of the  $(nCbW) \times (nCbH)$  array  $\text{resSamples}$ .
  - 2) The decoding process for chroma residual blocks as specified in this subclause is invoked with the luma location (  $x_{Cb}$ ,  $y_{Cb}$  ), the luma location (  $x_{Tb} + (1 \ll (\log_2\text{TrafoWidth} - 1))$ ,  $y_{Tb}$  ), the variable  $\log_2\text{TrafoWidth}$  set equal to  $\log_2\text{TrafoWidth} - 1$  and  $\log_2\text{TrafoHeight}$  set equal to  $\log_2\text{TrafoHeight} - 1$ , the variable  $nCbW$  set equal to  $nCbW$  and the variable  $nCbH$  set equal to  $nCbH$ , and the  $(nCbW) \times (nCbH)$  array  $\text{resSamples}$  as inputs, and the output is a modified version of the  $(nCbW) \times (nCbH)$  array  $\text{resSamples}$ .
  - 3) The decoding process for chroma residual blocks as specified in this subclause is invoked with the luma location (  $x_{Cb}$ ,  $y_{Cb}$  ), the luma location (  $x_{Tb}$ ,  $y_{Tb} + (1 \ll (\log_2\text{TrafoHeight} - 1))$  ), the variable  $\log_2\text{TrafoWidth}$  set equal to  $\log_2\text{TrafoWidth} - 1$  and  $\log_2\text{TrafoHeight}$  set equal to  $\log_2\text{TrafoHeight} - 1$ , the variable  $nCbW$  set equal to  $nCbW$  and the variable  $nCbH$  set equal to  $nCbH$ , and the  $(nCbW) \times (nCbH)$  array  $\text{resSamples}$  as inputs, and the output is a modified version of the  $(nCbW) \times (nCbH)$  array  $\text{resSamples}$ .
  - 4) The decoding process for luma residual blocks as specified in this subclause is invoked with the luma location (  $x_{Cb}$ ,  $y_{Cb}$  ), the luma location (  $x_{Tb} + (1 \ll (\log_2\text{TrafoWidth} - 1))$ ,  $y_{Tb} + (1 \ll (\log_2\text{TrafoHeight} - 1))$  ), the variable  $\log_2\text{TrafoWidth}$  set equal to  $\log_2\text{TrafoWidth} - 1$  and  $\log_2\text{TrafoHeight}$  set equal to

$\log_2\text{TrafoHeight} - 1$ , the variable  $nCbW$  set equal to  $nCbW$  and the variable  $nCbH$  set equal to  $nCbH$ , and the  $(nCbW) \times (nCbH)$  array  $\text{resSamples}$  as inputs, and the output is a modified version of the  $(nCbW) \times (nCbH)$  array  $\text{resSamples}$ .

- Otherwise, if  $\log_2\text{TrafoWidth}$  is greater than  $\text{MaxTbLog2SizeY}$ , the following ordered steps apply:
  - 1) The decoding process for chroma residual blocks as specified in this subclause is invoked with the luma location  $(x_{Cb}, y_{Cb})$ , the luma location  $(x_{Tb}, y_{Tb})$ , the variable  $\log_2\text{TrafoWidth}$  set equal to  $\log_2\text{TrafoWidth} - 1$  and  $\log_2\text{TrafoHeight}$  set equal to  $\log_2\text{TrafoHeight}$ , the variable  $nCbW$  set equal to  $nCbW$  and the variable  $nCbH$  set equal to  $nCbH$ , and the  $(nCbW) \times (nCbH)$  array  $\text{resSamples}$  as inputs, and the output is a modified version of the  $(nCbW) \times (nCbH)$  array  $\text{resSamples}$ .
  - 2) The decoding process for chroma residual blocks as specified in this subclause is invoked with the luma location  $(x_{Cb}, y_{Cb})$ , the luma location  $(x_{Tb} + (1 \ll (\log_2\text{TrafoWidth} - 1)), y_{Tb})$ , the variable  $\log_2\text{TrafoWidth}$  set equal to  $\log_2\text{TrafoWidth} - 1$  and  $\log_2\text{TrafoHeight}$  set equal to  $\log_2\text{TrafoHeight}$ , the variable  $nCbW$  set equal to  $nCbW$  and the variable  $nCbH$  set equal to  $nCbH$ , and the  $(nCbW) \times (nCbH)$  array  $\text{resSamples}$  as inputs, and the output is a modified version of the  $(nCbW) \times (nCbH)$  array  $\text{resSamples}$ .
- Otherwise, if  $\log_2\text{TrafoHeight}$  is greater than  $\text{MaxTbLog2SizeY}$ , the following ordered steps apply:
  - 1) The decoding process for chroma residual blocks as specified in this subclause is invoked with the luma location  $(x_{Cb}, y_{Cb})$ , the luma location  $(x_{Tb}, y_{Tb})$ , the variable  $\log_2\text{TrafoWidth}$  set equal to  $\log_2\text{TrafoWidth}$  and  $\log_2\text{TrafoHeight}$  set equal to  $\log_2\text{TrafoHeight} - 1$ , the variable  $nCbW$  set equal to  $nCbW$  and the variable  $nCbH$  set equal to  $nCbH$ , and the  $(nCbW) \times (nCbH)$  array  $\text{resSamples}$  as inputs, and the output is a modified version of the  $(nCbW) \times (nCbH)$  array  $\text{resSamples}$ .
  - 2) The decoding process for chroma residual blocks as specified in this subclause is invoked with the luma location  $(x_{Cb}, y_{Cb})$ , the luma location  $(x_{Tb}, y_{Tb} + (1 \ll (\log_2\text{TrafoHeight} - 1)))$ , the variable  $\log_2\text{TrafoWidth}$  set equal to  $\log_2\text{TrafoWidth}$  and  $\log_2\text{TrafoHeight}$  set equal to  $\log_2\text{TrafoHeight} - 1$ , the variable  $nCbW$  set equal to  $nCbW$  and the variable  $nCbH$  set equal to  $nCbH$ , and the  $(nCbW) \times (nCbH)$  array  $\text{resSamples}$  as inputs, and the output is a modified version of the  $(nCbW) \times (nCbH)$  array  $\text{resSamples}$ .
- Otherwise (both  $\log_2\text{TrafoWidth}$  and  $\log_2\text{TrafoHeight}$  are less than or equal to  $\text{MaxTbLog2SizeY}$ ), the following ordered steps apply:
  - 1) The  $(nCbW) \times (nCbH)$  residual sample array of the current coding block  $\text{resSamples}$  is set equal to 0.
  - 2) Depending on the value of  $\text{ats\_cu\_inter\_flag}[x_0][y_0]$ ,  $\text{ats\_cu\_inter\_quad\_flag}[x_0][y_0]$ ,  $\text{ats\_cu\_inter\_horizontal\_flag}[x_0][y_0]$ , the following applies:
    - If  $\text{ats\_cu\_inter\_flag}[x_0][y_0]$  is equal to 0,  $nTbW$  and  $nTbH$  are set equal to  $nCbW$  and  $nCbH$ .
    - Otherwise, if  $\text{ats\_cu\_inter\_flag}[x_0][y_0]$  is equal to 1 and  $\text{ats\_cu\_inter\_horizontal\_flag}[x_0][y_0]$  is equal to 0,  $nTbW$  and  $nTbH$  are set equal to  $(nCbW \gg (\text{ats\_cu\_inter\_quad\_flag}[x_0][y_0] + 1))$  and  $nCbH$ .
    - Otherwise (both  $\text{ats\_cu\_inter\_flag}[x_0][y_0]$  and  $\text{ats\_cu\_inter\_horizontal\_flag}[x_0][y_0]$  are equal to 1),  $nTbW$  and  $nTbH$  are set equal to  $nCbW$  and  $(nCbH \gg (\text{ats\_cu\_inter\_quad\_flag}[x_0][y_0] + 1))$ .

- 3) Depending on the value of  $\text{ats\_cu\_inter\_flag}[x0][y0]$  and  $\text{ats\_cu\_inter\_pos\_flag}[x0][y0]$ , the following applies:
  - If  $\text{ats\_cu\_inter\_flag}[x0][y0]$  is equal to 0,  $xTb$  and  $yTb$  are set equal to  $xCb$  and  $yCb$ .
  - Otherwise, if  $\text{ats\_cu\_inter\_flag}[x0][y0]$  is equal to 1 and  $\text{cu\_inter\_pos\_flag}[x0][y0]$  is equal to 0,  $xTb$  and  $yTb$  are set equal to  $xCb$  and  $yCb$ .
  - Otherwise (both  $\text{ats\_cu\_inter\_flag}[x0][y0]$  and  $\text{cu\_inter\_pos\_flag}[x0][y0]$  are equal to 1),  $xTb$  is set equal to  $(xCb + (nCbW - nTbW) * \text{SubWidthC})$  and  $yTb$  is set equal to  $(yCb + (nCbH - nTbH) * \text{SubHeightC})$ .
- 4) The scaling and transformation process as specified in subclause 8.7.2 is invoked with the luma location  $(xTb, yTb)$ , the variable  $\text{cldx}$ , the transform width  $nTbW$  set equal to  $nTbW$  and the transform width  $nTbH$  set equal to  $nTbH$  as inputs, and the output is an  $(nTbW) \times (nTbH)$  array  $\text{transformBlock}$ .
- 5) The  $(nCbW) \times (nCbH)$  residual sample array of the current coding block  $\text{resSamples}$  is modified as follows, for  $i = 0..nTbW - 1$ ,  $j = 0..nTbH - 1$ :

$$\text{resSamples}[xTb / \text{SubWidthC} + i, yTb / \text{SubHeightC} + j] = \text{transformBlock}[i, j] \quad (1024)$$

## 8.6 Decoding process for coding units coded in ibc prediction mode

### 8.6.1 General

Inputs to this process are:

- a luma location  $(xCb, yCb)$  specifying the top-left sample of the current luma coding block relative to the top-left luma sample of the current picture, and
- two variables,  $\text{log2CbWidth}$  and  $\text{log2CbHeight}$ , specifying the width and the height of the current luma coding block.

Output of this process is a modified reconstructed block before in-loop filtering.

The derivation process for quantization parameters as specified in subclause 8.7.1 is invoked with the luma location  $(xCb, yCb)$  as input.

The variable  $\text{isChromaPresent}$  is set equal to TRUE, if  $\text{treeType}$  is equal to SINGLE\_TREE and  $\text{ChromaArrayType}$  is not equal to 0; otherwise, the variable  $\text{isChromaPresent}$  is set equal to FALSE.

The variables  $nCbW_L$  and  $nCbH_L$  are set equal to  $1 \ll \text{log2CbWidth}$  and  $1 \ll \text{log2CbHeight}$ , respectively. If  $\text{isChromaPresent}$ , the variable  $nCbW_C$  is set equal to  $nCbW_L / \text{SubWidthC}$  and the variable  $nCbH_C$  is set equal to  $nCbH_L / \text{SubHeightC}$ .

The decoding process for coding units coded in ibc prediction mode consists of the following ordered steps:

- 1) The derivation process for motion vector as specified in subclause 8.6.2.1 is invoked with the luma coding block location  $(xCb, yCb)$ , the luma coding block width  $nCbW_L$ , and the luma coding block height  $nCbH_L$  as inputs, and the luma motion vector  $\text{mvL}$  as output.
- 2) If  $\text{isChromaPresent}$ , the derivation process for chroma motion vector as specified in subclause 8.6.2.2 is invoked with luma motion vector  $\text{mvL}$  as input, and chroma motion vector  $\text{mvC}$  as output.

- 3) The decoding process for inter sample prediction as specified in subclause 8.6.3 is invoked with the luma coding block location (  $x_{Cb}$ ,  $y_{Cb}$  ), the luma coding block width  $nCbW_L$ , the luma coding block height  $nCbH_L$ , the luma motion vector  $mv_L$ , the chroma component presence indicator  $isChromaPresent$ , and, when  $isChromaPresent$ , the chroma motion vector  $mv_C$  as inputs, and the  $ibc$  prediction samples (  $predSamples$  ) that are an  $(nCbW_L) \times (nCbH_L)$  array  $predSamples_L$  of prediction luma samples and, when  $isChromaPresent$ , two  $(nCbW_C) \times (nCbH_C)$  arrays  $predSamples_{Cb}$  and  $predSamples_{Cr}$  of prediction chroma samples, one for each of the chroma components  $Cb$  and  $Cr$ , as outputs.
- 4) The decoding process for the residual signal of coding units coded in inter prediction mode specified in subclause 8.5.6.1 is invoked with the luma location (  $x_{Cb}$ ,  $y_{Cb}$  ), the luma coding block width  $\log_2CbWidth$ , luma coding block height  $\log_2CbHeight$  and chroma component presence indicator  $isChromaPresent$  as inputs, and the array  $resSamples_L$ , and, when  $isChromaPresent$ , two arrays  $resSamples_{Cb}$  and  $resSamples_{Cr}$  as outputs.
- 5) The reconstructed samples of the current coding unit are derived as follows:
- The picture reconstruction process prior to in-loop filtering for a colour component as specified in subclause 8.7.5 is invoked with the luma coding block location (  $x_{Cb}$ ,  $y_{Cb}$  ), the variable  $nCurrW$  set equal to  $nCbW_L$ , the variable  $nCurrH$  set equal to  $nCbH_L$ , the variable  $cIdx$  set equal to 0, the  $(nCbW_L) \times (nCbH_L)$  array  $predSamples$  set equal to  $predSamples_L$ , and the  $(nCbW_L) \times (nCbH_L)$  array  $resSamples$  set equal to  $resSamples_L$  as inputs, and the output is a modified reconstructed picture before in-loop filtering.
  - If  $isChromaPresent$ , the picture reconstruction process prior to in-loop filtering for a colour component as specified in subclause 8.7.5 is invoked with the chroma coding block location (  $x_{Cb} / SubWidthC$ ,  $y_{Cb} / SubHeightC$  ), the variable  $nCurrW$  set equal to  $nCbW_C$ , the variable  $nCurrH$  set equal to  $nCbH_C$ , the variable  $cIdx$  set equal to 1, the  $(nCbW_C) \times (nCbH_C)$  array  $predSamples$  set equal to  $predSamples_{Cb}$ , and the  $(nCbW_C) \times (nCbH_C)$  array  $resSamples$  set equal to  $resSamples_{Cb}$  as inputs, and the output is a modified reconstructed picture before in-loop filtering.
  - If  $isChromaPresent$ , the picture reconstruction process prior to in-loop filtering for a colour component as specified in subclause 8.7.5 is invoked with the chroma coding block location (  $x_{Cb} / SubWidthC$ ,  $y_{Cb} / SubHeightC$  ), the variable  $nCurrW$  set equal to  $nCbW_C$ , the variable  $nCurrH$  set equal to  $nCbH_C$ , the variable  $cIdx$  set equal to 2, the  $(nCbW_C) \times (nCbH_C)$  array  $predSamples$  set equal to  $predSamples_{Cr}$ , and the  $(nCbW_C) \times (nCbH_C)$  array  $resSamples$  set equal to  $resSamples_{Cr}$  as inputs, and the output is a modified reconstructed picture before in-loop filtering.

## 8.6.2 Derivation process for motion vector components

### 8.6.2.1 Derivation process for luma motion vector for $ibc$ prediction mode

Inputs to this process are:

- a luma location (  $x_{Cb}$ ,  $y_{Cb}$  ) of the top-left sample of the current luma coding block relative to the top-left luma sample of the current picture, and
- two variables  $nCbW$  and  $nCbH$  specifying the width and the height of the current luma coding block.

Output of this process is the luma motion vector  $mv_L$ .

The luma motion vector  $mv_L$  is derived as follows:

- 1) The variable  $mvd$  is derived as follows:

$$\text{mvd}[0] = \text{MvdL0}[\text{xCb}][\text{yCb}][0] \quad (1025)$$

$$\text{mvd}[1] = \text{MvdL0}[\text{xCb}][\text{yCb}][1] \quad (1026)$$

2) The variables  $\text{mvp}[0]$  and  $\text{mvp}[1]$  are set equal to 0.

3) The luma motion vector  $\text{mvL}$  is derived as follows:

$$u[0] = (\text{mvp}[0] + \text{mvd}[0] + 2^{16}) \% 2^{16} \quad (1027)$$

$$\text{mvL}[0] = (u[0] \geq 2^{15}) ? (u[0] - 2^{16}) : u[0] \quad (1028)$$

$$u[1] = (\text{mvp}[1] + \text{mvd}[1] + 2^{16}) \% 2^{16} \quad (1029)$$

$$\text{mvL}[1] = (u[1] \geq 2^{15}) ? (u[1] - 2^{16}) : u[1] \quad (1030)$$

The top-left location inside the reference block ( $\text{xRefTL}$ ,  $\text{yRefTL}$ ), the top-right location inside the reference block ( $\text{xRefTR}$ ,  $\text{yRefTR}$ ), the bottom-left location inside the reference block ( $\text{xRefBL}$ ,  $\text{yRefBL}$ ), and the bottom-right location inside the reference block ( $\text{xRefBR}$ ,  $\text{yRefBR}$ ) are derived as follows:

$$(\text{xRefTL}, \text{yRefTL}) = (\text{xCb} + (\text{mvL}[0]), \text{yCb} + (\text{mvL}[1])) \quad (1031)$$

$$(\text{xRefTR}, \text{yRefTR}) = (\text{xRefTL} + \text{nCbW} - 1, \text{yRefTL}) \quad (1032)$$

$$(\text{xRefBL}, \text{yRefBL}) = (\text{xRefTL}, \text{yRefTL} + \text{nCbH} - 1) \quad (1033)$$

$$(\text{xRefBR}, \text{yRefBR}) = (\text{xRefTL} + \text{nCbW} - 1, \text{yRefTL} + \text{nCbH} - 1) \quad (1034)$$

It is a requirement of bitstream conformance that the luma motion vector  $\text{mvL}$  shall obey the following constraints:

- When the derivation process for neighbouring block availability as specified in subclause 6.4.1 is invoked with the neighbouring luma location ( $\text{xRefTL}$ ,  $\text{yRefTL}$ ) as input, and the output shall be equal to TRUE.
- When the derivation process for neighbouring block availability as specified in subclause 6.4.1 is invoked with the neighbouring luma location ( $\text{xRefBR}$ ,  $\text{yRefBR}$ ) as input, and the output shall be equal to TRUE.
- When  $\text{sps\_suco\_flag}$  is equal to 1, the derivation process for neighbouring block availability as specified in subclause 6.4.1 is invoked with the neighbouring luma location ( $\text{xRefBL}$ ,  $\text{yRefBL}$ ) as input, and the output shall be equal to TRUE.
- When  $\text{sps\_suco\_flag}$  is equal to 1, the derivation process for neighbouring block availability as specified in subclause 6.4.1 is invoked with the neighbouring luma location ( $\text{xRefTL} + \text{width} / 2$ ,  $\text{yRefBR}$ ) as input, and the output shall be equal to TRUE.
- At least one of the following conditions shall be true:
  - The value of  $\text{mvL}[0] + \text{nCbW}$  is less than or equal to 0.
  - The value of  $\text{mvL}[1] + \text{nCbH}$  is less than or equal to 0.
  - When  $\text{sps\_suco\_flag}$  is equal to 1, the value of  $\text{mvL}[0]$  is greater than or equal to  $\text{nCbW}$ .
- The following conditions shall be true:

$$yRefTL \gg CtbLog2SizeY = yCb \gg CtbLog2SizeY \quad (1035)$$

$$yRefBL \gg CtbLog2SizeY = yCb \gg CtbLog2SizeY \quad (1036)$$

$$xRefTL \gg CtbLog2SizeY \geq (xCb \gg CtbLog2SizeY) - 1 \quad (1037)$$

$$xRefTR \gg CtbLog2SizeY \leq (xCb \gg CtbLog2SizeY) \quad (1038)$$

- When  $xRefTL \gg CtbLog2SizeY$  is equal to  $(xCb \gg CtbLog2SizeY) - 1$ , and  $CtbLog2SizeY$  is equal to 7, the follow conditions shall be true:
  - The derivation process for neighbouring block availability as specified in subclause 6.4.1 is invoked with the neighbouring luma location  $((xRefTL + 128) / 64 * 64, yRefTL / 64 * 64)$  as input, and the output shall be equal to FALSE.
  - The luma location  $((xRefTL + 128) / 64 * 64, yRefTL / 64 * 64)$  shall not be equal to  $(xCb, yCb)$ .
- When  $sps\_suo\_flag$  is equal to 1 and  $xRefTL \gg CtbLog2SizeY$  is equal to  $(xCb \gg CtbLog2SizeY) - 1$ , and  $CtbLog2SizeY$  is equal to 7, the follow conditions shall be true:
  - The derivation process for neighbouring block availability as specified in subclause 6.4.1 is invoked with the neighbouring luma location  $((xRefTL + 128) / 64 * 64 + 63, yRefTL / 64 * 64)$  as input, and the output shall be equal to FALSE.
  - The luma location  $((xRefTL + 128) / 64 * 64 + 63, yRefTL / 64 * 64)$  shall not be equal to  $(xCb + nCbW - 1, yCb)$ .
  - The derivation process for neighbouring block availability as specified in subclause 6.4.1 is invoked with the neighbouring luma location  $((xRefTR + 128) / 64 * 64, yRefTR / 64 * 64)$  as input, and the output shall be equal to FALSE.
  - The luma location  $((xRefTR + 128) / 64 * 64, yRefTR / 64 * 64)$  shall not be equal to  $(xCb + nCbW - 1, yCb)$ .
  - The derivation process for neighbouring block availability as specified in subclause 6.4.1 is invoked with the neighbouring luma location  $((xRefTR + 128) / 64 * 64 + 63, yRefTR / 64 * 64)$  as input, and the output shall be equal to FALSE.
  - The luma location  $((xRefTR + 128) / 64 * 64 + 63, yRefTR / 64 * 64)$  shall not be equal to  $(xCb + nCbW - 1, yCb)$ .

The following is applied:

$$mvL[0] = mvL[0] \ll 4, mvL[1] = mvL[1] \ll 4 \quad (1039)$$

### 8.6.2.2 Derivation process for chroma motion vector for ibc prediction mode

Input to this process is a luma motion vector  $mvL$ .

Output of this process is a chroma motion vector  $mvC$ .

A chroma motion vector is derived from the corresponding luma motion vector.

For the derivation of the chroma motion vector  $mvC$ , the following applies:

$$mvC[0] = ((mvL[0] \gg (3 + SubWidthC)) * 32) \quad (1040)$$

$$mvC[1] = ((mvL[1] \gg (3 + SubHeightC)) * 32) \quad (1041)$$

### 8.6.3 Decoding process for ibc blocks

This process is invoked when decoding a coding unit coded in ibc prediction mode.

Inputs to this process are:

- a luma location (  $xCb, yCb$  ) specifying the top-left sample of the current coding block relative to the top-left luma sample of the current picture,
- two variables  $nCbW$  and  $nCbH$  specifying the width and the height of the current luma coding block,
- the luma motion vector in 1/16 fractional-sample accuracy  $mvL$ ,
- chroma component presence indicator  $isChromaPresent$ , and
- when  $isChromaPresent$  the chroma motion vectors in 1/32 fractional-sample accuracy  $mvC$ .

Outputs of this process are:

- an  $(nCbW_L) \times (nCbH_L)$  array  $predSamples_L$  of luma prediction samples, where  $nCbW_L$  and  $nCbH_L$  are derived as specified in this subclause,
- when  $isChromaPresent$ , an  $(nCbW_C) \times (nCbH_C)$  array  $preSamples_{Cb}$  of chroma prediction samples for the component  $Cb$ , where  $nCbW_C$  and  $nCbH_C$  are derived as specified in this subclause,
- when  $isChromaPresent$ , an  $(nCbW_C) \times (nCbH_C)$  array  $predSamples_{Cr}$  of chroma residual samples for the component  $Cr$ , where  $nCbW_C$  and  $nCbH_C$  are derived as specified in this subclause.

The variables  $nCbW_L$  and  $nCbH_L$  are set equal to  $nCbW$  and  $nCbH$ , respectively, and the variables  $nCbW_C$  and  $nCbH_C$  are set equal to  $nCbW / SubWidthC$  and  $nCbH / SubHeightC$ , respectively.

Let  $predSamples_L$  be  $(nCbW) \times (nCbH)$  array of predicted luma sample values and, when  $isChromaPresent$ ,  $preSamples_{Cb}$  and  $predSamples_{Cr}$  be  $(nCbW / SubWidthC) \times (nCbH / SubHeightC)$  arrays of predicted chroma sample values.

The current decoded picture prior to in-loop filter process as specified in subclause 8.8, consists of a  $pic\_width\_in\_luma\_samples$  by  $pic\_height\_in\_luma\_samples$  array of luma samples  $currPic_L$  and, when  $isChromaPresent$ , two  $PicWidthInSamplesC$  by  $PicHeightInSamplesC$  arrays of chroma samples  $currPic_{Cb}$  and  $currPic_{Cr}$ .

The arrays  $predSamples_L$  and, when  $isChromaPresent$ ,  $preSamples_{Cb}$ , and  $predSamples_{Cr}$  are derived by invoking the fractional sample interpolation process as specified in subclause 8.5.4.3.1 with the luma locations (  $xCb, yCb$  ), the luma coding block width  $nCbW$ , the luma coding block height  $nCbH$ , the motion vector  $mvL[xCb][yCb]$ , the luma motion vector offset  $mvOffset$  with both components equal to zero, the reference array  $currPic_L$ , the chroma component presence indicator  $isChromaPresent$ , and, when  $isChromaPresent$ , motion vector  $mvC[xCb][yCb]$ , and the reference arrays  $currPic_{Cb}$ , and  $currPic_{Cr}$  as inputs.

## 8.7 Scaling, transformation and array construction process

### 8.7.1 Derivation process for quantization parameters

Input to this process is a luma location (  $x_{Cb}, y_{Cb}$  ) specifying the top-left sample of the current luma coding block relative to the top-left luma sample of the current picture.

In this process, the variable  $Qp_Y$ , the luma quantization parameter  $Qp'_Y$ , and the chroma quantization parameters  $Qp'_{Cb}$  and  $Qp'_{Cr}$  are derived.

The variable  $Qp_Y$  is derived as follows:

$$Qp_Y = ( Qp_{Y\_PREV} + CuQpDelta[ x_{Cb} ][ y_{Cb} ] + 52 ) \% 52 \quad (1042)$$

where  $Qp_{Y\_PREV}$  is the luma quantization parameter,  $Qp_Y$  of the previous coding unit in decoding order in the current tile. For the first coding unit in the tile,  $Qp_{Y\_PREV}$  is initially set equal to  $slice\_qp$  at the start of each tile.

The luma quantization parameter  $Qp'_Y$  is derived as follows:

$$Qp'_Y = Qp_Y + QpBdOffset_Y \quad (1043)$$

When  $ChromaArrayType$  is not equal to 0, the following applies:

— The variables  $Qp_{Cb}$  and  $Qp_{Cr}$  are derived as follows:

$$qPi_{Cb} = Clip3( -QpBdOffset_C, 57, Qp_Y + slice\_cb\_qp\_offset ) \quad (1044)$$

$$qPi_{Cr} = Clip3( -QpBdOffset_C, 57, Qp_Y + slice\_cr\_qp\_offset ) \quad (1045)$$

$$Qp_{Cb} = ChromaQpTable[ 0 ][ qPi_{Cb} ] \quad (1046)$$

$$Qp_{Cr} = ChromaQpTable[ 1 ][ qPi_{Cr} ] \quad (1047)$$

— The chroma quantization parameters for the Cb and Cr components,  $Qp'_{Cb}$  and  $Qp'_{Cr}$ , are derived as follows:

$$Qp'_{Cb} = Qp_{Cb} + QpBdOffset_C \quad (1048)$$

$$Qp'_{Cr} = Qp_{Cr} + QpBdOffset_C \quad (1049)$$

### 8.7.2 Scaling and transformation process

Inputs to this process are:

- a luma location (  $x_{TbY}, y_{TbY}$  ) specifying the top-left sample of the current luma transform block relative to the top-left luma sample of the current picture,
- a variable  $cIdx$  specifying the colour component of the current block,

- a variable nTbW specifying the width of the current block, and
- a variable nTbH specifying the height of the current block.

Output of this process is the (nTbW)x(nTbH) array of residual samples r with elements r[x][y].

The quantization parameter qP is derived as follows:

- If cIdx is equal to 0, the following applies.

$$qP = Qp'_y \quad (1050)$$

- Otherwise, if cIdx is equal to 1, the following applies.

$$qP = Qp'_{cb} \quad (1051)$$

- Otherwise (cIdx is equal to 2), the following applies.

$$qP = Qp'_{cr} \quad (1052)$$

The (nTbW)x(nTbH) array of residual samples r is derived as follows:

- 1) The scaling process for transform coefficients as specified in subclause 8.7.3 is invoked with the transform block location (xTbY, yTbY), the transform block width nTbW and the transform block height nTbH, the colour component variable cIdx, and the quantization parameter qP as inputs, and the output is an (nTbW)x(nTbH) array of scaled transform coefficients d.
- 2) The transformation process for scaled transform coefficients as specified in subclause 8.7.4 is invoked with the transform block location (xTbY, yTbY), the transform block width nTbW and the transform block height nTbH, the colour component variable cIdx, and the (nTbW)x(nTbH) array of scaled transform coefficients d as inputs, and the output is an (nTbW)x(nTbH) array of residual samples r.
- 3) The variable bdShift is derived as follows:

- If sps\_iqt\_flag is equal to 0, the following applies:

$$bdShift = ( ( cIdx == 0 ) ? 20 - BitDepth_y : 20 - BitDepth_c ) + 7 \quad (1053)$$

- Otherwise (sps\_iqt\_flag is equal to 1), the following applies:

$$bdShift = ( cIdx == 0 ) ? 20 - BitDepth_y : 20 - BitDepth_c \quad (1054)$$

- 4) The residual sample values r[x][y] with x = 0..nTbW - 1, y = 0..nTbH - 1 are modified as follows:

$$r[x][y] = ( r[x][y] + ( 1 << ( bdShift - 1 ) ) ) >> bdShift \quad (1055)$$

### 8.7.3 Scaling process for transform coefficients

Inputs to this process are:

- a luma location (  $xTbY, yTbY$  ) specifying the top-left sample of the current luma transform block relative to the top-left luma sample of the current picture,
- a variable  $nTbW$  specifying the width of the current block,
- a variable  $nTbH$  specifying the height of the current block,
- a variable  $cIdx$  specifying the colour component of the current block, and
- a variable  $qP$  specifying the quantization parameter.

Output of this process is the  $(nTbW) \times (nTbH)$  array  $d$  of scaled transform coefficients with elements  $d[x][y]$ .

The variable  $bdShift$  is derived as follows:

- If  $cIdx$  is equal to 0, the following applies:

$$bdShift = \underset{-5}{\text{BitDepth}_Y} + ( ( \text{Log}_2(nTbW) + \text{Log}_2(nTbH) ) \& 1 ) * 8 + ( \text{Log}_2(nTbW) + \text{Log}_2(nTbH) ) / 2 \quad (1056)$$

- Otherwise, the following applies:

$$bdShift = \underset{-5}{\text{BitDepth}_C} + ( ( \text{Log}_2(nTbW) + \text{Log}_2(nTbH) ) \& 1 ) * 8 + ( \text{Log}_2(nTbW) + \text{Log}_2(nTbH) ) / 2 \quad (1057)$$

The variable  $rectNorm$  is derived as follows:

$$rectNorm = ( ( \text{Log}_2(nTbW) + \text{Log}_2(nTbH) ) \& 1 ) = = 1 ? 181 : 1 \quad (1058)$$

The list  $levelScale[ ]$  is specified as follows:

- If  $sps\_iqt\_flag$  is equal to 0,  $levelScale[k] = \{ 40, 45, 51, 57, 64, 71 \}$  with  $k = 0..5$ .
- Otherwise ( $sps\_iqt\_flag$  is equal to 1),  $levelScale[k] = \{ 40, 45, 51, 57, 64, 72 \}$  with  $k = 0..5$ .

For the derivation of the scaled transform coefficients  $d[x][y]$  with  $x = 0..nTbW - 1, y = 0..nTbH - 1$ , the following applies:

- The scaled transform coefficient  $d[x][y]$  is derived as follows:

$$d[x][y] = \text{Clip}_3( -32768, 32767, ( ( \text{TransCoeffLevel}[xTbY][yTbY][cIdx][x][y] * \text{levelScale}[qP\%6] \ll (qP / 6) ) * rectNorm + ( 1 \ll ( bdShift - 1 ) ) ) \gg bdShift ) \quad (1059)$$

## 8.7.4 Transformation process for scaled transform coefficients

### 8.7.4.1 General

Inputs to this process are:

- a luma location (  $xTbY, yTbY$  ) specifying the top-left sample of the current luma transform block relative to the top-left luma sample of the current picture,

- a variable  $nTbW$  specifying the width of the current block,
- a variable  $nTbH$  specifying the height of the current block,
- a variable  $cIdx$  specifying the colour component of the current block, and
- an  $(nTbW) \times (nTbH)$  array  $d$  of scaled transform coefficients with elements  $d[x][y]$ .

Output of this process is the  $(nTbW) \times (nTbH)$  array  $r$  of residual samples with elements  $r[x][y]$ .

The variables  $x_0$  and  $y_0$  are set equal to  $xTbY$  and  $yTbY$ .

The variables  $trTypeHor$  and  $trTypeVer$  are derived as follows:

- If  $ats\_cu\_intra\_flag[x_0][y_0]$  is equal to 1,  $trTypeHor$  and  $trTypeVer$  are specified according to Table 30.
- Otherwise, if  $ats\_cu\_intra\_flag[x_0][y_0]$  is equal to 0 and  $ats\_cu\_inter\_flag[x_0][y_0]$  is equal to 1 and  $Max(nTbH, nTbW)$  is less than 64,  $trTypeHor$  and  $trTypeVer$  are specified according to Table 31.
- Otherwise,  $trTypeHor$  and  $trTypeVer$  are set equal to 0.

The  $(nTbW) \times (nTbH)$  array  $r$  of residual samples is derived as follows:

- 1) Each (vertical) column of scaled transform coefficients  $d[x][y]$  with  $x = 0..nTbW - 1, y = 0..nTbH - 1$  is transformed to  $e[x][y]$  with  $x = 0..nTbW - 1, y = 0..nTbH - 1$  by invoking the one-dimensional transformation process as specified in subclause 8.7.4.2 for each column  $x = 0..nTbW - 1$  with the size of the transform block  $nTbH$ , the list  $d[x][y]$  with  $y = 0..nTbH - 1$ , and the transform type variable  $trType$  set equal to  $trTypeVer$  if  $cIdx$  is equal to 0, otherwise 0 as inputs, and the output is the list  $e[x][y]$  with  $y = 0..nTbH - 1$ .
- 2) The following applies:
  - If  $sps\_iqt\_flag$  is equal to 1, the following applies:
 
$$g[x][y] = Clip3(-32768, 32767, (e[x][y] + 64) \gg 7) \tag{1060}$$
  - Otherwise ( $sps\_iqt\_flag$  is equal to 0), the following applies:
 
$$g[x][y] = e[x][y] \tag{1061}$$
- 3) Each (horizontal) row of the resulting array  $g[x][y]$  with  $x = 0..nTbW - 1, y = 0..nTbH - 1$  is transformed to  $r[x][y]$  with  $x = 0..nTbW - 1, y = 0..nTbH - 1$  by invoking the one-dimensional transformation process as specified in subclause 8.7.4.2 for each row  $y = 0..nTbH - 1$  with the size of the transform block  $nTbW$ , the list  $g[x][y]$  with  $x = 0..nTbW - 1$ , and transform type variable  $trType$  set equal to  $trTypeHor$  if  $cIdx$  is equal to 0, otherwise 0 as inputs, and the output is the list  $r[x][y]$  with  $x = 0..nTbW - 1$ .

**Table 30 — Specification of trTypeHor and trTypeVer depending on ats\_hor\_mode[ x0 ][ y0 ] and ats\_ver\_mode[ x0 ][ y0 ], when ats\_cu\_intra\_flag[ x0 ][ y0 ] is equal to 1**

ats_hor_mode[ x0 ][ y0 ]	0	1	0	1
ats_ver_mode[ x0 ][ y0 ]	0	0	1	1
trTypeHor	1	2	1	2
trTypeVer	1	1	2	2

**Table 31 — Specification of trTypeHor and trTypeVer depending on ats\_cu\_inter\_horizontal\_flag[ x0 ][ y0 ] and ats\_cu\_inter\_pos\_flag[ x0 ][ y0 ], when Max( nTbH, nTbW ) is less than 64 and ats\_cu\_inter\_flag[ x0 ][ y0 ] is equal to 1**

ats_cu_inter_horizontal_flag[ x0 ][ y0 ]	0	1	0	1
ats_cu_inter_pos_flag[ x0 ][ y0 ]	0	0	1	1
trTypeHor	2	1	1	1
trTypeVer	1	2	1	1

#### 8.7.4.2 Transformation process

Inputs to this process are:

- a variable nTbS specifying the sample size of scaled transform coefficients, and
- a list of scaled transform coefficients x with elements x[ j ], with j = 0..nTbS - 1.

Output of this process is the list of transformed samples y with elements y[ i ], with i = 0..nTbS - 1.

The transformation matrix derivation process as specified in subclause 8.7.4.3 invoked with the transform size nTbS and the transform kernel Type trType as inputs, and the transformation matrix transMatrix as output.

The list of transformed samples y[ i ] with i = 0..nTbS - 1 is derived as follows:

$$y[ i ] = \sum_{j=0}^{nTbS-1} \text{transMatrix}[ i ][ j ] * x[ j ] \quad \text{with } i = 0..nTbS - 1 \quad (1062)$$

#### 8.7.4.3 Transformation matrix derivation process

Inputs to this process are:

- a variable nTbS specifying the horizontal sample size of scaled transform coefficients, and
- the transformation kernel type trType.

Output of this process is the transformation matrix transMatrix.

The transformation matrix transMatrix is derived based on trType and nTbS as follows:

- If trType is equal to 0 and nTbS is equal to 2, the following applies:

$$\text{transMatrix}[m][n] = \begin{cases} \{ 64, & 64 \} \\ \{ 64, & -64 \} \end{cases} \quad (1063)$$

— Otherwise, if trType is equal to 0 and nTbs is equal to 4, the following applies:

$$\text{transMatrix}[m][n] = \begin{cases} \{ 64, & 64, & 64, & 64 \} \\ \{ 84, & 35, & -35, & -84 \} \\ \{ 64, & -64, & -64, & 64 \} \\ \{ 35, & -84, & 84, & -35 \} \end{cases} \quad (1064)$$

— Otherwise, if trType is equal to 0 and nTbs is equal to 8, the following applies:

$$\text{transMatrix}[m][n] = \begin{cases} \{ 64, & 64, & 64, & 64, & 64, & 64, & 64, & 64 \} \\ \{ 89, & 75, & 50, & 18, & -18, & -50, & -75, & -89 \} \\ \{ 84, & 35, & -35, & -84, & -84, & -35, & 35, & 84 \} \\ \{ 75, & -18, & -89, & -50, & 50, & 89, & 18, & -75 \} \\ \{ 64, & -64, & -64, & 64, & 64, & -64, & -64, & 64 \} \\ \{ 50, & -89, & 18, & 75, & -75, & -18, & 89, & -50 \} \\ \{ 35, & -84, & 84, & -35, & -35, & 84, & -84, & 35 \} \\ \{ 18, & -50, & 75, & -89, & 89, & -75, & 50, & -18 \} \end{cases} \quad (1065)$$

— Otherwise, if trType is equal to 0 and nTbs is equal to 16, the following applies:

$$\text{transMatrix}[m][n] = \begin{cases} \{ 64, & 64, & 64, & 64, & 64, & 64, & 64, & 64, & 64, & 64, & 64, & 64, & 64, & 64, & 64 \}, \\ \{ 90, & 87, & 80, & 70, & 57, & 43, & 26, & 9, & -9, & -26, & -43, & -57, & -70, & -80, & -87, & -90 \}, \\ \{ 89, & 75, & 50, & 18, & -18, & -50, & -75, & -89, & -89, & -75, & -50, & -18, & 18, & 50, & 75, & 89 \}, \\ \{ 87, & 57, & 9, & -43, & -80, & -90, & -70, & -26, & 26, & 70, & 90, & 80, & 43, & -9, & -57, & -87 \}, \\ \{ 84, & 35, & -35, & -84, & -84, & -35, & 35, & 84, & 84, & 35, & -35, & -84, & -84, & -35, & 35, & 84 \}, \\ \{ 80, & 9, & -70, & -87, & -26, & 57, & 90, & 43, & -43, & -90, & -57, & 26, & 87, & 70, & -9, & -80 \}, \\ \{ 75, & -18, & -89, & -50, & 50, & 89, & 18, & -75, & -75, & 18, & 89, & 50, & -50, & -89, & -18, & 75 \}, \\ \{ 70, & -43, & -87, & 9, & 90, & 26, & -80, & -57, & 57, & 80, & -26, & -90, & -9, & 87, & 43, & -70 \}, \\ \{ 64, & -64, & -64, & 64, & -64, & -64, & 64, & 64, & -64, & -64, & 64, & 64, & -64, & -64, & -64, & 64 \}, \\ \{ 57, & -80, & -26, & 90, & -9, & -87, & 43, & 70, & -70, & -43, & 87, & 9, & -90, & 26, & 80, & -57 \}, \\ \{ 50, & -89, & 18, & 75, & -75, & -18, & 89, & -50, & -50, & 89, & -18, & -75, & 75, & 18, & -89, & 50 \}, \\ \{ 43, & -90, & 57, & 26, & -87, & 70, & 9, & -80, & 80, & -9, & -70, & 87, & -26, & -57, & 90, & -43 \}, \\ \{ 35, & -84, & 84, & -35, & -35, & 84, & -84, & 35, & 35, & -84, & 84, & -35, & -35, & 84, & -84, & 35 \}, \\ \{ 26, & -70, & 90, & -80, & 43, & 9, & -57, & 87, & -87, & 57, & -9, & -43, & 80, & -90, & 70, & -26 \}, \\ \{ 18, & -50, & 75, & -89, & 89, & -75, & 50, & -18, & -18, & 50, & -75, & 89, & -89, & 75, & -50, & 18 \}, \\ \{ 9, & -26, & 43, & -57, & 70, & -80, & 87, & -90, & 90, & -87, & 80, & -70, & 57, & -43, & 26, & -9 \} \end{cases} \quad (1066)$$

— Otherwise, if trType is equal to 0 and nTbs is equal to 32, the following applies:

$$\text{transMatrix}[m][n] = \text{transMatrixCol0to15}[m][n] \text{ with } m = 0..15, n = 0..31 \quad (1067)$$

$$\text{transMatrixCol0to15} = \begin{cases} \{ 64, & 64, & 64, & 64, & 64, & 64, & 64, & 64, & 64, & 64, & 64, & 64, & 64, & 64, & 64 \}, \\ \{ 90, & 90, & 88, & 85, & 82, & 78, & 73, & 67, & 61, & 54, & 47, & 39, & 30, & 22, & 13, & 4 \}, \\ \{ 90, & 87, & 80, & 70, & 57, & 43, & 26, & 9, & -9, & -26, & -43, & -57, & -70, & -80, & -87, & -90 \}, \\ \{ 90, & 82, & 67, & 47, & 22, & -4, & -30, & -54, & -73, & -85, & -90, & -88, & -78, & -61, & -39, & -13 \}, \\ \{ 89, & 75, & 50, & 18, & -18, & -50, & -75, & -89, & -89, & -75, & -50, & -18, & 18, & 50, & 75, & 89 \}, \\ \{ 88, & 67, & 30, & -13, & -54, & -82, & -90, & -78, & -47, & -4, & 39, & 73, & 90, & 85, & 61, & 22 \}, \\ \{ 87, & 57, & 9, & -43, & -80, & -90, & -70, & -26, & 26, & 70, & 90, & 80, & 43, & -9, & -57, & -87 \}, \\ \{ 85, & 47, & -13, & -67, & -90, & -73, & -22, & 39, & 82, & 88, & 54, & -4, & -61, & -90, & -78, & -30 \}, \\ \{ 84, & 35, & -35, & -84, & -84, & -35, & 35, & 84, & 84, & 35, & -35, & -84, & -84, & -35, & 35, & 84 \}, \\ \{ 82, & 22, & -54, & -90, & -61, & 13, & 78, & 85, & 30, & -47, & -90, & -67, & 4, & 73, & 88, & 39 \}, \\ \{ 80, & 9, & -70, & -87, & -26, & 57, & 90, & 43, & -43, & -90, & -57, & 26, & 87, & 70, & -9, & -80 \}, \\ \{ 78, & -4, & -82, & -73, & 13, & 85, & 67, & -22, & -88, & -61, & 30, & 90, & 54, & -39, & -90, & -47 \} \end{cases} \quad (1068)$$

```
{ 75, -18, -89, -50, 50, 89, 18, -75, -75, 18, 89, 50, -50, -89, -18, 75 },
{ 73, -30, -90, -22, 78, 67, -39, -90, -13, 82, 61, -47, -88, -4, 85, 54 },
{ 70, -43, -87, 9, 90, 26, -80, -57, 57, 80, -26, -90, -9, 87, 43, -70 },
{ 67, -54, -78, 39, 85, -22, -90, 4, 90, 13, -88, -30, 82, 47, -73, -61 },
{ 64, -64, -64, 64, 64, -64, -64, 64, 64, -64, -64, 64, 64, -64, -64, 64 },
{ 61, -73, -47, 82, 30, -88, -13, 90, -4, -90, 22, 85, -39, -78, 54, 67 },
{ 57, -80, -26, 90, -9, -87, 43, 70, -70, -43, 87, 9, -90, 26, 80, -57 },
{ 54, -85, -4, 88, -47, -61, 82, 13, -90, 39, 67, -78, -22, 90, -30, -73 },
{ 50, -89, 18, 75, -75, -18, 89, -50, -50, 89, -18, -75, 75, 18, -89, 50 },
{ 47, -90, 39, 54, -90, 30, 61, -88, 22, 67, -85, 13, 73, -82, 4, 78 },
{ 43, -90, 57, 26, -87, 70, 9, -80, 80, -9, -70, 87, -26, -57, 90, -43 },
{ 39, -88, 73, -4, -67, 90, -47, -30, 85, -78, 13, 61, -90, 54, 22, -82 },
{ 35, -84, 84, -35, -35, 84, -84, 35, 35, -84, 84, -35, -35, 84, -84, 35 },
{ 30, -78, 90, -61, 4, 54, -88, 82, -39, -22, 73, -90, 67, -13, -47, 85 },
{ 26, -70, 90, -80, 43, 9, -57, 87, -87, 57, -9, -43, 80, -90, 70, -26 },
{ 22, -61, 85, -90, 73, -39, -4, 47, -78, 90, -82, 54, -13, -30, 67, 88 },
{ 18, -50, 75, -89, 89, -75, 50, -18, -18, 50, -75, 89, -89, 75, -50, 18 },
{ 13, -39, 61, -78, 88, -90, 85, -73, 54, -30, 4, 22, -47, 67, -82, 90 },
{ 9, -26, 43, -57, 70, -80, 87, -90, 90, -87, 80, -70, 57, -43, 26, -9 },
{ 4, -13, 22, -30, 39, -47, 54, -61, 67, -73, 78, -82, 85, -88, 90, -90 },
},
```

$$\text{transMatrix}[m][n] = \text{transMatrixCol16to31}[m - 16][n] \text{ with } m = 16..31, n = 0..31 \quad (1069)$$

$$\text{transMatrixCol16to31} = \quad (1070)$$

```
{ 64, 64, 64, 64, 64, 64, 64, 64, 64, 64, 64, 64, 64, 64, 64 },
{ -4, -13, -22, -30, -39, -47, -54, -61, -67, -73, -78, -82, -85, -88, -90, -90 },
{ -90, -87, -80, -70, -57, -43, -26, -9, 9, 26, 43, 57, 70, 80, 87, 90 },
{ 13, 39, 61, 78, 88, 90, 85, 73, 54, 30, 4, -22, -47, -67, -82, -90 },
{ 89, 75, 50, 18, -18, -50, -75, -89, 89, -75, -50, -18, 18, 50, 75, 89 },
{ -22, -61, -85, -90, -73, -39, 4, 47, 78, 90, 82, 54, 13, -30, -67, -88 },
{ -87, -57, -9, 43, 80, 90, 70, 26, -26, -70, -90, -80, -43, 9, 57, 87 },
{ 30, 78, 90, 61, 4, -54, -88, 82, -39, 22, 73, 90, 67, 13, -47, -85 },
{ 84, 35, -35, -84, -84, -35, 35, 84, 84, 35, -35, -84, -84, -35, 35, 84 },
{ -39, -88, -73, -4, 67, 90, 47, -30, -85, -78, -13, 61, 90, 54, -22, -82 },
{ -80, -9, 70, 87, 26, -57, 90, -43, 43, 90, 57, -26, -87, -70, 9, 80 },
{ 47, 90, 39, -54, -90, -30, 61, 88, 22, -67, -85, -13, 73, 82, 4, -78 },
{ 75, -18, -89, -50, 50, 89, 18, -75, -75, 18, 89, 50, -50, -89, -18, 75 },
{ -54, -85, 4, 88, 47, -61, -82, 13, 90, 39, -67, -78, 22, 90, 30, -73 },
{ -70, 43, 87, -9, -90, -26, 80, 57, -57, -80, 26, 90, 9, -87, -43, 70 },
{ 61, 73, -47, -82, 30, 88, -13, -90, -4, 90, 22, -85, -39, 78, 54, -67 },
{ 64, -64, -64, 64, 64, -64, -64, 64, 64, -64, -64, 64, 64, -64, -64, 64 },
{ -67, -54, 78, 39, -85, -22, 90, 4, -90, 13, 88, -30, -82, 47, 73, -61 },
{ -57, 80, 26, -90, 9, 87, -43, -70, 70, 43, -87, -9, 90, -26, -80, 57 },
{ 73, 30, -90, 22, 78, -67, -39, 90, -13, -82, 61, 47, -88, 4, 85, -54 },
{ 50, -89, 18, 75, -75, -18, 89, -50, -50, 89, -18, -75, 75, 18, -89, 50 },
{ -78, -4, 82, -73, -13, 85, -67, -22, 88, -61, -30, 90, -54, -39, 90, -47 },
{ -43, 90, -57, -26, 87, -70, -9, 80, -80, 9, 70, -87, 26, 57, -90, 43 },
{ 82, 22, -54, 90, -61, -13, 78, -85, 30, 47, -90, 67, 4, -73, 88, -39 },
{ 35, -84, 84, -35, -35, 84, -84, 35, 35, -84, 84, -35, -35, 84, -84, 35 },
{ -85, 47, 13, -67, 90, -73, 22, 39, -82, 88, -54, -4, 61, -90, 78, -30 },
{ -26, 70, -90, 80, -43, -9, 57, -87, 87, -57, 9, 43, -80, 90, -70, 26 },
{ 88, -67, 30, 13, -54, 82, -90, 78, -47, 4, 39, -73, 90, -85, 61, -22 },
{ 18, -50, 75, -89, 89, -75, 50, -18, -18, 50, -75, 89, -89, 75, -50, 18 },
{ -90, 82, -67, 47, -22, -4, 30, -54, 73, -85, 90, -88, 78, -61, 39, -13 },
{ -9, 26, -43, 57, -70, 80, -87, 90, -90, 87, -80, 70, -57, 43, -26, 9 },
{ 90, -90, 88, -85, 82, -78, 73, -67, 61, -54, 47, -39, 30, -22, 13, -4 }
```

— Otherwise, if trType is equal to 0 and nTbs is equal to 64, the following applies:

$$\text{transMatrix}[m][n] = \text{transMatrixCol0to15}[m][n] \text{ with } m = 0..15, n = 0..63 \quad (1071)$$

$$\text{transMatrixCol0to15} = \quad (1072)$$

```
{ 64, 64, 64, 64, 64, 64, 64, 64, 64, 64, 64, 64, 64, 64, 64 },
{ 90, 90, 90, 89, 88, 87, 86, 84, 83, 81, 79, 76, 74, 71, 69, 66 },
{ 90, 90, 88, 85, 82, 78, 73, 67, 61, 54, 47, 39, 30, 22, 13, 4 },
{ 90, 88, 84, 79, 71, 62, 52, 41, 28, 15, 2, -11, -24, -37, -48, -59 },
{ 90, 87, 80, 70, 57, 43, 26, 9, -9, -26, -43, -57, -70, -80, -87, -90 },
{ 90, 84, 74, 59, 41, 20, -2, -24, -45, -62, -76, -86, -90, -89, -83, -71 }
```

```

{ 90, 82, 67, 47, 22, -4, -30, -54, -73, -85, -90, -88, -78, -61, -39, -13 },
{ 89, 79, 59, 33, 2, -28, -56, -76, -88, -90, -81, -62, -37, -7, 24, 52 },
{ 89, 75, 50, 18, -18, -50, -75, -89, -89, -75, -50, -18, 18, 50, 75, 89 },
{ 88, 71, 41, 2, -37, -69, -87, -89, -74, -45, -7, 33, 66, 86, 90, 76 },
{ 88, 67, 30, -13, -54, -82, -90, -78, -47, -4, 39, 73, 90, 85, 61, 22 },
{ 87, 62, 20, -28, -69, -89, -84, -56, -11, 37, 74, 90, 81, 48, 2, -45 },
{ 87, 57, 9, -43, -80, -90, -70, -26, 26, 70, 90, 80, 43, -9, -57, -87 },
{ 86, 52, -2, -56, -87, -84, -48, 7, 59, 88, 83, 45, -11, -62, -89, -81 },
{ 85, 47, -13, -67, -90, -73, -22, 39, 82, 88, 54, -4, -61, -90, -78, -30 },
{ 84, 41, -24, -76, -89, -56, 7, 66, 90, 69, 11, -52, -88, -79, -28, 37 },
{ 84, 35, -35, -84, -84, -35, 35, 84, 84, 35, -35, -84, -84, -35, 35, 84 },
{ 83, 28, -45, -88, -74, -11, 59, 90, 62, -7, -71, -89, -48, 24, 81, 84 },
{ 82, 22, -54, -90, -61, 13, 78, 85, 30, -47, -90, -67, 4, 73, 88, 39 },
{ 81, 15, -62, -90, -45, 37, 88, 69, -7, -76, -84, -24, 56, 90, 52, -28 },
{ 80, 9, -70, -87, -26, 57, 90, 43, -43, -90, -57, 26, 87, 70, -9, -80 },
{ 79, 2, -76, -81, -7, 74, 83, 11, -71, -84, -15, 69, 86, 20, -66, -87 },
{ 78, -4, -82, -73, 13, 85, 67, -22, -88, -61, 30, 90, 54, -39, -90, -47 },
{ 76, -11, -86, -62, 33, 90, 45, -52, -89, -24, 69, 83, 2, -81, -71, 20 },
{ 75, -18, -89, -50, 50, 89, 18, -75, -75, 18, 89, 50, -50, -18, 89, 75 },
{ 74, -24, -90, -37, 66, 81, -11, -88, -48, 56, 86, 2, -84, -59, 45, 89 },
{ 73, -30, -90, -22, 78, 67, -39, -90, -13, 82, 61, -47, -88, -4, 85, 54 },
{ 71, -37, -89, -7, 86, 48, -62, -79, 24, 90, 20, -81, -59, 52, 84, -11 },
{ 70, -43, -87, 9, 90, 26, -80, -57, 57, 80, -26, -90, -9, 87, 43, -70 },
{ 69, -48, -83, 24, 90, 2, -89, -28, 81, 52, -66, -71, 45, 84, -20, -90 },
{ 67, -54, -78, 39, 85, -22, -90, 4, 90, 13, -88, -30, 82, 47, -73, -61 },
{ 66, -59, -71, 52, 76, -45, -81, 37, 84, -28, -87, 20, 89, -11, -90, 2 },
{ 64, -64, -64, 64, 64, -64, -64, 64, 64, -64, -64, 64, 64, -64, -64, 64 },
{ 62, -69, -56, 74, 48, -79, -41, 83, 33, -86, -24, 88, 15, -90, -7, 90 },
{ 61, -73, -47, 82, 30, -88, -13, 90, -4, -90, 22, 85, -39, -78, 54, 67 },
{ 59, -76, -37, 87, 11, -90, 15, 86, -41, -74, 62, 56, -79, -33, 88, 7 },
{ 57, -80, -26, 90, -9, -87, 43, 70, -70, -43, 87, 9, -90, 26, 80, -57 },
{ 56, -83, -15, 90, -28, -76, 66, 45, -87, -2, 88, -41, -69, 74, 33, -90 },
{ 54, -85, -4, 88, -47, -61, 82, 13, -90, 39, 67, -78, -22, 90, -30, -73 },
{ 52, -87, 7, 83, -62, -41, 90, -20, -76, 71, 28, -90, 33, 69, -79, -15 },
{ 50, -89, 18, 75, -75, -18, 89, -50, -50, 89, -18, -75, 75, 18, -89, 50 },
{ 48, -90, 28, 66, -84, 7, 79, -74, -15, 87, -59, -37, 90, -41, -56, 88 },
{ 47, -90, 39, 54, -90, 30, 61, -88, 22, 67, -85, 13, 73, -82, 4, 78 },
{ 45, -90, 48, 41, -90, 52, 37, -90, 56, 33, -89, 59, 28, -88, 62, 24 },
{ 43, -90, 57, 26, -87, 70, 9, -80, 80, -9, -70, 87, -26, -57, 90, -43 },
{ 41, -89, 66, 11, -79, 83, -20, 59, 90, -48, -33, 87, -71, -2, 74, -86 },
{ 39, -88, 73, -4, -67, 90, -47, 30, 85, -78, 13, 61, -90, 54, 22, -82 },
{ 37, -86, 79, -20, -52, 90, -69, 2, 66, -90, 56, 15, -76, 87, -41, -33 },
{ 35, -84, 84, -35, -35, 84, -84, 35, 35, -84, 84, -35, -35, 84, 35 },
{ 33, -81, 87, -48, -15, 71, -90, 62, -2, -59, 90, -74, 20, 45, -86, 83 },
{ 30, -78, 90, -61, 4, 54, -88, 82, -39, -22, 73, -90, 67, -13, -47, 85 },
{ 28, -74, 90, -71, 24, 33, -76, 90, -69, 20, 37, -79, 90, -66, 15, 41 },
{ 26, -70, 90, -80, 43, 9, -57, 87, -87, 57, -9, -43, 80, -90, 70, -26 },
{ 24, -66, 88, -86, 59, -15, -33, 71, -90, 83, -52, 7, 41, -76, 90, -79 },
{ 22, -61, 85, -90, 73, -39, -4, 47, -78, 90, -82, 54, -13, -30, 67, -88 },
{ 20, -56, 81, -90, 83, -59, 24, 15, -52, 79, -90, 84, -62, 28, 11, -48 },
{ 18, -50, 75, 89, 89, -75, 50, -18, -18, 50, -75, 89, -89, 75, -50, 18 },
{ 15, -45, 69, -84, 90, -86, 71, -48, 20, 11, -41, 66, -83, 90, -87, 74 },
{ 13, -39, 61, -78, 88, -90, 85, -73, 54, -30, 4, 22, -47, 67, -82, 90 },
{ 11, -33, 52, -69, 81, -88, 90, -87, 79, -66, 48, -28, 7, 15, -37, 56 },
{ 9, -26, 43, -57, 70, -80, 87, -90, 90, -87, 80, -70, 57, -43, 26, -9 },
{ 7, -20, 33, -45, 56, -66, 74, -81, 86, -89, 90, -90, 87, -83, 76, -69 },
{ 4, -13, 22, -30, 39, -47, 54, -61, 67, -73, 78, -82, 85, -88, 90, -90 },
{ 2, -7, 11, -15, 20, -24, 28, -33, 37, -41, 45, -48, 52, -56, 59, -62 }

```

$$\text{transMatrix}[m][n] = \text{transMatrixCol16to31}[m][n] \text{ with } m = 16..31, n = 0..63 \quad (1073)$$

$$\text{transMatrixCol16to31} = \quad (1074)$$

```

{
{ 64, 64, 64, 64, 64, 64, 64, 64, 64, 64, 64, 64, 64, 64, 64, 64 },
{ 62, 59, 56, 52, 48, 45, 41, 37, 33, 28, 24, 20, 15, 11, 7, 2 },
{ -4, -13, -22, -30, -39, -47, -54, -61, -67, -73, -78, -82, -85, -88, -90, -90 },
{ -69, -76, -83, -87, -90, -90, -89, -86, -81, -74, -66, -56, -45, -33, -20, -7 },
{ -90, -87, -80, -70, -57, -43, -26, -9, 9, 26, 43, 57, 70, 80, 87, 90 },
{ -56, -37, -15, 7, 28, 48, 66, 79, 87, 90, 88, 81, 69, 52, 33, 11 },
{ 13, 39, 61, 78, 88, 90, 85, 73, 54, 30, 4, -22, -47, -67, -82, -90 },
{ 74, 87, 90, 83, 66, 41, 11, -20, -48, -71, -86, -90, -84, -69, -45, -15 },
{ 89, 75, 50, 18, -18, -50, -75, -89, -89, -75, -50, -18, 18, 50, 75, 89 },
{ 48, 11, -28, -62, -84, -90, -79, -52, -15, 24, 59, 83, 90, 81, 56, 20 },
{ -22, -61, -85, -90, -73, -39, 4, 47, 78, 90, 82, 54, 13, -30, -67, -88 }
}

```

```

{ -79, -90, -76, -41, 7, 52, 83, 90, 71, 33, -15, -59, -86, -88, -66, -24 },
{ -87, -57, -9, 43, 80, 90, 70, 26, -26, -70, -90, -80, -43, 9, 57, 87 },
{ -41, 15, 66, 90, 79, 37, -20, -69, -90, -76, -33, 24, 71, 90, 74, 28 },
{ 30, 78, 90, 61, 4, -54, -88, -82, -39, 22, 73, 90, 67, 13, -47, -85 },
{ 83, 86, 45, -20, -74, -90, -59, 2, 62, 90, 71, 15, -48, -87, -81, -33 },
{ 84, 35, -35, -84, -84, -35, 35, 84, 84, 35, -35, -84, -84, -35, 35, 84 },
{ 33, -41, -87, -76, -15, 56, 90, 66, -2, -69, -90, -52, 20, 79, 86, 37 },
{ -39, -88, -73, -4, 67, 90, 47, -30, -85, -78, -13, 61, 90, 54, -22, -82 },
{ -86, -74, -2, 71, 87, 33, -48, -90, -59, 20, 83, 79, 11, -66, -89, -41 },
{ -80, -9, 70, 87, 26, -57, -90, -43, 43, 90, 57, -26, -87, -70, 9, 80 },
{ -24, 62, 88, 28, -59, -89, -33, 56, 90, 37, -52, -90, -41, 48, 90, 45 },
{ 47, 90, 39, -54, -90, -30, 61, 88, 22, -67, -85, -13, 73, 82, 4, -78 },
{ 88, 56, -41, -90, -37, 59, 87, 15, -74, -79, 7, 84, 66, -28, -90, -48 },
{ 75, -18, -89, -50, 50, 89, 18, -75, -75, 18, 89, 50, -50, -89, -18, 75 },
{ 15, -79, -69, 33, 90, 28, -71, -76, 20, 90, 41, -62, -83, 7, 87, 52 },
{ -54, -85, 4, 88, 47, -61, -82, 13, 90, 39, -67, -78, 22, 90, 30, 73 },
{ -90, -33, 74, 69, -41, -88, -2, 87, 45, -66, -76, 28, 90, 15, -83, -56 },
{ -70, 43, 87, -9, -90, -26, 80, 57, -57, -80, 26, 90, 9, -87, -43, 70 },
{ -7, 88, 33, -79, -56, 62, 74, -41, -86, 15, 90, 11, -87, -37, 76, 59 },
{ 61, 73, -47, -82, 30, 88, -13, -90, -4, 90, 22, -85, -39, 78, 54, -67 },
{ 90, 7, -90, -15, 88, 24, -86, -33, 83, 41, -79, -48, 74, 56, -69, -62 },
{ 64, -64, -64, 64, 64, -64, -64, 64, 64, -64, -64, 64, 64, -64, -64, 64 },
{ -2, -90, 11, 89, -20, -87, 28, 84, -37, -81, 45, 76, -52, -71, 59, 66 },
{ -67, -54, 78, 39, -85, -22, 90, 4, -90, 13, 88, -30, 82, 47, 73, -61 },
{ -90, 20, 84, -45, -71, 66, 52, -81, -28, 89, 2, 90, 24, 83, -48, -69 },
{ -57, 80, 26, -90, 9, 87, -43, -70, 70, 43, -87, -9, 90, -26, -80, 57 },
{ 11, 84, -52, -59, 81, 20, -90, 24, 79, -62, -48, 86, 7, -89, 37, 71 },
{ 73, 30, -90, 22, 78, -67, -39, 90, -13, -82, 61, 47, -88, 4, 85, -54 },
{ 89, -45, -59, 84, 2, -86, 56, 48, -88, 11, 81, -66, -37, 90, -24, -74 },
{ 50, -89, 18, 75, -75, -18, 89, -50, -50, 89, -18, -75, 75, 18, -89, 50 },
{ -20, -71, 81, 2, -83, 69, 24, -89, 52, 45, -90, 33, 62, -86, 11, 76 },
{ -78, -4, 82, -73, -13, 85, -67, -22, 88, -61, -30, 90, -54, -39, 90, -47 },
{ -87, 66, 20, -86, 69, 15, -84, 71, 11, -83, 74, 7, -81, 76, 2, -79 },
{ -43, 90, -57, -26, 87, -70, -9, 80, -80, 9, 70, -87, 26, 57, -90, 43 },
{ 28, 52, -90, 56, 24, -84, 76, -5, -69, 88, -37, -45, 90, -62, -15, 81 },
{ 82, -22, -54, 90, -61, -13, 78, -85, 30, 47, -90, 67, 4, -73, 88, -39 },
{ 84, -81, 24, 48, -89, 71, -7, -62, 90, -59, -11, 74, -88, 45, 28, -83 },
{ 35, -84, 84, -35, -35, 84, -84, 35, 35, -84, 84, -35, -35, 84, -84, 35 },
{ -37, -28, 79, -88, 52, 11, 89, 90, -66, 7, 56, -89, 76, -24, -41, 84 },
{ -85, 47, 13, -67, 90, -73, 22, 39, -82, 88, -54, -4, 61, -90, 78, -30 },
{ -81, 89, -62, 11, 45, -83, 88, -59, 7, 48, -84, 87, -56, 2, 52, -86 },
{ -26, 70, -90, 80, -43, -9, 57, -87, 87, -57, 9, 43, -80, 90, -70, 26 },
{ 45, 2, -48, 81, -90, 74, -37, -11, 56, -84, 89, -69, 28, 20, -62, 87 },
{ 88, -67, 30, 13, -54, 82, -90, 78, -47, 4, 39, -73, 90, -85, 61, -22 },
{ 76, -90, 86, -66, 33, 7, -45, 74, -89, 87, -69, 37, 2, -41, 71, -88 },
{ 18, -50, 75, -89, 89, -75, 50, -18, -18, 50, -75, 89, -89, 75, -50, 18 },
{ -52, 24, 7, -37, 62, -81, 90, -88, 76, -56, 28, 2, -33, 59, -79, 89 },
{ -90, 82, -67, 47, -22, -4, 30, -54, 73, -85, 90, -88, 78, -61, 39, -13 },
{ -71, 83, -89, 90, -86, 76, -62, 45, -24, 2, 20, -41, 59, -74, 84, -90 },
{ -9, 26, -43, 57, -70, 80, -87, 90, -90, 87, -80, 70, -57, 43, -26, 9 },
{ 59, -48, 37, -24, 11, 2, -15, 28, -41, 52, -62, 71, -79, 84, -88, 90 },
{ 90, -90, 88, -85, 82, -78, 73, -67, 61, -54, 47, -39, 30, -22, 13, -4 },
{ 66, -69, 71, -74, 76, -79, 81, -83, 84, -86, 87, -88, 89, -90, 90, -90 }
}

```

$$\text{transMatrix}[m][n] = (n \& 1 ? -1 : 1) * \text{transMatrixCol16to31}[47 - m][n] \quad (1075)$$

with  $m = 32..47, n = 0..63$

$$\text{transMatrix}[m][n] = (n \& 1 ? -1 : 1) * \text{transMatrixCol0to15}[63 - m][n] \quad (1076)$$

with  $m = 48..63, n = 0..63$

— Otherwise, if trType is equal to 1 and nTbs is equal to 4, the following applies:

$$\text{transMatrix}[m][n] = \quad (1077)$$

```

{ 29, 55, 74, 84 },
{ 74, 74, 0, -74 },
{ 84, -29, -74, 55 },
{ 55, -84, 74, -29 }
}

```

— Otherwise, if trType is equal to 1 and nTbs is equal to 8, the following applies:

transMatrix[ m ][ n ] = (1078)

```
{
{ 16, 32, 46, 59, 70, 79, 84, 87 },
{ 46, 79, 87, 70, 32, -16, -59, -84 },
{ 70, 84, 32, -46, -87, -59, 16, 79 },
{ 84, 46, -59, -79, 16, 87, 32, -70 },
{ 87, -16, -84, 32, 79, -46, -70, 59 },
{ 79, -70, -16, 84, -59, -32, 87, -46 },
{ 59, -87, 70, -16, -46, 84, -79, 32 },
{ 32, -59, 79, -87, 84, -70, 46, -16 },
}
```

— Otherwise, if trType is equal to 1 and nTbs is equal to 16, the following applies:

transMatrix[ m ][ n ] = (1079)

```
{
{ 8, 17, 25, 33, 41, 48, 55, 62, 67, 73, 77, 81, 84, 87, 88, 89 },
{ 25, 48, 67, 81, 88, 88, 81, 67, 48, 25, 0, -25, -48, -67, -81, -88 },
{ 41, 73, 88, 84, 62, 25, -17, -55, -81, -89, -77, -48, -8, 33, 67, 87 },
{ 55, 87, 81, 41, -17, -67, -89, -73, -25, 33, 77, 88, 62, 8, -48, -84 },
{ 67, 88, 48, -25, -81, -81, -25, 48, 88, 67, 0, -67, -88, -48, 25, 81 },
{ 77, 77, 0, -77, -77, 0, 77, 77, 0, -77, -77, 0, 77, 77, 0, -77 },
{ 84, 55, -48, -87, -8, 81, 62, -41, -88, -17, 77, 67, -33, -89, -25, 73 },
{ 88, 25, -81, -48, 67, 67, -48, -81, 25, 88, 0, -88, -25, 81, 48, -67 },
{ 89, -8, -88, 17, 87, -25, -84, 33, 81, -41, -77, 48, 73, -55, -67, 62 },
{ 87, -41, -67, 73, 33, -88, 8, 84, -48, -62, 77, 25, -89, 17, 81, -55 },
{ 81, -67, -25, 88, -48, -48, 88, -25, -67, 81, 0, -81, 67, 25, -88, 48 },
{ 73, -84, 25, 55, -89, 48, 33, -87, 67, 8, -77, 81, -17, -62, 88, -41 },
{ 62, -89, 67, -8, -55, 88, -73, 17, 48, -87, 77, -25, -41, 84, -81, 33 },
{ 48, -81, 88, -67, 25, 25, -67, 88, -81, 48, 0, -48, 81, -88, 67, -25 },
{ 33, -62, 81, -89, 84, -67, 41, -8, -25, 55, -77, 88, -87, 73, -48, 17 },
{ 17, -33, 48, -62, 73, -81, 87, -89, 88, -84, 77, -67, 55, -41, 25, -8 },
}
```

— Otherwise, if trType is equal to 1 and nTbs is equal to 32, the following applies:

transMatrix[ m ][ n ] = transMatrixCol0to15[ m ][ n ] with m = 0..15, n = 0..31 (1080)

transMatrixCol0to15 = (1081)

```
{
{ 4, 9, 13, 17, 21, 26, 30, 34, 38, 42, 46, 49, 53, 56, 60, 63 },
{ 13, 26, 38, 49, 60, 69, 76, 82, 87, 89, 90, 89, 85, 81, 74, 66 },
{ 21, 42, 60, 74, 84, 89, 89, 84, 74, 60, 42, 21, 0, -21, -42, -60 },
{ 30, 56, 76, 88, 89, 81, 63, 38, 9, -21, -49, -71, -85, -90, -84, -69 },
{ 38, 69, 87, 89, 74, 46, 9, -30, -63, -84, -90, -78, -53, -17, 21, 56 },
{ 46, 78, 90, 76, 42, -4, -49, -81, -90, -74, -38, 9, 53, 82, 89, 71 },
{ 53, 85, 85, 53, 0, -53, -85, -85, -53, 0, 53, 85, 85, 53, 0, -53 },
{ 60, 89, 74, 21, -42, -84, -84, -42, 21, 74, 89, 60, 0, -60, -89, -74 },
{ 66, 90, 56, -13, -74, -88, -46, 26, 81, 84, 34, -38, -85, -78, -21, 49 },
{ 71, 87, 34, -46, -89, -63, 13, 78, 82, 21, -56, -90, -53, 26, 84, 76 },
{ 76, 81, 9, -71, -84, -17, 66, 87, 26, -60, -89, -34, 53, 90, 42, -46 },
{ 81, 71, -17, -87, -60, 34, 90, 46, -49, -89, -30, 63, 85, 13, -74, -78 },
{ 84, 60, -42, -89, -21, 74, 74, -21, -89, -42, 60, 84, 0, -84, -60, 42 },
{ 87, 46, -63, -78, 21, 90, 26, -76, -66, 42, 88, 4, -85, -49, 60, 81 },
{ 89, 30, -78, -56, 60, 76, -34, -88, 4, 89, 26, -81, -53, 63, 74, -38 },
{ 90, 13, -88, -26, 84, 38, -78, -49, 71, 60, -63, -69, 53, 76, -42, -82 },
{ 90, -4, -90, 9, 89, -13, -89, 17, 88, -21, -87, 26, 85, -30, -84, 34 },
{ 89, -21, -84, 42, 74, -60, -60, 74, 42, -84, -21, 89, 0, -89, 21, 84 },
{ 88, -38, -71, 69, 42, -87, -4, 89, -34, -74, 66, 46, -85, -9, 89, -30 },
{ 85, -53, -53, 85, 0, -85, 53, 53, -85, 0, 85, -53, -53, 85, 0, -85 },
{ 82, -66, -30, 90, -42, -56, 87, -13, -76, 74, 17, -88, 53, 46, -89, 26 },
{ 78, -76, -4, 81, -74, -9, 82, -71, -13, 84, -69, -17, 85, -66, -21, 87 },
{ 74, -84, 21, 60, -89, 42, 42, -89, 60, 21, -84, 74, 0, -74, 84, -21 },
{ 69, -89, 46, 30, -84, 78, -17, -56, 90, -60, -13, 76, -85, 34, 42, -88 },
{ 63, -90, 66, -4, -60, 90, -69, 9, 56, -89, 71, -13, -53, 89, -74, 17 },
{ 56, -88, 81, -38, -21, 71, -90, 69, -17, -42, 82, -87, 53, 4, -60, 89 },
{ 49, -82, 89, -66, 21, 30, -71, 90, -78, 42, 9, -56, 85, -87, 60, -13 },
{ 42, -74, 89, -84, 60, -21, -21, 60, -84, 89, -74, 42, 0, -42, 74, -89 },
{ 34, -63, 82, -90, 84, -66, 38, -4, -30, 60, -81, 90, -85, 69, -42, 9 },
{ 26, -49, 69, -82, 89, -89, 81, -66, 46, -21, -4, 30, -53, 71, -84, 90 },
{ 17, -34, 49, -63, 74, -82, 88, -90, 89, -84, 76, -66, 53, -38, 21, -4 },
{ 9, -17, 26, -34, 42, -49, 56, -63, 69, -74, 78, -82, 85, -88, 89, -90 },
}
```

},

$$\text{transMatrix}[m][n] = \text{transMatrixCol16to31}[m - 16][n] \text{ with } m = 16..31, n = 0..31 \quad (1082)$$

$$\text{transMatrixCol16to31} = \quad (1083)$$

```
{
  { 66, 69, 71, 74, 76, 78, 81, 82, 84, 85, 87, 88, 89, 89, 90, 90 },
  { 56, 46, 34, 21, 9, -4, -17, -30, -42, -53, -63, -71, -78, -84, -88, -90 },
  { -74, -84, -89, -89, -84, -74, -60, -42, -21, 0, 21, 42, 60, 74, 84, 89 },
  { -46, -17, 13, 42, 66, 82, 90, 87, 74, 53, 26, -4, -34, -60, -78, -89 },
  { 81, 90, 82, 60, 26, -13, -49, -76, -89, -85, -66, -34, 4, 42, 71, 88 },
  { 34, -13, -56, -84, -89, -69, -30, 17, 60, 85, 88, 66, 26, -21, -63, -87 },
  { -85, -85, -53, 0, 53, 85, 85, 53, 0, -53, -85, -85, -53, 0, 53, 85 },
  { -21, 42, 84, 84, 42, -21, -74, -89, -60, 0, 60, 89, 74, 21, -42, -84 },
  { 89, 71, 9, -60, -90, -63, 4, 69, 89, 53, -17, -76, -87, -42, -30, 82 },
  { 9, -66, -89, -42, 38, 88, 69, -4, -74, -85, -30, 49, 90, 60, -17, -81 },
  { -90, -49, 38, 89, 56, -30, -88, -63, 21, 85, 69, -13, -82, -74, 4, 78 },
  { 4, 82, 69, -21, -88, -56, 38, 90, 42, -53, -89, -26, 66, 84, 9, -76 },
  { 89, 21, -74, -74, 21, 89, 42, -60, -84, 0, 84, 60, -42, -89, -21, 74 },
  { -17, -90, -30, 74, 69, -38, -89, -9, 84, 53, -56, -82, 13, 89, 34, -71 },
  { -87, 9, 90, 21, -82, -49, 66, 71, -42, -85, 13, 90, 17, -84, -46, 69 },
  { 30, 87, -17, -89, 4, 90, 9, -89, -21, 85, 34, -81, -46, 74, 56, -66 },
  { 82, -38, -81, 42, 78, -46, -76, 49, 74, -53, -71, 56, 69, -60, -66, 63 },
  { -42, -74, 60, 60, -74, -42, 84, 21, -89, 0, 89, 21, -84, 42, 74, -60 },
  { -76, 63, 49, -84, -13, 90, -26, -78, 60, 53, -82, -17, 90, -21, -81, 56 },
  { 53, 53, -85, 0, 85, -53, -53, 85, 0, -85, 53, 53, -85, 0, 85, -53 },
  { 69, -81, -4, 84, -63, -34, 90, -38, -60, 85, -9, -78, 71, 21, -89, 49 },
  { -63, -26, 88, -60, -30, 89, -56, -34, 89, -53, -38, 90, -49, -42, 90, -46 },
  { -60, 89, -42, -42, 89, -60, -21, 84, -74, 0, 74, -84, 21, 60, -89, 42 },
  { 71, -4, -66, 89, -49, -26, 82, -81, 21, 53, -90, 63, 9, -74, 87, -38 },
  { 49, -88, 76, -21, -46, 87, -78, 26, 42, -85, 81, -30, -38, 84, -82, 34 },
  { -78, 34, 26, -74, 90, -66, 13, 46, -84, 85, -49, -9, 63, -89, 76, -30 },
  { -38, 76, -90, 74, -34, -17, 63, -88, 84, -53, 4, 46, -81, 89, -69, 26 },
  { 84, -60, 21, 21, -60, 84, -89, 74, -42, 0, 42, -74, 89, -84, 60, -21 },
  { 26, -56, 78, -89, 87, -71, 46, -13, -21, 53, -76, 89, -88, 74, -49, 17 },
  { -88, 78, -63, 42, -17, -9, 34, -56, 74, -85, 90, -87, 76, -60, 38, -13 },
  { -13, 30, -46, 60, -71, 81, 87, 90, -89, 85, -78, 69, -56, 42, -26, 9 },
  { 90, -89, 87, -84, 81, -76, 71, -66, 60, -53, 46, -38, 30, -21, 13, -4 }
}
```

— Otherwise, if trType is equal to 2 and nTbs is equal to 4, the following applies:

$$\text{transMatrix}[m][n] = \quad (1084)$$

```
{
  { 84, 74, 55, 29 },
  { 74, 0, -74, -74 },
  { 55, -74, -29, 84 },
  { 29, -74, 84, -55 }
}
```

— Otherwise, if trType is equal to 2 and nTbs is equal to 8, the following applies:

$$\text{transMatrix}[m][n] = \quad (1085)$$

```
{
  { 87, 84, 79, 70, 59, 46, 32, 16 },
  { 84, 59, 16, -32, -70, -87, -79, -46 },
  { 79, 16, -59, -87, -46, 32, 84, 70 },
  { 70, -32, -87, -16, 79, 59, -46, -84 },
  { 59, -70, -46, 79, 32, -84, -16, 87 },
  { 46, -87, 32, 59, -84, 16, 70, -79 },
  { 32, -79, 84, -46, -16, 70, -87, 59 },
  { 16, -46, 70, -84, 87, -79, 59, -32 }
}
```

— Otherwise, if trType is equal to 2 and nTbs is equal to 16, the following applies:

$$\text{transMatrix}[m][n] = \quad (1086)$$

```
{
  { 89, 88, 87, 84, 81, 77, 73, 67, 62, 55, 48, 41, 33, 25, 17, 8 },
  { 88, 81, 67, 48, 25, 0, -25, -48, -67, -81, -88, -88, -81, -67, -48, -25 },
  { 87, 67, 33, -8, -48, -77, -89, -81, -55, -17, 25, 62, 84, 88, 73, 41 }
}
```

```
{ 84, 48, -8, -62, -88, -77, -33, 25, 73, 89, 67, 17, -41, -81, -87, -55 },
{ 81, 25, -48, -88, -67, 0, 67, 88, 48, -25, -81, -81, -25, 48, 88, 67 },
{ 77, 0, -77, -77, 0, 77, 77, 0, -77, -77, 0, 77, 77, 0, -77, -77 },
{ 73, -25, -89, -33, 67, 77, -17, -88, -41, 62, 81, -8, -87, -48, 55, 84 },
{ 67, -48, -81, 25, 88, 0, -88, -25, 81, 48, -67, -67, 48, 81, -25, -88 },
{ 62, -67, -55, 73, 48, -77, -41, 81, 33, -84, -25, 87, 17, -88, -8, 89 },
{ 55, -81, -17, 89, -25, -77, 62, 48, -84, -8, 88, -33, -73, 67, 41, -87 },
{ 48, -88, 25, 67, -81, 0, 81, -67, -25, 88, -48, -48, 88, -25, -67, 81 },
{ 41, -88, 62, 17, -81, 77, -8, -67, 87, -33, -48, 89, -55, -25, 84, -73 },
{ 33, -81, 84, -41, -25, 77, -87, 48, 17, -73, 88, -55, -8, 67, -89, 62 },
{ 25, -67, 88, -81, 48, 0, -48, 81, -88, 67, -25, -25, 67, -88, 81, -48 },
{ 17, -48, 73, -87, 88, -77, 55, -25, -8, 41, -67, 84, -89, 81, -62, 33 },
{ 8, -25, 41, -55, 67, -77, 84, -88, 89, -87, 81, -73, 62, -48, 33, -17 },
}
```

— Otherwise, if trType is equal to 2 and nTbs is equal to 32, the following applies:

$$\text{transMatrix}[m][n] = \text{transMatrixCol0to15}[m][n] \text{ with } m = 0..15, n = 0..31 \quad (1087)$$

$$\text{transMatrixCol0to15} = \quad (1088)$$

```
{ 90, 90, 89, 89, 88, 87, 85, 84, 82, 81, 78, 76, 74, 71, 69, 66 },
{ 90, 88, 84, 78, 71, 63, 53, 42, 30, 17, 4, -9, -21, -34, -46, -56 },
{ 89, 84, 74, 60, 42, 21, 0, -21, -42, -60, -74, -84, -89, -89, -84, -74 },
{ 89, 78, 60, 34, 4, -26, -53, -74, -87, -90, -82, -66, -42, -13, 17, 46 },
{ 88, 71, 42, 4, -34, -66, -85, -89, -76, -49, -13, -26, 60, 82, 90, 81 },
{ 87, 63, 21, -26, -66, -88, -85, -60, -17, 30, 69, 89, 84, 56, 13, -34 },
{ 85, 53, 0, -53, -85, -85, -53, 0, 53, 85, 85, 53, 0, -53, -85, -85 },
{ 84, 42, -21, -74, -89, -60, 0, 60, 89, 74, 21, -42, -84, -84, 21, },
{ 82, 30, -42, -87, -76, -17, 53, 89, 69, 4, -63, -90, -60, 9, 71, 89 },
{ 81, 17, -60, -90, -49, 30, 85, 74, 4, -69, -88, -38, 42, 89, 66, -9 },
{ 78, 4, -74, -82, -13, 69, 85, 21, -63, -88, -30, 56, 89, 38, -49, -90 },
{ 76, -9, -84, -66, 26, 89, 53, -42, -90, -38, 56, 88, 21, -69, -82, -4 },
{ 74, -21, -89, -42, 60, 84, 0, -84, -60, 42, 89, 21, -74, -74, 21, 89 },
{ 71, -34, -89, -13, 82, 56, -53, -84, 9, 89, 38, -69, -74, 30, 90, 17 },
{ 69, -46, -84, 17, 90, 13, -85, -42, 71, 66, -49, -82, 21, 90, 9, -87 },
{ 66, -56, -74, 46, 81, -34, -85, 21, 89, -9, -90, -4, 89, 17, -87, -30 },
{ 63, -66, -60, 69, 56, -71, -53, 74, 49, -76, -46, 78, 42, -81, -38, 82 },
{ 60, -74, -42, 84, 21, -89, 0, 89, -21, -84, 42, 74, -60, -60, 74, 42 },
{ 56, -81, -21, 90, -17, -82, 53, 60, -78, -26, 90, -13, -84, 49, 63, -76 },
{ 53, -85, 0, 85, -53, -53, 85, 0, -85, 53, 53, -85, 0, 85, -53, -53 },
{ 49, -89, 21, 71, -78, 9, 85, -60, -38, 90, -34, -63, 84, -4, -81, 69 },
{ 46, -90, 42, 49, -90, 38, 53, -89, 34, 56, -89, 30, 60, -88, 26, 63 },
{ 42, -89, 60, 21, -84, 74, 0, -74, 84, -21, -60, 89, -42, -42, 89, -60 },
{ 38, -87, 74, -9, 63, 90, -53, -21, 81, -82, 26, 49, -89, 66, 4, -71 },
{ 34, -82, 84, -38, 30, 81, -85, 42, 26, -78, 87, -46, -21, 76, -88, 49 },
{ 30, -76, 89, -63, 9, 49, -85, 84, -46, -13, 66, -90, 74, -26, -34, 78 },
{ 26, -69, 89, 81, 46, 4, -53, 84, -88, 63, -17, -34, 74, -90, 76, -38 },
{ 21, -60, 84, -89, 74, -42, 0, 42, -74, 89, -84, 60, -21, -21, 60, -84 },
{ 17, -49, 74, -88, 89, -76, 53, -21, -13, 46, -71, 87, -89, 78, -56, 26 },
{ 13, -38, 60, -76, 87, -90, 85, -74, 56, -34, 9, 17, -42, 63, -78, 88 },
{ 9, -26, 42, -56, 69, -78, 85, -89, 90, -87, 81, -71, 60, -46, 30, -13 },
{ 4, -13, 21, -30, 38, -46, 53, -60, 66, -71, 76, -81, 84, -87, 89, -90 },
},
```

$$\text{transMatrix}[m][n] = \text{transMatrixCol16to31}[m - 16][n] \text{ with } m = 16..31, n = 0..31 \quad (1089)$$

$$\text{transMatrixCol16to31} = \quad (1090)$$

```
{ 63, 60, 56, 53, 49, 46, 42, 38, 34, 30, 26, 21, 17, 13, 9, 4 },
{ -66, -74, -81, -85, -89, -90, -89, -87, -82, -76, -69, -60, -49, -38, -26, -13 },
{ -60, -42, -21, 0, 21, 42, 60, 74, 84, 89, 89, 84, 74, 60, 42, 21 },
{ 69, 84, 90, 85, 71, 49, 21, -9, -38, -63, -81, -89, -88, -76, -56, -30 },
{ 56, 21, -17, -53, -78, -90, -84, -63, -30, 9, 46, 74, 89, 87, 69, 38 },
{ -71, -89, -82, -53, -9, 38, 74, 90, 81, 49, 4, -42, -76, -90, -78, -46 },
{ -53, 0, 53, 85, 85, 53, 0, -53, -85, -85, -53, 0, 53, 85, 85, 53 },
{ 74, 89, 60, 0, -60, -89, -74, -21, 42, 84, 84, 42, -21, -74, -89, -60 },
{ 49, -21, -78, -85, -38, 34, 84, 81, 26, -46, -88, -74, -13, 56, 90, 66 },
{ -76, -84, -26, 53, 90, 56, -21, -82, -78, -13, 63, 89, 46, -34, -87, -71 },
{ -46, 42, 90, 53, -34, -89, -60, 26, 87, 66, -17, -84, -71, 9, 81, 76 },
{ 78, 74, -13, -85, -63, 30, 89, 49, -46, -90, -34, 60, 87, 17, -71, -81 },
{ 42, -60, -84, 0, 84, 60, -42, -89, -21, 74, 74, -21, -89, -42, 60, 84 },
```

```

{ -81, -60, 49, 85, -4, -88, -42, 66, 76, -26, -90, -21, 78, 63, -46, -87 },
{ -38, 74, 63, -53, -81, 26, 89, 4, -88, -34, 76, 60, -56, -78, 30, 89 },
{ 82, 42, -76, -53, 69, 63, -60, -71, 49, 78, -38, -84, 26, 88, -13, -90 },
{ 34, -84, -30, 85, 26, -87, -21, 88, 17, -89, -13, 89, 9, -90, -4, 90 },
{ -84, -21, 89, 0, -89, 21, 84, -42, -74, 60, 60, -74, -42, 84, 21, -89 },
{ -30, 89, -9, -85, 46, 66, -74, -34, 89, -4, -87, 42, 69, -71, -38, 88 },
{ 85, 0, -85, 53, 53, -85, 0, 85, -53, -53, 85, 0, -85, 53, 53, -85 },
{ 26, -89, 46, 53, -88, 17, 74, -76, -13, 87, -56, -42, 90, -30, -66, 82 },
{ -87, 21, 66, -85, 17, 69, -84, 13, 71, -82, 9, 74, -81, 4, 76, -78 },
{ -21, 84, -74, 0, 74, -84, 21, 60, -89, 42, 42, -89, 60, 21, -84, 74 },
{ 88, -42, -34, 85, -76, 13, 60, -90, 56, 17, -78, 84, -30, -46, 89, -69 },
{ 17, -74, 89, -53, -13, 71, -89, 56, 9, -69, 90, -60, -4, 66, -90, 63 },
{ -89, 60, -4, -53, 87, -82, 42, 17, -69, 90, -71, 21, 38, -81, 88, -56 },
{ -13, 60, -87, 85, -56, 9, 42, -78, 90, -71, 30, 21, -66, 89, -82, 49 },
{ 89, -74, 42, 0, -42, 74, -89, 84, -60, 21, 21, -60, 84, -89, 74, 42 },
{ 9, -42, 69, -85, 90, -81, 60, -30, -4, 38, -66, 84, -90, 82, -63, 34 },
{ -90, 84, -71, 53, -30, 4, 21, -46, 66, -81, 89, -89, 82, -69, 49, -26 },
{ -4, 21, -38, 53, -66, 76, -84, 89, -90, 88, -82, 74, -63, 49, -34, 17 },
{ 90, -89, 88, -85, 82, -78, 74, -69, 63, -56, 49, -42, 34, -26, 17, -9 },
}

```

### 8.7.5 Picture construction process

Inputs to this process are:

- a location (  $x_{Curr}$ ,  $y_{Curr}$  ) specifying the top-left sample of the current block relative to the top-left sample of the current picture component,
- two variables  $nCbW$  and  $nCbH$  specifying the width and the height of the current block,
- a variable  $cIdx$  specifying the colour component of the current block,
- an  $(nCbW) \times (nCbH)$  array  $predSamples$  specifying the predicted samples of the current block, and
- an  $(nCbW) \times (nCbH)$  array  $resSamples$  specifying the residual samples of the current block.

Output of this process is a modified reconstructed picture.

Depending on the value of the colour component  $cIdx$ , the following assignments are made:

- If  $cIdx$  is equal to 0,  $recSamples$  corresponds to the reconstructed picture sample array  $S_L$  and the function  $clipCidx1$  corresponds to  $Clip1_Y$ .
- Otherwise, if  $cIdx$  is equal to 1,  $recSamples$  corresponds to the reconstructed chroma sample array  $S_{Cb}$  and the function  $clipCidx1$  corresponds to  $Clip1_C$ , and
- Otherwise ( $cIdx$  is equal to 2),  $recSamples$  corresponds to the reconstructed chroma sample array  $S_{Cr}$  and the function  $clipCidx1$  corresponds to  $Clip1_C$ .

The  $(nCbW) \times (nCbH)$  block of the reconstructed sample array  $recSamples$  at location (  $x_{Curr}$ ,  $y_{Curr}$  ) is derived as follows:

$$recSamples[x_{Curr} + i][y_{Curr} + j] = clipCidx1( predSamples[i][j] + resSamples[i][j] ) \quad (1091)$$

, with  $i = 0..nCbW - 1$ ,  $j = 0..nCbH - 1$

$$IsCoded[x_{Curr} + i][y_{Curr} + j] = TRUE \quad (1092)$$

## 8.7.6 Post-reconstruction filter process

### 8.7.6.1 General

Inputs to this process are:

- a location (  $x_{Cb}$ ,  $y_{Cb}$  ) specifying the top-left sample of the current luma block relative to the top-left sample of the current picture,
- two variables  $n_{CbW}$  and  $n_{CbH}$  specifying the width and the height of the current luma coding block, and
- a luma quantization parameter  $Q_{pY}$  of the current block.

The output of this process is the modified reconstructed picture sample array  $S_L$ .

The process is not applied if one of the following conditions is true:

- $n_{CbW} * n_{CbH} < 64$ .
- $\text{Max}( n_{CbW}, n_{CbH} ) \geq 128$ .
- $\text{Min}( n_{CbW}, n_{CbH} ) \geq 32$  &  $\& \text{LumaPredMode}[ x_{Cb} ][ y_{Cb} ] \neq \text{MODE\_INTRA}$ .
- $Q_{pY} \leq 17$ .

An  $(n_{CbW} + 2) \times (n_{CbH} + 2)$  array of padded reconstructed luma samples  $\text{recSamplesPad}$  is derived according to the padding process as specified in subclause 8.7.6.2, with location (  $x_{Cb}$ ,  $y_{Cb}$  ) specifying the top-left sample of the current luma block, size (  $n_{CbW}$ ,  $n_{CbH}$  ) of the current block and array  $S_L$  specifying the reconstructed picture sample array as inputs.

The accumulated filtered samples  $\text{accFilt}[ x ][ y ]$  are initialized to be equal to zero and then derived based on padded reconstructed luma samples  $\text{recSamplesPad}$ , with  $x = -1..n_{CbW} - 1$ ,  $y = -1..n_{CbH} - 1$  as follows:

- The input array for filtering  $\text{inFilt}$  including a current sample and three its neighbouring samples according to the scan template  $\text{scanTmpl}$  with  $i = 0..3$  is derived as follows:

$$\text{inFilt}[ i ] = \text{recSamplesPad}[ x + \text{scanTmpl}[ i ][ 1 ] ][ y + \text{scanTmpl}[ i ][ 0 ] ] \quad (1093)$$

, where array  $\text{scanTmpl}$  is equal to { ( 0, 0 ), ( 0, 1 ), ( 1, 0 ), ( 1, 1 ) }

- The Hadamard spectrum components  $\text{fHad}$  are derived by performing Hadamard transform as follows:

$$\text{fHad}[ 0 ] = \text{inFilt}[ 0 ] + \text{inFilt}[ 2 ] + \text{inFilt}[ 1 ] + \text{inFilt}[ 3 ] \quad (1094)$$

$$\text{fHad}[ 1 ] = \text{inFilt}[ 0 ] + \text{inFilt}[ 2 ] - \text{inFilt}[ 1 ] - \text{inFilt}[ 3 ] \quad (1095)$$

$$\text{fHad}[ 2 ] = \text{inFilt}[ 0 ] - \text{inFilt}[ 2 ] + \text{inFilt}[ 1 ] - \text{inFilt}[ 3 ] \quad (1096)$$

$$\text{fHad}[ 3 ] = \text{inFilt}[ 0 ] - \text{inFilt}[ 2 ] - \text{inFilt}[ 1 ] + \text{inFilt}[ 3 ] \quad (1097)$$

- The filtered Hadamard spectrum components  $\text{fHadFilt}$  are derived using look-up table as follows with  $i = 1..3$ , where variables  $a_{THR}$ ,  $\text{tblShift}$  and look-up table array  $\text{bLUT}$  are derived based on luma quantization parameter  $Q_{pY}$  according to subclause 8.7.6.3:

— If  $\text{BitDepth}_Y < 10$ , the following applies:

$$\text{bdShift} = 10 - \text{BitDepth}_Y, \quad (1098)$$

$\text{fHadFilt}[i] =$

$$\left\{ \begin{array}{l} \text{fHad}[i]; \text{Abs}(\text{fHad}[i]) \ll \text{bdShift} \geq \text{aTHR} \\ \text{bLUT}[(\text{fHad}[i] \ll \text{bdShift} + (1 \ll (\text{tblShift} - 1))) \gg \text{tblShift}] \gg \text{bdShift}; \\ \text{fHad}[i] > 0, \text{Abs}(\text{fHad}[i]) \ll \text{bdShift} < \text{aTHR} \\ - (\text{bLUT}[(\text{fHad}[i] \ll \text{bdShift} + (1 \ll (\text{tblShift} - 1))) \gg \text{tblShift}] \gg \text{bdShift}); \\ \text{fHad}[i] \leq 0, \text{Abs}(\text{fHad}[i]) \ll \text{bdShift} < \text{aTHR} \end{array} \right.$$

— Otherwise, the following applies:

$$\text{bdShift} = \text{BitDepth}_Y - 10, \quad (1099)$$

$\text{fHadFilt}[i] =$

$$\left\{ \begin{array}{l} \text{fHad}[i]; \text{Abs}(\text{fHad}[i]) \gg \text{bdShift} \geq \text{aTHR} \\ \text{bLUT}[(\text{fHad}[i] \gg \text{bdShift} + (1 \ll (\text{tblShift} - 1))) \gg \text{tblShift}] \ll \text{bdShift}; \\ \text{fHad}[i] > 0, \text{Abs}(\text{fHad}[i]) \gg \text{bdShift} < \text{aTHR} \\ - (\text{bLUT}[(\text{fHad}[i] \gg \text{bdShift} + (1 \ll (\text{tblShift} - 1))) \gg \text{tblShift}] \ll \text{bdShift}); \\ \text{fHad}[i] \leq 0, \text{Abs}(\text{fHad}[i]) \gg \text{bdShift} < \text{aTHR} \end{array} \right.$$

— The filtered Hadamard spectrum component  $\text{fHadFilt}[0]$  is set equal to the Hadamard spectrum component  $\text{fHad}[0]$ .

— The filtered samples  $\text{invHadFilt}$  are derived by performing inverse Hadamard transform for filtered spectrum components  $\text{fHadFilt}$  as follows:

$$\text{invHadFilt}[0] = \text{fHadFilt}[0] + \text{fHadFilt}[2] + \text{fHadFilt}[1] + \text{fHadFilt}[3] \quad (1100)$$

$$\text{invHadFilt}[1] = \text{fHadFilt}[0] + \text{fHadFilt}[2] - \text{fHadFilt}[1] - \text{fHadFilt}[3] \quad (1101)$$

$$\text{invHadFilt}[2] = \text{fHadFilt}[0] - \text{fHadFilt}[2] + \text{fHadFilt}[1] - \text{fHadFilt}[3] \quad (1102)$$

$$\text{invHadFilt}[3] = \text{fHadFilt}[0] - \text{fHadFilt}[2] - \text{fHadFilt}[1] + \text{fHadFilt}[3] \quad (1103)$$

— The filtered samples  $\text{invHadFilt}$  are accumulated in accumulation buffer  $\text{accFlt}$  according to the scan template  $\text{scanTmpl}$  with  $i = 0..3$  as follows:

$$\text{accFlt}[x + \text{scanTmpl}[i][1]][y + \text{scanTmpl}[i][0]] += \text{invHadFilt}[i] \gg 2 \quad (1104)$$

The reconstructed picture sample array  $S_L$  is modified as follows for  $x = 0..nCbW - 1$  and  $y = 0..nCbH - 1$ :

$$S_L[xCb + x][yCb + y] = \text{Clip}_{1Y}((\text{accFlt}[x][y] + 2) \gg 2) \quad (1105)$$

### 8.7.6.2 Padding process for post-reconstruction filter

Inputs to this process are:

- a location (  $x_{Cb}$ ,  $y_{Cb}$  ) specifying the top-left sample of the current luma block relative to the top-left sample of the current picture,
- two variables  $nCbW$  and  $nCbH$  specifying the width and the height of the current luma coding block, and
- an array  $recSamples$  specifying the reconstructed picture sample array.

The output of this process is  $(nCbW + 2) \times (nCbH + 2)$  array of padded reconstructed luma samples of the current block  $recSamplesPad$ .

For  $x = -1..nCbW$  and  $y = -1..nCbH$ ,  $recSamplesPad[x][y]$  is derived as follows:

- When  $0 \leq x \leq nCbW - 1$  and  $0 \leq y \leq nCbH - 1$ , the  $recSamplesPad[x][y]$  is set equal to  $recSamples[x_{Cb} + x][y_{Cb} + y]$ .
- Otherwise, the following applies:
  - The derivation process for neighbouring block availability as specified in subclause 6.4.1 is invoked with the neighbouring luma location (  $x_{NbY}$ ,  $y_{NbY}$  ) set equal to (  $x_{Cb} + x$ ,  $y_{Cb} + y$  ) as input, and the output is assigned to  $availableN$ .
  - The variable  $dx$  is set equal to 0 and variable  $dy$  is set equal to 0.
  - When  $x = -1$ , and  $availableN$  is equal to FALSE, or  $constrained\_intra\_pred\_flag$  is equal to 1 and  $LumaPredMode[x_{Cb} + x][y_{Cb} + y]$  is not equal to MODE\_INTRA,  $dx = 1$ .
  - When  $x = nCbW$ , and  $availableN$  is equal to FALSE, or  $constrained\_intra\_pred\_flag$  is equal to 1 and  $LumaPredMode[x_{Cb} + x][y_{Cb} + y]$  is not equal to MODE\_INTRA,  $dx = -1$ .
  - When  $y = -1$ , and  $availableN$  is equal to FALSE, or  $constrained\_intra\_pred\_flag$  is equal to 1 and  $LumaPredMode[x_{Cb} + x][y_{Cb} + y]$  is not equal to MODE\_INTRA,  $dy = 1$ .
  - When  $y = nCbH$ , and  $availableN$  is equal to FALSE, or  $constrained\_intra\_pred\_flag$  is equal to 1 and  $LumaPredMode[x_{Cb} + x][y_{Cb} + y]$  is not equal to MODE\_INTRA,  $dy = -1$ .
  - $recSamplesPad[x][y]$  is set equal to  $recSamples[x_{Cb} + x + dx][y_{Cb} + y + dy]$ .

### 8.7.6.3 Derivation process for post-reconstruction filter look-up table

Input to this process is a luma quantization parameter  $Qp_Y$  of the current block.

Outputs of this process are:

- a look-up table  $bLUT$  used for filtering of the block,
- a look-up table access threshold  $aTHR$ ,
- a look-up table index shift  $tblShift$ .

The look-up table and corresponding parameters used for filtering of the block are selected from the set of the look-up tables based on luma quantization parameter  $Qp_Y$ .

The index of look-up table in the set  $qpIdx$  is derived as follows:

```

if( LumaPredMode[ xCb ][ yCb ] == MODE_INTER && nCbW == nCbH && Min( nCbW, nCbH ) >= 32)
    qpIdx = Clip3( 0, 4, ( QpY - 28 + ( 1 << 2 ) ) >> 3 )
else
    qpIdx = Clip3( 0, 4, ( QpY - 20 + ( 1 << 2 ) ) >> 3 )

```

(1106)

The look-up table bLUT used for filtering of the block is derived by selecting array from setOfLUT based on qpIdx:

$$\text{bLUT} = \text{setOfLUT}[\text{qpIdx}] \quad (1107)$$

$$\text{setOfLUT}[5][16] =$$

```

{
  { 0, 0, 2, 6, 10, 14, 19, 23, 28, 32, 36, 41, 45, 49, 53, 57, },
  { 0, 0, 5, 12, 20, 29, 38, 47, 56, 65, 73, 82, 90, 98, 107, 115, },
  { 0, 0, 1, 4, 9, 16, 24, 32, 41, 50, 59, 68, 77, 86, 94, 103, },
  { 0, 0, 3, 9, 19, 32, 47, 64, 81, 99, 117, 135, 154, 179, 205, 230, },
  { 0, 0, 0, 2, 6, 11, 18, 27, 38, 51, 64, 96, 128, 160, 192, 224, },
}

```

(1108)

The variable tblShift is derived as follows:

$$\text{tblShift} = \text{tblThrLog2}[\text{qpIdx}] - 4 \quad (1109)$$

$$\text{tblThrLog2}[5] = \{ 6, 7, 7, 8, 8 \} \quad (1110)$$

The look-up table access threshold aTHR is derived as follows:

$$\text{aTHR} = ( 1 \ll \text{tblThrLog2}[\text{qpIdx}] ) - ( 1 \ll \text{tblShift} ) \quad (1111)$$

## 8.8 In-loop filter process

### 8.8.1 General

This subclause specifies the application of two in-loop filters.

The two in-loop filters, namely deblocking filter and adaptive loop filter, are applied as specified by the following ordered steps:

1) When slice\_deblocking\_filter\_flag is equal to 1, the following applies:

- If sps\_addb\_flag is equal to 0, the deblocking filter process as specified in subclause 8.8.2.1 is invoked with the reconstructed picture sample arrays  $S_L$ , and, when ChromaArrayType is not equal to 0,  $S_{Cb}$  and  $S_{Cr}$  as inputs, and the modified reconstructed picture sample arrays  $S'_L$ , and, when ChromaArrayType is not equal to 0,  $S'_{Cb}$  and  $S'_{Cr}$  after application of deblocking filter as outputs.
- Otherwise (sps\_addb\_flag is equal to 1), the advanced deblocking filter process as specified in subclause 8.8.3.1 is invoked with the reconstructed picture sample arrays  $S_L$ , and, when ChromaArrayType is not equal to 0,  $S_{Cb}$  and  $S_{Cr}$  as inputs, and the modified reconstructed picture sample arrays  $S'_L$ , and, when ChromaArrayType is not equal to 0,  $S'_{Cb}$  and  $S'_{Cr}$  after application of deblocking filter as outputs.
- The array  $S'_L$ , and, when ChromaArrayType is not equal to 0, the arrays  $S'_{Cb}$  and  $S'_{Cr}$  are assigned to the array  $S_L$  and, when ChromaArrayType is not equal to 0, the arrays  $S_{Cb}$  and  $S_{Cr}$  (which represent the decoded picture), respectively.

2) When slice\_alf\_enabled\_flag is equal to 1, or slice\_alf\_chroma\_idc is larger than 0, the following applies:

- The adaptive loop filter process as specified in subclause 8.8.4.1 is invoked with the reconstructed picture sample arrays  $S_L$ , and, when ChromaArrayType is not equal to 0,  $S_{Cb}$  and  $S_{Cr}$  as inputs, and the modified reconstructed picture sample arrays  $S'_L$ , and, when ChromaArrayType is not equal to 0,  $S'_{Cb}$  and  $S'_{Cr}$  after application of adaptive loop filter as outputs.
- The arrays  $S'_L$ , and, when ChromaArrayType is not equal to 0,  $S'_{Cb}$  and  $S'_{Cr}$  are assigned to the arrays  $S_L$ , and, when ChromaArrayType is not equal to 0,  $S_{Cb}$  and  $S_{Cr}$  (which represent the decoded picture), respectively.

## 8.8.2 Deblocking filter process

### 8.8.2.1 General

This process is invoked when `sps_addb_flag` is equal to 0.

Inputs to this process are:

- the array `recPictureL` specifying the reconstructed picture sample array prior to deblocking for luma,
- when ChromaArrayType is not equal to 0, the array `recPictureCb` specifying the reconstructed picture sample array prior to deblocking for Cb, and
- when ChromaArrayType is not equal to 0, the array `recPictureCr` specifying the reconstructed picture sample array prior to deblocking for Cr.

Outputs of this process are:

- the array `recPictureL` specifying the modified reconstructed picture sample arrays after deblocking for luma,
- when ChromaArrayType is not equal to 0, the array `recPictureCb` specifying the modified reconstructed picture sample arrays after deblocking for Cb, and
- when ChromaArrayType is not equal to 0, the array `recPictureCr` specifying the modified reconstructed picture sample arrays after deblocking for Cr.

Filtering in the horizontal direction (across the vertical block edges in a picture) is conducted first. Then filtering in the vertical direction (across the horizontal block edges in a picture) is conducted with samples modified by the filtering in the horizontal direction as input. The horizontal and vertical edges in the coding tree blocks of each coding tree unit are processed separately on a coding unit basis. The horizontal edges of the coding blocks in a coding unit are filtered starting with the edge on the top of the coding blocks proceeding through the edges towards the bottom of the coding blocks in their geometrical order. The vertical edges of the coding blocks in a coding unit are filtered starting with the edge on the left-hand side of the coding blocks proceeding through the edges towards the right-hand side of the coding blocks in their geometrical order.

NOTE Although the filtering process is specified on a picture basis in this document, the filtering process can be implemented on a coding unit basis with an equivalent result, provided the decoder properly accounts for the processing dependency order so as to produce the same output values.

The deblocking filter process is applied to all the block edges of a picture, except the edges that are at the boundary of the picture, the edges that coincide with tile boundaries when `loop_filter_across_tiles_enabled_flag` is equal to 0, and the edges that coincide with slice boundaries and slice on either side of the boundary is coded `slice_deblocking_filter_flag` equal to 0.

The edge type, vertical or horizontal, is represented by the variable `edgeType` as specified in Table 32.

**Table 32 — Name of association to edgeType**

<code>edgeType</code>	Name of <code>edgeType</code>
0 (vertical edge)	EDGE_VER
1 (horizontal edge)	EDGE_HOR

The deblocking is applied as follows:

- The vertical edges are filtered by invoking the deblocking filter process for one direction as specified in subclause 8.8.2.2 with the variable `edgeType` set equal to `EDGE_VER`, the reconstructed picture prior to deblocking, i.e., `recPictureL`, and, when `ChromaArrayType` is not equal to 0, `recPictureCb` and `recPictureCr` as inputs, and the modified reconstructed picture after deblocking, i.e., `recPictureL`, and, when `ChromaArrayType` is not equal to 0, `recPictureCb` and `recPictureCr` as outputs.
- The horizontal edges are filtered by invoking the deblocking filter process for one direction as specified in subclause 8.8.2.2 with the variable `edgeType` set equal to `EDGE_HOR`, the modified reconstructed picture after deblocking, i.e., `recPictureL`, and, when `ChromaArrayType` is not equal to 0, `recPictureCb` and `recPictureCr` as inputs, and the modified reconstructed picture after deblocking, i.e., `recPictureL`, and, when `ChromaArrayType` is not equal to 0, `recPictureCb` and `recPictureCr` as outputs.

### 8.8.2.2 Deblocking filter process for one direction

Inputs to this process are:

- the variable `edgeType` specifying whether a vertical (`EDGE_VER`) or a horizontal (`EDGE_HOR`) edge is filtered,
- the array `recPictureL` specifying the reconstructed picture sample array prior to deblocking for luma,
- when `ChromaArrayType` is not equal to 0, the array `recPictureCb` specifying the reconstructed picture sample array prior to deblocking for Cb, and
- when `ChromaArrayType` is not equal to 0, the array `recPictureCr` specifying the reconstructed picture sample array prior to deblocking for Cr.

Outputs of this process are:

- the array `recPictureL` specifying the modified reconstructed picture sample arrays after deblocking for luma,
- when `ChromaArrayType` is not equal to 0, the array `recPictureCb` specifying the modified reconstructed picture sample arrays after deblocking for Cb, and
- when `ChromaArrayType` is not equal to 0, the array `recPictureCr` specifying the modified reconstructed picture sample arrays after deblocking for Cr.

For luma and chroma coding blocks in a picture, following process applies separately with colour component index `clDx` set equal to 0 for luma and, when `ChromaArrayType` is not equal to 0, `clDx` set equal to 1 or 2 for Cb and Cr chroma components, respectively, coding block width `log2CbWidth` and

coding block height  $\log_2\text{CbHeight}$  set equal to luma block width and height if  $\text{cIdx}$  is equal to 0 and set equal to chroma block width and height if  $\text{cIdx}$  is equal to 1 or 2.

For each coding block with width  $\log_2\text{CbWidth}$ , height  $\log_2\text{CbHeight}$ , a luma location  $(x_{Cb}, y_{Cb})$  specifying the top-left sample of the current coding block relative to the top-left luma sample of the current picture and a variable  $\text{splitTH}$  specifying block split threshold set equal to  $\text{MaxTbLog}_2\text{SizeY}$  if  $\text{cIdx}$  is equal to 0 and set equal to  $(\text{MaxTbLog}_2\text{SizeY} - 1)$  if  $\text{cIdx}$  is equal to 1 or 2, the deblocking process is conducted as follows:

- If  $\text{edgeType}$  is equal to  $\text{EDGE\_VER}$  and  $\log_2\text{CbWidth} \leq \text{splitTH}$ , the following applies:
  - The deblocking process of coding block boundary as specified in subclause 8.8.2.3 is invoked with luma location of top-left sample of the coding block  $(x_{Cb}, y_{Cb})$ , block width  $\log_2\text{CbWidth}$ , block height  $\log_2\text{CbHeight}$ , and picture arrays  $\text{recPicture}_L$ , and, when  $\text{ChromaArrayType}$  is not equal to 0,  $\text{recPicture}_{Cb}$  and  $\text{recPicture}_{Cr}$ , the  $\text{edgeType}$ , the luma motion vectors arrays  $\text{MvL0}$  and  $\text{MvL1}$ , the reference indices arrays  $\text{RefIdxL0}$  and  $\text{RefIdxL1}$  and colour component index  $\text{cIdx}$  as inputs, and the modified arrays  $\text{recPicture}_L$ , and, when  $\text{ChromaArrayType}$  is not equal to 0,  $\text{recPicture}_{Cb}$  and  $\text{recPicture}_{Cr}$  as outputs.
- Otherwise, if  $\text{edgeType}$  is equal to  $\text{EDGE\_VER}$  and  $\log_2\text{CbWidth} > \text{splitTH}$ , the following applies:
  - The deblocking process of coding block boundary as specified in subclause 8.8.2.3 is invoked with luma location of top-left sample of the coding block  $(x_{Cb}, y_{Cb})$ , block width  $(\log_2\text{CbWidth} \gg 1)$ , block height  $\log_2\text{CbHeight}$ , and picture arrays  $\text{recPicture}_L$ , and, when  $\text{ChromaArrayType}$  is not equal to 0,  $\text{recPicture}_{Cb}$  and  $\text{recPicture}_{Cr}$ , the  $\text{edgeType}$ , the luma motion vectors arrays  $\text{MvL0}$  and  $\text{MvL1}$ , the reference indices arrays  $\text{RefIdxL0}$  and  $\text{RefIdxL1}$  and colour component index  $\text{cIdx}$  as inputs, and the modified arrays  $\text{recPicture}_L$ ,  $\text{recPicture}_{Cb}$ , and  $\text{recPicture}_{Cr}$  as outputs.
  - The deblocking process of coding block boundary as specified in subclause 8.8.2.3 is invoked with luma location of top-left sample of the coding block  $(x_{Cb} + (1 \ll \text{splitTH}), y_{Cb})$ , block width  $(\log_2\text{CbWidth} \gg 1)$ , block height  $\log_2\text{CbHeight}$ , and picture arrays  $\text{recPicture}_L$ , and, when  $\text{ChromaArrayType}$  is not equal to 0,  $\text{recPicture}_{Cb}$  and  $\text{recPicture}_{Cr}$ , the  $\text{edgeType}$ , the luma motion vectors arrays  $\text{MvL0}$  and  $\text{MvL1}$ , the reference indices arrays  $\text{RefIdxL0}$  and  $\text{RefIdxL1}$  and colour component index  $\text{cIdx}$  as inputs, and the modified arrays  $\text{recPicture}_L$ , and, when  $\text{ChromaArrayType}$  is not equal to 0,  $\text{recPicture}_{Cb}$  and  $\text{recPicture}_{Cr}$  as outputs.
- Otherwise, if  $\text{edgeType}$  is equal to  $\text{EDGE\_HOR}$  and  $\log_2\text{CbHeight} \leq \text{splitTH}$ , the following applies:
  - The deblocking process of coding block boundary as specified in subclause 8.8.2.3 is invoked with luma location of top-left sample of the coding block  $(x_{Cb}, y_{Cb})$ , block width  $\log_2\text{CbWidth}$ , block height  $\log_2\text{CbHeight}$ , and picture arrays  $\text{recPicture}_L$ , and, when  $\text{ChromaArrayType}$  is not equal to 0,  $\text{recPicture}_{Cb}$  and  $\text{recPicture}_{Cr}$ , the  $\text{edgeType}$ , the luma motion vectors arrays  $\text{MvL0}$  and  $\text{MvL1}$ , the reference indices arrays  $\text{RefIdxL0}$  and  $\text{RefIdxL1}$  and colour component index  $\text{cIdx}$  as inputs, and the modified arrays  $\text{recPicture}_L$ , and, when  $\text{ChromaArrayType}$  is not equal to 0,  $\text{recPicture}_{Cb}$  and  $\text{recPicture}_{Cr}$  as outputs.
- Otherwise, if  $\text{edgeType}$  is equal to  $\text{EDGE\_HOR}$  and  $\log_2\text{CbHeight} > \text{splitTH}$ , the following applies:
  - The deblocking process of coding block boundary as specified in subclause 8.8.2.3 is invoked with luma location of top-left sample of the coding block  $(x_{Cb}, y_{Cb})$ , block width  $\log_2\text{CbWidth}$ , block height  $(\log_2\text{CbHeight} \gg 1)$ , and picture arrays  $\text{recPicture}_L$ , and, when  $\text{ChromaArrayType}$  is not equal to 0,  $\text{recPicture}_{Cb}$  and  $\text{recPicture}_{Cr}$ , the  $\text{edgeType}$ , the luma motion vectors arrays  $\text{MvL0}$  and  $\text{MvL1}$ , the reference indices arrays  $\text{RefIdxL0}$  and  $\text{RefIdxL1}$  and colour component

index  $cIdx$  as inputs, and the modified arrays  $recPicture_L$ , and, when  $ChromaArrayType$  is not equal to 0,  $recPicture_{Cb}$  and  $recPicture_{Cr}$  as outputs.

- The deblocking process of coding block boundary as specified in subclause 8.8.2.3 is invoked with luma location of top-left sample of the coding block ( $xCb, yCb + (1 \ll splitTH)$ ), block width  $\log2CbWidth$ , block height ( $\log2CbHeight \gg 1$ ), and picture arrays  $recPicture_L$ , and, when  $ChromaArrayType$  is not equal to 0,  $recPicture_{Cb}$  and  $recPicture_{Cr}$ , the  $edgeType$ , the luma motion vectors arrays  $MvL0$  and  $MvL1$ , the reference indices arrays  $RefIdxL0$  and  $RefIdxL1$  and colour component index  $cIdx$  as inputs, and the modified arrays  $recPicture_L$ , and, when  $ChromaArrayType$  is not equal to 0,  $recPicture_{Cb}$  and  $recPicture_{Cr}$  as outputs.

### 8.8.2.3 Deblocking filter process of coding block boundary

Inputs to this process are:

- a luma location ( $xCb, yCb$ ) specifying the top-left sample of the current coding block relative to the top-left luma sample of the current picture,
- two variables  $\log2CbWidth$  and  $\log2CbHeight$  specifying the width and the height of the current coding block,
- the picture arrays  $recPicture_L$ , and, when  $ChromaArrayType$  is not equal to 0,  $recPicture_{Cb}$  and  $recPicture_{Cr}$ ,
- the  $edgeType$  specifying whether a vertical ( $EDGE\_VER$ ) or a horizontal ( $EDGE\_HOR$ ) edge is filtered,
- luma motion vector arrays  $mvL0$  and  $mvL1$ ,
- reference indices arrays  $refIdxL0$  and  $refIdxL1$ , and
- a variable  $cIdx$  specifying colour component index.

Outputs of this process are the modified arrays  $recPicture_L$ , and, when  $ChromaArrayType$  is not equal to 0,  $recPicture_{Cb}$  and  $recPicture_{Cr}$  after deblocking.

If  $cIdx$  is equal to 0, or  $ChromaArrayType$  is equal to 3, or  $ChromaArrayType$  is equal to 2 and  $edgeType$  is equal to  $EDGE\_HOR$ , the filtering process for edges in the luma coding block, when  $cIdx$  is equal to 0, or chroma coding block, when  $cIdx$  is equal to 1 or 2, of the current coding unit consists of the following ordered steps:

- The variable  $recPicture$  is set equal to  $recPicture_L$  when  $cIdx$  is equal to 0, or to  $recPicture_{Cb}$  when  $cIdx$  is equal to 1, or to  $recPicture_{Cr}$  when  $cIdx$  is equal to 2, respectively.
- The variable  $bitDepth$  is set equal to  $BitDepth_Y$  when  $cIdx$  is equal to 0, or to  $BitDepth_C$  when  $cIdx$  is equal to 1 or 2, respectively.
- The variable  $bS$  is set equal to  $bS_L$  when  $cIdx$  is equal to 0, or to  $bS_{Cb}$  when  $cIdx$  is equal to 1, or to  $bS_{Cr}$  when  $cIdx$  is equal to 2, respectively.
- The variable  $cBf$  is derived as follows:
  - If  $ChromaArrayType$  is equal to 3, and  $cIdx$  is equal to 1, the variable  $cBf$  is set equal to  $cbf_{cb}$ , otherwise, if  $ChromaArrayType$  is equal to 3, and  $cIdx$  is equal to 2, the variable  $cBf$  is set equal to  $cbf_{cr}$ .

- Otherwise, variable  $cBf$  is set equal to  $cbf\_luma$ .
- The variable  $xCb'$  is set equal to  $xCb / (cIdx ? SubWidthC : 1)$ ,  $yCb'$  is set equal to  $yCb / (cIdx ? SubHeightC : 1)$ .
- The variables  $xP_i$ ,  $yP_j$ ,  $xD_i$ ,  $yD_j$ ,  $xN$  and  $yN$  are derived as follows:
  - $xP_i$  is set equal to  $i$ ,  $yP_j$  is set equal to  $j$ ,  $xN$  is set equal to  $((1 \ll \log_2 CbWidth) - 1)$ , and  $yN$  is set equal to  $((1 \ll \log_2 CbHeight) - 1)$ .
  - $xD_i$  is set equal to  $((xP_i \gg 2) \ll 2)$ ,  $yD_j$  is set equal to  $((yP_j \gg 2) \ll 2)$ , when  $cIdx$  is equal to 0 or  $ChromaArrayType$  is not equal to 2, otherwise,  $xD_i$  is set equal to  $((xP_i \gg 1) \ll 2)$ ,  $yD_j$  is set equal to  $((yP_j \gg 2) \ll 2)$  when  $ChromaArrayType$  is equal to 2 and  $cIdx$  is not equal to 0.
- The filtering samples in the luma coding block to be filtered are set with the following conditions:
  - If  $edgeType$  is equal to  $EDGE\_HOR$ , samples for  $xP_i$  with  $i = 0..xN$  and  $yP_j$  with  $j = 0$  are set to be filtered.
  - Otherwise, if  $edgeType$  is equal to  $EDGE\_VER$ , samples for  $xP_i$  with  $i = 0$  and  $yP_j$  with  $j = 0..yN$  are set to be filtered.
- The filtering process is applied as follows:
  - 1) The sample values  $p_0$  and  $q_0$  are derived as follows:
    - If  $edgeType$  is equal to  $EDGE\_VER$ ,  $p_0$  is set equal to  $recPicture[xCb' + xP_i - 1][yCb' + yP_j]$  and  $q_0$  is set equal to  $recPicture[xCb' + xP_i][yCb' + yP_j]$ .
    - Otherwise ( $edgeType$  is equal to  $EDGE\_HOR$ ),  $p_0$  is set equal to  $recPicture[xCb' + xP_i][yCb' + yP_j - 1]$  and  $q_0$  is set equal to  $recPicture[xCb' + xP_i][yCb' + yP_j]$ .
  - 2) The variable  $bS[xD_i][yD_j]$  is derived as follows:
    - If the sample  $p_0$  or  $q_0$  is in the coding block of a coding unit coded with intra prediction mode,  $bS[xD_i][yD_j]$  is set equal to 0.
    - Otherwise, if the sample  $p_0$  or  $q_0$  is in the coding block of a coding unit coded with  $cBf$  equal to 1,  $bS[xD_i][yD_j]$  is set equal to 1.
    - Otherwise, if the sample  $p_0$  or  $q_0$  is in the coding block of a coding unit coded with  $ibc$  prediction mode,  $bS[xD_i][yD_j]$  is set equal to 2.
    - Otherwise, the following applies:
      - The variables  $mv0L0x$ ,  $mv0L0y$ ,  $mv0L1x$ ,  $mv0L1y$ ,  $mv1L0x$ ,  $mv1L0y$ ,  $mv1L1x$ ,  $mv1L1y$ ,  $refIdx0L0$ ,  $refIdx0L1$ ,  $refIdx1L0$ , and  $refIdx1L1$  are derived as follows:
        - If  $edgeType$  is equal to  $EDGE\_VER$ , the following applies:

$$mv0L0x = mvL0[xCb + xD_i][yCb + yD_j][0] \quad (1112)$$

$$mv0L0y = mvL0[xCb + xD_i][yCb + yD_j][1] \quad (1113)$$

$$mv0L1x = mvL1[ xCb + xDi ][ yCb + yDj ][ 0 ] \quad (1114)$$

$$mv0L1y = mvL1[ xCb + xDi ][ yCb + yDj ][ 1 ] \quad (1115)$$

$$mv1L0x = mvL0[ xCb + xDi - 1 ][ yCb + yDj ][ 0 ] \quad (1116)$$

$$mv1L0y = mvL0[ xCb + xDi - 1 ][ yCb + yDj ][ 1 ] \quad (1117)$$

$$mv1L1x = mvL1[ xCb + xDi - 1 ][ yCb + yDj ][ 0 ] \quad (1118)$$

$$mv1L1y = mvL1[ xCb + xDi - 1 ][ yCb + yDj ][ 1 ] \quad (1119)$$

$$refIdx0L0 = refIdxL0[ xCb + xDi ][ yCb + yDj ] \quad (1120)$$

$$refIdx0L1 = refIdxL1[ xCb + xDi ][ yCb + yDj ] \quad (1121)$$

$$refIdx1L0 = refIdxL0[ xCb + xDi - 1 ][ yCb + yDj ] \quad (1122)$$

$$refIdx1L1 = refIdxL1[ xCb + xDi - 1 ][ yCb + yDj ] \quad (1123)$$

— Otherwise, if edgeType is equal to EDGE\_HOR, the following applies:

$$mv0L0x = mvL0[ xCb + xDi ][ yCb + yDj ][ 0 ] \quad (1124)$$

$$mv0L0y = mvL0[ xCb + xDi ][ yCb + yDj ][ 1 ] \quad (1125)$$

$$mv0L1x = mvL1[ xCb + xDi ][ yCb + yDj ][ 0 ] \quad (1126)$$

$$mv0L1y = mvL1[ xCb + xDi ][ yCb + yDj ][ 1 ] \quad (1127)$$

$$mv1L0x = mvL0[ xCb + xDi ][ yCb + yDj - 1 ][ 0 ] \quad (1128)$$

$$mv1L0y = mvL0[ xCb + xDi ][ yCb + yDj - 1 ][ 1 ] \quad (1129)$$

$$mv1L1x = mvL1[ xCb + xDi ][ yCb + yDj - 1 ][ 0 ] \quad (1130)$$

$$mv1L1y = mvL1[ xCb + xDi ][ yCb + yDj - 1 ][ 1 ] \quad (1131)$$

$$refIdx0L0 = refIdxL0[ xCb + xDi ][ yCb + yDj ] \quad (1132)$$

$$refIdx0L1 = refIdxL1[ xCb + xDi ][ yCb + yDj ] \quad (1133)$$

$$refIdx1L0 = refIdxL0[ xCb + xDi ][ yCb + yDj - 1 ] \quad (1134)$$

$$refIdx1L1 = refIdxL1[ xCb + xDi ][ yCb + yDj - 1 ] \quad (1135)$$

— When refIdx0L0 is unavailable, mv0L0x and mv0L0y are set equal to 0.

— When refIdx0L1 is unavailable, mv0L1x and mv0L1y are set equal to 0.

— When refIdx1L0 is unavailable, mv1L0x and mv1L0y are set equal to 0.

— When refIdx1L1 is unavailable, mv1L1x and mv1L1y are set equal to 0.

— If refIdx0L0 is equal to refIdx0L1 and refIdx1L0 is equal to refIdx1L1, the following applies:

$$bS[xD_i][yD_j] = ( \text{Abs}( mv0L0x - mv1L0x ) \geq 4 \mid \mid \text{Abs}( mv0L0y - mv1L0y ) \geq 4 \mid \mid \text{Abs}( mv0L1x - mv1L1x ) \geq 4 \mid \mid \text{Abs}( mv0L1y - mv1L1y ) \geq 4 ) ? 2 : 3 \quad (1136)$$

— Otherwise, if  $refIdx0L0$  is equal to  $refIdx1L1$  and  $refIdx0L1$  is equal to  $refIdx1L0$ , the following applies:

$$bS[xD_i][yD_j] = ( \text{Abs}( mv0L0x - mv1L1x ) \geq 4 \mid \mid \text{Abs}( mv0L0y - mv1L1y ) \geq 4 \mid \mid \text{Abs}( mv0L1x - mv1L0x ) \geq 4 \mid \mid \text{Abs}( mv0L1y - mv1L0y ) \geq 4 ) ? 2 : 3 \quad (1137)$$

— Otherwise, the following applies:

$$bS[xD_i][yD_j] = 2 \quad (1138)$$

3) The variable  $qP$  is derived as follows:

- If  $cIdx$  is equal to 0,  $qP$  is set equal to  $Qp_Y$  that is used in the CU where sample  $q_0$  is located, and is obtained according to derivation process for quantization parameters as specified in subclause 8.7.1.
- Otherwise, if  $cIdx$  is equal to 1,  $qP$  is set equal to  $Qp_{Cb}$  that are used in the CU where sample  $q_0$  is located, and is obtained according to derivation process for quantization parameters as specified in subclause 8.7.1.
- Otherwise,  $qP$  is set equal to  $Qp_{Cr}$  that are used in the CU where sample  $q_0$  is located, and is obtained according to derivation process for quantization parameters as specified in subclause 8.7.1.
- If  $cIdx$  is not equal to 0, variable  $qP$  is updated as follows:

$$qP = \text{Clip3}( 0, 51, qP ) \quad (1139)$$

4) The variable  $sT[xD_i][yD_j]$  and  $sT'[xD_i][yD_j]$  are derived as follows:

- $sT[xD_i][yD_j]$  is derived from Table 33, depending on  $qP$ .
- $sT'[xD_i][yD_j]$  is equal to  $sT[xD_i][yD_j] \ll ( \text{bitDepth} - 8 )$ .

5) When  $sT'[xD_i][yD_j]$  is greater than 0, the following ordered steps apply:

— If  $edgeType$  is equal to  $EDGE\_VER$ , the sample values  $sA$ ,  $sB$ ,  $sC$  and  $sD$  are derived as follows:

$$sA = \text{recPicture}[ xCb' + xP_i - 2 ][ yCb' + yP_j ] \quad (1140)$$

$$sB = \text{recPicture}[ xCb' + xP_i - 1 ][ yCb' + yP_j ] \quad (1141)$$

$$sC = \text{recPicture}[ xCb' + xP_i ][ yCb' + yP_j ] \quad (1142)$$

$$sD = \text{recPicture}[ xCb' + xP_i + 1 ][ yCb' + yP_j ] \quad (1143)$$

— Otherwise ( $edgeType$  is equal to  $EDGE\_HOR$ ), the sample values  $sA$ ,  $sB$ ,  $sC$  and  $sD$  are derived as follows:

$$sA = \text{recPicture}[x_{Cb'} + x_{P_i}][y_{Cb'} + y_{P_j} - 2] \quad (1144)$$

$$sB = \text{recPicture}[x_{Cb'} + x_{P_i}][y_{Cb'} + y_{P_j} - 1] \quad (1145)$$

$$sC = \text{recPicture}[x_{Cb'} + x_{P_i}][y_{Cb'} + y_{P_j}] \quad (1146)$$

$$sD = \text{recPicture}[x_{Cb'} + x_{P_i}][y_{Cb'} + y_{P_j} + 1] \quad (1147)$$

— The variables  $iD$ ,  $absD$ ,  $iTmp$ ,  $clipD$ ,  $iD1$ , and  $iD2$  are derived as follows:

$$iD = (sA - (sB \ll 2) + (sC \ll 2) - sD) / 8 \quad (1148)$$

$$absD = \text{Abs}(iD) \quad (1149)$$

$$iTmp = \text{Max}(0, (absD - sT'[x_{D_i}][y_{D_j}]) \ll 1) \quad (1150)$$

$$clipD = \text{Max}(0, absD - iTmp) \quad (1151)$$

$$iD1 = \text{Sign}(iD) ? -clipD : clipD \quad (1152)$$

$$clipD = clipD \gg 1 \quad (1153)$$

$$iD2 = \text{Clip3}(-clipD, clipD, (sA - sD) / 4) \quad (1154)$$

$$sA -= iD2 \quad (1155)$$

$$sB += iD1 \quad (1156)$$

$$sC -= iD1 \quad (1157)$$

$$sD += iD2 \quad (1158)$$

6) The modified picture sample array  $\text{recPicture}$  is derived as follows:

— If  $\text{edgeType}$  is equal to  $\text{EDGE\_VER}$ ,  $\text{recPicture}$  is derived as follows:

$$\text{recPicture}[x_{Cb'} + x_{P_i} - 2][y_{Cb'} + y_{P_j}] = \text{Clip3}(0, (1 \ll \text{bitDepth}) - 1, sA) \quad (1159)$$

$$\text{recPicture}[x_{Cb'} + x_{P_i} - 1][y_{Cb'} + y_{P_j}] = \text{Clip3}(0, (1 \ll \text{bitDepth}) - 1, sB) \quad (1160)$$

$$\text{recPicture}[x_{Cb'} + x_{P_i}][y_{Cb'} + y_{P_j}] = \text{Clip3}(0, (1 \ll \text{bitDepth}) - 1, sC) \quad (1161)$$

$$\text{recPicture}[x_{Cb'} + x_{P_i} + 1][y_{Cb'} + y_{P_j}] = \text{Clip3}(0, (1 \ll \text{bitDepth}) - 1, sD) \quad (1162)$$

— Otherwise ( $\text{edgeType}$  is equal to  $\text{EDGE\_HOR}$ ),  $\text{recPicture}_L$  is derived as follows:

$$\text{recPicture}[x_{Cb'} + x_{P_i}][y_{Cb'} + y_{P_j} - 2] = \text{Clip3}(0, (1 \ll \text{bitDepth}) - 1, sA) \quad (1163)$$

$$\text{recPicture}[x_{Cb'} + x_{P_i}][y_{Cb'} + y_{P_j} - 1] = \text{Clip3}(0, (1 \ll \text{bitDepth}) - 1, sB) \quad (1164)$$

$$\text{recPicture}[x_{Cb'} + x_{P_i}][y_{Cb'} + y_{P_j}] = \text{Clip3}(0, (1 \ll \text{bitDepth}) - 1, sC) \quad (1165)$$

$$\text{recPicture}[x_{Cb'} + x_{P_i}][y_{Cb'} + y_{P_j} + 1] = \text{Clip3}(0, (1 \ll \text{bitDepth}) - 1, sD) \quad (1166)$$

Otherwise, the filtering process for edges in the chroma coding blocks consists of the following ordered steps:

- The variable  $\text{recPicture}_x$  is set equal to  $\text{recPicture}_{\text{Cb}}$  when  $\text{cIdx}$  is equal to 1, or to  $\text{recPicture}_{\text{Cr}}$  when  $\text{cIdx}$  is equal to 2.
- The variable  $\text{bS}_x$  is set equal to  $\text{bS}_{\text{Cb}}$  when  $\text{cIdx}$  is equal to 1, or to  $\text{bS}_{\text{Cr}}$  when  $\text{cIdx}$  is equal to 2.
- The variable  $\text{xCb}'$  is set equal to  $\text{xCb} / \text{SubWidthC}$ ,  $\text{yCb}'$  is set equal to  $\text{yCb} / \text{SubHeightC}$ .
- The variables  $\text{xP}_i$ ,  $\text{yP}_j$ ,  $\text{xD}_i$ ,  $\text{yD}_j$ ,  $\text{xN}$  and  $\text{yN}$  are derived as follows:
  - $\text{xP}_i$  is set equal to  $i$ ,  $\text{yP}_j$  is set equal to  $j$ ,  $\text{xN}$  is set equal to  $(1 \ll \log_2 \text{CbWidth}) - 1$ , and  $\text{yN}$  is set equal to  $(1 \ll \log_2 \text{CbHeight}) - 1$ .
  - $\text{xD}_i$  is set equal to  $((\text{xP}_i \gg 1) \ll 2)$ ,  $\text{yD}_j$  is set equal to  $((\text{yP}_j \gg 1) \ll 2)$ , when  $\text{cIdx}$  is equal to 0 or  $\text{ChromaArrayType}$  is equal to 1, otherwise,  $\text{xD}_i$  is set equal to  $((\text{xP}_i \gg 1) \ll 2)$ ,  $\text{yD}_j$  is set equal to  $((\text{yP}_j \gg 2) \ll 2)$  when  $\text{ChromaArrayType}$  is equal to 2.
- The filtering samples in the chroma coding block to be filtered are set with the following conditions:
  - If  $\text{edgeType}$  is equal to  $\text{EDGE\_HOR}$ , samples for  $\text{xP}_i$  with  $i = 0..xN$  and  $\text{yP}_j$  with  $j = 0$  are set to be filtered.
  - Otherwise, if  $\text{edgeType}$  is equal to  $\text{EDGE\_VER}$ , samples for  $\text{xP}_i$  with  $i = 0$  and  $\text{yP}_j$  with  $j = 0..yN$  are set to be filtered.
- The filtering process is applied as follows:
  - 1) The sample values  $p_0$  and  $q_0$  are derived as follows:
    - If  $\text{edgeType}$  is equal to  $\text{EDGE\_VER}$ ,  $p_0$  is set equal to  $\text{recPicture}_x[\text{xCb}' + \text{xP}_i - 1][\text{yCb}' + \text{yP}_j]$  and  $q_0$  is set equal to  $\text{recPicture}_x[\text{xCb}' + \text{xP}_i][\text{yCb}' + \text{yP}_j]$ .
    - Otherwise ( $\text{edgeType}$  is equal to  $\text{EDGE\_HOR}$ ),  $p_0$  is set equal to  $\text{recPicture}_x[\text{xCb}' + \text{xP}_i][\text{yCb}' + \text{yP}_j - 1]$  and  $q_0$  is set equal to  $\text{recPicture}_x[\text{xCb}' + \text{xP}_i][\text{yCb}' + \text{yP}_j]$ .
  - 2) The variable  $\text{bS}_x[\text{xD}_i][\text{yD}_j]$  is derived as follows:
    - If the sample  $p_0$  or  $q_0$  is in the coding block coded with intra prediction mode,  $\text{bS}_x[\text{xD}_i][\text{yD}_j]$  is set equal to 0.
    - Otherwise, if the sample  $p_0$  or  $q_0$  is in the coding block coded with  $\text{cbf\_luma}$  equal to 1,  $\text{bS}_x[\text{xD}_i][\text{yD}_j]$  is set equal to 1.
    - Otherwise, if the sample  $p_0$  or  $q_0$  is in the coding block coded with  $\text{IBC}$  prediction mode,  $\text{bS}_x[\text{xD}_i][\text{yD}_j]$  is set equal to 2.
    - Otherwise, the following applies:
      - The variables  $\text{mv0L0x}$ ,  $\text{mv0L0y}$ ,  $\text{mv0L1x}$ ,  $\text{mv0L1y}$ ,  $\text{mv1L0x}$ ,  $\text{mv1L0y}$ ,  $\text{mv1L1x}$ ,  $\text{mv1L1y}$ ,  $\text{refIdx0L0}$ ,  $\text{refIdx0L1}$ ,  $\text{refIdx1L0}$ , and  $\text{refIdx1L1}$  are derived as follows:
        - If  $\text{edgeType}$  is equal to  $\text{EDGE\_VER}$ , the following applies:

$$\text{mv0L0x} = \text{mvL0}[\text{xCb} + \text{xD}_i][\text{yCb} + \text{yD}_j][0] \quad (1167)$$

$$\text{mv0L0y} = \text{mvL0}[\text{xCb} + \text{xD}_i][\text{yCb} + \text{yD}_j][1] \quad (1168)$$

$$mv0L1x = mvL1[ xCb + xD_i ][ yCb + yD_j ][ 0 ] \quad (1169)$$

$$mv0L1y = mvL1[ xCb + xD_i ][ yCb + yD_j ][ 1 ] \quad (1170)$$

$$mv1L0x = mvL0[ xCb + xD_i - 1 ][ yCb + yD_j ][ 0 ] \quad (1171)$$

$$mv1L0y = mvL0[ xCb + xD_i - 1 ][ yCb + yD_j ][ 1 ] \quad (1172)$$

$$mv1L1x = mvL1[ xCb + xD_i - 1 ][ yCb + yD_j ][ 0 ] \quad (1173)$$

$$mv1L1y = mvL1[ xCb + xD_i - 1 ][ yCb + yD_j ][ 1 ] \quad (1174)$$

$$refldx0L0 = refldxL0[ xCb + xD_i ][ yCb + yD_j ] \quad (1175)$$

$$refldx0L1 = refldxL1[ xCb + xD_i ][ yCb + yD_j ] \quad (1176)$$

$$refldx1L0 = refldxL0[ xCb + xD_i - 1 ][ yCb + yD_j ] \quad (1177)$$

$$refldx1L1 = refldxL1[ xCb + xD_i - 1 ][ yCb + yD_j ] \quad (1178)$$

— Otherwise, if edgeType is equal to EDGE\_HOR, the following applies:

$$mv0L0x = mvL0[ xCb + xD_i ][ yCb + yD_j ][ 0 ] \quad (1179)$$

$$mv0L0y = mvL0[ xCb + xD_i ][ yCb + yD_j ][ 1 ] \quad (1180)$$

$$mv0L1x = mvL1[ xCb + xD_i ][ yCb + yD_j ][ 0 ] \quad (1181)$$

$$mv0L1y = mvL1[ xCb + xD_i ][ yCb + yD_j ][ 1 ] \quad (1182)$$

$$mv1L0x = mvL0[ xCb + xD_i ][ yCb + yD_j - 1 ][ 0 ] \quad (1183)$$

$$mv1L0y = mvL0[ xCb + xD_i ][ yCb + yD_j - 1 ][ 1 ] \quad (1184)$$

$$mv1L1x = mvL1[ xCb + xD_i ][ yCb + yD_j - 1 ][ 0 ] \quad (1185)$$

$$mv1L1y = mvL1[ xCb + xD_i ][ yCb + yD_j - 1 ][ 1 ] \quad (1186)$$

$$refldx0L0 = refldxL0[ xCb + xD_i ][ yCb + yD_j ] \quad (1187)$$

$$refldx0L1 = refldxL1[ xCb + xD_i ][ yCb + yD_j ] \quad (1188)$$

$$refldx1L0 = refldxL0[ xCb + xD_i ][ yCb + yD_j - 1 ] \quad (1189)$$

$$refldx1L1 = refldxL1[ xCb + xD_i ][ yCb + yD_j - 1 ] \quad (1190)$$

— When refldx0L0 is unavailable, mv0L0x and mv0L0y are set equal to 0.

— When refldx0L1 is unavailable, mv0L1x and mv0L1y are set equal to 0.

— When refldx1L0 is unavailable, mv1L0x and mv1L0y are set equal to 0.

— When refldx1L1 is unavailable, mv1L1x and mv1L1y are set equal to 0.

— If refldx0L0 is equal to refldx0L1 and refldx1L0 is equal to refldx1L1, the following applies:

$$bS_x[xD_i][yD_j] = ( \text{Abs}( mv0L0x - mv1L0x ) \geq 4 \mid \mid \text{Abs}( mv0L0y - mv1L0y ) \geq 4 \mid \mid \text{Abs}( mv0L1x - mv1L1x ) \geq 4 \mid \mid \text{Abs}( mv0L1y - mv1L1y ) \geq 4 ) ? 2 : 3 \quad (1191)$$

— Otherwise, if  $refIdx0L0$  is equal to  $refIdx1L1$  and  $refIdx0L1$  is equal to  $refIdx1L0$ , the following applies:

$$bS_x[xD_i][yD_j] = ( \text{Abs}( mv0L0x - mv1L1x ) \geq 4 \mid \mid \text{Abs}( mv0L0y - mv1L1y ) \geq 4 \mid \mid \text{Abs}( mv0L1x - mv1L0x ) \geq 4 \mid \mid \text{Abs}( mv0L1y - mv1L0y ) \geq 4 ) ? 2 : 3 \quad (1192)$$

— Otherwise, the following applies:

$$bS_x[xD_i][yD_j] = 2 \quad (1193)$$

3) The variable  $sT[xD_i][yD_j]$  and  $sT'[xD_i][yD_j]$  are derived as follows:

— If  $cIdx$  is equal to 1,  $Q_{pc}$  is set equal to  $Q_{pcb}$  that are used in the CU where sample are located, and is obtained according to derivation process for quantization parameters as specified in subclause 8.7.1.

— Otherwise,  $Q_{pc}$  is set equal to  $Q_{pcr}$  that are used in the CU where sample are located, and is obtained according to derivation process for quantization parameters as specified in subclause 8.7.1.

—  $clippedQ_{pc}$  value is derived as follows:

$$clippedQ_{pc} = \text{Clip3}( 0, 51, Q_{pc} ) \quad (1194)$$

—  $sT[xD_i][yD_j]$  depending on  $clippedQ_{pc}$  is derived from Table 33.

—  $sT'[xD_i][yD_j]$  is equal to  $sT[xD_i][yD_j] \ll ( \text{BitDepth}_c - 8 )$ .

4) When  $sT'[xD_i][yD_j]$  is greater than 0, the following ordered steps apply:

— If  $edgeType$  is equal to  $EDGE\_VER$ , the sample values  $sA$ ,  $sB$ ,  $sC$ , and  $sD$  are derived as follows:

$$sA = \text{recPicture}_x[ xCb' + xP_i - 2 ][ yCb' + yP_j ] \quad (1195)$$

$$sB = \text{recPicture}_x[ xCb' + xP_i - 1 ][ yCb' + yP_j ] \quad (1196)$$

$$sC = \text{recPicture}_x[ xCb' + xP_i ][ yCb' + yP_j ] \quad (1197)$$

$$sD = \text{recPicture}_x[ xCb' + xP_i + 1 ][ yCb' + yP_j ] \quad (1198)$$

— Otherwise ( $edgeType$  is equal to  $EDGE\_HOR$ ), the sample values  $sA$ ,  $sB$ ,  $sC$ , and  $sD$  are derived as follows:

$$sA = \text{recPicture}_x[ xCb' + xP_i ][ yCb' + yP_j - 2 ] \quad (1199)$$

$$sB = \text{recPicture}_x[ xCb' + xP_i ][ yCb' + yP_j - 1 ] \quad (1200)$$

$$sC = \text{recPicture}_x[ xCb' + xP_i ][ yCb' + yP_j ] \quad (1201)$$

$$sD = \text{recPicture}_x[ xCb' + xP_i ][ yCb' + yP_j + 1 ] \quad (1202)$$

— The variables  $iD$ ,  $absD$ ,  $iTmp$ ,  $clipD$ ,  $iD1$ , and  $iD2$  are derived as follows:

$$iD = ( sA - ( sB \ll 2 ) + ( sC \ll 2 ) - sD ) / 8 \quad (1203)$$

$$absD = \text{Abs}( iD ) \quad (1204)$$

$$iTmp = \text{Max}( 0, ( absD - sT'[ xD_i ][ yD_j ] ) \ll 1 ) \quad (1205)$$

$$clipD = \text{Max}( 0, absD - iTmp ) \quad (1206)$$

$$iD1 = \text{Sign}( iD ) ? -clipD : clipD \quad (1207)$$

$$sB += iD1 \quad (1208)$$

$$sC -= iD1 \quad (1209)$$

5) The modified chroma picture sample array  $\text{recPicture}_x$  is derived as follows:

— If  $edgeType$  is equal to  $EDGE\_VER$ ,  $\text{recPicture}_x$  is derived as follows:

$$\text{recPicture}_x[ xCb' + xP_i - 1 ][ yCb' + yP_j ] = \text{Clip3}( 0, ( 1 \ll \text{BitDepth}_c ) - 1, sB ) \quad (1210)$$

$$\text{recPicture}_x[ xCb' + xP_i ][ yCb' + yP_j ] = \text{Clip3}( 0, ( 1 \ll \text{BitDepth}_c ) - 1, sC ) \quad (1211)$$

— Otherwise ( $edgeType$  is equal to  $EDGE\_HOR$ ),  $\text{recPicture}_x$  is derived as follows:

$$\text{recPicture}_x[ xCb' + xP_i ][ yCb' + yP_j - 1 ] = \text{Clip3}( 0, ( 1 \ll \text{BitDepth}_c ) - 1, sB ) \quad (1212)$$

$$\text{recPicture}_x[ xCb' + xP_i ][ yCb' + yP_j ] = \text{Clip3}( 0, ( 1 \ll \text{BitDepth}_c ) - 1, sC ) \quad (1213)$$

**Table 33 — Derivation of  $sT[ xD_i ][ yD_j ]$  from QP and  $bS_x[ xD_i ][ yD_j ]$  where X is colour component**

QP	$bS_x[ xD_i ][ yD_j ] = 1$	$bS_x[ xD_i ][ yD_j ] = 2$	$bS_x[ xD_i ][ yD_j ] = 3$
QP <= 17	0	0	0
18	1	0	0
19	1	0	0
20	1	0	0
21	1	0	0
22	1	0	0
23	1	0	0
24	1	0	0
25	1	0	0
26	1	0	0
27	2	1	0
28	2	1	0
29	2	1	0

QP	$bS_x[xD_i][yD_j] = 1$	$bS_x[xD_i][yD_j] = 2$	$bS_x[xD_i][yD_j] = 3$
30	2	1	0
31	2	1	0
32	3	2	1
33	3	2	1
34	3	2	1
35	4	3	2
36	4	3	2
37	4	3	2
38	5	4	3
39	5	4	3
40	6	5	4
41	6	5	4
42	7	6	5
43	8	7	6
44	9	8	7
45	10	9	8
46	11	10	9
47	12	11	10
48	12	11	10
49	12	11	10
50	12	11	10
51	12	11	10

### 8.8.3 Advanced deblocking filter process

#### 8.8.3.1 General

This process is invoked when `sps_addb_flag` is equal to 1.

Inputs to this process are:

- the array `recPictureL` specifying the reconstructed picture sample array prior to deblocking for luma,
- when `ChromaArrayType` is not equal to 0, the array `recPictureCb` specifying the reconstructed picture sample array prior to deblocking for Cb, and
- when `ChromaArrayType` is not equal to 0, the array `recPictureCr` specifying the reconstructed picture sample array prior to deblocking for Cr.

Outputs of this process are:

- the array `recPictureL` specifying the modified reconstructed picture sample arrays after deblocking for luma,

- when `ChromaArrayType` is not equal to 0, the array `recPicturecb` specifying the modified reconstructed picture sample arrays after deblocking for Cb, and
- when `ChromaArrayType` is not equal to 0, the array `recPicturecr` specifying the modified reconstructed picture sample arrays after deblocking for Cr.

Filtering in the horizontal direction (across the vertical block edges in a picture) is conducted first. Then filtering in the vertical direction (across the horizontal block edges in a picture) is conducted with samples modified by the filtering in the horizontal direction as input. The vertical and horizontal edges in the coding tree blocks of each coding tree unit are processed separately on a coding unit basis. The vertical edges of the coding blocks in a coding unit are filtered starting with the edge on the left-hand side of the coding blocks proceeding through the edges towards the right-hand side of the coding blocks in their geometrical order. The horizontal edges of the coding blocks in a coding unit are filtered starting with the edge on the top of the coding blocks proceeding through the edges towards the bottom of the coding blocks in their geometrical order.

NOTE Although the filtering process is specified on a picture basis in this document, the filtering process can be implemented on a coding unit basis with an equivalent result, provided the decoder properly accounts for the processing dependency order so as to produce the same output values.

The deblocking filter process is applied to all the block edges of a picture, except of the following conditions:

- The edges that are at the boundary of the picture and luma and chroma edges that do not correspond to 8x8 sample grid boundaries of the corresponded luma component,
- The edges that belong to the slice for which the deblocking filter process is disabled by `slice_deblocking_filter_flag`,
- The edges that correspond to tiles boundaries if syntax element `loop_filter_across_tiles_enabled_flag` is equal to 0,
- The edges that correspond to the slice boundaries and if the neighbouring samples, comprising to the filtering process, belongs to the neighbouring slice for which the deblocking filter process is disabled by `slice_deblocking_filter_flag`.

The edge type, vertical or horizontal, is represented by the variable `edgeType` as specified in Table 32.

The deblocking is applied as follows:

- The vertical edges are filtered by invoking the deblocking filter process for one direction as specified in subclause 8.8.3.2 with the variable `edgeType` set equal to `EDGE_VER`, the reconstructed picture prior to deblocking, i.e., `recPictureL`, and, when `ChromaArrayType` is not equal to 0, `recPicturecb`, and `recPicturecr` as inputs, and the modified reconstructed picture after deblocking, i.e., `recPictureL`, and, when `ChromaArrayType` is not equal to 0, `recPicturecb`, and `recPicturecr` as outputs.
- The horizontal edges are filtered by invoking the deblocking filter process for one direction as specified in subclause 8.8.3.2 with the variable `edgeType` set equal to `EDGE_HOR`, the modified reconstructed picture after deblocking, i.e., `recPictureL`, and, when `ChromaArrayType` is not equal to 0, `recPicturecb`, and `recPicturecr` as inputs, and the modified reconstructed picture after deblocking, i.e., `recPictureL`, and, when `ChromaArrayType` is not equal to 0, `recPicturecb`, and `recPicturecr` as outputs.

### 8.8.3.2 Deblocking filter process for one direction

Inputs to this process are:

- the variable `edgeType` specifying whether a vertical (`EDGE_VER`) or a horizontal (`EDGE_HOR`) edge is filtered,
- the array `recPictureL` specifying the reconstructed picture sample array prior to deblocking for luma,
- when `ChromaArrayType` is not equal to 0, the array `recPictureCb` specifying the reconstructed picture sample array prior to deblocking for Cb, and
- when `ChromaArrayType` is not equal to 0, the array `recPictureCr` specifying the reconstructed picture sample array prior to deblocking for Cr.

Outputs of this process are:

- the array `recPictureL` specifying the modified reconstructed picture sample arrays after deblocking for luma,
- when `ChromaArrayType` is not equal to 0, the array `recPictureCb` specifying the modified reconstructed picture sample arrays after deblocking for Cb, and
- when `ChromaArrayType` is not equal to 0, the array `recPictureCr` specifying the modified reconstructed picture sample arrays after deblocking for Cr.

For luma and chroma coding blocks in a picture, following process applies separately with colour component index `cIdx` set equal to 0 for luma and, when `ChromaArrayType` is not equal to 0, `cIdx` set equal to 1 or 2 for Cb and Cr chroma components, respectively, coding block width `log2CbWidth` and coding block height `log2CbHeight` set equal to luma block width and height if `cIdx` is equal to 0 and set equal to chroma block width and height if `cIdx` is equal to 1 or 2.

For each coding block with width `log2CbWidth`, height `log2CbHeight`, a luma location (`xCb, yCb`) specifying the top-left sample of the current coding block relative to the top-left luma sample of the current picture and a variable `splitTH` specifying block split threshold set equal to `MaxTbLog2SizeY` if `cIdx` is equal to 0 and set equal to  $(\text{MaxTbLog2SizeY} - 1)$  if `cIdx` is equal to 1 or 2, the deblocking process is conducted as follows:

- If `edgeType` is equal to `EDGE_VER` and  $\text{log2CbWidth} \leq \text{splitTH}$ , the following applies:
  - The deblocking process of coding block boundary as specified in subclause 8.8.3.3 is invoked with luma location of top-left sample of the coding block (`xCb, yCb`), block width `log2CbWidth`, block height `log2CbHeight`, and picture arrays `recPictureL`, and, when `ChromaArrayType` is not equal to 0, `recPictureCb` and `recPictureCr`, the `edgeType`, the luma motion vectors arrays `MvL0` and `MvL1`, the reference indices arrays `RefIdxL0` and `RefIdxL1` and colour component index `cIdx` as inputs, and the modified arrays `recPictureL`, and, when `ChromaArrayType` is not equal to 0, `recPictureCb` and `recPictureCr` as outputs.
- Otherwise, if `edgeType` is equal to `EDGE_VER` and  $\text{log2CbWidth} > \text{splitTH}$ , the following applies:
  - The deblocking process of coding block boundary as specified in subclause 8.8.3.3 is invoked with luma location of top-left sample of the coding block (`xCb, yCb`), block width  $(\text{log2CbWidth} \gg 1)$ , block height `log2CbHeight`, and picture arrays `recPictureL`, and, when `ChromaArrayType` is not equal to 0, `recPictureCb` and `recPictureCr`, the `edgeType`, the luma motion vectors arrays `MvL0` and `MvL1`, the reference indices arrays `RefIdxL0` and `RefIdxL1` and colour

component index  $cIdx$  as inputs, and the modified arrays  $recPicture_L$ , and, when  $ChromaArrayType$  is not equal to 0,  $recPicture_{Cb}$  and  $recPicture_{Cr}$  as outputs.

- The deblocking process of coding block boundary as specified in subclause 8.8.3.3 is invoked with luma location of top-left sample of the coding block ( $xCb + (1 \ll splitTH)$ ,  $yCb$ ), block width ( $\log2CbWidth \gg 1$ ), block height  $\log2CbHeight$ , and picture arrays  $recPicture_L$ , and, when  $ChromaArrayType$  is not equal to 0,  $recPicture_{Cb}$  and  $recPicture_{Cr}$ , the  $edgeType$ , the luma motion vectors arrays  $MvL0$  and  $MvL1$ , the reference indices arrays  $RefIdxL0$  and  $RefIdxL1$  and colour component index  $cIdx$  as inputs, and the modified arrays  $recPicture_L$ , and, when  $ChromaArrayType$  is not equal to 0,  $recPicture_{Cb}$  and  $recPicture_{Cr}$  as outputs.
- Otherwise, if  $edgeType$  is equal to  $EDGE\_HOR$  and  $\log2CbHeight \leq splitTH$ , the following applies:
  - The deblocking process of coding block boundary as specified in subclause 8.8.3.3 is invoked with luma location of top-left sample of the coding block ( $xCb$ ,  $yCb$ ), block width  $\log2CbWidth$ , block height  $\log2CbHeight$ , and picture arrays  $recPicture_L$ ,  $recPicture_{Cb}$ , and  $recPicture_{Cr}$ , the  $edgeType$ , the luma motion vectors arrays  $MvL0$  and  $MvL1$ , the reference indices arrays  $RefIdxL0$  and  $RefIdxL1$  and colour component index  $cIdx$  as inputs, and the modified arrays  $recPicture_L$ , and, when  $ChromaArrayType$  is not equal to 0,  $recPicture_{Cb}$  and  $recPicture_{Cr}$  as outputs.
- Otherwise, if  $edgeType$  is equal to  $EDGE\_HOR$  and  $\log2CbHeight > splitTH$ , the following applies:
  - The deblocking process of coding block boundary as specified in subclause 8.8.3.3 is invoked with luma location of top-left sample of the coding block ( $xCb$ ,  $yCb$ ), block width  $\log2CbWidth$ , block height ( $\log2CbHeight \gg 1$ ), and picture arrays  $recPicture_L$ , and, when  $ChromaArrayType$  is not equal to 0,  $recPicture_{Cb}$  and  $recPicture_{Cr}$ , the  $edgeType$ , the luma motion vectors arrays  $MvL0$  and  $MvL1$ , the reference indices arrays  $RefIdxL0$  and  $RefIdxL1$  and colour component index  $cIdx$  as inputs, and the modified arrays  $recPicture_L$ , and, when  $ChromaArrayType$  is not equal to 0,  $recPicture_{Cb}$  and  $recPicture_{Cr}$  as outputs.
  - The deblocking process of coding block boundary as specified in subclause 8.8.3.3 is invoked with luma location of top-left sample of the coding block ( $xCb$ ,  $yCb + (1 \ll splitTH)$ ), block width  $\log2CbWidth$ , block height ( $\log2CbHeight \gg 1$ ), and picture arrays  $recPicture_L$ , and, when  $ChromaArrayType$  is not equal to 0,  $recPicture_{Cb}$  and  $recPicture_{Cr}$ , the  $edgeType$ , the luma motion vectors arrays  $MvL0$  and  $MvL1$ , the reference indices arrays  $RefIdxL0$  and  $RefIdxL1$  and colour component index  $cIdx$  as inputs, and the modified arrays  $recPicture_L$ , and, when  $ChromaArrayType$  is not equal to 0,  $recPicture_{Cb}$  and  $recPicture_{Cr}$  as outputs.

### 8.8.3.3 Deblocking filter process of coding block boundary

Inputs to this process are:

- a luma location ( $xCb$ ,  $yCb$ ) specifying the top-left sample of the current coding block relative to the top-left luma sample of the current picture,
- two variables  $\log2CbWidth$  and  $\log2CbHeight$  specifying the width and the height of the current coding block,
- the picture arrays  $recPicture_L$ , and, when  $ChromaArrayType$  is not equal to 0,  $recPicture_{Cb}$ , and  $recPicture_{Cr}$ ,
- the  $edgeType$  specifying whether a vertical ( $EDGE\_VER$ ) or a horizontal ( $EDGE\_HOR$ ) edge is filtered,
- luma motion vector arrays  $mvL0$  and  $mvL1$ ,

- reference indices arrays refIdxL0 and refIdxL1, and
- a variable cIdx specifying colour component index.

Output of this process are:

- the array recPicture<sub>L</sub> specifying the modified picture array after deblocking for luma,
- when ChromaArrayType is not equal to 0, the array recPicture<sub>Cb</sub> specifying the modified picture array after deblocking for Cb, and
- when ChromaArrayType is not equal to 0, the array recPicture<sub>Cr</sub> specifying the modified picture array after deblocking for Cr.

If cIdx is equal to 0, or ChromaArrayType is equal to 3, or ChromaArrayType is equal to 2 and edgeType is equal to EDGE\_HOR, the filtering process for edges in the luma coding block, when cIdx is equal to 0, or chroma coding block, when cIdx is equal to 1 or 2, of the current coding unit consists of the following steps:

- The variable chromaStyleFilteringFlag is set equal to 0.
- The variable recPicture is set equal to recPicture<sub>L</sub> when cIdx is equal to 0, or to recPicture<sub>Cb</sub> when cIdx is equal to 1, or to recPicture<sub>Cr</sub> when cIdx is equal to 2, respectively.
- The variable xCb' is set equal to  $xCb / (cIdx ? SubWidthC : 1)$ , and yCb' is set equal to  $yCb / (cIdx ? SubHeightC : 1)$ .
- The variables xN and yN, are derived as follows:
  - If cIdx is equal to 0, or ChromaArrayType is equal to 3, the variable xN is set equal to  $(1 \ll (\log_2 CbWidth - 2)) - 1$ .
  - Otherwise, the variable xN is set equal to  $(1 \ll (\log_2 CbWidth - 1)) - 1$ .
  - The variable yN is set equal to  $(1 \ll (\log_2 CbHeight - 2)) - 1$ .
- If edgeType is equal to EDGE\_HOR, the variables xD<sub>i</sub>, yD<sub>j</sub>, xD<sub>i</sub>', and yD<sub>j</sub>' are derived as follows:
  - xD<sub>i</sub> is set equal to  $i \ll 2$  with  $i = 0..xN$  and yD<sub>j</sub> is set equal to 0.
  - If cIdx is not equal to 0 and ChromaArrayType is equal to 2, xD<sub>i</sub>' is set equal to  $i \ll 1$  with  $i = 0..xN$ .
  - Otherwise, xD<sub>i</sub>' is set equal to  $i \ll 2$  with  $i = 0..xN$ .
  - yD<sub>j</sub>' is set equal to 0.
- Otherwise ( edgeType is equal to EDGE\_VER ), the variables xD<sub>i</sub>, yD<sub>j</sub>, xD<sub>i</sub>', and yD<sub>j</sub>' are derived as follows:
  - xD<sub>i</sub> is set equal to 0, and yD<sub>j</sub> is set equal to  $j \ll 2$  with  $j = 0..yN$ .
  - xD<sub>i</sub>' is set equal to 0, and yD<sub>j</sub>' is set equal to  $j \ll 2$  with  $j = 0..yN$ .
- For xD<sub>i</sub> and yD<sub>j</sub>, the following ordered steps apply:

- 1) Two luma locations  $(x_{CbP}, y_{CbP})$  and  $(x_{CbQ}, y_{CbQ})$  are derived as follows:
- If `edgeType` is equal to `EDGE_VER`,  $(x_{CbP}, y_{CbP})$  is set equal to  $(x_{Cb} + x_{D_i} - 1, y_{Cb} + y_{D_j})$  and  $(x_{CbQ}, y_{CbQ})$  is set equal to  $(x_{Cb} + x_{D_i}, y_{Cb} + y_{D_j})$ .
  - Otherwise (`edgeType` is equal to `EDGE_HOR`),  $(x_{CbP}, y_{CbP})$  is set equal to  $(x_{Cb} + x_{D_i}, y_{Cb} + y_{D_j} - 1)$  and  $(x_{CbQ}, y_{CbQ})$  is set equal to  $(x_{Cb} + x_{D_i}, y_{Cb} + y_{D_j})$ .
- 2) Two block locations  $(x_{CbP'}, y_{CbP'})$  and  $(x_{CbQ'}, y_{CbQ'})$  are derived as follows:
- If `edgeType` is equal to `EDGE_VER`,  $(x_{CbP'}, y_{CbP'})$  is set equal to  $(x_{Cb'} + x_{D_i'} - 1, y_{Cb'} + y_{D_j'})$  and  $(x_{CbQ'}, y_{CbQ'})$  is set equal to  $(x_{Cb'} + x_{D_i'}, y_{Cb'} + y_{D_j'})$ .
  - Otherwise (`edgeType` is equal to `EDGE_HOR`),  $(x_{CbP'}, y_{CbP'})$  is set equal to  $(x_{Cb'} + x_{D_i'}, y_{Cb'} + y_{D_j'} - 1)$  and  $(x_{CbQ'}, y_{CbQ'})$  is set equal to  $(x_{Cb'} + x_{D_i'}, y_{Cb'} + y_{D_j'})$ .
- 3) The variable  $bs[x_{D_i}][y_{D_j}]$  is derived by invoking the process as specified in subclause 8.8.3.4 with  $(x_{CbP}, y_{CbP})$ ,  $(x_{CbQ}, y_{CbQ})$ , `refIdxL0`, `refIdxL1`, `mvL0`, `mvL1` when `cIdx` is equal to 0 or `ChromaArrayType` equal to 3.
- 4) The sample values  $p_k$  and  $q_k$  with  $k = 0..3$  are derived as follows:
- If `edgeType` is equal to `EDGE_VER`,  $p_k$  is set equal to  $recPicture[x_{CbP'} - k][y_{CbP'} + d]$  and  $q_k$  is set equal to  $recPicture[x_{CbQ'} + k][y_{CbQ'} + d]$  with offset  $d = 0..3$ .
  - Otherwise (`edgeType` is equal to `EDGE_HOR`),  $p_k$  is set equal to  $recPicture[x_{CbP'} + d][y_{CbP'} - k]$  and  $q_k$  is set equal to  $recPicture[x_{CbQ'} + d][y_{CbQ'} + k]$  with offset  $d = 0..3$  when `cIdx` is equal to 0 or `ChromaArrayType` is not equal to 2, otherwise with offset  $d = 0..1$  when `ChromaArrayType` is equal to 2 and `cIdx` is not equal to 0.
  - The thresholds  $\alpha$ ,  $\beta$ , the variables `filterSamplesFlag` and `indexA` for each block edge are derived by invoking the process as specified in subclause 8.8.3.5 with  $p_0$ ,  $p_1$ ,  $q_0$ ,  $q_1$ , the variable `cIdx` specifying colour component index, and  $bs[x_{D_i}][y_{D_j}]$  as inputs.
  - Depending on the variable `filterSamplesFlag`, the following applies:
    - If `filterSamplesFlag` is equal to 1, the following applies:
      - If  $bs[x_{D_i}][y_{D_j}]$  is less than 4, the process as specified in subclause 8.8.3.6 is invoked with  $p_i$ ,  $q_i$  ( $i = 0..2$ ), `chromaStyleFilteringFlag`, `cIdx`,  $bs[x_{D_i}][y_{D_j}]$ ,  $\beta$  and `indexA` given as inputs, and the output is assigned to  $p'_i$  and  $q'_i$  ( $i = 0..2$ ).
      - Otherwise ( $bs$  is equal to 4), the process as specified in subclause 8.8.3.7 is invoked with  $p_i$  and  $q_i$  ( $i = 0..3$ ), `chromaStyleFilteringFlag`, `cIdx`,  $\alpha$ , and  $\beta$  given as inputs, and the output is assigned to  $p'_i$  and  $q'_i$  ( $i = 0..2$ ).
    - Otherwise (`filterSamplesFlag` is equal to 0), the filtered result samples  $p'_i$  and  $q'_i$  ( $i = 0..2$ ) are replaced by the corresponding input samples  $p_i$  and  $q_i$  as follows:
 
$$p'_i = p_i, \text{ for } i = 0..2 \quad (1214)$$

$$q'_i = q_i, \text{ for } i = 0..2 \quad (1215)$$
  - The filtered reconstructed sample  $p'_k$  and  $q'_k$  are used to replace the reconstructed samples in the reconstructed picture  $recPicture_L$ , when `cIdx` is equal to 0, or in  $recPicture_{Cb}$  when `cIdx` is

equal to 1, or to  $\text{recPicture}_{Cr}$  when  $\text{cIdx}$  is equal to 2, respectively, in the corresponding sample positions.

Otherwise, the filtering process for edges in the chroma coding blocks of current coding unit consists of the following steps:

- The variable  $\text{chromaStyleFilteringFlag}$  is set equal to 1.
- The variable  $\text{recPicture}_X$  is set equal to  $\text{recPicture}_{Cb}$  when  $\text{cIdx}$  is equal to 1, or to  $\text{recPicture}_{Cr}$  when  $\text{cIdx}$  is equal to 2, with  $X$  being replaced by  $Cb$  or  $Cr$ .
- The variable  $x_{Cb'}$  is set equal to  $x_{Cb} / \text{SubWidthC}$ , and  $y_{Cb'}$  is set equal to  $y_{Cb} / \text{SubHeightC}$ .
- The variables  $x_N$  and  $y_N$  are derived as follows:
  - The variable  $x_N$  is set equal to  $(1 \ll (\log_2 \text{CbWidth} - 1)) - 1$ .
  - If  $\text{ChromaArrayType}$  is equal to 1, the variable  $y_N$  is set equal to  $(1 \ll (\log_2 \text{CbHeight} - 1)) - 1$ .
  - Otherwise, the variable  $y_N$  is set equal to  $(1 \ll (\log_2 \text{CbHeight} - 2)) - 1$ .
- If  $\text{edgeType}$  is equal to  $\text{EDGE\_HOR}$ , the variables  $x_{D_i}$ ,  $y_{D_j}$ ,  $x_{D_i'}$ , and  $y_{D_j'}$  are derived as follows:
  - $x_{D_i}$  is set equal to  $i \ll 2$  with  $i = 0..x_N$  and  $y_{D_j}$  is set equal to 0.
  - $x_{D_i'}$  is set equal to  $i \ll 1$  with  $i = 0..x_N$  and  $y_{D_j'}$  is set equal to 0.
- Otherwise ( $\text{edgeType}$  is equal to  $\text{EDGE\_VER}$ ), the variables  $x_{D_i}$ ,  $y_{D_j}$ ,  $x_{D_i'}$ , and  $y_{D_j'}$  are derived as follows:
  - $x_{D_i}$  is set equal to 0, and  $y_{D_j}$  is set equal to  $j \ll 2$  with  $j = 0..y_N$ .
  - $x_{D_i'}$  is set equal to 0.
  - if  $\text{ChromaArrayType}$  is equal to 1,  $y_{D_j'}$  is set equal to  $j \ll 1$  with  $j = 0..y_N$ .
  - Otherwise,  $y_{D_j'}$  is set equal to  $j \ll 2$  with  $j = 0..y_N$ .
- For  $x_{D_i}$  and  $y_{D_j}$ , the following ordered steps apply:
  - 1) Two block locations  $(x_{CbP}, y_{CbP})$  and  $(x_{CbQ}, y_{CbQ})$  are derived as follows:
    - If  $\text{edgeType}$  is equal to  $\text{EDGE\_VER}$ ,  $(x_{CbP}, y_{CbP})$  is set equal to  $(x_{Cb'} + x_{D_i'} - 1, y_{Cb'} + y_{D_j'})$  and  $(x_{CbQ}, y_{CbQ})$  is set equal to  $(x_{Cb'} + x_{D_i'}, y_{Cb'} + y_{D_j'})$ .
    - Otherwise ( $\text{edgeType}$  is equal to  $\text{EDGE\_HOR}$ ),  $(x_{CbP}, y_{CbP})$  is set equal to  $(x_{Cb'} + x_{D_i'}, y_{Cb'} + y_{D_j'} - 1)$  and  $(x_{CbQ}, y_{CbQ})$  is set equal to  $(x_{Cb'} + x_{D_i'}, y_{Cb'} + y_{D_j'})$ .
  - 2) The sample values  $p_k$  and  $q_k$  with  $k = 0..3$  are derived as follows:
    - If  $\text{edgeType}$  is equal to  $\text{EDGE\_VER}$ ,  $p_k$  is set equal to  $\text{recPicture}_X[x_{CbP} - k][y_{CbP} + d]$  and  $q_k$  is set equal to  $\text{recPicture}_X[x_{CbQ} + k][y_{CbQ} + d]$  with offset  $d = 0..1$  when  $\text{ChromaArrayType}$  is equal to 1 and with offset  $d = 0..3$  when  $\text{ChromaArrayType}$  is equal to 2.

- Otherwise (edgeType is equal to EDGE\_HOR),  $p_k$  is set equal to  $\text{recPicture}_x[\text{xCbP} + d][\text{yCbP} - k]$  and  $q_k$  is set equal to  $\text{recPicture}_x[\text{xCbQ} + d][\text{yCbQ} + k]$  with offset  $d = 0..1$ .
- The thresholds  $\alpha$ ,  $\beta$ , the variables filterSamplesFlag and indexA for each block edge are derived by invoking the process as specified in subclause 8.8.3.5 with  $p_0$ ,  $p_1$ ,  $q_0$ ,  $q_1$ , a variable cIdx specifying colour component index, and  $\text{bs}[\text{xD}_i][\text{yD}_j]$  as inputs.
- Depending on the variable filterSamplesFlag, the following applies:
  - If filterSamplesFlag is equal to 1, the following applies:
    - If  $\text{bs}[\text{xD}_i][\text{yD}_j]$  is less than 4, the process as specified in subclause 8.8.3.6 is invoked with  $p_i$ ,  $q_i$  ( $i = 0..2$ ), chromaStyleFilteringFlag, cIdx,  $\text{bs}[\text{xD}_i][\text{yD}_j]$ ,  $\beta$  and indexA given as inputs, and the output is assigned to  $p'_i$  and  $q'_i$  ( $i = 0..2$ ).
    - Otherwise (bs is equal to 4), the process as specified in subclause 8.8.3.7 is invoked with  $p_i$  and  $q_i$  ( $i = 0..3$ ), chromaStyleFilteringFlag, cIdx,  $\alpha$ , and  $\beta$  given as inputs, and the output is assigned to  $p'_i$  and  $q'_i$  ( $i = 0..2$ ).
  - Otherwise (filterSamplesFlag is equal to 0), the filtered result samples  $p'_i$  and  $q'_i$  ( $i = 0..2$ ) are replaced by the corresponding input samples  $p_i$  and  $q_i$  as follows:
 
$$p'_i = p_i, \text{ for } i = 0..2 \quad (1216)$$

$$q'_i = q_i, \text{ for } i = 0..2 \quad (1217)$$
- The filtered reconstructed sample  $p'_k$  and  $q'_k$  are used to replace the reconstructed samples in the reconstructed picture  $\text{recPicture}_x$  in the corresponding sample positions.

#### 8.8.3.4 Derivation process for boundary filtering strength

Inputs to this process are:

- two luma locations ( $\text{xCbP}$ ,  $\text{yCbP}$ ) and ( $\text{xCbQ}$ ,  $\text{yCbQ}$ ),
- reference indices  $\text{refIdxL0}$  and  $\text{refIdxL1}$ , and
- motion information  $\text{mvL0}$  and  $\text{mvL1}$ .

Output of this process is the variable  $\text{bs}[\text{xD}_i][\text{yD}_j]$  at location ( $\text{xD}_i$ ,  $\text{yD}_j$ ).

The variable cBf is derived as follows:

- If ChromaArrayType is equal to 3, and cIdx is equal to 1, the variable cBf is set equal to  $\text{cbf\_cb}$ , otherwise, if ChromaArrayType is equal to 3, and cIdx is equal to 2, the variable cBf is set equal to  $\text{cbf\_cr}$ .
- Otherwise, variable cBf is set equal to  $\text{cbf\_luma}$ .

The variable  $\text{bs}[\text{xD}_i][\text{yD}_j]$  is derived as follows:

- If the sample at location ( $\text{xCbP}$ ,  $\text{yCbP}$ ) or ( $\text{xCbQ}$ ,  $\text{yCbQ}$ ) is in the luma coding block of a coding unit coded with intra prediction mode and the block at location ( $\text{xCbP}$ ,  $\text{yCbP}$ ) and ( $\text{xCbQ}$ ,  $\text{yCbQ}$ ) are from two coding units that are located in different CTU,  $\text{bs}[\text{xD}_i][\text{yD}_j]$  is set equal to 4.

- Otherwise, if the sample at location ( xCbP, yCbP ) or ( xCbQ, yCbQ ) is in the luma coding block of a coding unit coded with intra prediction mode or ibc prediction mode, bS[ xD<sub>i</sub> ][ yD<sub>j</sub> ] is set equal to 3.
- Otherwise, if the sample at location ( xCbP, yCbP ) or ( xCbQ, yCbQ ) is in the luma coding block of a coding unit coded with cBf equal to 1, or coded with ats\_cu\_inter\_flag equal to 1, bS[ xD<sub>i</sub> ][ yD<sub>j</sub> ] is set equal to 2.
- Otherwise, the following applies:

— The variables mv0L0x, mv0L0y, mv1L0x, and mv1L0y are derived as follows:

$$\text{refIdx0L0} = \text{refIdxL0}[\text{xCbQ}][\text{yCbQ}] \quad (1218)$$

$$\text{refIdx0L1} = \text{refIdxL1}[\text{xCbQ}][\text{yCbQ}] \quad (1219)$$

$$\text{refIdx1L0} = \text{refIdxL0}[\text{xCbP}][\text{yCbP}] \quad (1220)$$

$$\text{refIdx1L1} = \text{refIdxL1}[\text{xCbP}][\text{yCbP}] \quad (1221)$$

$$\text{mv0L0x} = \text{refIdx0L0} \neq -1 ? \text{mvL0}[\text{xCbQ}][\text{yCbQ}][0] : 0 \quad (1222)$$

$$\text{mv0L0y} = \text{refIdx0L0} \neq -1 ? \text{mvL0}[\text{xCbQ}][\text{yCbQ}][1] : 0 \quad (1223)$$

$$\text{mv0L1x} = \text{refIdx0L1} \neq -1 ? \text{mvL1}[\text{xCbQ}][\text{yCbQ}][0] : 0 \quad (1224)$$

$$\text{mv0L1y} = \text{refIdx0L1} \neq -1 ? \text{mvL1}[\text{xCbQ}][\text{yCbQ}][1] : 0 \quad (1225)$$

$$\text{mv1L0x} = \text{refIdx1L0} \neq -1 ? \text{mvL0}[\text{xCbP}][\text{yCbP}][0] : 0 \quad (1226)$$

$$\text{mv1L0y} = \text{refIdx1L0} \neq -1 ? \text{mvL0}[\text{xCbP}][\text{yCbP}][1] : 0 \quad (1227)$$

$$\text{mv1L1x} = \text{refIdx1L1} \neq -1 ? \text{mvL1}[\text{xCbP}][\text{yCbP}][0] : 0 \quad (1228)$$

$$\text{mv1L1y} = \text{refIdx1L1} \neq -1 ? \text{mvL1}[\text{xCbP}][\text{yCbP}][1] : 0 \quad (1229)$$

- If refIdx0L0 is equal to refIdx1L0 and refIdx0L1 is equal to refIdx1L1 or if refIdx0L0 is equal to refIdx1L1 and refIdx0L1 is equal to refIdx1L0, the variable bS is derived as follows:

— If refIdx0L0 is equal to refIdx0L1, the variable bS is derived by:

$$\begin{aligned} \text{bS}[\text{xD}_i][\text{yD}_j] = & (\text{Abs}(\text{mv0L0x} - \text{mv1L0x}) \geq 4 \mid \mid \text{Abs}(\text{mv0L0y} - \text{mv1L0y}) \geq 4 \mid \mid \\ & \text{Abs}(\text{mv0L1x} - \text{mv1L1x}) \geq 4 \mid \mid \text{Abs}(\text{mv0L1y} - \text{mv1L1y}) \geq 4 \mid \mid \\ & \text{Abs}(\text{mv0L0x} - \text{mv1L1x}) \geq 4 \mid \mid \text{Abs}(\text{mv0L0y} - \text{mv1L1y}) \geq 4 \mid \mid \\ & \text{Abs}(\text{mv0L1x} - \text{mv1L0x}) \geq 4 \mid \mid \text{Abs}(\text{mv0L1y} - \text{mv1L0y}) \geq 4) ? 1 : 0 \quad (1230) \end{aligned}$$

- Otherwise, if refIdx0L0 is equal to refIdx1L0 and refIdx0L1 is equal to refIdx1L1, the variable bS is derived by:

$$\begin{aligned} \text{bS}[\text{xD}_i][\text{yD}_j] = & (\text{Abs}(\text{mv0L0x} - \text{mv1L0x}) \geq 4 \mid \mid \text{Abs}(\text{mv0L0y} - \text{mv1L0y}) \geq 4 \mid \mid \\ & \text{Abs}(\text{mv0L1x} - \text{mv1L1x}) \geq 4 \mid \mid \text{Abs}(\text{mv0L1y} - \text{mv1L1y}) \geq 4) ? 1 : 0 \quad (1231) \end{aligned}$$

- Otherwise, if refIdx0L0 is equal to refIdx1L1 and refIdx0L1 is equal to refIdx1L0, the variable bS is derived by:

$$\begin{aligned} \text{bS}[\text{xD}_i][\text{yD}_j] = & (\text{Abs}(\text{mv0L0x} - \text{mv1L1x}) \geq 4 \mid \mid \text{Abs}(\text{mv0L0y} - \text{mv1L1y}) \geq 4 \mid \mid \\ & \text{Abs}(\text{mv0L1x} - \text{mv1L0x}) \geq 4 \mid \mid \text{Abs}(\text{mv0L1y} - \text{mv1L0y}) \geq 4) ? 1 : 0 \quad (1232) \end{aligned}$$

- Otherwise,  $bs[xD_i][yD_j]$  is set equal to 1.

### 8.8.3.5 Derivation process for the thresholds for each block edge

Inputs to this process are:

- the variables  $p_0$ ,  $p_1$ ,  $q_0$  and  $q_1$  specifying the values of a single set of samples across an edge that is to be filtered,
- the variable  $cIdx$  specifying colour component index, and
- the variables  $bs[xD_i][yD_j]$ .

Outputs of this process are:

- the variable  $filterSamplesFlag$  specifying the indicates whether the input samples are filtered,
- the variable  $indexA$ , and
- the variables  $\alpha$  and  $\beta$  specifying the values of the threshold.

The variable  $qP_p$  and  $qP_q$  are derived as follows:

- If  $cIdx$  is equal to 0,  $qP_p$  and  $qP_q$  are set equal to  $Qp_Y$  that are used in the CU where sample  $p_0$  and  $q_0$  are located, and is obtained according to derivation process for quantization parameters as specified in subclause 8.7.1.
- Otherwise, if  $cIdx$  is equal to 1,  $qP_p$  and  $qP_q$  are set equal to  $Qp_{Cb}$  that are used in the CU where sample  $p_0$  and  $q_0$  are located, and is obtained according to derivation process for quantization parameters as specified in subclause 8.7.1.
- Otherwise, if  $cIdx$  is equal to 2,  $qP_p$  and  $qP_q$  are set equal to  $Qp_{Cr}$  that are used in the CU where sample  $p_0$  and  $q_0$  are located, and is obtained according to derivation process for quantization parameters as specified in subclause 8.7.1.

The variable  $bitDepth$  is set equal to  $BitDepth_Y$  if  $cIdx$  is equal to 0, otherwise  $bitDepth$  is set equal to  $BitDepth_C$ .

Let  $qP_{av}$  be a variable specifying an average quantization parameter. It is derived as follows:

$$qP_{av} = (qP_p + qP_q + 1) \gg 1 \quad (1233)$$

Let  $indexA$  be a variable that is used to access Table 34 as well as Table 35, which is used in filtering of edges with  $bs[xD_i][yD_j]$  less than 4 as derived in subclause 8.8.3.6, and let  $indexB$  be a variable that is used to access Table 34. The variables  $indexA$  and  $indexB$  are derived as follows:

$$indexA = Clip3(0, 51, qP_{av} + FilterOffsetA) \quad (1234)$$

$$indexB = Clip3(0, 51, qP_{av} + FilterOffsetB) \quad (1235)$$

The variables  $\alpha'$  and  $\beta'$  depending on the values of  $indexA$  and  $indexB$  are specified in Table 34. The corresponding threshold variables  $\alpha$  and  $\beta$  are derived as follows:

$$\alpha = \alpha' * (1 \ll (bitDepth - 8)) \quad (1236)$$

$$\beta = \beta' * (1 \ll (bitDepth - 8)) \quad (1237)$$

The variable filterSamplesFlag is derived as follows:

$$\text{filterSamplesFlag} = (\text{bS}[\text{xD}_i][\text{yD}_j] \neq 0 \ \&\& \ \text{Abs}(p_0 - q_0) < \alpha \ \&\& \ \text{Abs}(p_1 - p_0) < \beta \ \&\& \ \text{Abs}(q_1 - q_0) < \beta) \quad (1238)$$

**Table 34 — Derivation of offset dependent threshold variables  $\alpha'$  and  $\beta'$  from indexA and indexB**

indexA (for $\alpha'$ ) or indexB (for $\beta'$ )																										
	0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25
$\alpha'$	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	4	4	5	6	7	8	9	10	12	13	
$\beta'$	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	2	2	2	3	3	3	3	4	4	4	
indexA (for $\alpha'$ ) or indexB (for $\beta'$ )																										
	26	27	28	29	30	31	32	33	34	35	36	37	38	39	40	41	42	43	44	45	46	47	48	49	50	51
$\alpha'$	15	17	20	22	25	28	32	36	40	45	50	56	63	71	80	90	101	113	127	144	162	182	203	226	255	255
$\beta'$	6	6	7	7	8	8	9	9	10	10	11	11	12	12	13	13	14	14	15	15	16	16	17	17	18	18

**8.8.3.6 Derivation process for edges with bS less than 4**

Inputs to this process are:

- input sample values  $p_i$  and  $q_i$  ( $i = 0..2$ ) of a single set of samples across an edge that is to be filtered,
- the variable chromaStyleFilteringFlag,
- the variable cIdx specifying colour component index, and
- the variables bS,  $\beta$ , and indexA for the set of input samples.

Outputs of this process are the filtered result sample values  $p'_i$  and  $q'_i$  ( $i = 0..2$ ) for the set of input sample values.

The variable bitDepth is set equal to  $\text{BitDepth}_Y$  if cIdx is equal to 0, otherwise BitDepth is set equal to  $\text{BitDepth}_C$ .

Depending on the values of indexA and bS, the variable  $t'_{co}$  is specified in Table 35.

The threshold variable  $t_c$  is derived as follows:

$$t_c = t'_{co} * (1 \ll (\text{Max}(0, \text{bitDepth} - 9))) \quad (1239)$$

The threshold variables  $a_p$  and  $a_q$  are derived as follows:

$$a_p = \text{Abs}(p_2 - p_0) \quad (1240)$$

$$a_q = \text{Abs}(q_2 - q_0) \quad (1241)$$

The threshold variable  $t_{co}$  is determined as follows:

- If chromaStyleFilteringFlag is equal to 0, the following applies:

$$t_{\text{IncP}} = ((a_p < \beta) ? 1 : 0) \quad (1242)$$

$$tcIncQ = ((a_q < \beta) ? 1 : 0) \quad (1243)$$

$$tc_0 = (t'_{c0} + tcIncP + tcIncQ) * (1 \ll (\text{Max}(0, \text{bitDepth} - 9))) \quad (1244)$$

— Otherwise (chromaStyleFilteringFlag is equal to 1), the following applies:

$$tc_0 = (t'_{c0} + 1) * (1 \ll (\text{Max}(0, \text{bitDepth} - 9))) \quad (1245)$$

The filtered result samples  $p'_0$  and  $q'_0$  are derived as follows:

$$\Delta = \text{Clip3}(-tc_0, tc_0, (((q_0 - p_0) \ll 2) + (p_1 - q_1) + 4) \gg 3) \quad (1246)$$

$$p'_0 = p_0 + \Delta \quad (1247)$$

$$q'_0 = q_0 - \Delta \quad (1248)$$

The filtered result sample  $p'_1$  is derived as follows:

— If chromaStyleFilteringFlag is equal to 0 and  $a_p$  is less than  $\beta$ , the following applies:

$$p'_1 = p_1 + \text{Clip3}(-tc, tc, ((p_2 + p_0 + q_0) * 3 - (p_1 \ll 3) - q_1) \gg 4) \quad (1249)$$

— Otherwise (chromaStyleFilteringFlag is equal to 1 or  $a_p$  is greater than or equal to  $\beta$ ), the following applies:

$$p'_1 = p_1 \quad (1250)$$

The filtered result sample  $q'_1$  is derived as follows:

— If chromaStyleFilteringFlag is equal to 0 and  $a_q$  is less than  $\beta$ , the following applies

$$q'_1 = q_1 + \text{Clip3}(-tc, tc, ((q_2 + q_0 + p_0) * 3 - (q_1 \ll 3) - p_1) \gg 4) \quad (1251)$$

— Otherwise (chromaStyleFilteringFlag is equal to 1 or  $a_q$  is greater than or equal to  $\beta$ ), the following applies

$$q'_1 = q_1 \quad (1252)$$

The filtered result samples  $p'_2$  and  $q'_2$  are always set equal to the input samples  $p_2$  and  $q_2$  as follows:

$$p'_2 = p_2 \quad (1253)$$

$$q'_2 = q_2 \quad (1254)$$

Let  $\text{Clip1}()$  be a function that is replaced by  $\text{Clip1}_Y()$  when  $cIdx$  is equal to 0 and by  $\text{Clip1}_C()$  when  $cIdx$  is equal to 1 or 2.

$$p'_0 = \text{Clip1}(p'_0) \quad (1255)$$

$$p'_1 = \text{Clip1}(p'_1) \quad (1256)$$

$$p'_2 = \text{Clip1}(p'_2) \quad (1257)$$

$$q'_0 = \text{Clip1}(q'_0) \quad (1258)$$

$$q'_1 = \text{Clip1}(q_1) \tag{1259}$$

$$q'_2 = \text{Clip1}(q_2) \tag{1260}$$

**Table 35 — Value of variable  $t'_{co}$  as a function of indexA and bS**

indexA																										
	0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25
bS = 1	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	1	1	1
bS = 2	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	1	1	1	1	1
bS = 3	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	1	1	1	1	1	1	1	1	1
indexA																										
	26	27	28	29	30	31	32	33	34	35	36	37	38	39	40	41	42	43	44	45	46	47	48	49	50	51
bS = 1	1	1	1	1	1	1	1	2	2	2	2	3	3	3	4	4	4	5	6	6	7	8	9	10	11	13
bS = 2	1	1	1	1	1	2	2	2	2	3	3	3	4	4	5	5	6	7	8	8	10	11	12	13	15	17
bS = 3	1	2	2	2	2	3	3	3	4	4	4	5	6	6	7	8	9	10	11	13	14	16	18	20	23	25

**8.8.3.7 Derivation process for edges with bS equal to 4**

Inputs to this process are:

- input sample values  $p_i$  and  $q_i$  ( $i = 0..3$ ) of a single set of samples across an edge that is to be filtered,
- the variable `chromaStyleFilteringFlag`,
- the variable `clDx` specifying colour component index, and
- the value of threshold variable  $\beta$ .

Outputs of this process are the filtered result sample values  $p'_i$  and  $q'_i$  ( $i = 0..2$ ) for the set of input sample values.

Let  $a_p$  and  $a_q$  be two threshold variables as specified in Formulae 1240 and 1241, respectively in subclause 8.8.3.6.

The filtered result samples  $p'_i$  ( $i = 0..2$ ) are derived as follows:

- If `chromaStyleFilteringFlag` is equal to 0 and the following condition holds,

$$a_p < \beta \ \&\& \ \text{Abs}(p_0 - q_0) < ((\alpha \gg 2) + 2) \tag{1261}$$

then the variables  $p'_0$ ,  $p'_1$ , and  $p'_2$  are derived as follows:

$$p'_0 = (p_2 + 2 * p_1 + 2 * p_0 + 2 * q_0 + q_1 + 4) \gg 3 \tag{1262}$$

$$p'_1 = (p_2 + p_1 + p_0 + q_0 + 2) \gg 2 \tag{1263}$$

$$p'_2 = (2 * p_3 + 3 * p_2 + p_1 + p_0 + q_0 + 4) \gg 3 \tag{1264}$$

- Otherwise (chromaStyleFilteringFlag is equal to 1 or the condition in Formula 1261 does not hold), the variables  $p'_0$ ,  $p'_1$ , and  $p'_2$  are derived as follows:

$$p'_0 = (2 * p_1 + p_0 + q_1 + 2) \gg 2 \quad (1265)$$

$$p'_1 = p_1 \quad (1266)$$

$$p'_2 = p_2 \quad (1267)$$

The filtered result samples  $q'_i$  ( $i = 0..2$ ) are derived as follows:

- If chromaStyleFilteringFlag is equal to 0 and the following condition holds,

$$a_q < \beta \ \&\& \ \text{Abs}(p_0 - q_0) < ((\alpha \gg 2) + 2) \quad (1268)$$

then the variables  $q'_0$ ,  $q'_1$ , and  $q'_2$  are derived as follows:

$$q'_0 = (p_1 + 2 * p_0 + 2 * q_0 + 2 * q_1 + q_2 + 4) \gg 3 \quad (1269)$$

$$q'_1 = (p_0 + q_0 + q_1 + q_2 + 2) \gg 2 \quad (1270)$$

$$q'_2 = (2 * q_3 + 3 * q_2 + q_1 + q_0 + p_0 + 4) \gg 3 \quad (1271)$$

- Otherwise (chromaStyleFilteringFlag is equal to 1 or the condition in Formula 1268 does not hold), the variables  $q'_0$ ,  $q'_1$ , and  $q'_2$  are derived as follows:

$$q'_0 = (2 * q_1 + q_0 + p_1 + 2) \gg 2 \quad (1272)$$

$$q'_1 = q_1 \quad (1273)$$

$$q'_2 = q_2 \quad (1274)$$

Let Clip1() be a function that is replaced by Clip1<sub>v</sub>() when cIdx is equal to 0 and by Clip1<sub>c</sub>() when cIdx is equal to 1 or 2.

$$p'_0 = \text{Clip1}(p'_0) \quad (1275)$$

$$p'_1 = \text{Clip1}(p'_1) \quad (1276)$$

$$p'_2 = \text{Clip1}(p'_2) \quad (1277)$$

$$q'_0 = \text{Clip1}(q'_0) \quad (1278)$$

$$q'_1 = \text{Clip1}(q'_1) \quad (1279)$$

$$q'_2 = \text{Clip1}(q'_2) \quad (1280)$$

## 8.8.4 Adaptive Loop Filter

### 8.8.4.1 General

Inputs to this process are:

- the array recPicture<sub>L</sub> specifying the reconstructed picture sample array prior to adaptive loop filter for luma,

- when ChromaArrayType is not equal to 0, the array  $\text{recPicture}_{Cb}$  specifying the reconstructed picture sample array prior to adaptive loop filter for Cb, and
- when ChromaArrayType is not equal to 0, the array  $\text{recPicture}_{Cr}$  specifying the reconstructed picture sample array prior to adaptive loop filter for Cr.

Outputs of this process are:

- the array  $\text{alfPicture}_L$  specifying the modified reconstructed picture sample array after adaptive loop filter for luma,
- when ChromaArrayType is not equal to 0,  $\text{alfPicture}_{Cb}$  specifying the modified reconstructed picture sample array after adaptive loop filter for Cb, and
- when ChromaArrayType is not equal to 0,  $\text{alfPicture}_{Cr}$  specifying the modified reconstructed picture sample array after adaptive loop filter for Cr.

The sample values in the modified reconstructed picture sample arrays  $\text{alfPicture}_L$ , and, when ChromaArrayType is not equal to 0,  $\text{alfPicture}_{Cb}$  and  $\text{alfPicture}_{Cr}$  are initially set equal to the sample values in the reconstructed picture sample arrays prior to adaptive loop filter  $\text{recPicture}_L$ , and, when ChromaArrayType is not equal to 0,  $\text{recPicture}_{Cb}$  and  $\text{recPicture}_{Cr}$ , respectively.

For every coding tree unit with luma coding tree block location  $(rx, ry)$ , where  $rx = 0..PicWidthInCtbsY - 1$  and  $ry = 0..PicHeightInCtbsY - 1$ , the following applies:

- If  $(rx \ll CtbLog2SizeY) + CtbSizeY$  is smaller than or equal to  $\text{pic\_width\_in\_luma\_samples}$ , a variable  $\text{blkWidth}$  is set equal to  $CtbSizeY$ , otherwise, a variable  $\text{blkWidth}$  is set equal to  $\text{pic\_width\_in\_luma\_samples} - (rx \ll CtbLog2SizeY)$ .
- If  $(ry \ll CtbLog2SizeY) + CtbSizeY$  is smaller than or equal to  $\text{pic\_height\_in\_luma\_samples}$ , a variable  $\text{blkHeight}$  is set equal to  $CtbSizeY$ , otherwise  $\text{blkHeight}$  is set equal to  $\text{pic\_height\_in\_luma\_samples} - (ry \ll CtbLog2SizeY)$ .
- When  $\text{alf\_ctb\_flag}[rx][ry]$  is equal to 1, the coding tree block luma type filtering process as specified in subclause 8.8.4.2 is invoked with  $\text{recPicture}_L$ ,  $\text{alfPicture}_L$ , referred APS identifier  $\text{slice\_alf\_luma\_aps\_id}$ , the luma coding tree block location  $(xCtb, yCtb)$  set equal to  $(rx \ll CtbLog2SizeY, ry \ll CtbLog2SizeY)$ , and the coding tree block width  $\text{blkWidth}$  and height  $\text{blkHeight}$  as inputs, and the output is the modified filtered picture  $\text{alfPicture}_L$ .
- If ChromaArrayType is equal to 3, the coding tree block luma type filtering process for chroma samples of Cb and Cr chroma components are invoked as follows:
  - When  $\text{alf\_ctb\_chroma\_flag}[rx][ry]$  is equal to 1, the coding tree block luma type filtering process as specified in subclause 8.8.4.2 is invoked with  $\text{recPicture}_{Cb}$ ,  $\text{alfPicture}_{Cb}$ , referred APS identifier  $\text{slice\_alf\_chroma\_aps\_id}$ , the chroma coding tree block location  $(xCtb, yCtb)$  set equal to  $(rx \ll CtbLog2SizeY, ry \ll CtbLog2SizeY)$ , and the coding tree block width  $\text{blkWidth}$  and height  $\text{blkHeight}$  as inputs, and the output is the modified filtered picture  $\text{alfPicture}_{Cb}$ .
  - When  $\text{alf\_ctb\_chroma2\_flag}[rx][ry]$  is equal to 1, the coding tree block luma type filtering process as specified in subclause 8.8.4.2 is invoked with  $\text{recPicture}_{Cr}$ ,  $\text{alfPicture}_{Cr}$ , referred APS identifier  $\text{slice\_alf\_chroma2\_aps\_id}$ , the chroma coding tree block location  $(xCtb, yCtb)$  set equal to  $(rx \ll CtbLog2SizeY, ry \ll CtbLog2SizeY)$ , and the coding tree block width  $\text{blkWidth}$  and height  $\text{blkHeight}$  as inputs, and the output is the modified filtered picture  $\text{alfPicture}_{Cr}$ .

- Otherwise, when ChromaArrayType is in the range from 1 to 2, inclusive, and slice\_alf\_chroma\_idc is larger than 0, the following applies:
  - When sliceChromaAlfEnabledFlag is equal to 1, the coding tree block chroma type filtering process as specified in subclause 8.8.4.4 is invoked with recPicture set equal to recPictureCb, alfPicture set equal to alfPictureCb, referred APS identifier slice\_alf\_chroma\_aps\_id, the chroma coding tree block location (xCtbC, yCtbC) set equal to  $( (rx \ll CtbLog2SizeY) / SubWidthC, (ry \ll CtbLog2SizeY) / SubHeightC )$ , and the coding tree block width blkWidth / SubWidthC and height blkHeight / SubHeightC as inputs, and the output is the modified filtered picture alfPictureCb.
  - When sliceChroma2AlfEnabledFlag is equal to 1, the coding tree block chroma type filtering process as specified in subclause 8.8.4.4 is invoked with recPicture set equal to recPictureCr, alfPicture set equal to alfPictureCr, referred APS identifier slice\_alf\_chroma\_aps\_id, the chroma coding tree block location (xCtbC, yCtbC) set equal to  $( (rx \ll CtbLog2SizeY) / SubWidthC, (ry \ll CtbLog2SizeY) / SubHeightC )$ , and the coding tree block width blkWidth / SubWidthC and height blkHeight / SubHeightC as inputs, and the output is the modified filtered picture alfPictureCr.

#### 8.8.4.2 Coding tree block luma type filtering process

Inputs to this process are:

- a reconstructed picture sample array recPictureRec prior to the adaptive loop filtering process,
- a filtered reconstructed luma picture sample array alfPicture,
- an identifier of the referred APS, apsId,
- a luma location (xCtb, yCtb) specifying the top-left sample of the current coding tree block relative to the top-left sample of the current picture, and
- variables blkWidth and blkHeight specifying the width and the height of the current coding tree block.

Output of this process is the modified filtered reconstructed picture sample array alfPicture.

The sample values in the picture sample arrays recPicture are derived by invoking subclause 8.8.4.5 with recPictureRec, the coding tree block location (xCtb, yCtb), and the coding tree block width blkWidth and the coding tree block height blkHeight as inputs, and the output is the modified filtered picture recPicture.

The derivation process for ALF transpose and filter index subclause 8.8.4.3 is invoked with the location (xCtb, yCtb), the reconstructed picture sample array recPicture, and the coding tree block width blkWidth and the coding tree block height blkHeight as inputs, and filtIdx[x][y] and transposeIdx[x][y] with  $x = 0..blkWidth - 1$ ,  $y = 0..blkHeight - 1$  as outputs.

For the derivation of the filtered reconstructed samples alfPicture[x][y], each reconstructed sample inside the current coding tree block recPicture[x][y] is filtered as follows with  $x = 0..blkWidth - 1$ ,  $y = 0..blkHeight - 1$ :

The array of luma filter coefficients f[j] corresponding to the filter specified by filtIdx[x][y] is derived as follows with  $j = 0..NumAlfCoefs - 2$ :

$$f[j] = AlfCoeff_{i, [apsId][filtIdx[x][y]]}[j] \quad (1281)$$

The luma filter coefficients filterCoeff are derived depending on transposeIdx[x][y] as follows:

— If transposeIdx[ x ][ y ] is equal to 1, the following applies:

$$\text{filterCoeff}[] = \{ f[ 9 ], f[ 4 ], f[ 10 ], f[ 8 ], f[ 1 ], f[ 5 ], f[ 11 ], f[ 7 ], f[ 3 ], f[ 0 ], f[ 2 ], f[ 6 ], f[ 12 ] \} \quad (1282)$$

— Otherwise, if transposeIdx[ x ][ y ] is equal to 2, the following applies:

$$\text{filterCoeff}[] = \{ f[ 0 ], f[ 3 ], f[ 2 ], f[ 1 ], f[ 8 ], f[ 7 ], f[ 6 ], f[ 5 ], f[ 4 ], f[ 9 ], f[ 10 ], f[ 11 ], f[ 12 ] \} \quad (1283)$$

— Otherwise, if transposeIdx[ x ][ y ] is equal to 3, the following applies:

$$\text{filterCoeff}[] = \{ f[ 9 ], f[ 8 ], f[ 10 ], f[ 4 ], f[ 3 ], f[ 7 ], f[ 11 ], f[ 5 ], f[ 1 ], f[ 0 ], f[ 2 ], f[ 6 ], f[ 12 ] \} \quad (1284)$$

— Otherwise, the following applies:

$$\text{filterCoeff}[] = \{ f[ 0 ], f[ 1 ], f[ 2 ], f[ 3 ], f[ 4 ], f[ 5 ], f[ 6 ], f[ 7 ], f[ 8 ], f[ 9 ], f[ 10 ], f[ 11 ], f[ 12 ] \} \quad (1285)$$

The variable sum is derived as follows:

$$\begin{aligned} \text{sum} = & \text{filterCoeff}[ 0 ] * ( \text{recPicture}[ x, y + 3 ] + \text{recPicture}[ x, y - 3 ] ) + \\ & \text{filterCoeff}[ 1 ] * ( \text{recPicture}[ x + 1, y + 2 ] + \text{recPicture}[ x - 1, y - 2 ] ) + \\ & \text{filterCoeff}[ 2 ] * ( \text{recPicture}[ x, y + 2 ] + \text{recPicture}[ x, y - 2 ] ) + \\ & \text{filterCoeff}[ 3 ] * ( \text{recPicture}[ x - 1, y + 2 ] + \text{recPicture}[ x + 1, y - 2 ] ) + \\ & \text{filterCoeff}[ 4 ] * ( \text{recPicture}[ x + 2, y + 1 ] + \text{recPicture}[ x - 2, y - 1 ] ) + \\ & \text{filterCoeff}[ 5 ] * ( \text{recPicture}[ x + 1, y + 1 ] + \text{recPicture}[ x - 1, y - 1 ] ) + \\ & \text{filterCoeff}[ 6 ] * ( \text{recPicture}[ x, y + 1 ] + \text{recPicture}[ x, y - 1 ] ) + \\ & \text{filterCoeff}[ 7 ] * ( \text{recPicture}[ x - 1, y + 1 ] + \text{recPicture}[ x + 1, y - 1 ] ) + \\ & \text{filterCoeff}[ 8 ] * ( \text{recPicture}[ x - 2, y + 1 ] + \text{recPicture}[ x + 2, y - 1 ] ) + \\ & \text{filterCoeff}[ 9 ] * ( \text{recPicture}[ x + 3, y ] + \text{recPicture}[ x - 3, y ] ) + \\ & \text{filterCoeff}[ 10 ] * ( \text{recPicture}[ x + 2, y ] + \text{recPicture}[ x - 2, y ] ) + \\ & \text{filterCoeff}[ 11 ] * ( \text{recPicture}[ x + 1, y ] + \text{recPicture}[ x - 1, y ] ) + \\ & \text{filterCoeff}[ 12 ] * \text{recPicture}[ x, y ] \end{aligned} \quad (1286)$$

$$\text{sum} = ( \text{sum} + 256 ) \gg 9 \quad (1287)$$

The modified filtered reconstructed picture sample alfPicture[ xCtb + x ][ yCtb + y ] is derived as follows:

$$\text{alfPicture}[ \text{xCtb} + x ][ \text{yCtb} + y ] = \text{Clip3}( 0, ( 1 \ll \text{BitDepth}_Y ) - 1, \text{sum} ) \quad (1288)$$

### 8.8.4.3 Derivation process for ALF transpose and filter index

Inputs to this process are:

- a location ( xCtb, yCtb ) specifying the top-left sample of the current coding tree block relative to the top-left sample of the current picture,
- a reconstructed picture sample array recPicture prior to the adaptive loop filtering process, and
- variables blkWidth and blkHeight specifying the width and the height of the current coding tree block.

Outputs of this process are:

- the classification filter index array filtIdx[ x ][ y ] with  $x = 0..blkWidth - 1$ ,  $y = 0..blkHeight - 1$ ,
- the transpose index array transposeIdx[ x ][ y ] with  $x = 0..blkWidth - 1$ ,  $y = 0..blkHeight - 1$ .

The classification filter index array  $\text{filtIdx}$  and the transpose index array  $\text{transposeIdx}$  are derived by the following ordered steps:

- The variables  $\text{filtH}[x][y]$ ,  $\text{filtV}[x][y]$ ,  $\text{filtD0}[x][y]$  and  $\text{filtD1}[x][y]$  with  $x = -2..\text{blkWidth} + 1, y = -2..\text{blkHeight} + 1$  are derived as follows:

$$\text{filtH}[x][y] = \text{Abs} ( (\text{recPicture}[x\text{Ctb} + x, y\text{Ctb} + y] \ll 1) - \text{recPicture}[x\text{Ctb} + x - 1, y\text{Ctb} + y] - \text{recPicture}[x\text{Ctb} + x + 1, y\text{Ctb} + y] ) \quad (1289)$$

$$\text{filtV}[x][y] = \text{Abs} ( (\text{recPicture}[x\text{Ctb} + x, y\text{Ctb} + y] \ll 1) - \text{recPicture}[x\text{Ctb} + x, y\text{Ctb} + y - 1] - \text{recPicture}[x\text{Ctb} + x, y\text{Ctb} + y + 1] ) \quad (1290)$$

$$\text{filtD0}[x][y] = \text{Abs} ( (\text{recPicture}[x\text{Ctb} + x, y\text{Ctb} + y] \ll 1) - \text{recPicture}[x\text{Ctb} + x - 1, y\text{Ctb} + y - 1] - \text{recPicture}[x\text{Ctb} + x + 1, y\text{Ctb} + y + 1] ) \quad (1291)$$

$$\text{filtD1}[x][y] = \text{Abs} ( (\text{recPicture}[x\text{Ctb} + x, y\text{Ctb} + y] \ll 1) - \text{recPicture}[x\text{Ctb} + x + 1, y\text{Ctb} + y - 1] - \text{recPicture}[x\text{Ctb} + x - 1, y\text{Ctb} + y + 1] ) \quad (1292)$$

- The variables  $\text{sumH}[x][y]$ ,  $\text{sumV}[x][y]$ ,  $\text{sumD0}[x][y]$ ,  $\text{sumD1}[x][y]$  and  $\text{sumOfHV}[x][y]$  with  $x = 0..(\text{blkWidth} - 1) \gg 2, y = 0..(\text{blkHeight} - 1) \gg 2$  are derived as follows:

$$\text{sumH}[x][y] = \sum_i \sum_j \text{filtH} [ (x \ll 2) + i ] [ (y \ll 2) + j ] \text{ with } i, j = -2..5 \quad (1293)$$

$$\text{sumV}[x][y] = \sum_i \sum_j \text{filtV} [ (x \ll 2) + i ] [ (y \ll 2) + j ] \text{ with } i, j = -2..5 \quad (1294)$$

$$\text{sumD0}[x][y] = \sum_i \sum_j \text{filtD0} [ (x \ll 2) + i ] [ (y \ll 2) + j ] \text{ with } i, j = -2..5 \quad (1295)$$

$$\text{sumD1}[x][y] = \sum_i \sum_j \text{filtD1} [ (x \ll 2) + i ] [ (y \ll 2) + j ] \text{ with } i, j = -2..5 \quad (1296)$$

$$\text{sumOfHV}[x][y] = \text{sumH}[x][y] + \text{sumV}[x][y] \quad (1297)$$

- The variables  $\text{dir1}[x][y]$ ,  $\text{dir2}[x][y]$  and  $\text{dirS}[x][y]$  with  $x = 0..\text{blkWidth} - 1, y = 0..\text{blkHeight} - 1$  are derived as follows:

- The variables  $\text{hv1}$ ,  $\text{hv0}$  and  $\text{dirHV}$  are derived as follows:

- If  $\text{sumV}[x \gg 2][y \gg 2]$  is greater than  $\text{sumH}[x \gg 2][y \gg 2]$ , the following applies:

$$\text{hv1} = \text{sumV}[x \gg 2][y \gg 2] \quad (1298)$$

$$\text{hv0} = \text{sumH}[x \gg 2][y \gg 2] \quad (1299)$$

$$\text{dirHV} = 1 \quad (1300)$$

- Otherwise, the following applies:

$$\text{hv1} = \text{sumH}[x \gg 2][y \gg 2] \quad (1301)$$

$$\text{hv0} = \text{sumV}[x \gg 2][y \gg 2] \quad (1302)$$

$$\text{dirHV} = 3 \quad (1303)$$

- The variables  $\text{d1}$ ,  $\text{d0}$  and  $\text{dirD}$  are derived as follows:

- If  $\text{sumD0}[x \gg 2][y \gg 2]$  is greater than  $\text{sumD1}[x \gg 2][y \gg 2]$ , the following applies:

$$d1 = \text{sumD0}[x \gg 2][y \gg 2] \quad (1304)$$

$$d0 = \text{sumD1}[x \gg 2][y \gg 2] \quad (1305)$$

$$\text{dirD} = 0 \quad (1306)$$

— Otherwise, the following applies:

$$d1 = \text{sumD1}[x \gg 2][y \gg 2] \quad (1307)$$

$$d0 = \text{sumD0}[x \gg 2][y \gg 2] \quad (1308)$$

$$\text{dirD} = 2 \quad (1309)$$

— The variables hvd1 and hvd0 are derived as follows:

$$\text{hvd1} = (d1 * \text{hv0} > \text{hv1} * d0) ? d1 : \text{hv1} \quad (1310)$$

$$\text{hvd0} = (d1 * \text{hv0} > \text{hv1} * d0) ? d0 : \text{hv0} \quad (1311)$$

— The variables dirS[x][y], dir1[x][y] and dir2[x][y] are derived as follows:

$$\text{dir1}[x][y] = (d1 * \text{hv0} > \text{hv1} * d0) ? \text{dirD} : \text{dirHV} \quad (1312)$$

$$\text{dir2}[x][y] = (d1 * \text{hv0} > \text{hv1} * d0) ? \text{dirHV} : \text{dirD} \quad (1313)$$

$$\text{dirS}[x][y] = (\text{hvd1} > 2 * \text{hvd0}) ? 1 : ((\text{hvd1} * 2 > 9 * \text{hvd0}) ? 2 : 0) \quad (1314)$$

— The variable avgVar[x][y] with  $x = 0..blkWidth - 1$ ,  $y = 0..blkHeight - 1$  is derived as follows:

$$\text{varTab}[] = \{0, 1, 2, 2, 2, 2, 2, 3, 3, 3, 3, 3, 3, 3, 4\} \quad (1315)$$

$$\text{avgVar}[x][y] = \text{varTab}[\text{Clip3}(0, 15, (\text{sumOfHV}[x \gg 2][y \gg 2]) \gg (\text{BitDepth}_Y - 2))] \quad (1316)$$

— The classification filter index array filtIdx[x][y] and the transpose index array transposeIdx[x][y] with  $x = 0..blkWidth - 1$ ,  $y = 0..blkHeight - 1$  are derived as follows:

$$\text{transposeTable}[] = \{0, 1, 0, 2, 2, 3, 1, 3\} \quad (1317)$$

$$\text{transposeIdx}[x][y] = \text{transposeTable}[\text{dir1}[x][y] * 2 + (\text{dir2}[x][y] \gg 1)] \quad (1318)$$

$$\text{filtIdx}[x][y] = \text{avgVar}[x][y] \quad (1319)$$

— When dirS[x][y] is not equal to 0, filtIdx[x][y] is modified as follows:

$$\text{filtIdx}[x][y] += (((\text{dir1}[x][y] \& 0x1) \ll 1) + \text{dirS}[x][y]) * 5 \quad (1320)$$

#### 8.8.4.4 Coding tree block chroma type filtering process

Inputs to this process are:

- a reconstructed chroma picture sample array recPictureRec prior to the adaptive loop filtering process,
- a filtered reconstructed chroma picture sample array alfPicture,

- an identifier of the referred APS,  $apsId$ ,
- a chroma location (  $xCtbC, yCtbC$  ) specifying the top-left sample of the current chroma coding tree block relative to the top-left sample of the current picture, and
- variables  $blkWidth$  and  $blkHeight$  specifying the width and the height of the current coding tree block.

Output of this process is the modified filtered reconstructed chroma picture sample array  $alfPicture$ .

The sample values in the picture sample arrays  $recPicture$  are derived by invoking subclause 8.8.4.6 with  $recPictureRec$ , the chroma coding tree block location (  $xCtbC, yCtbC$  ), and the coding tree block width  $blkWidth$  and block height  $blkHeight$  as inputs, and the output is the modified filtered picture  $recPicture$ .

For the derivation of the filtered reconstructed chroma samples  $alfPicture[x][y]$ , each reconstructed chroma sample inside the current chroma coding tree block  $recPicture[x][y]$  is filtered as follows with  $x = 0..blkWidth - 1, y = 0..blkHeight - 1$ :

The variable  $sum$  is derived as follows:

$$\begin{aligned} sum = & AlfCoeff_c[apsId][0] * ( recPicture[x, y + 2] + recPicture[x, y - 2] ) + \\ & AlfCoeff_c[apsId][1] * ( recPicture[x + 1, y + 1] + recPicture[x - 1, y - 1] ) + \\ & AlfCoeff_c[apsId][2] * ( recPicture[x, y + 1] + recPicture[x, y - 1] ) + \\ & AlfCoeff_c[apsId][3] * ( recPicture[x - 1, y + 1] + recPicture[x + 1, y - 1] ) + \\ & AlfCoeff_c[apsId][4] * ( recPicture[x + 2, y] + recPicture[x - 2, y] ) + \\ & AlfCoeff_c[apsId][5] * ( recPicture[x + 1, y] + recPicture[x - 1, y] ) + \\ & AlfCoeff_c[apsId][6] * recPicture[x, y] \end{aligned} \quad (1321)$$

$$sum = ( sum + 256 ) >> 9 \quad (1322)$$

The modified filtered reconstructed chroma picture sample  $alfPicture[xCtbC + x][yCtbC + y]$  is derived as follows:

$$alfPicture[xCtbC + x][yCtbC + y] = Clip3( 0, ( 1 \ll BitDepth_c ) - 1, sum ) \quad (1323)$$

#### 8.8.4.5 Derivation process for luma type ALF input samples

Inputs to this process are:

- a reconstructed picture sample array  $recPicture$  prior to the adaptive loop filtering process,
- a luma location (  $xCtb, yCtb$  ) specifying the top-left sample of the current coding tree block relative to the top-left sample of the current picture, and
- variables  $blkWidth$  and  $blkHeight$  specifying the width and the height of the current coding tree block.

Output of this process is sample array  $recPictureOut$ .

Variables  $availableL$ ,  $availableT$ ,  $availableR$  and  $availableB$  are set equal to TRUE.

For  $x = 0..blkWidth - 1$  and for  $y = 0..blkHeight - 1$ , variable  $recPictureOut$  is initialized as follows:

$$recPictureOut[xCtb + x, yCtb + y] = recPicture[xCtb + x, yCtb + y] \quad (1324)$$

When  $loop\_filter\_across\_tiles\_enabled\_flag$  is equal to FALSE, the derivation process for neighbouring block availability as specified in subclause 6.4.1 is invoked with the luma location (  $xCtb - 1, yCtb$  ) as

input, and the output is assigned to the variable availableL. Otherwise, when loop\_filter\_across\_tiles\_enabled\_flag is equal to TRUE, the derivation process for ALF neighbouring block availability as specified in subclause 6.4.4 is invoked with the luma location ( xCtb - 1, yCtb ) as input, and the output is assigned to the variable availableL.

When loop\_filter\_across\_tiles\_enabled\_flag is equal to FALSE, the derivation process for neighbouring block availability as specified in subclause 6.4.1 is invoked with the luma location ( xCtb, yCtb - 1 ) as input, and the output is assigned to the variable availableT. Otherwise, when loop\_filter\_across\_tiles\_enabled\_flag is equal to TRUE, the derivation process for ALF neighbouring block availability as specified in subclause 6.4.4 is invoked with the luma location ( xCtb, yCtb - 1 ) as input, and the output is assigned to the variable availableT.

When loop\_filter\_across\_tiles\_enabled\_flag is equal to FALSE, the derivation process for neighbouring block availability as specified in subclause 6.4.1 is invoked with the luma location ( xCtb + blkWidth, yCtb ) as input, and the output is assigned to the variable availableR. Otherwise, when loop\_filter\_across\_tiles\_enabled\_flag is equal to TRUE, the derivation process for ALF neighbouring block availability as specified in subclause 6.4.4 is invoked with the luma location ( xCtb + blkWidth, yCtb ) as input, and the output is assigned to the variable availableR.

When loop\_filter\_across\_tiles\_enabled\_flag is equal to FALSE, the derivation process for neighbouring block availability as specified in subclause 6.4.1 is invoked with the luma location ( xCtb, yCtb + blkHeight ) as input, and the output is assigned to the variable availableB. Otherwise, when loop\_filter\_across\_tiles\_enabled\_flag is equal to TRUE, the derivation process for ALF neighbouring block availability as specified in subclause 6.4.4 is invoked with the luma location ( xCtb, yCtb + blkHeight ) as input, and the output is assigned to the variable availableB.

If availableL is equal to FALSE, for  $y = 0..blkHeight - 1$ , samples recPictureOut are derived as follows:

$$recPictureOut[xCtb - 3, yCtb + y] = recPicture[xCtb + 3, yCtb + y] \quad (1325)$$

$$recPictureOut[xCtb - 2, yCtb + y] = recPicture[xCtb + 2, yCtb + y] \quad (1326)$$

$$recPictureOut[xCtb - 1, yCtb + y] = recPicture[xCtb + 1, yCtb + y] \quad (1327)$$

Otherwise, (availableL is equal to TRUE), samples recPictureOut are derived as follows:

$$recPictureOut[xCtb - 3, yCtb + y] = recPicture[xCtb - 3, yCtb + y] \quad (1328)$$

$$recPictureOut[xCtb - 2, yCtb + y] = recPicture[xCtb - 2, yCtb + y] \quad (1329)$$

$$recPictureOut[xCtb - 1, yCtb + y] = recPicture[xCtb - 1, yCtb + y] \quad (1330)$$

If availableR is equal to FALSE, for  $y = 0..blkHeight - 1$ , samples recPictureOut are derived as follows:

$$recPictureOut[xCtb + blkWidth + 2, yCtb + y] = recPicture[xCtb + blkWidth - 4, yCtb + y] \quad (1331)$$

$$recPictureOut[xCtb + blkWidth + 1, yCtb + y] = recPicture[xCtb + blkWidth - 3, yCtb + y] \quad (1332)$$

$$recPictureOut[xCtb + blkWidth, yCtb + y] = recPicture[xCtb + blkWidth - 2, yCtb + y] \quad (1333)$$

Otherwise (availableR is equal to TRUE), samples recPictureOut are derived as follows:

$$recPictureOut[xCtb + blkWidth + 2, yCtb + y] = recPicture[xCtb + blkWidth + 2, yCtb + y] \quad (1334)$$

$$recPictureOut[xCtb + blkWidth + 1, yCtb + y] = recPicture[xCtb + blkWidth + 1, yCtb + y] \quad (1335)$$

$$\text{recPictureOut}[x\text{Ctb} + \text{blkWidth}, y\text{Ctb} + y] = \text{recPicture}[x\text{Ctb} + \text{blkWidth}, y\text{Ctb} + y] \quad (1336)$$

If availableT is equal to FALSE, for  $x = -3..\text{blkWidth} + 2$  and, samples recPictureOut are derived as follows:

$$\text{recPictureOut}[x\text{Ctb} + x, y\text{Ctb} - 3] = \text{recPicture}[x\text{Ctb} + x, y\text{Ctb} + 3] \quad (1337)$$

$$\text{recPictureOut}[x\text{Ctb} + x, y\text{Ctb} - 2] = \text{recPicture}[x\text{Ctb} + x, y\text{Ctb} + 2] \quad (1338)$$

$$\text{recPictureOut}[x\text{Ctb} + x, y\text{Ctb} - 1] = \text{recPicture}[x\text{Ctb} + x, y\text{Ctb} + 1] \quad (1339)$$

Otherwise (availableT is equal to TRUE), samples recPictureOut are derived as follows:

$$\text{recPictureOut}[x\text{Ctb} + x, y\text{Ctb} - 3] = \text{recPicture}[x\text{Ctb} + x, y\text{Ctb} - 3] \quad (1340)$$

$$\text{recPictureOut}[x\text{Ctb} + x, y\text{Ctb} - 2] = \text{recPicture}[x\text{Ctb} + x, y\text{Ctb} - 2] \quad (1341)$$

$$\text{recPictureOut}[x\text{Ctb} + x, y\text{Ctb} - 1] = \text{recPicture}[x\text{Ctb} + x, y\text{Ctb} - 1] \quad (1342)$$

If availableB is equal to FALSE, for  $x = -3..\text{blkWidth} + 2$  and, samples recPictureOut are derived as follows:

$$\text{recPictureOut}[x\text{Ctb} + x, y\text{Ctb} + \text{blkHeight} + 2] = \text{recPicture}[x\text{Ctb} + x, y\text{Ctb} + \text{blkHeight} - 4] \quad (1343)$$

$$\text{recPictureOut}[x\text{Ctb} + x, y\text{Ctb} + \text{blkHeight} + 1] = \text{recPicture}[x\text{Ctb} + x, y\text{Ctb} + \text{blkHeight} - 3] \quad (1344)$$

$$\text{recPictureOut}[x\text{Ctb} + x, y\text{Ctb} + \text{blkHeight}] = \text{recPicture}[x\text{Ctb} + x, y\text{Ctb} + \text{blkHeight} - 2] \quad (1345)$$

Otherwise (availableB is equal to TRUE), samples recPictureOut are derived as follows:

$$\text{recPictureOut}[x\text{Ctb} + x, y\text{Ctb} + \text{blkHeight} + 2] = \text{recPicture}[x\text{Ctb} + x, y\text{Ctb} + \text{blkHeight} + 2] \quad (1346)$$

$$\text{recPictureOut}[x\text{Ctb} + x, y\text{Ctb} + \text{blkHeight} + 1] = \text{recPicture}[x\text{Ctb} + x, y\text{Ctb} + \text{blkHeight} + 1] \quad (1347)$$

$$\text{recPictureOut}[x\text{Ctb} + x, y\text{Ctb} + \text{blkHeight}] = \text{recPicture}[x\text{Ctb} + x, y\text{Ctb} + \text{blkHeight}] \quad (1348)$$

#### 8.8.4.6 Derivation process for chroma type ALF input samples

Inputs to this process are:

- a reconstructed chroma sample array recPictureCh prior to the adaptive loop filtering process,
- a luma location ( xCtb, yCtb ) specifying the top-left sample of the current chroma coding tree block relative to the top-left sample of the current picture, and
- variables blkWidth and blkHeight specifying the width and the height of the current coding tree block.

Output of this process is sample array recPictureChOut.

Variables availableL, availableT, availableR and availableB are set equal to TRUE.

For  $x = 0..\text{blkWidth} - 1$  and for  $y = 0..\text{blkHeight} - 1$ , variable recPictureChOut is initialized as follows:

$$\text{recPictureChOut}[x\text{Ctb} + x, y\text{Ctb} + y] = \text{recPictureCh}[x\text{Ctb} + x, y\text{Ctb} + y] \quad (1349)$$

When loop\_filter\_across\_tiles\_enabled\_flag is equal to FALSE, the derivation process for neighbouring block availability as specified in subclause 6.4.1 is invoked with the luma location

( SubWidthC \* xCtb - 1, SubWidthC \* yCtb ) as input, and the output is assigned to the variable availableL. Otherwise, when loop\_filter\_across\_tiles\_enabled\_flag is equal to TRUE, the derivation process for ALF neighbouring block availability as specified in subclause 6.4.4 is invoked with the luma location ( SubWidthC \* xCtb - 1, SubWidthC \* yCtb ) as input, and the output is assigned to the variable availableL.

When loop\_filter\_across\_tiles\_enabled\_flag is equal to FALSE, the derivation process for neighbouring block availability as specified in subclause 6.4.1 is invoked with the luma location ( SubWidthC \* xCtb, SubWidthC \* yCtb - 1 ) as input, and the output is assigned to the variable availableT. Otherwise, when loop\_filter\_across\_tiles\_enabled\_flag is equal to TRUE, the derivation process for ALF neighbouring block availability as specified in subclause 6.4.4 is invoked with the luma location ( SubWidthC \* xCtb, SubWidthC \* yCtb - 1 ) as input, and the output is assigned to the variable availableT.

When loop\_filter\_across\_tiles\_enabled\_flag is equal to FALSE, the derivation process for neighbouring block availability as specified in subclause 6.4.1 is invoked with the luma location ( SubWidthC \* ( xCtb + blkWidth ), SubWidthC \* yCtb ) as input, and the output is assigned to the variable availableR. Otherwise, when loop\_filter\_across\_tiles\_enabled\_flag is equal to TRUE, the derivation process for ALF neighbouring block availability as specified in subclause 6.4.4 is invoked with the luma location ( SubWidthC \* ( xCtb + blkWidth ), SubWidthC \* yCtb ) as input, and the output is assigned to the variable availableR.

When loop\_filter\_across\_tiles\_enabled\_flag is equal to FALSE, the derivation process for neighbouring block availability as specified in subclause 6.4.1 is invoked with the luma location ( SubWidthC \* xCtb, SubWidthC \* ( yCtb + blkHeight ) ) as input, and the output is assigned to the variable availableB. Otherwise, when loop\_filter\_across\_tiles\_enabled\_flag is equal to TRUE, the derivation process for ALF neighbouring block availability as specified in subclause 6.4.4 is invoked with the luma location ( SubWidthC \* xCtb, SubWidthC \* ( yCtb + blkHeight ) ) as input, and the output is assigned to the variable availableB.

If availableL is equal to FALSE, for  $y = 0..blkHeight - 1$ , samples recPictureChOut are derived as follows:

$$recPictureChOut[ xCtb - 3, yCtb + y ] = recPictureCh[ xCtb + 3, yCtb + y ] \quad (1350)$$

$$recPictureChOut[ xCtb - 2, yCtb + y ] = recPictureCh[ xCtb + 2, yCtb + y ] \quad (1351)$$

$$recPictureChOut[ xCtb - 1, yCtb + y ] = recPictureCh[ xCtb + 1, yCtb + y ] \quad (1352)$$

Otherwise (availableL is equal to TRUE), the following applies:

$$recPictureChOut[ xCtb - 3, yCtb + y ] = recPictureCh[ xCtb - 3, yCtb + y ] \quad (1353)$$

$$recPictureChOut[ xCtb - 2, yCtb + y ] = recPictureCh[ xCtb - 2, yCtb + y ] \quad (1354)$$

$$recPictureChOut[ xCtb - 1, yCtb + y ] = recPictureCh[ xCtb - 1, yCtb + y ] \quad (1355)$$

If availableR is equal to FALSE, for  $y = 0..blkHeight - 1$ , samples recPictureChOut are derived as follows:

$$recPictureChOut[ xCtb + blkWidth + 2, yCtb + y ] = recPictureCh[ xCtb + blkWidth - 4, yCtb + y ] \quad (1356)$$

$$recPictureChOut[ xCtb + blkWidth + 1, yCtb + y ] = recPictureCh[ xCtb + blkWidth - 3, yCtb + y ] \quad (1357)$$

$$recPictureChOut[ xCtb + blkWidth, yCtb + y ] = recPictureCh[ xCtb + blkWidth - 2, yCtb + y ] \quad (1358)$$

Otherwise (availableR is equal to TRUE), the following applies:

$$recPictureChOut[ xCtb + blkWidth + 2, yCtb + y ] = recPictureCh[ xCtb + blkWidth + 2, yCtb + y ] \quad (1359)$$

$$\text{recPictureChOut}[x\text{Ctb} + \text{blkWidth} + 1, y\text{Ctb} + y] = \text{recPictureCh}[x\text{Ctb} + \text{blkWidth} + 1, y\text{Ctb} + y] \quad (1360)$$

$$\text{recPictureChOut}[x\text{Ctb} + \text{blkWidth}, y\text{Ctb} + y] = \text{recPictureCh}[x\text{Ctb} + \text{blkWidth}, y\text{Ctb} + y] \quad (1361)$$

If availableT is equal to FALSE, and loop\_filter\_across\_tiles\_enabled\_flag is equal to FALSE, for  $x = -3..blkWidth + 2$  and, samples recPictureChOut are derived as follows:

$$\text{recPictureChOut}[x\text{Ctb} + x, y\text{Ctb} - 3] = \text{recPictureCh}[x\text{Ctb} + x, y\text{Ctb} + 3] \quad (1362)$$

$$\text{recPictureChOut}[x\text{Ctb} + x, y\text{Ctb} - 2] = \text{recPictureCh}[x\text{Ctb} + x, y\text{Ctb} + 2] \quad (1363)$$

$$\text{recPictureChOut}[x\text{Ctb} + x, y\text{Ctb} - 1] = \text{recPictureCh}[x\text{Ctb} + x, y\text{Ctb} + 1] \quad (1364)$$

Otherwise (availableT is equal to TRUE), the following applies:

$$\text{recPictureChOut}[x\text{Ctb} + x, y\text{Ctb} - 3] = \text{recPictureCh}[x\text{Ctb} + x, y\text{Ctb} - 3] \quad (1365)$$

$$\text{recPictureChOut}[x\text{Ctb} + x, y\text{Ctb} - 2] = \text{recPictureCh}[x\text{Ctb} + x, y\text{Ctb} - 2] \quad (1366)$$

$$\text{recPictureChOut}[x\text{Ctb} + x, y\text{Ctb} - 1] = \text{recPictureCh}[x\text{Ctb} + x, y\text{Ctb} - 1] \quad (1367)$$

If availableB is equal to FALSE, for  $x = -3..blkWidth + 2$  and, samples recPictureChOut are derived as follows:

$$\text{recPictureChOut}[x\text{Ctb} + x, y\text{Ctb} + \text{blkHeight} + 2] = \text{recPictureCh}[x\text{Ctb} + x, y\text{Ctb} + \text{blkHeight} - 4] \quad (1368)$$

$$\text{recPictureChOut}[x\text{Ctb} + x, y\text{Ctb} + \text{blkHeight} + 1] = \text{recPictureCh}[x\text{Ctb} + x, y\text{Ctb} + \text{blkHeight} - 3] \quad (1369)$$

$$\text{recPictureChOut}[x\text{Ctb} + x, y\text{Ctb} + \text{blkHeight}] = \text{recPictureCh}[x\text{Ctb} + x, y\text{Ctb} + \text{blkHeight} - 2] \quad (1370)$$

Otherwise (availableB is equal to TRUE), the following applies:

$$\text{recPictureChOut}[x\text{Ctb} + x, y\text{Ctb} + \text{blkHeight} + 2] = \text{recPictureCh}[x\text{Ctb} + x, y\text{Ctb} + \text{blkHeight} + 2] \quad (1371)$$

$$\text{recPictureChOut}[x\text{Ctb} + x, y\text{Ctb} + \text{blkHeight} + 1] = \text{recPictureCh}[x\text{Ctb} + x, y\text{Ctb} + \text{blkHeight} + 1] \quad (1372)$$

$$\text{recPictureChOut}[x\text{Ctb} + x, y\text{Ctb} + \text{blkHeight}] = \text{recPictureCh}[x\text{Ctb} + x, y\text{Ctb} + \text{blkHeight}] \quad (1373)$$

## 8.9 DRA process

### 8.9.1 General

When pic\_dra\_enabled\_flag is equal to 1, the DRA mapping process as specified in subclause 8.9.2 is applied prior to the cropping and output of the decoded picture as specified in subclause C.5.2.

NOTE PPS syntax elements referred in this subclause are referring to PPS referred to by the picture that is being mapped by the DRA process.

### 8.9.2 Derivation of samples of output decoded picture by DRA process

Inputs to this process are:

- decoded picture luma samples array decPictureL,

- decoded picture chroma sample arrays `decPictureCb` and `decPictureCr`, when `ChromaTypeArray` is not equal to 0, and
- identifier of the referred APS of the DRA\_APS type `pic_dra_aps_id`.

Outputs to this process are:

- mapped picture luma samples array `draPictureL`, and
- mapped picture chroma sample arrays `draPictureCb` and `draPictureCr`, when `ChromaTypeArray` is not equal to 0.

The sample values in the mapped picture sample arrays `draPictureL`, and, when `ChromaArrayType` is not equal to 0, `draPictureCb` and `draPictureCr` are initially set equal to the sample values in the decoded picture sample arrays `decPictureL`, `decPictureCb` and `decPictureCr`, respectively.

When `pic_dra_enabled_flag` is equal to 1, the following applies:

- When `ChromaArrayType` is not equal to 0, for each Cb sample in the picture with location  $(x, y)$  with  $x$  in the range of 0 to `PicWidthInSamplesC - 1`, inclusive, and  $y$  in the range of 0 to `PicHeightInSamplesC - 1`, inclusive, the DRA process for chroma samples as specified in subclause 8.9.4 is invoked with `decPictureL[x * SubWidthC, y * SubHeightC]`, `decPictureCb[x, y]`, chroma index 0 and `pic_dra_aps_id` specifying the APS id of the utilized DRA function as inputs, and the output is `draPictureCb[x, y]`.
- When `ChromaArrayType` is not equal to 0, for each Cr sample in the picture with location  $(x, y)$  with  $x$  in the range of 0 to `PicWidthInSamplesC - 1`, inclusive, and  $y$  in the range of 0 to `PicHeightInSamplesC - 1`, inclusive, the DRA process for chroma samples as specified in subclause 8.9.4 is invoked with `decPictureL[x * SubWidthC, y * SubHeightC]`, `decPictureCr[x, y]`, chroma index 1 and `pic_dra_aps_id` specifying the APS id of the utilized DRA function as inputs, and the output is `draPictureCr[x, y]`.
- For each luma sample in the picture with location  $(x, y)$  with  $x$  in the range of 0 to `pic_width_in_luma_samples - 1`, inclusive, and  $y$  in the range of 0 to `pic_height_in_luma_samples - 1`, inclusive, the DRA process for luma samples as specified in subclause 8.9.3 is invoked with `decPictureL[x, y]` and `pic_dra_aps_id` specifying the APS id of the utilized DRA function as inputs, and the output is `draPictureL[x, y]`.

### 8.9.3 Inverse mapping process for a luma sample

Inputs to this process are:

- a luma sample `lumaSample`, and
- identifier of the referred APS of the DRA\_APS type `apsId`.

Output of this process is a modified luma sample `invLumaSample`.

The value of `invLumaSample` is derived as follows:

- The following ordered steps apply:
  - 1) The variable `rangeldx` is derived by invoking subclause 8.9.5 for a luma sample `lumaSample`, `outputRangesL` array and `numOutRangesL` as the inputs and `rangeldx` as the output.

2) The variable mappedSample is derived as follows:

$$\text{incrValue} = \text{InvLumaScales}[\text{apsId}][\text{rangeIdx}] * \text{lumaSample} \quad (1374)$$

$$\text{mappedSample} = (\text{DraOffsets}[\text{apsId}][\text{rangeIdx}] + \text{incrValue} + (1 \ll 8)) \gg 9 \quad (1375)$$

3) The inverse mapped luma sample invLumaSample is derived as follows:

$$\text{invLumaSample} = \text{Clip1}_Y(\text{mappedSample}) \quad (1376)$$

#### 8.9.4 Inverse mapping process for a chroma sample

Inputs to this process are:

- luma sample lumaSample,
- chroma sample chromaSample,
- identifier of the referred APS of the DRA\_APS type apsId, and
- chroma index cIdx.

Output of this process is a modified chroma sample invChromaSample.

The value of invChromaSample is derived as follows:

— The following ordered steps apply:

1) The variable chromaScale is derived by invoking process as specified in subclause 8.9.6 with lumaSample, chromaSample, identifier of DRA APS apsId, and chroma index cIdx as the input and chromaScale as the output.

2) The variable invSample is derived as follows:

$$\text{signedValue} = \text{chromaSample} - 2^{\text{BitDepth}_c - 1} \quad (1377)$$

$$\text{unsignedValue} = (\text{signedValue} < 0) ? (-1) * \text{signedValue} * \text{chromaScale} : \text{signedValue} * \text{chromaScale} \quad (1378)$$

$$\text{scaledSample} = (\text{unsignedValue} + (1 \ll 8)) \gg 9 \quad (1379)$$

$$\text{scaledSample} = (\text{signedValue} < 0) ? (-1) * \text{scaledSample} : \text{scaledSample} \quad (1380)$$

$$\text{scaledSample} = \text{scaledSample} + 2^{\text{BitDepth}_c - 1} \quad (1381)$$

3) The inverse mapped chroma sample invChromaSample is derived as follows:

$$\text{invChromaSample} = \text{Clip1}_C(\text{scaledSample}) \quad (1382)$$

#### 8.9.5 Identification of the range index of piecewise function

Inputs to this process are:

- input sample inputSample,

- array of range boundaries rangesArray, and
- size of the rangesArray numRanges.

Output of this process is an index rangeIdx identifying the range to which the input sample inputSample belongs.

The variable rangeIdx is derived as follows:

```

rangeFound = 0
for( rangeIdx = 0; rangeIdx < numRanges; rangeIdx++ )
    if( inputSample < rangesArray[ rangeIdx + 1 ] )
    {
        rangeFound = 1
        break
    }
rangeIdx = ( rangeFound == 1 ) ? rangeIdx : numRanges - 1
rangeIdx = Min( rangeIdx, numRanges - 1 )
    
```

(1383)

### 8.9.6 DRA chroma scale value derivaton process

Inputs to this process are:

- a luma sample lumaSample,
- identifier of DRA APS apsId, and
- chroma index cIdx.

Output of this process is a reconstructed chroma scale value chromaScale.

The variable chromaScale is derived by the following ordered steps:

- 1) The variable rangeIdx is derived by invoking the process as specified in subclause 8.9.5 with the variable lumaSample, OutRangesC and dra\_number\_ranges\_minus1 + 2 as the input and rangeIdx as the output.
- 2) The variable chromaScale is derived as follows:

$$\text{incValue} = \text{lumaSample} - \text{OutRangesC}[\text{cIdx}][\text{rangeIdx}] \quad (1384)$$

$$\text{chromaScale} = \text{OutOffsetsC}[\text{apsId}][\text{cIdx}][\text{rangeIdx}] + (\text{OutScalesC}[\text{apsId}][\text{cIdx}][\text{rangeIdx}] * \text{incValue} + (1 \ll 9)) \gg 10 \quad (1385)$$

### 8.9.7 Derivation of output chroma DRA parameters

Inputs to this process are:

- array of luma scales, lumaScales[ ],
- array of output luma ranges OutRangesL[ ], and
- chroma component index cIdx.

Outputs of this process are:

- array of output chroma scales,  $\text{OutScalesC}[\ ][\ ]$ ,
- array of output chroma offset,  $\text{OutOffsetsC}[\ ][\ ]$ , and
- array of output chroma ranges  $\text{OutRangesC}[\ ][\ ]$ .

The variables defining the number of ranges for  $\text{numRangesL}$  and for  $\text{numRangesC}$  are set equal to  $\text{dra\_number\_ranges\_minus1} + 1$  and  $\text{dra\_number\_ranges\_minus1} + 2$ , respectively.

For every  $i$  being in range from 0 to  $\text{numRangesL} - 1$ , inclusive, variable  $\text{chromaScales}[\text{cIdx}][i]$  is derived by invoking subclause 8.9.8 with  $\text{lumaScales}[i]$  and  $\text{cIdx}$  as inputs.

For every  $i$  being in range from 0 to  $\text{numRangesL} - 1$ , inclusive, variable  $\text{invChromaScales}[\text{cIdx}][i]$  is derived as follows:

$$\text{invChromaScales}[\text{cIdx}][i] = ( ( 1 \ll 18 ) + ( \text{chromaScales}[\text{cIdx}][i] \gg 1 ) ) / \text{chromaScales}[\text{cIdx}][i] \quad (1386)$$

Variables  $\text{OutScalesC}[\text{cIdx}][0]$ ,  $\text{OutOffsetsC}[\text{cIdx}][0]$  and  $\text{OutRangesC}[0]$  are set equal to 0,  $\text{invChromaScales}[\text{cIdx}][0]$  and  $\text{OutRangesL}[0]$ , respectively.

For every range index  $i$  being in range from 1 to  $\text{numRangesC} - 1$  inclusive, variable  $\text{OutRangesC}[i]$  is derived as follows:

$$\text{OutRangesC}[i] = ( \text{OutRangesL}[i] + \text{OutRangesL}[i - 1] ) \gg 1 \quad (1387)$$

For every range index  $i$  being in range from 1 to  $\text{dra\_number\_ranges\_minus1}$  inclusive, variable  $\text{OutScalesC}[\text{cIdx}][i]$  is derived as follows:

$$\text{deltaRange} = \text{OutRangesC}[i + 1] - \text{OutRangesC}[i] \quad (1388)$$

$$\text{OutOffsetsC}[\text{cIdx}][i] = \text{invChromaScales}[\text{cIdx}][i - 1] \quad (1389)$$

$$\text{deltaScale} = \text{invChromaScales}[\text{cIdx}][i] - \text{invChromaScales}[\text{cIdx}][i - 1] \quad (1390)$$

$$\text{OutScalesC}[\text{cIdx}][i] = ( ( \text{deltaScale} \ll 10 ) + ( \text{deltaRange} \gg 1 ) ) / \text{deltaRange} \quad (1391)$$

The variables  $\text{OutOffsetsC}[\text{cIdx}][\text{numRangesL}]$  and  $\text{OutScalesC}[\text{cIdx}][\text{numRangesL}]$  are derived as follows:

$$\text{OutOffsetsC}[\text{cIdx}][\text{numRangesL}] = \text{invChromaScales}[\text{cIdx}][\text{numRangesL} - 1] \quad (1392)$$

$$\text{OutScalesC}[\text{cIdx}][\text{numRangesL}] = 0 \quad (1393)$$

### 8.9.8 Derivation of adjusted chroma DRA scales

Inputs to this process are:

- variable denoting luma scales,  $\text{lumaScale}$ , and
- chroma component index  $\text{cIdx}$ .

Output of this process is variable denoting chroma scale  $\text{chromaScale}$ .

When DraJoinedScaleFlag is equal to 0, output value chromaScale is derived as follows:

$$\text{chromaScale} = (\text{cIdx} == 0) ? \text{dra\_cb\_scale\_value} : \text{dra\_cr\_scale\_value} \quad (1394)$$

Otherwise, output value chromaScale is derived as follows:

— Variables scaleDra and scaleDraNorm are derived as follows:

$$\text{scaleDra} = \text{lumaScale} * ((\text{cIdx} == 0) ? \text{dra\_cb\_scale\_value} : \text{dra\_cr\_scale\_value}) \quad (1395)$$

$$\text{scaleDraNorm} = (\text{scaleDra} + (1 \ll 8)) \gg 9 \quad (1396)$$

— The variable IndexScaleQP is derived by invoking subclause 8.9.5 for input value inValue set equal to scaleDraNorm, ScaleQP array and the size of the ScaleQP array, set equal to 54 as input.

— The variable qpDraInt is derived as follows:

$$\text{qpDraInt} = 2 * \text{IndexScaleQP} - 60 \quad (1397)$$

— The variables qpDraInt, qpDraInt and qpDraFrac are derived as follows:

$$\text{tableNum} = \text{scaleDraNorm} - \text{ScaleQP}[\text{IndexScaleQP}] \quad (1398)$$

$$\text{tableDelta} = \text{ScaleQP}[\text{IndexScaleQP} + 1] - \text{ScaleQP}[\text{IndexScaleQP}] \quad (1399)$$

— If tableNum is equal to 0, the variable qpDraFrac is set equal to 0, and the variable qpDraInt is decreased by 1, otherwise the variables qpDraInt, qpDraFrac and draChromaQpShift are derived as follows:

$$\text{qpDraFrac} = (\text{tableNum} \ll 10) / \text{tableDelta} \quad (1400)$$

$$\text{qpDraInt} += (\text{qpDraFrac} \gg 9) \quad (1401)$$

$$\text{qpDraFrac} = (1 \ll 9) - \text{qpDraFrac} \% (1 \ll 9) \quad (1402)$$

$$\text{idx0} = \text{Clip3}(-\text{QpBdOffsetc}, 57, \text{dra\_table\_idx} - \text{qpDraInt}) \quad (1403)$$

$$\text{idx1} = \text{Clip3}(-\text{QpBdOffsetc}, 57, \text{dra\_table\_idx} - \text{qpDraInt} + 1) \quad (1404)$$

$$\text{qp0} = \text{ChromaQpTable}[\text{cIdx}][\text{idx0}] \quad (1405)$$

$$\text{qp1} = \text{ChromaQpTable}[\text{cIdx}][\text{idx1}] \quad (1406)$$

$$\text{qpDraIntAdj} = ((\text{qp1} - \text{qp0}) * \text{qpDraFrac}) \gg 9 \quad (1407)$$

$$\text{qpDraFracAdj} = \text{qpDraFrac} - (((\text{qp1} - \text{qp0}) * \text{qpDraFrac}) \% (1 \ll 9)) \quad (1408)$$

$$\text{draChromaQpShift} = \text{ChromaQpTable}[\text{cIdx}][\text{dra\_table\_idx}] - \text{qp0} - \text{qpDraIntAdj} - \text{qpDraInt} \quad (1409)$$

— When qpDraFracAdj is smaller than 0, the variables draChromaQpShift and qpDraFracAdj are derived as follows:

$$\text{draChromaQpShift} = \text{draChromaQpShift} - 1 \quad (1410)$$

$$\text{qpDraFracAdj} = (1 \ll 9) + \text{qpDraFracAdj} \quad (1411)$$

— The variable `draChromaScaleShift` is derived as follows:

$$\text{idx0} = \text{Clip3}(0, 24, \text{draChromaQpShift} + 12) \quad (1412)$$

$$\text{idx1} = \text{Clip3}(0, 24, \text{draChromaQpShift} + 12 - 1) \quad (1413)$$

$$\text{idx2} = \text{Clip3}(0, 24, \text{draChromaQpShift} + 12 + 1) \quad (1414)$$

$$\text{draChromaScaleShift} = \text{QpScale}[\text{idx0}] \quad (1415)$$

— If `draChromaQpShift` is less than 0, variable `draChromaScaleShiftFrac` is derived as follows:

$$\text{draChromaScaleShiftFrac} = \text{QpScale}[\text{idx0}] - \text{QpScale}[\text{idx1}] \quad (1416)$$

— Otherwise, variable `draChromaScaleShiftFrac` is derived as follows:

$$\text{draChromaScaleShiftFrac} = \text{QpScale}[\text{idx2}] - \text{QpScale}[\text{idx0}] \quad (1417)$$

— The variable `draChromaScaleShift` is modified as follows:

$$\begin{aligned} &\text{draChromaScaleShift} = \\ &\text{draChromaScaleShift} + ( \text{draChromaScaleShiftFrac} * \text{qpDraFracAdj} + ( 1 \ll 8 ) ) \gg 9 \end{aligned} \quad (1418)$$

— Output variable `chromaScale` is derived as follows:

$$\text{chromaScale} = ( ( \text{scaleDra} * \text{draChromaScaleShift} ) + ( 1 \ll 17 ) ) \gg 18 \quad (1419)$$

— The entries of `ScaleQP` and `QpScale` tables are initialized as follows:

$$\begin{aligned} &\text{ScaleQP} = \quad (1420) \\ &\{ 0, 1, 1, 1, 1, 1, 2, 2, 3, 4, 4, 6, 7, 9, \\ &11, 14, 18, 23, 29, 36, 45, 57, 72, 91, 114, 144, 181, 228, \\ &287, 362, 456, 575, 724, 912, 1149, 1448, 1825, 2299, 2896, 3649, 4598, 5793, \\ &7298, 9195, 11585, 14596, 18390, 23170, 29193, 36781, 46341, 58386, 73562, 92682, 116772 \} \end{aligned}$$

$$\begin{aligned} &\text{QpScale} = \quad (1421) \\ &\{ 128, 144, 161, 181, 203, 228, 256, 287, 322, 362, 406, 456, 512, 574, 645, 724, 812, \\ &912, 1024, 1140, 1290, 1448, 1625, 1825, 2048 \} \end{aligned}$$

## 9 Parsing process

### 9.1 General

Inputs to this process are bits from the RBSP.

Outputs of this process are syntax element values.

This process is invoked when the descriptor of a syntax element in the syntax tables is equal to `ue(v)`, `se(v)`, `uek(v)` (see subclause 9.2), or `ae(v)` (see subclause 9.3).

## 9.2 Parsing process for k-th order Exp-Golomb codes

### 9.2.1 General

This process is invoked when the descriptor of a syntax element in the syntax tables is equal to ue(v), uek(v), or se(v).

Inputs to this process are bits from the RBSP.

Outputs of this process are syntax element values.

Syntax elements coded as ue(v) or se(v) are Exp-Golomb-coded with order k equal to 0 and syntax elements coded as uek(v) are Exp-Golomb-coded with order k. The parsing process for these syntax elements begins with reading the bits starting at the current location in the bitstream up to and including the first non-zero bit, and counting the number of leading bits that are equal to 0. This process is specified as follows:

```

leadingZeroBits = -1
for( b = 0; !b; leadingZeroBits++ )
    b = read_bits( 1 )
    
```

(1422)

The variable codeNum is then assigned as follows:

$$\text{codeNum} = ( 2^{\text{leadingZeroBits} - 1} ) * 2^k + \text{read\_bits}( \text{leadingZeroBits} + k )$$

(1423)

where the value returned from read\_bits( leadingZeroBits ) is interpreted as a binary representation of an unsigned integer with the most significant bit written first.

Table 36 illustrates the structure of the Exp-Golomb code by separating the bit string into "prefix" and "suffix" bits. The "prefix" bits are those bits that are parsed as specified above for the computation of leadingZeroBits, and are shown as either 0 or 1 in the bit string column of Table 36. The "suffix" bits are those bits that are parsed in the computation of codeNum and are shown as x<sub>i</sub> in Table 36, with i in the range of 0 to leadingZeroBits - 1, inclusive. Each x<sub>i</sub> is equal to either 0 or 1.

**Table 36 — Bit strings with "prefix" and "suffix" bits and assignment to codeNum ranges**

Bit string form	Range of codeNum
1	0
0 1 x <sub>0</sub>	1..2
0 0 1 x <sub>1</sub> x <sub>0</sub>	3..6
0 0 0 1 x <sub>2</sub> x <sub>1</sub> x <sub>0</sub>	7..14
0 0 0 0 1 x <sub>3</sub> x <sub>2</sub> x <sub>1</sub> x <sub>0</sub>	15..30
0 0 0 0 0 1 x <sub>4</sub> x <sub>3</sub> x <sub>2</sub> x <sub>1</sub> x <sub>0</sub>	31..62
...	...

Table 37 illustrates explicitly the assignment of bit strings to codeNum values.

**Table 37 — Exp-Golomb bit strings and codeNum in explicit form and used as ue(v)**

Bit string	codeNum
1	0
0 1 0	1
0 1 1	2
0 0 1 0 0	3
0 0 1 0 1	4
0 0 1 1 0	5
0 0 1 1 1	6
0 0 0 1 0 0 0	7
0 0 0 1 0 0 1	8
0 0 0 1 0 1 0	9
...	...

Depending on the descriptor, the value of a syntax element is derived as follows:

- If the syntax element is coded as ue(v), the value of the syntax element is equal to codeNum.
- Otherwise (the syntax element is coded as se(v)), the value of the syntax element is derived by invoking the mapping process for signed Exp-Golomb codes as specified in subclause 9.2.2 with codeNum as input.

### 9.2.2 Mapping process for signed Exp-Golomb codes

Input to this process is codeNum as specified in subclause 9.2.1.

Output of this process is a value of a syntax element coded as se(v).

The syntax element is assigned to the codeNum by ordering the syntax element by its absolute value in increasing order and representing the positive value for a given absolute value with the lower codeNum. Table 38 provides the assignment rule.

**Table 38 — Assignment of syntax element to codeNum for signed Exp-Golomb coded syntax elements  $se(v)$**

codeNum	syntax element value
0	0
1	1
2	-1
3	2
4	-2
5	3
6	-3
k	$(-1)^{k+1} \text{Ceil}(k \div 2)$

### 9.3 CABAC parsing process for slice data

#### 9.3.1 General

This process is invoked when parsing syntax elements with descriptor  $ae(v)$  in subclauses 7.3.8.1 through 7.3.8.8.

Inputs to this process are:

- a request for a value of a syntax element, and
- the values of prior parsed syntax elements.

Output of this process is the value of the syntax element.

The initialization process as specified in subclause 9.3.2 is invoked when starting the parsing of one or more of the following:

- 1) The slice data syntax specified in subclause 7.3.8.1,
- 2) The CTU syntax specified in subclause 7.3.8.2 and the CTU is the first CTU in a tile.

The parsing of syntax elements proceeds as follows:

For each requested value of a syntax element, a binarization is derived as specified in subclause 9.3.3.

The binarization for the syntax element and the sequence of parsed bins determines the decoding process flow as described in subclause 9.3.4.

#### 9.3.2 Initialization process

##### 9.3.2.1 General

Outputs of this process are initialized CABAC internal variables.

The context variables of the arithmetic decoding engine are initialized as follows:

- The initialization process for context variables is invoked as specified in subclause 9.3.2.2.
- The initialization process for the arithmetic decoding engine is invoked as specified in subclause 9.3.2.3.

### 9.3.2.2 Initialization process for context variables

Outputs of this process are the initialized CABAC context variables indexed by `ctxTable` and `ctxIdx`.

If `sps_cm_init_flag` is equal to 0, the following applies:

- The `initValue` is set equal to 256.
- For each context variable, the two variables `valState` and `valMps` are initialized as follows:

$$\begin{aligned} \text{valState} &= \text{initValue} \\ \text{valMps} &= 0 \end{aligned} \quad (1424)$$

Otherwise (`sps_cm_init_flag` is equal to 1), the following applies:

- Table 40 to Table 90 contain the values of the 10-bit variable `initValue` used in the initialization of context variables that are assigned to all syntax elements in subclauses 7.3.8.1 through 7.3.8.8, except `end_of_tile_one` bit.
- For each context variable, from the 10-bit table entry `initValue`, the two 16-bit signed variables `valSlope` and `valOffset` are derived as follows:

$$\begin{aligned} \text{valSlope} &= (\text{initValue} \& 14) \ll 4 \\ \text{valSlope} &= (\text{initValue} \& 1) ? -\text{valSlope} : \text{valSlope} \\ \text{valOffset} &= ((\text{initValue} \gg 4) \& 62) \ll 7 \\ \text{valOffset} &= ((\text{initValue} \gg 4) \& 1) ? -\text{valOffset} : \text{valOffset} \\ \text{valOffset} &+= 4096 \end{aligned} \quad (1425)$$

- The two values assigned to `valState` and `valMps` for initialization are derived from `slice_qp`. Given the variable `valSlope` and `valOffset`, the initialization is specified as follows:

$$\begin{aligned} \text{preValState} &= \text{Clip3}(1, 511, (\text{valSlope} * \text{slice\_qp} + \text{valOffset}) \gg 4) \\ \text{valMps} &= \text{preValState} > 256 ? 0 : 1 \\ \text{valState} &= \text{valMps} ? \text{preValState} : (512 - \text{preValState}) \end{aligned} \quad (1426)$$

- In Table 39, the `ctxIdx` for which initialization is needed for each of the two initialization types, specified by the variable `initType`, are listed. Also listed is the table number that includes the values of `initValue` needed for the initialization. If `slice_type` is P or B, the value of `initType` is set equal to 1. Otherwise, the value of `initType` is set equal to 0.

**Table 39 — Association of ctxIdx and syntax elements for each initializationType in the initialization process**

Syntax structure	Syntax element	sps_cm_init_flag = 0			sps_cm_init_flag = 1		
		ctxTable	initType		ctxTable	initType	
			0	1		0	1
coding_tree_unit()	alf_ctb_flag[ ][ ]	na	0	1	Table 40	0	1
	alf_ctb_chroma_flag[ ][ ]	na	0	1	Table 40	0	1
	alf_ctb_chroma2_flag[ ][ ]	na	0	1	Table 40	0	1
split_unit()	split_cu_flag[ ][ ]	na	0	1	Table 41	0	1
	btt_split_flag[ ][ ]	na	0	1	Table 42	0..14	15..29
	btt_split_dir[ ][ ]	na	0	1	Table 43	0..4	5..9
	btt_split_type[ ][ ]	na	0	1	Table 44	0	1
	split_unit_coding_order_flag[ ][ ]	na	0	1	Table 45	0..11	12..23
	pred_mode_constraint_type_flag[ ][ ]	na	0	1	Table 46	0	1
coding_unit()	cu_skip_flag[ ][ ]	na	0	1	Table 47	0..1	2..3
	mvp_idx_10[ ][ ] mvp_idx_11[ ][ ]	na	0..2	3..5	Table 48	0..2	3..5
	merge_idx[ ][ ]	na	0..4	5..9	Table 49	0..4	5..9
	mmvd_flag[ ][ ]	na	0	1	Table 50	0	1
	mmvd_group_idx[ ][ ]	na	0..1	2..3	Table 51	0..1	2..3
	mmvd_merge_idx[ ][ ]	na	0..2	3..5	Table 52	0..2	3..5
	mmvd_distance_idx[ ][ ]	na	0..6	7..13	Table 53	0..6	7..13
	mmvd_direction_idx[ ][ ]	na	0..1	2..3	Table 54	0..1	2..3
	affine_flag[ ][ ]	na	0	1	Table 55	0..1	2..3
	affine_merge_idx[ ][ ]	na	0..4	5..9	Table 56	0..4	5..9
	affine_mode_flag[ ][ ]	na	0	1	Table 57	0	1
	affine_mvp_flag_10[ ][ ] affine_mvp_flag_11[ ][ ]	na	0	1	Table 58	0	1
	affine_mvd_flag_10[ ][ ]	na	0	1	Table 59	0	1
	affine_mvd_flag_11[ ][ ]	na	0	1	Table 60	0	1
	pred_mode_flag[ ][ ]	na	0	1	Table 61	0..2	3..5
	intra_pred_mode[ ][ ]	na	0..1	2..3	Table 62	0..1	2..3
	intra_luma_pred_mpm_flag[ ][ ]	na	0	1	Table 63	0	1
	intra_luma_pred_mpm_idx[ ][ ]	na	0	1	Table 64	0	1
	intra_chroma_pred_mode[ ][ ]	na	0	1	Table 65	0	1
	ibc_flag[ ][ ]	na	0	1	Table 66	0..1	2..3
	amvr_idx[ ][ ]	na	0..3	4..7	Table 67	0..3	4..7
	direct_mode_flag[ ][ ]	na	0	1	Table 68	0	1
	inter_pred_idc[ ][ ]	na	0..1	2..3	Table 69	0..1	2..3
	merge_mode_flag[ ][ ]	na	0	1	Table 70	0	1
	bi_pred_idx[ ][ ]	na	0..1	2..3	Table 71	0..1	2..3
	ref_idx_10[ ][ ] ref_idx_11[ ][ ]	na	0..1	2..3	Table 72	0..1	2..3
	abs_mvd_10[ ][ ][ ] abs_mvd_11[ ][ ][ ]	na	0	1	Table 73	0	1

Syntax structure	Syntax element	sps_cm_init_flag = = 0			sps_cm_init_flag = = 1		
		ctxTable	initType		ctxTable	initType	
			0	1		0	1
	cbf_all[ ][ ]	na	0	1	Table 74	0	1
transform_unit()	cbf_luma	na	0	1	Table 75	0	1
	cbf_cb	na	0	1	Table 76	0	1
	cbf_cr	na	0	1	Table 77	0	1
	cu_qp_delta_abs	na	0	1	Table 78	0	1
	ats_hor_mode[ ][ ] ats_ver_mode[ ][ ]	na	0	1	Table 79	0	1
	ats_cu_inter_flag[ ][ ]	na	0	1	Table 80	0..1	2..3
	ats_cu_inter_quad_flag[ ][ ]	na	0	1	Table 81	0	1
	ats_cu_inter_horizontal_flag[ ][ ]	na	0	1	Table 82	0..2	3..5
	ats_cu_inter_pos_flag[ ][ ]	na	0	1	Table 83	0	1
residual_coding_rle()	coeff_zero_run	na	0..3	4..7	Table 84	0..23	24..47
	coeff_abs_level_minus1	na	0..3	4..7	Table 85	0..23	24..47
	coeff_last_flag	na	0..1	2..3	Table 86	0..1	2..3
residual_coding_adv()	last_sig_coeff_x_prefix	na	0	1	Table 87	0..20	21..41
	last_sig_coeff_y_prefix	na	0	1	Table 88	0..20	21..41
	sig_coeff_flag	na	0	1	Table 89	0..46	47..93
	coeff_abs_level_greaterA_flag coeff_abs_level_greaterB_flag	na	0	1	Table 90	0..17	18..35

Table 40 — Values of initValue for ctxIdx of alf\_ctb\_flag, alf\_ctb\_chroma\_flag and alf\_ctb\_chroma2\_flag

Initialization variable	ctxIdx of alf_ctb_flag	
	0	1
initValue	0	0

Table 41 — Values of initValue for ctxIdx of split\_cu\_flag

Initialization variable	ctxIdx of split_cu_flag	
	0	1
initValue	0	0

**Table 42 — Values of initValue for ctxIdx of btt\_split\_flag**

Initialization variable	ctxIdx of btt_split_flag							
	0	1	2	3	4	5	6	7
initValue	145	560	528	308	594	560	180	500
	8	9	10	11	12	13	14	15
initValue	626	84	406	662	320	36	340	536
	16	17	18	19	20	21	22	23
initValue	726	594	66	338	528	258	404	464
	24	25	26	27	28	29		
initValue	98	342	370	384	256	65		

**Table 43 — Values of initValue for ctxIdx of btt\_split\_dir**

Initialization variable	ctxIdx of btt_split_dir				
	0	1	2	3	4
initValue	0	417	389	99	0
	5	6	7	8	9
initValue	0	128	81	49	0

**Table 44 — Values of initValue for ctxIdx of btt\_split\_type**

Initialization variable	ctxIdx of btt_split_type	
	0	1
initValue	257	225

**Table 45 — Values of initValue for ctxIdx of split\_unit\_coding\_order\_flag**

Initialization variable	ctxIdx of split_unit_coding_order_flag							
	0	1	2	3	4	5	6	7
initValue	0	0	0	0	0	0	545	0
	8	9	10	11	12	13	14	15
initValue	481	515	0	32	0	0	0	0
	16	17	18	19	20	21	22	23
initValue	0	0	0	0	557	0	481	2
	24	25	26	27				
initValue	0	97	0	0				

Table 46 — Values of initValue for ctxIdx of pred\_mode\_constraint\_type\_flag

Initialization variable	ctxIdx of pred_mode_constraint_type_flag	
	0	1
initValue	0	481

Table 47 — Values of initValue for ctxIdx of cu\_skip\_flag

Initialization variable	ctxIdx of cu_skip_flag			
	0	1	2	3
initValue	0	0	711	233

Table 48 — Values of initValue for ctxIdx of mvp\_idx\_l0 and mvp\_idx\_l1

Initialization variable	ctxIdx of mvp_idx_l0 and mvp_idx_l1					
	0	1	2	3	4	5
initValue	0	0	0	0	0	0

Table 49 — Values of initValue for ctxIdx of merge\_idx

Initialization variable	ctxIdx of merge_idx				
	0	1	2	3	4
initValue	0	0	0	496	496
	5	6	7	8	9
initValue	18	128	146	37	69

Table 50 — Values of initValue for ctxIdx of mmvd\_flag

Initialization variable	ctxIdx of mmvd_flag	
	0	1
initValue	0	194

Table 51 — Values of initValue for ctxIdx of mmvd\_group\_idx

Initialization variable	ctxIdx of mmvd_group_idx			
	0	1	2	3
initValue	0	0	453	48

**Table 52 — Values of initValue for ctxIdx of mmvd\_merge\_idx**

Initialization variable	ctxIdx of mmvd_merge_idx					
	0	1	2	3	4	5
initValue	0	0	0	49	129	82

**Table 53 — Values of initValue for ctxIdx of mmvd\_distance\_idx**

Initialization variable	ctxIdx of mmvd_distance_idx							
	0	1	2	3	4	5	6	7
initValue	0	0	0	0	0	0	0	0
	7	8	9	10	11	12	13	
initValue	179	5	133	131	227	64	128	

**Table 54 — Values of initValue for ctxIdx of mmvd\_direction\_idx**

Initialization variable	ctxIdx of mmvd_direction_idx			
	0	1	2	3
initValue	0	0	161	33

**Table 55 — Values of initValue for ctxIdx of affine\_flag**

Initialization variable	ctxIdx of affine_flag			
	0	1	2	3
initValue	0	0	320	210

**Table 56 — Values of initValue for ctxIdx of affine\_merge\_idx**

Initialization variable	ctxIdx of affine_merge_idx				
	0	1	2	3	4
initValue	0	0	0	0	0
	5	6	7	8	9
initValue	193	129	32	323	0

Table 57 — Values of initValue for ctxIdx of affine\_mode\_flag

Initialization variable	ctxIdx of affine_mode_flag	
	0	1
initValue	0	225

Table 58 — Values of initValue for ctxIdx of affine\_mvp\_flag\_l0 and affine\_mvp\_flag\_l1

Initialization variable	ctxIdx of affine_mvp_flag_l0 and affine_mvd_flag_l1	
	0	1
initValue	0	161

Table 59 — Values of initValue for ctxIdx of affine\_mvd\_flag\_l0

Initialization variable	ctxIdx of affine_mvd_flag_l0	
	0	1
initValue	0	547

Table 60 — Values of initValue for ctxIdx of affine\_mvd\_flag\_l1

Initialization variable	ctxIdx of affine_mvd_flag_l1	
	0	1
initValue	0	645

Table 61 — Values of initValue for ctxIdx of pred\_mode\_flag

Initialization variable	ctxIdx of pred_mode_flag					
	0	1	2	3	4	5
initValue	64	0	0	481	16	368

Table 62 — Values of initValue for ctxIdx of intra\_pred\_mode

Initialization variable	ctxIdx of intra_pred_mode			
	0	1	2	3
initValue	0	0	0	0

**Table 63 — Values of initValue for ctxIdx of intra\_luma\_pred\_mpm\_flag**

Initialization variable	ctxIdx of intra_luma_pred_mpm_flag	
	0	1
initValue	263	225

**Table 64 — Values of initValue for ctxIdx of intra\_luma\_pred\_mpm\_idx**

Initialization variable	ctxIdx of intra_luma_pred_mpm_idx	
	0	1
initValue	436	724

**Table 65 — Values of initValue for ctxIdx of intra\_chroma\_pred\_mode**

Initialization variable	ctxIdx of intra_chroma_pred_mode	
	0	1
initValue	465	560

**Table 66 — Values of initValue for ctxIdx of ibc\_flag**

Initialization variable	ctxIdx of ibc_flag			
	0	1	2	3
initValue	0	0	711	233

**Table 67 — Values of initValue for ctxIdx of amvr\_idx**

Initialization variable	ctxIdx of amvr_idx			
	0	1	2	3
initValue	0	0	0	496
	4	5	6	7
initValue	773	101	421	199

**Table 68 — Values of initValue for ctxIdx of direct\_mode\_flag**

Initialization variable	ctxIdx of direct_mode_flag	
	0	1
initValue	0	0

Table 69 — Values of initValue for ctxIdx of inter\_pred\_idc

Initialization variable	ctxIdx of inter_pred_idc			
	0	1	2	3
initValue	0	0	242	80

Table 70 — Values of initValue for ctxIdx of merge\_mode\_flag

Initialization variable	ctxIdx of merge_mode_flag	
	0	1
initValue	0	464

Table 71 — Values of initValue for ctxIdx of bi\_pred\_idx

Initialization variable	ctxIdx of bi_pred_idx			
	0	1	2	3
initValue	0	0	49	17

Table 72 — Values of initValue for ctxIdx of ref\_idx\_l0 and ref\_idx\_l1

Initialization variable	ctxIdx of ref_idx_l0 and ref_idx_l1			
	0	1	2	3
initValue	0	0	288	0

Table 73 — Values of initValue for ctxIdx of abs\_mvd\_l0 and abs\_mvd\_l1

Initialization variable	ctxIdx of abs_mvd_l0 and abs_mvd_l1	
	0	1
initValue	0	18

Table 74 — Values of initValue for ctxIdx of cbf\_all

Initialization variable	ctxIdx of cbf_all	
	0	1
initValue	0	794

**Table 75 — Values of initValue for ctxIdx of cbf\_luma**

Initialization variable	ctxIdx of cbf_luma	
	0	1
initValue	664	368

**Table 76 — Values of initValue for ctxIdx of cbf\_cb**

Initialization variable	ctxIdx of cbf_cb	
	0	1
initValue	384	416

**Table 77 — Values of initValue for ctxIdx of cbf\_cr**

Initialization variable	ctxIdx of cbf_cr	
	0	1
initValue	320	288

**Table 78 — Values of initValue for ctxIdx of cu\_qp\_delta\_abs**

Initialization variable	ctxIdx of cu_qp_delta_abs	
	0	1
initValue	4	4

**Table 79 — Values of initValue for ctxIdx of ats\_hor\_mode and ats\_ver\_mode**

Initialization variable	ctxIdx of ats_hor_mode and ats_ver_mode	
	0	1
initValue	512	673

**Table 80 — Values of initValue for ctxIdx of ats\_cu\_inter\_flag**

Initialization variable	ctxIdx of ats_cu_inter_flag	
	0	1
initValue	0	0

**Table 81 — Values of initValue for ctxIdx of ats\_cu\_inter\_quad\_flag**

Initialization variable	ctxIdx of ats_cu_inter_quad_flag	
	0	1
initValue	0	0

**Table 82 — Values of initValue for ctxIdx of ats\_cu\_inter\_horizontal\_flag**

Initialization variable	ctxIdx of ats_cu_inter_horizontal_flag					
	0	1	2	3	4	5
initValue	0	0	0	0	0	0

**Table 83 — Values of initValue for ctxIdx of ats\_cu\_inter\_pos\_flag**

Initialization variable	ctxIdx of ats_cu_inter_pos_flag	
	0	1
initValue	0	0

**Table 84 — Values of initValue for ctxIdx of coeff\_zero\_run**

Initialization variable	ctxIdx of coeff_zero_run							
	0	1	2	3	4	5	6	7
initValue	48	112	128	0	321	82	419	160
	8	9	10	11	12	13	14	15
initValue	385	323	353	129	225	193	387	389
	16	17	18	19	20	21	22	23
initValue	453	227	453	161	421	161	481	225
	24	25	26	27	28	29	30	31
initValue	129	178	453	97	583	259	517	259
	32	33	34	35	36	37	38	39
initValue	453	227	871	355	291	227	195	97
	40	41	42	43	44	45	46	47
initValue	161	65	97	33	65	1	1003	227

**Table 85 — Values of initValue for ctxIdx of coeff\_abs\_level\_minus1**

Initialization variable	ctxIdx of coeff_abs_level_minus1							
	0	1	2	3	4	5	6	7
initValue	416	98	128	66	32	82	17	48
	8	9	10	11	12	13	14	15
initValue	272	112	52	50	448	419	385	355
	16	17	18	19	20	21	22	23
initValue	161	225	82	97	210	0	416	224
	24	25	26	27	28	29	30	31
initValue	805	775	775	581	355	389	65	195
	32	33	34	35	36	37	38	39
initValue	48	33	224	225	775	227	355	161
	40	41	42	43	44	45	46	47
initValue	129	97	33	65	16	1	841	355

**Table 86 — Values of initValue for ctxIdx of coeff\_last\_flag**

Initialization variable	ctxIdx of coeff_last_flag			
	0	1	2	3
initValue	421	337	33	790

**Table 87 — Values of initValue for ctxIdx of last\_sig\_coeff\_x\_prefix**

Initialization variable	ctxIdx of last_sig_coeff_x_prefix							
	0	1	2	3	4	5	6	7
initValue	762	310	288	828	342	451	502	51
	8	9	10	11	12	13	14	15
initValue	97	416	662	890	340	146	20	337
	16	17	18	19	20	21	22	23
initValue	468	216	66	54	216	892	84	581
	24	25	26	27	28	29	30	31
initValue	600	278	419	372	568	408	485	338
	32	33	34	35	36	37	38	39
initValue	632	666	732	16	178	180	585	581
	40	41						
initValue	34	257						

**Table 88 — Values of initValue for ctxIdx of last\_sig\_coeff\_y\_prefix**

Initialization variable	ctxIdx of last_sig_coeff_y_prefix							
	0	1	2	3	4	5	6	7
initValue	81	440	4	534	406	226	370	370
	8	9	10	11	12	13	14	15
initValue	259	38	598	792	860	312	88	662
	16	17	18	19	20	21	22	23
initValue	924	161	248	20	54	470	376	323
	24	25	26	27	28	29	30	31
initValue	276	602	52	340	600	376	378	598
	32	33	34	35	36	37	38	39
initValue	502	730	538	17	195	504	378	320
	40	41						
initValue	160	572						

**Table 89 — Values of initValue for ctxIdx of sig\_coeff\_flag**

Initialization variable	ctxIdx of sig_coeff_flag							
	0	1	2	3	4	5	6	7
initValue	387	98	233	346	717	306	233	37
	8	9	10	11	12	13	14	15
initValue	321	293	244	37	329	645	408	493
	16	17	18	19	20	21	22	23
initValue	164	781	101	179	369	871	585	244
b	24	25	26	27	28	29	30	31
initValue	361	147	416	408	628	352	406	502
	32	33	34	35	36	37	38	39
initValue	566	466	54	97	521	113	147	519
	40	41	42	43	44	45	46	47
initValue	36	297	132	457	308	231	534	66
	48	49	50	51	52	53	54	55
initValue	34	241	321	293	113	35	83	226
	56	57	58	59	60	61	62	63
initValue	519	553	229	751	224	129	133	162
	64	65	66	67	68	69	70	71
initValue	227	178	165	532	417	357	33	489
	72	73	74	75	76	77	78	79
initValue	199	387	939	133	515	32	131	3
	80	81	82	83	84	85	86	87
initValue	305	579	323	65	99	425	453	291
	88	89	90	91	92	93		
initValue	329	679	683	391	751	51		

**Table 90 — Values of initValue for ctxIdx of coeff\_abs\_level\_greaterA\_flag and coeff\_abs\_level\_greaterB\_flag**

Initialization variable	ctxIdx of coeff_abs_level_greaterA_flag and coeff_abs_level_greaterB_flag							
	0	1	2	3	4	5	6	7
initValue	40	225	306	272	85	120	389	664
	8	9	10	11	12	13	14	15
initValue	209	322	291	536	338	709	54	244
	16	17	18	19	20	21	22	23
initValue	19	566	38	352	340	19	305	258
	24	25	26	27	28	29	30	31
initValue	18	33	209	773	517	406	719	741
	32	33	34	35				
initValue	613	295	37	498				

**9.3.2.3 Initialization process for the arithmetic decoding engine**

Outputs of this process are the initialized decoding engine registers ivlCurrRange and ivlOffset.

The status of the arithmetic decoding engine is represented by the variables ivlCurrRange and ivlOffset. In the initialization procedure of the arithmetic decoding process, ivlCurrRange is set equal to 16384 and ivlOffset is set equal to the value returned from readbits(14) interpreted as a 14-bit binary representation of an unsigned integer with the most significant bit written first.

**9.3.3 Binarization process**

**9.3.3.1 General**

Input to this process is a request for a syntax element.

Output of this process is the binarization of the syntax element.

Table 91 specifies the type of binarization process associated with each syntax element and corresponding inputs.

The specification of the unary binarization process, the TR binarization process, the k-th order EGK binarization process, the FL binarization process and the TB binarization process are given in subclauses 9.3.3.2 through 9.3.3.6, respectively. Other binarization are specified in subclauses 9.3.3.7 and 9.3.3.8.

**Table 91 — Syntax elements and associated binarizations**

Syntax structure	Syntax element	Binarization	
		Process	Input parameters
slice_data()	end_of_tile_one_bit	FL	cMax = 1
coding_tree_unit()	alf_ctb_flag[ ][ ]	FL	cMax = 1
	alf_ctb_chroma_flag[ ][ ]	FL	cMax = 1
	alf_ctb_chroma2_flag[ ][ ]	FL	cMax = 1

Syntax structure	Syntax element	Binarization	
		Process	Input parameters
split_unit()	split_cu_flag[ ][ ]	FL	cMax = 1
	btt_split_flag[ ][ ]	FL	cMax = 1
	btt_split_dir[ ][ ]	FL	cMax = 1
	btt_split_type[ ][ ]	FL	cMax = 1
	split_unit_coding_order_flag[ ][ ]	FL	cMax = 1
	pred_mode_constraint_type_flag[ ][ ]	FL	cMax = 1
coding_unit()	cu_skip_flag[ ][ ]	FL	cMax = 1
	mvp_idx_l0[ ][ ]	TR	cMax = 3, cRiceParam = 0
	mvp_idx_l1[ ][ ]	TR	cMax = 3, cRiceParam = 0
	merge_idx[ ][ ]	TR	cMax = ( nCbW * nCbH <= 32 ) ? 3 : 5, cRiceParam = 0
	mmvd_flag[ ][ ]	FL	cMax = 1
	mmvd_group_idx[ ][ ]	TR	cMax = 2, cRiceParam = 0
	mmvd_merge_idx[ ][ ]	TR	cMax = 3, cRiceParam = 0
	mmvd_distance_idx[ ][ ]	TR	cMax = 7, cRiceParam = 0
	mmvd_direction_idx[ ][ ]	FL	cMax = 3
	affine_flag[ ][ ]	FL	cMax = 1
	affine_merge_idx[ ][ ]	TR	cMax = 5, cRiceParam = 0
	affine_mode_flag[ ][ ]	FL	cMax = 1
	affine_mvp_flag_l0[ ][ ]	FL	cMax = 1
	affine_mvp_flag_l1[ ][ ]	FL	cMax = 1
	pred_mode_flag[ ][ ]	FL	cMax = 1
	intra_pred_mode[ ][ ]	U	cMax = 4
	intra_luma_pred_mpm_flag[ ][ ]	FL	cMax = 1
	intra_luma_pred_mpm_idx[ ][ ]	FL	cMax = 1
	intra_luma_pred_pims_flag[ ][ ]	FL	cMax = 1
	intra_luma_pred_pims_idx[ ][ ]	FL	cMax = 7
	intra_luma_pred_rem_mode[ ][ ]	TB	cMax = 22
	intra_chroma_pred_mode[ ][ ]	see 9.3.3.7	-
	direct_mode_flag[ ][ ]	FL	cMax = 1
	ibc_flag[ ][ ]	FL	cMax = 1
	amvr_idx[ ][ ]	TR	cMax = 4, cRiceParam = 0
	merge_mode_flag[ ][ ]	FL	cMax = 1
	inter_pred_idc[ ][ ]	TR	cMax = (!sps_admvp_flag    nCbW + nCbH > 12) ? 2 : 1, cRiceParam = 0
bi_pred_idx[ ][ ]	TR	cMax = 2, cRiceParam = 0	

Syntax structure	Syntax element	Binarization	
		Process	Input parameters
	ref_idx_l0[ ][ ]	TR	cMax = num_ref_idx_active_minus1[ 0 ], cRiceParam = 0
	abs_mvd_l0[ ][ ][ ]	EG0	-
	mvd_l0_sign_flag[ ][ ][ ]	FL	cMax = 1
	affine_mvd_flag_l0[ ][ ]	FL	cMax = 1
	ref_idx_l1[ ][ ]	TR	cMax = num_ref_idx_active_minus1[ 1 ], cRiceParam = 0
	abs_mvd_l1[ ][ ][ ]	EG0	-
	mvd_l1_sign_flag[ ][ ][ ]	FL	cMax = 1
	affine_mvd_flag_l1[ ][ ]	FL	cMax = 1
	cbf_all[ ][ ]	FL	cMax = 1
transform_unit( )	cbf_luma	FL	cMax = 1
	cbf_cb	FL	cMax = 1
	cbf_cr	FL	cMax = 1
	cu_qp_delta_abs	U	-
	cu_qp_delta_sign_flag	FL	cMax = 1
	ats_cu_intra_flag[ ][ ]	FL	cMax = 1
	ats_hor_mode[ ][ ]	FL	cMax = 1
	ats_ver_mode[ ][ ]	FL	cMax = 1
	ats_cu_inter_flag	FL	cMax = 1
	ats_cu_inter_quad_flag	FL	cMax = 1
	ats_cu_inter_horizontal_flag	FL	cMax = 1
	ats_cu_inter_pos_flag	FL	cMax = 1
residual_coding_rle( )	coeff_zero_run	U	cMax = ( 1 << ( log2TrafoWidth + log2TrafoHeight ) ) - 1
	coeff_abs_level_minus1	U	-
	coeff_sign_flag	FL	cMax = 1
	coeff_last_flag	FL	cMax = 1
residual_coding_adv( )	last_sig_coeff_x_prefix	TR	cMax = ( log2TrafoSize << 1 ) - 1, cRiceParam = 0
	last_sig_coeff_y_prefix	TR	cMax = ( log2TrafoSize << 1 ) - 1, cRiceParam = 0
	last_sig_coeff_x_suffix	FL	cMax = ( 1 << ( ( last_sig_coeff_x_prefix >> 1 ) - 1 ) - 1 )
	last_sig_coeff_y_suffix	FL	cMax = ( 1 << ( ( last_sig_coeff_x_prefix >> 1 ) - 1 ) - 1 )
	sig_coeff_flag[ ][ ]	FL	cMax = 1
	coeff_abs_level_greaterA_flag[ ]	FL	cMax = 1
	coeff_abs_level_greaterB_flag[ ]	FL	cMax = 1
	coeff_abs_level_remaining[ ]	see 9.3.3.8	baseLevel, cldx, ( xC, yC ), log2TbWidth, log2TbHeight
	coeff_signs_group	FL	cMax = ( 1 << 16 ) - 1

### 9.3.3.2 U binarization process

Input to this process is a request for a U binarization for a syntax element.

Output of this process is the U binarization of the syntax element.

The bin string of a syntax element having (unsigned integer) value  $\text{synElVal}$  is a bit string of length  $\text{synElVal} + 1$  indexed by  $\text{binIdx}$ . The bins for  $\text{binIdx}$  less than  $\text{synElVal}$  are equal to 1. The bin with  $\text{binIdx}$  equal to  $\text{synElVal}$  is equal to 0.

Table 92 illustrates the bin strings of the unary binarization for a syntax element.

**Table 92 — Bin string of the unary binarization**

Value of syntax element	Bin string					
0	0					
1	1	0				
2	1	1	0			
3	1	1	1	0		
4	1	1	1	1	0	
5	1	1	1	1	1	0
...						
$\text{binIdx}$	0	1	2	3	4	5

### 9.3.3.3 TR binarization process

Inputs to this process are:

- a request for a TR binarization for a syntax element with value  $\text{synVal}$ ,
- a variable  $\text{cMax}$  specifying the largest possible value of the syntax element being decoded, and
- a variable  $\text{cRiceParam}$  specifying the rice parameter.

Output of this process is the TR binarization of the syntax element.

A TR bin string is a concatenation of a prefix bin string and, when present, a suffix bin string.

For the derivation of the prefix bin string, the following applies:

- The prefix value of  $\text{synVal}$ ,  $\text{prefixVal}$ , is derived as follows:

$$\text{prefixVal} = \text{synVal} \gg \text{cRiceParam} \quad (1427)$$

- The prefix of the TR bin string is specified as follows:

- If prefixVal is less than cMax >> cRiceParam, the prefix bin string is a bit string of length prefixVal + 1 indexed by binIdx. The bins for binIdx less than prefixVal are equal to 1. The bin with binIdx equal to prefixVal is equal to 0.
- Otherwise, the bin string is a bit string of length cMax >> cRiceParam with all bins being equal to 1.

When cMax is greater than synVal, the suffix of the TR bin string is present and it is derived as follows:

- The suffix value of synVal, suffixVal, is derived as follows:

$$\text{suffixVal} = \text{synVal} - ( (\text{prefixVal}) \ll \text{cRiceParam} ) \quad (1428)$$

- The suffix of the TR bin string is specified by invoking the fixed-length (FL) binarization process as in subclause 9.3.3.5 for suffixVal with a cMax value equal to  $(1 \ll \text{cRiceParam}) - 1$ .

NOTE For the input parameter cRiceParam = 0 the TR binarization is exactly a truncated unary binarization and it is always invoked with a cMax value equal to the largest possible value of the syntax element being decoded.

#### 9.3.3.4 k-th order EGk binarization process

Input to this process is a request for an EGk binarization for a syntax element.

Output of this process is the EGk binarization of the syntax element.

The bin string of the EGk binarization process of a syntax element synVal is specified as follows, where each call of the function put( X ), with X being equal to 0 or 1, adds the binary value X at the end of the bin string:

```
absV = Abs( synVal )
stopLoop = 0
do {
    if( absV >= ( 1 << k ) ) {
        put( 1 )
        absV = absV - ( 1 << k )
        k++
    } else {
        put( 0 )
        while( k-- )
            put( ( absV >> k ) & 1 )
        stopLoop = 1
    }
} while( !stopLoop )
```

(1429)

NOTE The specification for the k-th order Exp-Golomb (EGk) code uses 1s and 0s in reverse meaning for the unary part of the Exp-Golomb code of 0-th order as specified in subclause 9.2.2.

#### 9.3.3.5 FL binarization process

Inputs to this process are:

- a request for an FL binarization for a syntax element, and
- a variable cMax specifying the largest possible value of the syntax element being decoded.

Output of this process is the FL binarization of the syntax element.

FL binarization is constructed by using a `fixedLength`-bit unsigned integer bin string of the syntax element value, where  $\text{fixedLength} = \text{Ceil}(\text{Log}_2(\text{cMax} + 1))$ . The indexing of bins for the FL binarization is such that the `binIdx = 0` relates to the most significant bit with increasing values of `binIdx` towards the least significant bit.

### 9.3.3.6 TB binarization process

Inputs to this process are:

- a request for a TB binarization for a syntax element with value `synVal`, and
- a variable `cMax` specifying the largest possible value of the syntax element being decoded.

Output of this process is the TB binarization of the syntax element.

The bin string of the TB binarization process of a syntax element `synVal` is specified as follows:

$$\begin{aligned} n &= \text{cMax} + 1 \\ k &= \text{Floor}(\text{Log}_2(n)) \\ u &= (1 \ll (k + 1)) - n \end{aligned} \tag{1430}$$

- If `synVal` is less than `u`, the TB bin string is derived by invoking the FL binarization process as specified in subclause 9.3.3.5 for `synVal` with a `cMax` value equal to  $(1 \ll k) - 1$ .
- Otherwise (`synVal` is greater than or equal to `u`), the TB bin string is derived by invoking the FL binarization process as specified in subclause 9.3.3.5 for  $(\text{synVal} + u)$  with a `cMax` value equal to  $(1 \ll (k + 1)) - 1$ .

### 9.3.3.7 Binarization process for `intra_chroma_pred_mode`

Input to this process is a request for a binarization for the syntax element `intra_chroma_pred_mode`.

Output of this process is the binarization of the syntax element.

The binarization for the syntax element `intra_chroma_pred_mode` is specified in Table 93.

**Table 93 — Binarization for `intra_chroma_pred_mode`**

Value of <code>intra_chroma_pred_mode</code>	Bin string
0	1
1	00
2	010
3	0110
4	0111

### 9.3.3.8 Binarization process for `coeff_abs_level_remaining`

Inputs to this process are:

- a request for a binarization for the syntax element `coeff_abs_level_remaining[ n ]`,
- a variable `baseLevel`,
- a variable `cIdx` specifying the colour component,
- a location ( `xC`, `yC` ) specifying the current coefficient scan location, and
- two variables `log2TbWidth` and `log2TbHeight` specifying the binary logarithm of the transform block width and height.

Output of this process is the binarization of the syntax element.

The rice parameter `cRiceParam` is derived by invoking the rice parameter derivation process for `coeff_abs_level_remaining[ ]` as specified in subclause 9.3.4.2.10 with the variable `baseLevel`, the colour component index `cIdx`, the current coefficient scan location ( `xC`, `yC` ), the binary logarithm of the transform block width `log2TbWidth`, and the binary logarithm of the transform block height `log2TbHeight` as inputs.

The variable `numBinRem` is derived with given `cRiceParam` from Table 94.

**Table 94 — Specification of `cRiceParam` based on `locSumAbs`**

<b><code>cRiceParam</code></b>	0	1	2	3
<b><code>numBinRem</code></b>	6	5	6	3

The variable `cMax` is derived from `cRiceParam` as:

$$cMax = numBinRem \ll cRiceParam \tag{1431}$$

The binarization of the syntax element `coeff_abs_level_remaining[ n ]` is a concatenation of a prefix bin string and (when present) a suffix bin string.

For the derivation of the prefix bin string, the following applies:

- The prefix value of `coeff_abs_level_remaining[ n ]`, `prefixVal`, is derived as follows:

$$prefixVal = \text{Min}(cMax, coeff\_abs\_level\_remaining[ n ] ) \tag{1432}$$

- The prefix bin string is specified by invoking the TR binarization process as specified in subclause 9.3.3.3 for `prefixVal` with the variables `cMax` and `cRiceParam` as inputs.

When the prefix bin string is equal to the bit string of length `numBinRem` with all bits equal to 1, the suffix bin string is present and it is derived as follows:

- The suffix value of `coeff_abs_level_remaining[ n ]`, `suffixVal`, is derived as follows:

$$suffixVal = coeff\_abs\_level\_remaining[ n ] - cMax \tag{1433}$$

- The suffix bin string is specified by invoking the limited k-th order EGk binarization process as specified in subclause 9.3.3.4 for the binarization of `suffixVal` with the Exp-Golomb order `k` set equal to `cRiceParam + 1` and `cRiceParam` as inputs.