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**Metallic materials — Tensile testing —  
Part 1:  
Method of test at room temperature**

*Matériaux métalliques — Essai de traction —  
Partie 1: Méthode d'essai à température ambiante*

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## Foreword

ISO (the International Organization for Standardization) is a worldwide federation of national standards bodies (ISO member bodies). The work of preparing International Standards is normally carried out through ISO technical committees. Each member body interested in a subject for which a technical committee has been established has the right to be represented on that committee. International organizations, governmental and non-governmental, in liaison with ISO, also take part in the work. ISO collaborates closely with the International Electrotechnical Commission (IEC) on all matters of electrotechnical standardization.

The procedures used to develop this document and those intended for its further maintenance are described in the ISO/IEC Directives, Part 1. In particular the different approval criteria needed for the different types of ISO documents should be noted. This document was drafted in accordance with the editorial rules of the ISO/IEC Directives, Part 2 (see [www.iso.org/directives](http://www.iso.org/directives)).

Attention is drawn to the possibility that some of the elements of this document may be the subject of patent rights. ISO shall not be held responsible for identifying any or all such patent rights. Details of any patent rights identified during the development of the document will be in the Introduction and/or on the ISO list of patent declarations received (see [www.iso.org/patents](http://www.iso.org/patents)).

Any trade name used in this document is information given for the convenience of users and does not constitute an endorsement.

For an explanation on the meaning of ISO specific terms and expressions related to conformity assessment, as well as information about ISO's adherence to the WTO principles in the Technical Barriers to Trade (TBT) see the following URL: [Foreword - Supplementary information](#)

The committee responsible for this document is ISO/TC 164, *Mechanical testing of metals*, Subcommittee SC 1, *Uniaxial testing*.

This second edition cancels and replaces the first edition (ISO 6892-1:2009), which has been technically revised with the following changes:

- a) renumbering of [Clause 10](#);
- b) additional information about the use of Method A and B;
- c) new denomination for:
  - 1) Method A closed loop → A1
  - 2) Method A open loop → A2;
- e) addition of [A.5](#);
- f) addition in Annex F for determination of the stiffness of the testing equipment;
- g) new normative Annex G: Determination of the modulus of elasticity of metallic materials using a uniaxial tensile test;
- h) the old Annex G is renamed to Annex H, Annex H to Annex I, etc.

ISO 6892 consists of the following parts, under the general title *Metallic materials — Tensile testing*:

- *Part 1: Method of test at room temperature*
- *Part 2: Method of test at elevated temperature*
- *Part 3: Method of test at low temperature*
- *Part 4: Method of test in liquid helium*

## Introduction

During discussions concerning the speed of testing in the preparation of ISO 6892, it was decided to recommend the use of strain rate control in future revisions.

In this part of ISO 6892, there are two methods of testing speeds available. The first, method A, is based on strain rates (including crosshead separation rate) and the second, method B, is based on stress rates. Method A is intended to minimize the variation of the test rates during the moment when strain rate sensitive parameters are determined and to minimize the measurement uncertainty of the test results. Therefore, and out of the fact that often the strain rate sensitivity of the materials is not known, the use of method A is strongly recommended.

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# Metallic materials — Tensile testing —

## Part 1: Method of test at room temperature

### 1 Scope

This part of ISO 6892 specifies the method for tensile testing of metallic materials and defines the mechanical properties which can be determined at room temperature.

NOTE Annex A contains further recommendations for computer controlled testing machines.

### 2 Normative references

The following documents, in whole or in part, are normatively referenced in this document and are indispensable for its application. For dated references, only the edition cited applies. For undated references, the latest edition of the referenced document (including any amendments) applies.

ISO 7500-1, *Metallic materials — Verification of static uniaxial testing machines — Part 1: Tension/compression testing machines — Verification and calibration of the force-measuring system*

ISO 9513, *Metallic materials — Calibration of extensometer systems used in uniaxial testing*

### 3 Terms and definitions

For the purposes of this document, the following terms and definitions apply.

NOTE In what follows, the designations “force” and “stress” or “extension”, “percentage extension”, and “strain”, respectively, are used on various occasions (as figure axis labels or in explanations for the determination of different properties). However, for a general description or point on a curve, the designations “force” and “stress” or “extension”, “percentage extension”, and “strain”, respectively, can be interchanged.

#### 3.1 gauge length

$L$

length of the parallel portion of the test piece on which elongation is measured at any moment during the test

#### 3.1.1 original gauge length

$L_0$

length between *gauge length* (3.1) marks on the test piece measured at room temperature before the test

#### 3.1.2 final gauge length after fracture

$L_u$

length between *gauge length* (3.1) marks on the test piece measured after rupture, at room temperature, the two pieces having been carefully fitted back together so that their axes lie in a straight line

**3.2  
parallel length**

$L_c$   
length of the parallel reduced section of the test piece

Note 1 to entry: The concept of parallel length is replaced by the concept of distance between grips for unmachined test pieces.

**3.3  
elongation**

increase in the *original gauge length* (3.1.1) at any moment during the test

**3.4  
percentage elongation**

elongation expressed as a percentage of the *original gauge length* (3.1.1)

**3.4.1  
percentage permanent elongation**

increase in the *original gauge length* (3.1.1) of a test piece after removal of a specified stress, expressed as a percentage of the original gauge length

**3.4.2  
percentage elongation after fracture**

$A$   
permanent elongation of the gauge length after fracture,  $(L_u - L_0)$ , expressed as a percentage of the *original gauge length* (3.1.1)

Note 1 to entry: For further information, see 8.1.

**3.5  
extensometer gauge length**

$L_e$   
initial extensometer gauge length used for measurement of extension by means of an extensometer

Note 1 to entry: For further information, see 8.3.

**3.6  
extension**

increase in the *extensometer gauge length* (3.5), at any moment during the test

**3.6.1  
percentage extension  
"strain"**

$e$   
extension expressed as a percentage of the *extensometer gauge length* (3.5)

Note 1 to entry:  $e$  is commonly called engineering strain.

**3.6.2  
percentage permanent extension**

increase in the extensometer gauge length, after removal of a specified stress from the test piece, expressed as a percentage of the *extensometer gauge length* (3.5)

**3.6.3  
percentage yield point extension**

$A_e$   
in discontinuous yielding materials, the extension between the start of yielding and the start of uniform work-hardening, expressed as a percentage of the *extensometer gauge length* (3.5)

Note 1 to entry: See [Figure 7](#).

**3.6.4****percentage total extension at maximum force** $A_{gt}$ 

total extension (elastic extension plus plastic extension) at maximum force, expressed as a percentage of the *extensometer gauge length* (3.5)

Note 1 to entry: See [Figure 1](#).

**3.6.5****percentage plastic extension at maximum force** $A_g$ 

plastic extension at maximum force, expressed as a percentage of the *extensometer gauge length* (3.5)

Note 1 to entry: See [Figure 1](#).

**3.6.6****percentage total extension at fracture** $A_t$ 

total extension (elastic extension plus plastic extension) at the moment of fracture, expressed as a percentage of the *extensometer gauge length* (3.5)

Note 1 to entry: See [Figure 1](#).

**3.7 Testing rate****3.7.1****strain rate** $\dot{\epsilon}_{L_e}$ 

increase of strain, measured with an extensometer, in *extensometer gauge length* (3.5), per time

**3.7.2****estimated strain rate over the parallel length** $\dot{\epsilon}_{L_c}$ 

value of the increase of strain over the *parallel length* (3.2), of the test piece per time based on the *crosshead separation rate* (3.7.3) and the parallel length of the test piece

**3.7.3****crosshead separation rate** $v_c$ 

displacement of the crossheads per time

**3.7.4****stress rate** $\dot{R}$ 

increase of stress per time

Note 1 to entry: Stress rate is only used in the elastic part of the test (method B) (see also [10.3.3](#)).

**3.8****percentage reduction of area** $Z$ 

maximum change in cross-sectional area which has occurred during the test,  $(S_o - S_u)$ , expressed as a percentage of the original cross-sectional area,  $S_o$ :

$$Z = \frac{S_o - S_u}{S_o} \cdot 100$$

### 3.9 Maximum force

#### 3.9.1

##### maximum force

$F_m$   
<materials displaying no discontinuous yielding> highest force that the test piece withstands during the test

#### 3.9.2

##### maximum force

$F_m$   
<materials displaying discontinuous yielding> highest force that the test piece withstands during the test after the beginning of work-hardening

Note 1 to entry: For materials which display discontinuous yielding, but where no work-hardening can be established,  $F_m$  is not defined in this part of ISO 6892 [see footnote to [Figure 8 c](#)].

Note 2 to entry: See [Figure 8 a](#)) and b).

#### 3.10

##### stress

$R$   
at any moment during the test, force divided by the original cross-sectional area,  $S_0$ , of the test piece

Note 1 to entry: All references to stress in this part of ISO 6892 are to engineering stress.

#### 3.10.1

##### tensile strength

$R_m$   
stress corresponding to the *maximum force* ([3.9.2](#))

#### 3.10.2

##### yield strength

when the metallic material exhibits a yield phenomenon, stress corresponding to the point reached during the test at which plastic deformation occurs without any increase in the force

##### 3.10.2.1

##### upper yield strength

$R_{eH}$   
maximum value of *stress* ([3.10](#)) prior to the first decrease in force

Note 1 to entry: See [Figure 2](#).

##### 3.10.2.2

##### lower yield strength

$R_{eL}$   
lowest value of *stress* ([3.10](#)) during plastic yielding, ignoring any initial transient effects

Note 1 to entry: See [Figure 2](#).

#### 3.10.3

##### proof strength, plastic extension

$R_p$   
stress at which the plastic extension is equal to a specified percentage of the *extensometer gauge length* ([3.5](#))

Note 1 to entry: Adapted from ISO/TR 25679:2005, "proof strength, non-proportional extension".

Note 2 to entry: A suffix is added to the subscript to indicate the prescribed percentage, e.g.  $R_{p0,2}$ .

Note 3 to entry: See [Figure 3](#).

**3.10.4****proof strength, total extension** $R_t$ 

stress at which total extension (elastic extension plus plastic extension) is equal to a specified percentage of the *extensometer gauge length* (3.5)

Note 1 to entry: A suffix is added to the subscript to indicate the prescribed percentage, e.g.  $R_{t0,5}$ .

Note 2 to entry: See [Figure 4](#).

**3.10.5****permanent set strength** $R_r$ 

stress at which, after removal of force, a specified permanent elongation or extension, expressed respectively as a percentage of *original gauge length* (3.1.1), or *extensometer gauge length* (3.5), has not been exceeded

Note 1 to entry: A suffix is added to the subscript to indicate the specified percentage of the original gauge length,  $L_o$ , or of the extensometer gauge length,  $L_e$ , e.g.  $R_{r0,2}$ .

Note 2 to entry: See [Figure 5](#).

**3.11****fracture**

phenomenon which is deemed to occur when total separation of the test piece occurs

Note 1 to entry: Criteria for fracture for computer controlled tests are given in [Figure A.2](#).

**3.12****computer-controlled tensile testing machine**

machine for which the control and monitoring of the test, the measurements, and the data processing are undertaken by computer

**3.13****modulus of elasticity** $E$ 

quotient of change of stress  $\Delta R$  and change of percentage extension  $\Delta e$  in the range of evaluation, multiplied by 100 %

$$E = \frac{\Delta R}{\Delta e} \cdot 100 \%$$

Note 1 to entry: It is recommended to report the value in GPa rounded to the nearest 0,1 GPa and according to ISO 80000-1.

**3.14****default value**

lower or upper value for stress respectively strain which is used for the description of the range where the modulus of elasticity is calculated

**3.15****coefficient of correlation** $R^2$ 

additional result of the linear regression which describes the quality of the stress-strain curve in the evaluation range

Note 1 to entry: The used symbol  $R^2$  is a mathematical representation of regression and is no expression for a squared stress value.

**3.16  
standard deviation of the slope**

$S_m$   
additional result of the linear regression which describes the difference of the stress values from the best fit line for the given extension values in the evaluation range

**3.17  
relative standard deviation of the slope**

$S_{m(\text{rel})}$   
quotient of the standard deviation of the slope and the slope in the evaluation range, multiplied by 100 %

$$S_{m(\text{rel})} = \frac{S_m}{E} \cdot 100 \%$$

**4 Symbols**

The symbols used in this part of ISO 6892 and corresponding designations are given in [Table 1](#).

**Table 1 — Symbols and designations**

Symbol	Unit	Designation
<b>Test piece</b>		
$a_o, T^a$	mm	original thickness of a flat test piece or wall thickness of a tube
$b_o$	mm	original width of the parallel length of a flat test piece or average width of the longitudinal strip taken from a tube or width of flat wire
$d_o$	mm	original diameter of the parallel length of a circular test piece, or diameter of round wire or internal diameter of a tube
$D_o$	mm	original external diameter of a tube
$L_o$	mm	original gauge length
$L'_o$	mm	initial gauge length for determination of $A_{wn}$ (see <a href="#">Annex J</a> )
$L_c$	mm	parallel length
$L_e$	mm	extensometer gauge length
$L_t$	mm	total length of test piece
$L_u$	mm	final gauge length after fracture
$L'_u$	mm	final gauge length after fracture for determination of $A_{wn}$ (see <a href="#">Annex J</a> )
$S_o$	mm <sup>2</sup>	original cross-sectional area of the parallel length
$S_u$	mm <sup>2</sup>	minimum cross-sectional area after fracture
$k$	—	coefficient of proportionality (see <a href="#">6.1.1</a> )
$Z$	%	percentage reduction of area
<b>Elongation</b>		
$A$	%	percentage elongation after fracture (see <a href="#">3.4.2</a> )
$A_{wn}$	%	percentage plastic elongation without necking (see <a href="#">Annex J</a> )
<b>Extension</b>		
$e$	%	extension
$A_e$	%	percentage yield point extension
$A_g$	%	percentage plastic extension at maximum force, $F_m$
$A_{gt}$	%	percentage total extension at maximum force, $F_m$
$A_t$	%	percentage total extension at fracture
$\Delta L_m$	mm	extension at maximum force

Table 1 (continued)

Symbol	Unit	Designation
$\Delta L_f$	mm	extension at fracture
<b>Rates</b>		
$\dot{\epsilon}_{L_e}$	s <sup>-1</sup>	strain rate
$\dot{\epsilon}_{L_c}$	s <sup>-1</sup>	estimated strain rate over the parallel length
$\dot{R}$	MPa s <sup>-1</sup>	stress rate
$v_c$	mm s <sup>-1</sup>	crosshead separation rate
<b>Force</b>		
$F_m$	N	maximum force
<b>Yield strength — Proof strength — Tensile strength</b>		
$R$	MPa <sup>b</sup>	stress
$R_{eH}$	MPa	upper yield strength
$R_{eL}$	MPa	lower yield strength
$R_m$	MPa	tensile strength
$R_p$	MPa	proof strength, plastic extension
$R_r$	MPa	specified permanent set strength
$R_t$	MPa	proof strength, total extension
<b>Modulus of Elasticity — slope of the stress-percentage extension curve</b>		
$E$	GPa	modulus of elasticity <sup>c</sup>
$m$	MPa	slope of the stress-percentage extension curve at a given moment of the test
$m_E$	MPa	slope of the elastic part of the stress-percentage extension curve <sup>d</sup>
$R_1$	MPa	lower stress value
$R_2$	MPa	upper stress value
$e_1$	%	lower strain value
$e_2$	%	upper strain value
$R^2$	—	coefficient of correlation
$S_m$	MPa	standard deviation of the slope
$S_{m(rel)}$	%	relative standard deviation of the slope
<p><sup>a</sup> Symbol used in steel tube product standards.</p> <p><sup>b</sup> 1 MPa = 1 N mm<sup>-2</sup>.</p> <p><sup>c</sup> The calculation of the modulus of elasticity is described in <a href="#">Annex G</a>. It is not required to use <a href="#">Annex G</a> to determine the slope of the elastic part of the stress-percentage extension curve for the determination of proof strength.</p> <p><sup>d</sup> In the elastic part of the stress-percentage extension curve, the value of the slope may not necessarily represent the modulus of elasticity. This value may closely agree with the value of the modulus of elasticity if optimal conditions are used (see <a href="#">Annex G</a>).</p> <p><b>CAUTION — The factor 100 is necessary if percentage values are used.</b></p>		

## 5 Principle

The test involves straining a test piece by tensile force, generally to fracture, for the determination of one or more of the mechanical properties defined in [Clause 3](#).

The test shall be carried out at room temperature between 10 °C and 35 °C, unless otherwise specified. For laboratory environments outside the stated requirement, it is the responsibility of the testing laboratory to assess the impact on testing and or calibration data produced with and for testing

machines operated in such environments. When testing and calibration activities are performed outside the recommended temperature limits of 10 °C and 35 °C, the temperature shall be recorded and reported. If significant temperature gradients are present during testing and or calibration, measurement uncertainty may increase and out of tolerance conditions may occur.

Tests carried out under controlled conditions shall be made at a temperature of 23 °C ± 5 °C.

If the determination of the modulus of elasticity is requested in the tensile test, this shall be done in accordance with [Annex G](#).

## 6 Test pieces

### 6.1 Shape and dimensions

#### 6.1.1 General

The shape and dimensions of the test pieces may be constrained by the shape and dimensions of the metallic product from which the test pieces are taken.

The test piece is usually obtained by machining a sample from the product or a pressed blank or casting. However, products of uniform cross-section (sections, bars, wires, etc.) and also as-cast test pieces (i.e. for cast iron and non-ferrous alloys) may be tested without being machined.

The cross-section of the test pieces may be circular, square, rectangular, annular or, in special cases, some other uniform cross-section.

Preferred test pieces have a direct relationship between the original gauge length,  $L_0$ , and the original cross-sectional area,  $S_0$ , expressed by the formula  $L_0 = k\sqrt{S_0}$ , where  $k$  is a coefficient of proportionality, and are called proportional test pieces. The internationally adopted value for  $k$  is 5,65. The original gauge length shall be not less than 15 mm. When the cross-sectional area of the test piece is too small for this requirement to be met with,  $k = 5,65$ , a higher value (preferably 11,3) or a non-proportional test piece may be used.

NOTE By using an original gauge length smaller than 20 mm, the uncertainty of the result “elongation after fracture” will be increased.

For non-proportional test pieces, the original gauge length,  $L_0$ , is independent of the original cross-sectional area,  $S_0$ .

The dimensional tolerances of the test pieces shall be in accordance with the [Annexes B to E](#) (see [6.2](#)).

Other test pieces such as those specified in relevant product standards or national standards may be used by agreement with the customer, e.g. ISO 3183[1], (API 5L), ISO 11960[2], (API 5CT), ASTM A370[6], ASTM E8M[7], DIN 50125[10], IACS W2[13], and JIS Z 2241[14].

#### 6.1.2 Machined test pieces

Machined test pieces shall incorporate a transition radius between the gripped ends and the parallel length if these have different dimensions. The dimensions of the transition radius are important and it is recommended that they be defined in the material specification if they are not given in the appropriate annex (see [6.2](#)).

The gripped ends may be of any shape to suit the grips of the testing machine. The axis of the test piece shall coincide with the axis of application of the force.

The parallel length,  $L_c$ , or, in the case where the test piece has no transition radii, the free length between the grips, shall always be greater than the original gauge length,  $L_0$ .

**6.1.3 Unmachined test pieces**

If the test piece consists of an unmachined length of the product or of an unmachined test bar, the free length between the grips shall be sufficient for gauge marks to be at a reasonable distance from the grips (see Annexes B to E).

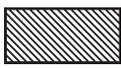
As-cast test pieces shall incorporate a transition radius between the gripped ends and the parallel length. The dimensions of this transition radius are important and it is recommended that they be defined in the product standard. The gripped ends may be of any shape to suit the grips of the testing machine provided that they enable the centre of the test piece to coincide with the axis of application of force. The parallel length,  $L_C$ , shall always be greater than the original gauge length,  $L_0$ .

**6.2 Types**

The main types of test pieces are defined in Annexes B to E according to the shape and type of product, as shown in Table 2. Other types of test pieces can be specified in product standards.

**Table 2 — Main types of test pieces according to product type**

Dimensions in millimetres

Type of product		Corresponding Annex
<b>Sheets — Plates — Flats</b>	<b>Wire — Bars — Sections</b>	
		
<b>Thickness</b> $a$	<b>Diameter or side</b>	
$0,1 \leq a < 3$	—	<a href="#">B</a>
—	<4	<a href="#">C</a>
$a \geq 3$	$\geq 4$	<a href="#">D</a>
<b>Tubes</b>		<a href="#">E</a>

**6.3 Preparation of test pieces**

The test pieces shall be taken and prepared in accordance with the requirements of the relevant International Standards for the different materials (e.g. ISO 377).

**7 Determination of original cross-sectional area**

The relevant dimensions of the test piece should be measured at sufficient cross-sections perpendicular to the longitudinal axis in the central region of the parallel length of the test piece.

A minimum of three cross-sections is recommended.

The original cross-sectional area,  $S_0$ , is the average cross-sectional area and shall be calculated from the measurements of the appropriate dimensions.

The accuracy of this calculation depends on the nature and type of the test piece. Annexes B to E describe methods for the evaluation of  $S_0$  for different types of test pieces and contain specifications for the accuracy of measurement.

All measuring devices used for the determination of the original cross-sectional area shall be calibrated to the appropriate reference standards with traceability to a National Measurement System.

## 8 Original gauge length and extensometer gauge length

### 8.1 Choice of the original gauge length

For proportional test pieces, if the original gauge length is not equivalent to  $5,65\sqrt{S_0}$  where  $S_0$  is the original cross-sectional area of the parallel length, the symbol  $A$  should be supplemented by a subscript indicating the coefficient of proportionality used, e.g.  $A_{11,3}$  indicates a percentage elongation of the gauge length,  $L_0$ , according to [Formula \(1\)](#):

$$A_{11,3} = 11,3\sqrt{S_0} \quad (1)$$

NOTE  $5,65\sqrt{S_0} = 5\sqrt{4S_0/\pi}$ .

For non-proportional test pieces (see Annex B), the symbol  $A$  should be supplemented by a subscript indicating the original gauge length used, expressed in millimetres, e.g.  $A_{80 \text{ mm}}$  indicates a percentage elongation of a gauge length,  $L_0$ , of 80 mm.

### 8.2 Marking the original gauge length

For the manual determination of the elongation after fracture  $A$ , each end of the original gauge length,  $L_0$ , shall be marked by means of fine marks, scribed lines, or punch marks, but not by marks which could result in premature fracture. The original gauge length shall be marked to an accuracy of  $\pm 1\%$ .

For proportional test pieces, the calculated value of the original gauge length may be rounded to the nearest multiple of 5 mm, provided that the difference between the calculated and marked gauge length is less than 10 % of  $L_0$ .

If the parallel length,  $L_c$ , is much greater than the original gauge length, as, for instance, with unmachined test pieces, a series of overlapping gauge lengths may be marked.

In some cases, it may be helpful to draw a line parallel to the longitudinal axis, along which the gauge lengths are marked.

### 8.3 Choice of the extensometer gauge length

For measurement of yield and proof strength parameters,  $L_e$  should span as much of the parallel length of the test piece as possible. Ideally, as a minimum,  $L_e$  should be greater than  $0,50L_0$  but less than approximately  $0,9L_c$ . This should ensure that the extensometer detects all yielding events that occur in the test piece. Further, for measurement of parameters "at" or "after reaching" maximum force,  $L_e$  should be approximately equal to  $L_0$ .

## 9 Accuracy of testing apparatus

The force-measuring system of the testing machine shall be in accordance with ISO 7500-1, class 1, or better.

For the determination of proof strength (plastic or total extension), the extensometer used shall be in accordance with ISO 9513, class 1 or better, in the relevant range. For other properties (with extensions greater than 5 %), an ISO 9513, class 2 extensometer in the relevant range may be used.

## 10 Conditions of testing

### 10.1 Setting the force zero point

The force-measuring system shall be set to zero after the testing loading train has been assembled, but before the test piece is actually gripped at both ends. Once the force zero point has been set, the force-measuring system shall not be changed in any way during the test.

NOTE The use of this method ensures that, on one hand, the weight of the gripping system is compensated for in the force measurement, and on the other hand, any force resulting from the clamping operation does not affect this measurement.

### 10.2 Method of gripping

The test pieces shall be gripped by suitable means, such as wedges, screwed grips, parallel jaw faces, or shouldered holders.

Every endeavour should be made to ensure that test pieces are held in such a way that the force is applied as axially as possible, in order to minimize bending (more information is given in ASTM E1012<sup>[8]</sup>, for example). This is of particular importance when testing brittle materials or when determining proof strength (plastic extension), proof strength (total extension), or yield strength.

In order to ensure the alignment of the test piece and grip arrangement, a preliminary force may be applied provided it does not exceed a value corresponding to 5 % of the specified or expected yield strength. A correction of the extension should be carried out to take into account the effect of the preliminary force.

### 10.3 Testing rates

#### 10.3.1 General information regarding testing rates

Unless otherwise agreed, the choice of method (A1, A2, or B) and test rates are at the discretion of the producer or the test laboratory assigned by the producer, provided that these meet the requirements of this part of ISO 6892.

NOTE 1 The difference between Method A and Method B is that the necessary testing speed of Method A is defined at the point of interest (e.g.  $R_{p0,2}$ ), where the property has to be determined; whereas, in Method B, the necessary testing speed is set in the elastic range before the property (e.g.  $R_{p0,2}$ ) has to be determined.

NOTE 2 Under certain conditions using Method B (e.g. for some steels a stress rate in the elastic range of approximately 30 MPa/s, using a testing rig and clamping system with high stiffness and a test piece geometry according Annex B, Table B.1, Test piece type 2), a strain rate near the range 2 of Method A may be observed.

NOTE 3 Product standards and corresponding test standards (e.g. aerospace standards) may specify test rates that are different from those contained in this part of ISO 6892.

#### 10.3.2 Testing rate based on strain rate (method A)

##### 10.3.2.1 General

Method A is intended to minimize the variation of the test rates during the moment when strain rate sensitive parameters are determined and to minimize the measurement uncertainty of the test results.

Two different types of strain rate control are described in this subclause.

- Method A1 closed loop involves the control of the strain rate itself,  $\dot{\epsilon}_{Le}$ , that is based on the feedback obtained from an extensometer.

- Method A2 open loop involves the control of the estimated strain rate over the parallel length,  $\dot{\epsilon}_{L_c}$ , which is achieved by using the crosshead separation rate calculated by multiplying the required strain rate by the parallel length [see [Formula \(2\)](#)].

NOTE A more rigorous strain rate estimation procedure for Method A2 is described in Annex F.

If a material shows no discontinuous yielding and the force remains nominally constant, the strain rate,  $\dot{\epsilon}_{L_e}$ , and the estimated strain rate over the parallel length,  $\dot{\epsilon}_{L_c}$ , are approximately equal. Differences exist if the material exhibits discontinuous or serrated yielding (e.g. some steels and AlMg alloys in the yield point extension range, or materials which show serrated yielding like the Portevin-Le Chatelier effect) or if necking occurs. If the force is increasing, the strain rate [if the crosshead separation rate is calculated using [Formula \(2\)](#)] may be below the target strain rate due to the compliance of the testing machine.

The testing rate shall conform to the following requirements.

- Unless otherwise specified, any convenient speed of testing may be used up to a stress equivalent to half of the expected yield strength. Above this range and for the determination of  $R_{eH}$ ,  $R_p$  or  $R_t$ , the specified strain rate,  $\dot{\epsilon}_{L_e}$  (or for Method A2 the crosshead separation rate  $v_c$ ), shall be applied.

In this range, to eliminate the influence of the compliance of the tensile testing machine, the use of an extensometer clamped on the test piece is necessary to have accurate control over the strain rate. For testing machines unable to control by strain rate method A2 may be used.

- During discontinuous yielding, the estimated strain rate over the parallel length,  $\dot{\epsilon}_{L_c}$  (see [3.7.2](#)), should be applied. In this range, it is impossible to control the strain rate using the extensometer clamped on to the test piece because local yielding can occur outside the extensometer gauge length. The required estimated strain rate over the parallel length may be maintained in this range sufficiently accurately using a constant crosshead separation rate,  $v_c$  (see [3.7.3](#)) (open loop);

$$v_c = L_c \dot{\epsilon}_{L_c} \tag{2}$$

where

$\dot{\epsilon}_{L_c}$  is the estimated strain rate over the parallel length;

$L_c$  is the parallel length.

- In the range following  $R_p$  or  $R_t$  or end of yielding (see [3.7.2](#)),  $\dot{\epsilon}_{L_e}$  or  $\dot{\epsilon}_{L_c}$  can be used. The use of  $\dot{\epsilon}_{L_c}$  is recommended to avoid any control problems which may arise if necking occurs outside the extensometer gauge length.

The strain rates specified in [10.3.2.2](#) to [10.3.2.4](#) shall be maintained during the determination of the relevant material property (see also [Figure 9](#)).

During switching to another strain rate or to another control mode, no discontinuities in the stress-strain curve should be introduced which distort the values of  $R_m$ ,  $A_g$ , or  $A_{gt}$  (see [Figure 10](#)). This effect can be reduced by a suitable gradual switch between the rates.

The shape of the stress-strain curve in the work-hardening range can also be influenced by the strain rate. The testing rate used should be documented (see [10.3.4](#)).

### 10.3.2.2 Strain rate for the determination of the upper yield strength, $R_{eH}$ , or proof strength properties, $R_p$ , and $R_t$

The strain rate,  $\dot{\epsilon}_{L_e}$ , shall be kept as constant as possible up to and including the determination of  $R_{eH}$  or  $R_p$  or  $R_t$ . During the determination of these material properties the strain rate,  $\dot{\epsilon}_{L_e}$ , shall be in one of the two following specified ranges (see also [Figure 9](#)).

Range 1:  $\dot{\epsilon}_{L_e} = 0,000\ 07\ s^{-1}$ , with a relative tolerance of  $\pm 20\ %$ .

Range 2:  $\dot{\epsilon}_{L_e} = 0,000\ 25\ s^{-1}$ , with a relative tolerance of  $\pm 20\ %$  (recommended, unless otherwise specified).

If the testing machine is not able to control the strain rate directly, Method A2 shall be used.

### 10.3.2.3 Strain rate for the determination of the lower yield strength, $R_{eL}$ , and percentage yield point extension, $A_e$

Following the detection of the upper yield strength (see [A.3.2](#)), the estimated strain rate over the parallel length,  $\dot{\epsilon}_{L_c}$ , shall be maintained in one of the following two specified ranges (see [Figure 9](#)) until discontinuous yielding has ended.

Range 2:  $\dot{\epsilon}_{L_c} = 0,000\ 25\ s^{-1}$ , with a relative tolerance of  $\pm 20\ %$  (recommended, when  $R_{eL}$  is determined).

Range 3:  $\dot{\epsilon}_{L_c} = 0,002\ s^{-1}$ , with a relative tolerance of  $\pm 20\ %$ .

### 10.3.2.4 Strain rate for the determination of the tensile strength, $R_m$ , percentage elongation after fracture, $A$ , percentage total extension at the maximum force, $A_{gt}$ , percentage plastic extension at maximum force, $A_g$ , and percentage reduction area, $Z$

After determination of the required yield/proof strength properties, the estimated strain rate over the parallel length,  $\dot{\epsilon}_{L_c}$ , shall be changed to one of the following specified ranges (see [Figure 9](#)).

Range 2:  $\dot{\epsilon}_{L_c} = 0,000\ 25\ s^{-1}$ , with a relative tolerance of  $\pm 20\ %$ .

Range 3:  $\dot{\epsilon}_{L_c} = 0,002\ s^{-1}$ , with a relative tolerance of  $\pm 20\ %$ .

Range 4:  $\dot{\epsilon}_{L_c} = 0,006\ 7\ s^{-1}$ , with a relative tolerance of  $\pm 20\ %$  ( $0,4\ min^{-1}$ , with a relative tolerance of  $\pm 20\ %$ ) (recommended, unless otherwise specified).

If the purpose of the tensile test is only to determine the tensile strength, then an estimated strain rate over the parallel length of the test piece according to range 3 or 4 may be applied throughout the entire test.

## 10.3.3 Testing rate based on stress rate (method B)

### 10.3.3.1 General

The testing rates shall conform to the following requirements depending on the nature of the material. Unless otherwise specified, any convenient speed of testing may be used up to a stress equivalent to half of the specified yield strength. The testing rates above this point are specified below.

**NOTE** It is not the intent of Method B to maintain constant stress rate or to control stress rate with closed loop force control while determining yield properties, but only to set the crosshead speed to achieve the target stress rate in the elastic region (see [Table 3](#)). When a specimen being tested begins to yield, the stressing rate decreases and may even become negative in the case of a specimen with discontinuous yielding. The attempt to maintain a constant stressing rate through the yielding process requires the testing machine to operate at extremely high speeds and, in most cases, this is neither practical nor desirable.

**10.3.3.2 Yield and proof strengths**

**10.3.3.2.1 Upper yield strength,  $R_{eH}$**

The rate of separation of the crossheads of the machine shall be kept as constant as possible and within the limits corresponding to the stress rates in [Table 3](#).

NOTE For information, typical materials having a modulus of elasticity smaller than 150 000 MPa include magnesium, aluminium alloys, brass, and titanium. Typical materials with a modulus of elasticity greater than 150 000 MPa include wrought iron, steel, tungsten, and nickel-based alloys.

**Table 3 — Stress rate**

Modulus of elasticity of the material $E$ MPa	Stress rate $\dot{R}$ MPa s <sup>-1</sup>	
	min.	max.
<150 000	2	20
≥150 000	6	60

**10.3.3.2.2 Lower yield strength,  $R_{eL}$**

If only the lower yield strength is being determined, the strain rate during yield of the parallel length of the test piece shall be between 0,000 25 s<sup>-1</sup> and 0,002 5 s<sup>-1</sup>. The strain rate within the parallel length shall be kept as constant as possible. If this rate cannot be regulated directly, it shall be fixed by regulating the stress rate just before yield begins, the controls of the machine not being further adjusted until completion of yield.

In no case shall the stress rate in the elastic range exceed the maximum rates given in [Table 3](#).

**10.3.3.2.3 Upper and lower yield strengths,  $R_{eH}$  and  $R_{eL}$**

If both upper and lower yield strengths are determined during the same test, the conditions for determining the lower yield strength shall be complied with (see 10.3.3.1.2).

**10.3.3.2.4 Proof strength (plastic extension) and proof strength (total extension),  $R_p$  and  $R_t$**

The crosshead separation rate of the machine shall be kept as constant as possible and within the limits corresponding to the stress rates in [Table 3](#) for the elastic range. This crosshead separation rate shall be maintained up to the proof strength (plastic extension or total extension). In any case, the strain rate shall not exceed 0,002 5 s<sup>-1</sup>.

**10.3.3.2.5 Rate of separation**

If the testing machine is not capable of measuring or controlling the strain rate, a crosshead separation rate equivalent to the stress rate given in [Table 3](#) shall be used until completion of yield.

**10.3.3.3 Tensile strength,  $R_m$ , percentage elongation after fracture,  $A$ , percentage total extension at the maximum force,  $A_{gt}$ , percentage plastic extension at maximum force,  $A_g$ , and percentage reduction area,  $Z$**

After determination of the required yield/proof strength properties, the test rate may be increased to a strain rate (or equivalent crosshead separation rate) no greater than 0,008 s<sup>-1</sup>.

If only the tensile strength of the material is to be measured, a single strain rate can be used throughout the test which shall not exceed 0,008 s<sup>-1</sup>.

### 10.3.4 Report of the chosen testing conditions

In order to report the test control mode and testing rates in an abridged form, the following system of abbreviation can be used:

ISO 6892-1 Annn, or ISO 6892-1 Bn

where “A” defines the use of method A (strain rate based), and “B” the use of method B (stress rate based). The symbols “nnn” are a series of up to 3 characters that refer to the rates used during each phase of the test, as defined in [Figure 9](#), and ‘n’ may be added to indicate the stress rate (in MPa s<sup>-1</sup>) selected during elastic loading.

EXAMPLE 1 ISO 6892-1:2016 A224 defines a test based on strain rate, using ranges 2, 2 and 4.

EXAMPLE 2 ISO 6892-1:2016 B30 defines a test based on stress rate, performed at a nominal stress rate of 30 MPa s<sup>-1</sup>.

EXAMPLE 3 ISO 6892-1:2016 B defines a test based on stress rate, performed at a nominal stress rate according to [Table 3](#).

## 11 Determination of the upper yield strength

$R_{eH}$  may be determined from the force-extension curve or peak load indicator and is defined as the maximum value of stress prior to the first decrease in force. The value is calculated by dividing this force by the original cross-sectional area of the test piece,  $S_0$  (see [Figure 2](#)).

## 12 Determination of the lower yield strength

$R_{eL}$  is determined from the force-extension curve and is defined as the lowest value of stress during plastic yielding, ignoring any initial transient effects. The value is calculated by dividing this force by the original cross-sectional area of the test piece,  $S_0$  (see [Figure 2](#)).

In case of materials having yield phenomena and when  $A_e$  is not to be determined: For productivity of testing,  $R_{eL}$  may be reported as the lowest stress within the first 0,25 % strain after  $R_{eH}$ , not taking into account any initial transient effect. After determining  $R_{eL}$  by this procedure, the test rate may be increased as per [10.3.2.4](#) or [10.3.2.3](#). Use of this shorter procedure should be recorded on the test report.

## 13 Determination of proof strength, plastic extension

**13.1**  $R_p$  is determined from the force-extension curve by drawing a line parallel to the linear portion of the curve and at a distance from it equivalent to the prescribed plastic percentage extension, e.g. 0,2 %. The point at which this line intersects the curve gives the force corresponding to the desired proof strength plastic extension. The latter is obtained by dividing this force by the original cross-sectional area of the test piece,  $S_0$  (see [Figure 3](#)).

If the straight portion of the force-extension curve is not clearly defined, thereby preventing drawing the parallel line with sufficient precision, the following procedure is recommended (see [Figure 6](#)).

When the presumed proof strength has been exceeded, the force is reduced to a value equal to about 10 % of the force obtained. The force is then increased again until it exceeds the value obtained originally. To determine the desired proof strength, a line is drawn through the hysteresis loop. A line is then drawn parallel to this line, at a distance from the corrected origin of the curve, measured along the abscissa, equal to the prescribed plastic percentage extension. The intersection of this parallel line and

the force-extension curve gives the force corresponding to the proof strength. The value is calculated by dividing this force by the original cross-sectional area of the test piece,  $S_0$  (see [Figure 6](#)).

NOTE Several methods can be used to define the corrected origin of the force-extension curve. One of these is to construct a line parallel to that determined by the hysteresis loop so that it is tangential to the force-extension curve. The point where this line crosses the abscissa is the corrected origin of the force-extension curve (see [Figure 6](#)).

Care should be taken to ensure that the hysteresis is performed after the final proof strength has passed, but at as low an extension as possible, as performing it at excessive extensions will have an adverse effect on the slope obtained.

If not specified in product standards or agreed by the customer, it is inappropriate to determine proof strength during and after discontinuous yielding.

**13.2** The property may be obtained without plotting the force-extension curve by using automatic devices (microprocessor, etc.) (see Annex A).

NOTE Another available method is described in GB/T 228.<sup>[12]</sup>

## 14 Determination of proof strength, total extension

**14.1**  $R_t$  is determined on the force-extension curve, taking [10.2](#) into consideration, by drawing a line parallel to the ordinate axis (force axis) and at a distance from this equivalent to the prescribed total percentage extension. The point at which this line intersects the curve gives the force corresponding to the desired proof strength. The value is calculated by dividing this force by the original cross-sectional area of the test piece,  $S_0$  (see [Figure 4](#)).

**14.2** The property may be obtained without plotting the force-extension curve by using automatic devices (see Annex A).

## 15 Method of verification of permanent set strength

The test piece is subjected to a force corresponding to the specified stress for 10 s to 12 s. This force is obtained by multiplying the specified stress by the original cross-sectional area of the test piece,  $S_0$ . After removing the force, it is then confirmed that the permanent set extension or elongation is not more than the percentage specified for the original gauge length, see [Figure 5](#).

NOTE This is a pass/fail test, which is not normally performed as a part of the standard tensile test. The stress applied to the test piece and the permissible permanent set extension or elongation are specified either by the product specification or the requester of the test. Example: Reporting " $R_{t0,5} = 750$  MPa Pass" indicates that a stress of 750 MPa was applied to the test piece and the resulting permanent set was less than or equal to 0,5 %.

## 16 Determination of the percentage yield point extension

For materials that exhibit discontinuous yielding,  $A_e$  is determined from the force-extension curve by subtracting the extension at  $R_{eH}$  from the extension at the start of uniform work-hardening. The extension at the start of uniform work-hardening is defined by the intersection of a horizontal line through the last local minimum point, or a regression line through the range of yielding, prior to uniform work-hardening and a line corresponding to the highest slope of the curve occurring at the start of uniform work-hardening (see [Figure 7](#)). It is expressed as a percentage of the extensometer gauge length,  $L_e$ .

The method used [see [Figure 7](#) a) or b)] should be documented in the test report.

## 17 Determination of the percentage plastic extension at maximum force

The method consists of determining the extension at maximum force on the force-extension curve obtained with an extensometer and subtracting the elastic strain.

Calculate the percentage plastic extension at maximum force,  $A_g$ , from [Formula \(3\)](#):

$$A_g = \left( \frac{\Delta L_m}{L_e} - \frac{R_m}{m_E} \right) \cdot 100 \quad (3)$$

where

$L_e$  is the extensometer gauge length;

$m_E$  is the slope of the elastic part of the stress-percentage extension curve;

$R_m$  is the tensile strength;

$\Delta L_m$  is the extension at maximum force.

NOTE For materials which exhibit a plateau at maximum force, the percentage plastic extension at maximum force is the extension at the mid-point of the plateau (see [Figure 1](#)).

## 18 Determination of the percentage total extension at maximum force

The method consists of determining the extension at maximum force on the force-extension curve obtained with an extensometer.

Calculate the percentage total extension at maximum force,  $A_{gt}$ , from [Formula \(4\)](#):

$$A_{gt} = \frac{\Delta L_m}{L_e} \cdot 100 \quad (4)$$

where

$L_e$  is the extensometer gauge length;

$\Delta L_m$  is the extension at maximum force.

NOTE For materials which exhibit a plateau at maximum force, the percentage total extension at maximum force is the extension at the mid-point of the plateau (see [Figure 1](#)).

## 19 Determination of the percentage total extension at fracture

The method consists of determining the extension at fracture on the force-extension curve obtained with an extensometer.

Calculate the percentage total elongation at fracture,  $A_t$ , from [Formula \(5\)](#):

$$A_t = \frac{\Delta L_f}{L_e} \cdot 100 \quad (5)$$

where

$L_e$  is the extensometer gauge length;

$\Delta L_f$  is the extension at fracture.

## 20 Determination of percentage elongation after fracture

**20.1** Percentage elongation after fracture shall be determined in accordance with the definition given in [3.4.2](#).

For this purpose, the broken pieces of the test piece shall be carefully fitted back together so that their axes lie in a straight line.

Special precautions shall be taken to ensure proper contact between the broken parts of the test piece when measuring the final gauge length. This is particularly important for test pieces of small cross-section and test pieces having low elongation values.

Calculate the percentage elongation after fracture,  $A$ , from [Formula \(6\)](#):

$$A = \frac{L_u - L_o}{L_o} \cdot 100 \quad (6)$$

where

$L_o$  is the original gauge length;

$L_u$  is the final gauge length after fracture.

Elongation after fracture,  $L_u - L_o$ , shall be determined to the nearest 0,25 mm or better using a measuring device with sufficient resolution.

If the specified minimum percentage elongation is less than 5 %, it is recommended that special precautions be taken (see Annex H). The result of this determination is valid only if the distance between the fracture and the nearest gauge mark is not less than  $L_o/3$ . However, the percentage elongation after fracture can be regarded as valid, irrespective of the position of the fracture, if the percentage elongation after fracture is equal to or greater than the specified value. To avoid having to reject test pieces where the distance between the fracture and the next gauge mark is less than  $L_o/3$ , the method described in Annex I may be used by agreement.

**20.2** When extension at fracture is measured using an extensometer, it is not necessary to mark the gauge lengths. The elongation is measured as the total extension at fracture, and it is therefore necessary to deduct the elastic extension in order to obtain percentage elongation after fracture. To obtain comparable values with the manual method, additional adjustments can be applied (e.g. high enough dynamic and frequency bandwidth of the extensometer) (see [A.2.2](#)).

The result of this determination is valid only if fracture and localized extension (necking) occurs within the extensometer gauge length,  $L_e$ . The percentage elongation after fracture can be regarded as valid regardless of the position of the fracture cross-section if the percentage elongation after fracture is equal to or greater than the specified value. If the product standard specifies the determination of percentage elongation after fracture for a given gauge length, the extensometer gauge length should be equal to this length.

**20.3** If elongation is measured over a given fixed length, it can be converted to proportional gauge length, using conversion formulae or tables as agreed before the commencement of testing (e.g. as in ISO 2566-1 and ISO 2566-2).

**NOTE** Comparisons of percentage elongation are possible only when the gauge length or extensometer gauge length, the shape, and cross-sectional area are the same or when the coefficient of proportionality,  $k$ , is the same.

## 21 Determination of percentage reduction of area

Percentage reduction of area shall be determined in accordance with the definition given in [3.8](#).

If necessary, the broken pieces of the test piece shall be carefully fitted back together so that their axes lie in a straight line.

For round test pieces, the measurements at the minimum reduced section should be made in 2 planes at 90° to each other and the average used for the calculation of  $Z$ .

Care should be taken to ensure that the fracture surfaces are not displaced when making the readings.

Calculate the percentage reduction of area,  $Z$ , from [Formula \(7\)](#):

$$Z = \frac{S_0 - S_u}{S_0} \cdot 100 \quad (7)$$

where

$S_0$  is the original cross-sectional area of the parallel length;

$S_u$  is the minimum cross-sectional area after fracture.

It is recommended to measure  $S_u$  to an accuracy of  $\pm 2\%$  (see [Figure 13](#)).

Measuring  $S_u$  with an accuracy of  $\pm 2\%$  on small diameter round test pieces, or test pieces with other cross-sectional geometries, may not be possible.

## 22 Test report

The test report shall contain at least the following information, unless otherwise agreed by the parties concerned:

- a) reference to this part of ISO 6892, extended with the test condition information specified in [10.3.4](#), e.g. ISO 6892-1:2016 A224;
- b) identification of the test piece;
- c) specified material, if known;
- d) type of test piece;
- e) location and direction of sampling of test pieces, if known;
- f) testing control mode(s) and testing rate(s) or testing rate range(s) (see [10.3.1](#)) if different from the recommended methods and values given in [10.3.2](#) and [10.3.3](#);
- g) test results:
  - results should be rounded (according to ISO 80000-1) to the following precisions or better, if not otherwise specified in product standards: strength values, in megapascals, to the nearest whole number;
  - percentage yield point extension values,  $A_e$ , to the nearest 0,1 %;
  - all other percentage extension and elongation values to the nearest 0,5 %;
  - percentage reduction of area,  $Z$ , to the nearest 1 %.

## 23 Measurement uncertainty

### 23.1 General

Measurement uncertainty analysis is useful for identifying major sources of inconsistencies of measured results.

Product standards and material property databases based on this part of ISO 6892 and earlier editions of ISO 6892 have an inherent contribution from measurement uncertainty. It is therefore inappropriate to apply further adjustments for measurement uncertainty and thereby risk failing product which is compliant. For this reason, the estimates of uncertainty derived by following this procedure are for information only.

### 23.2 Test conditions

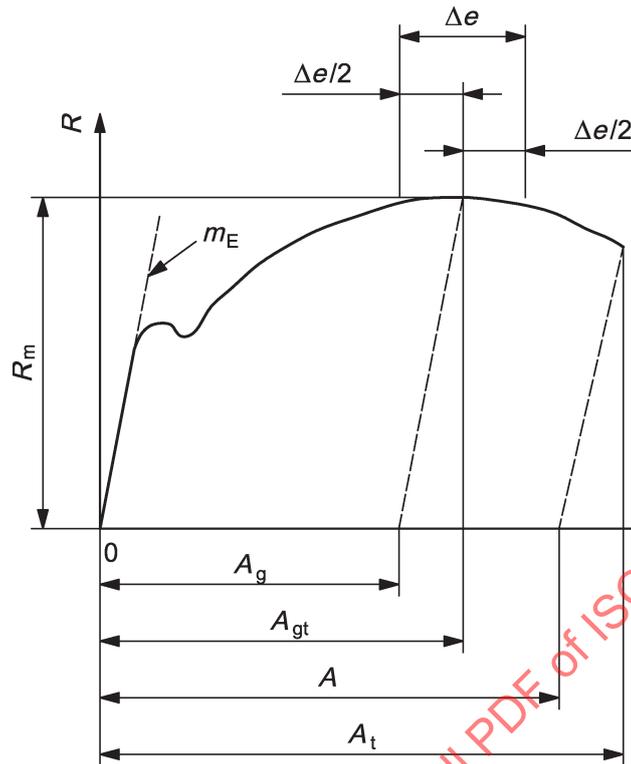
The test conditions and limits defined in this part of ISO 6892 shall not be adjusted to take account of uncertainties of measurement.

### 23.3 Test results

The estimated measurement uncertainties shall not be combined with measured results to assess compliance to product specifications.

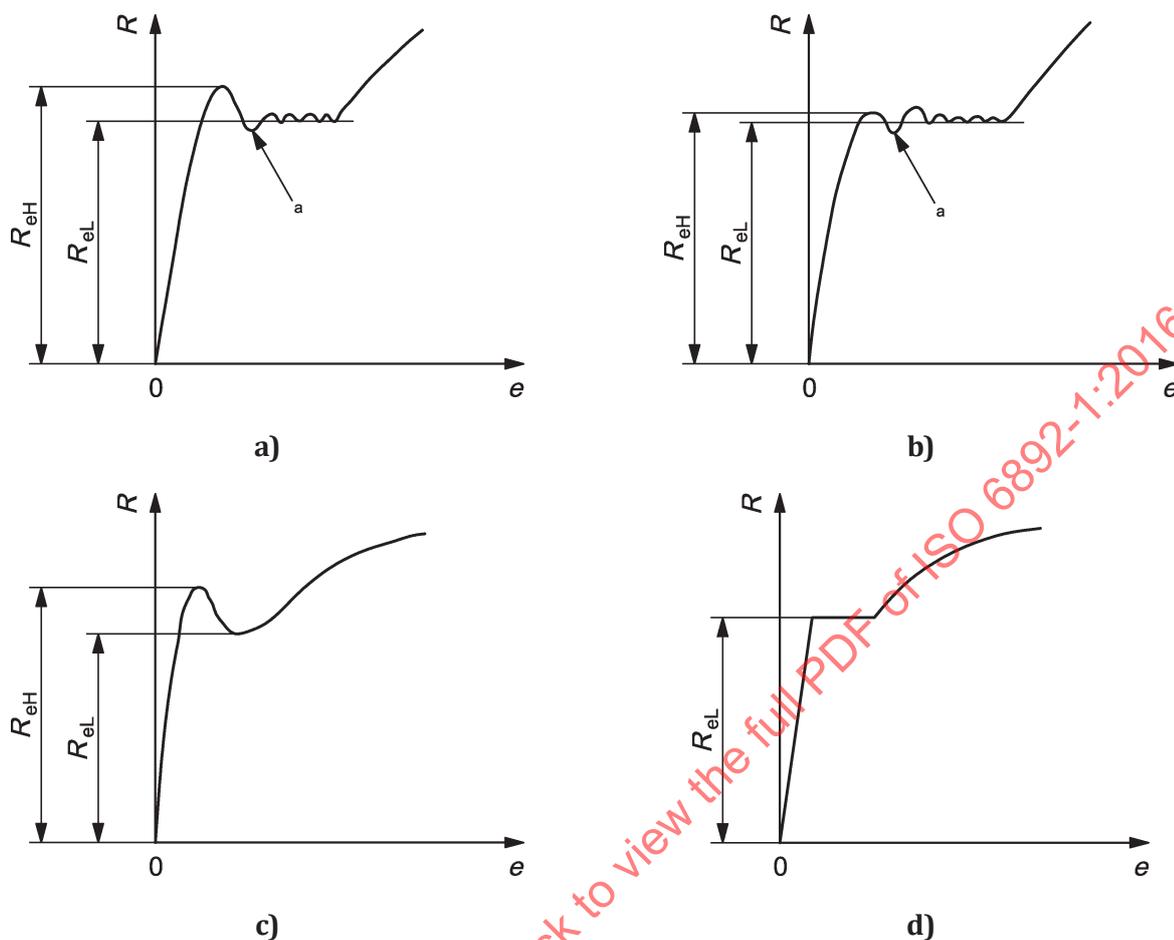
For consideration of uncertainty, see Annexes J and K, which provide guidance for the determination of uncertainty related to metrological parameters and values obtained from the interlaboratory tests on a group of steels and aluminium alloys.

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**Key**

- $A$  percentage elongation after fracture [determined from the extensometer signal or directly from the test piece (see 20.1)]
- $A_g$  percentage plastic extension at maximum force
- $A_{gt}$  percentage total extension at maximum force
- $A_t$  percentage total extension at maximum fracture
- $e$  percentage extension
- $m_E$  slope of the elastic part of the stress-percentage extension curve
- $R$  stress
- $R_m$  tensile strength
- $\Delta e$  plateau extent (for determination of  $A_g$ , see Clause 17, for determination of  $A_{gt}$ , see Clause 18)

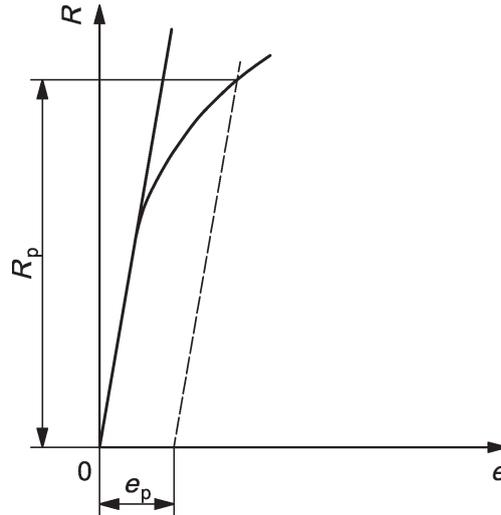
**Figure 1 — Definitions of extension**



**Key**

- $e$  percentage extension
- $R$  stress
- $R_{eH}$  upper yield strength
- $R_{eL}$  lower yield strength
- a Initial transient effect.

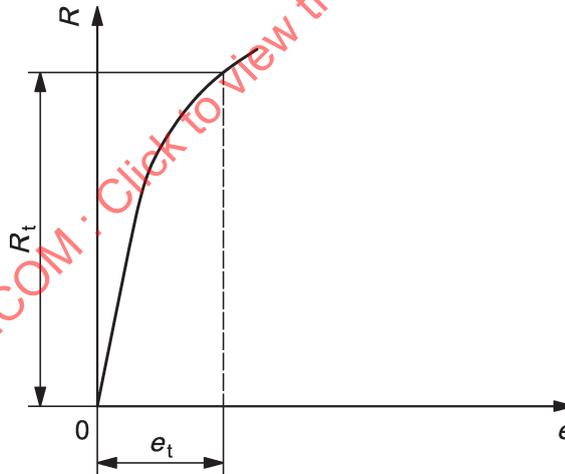
**Figure 2 — Examples of upper and lower yield strengths for different types of curve**



**Key**

- $e$  percentage extension
- $e_p$  specified percentage plastic extension
- $R$  stress
- $R_p$  proof strength, plastic extension

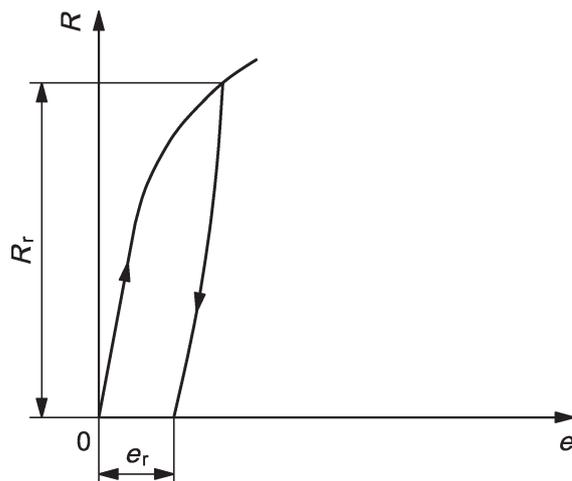
**Figure 3 — Proof strength, plastic extension,  $R_p$  (see 13.1)**



**Key**

- $e$  percentage extension
- $e_t$  percentage total extension
- $R$  stress
- $R_t$  proof strength, total extension

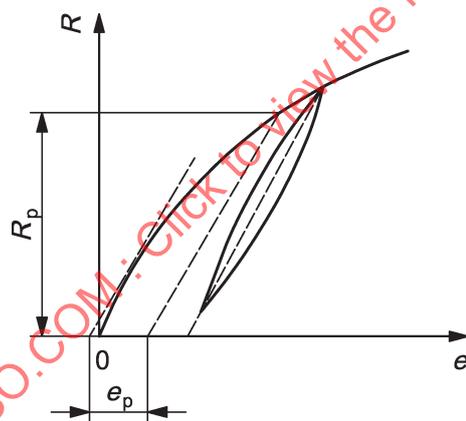
**Figure 4 — Proof strength, total extension,  $R_t$**



**Key**

- $e$  percentage elongation or percentage extension
- $e_r$  percentage permanent set extension or elongation
- $R$  stress
- $R_r$  specified permanent set strength

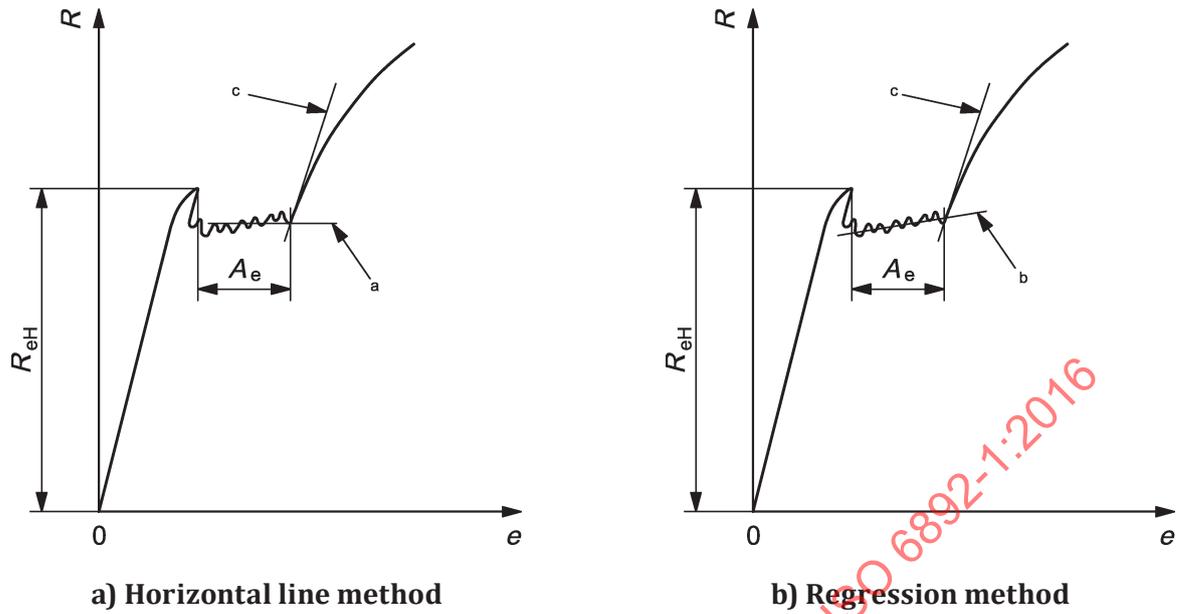
**Figure 5 — Permanent set strength,  $R_r$**



**Key**

- $e$  percentage extension
- $e_p$  specified percentage plastic extension
- $R$  stress
- $R_p$  proof strength, plastic extension

**Figure 6 — Proof strength, plastic extension,  $R_p$ , alternative procedure (see [13.1](#))**

**Key**

$A_e$  percentage yield point extension

$e$  percentage extension

$R$  stress

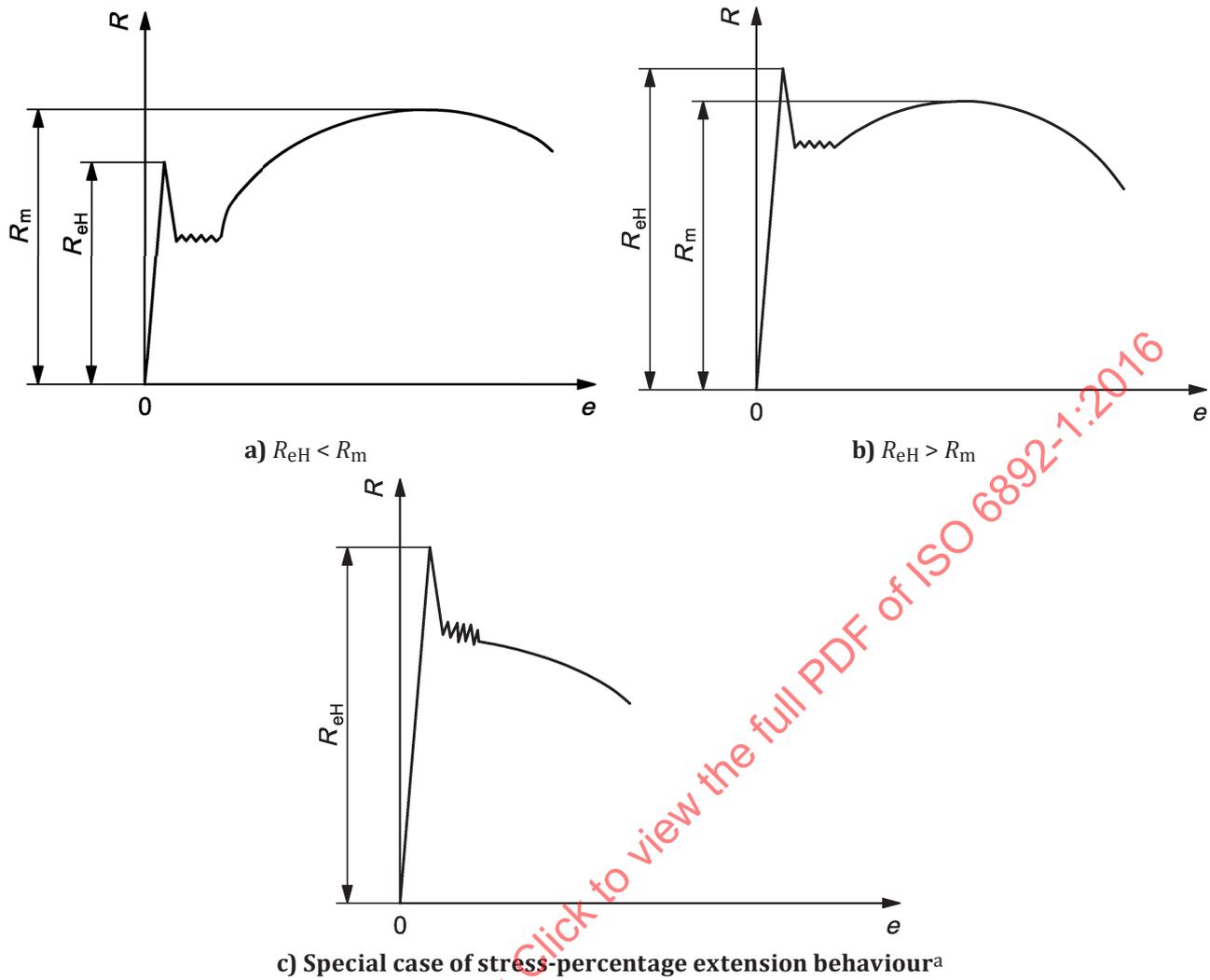
$R_{eH}$  upper yield strength

a Horizontal line through the last local minimum point, prior to uniform work-hardening.

b Regression line through the range of yielding, prior to uniform work-hardening.

c Line corresponding to the highest slope of the curve occurring at the start of uniform work-hardening.

**Figure 7 — Different evaluation methods for percentage yield point extension,  $A_e$**



**Key**

$e$  percentage extension

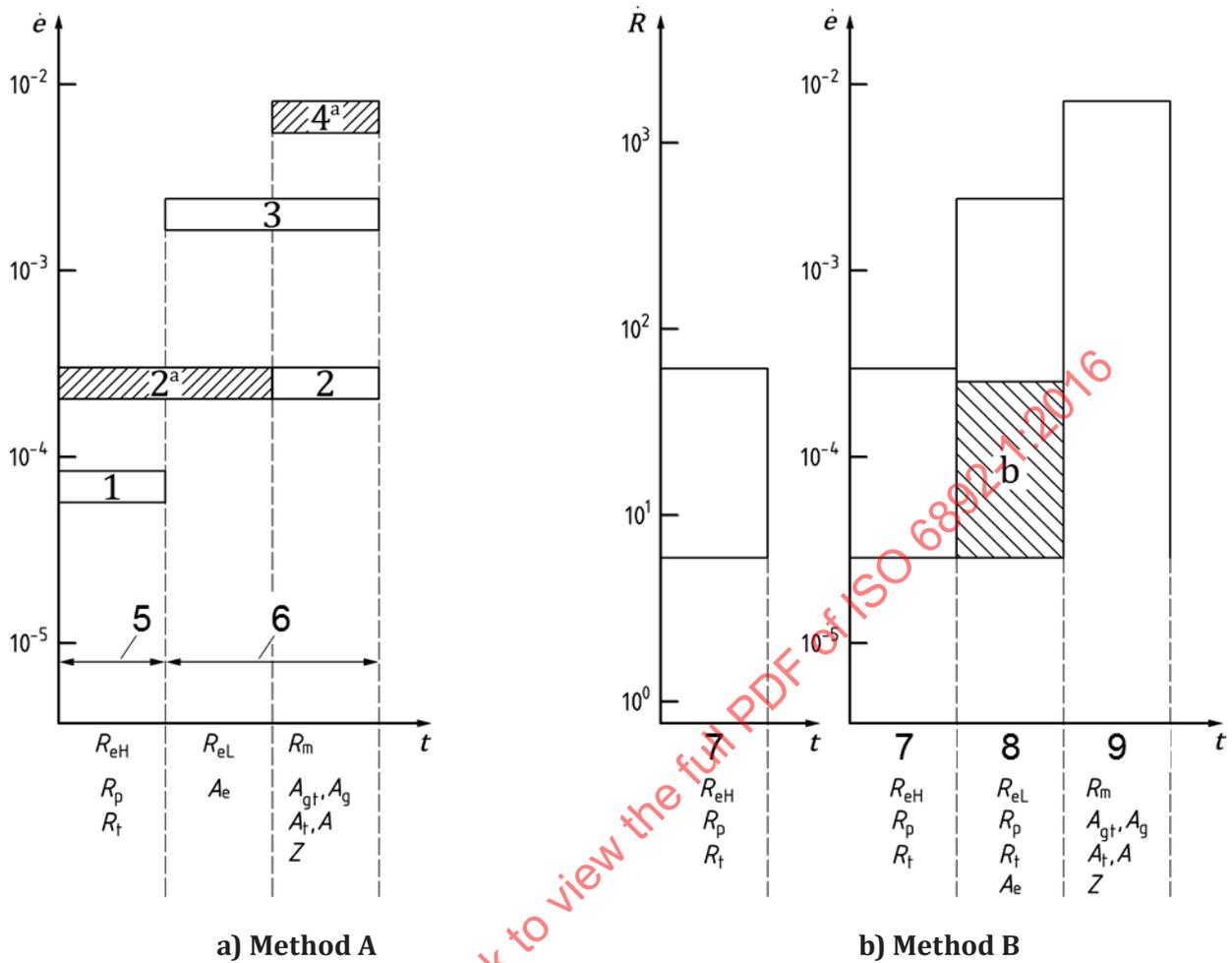
$R$  stress

$R_{eH}$  upper yield strength

$R_m$  tensile strength

<sup>a</sup> For materials which display this behaviour, no tensile strength is defined according to this part of ISO 6892. If necessary, separate agreements can be made between the parties concerned.

**Figure 8 — Different types of stress-extension curve for determination of tensile strength,  $R_m$**



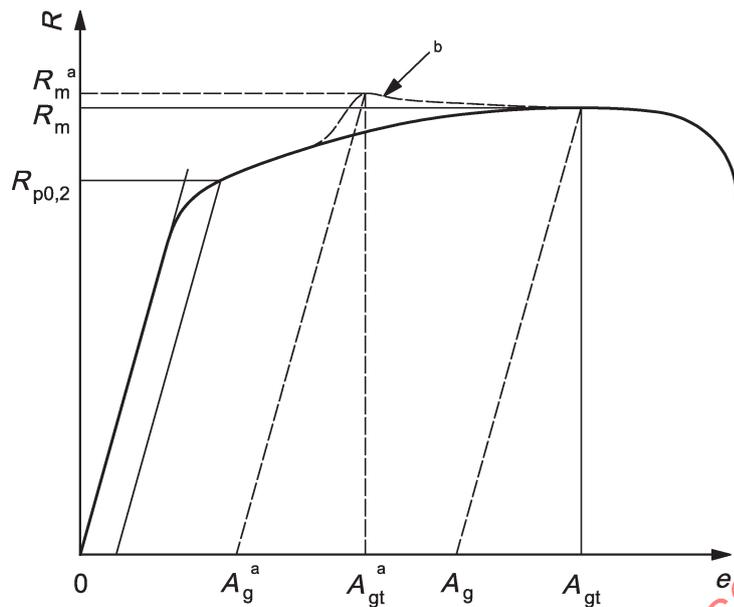
**Key**

- $\dot{\epsilon}$  strain rate, in  $s^{-1}$
- $\dot{R}$  stress rate, in  $MPa.s^{-1}$
- $t$  time
- 1 range 1:  $\dot{\epsilon} = 0,000\ 07\ s^{-1}$ , with a relative tolerance of  $\pm 20\ %$
- 2 range 2:  $\dot{\epsilon} = 0,000\ 25\ s^{-1}$ , with a relative tolerance of  $\pm 20\ %$
- 3 range 3:  $\dot{\epsilon} = 0,002\ s^{-1}$ , with a relative tolerance of  $\pm 20\ %$
- 4 range 4:  $\dot{\epsilon} = 0,006\ 7\ s^{-1}$ , with a relative tolerance of  $\pm 20\ %$  ( $0,4\ min^{-1}$ , with a relative tolerance of  $\pm 20\ %$ )
- 5 control mode: Extensometer control or crosshead control
- 6 control mode: Crosshead control
- 7 elastic range of the test
- 8 plastic range for the determination of  $R_{eL}$ ,  $R_p$ ,  $R_t$ ,  $A_e$
- 9 maximum strain rate for the determination of  $R_m$ ,  $A_{gt}$ ,  $A_g$ ,  $A_t$ ,  $A$ ,  $Z$
- a Recommended.
- b Expanded range to lower rates, if testing machine is not capable of measuring or controlling the strain rate (see [10.3.3.2.5](#)).

NOTE 1 Symbols refer to [Table 1](#).

NOTE 2 Strain rate in the elastic range for method B is calculated from stress rate using a Young's modulus of 210 000 MPa (steel).

**Figure 9 — Illustration of strain rates to be used during the tensile test, if  $R_{eH}$ ,  $R_{eL}$ ,  $R_p$ ,  $R_t$ ,  $R_m$ ,  $A_e$ ,  $A_g$ ,  $A_{gt}$ ,  $A$ ,  $A_t$ , and  $Z$  are determined**



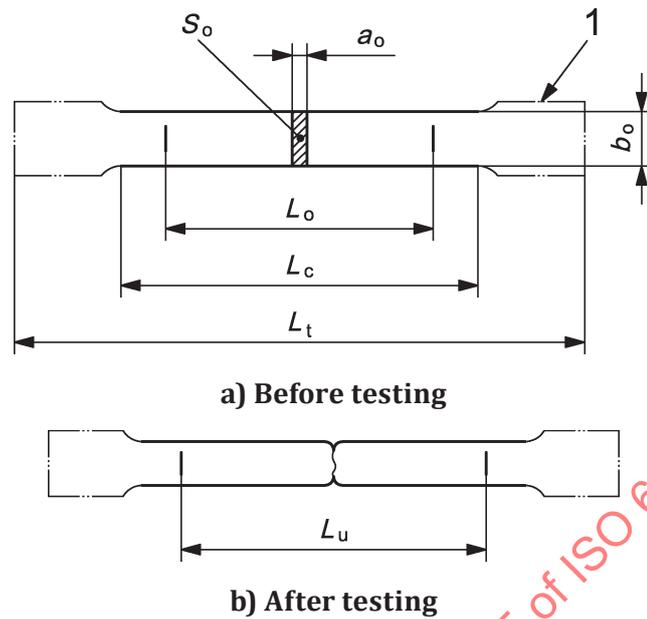
**Key**

- $e$  percentage extension
- $R$  stress
- a False values, resulting from an abrupt strain rate increase.
- b Stress-strain behaviour, if strain rate is abruptly increased.

NOTE For parameter definitions, see [Table 1](#).

**Figure 10 — Illustration of an inadmissible discontinuity in the stress-strain curve**

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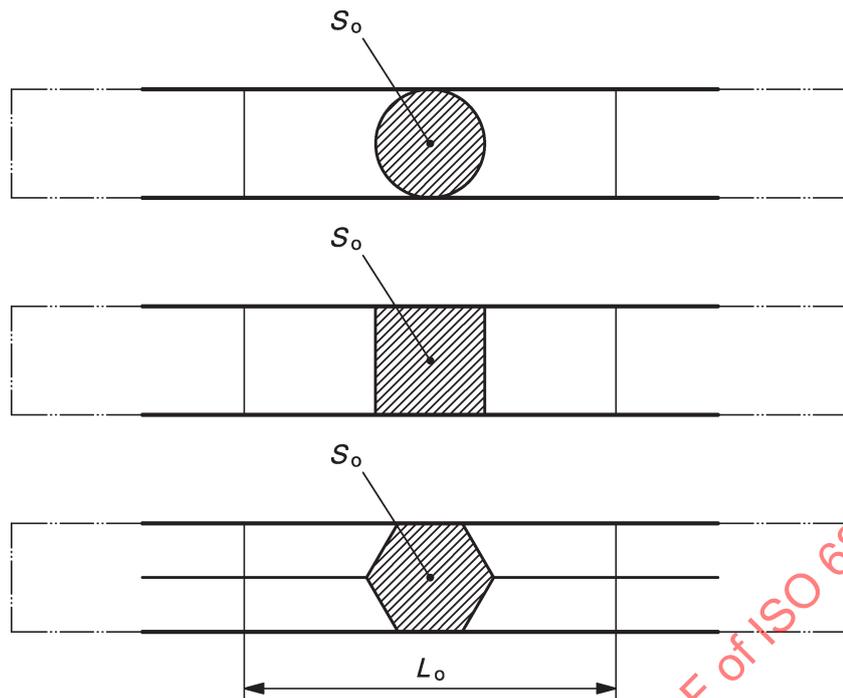


**Key**

- $a_o$  original thickness of a flat test piece or wall thickness of a tube
- $b_o$  original width of the parallel length of a flat test piece
- $L_c$  parallel length
- $L_o$  original gauge length
- $L_t$  total length of test piece
- $L_u$  final gauge length after fracture
- $S_o$  original cross-sectional area of the parallel length
- 1 gripped ends

NOTE The shape of the test-piece heads is only given as a guide.

**Figure 11 — Machined test pieces of rectangular cross-section (see Annexes B and D)**



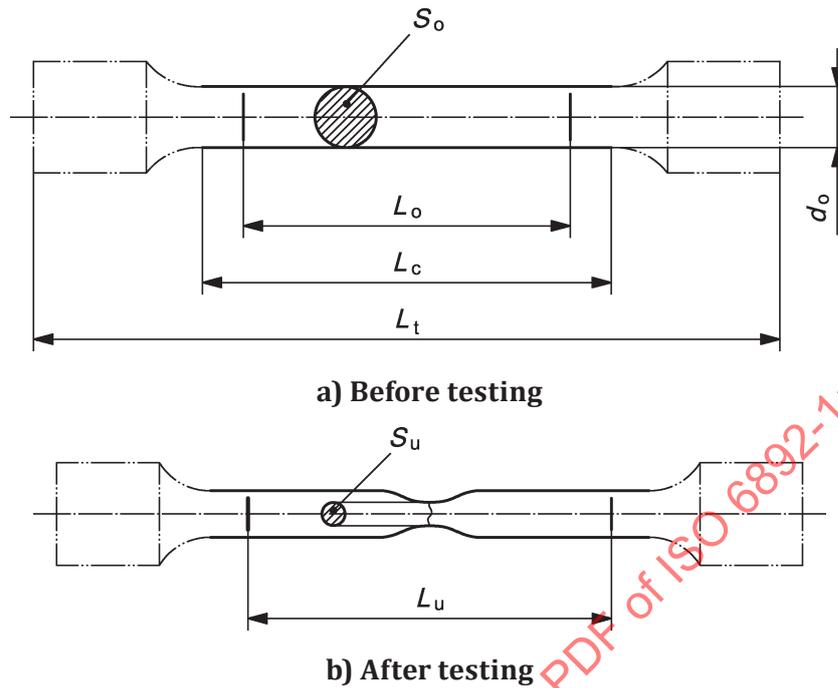
**Key**

$L_0$  original gauge length

$S_0$  original cross-sectional area

**Figure 12 — Test pieces comprising an unmachined portion of the product (see Annex C)**

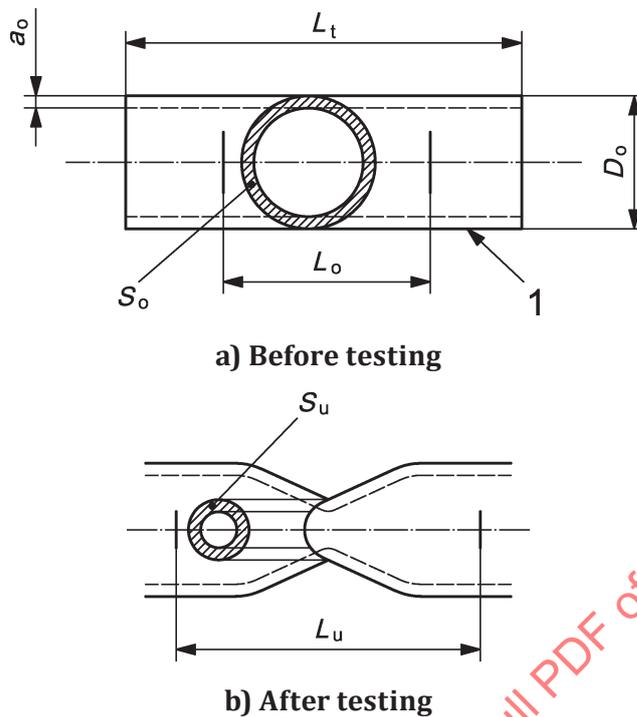
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**Key**

- $d_o$  original diameter of the parallel length of a circular test piece
- $L_c$  parallel length
- $L_o$  original gauge length
- $L_t$  total length of test piece
- $L_u$  final gauge length after fracture
- $S_o$  original cross-sectional area of the parallel length
- $S_u$  minimum cross-sectional area after fracture

NOTE The shape of the test-piece heads is only given as a guide.

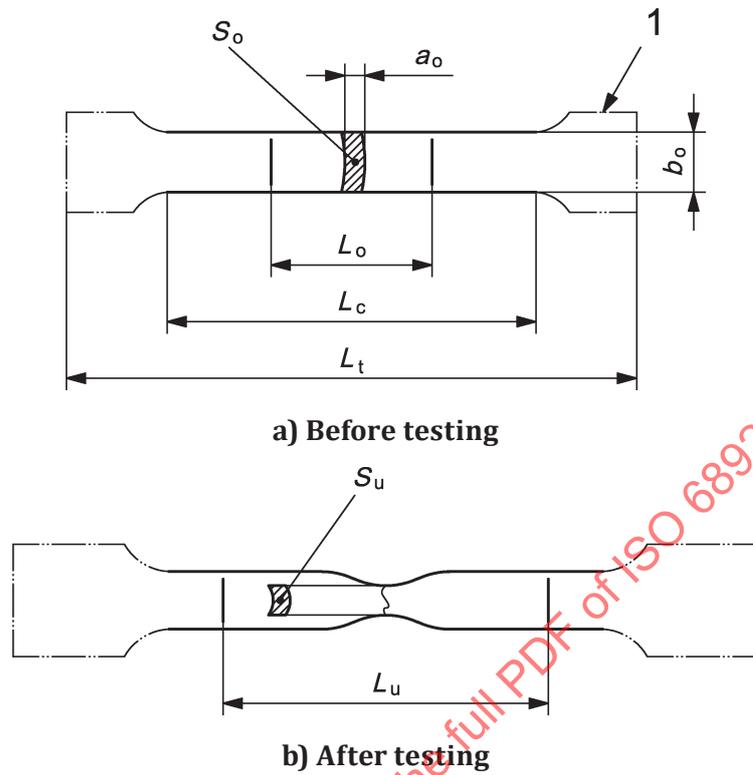
**Figure 13** — Machined test pieces of round cross-section (see Annex D)



**Key**

- $a_o$  original wall thickness of a tube
- $D_o$  original external diameter of a tube
- $L_o$  original gauge length
- $L_t$  total length of test piece
- $L_u$  final gauge length after fracture
- $S_o$  original cross-sectional area of the parallel length
- $S_u$  minimum cross-sectional area after fracture
- 1 gripped ends

**Figure 14 — Test pieces comprising a length of tube (see Annex E)**



**Key**

- $a_o$  original wall thickness of a tube
- $b_o$  original average width of the longitudinal strip taken from a tube
- $L_c$  parallel length
- $L_o$  original gauge length
- $L_t$  total length of test piece
- $L_u$  final gauge length after fracture
- $S_o$  original cross-sectional area of the parallel length
- $S_u$  minimum cross-sectional area after fracture
- 1 gripped ends

NOTE The shape of the test-piece heads is only given as a guide.

**Figure 15 — Test piece cut from a tube (see Annex E)**

## Annex A (informative)

### Recommendations concerning the use of computer-controlled tensile testing machines

#### A.1 General

This Annex contains additional recommendations for the determination of mechanical properties by using a computer-controlled tensile testing machine. In particular, it provides the recommendations that should be taken into account in the software and testing conditions.

These recommendations are related to the design, the software of the machine and its validation, and to the operating conditions of the tensile test.

#### A.2 Tensile testing machine

##### A.2.1 Design

The machine should be designed in order to provide outputs giving analogue signals untreated by the software. If such outputs are not provided, the machine manufacturer should give raw digital data with information on how these raw digital data have been obtained and treated by the software. They should be given in basic SI units relating to the force, the extension, the crosshead separation, the time, and the test piece dimensions. An example of the format of suitable data files is given in [Figure A.1](#).

```

A {
"Reference";"ISO 6892"
"Identification";"TENSTAND"
"Material";"DC 04 Steel"
"Extensometer to crosshead transition";0.00;"%"
"Specimen geometry";"flat"
"Specimen thickness = ao"
"Specimen width = bo"
"Cross-sectional area = So"
"Extensometer gauge length = Le"
"Extensometer output in mm"
"Parallel length = Lc"
>Data acquisition rate 50Hz"
>Data row for start force reduction (Hysteresis) = Hs"
>Data row for end force reduction (Hysteresis) = He"
>Data row for switch to crosshead = Cs"
"File length N data rows"
"File width M data columns"
.
.
B {
"ao";0.711;"mm"
"bo";19.93;"mm"
"So";14.17;"mm2"
"Le";80.00;"mm"
"Lc";120.00;"mm"
"N";2912
"M";4
"Hs";0
"He";0
-Cs";0
.
.
C {
"time";"crosshead";"extensometer";"force"
"s";"mm";"mm";"kN"
.
.
0.40;0.0012;0.0000;0.12694
0.42;0.0016;0.0000;0.12992
0.44;0.0020;0.0001;0.13334
0.46;0.0024;0.0002;0.13699
0.48;0.0029;0.0003;0.14114
0.50;0.0035;0.0004;0.14620
0.52;0.0041;0.0006;0.15124
0.54;0.0047;0.0007;0.15669
0.56;0.0054;0.0008;0.16247
0.58;0.0060;0.0009;0.16794
0.60;0.0067;0.0012;0.17370
0.62;0.0074;0.0013;0.17980
0.64;0.0082;0.0014;0.18628
.
.

```

**Key**

- A header
- B test parameters and sample dimensions
- C data

**Figure A.1 — Example of the format of suitable data files**

**A.2.2 Data sampling frequency**

The frequency bandwidth of each of the measurement channels and the data sampling frequency should be sufficiently high to record the material characteristics to be measured. For example, to capture  $R_{eH}$ , [Formula \(A.1\)](#) may be used to determine the minimum sampling frequency,  $f_{min}$ , in reciprocal seconds:

$$f_{min} = \frac{\dot{\epsilon} \cdot E}{R_{eH} \cdot q} \cdot 100 \tag{A.1}$$

where

$\dot{\epsilon}$  is the strain rate, in reciprocal seconds;

$E$  is the modulus of elasticity, in megapascals;

$R_{eH}$  is the upper yield strength, in megapascals;

$q$  is the relative force measurement accuracy error, expressed as a percentage, of the testing machine (according to ISO 7500-1).

The choice of  $R_{eH}$  in [Formula \(A.1\)](#) is due to the fact that it corresponds to a transient characteristic during the test. If the material tested has no yield phenomena, the proof strength  $R_{p0,2}$  should be used and the required minimum sampling frequency can be halved.

If method B (stress rate based) is used, the minimum sampling frequency should be calculated using [Formula \(A.2\)](#):

$$f_{\min} = \frac{\dot{R}}{R_{eH} \cdot q} \cdot 100 \quad (\text{A.2})$$

where  $\dot{R}$  is the stress rate, in megapascals per second.

### A.3 Determination of the mechanical properties

#### A.3.1 General

The following requirements should be taken into account by the software of the machine.

#### A.3.2 Upper yield strength

$R_{eH}$  ([3.10.2.1](#)) should be considered as the stress corresponding to the highest value of the force prior to a reduction of at least 0,5 % of the force, and followed by a region in which the force should not exceed the previous maximum over a strain range not less than 0,05 %.

#### A.3.3 Proof strength at plastic extension and proof strength at total extension

$R_p$  ([3.10.3](#)) and  $R_t$  ([3.10.4](#)) can be determined by interpolation between adjacent points on the curve.

#### A.3.4 Percentage total extension at maximum force

$A_{gt}$  (see [3.6.4](#) and [Figure 1](#)) should be considered as the total extension corresponding to the strain at maximum force.

For some materials, it is necessary to smooth the stress-strain curve in which case a polynomial regression is recommended. The smoothing range may have an influence on the result. The smoothed curve should be a reasonable representation of the relevant part of the original stress-strain curve.

#### A.3.5 Percentage plastic extension at maximum force

$A_g$  (see [3.6.5](#) and [Figure 1](#)) should be considered as the plastic extension corresponding to the strain at maximum force.

For some materials, it is necessary to smooth the stress-strain curve in which case a polynomial regression is recommended. The smoothing range may have an influence on the result. The smoothed curve should be a reasonable representation of the relevant part of the original stress-strain curve.

### A.3.6 Percentage elongation at fracture

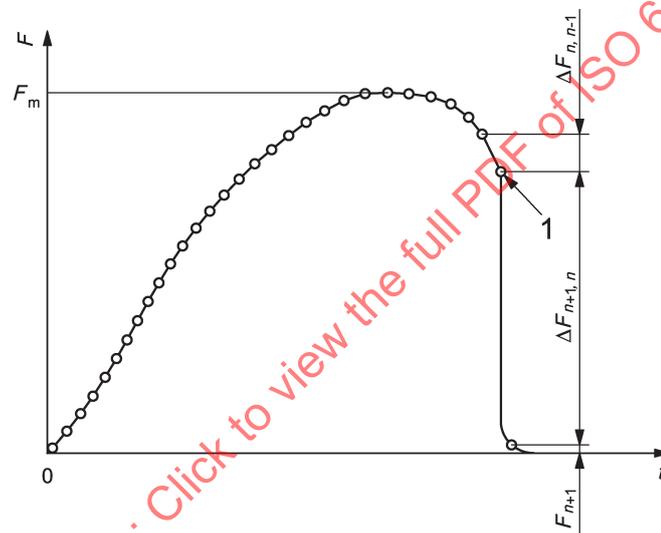
**A.3.6.1** Determine  $A_t$  with reference to the definition of fracture in [Figure A.2](#).

The fracture is considered to be effective when the force between two consecutive points decreases

- by more than five times the difference between the value of the previous two points, followed by a decrease to lower than 2 % of the maximum tensile force, and
- lower than 2 % of the maximum tensile force (soft materials).

An increased sampling rate and/or filtering of the force signal may influence the point of fracture determined according to this method.

Another useful method for detecting the fracture of the test piece is to monitor the voltage or electric current through the test piece, when the values measured just before the current is interrupted are taken as those at fracture.



#### Key

$F$	force	1	fracture
$F_m$	maximum force	○	data point
$F_{n+1}$	force at measuring point $n + 1$		Criteria for fracture
$\Delta F_{n,n-1}$	force difference between measuring point $n$ and $n - 1$		$ \Delta F_{n+1,n}  > 5 \Delta F_{n,n-1} $ and/or
$\Delta F_{n+1,n}$	force difference between measuring point $n + 1$ and $n$		$F_{n+1} < 0,02F_m$
$t$	time		

**Figure A.2 — Schematic representation for definition of fracture of the test piece**

**A.3.6.2** If the extensometer is kept on and the extension is measured until the fracture, evaluate the value at point 1 in [Figure A.2](#)

**A.3.6.3** If the extensometer is removed or if the extension measurement is interrupted before fracture but after maximum force,  $F_m$ , then it is permitted to use crosshead displacement to determine the additional elongation between removal of the extensometer and fracture. The method used should be verifiable.

### A.3.7 Measurement of the slope of the curve in the elastic range

In order to be valid for test pieces of unknown characteristics, the method used should not rely upon any predefined stress limit, unless this is defined in the product standard or by agreement between parties to the test.

Methods based on the calculation of the characteristics of a sliding segment are the most convenient. The parameters are the following:

- a) the length of the sliding segment (number of points used);
- b) the formula chosen as reference to define the slope of the curve.

NOTE If the straight portion of the force extension curve is not clearly defined, refer to [13.1](#).

The slope of the curve in the elastic range corresponds to the mean slope in a range where the following conditions are fulfilled:

- the slope of the sliding segment is constant;
- the selected range is representative.

In any case, it should be recommended that pertinent limits for the range can be selected by the user in order to eliminate unrepresentative values of the slope of the curve in the elastic range.

References to these and other acceptable methods are given in References [\[5\]](#), [\[17\]](#), [\[18\]](#), and [\[19\]](#).

A recommended method to determine the slope of the elastic line for evaluation of  $R_{p0,2}$  (Reference [\[20\]](#)) is given below.

- linear regression of the linear range;
- lower limit: ~10 % of  $R_{p0,2}$ ;
- upper limit: ~40 % of  $R_{p0,2}$ ;
- to get more exact data for  $R_{p0,2}$ , the elastic line should be checked and if necessary recalculated with other limits.

### A.4 Validation of the software for determination of the tensile properties

The efficiency of the methods used by the testing system to determine the various material characteristics may be checked by comparison with results determined in the traditional manner by examination/calculation from plots of analogue or digital data. Data which are derived directly from the machine transducers or amplifiers should be collected and processed using equipment with frequency bandwidth, sampling frequency, and uncertainty of at least equal to those used to provide the machine computer-calculated results.

Confidence may be placed in the accuracy of the machine computer processing if differences in arithmetic means between computer-determined values and those determined manually on the same test piece are small. For the purposes of assessing the acceptability of such differences, five similar test pieces should be tested and the average difference for each relevant property should lie within the limits shown in [Table A.1](#).

NOTE This procedure confirms only that the machine finds the material characteristics for the particular test piece shape, material tested, and conditions used. It gives no confidence that the properties of the material tested are either correct or fit for purpose.

If other methods are used, e.g. injection of a pre-determined set of data from a known material with a recognized level of quality assurance, these should meet the requirements mentioned above and those in [Table A.1](#).

As part of the EU-funded TENSTAND project (GBRD-CT-2000-00412), ASCII data files were produced with agreed values of tensile properties that may be used for validation of software. [Available (2009-07-23) at <http://www.npl.co.uk/tenstand>]. Further details are given in References [21] and [22].

**Table A.1 — Maximum permitted differences between computer-derived and manually derived results**

Parameter	$D^a$		$s^b$	
	Relative <sup>c</sup>	Absolute <sup>c</sup>	Relative <sup>c</sup>	Absolute <sup>c</sup>
$R_{p0,2}$	≤0,5 %	2 MPa	≤0,35 %	2 MPa
$R_{p1}$	≤0,5 %	2 MPa	≤0,35 %	2 MPa
$R_{eH}$	≤1 %	4 MPa	≤0,35 %	2 MPa
$R_{eL}$	≤0,5 %	2 MPa	≤0,35 %	2 MPa
$R_m$	≤0,5 %	2 MPa	≤0,35 %	2 MPa
$A$	—	≤2 %	—	≤2 %

a 
$$D = \frac{1}{n} \sum_{i=1}^n D_i$$

b 
$$s = \sqrt{\frac{1}{n-1} \sum_{i=1}^n (D_i - D)^2}$$

where

$D_i$  is the difference between the result of manual evaluation,  $H_i$ , and the result of computer evaluation,  $R_i$ , for a test piece ( $D_i = H_i - R_i$ );

$n$  is the number of identical test pieces from one sample (≥5)

c The highest of the relative and absolute values should be taken into account.

### A.5 Computer compatible representation of standards

Computer Compatible Representation of Standards Computer readable data formats developed within the scope of the CEN/WS ELSSI-EMD offer an effective means to overcome systems interoperability issues and enable electronic reporting in the engineering materials sector. The findings of CEN/WS ELSSI-EMD, which aimed to establish the viability of defining data formats based on documentary Standards for mechanical testing, are reported in CWA 16200.[42] The guidelines that CWA 16200 describes for defining computer readable data formats based on a documentary testing standard have been applied to ISO 6892-1. The resulting definitions are available from the BSI Standards Resources server.

To demonstrate potential usage, CWA 16200 includes examples of the reporting capability for the data formats based on a tensile test carried out using a test piece manufactured from the Tensile Certified Reference Material CRM 661 (INGELBRECHT and LOVEDAY 2000[29]) carried out as part of the TENSTAND Project (RIDES and LORD, 2005[21]).

## Annex B (normative)

### Types of test pieces to be used for thin products: sheets, strips, and flats between 0,1 mm and 3 mm thick

#### B.1 General

For products of less than 0,5 mm thickness, special precautions may be necessary.

#### B.2 Shape of the test piece

Generally, the test piece has gripped ends which are wider than the parallel length. The parallel length,  $L_c$ , shall be connected to the ends by means of transition curves with a radius of at least 20 mm. The width of these ends should be  $\geq 1,2b_0$ , where  $b_0$  is the original width.

By agreement, the test piece may also consist of a strip with parallel sides (parallel sided test piece). For products of width equal to or less than 20 mm, the width of the test piece may be the same as that of the product.

#### B.3 Dimensions of the test piece

Three different non-proportional test piece geometries are widely used (see [Table B.1](#)).

The parallel length shall not be less than  $L_0 + b_0/2$ .

In case of dispute, the length  $L_0 + 2b_0$  should be used, unless there is insufficient material.

For parallel side test pieces less than 20 mm wide, and unless otherwise specified in the product standard, the original gauge length,  $L_0$ , shall be equal to 50 mm. For this type of test piece, the free length between the grips shall be equal to  $L_0 + 3b_0$ .

When measuring the dimensions of each test piece, the tolerances on shape given in [Table B.2](#) shall apply.

For test pieces where the width is the same as that of the product, the original cross-sectional area,  $S_0$ , shall be calculated on the basis of the measured dimensions of the test piece.

The nominal width of the test piece may be used, provided that the machining tolerances and tolerances on shape given in [Table B.2](#) have been complied with, to avoid measuring the width of the test piece before the test.

Table B.1 — Dimensions of test pieces

Dimensions in millimetres

Test piece type	Width $b_0$	Original gauge length $L_0$	Parallel length $L_c$		Free length between the grips for parallel sided test piece
			Minimum	Recommended	
1	12,5 ± 1	50	57	75	87,5
2	20 ± 1	80	90	120	140
3	25 ± 1	50 <sup>a</sup>	60 <sup>a</sup>	—	Not defined

<sup>a</sup> The ratio  $L_0/b_0$  and  $L_c/b_0$  of a type 3 test piece in comparison to one of types 1 and 2 is very low. As a result, the properties, especially the elongation after fracture (absolute value and scatter range), measured with this test piece, will be different from the other test piece types.

Table B.2 — Tolerances on the width of the test piece

Dimensions and tolerances in millimetres

Nominal width of the test piece	Machining tolerance <sup>a</sup>	Tolerance on shape <sup>b</sup>
12,5	±0,05	0,06
20	±0,10	0,12
25	±0,10	0,12

<sup>a</sup> These tolerances are applicable if the nominal value of the original cross-sectional area,  $S_0$ , is to be used in the calculation of results without having to measure each test piece.

<sup>b</sup> Maximum deviation between the measurements of the width along the entire parallel length,  $L_c$ , of the test piece.

## B.4 Preparation of test pieces

The test pieces shall be prepared so as not to affect the properties of the sample. Any areas which have been hardened by shearing or punching, if it affects the properties, shall be removed by machining. These test pieces are predominantly prepared from sheet or strip. If possible, the as-rolled surfaces should not be removed.

The preparation of these test pieces by punching can result in significant changes to the material properties, especially the yield/proof strength (due to work-hardening). Materials which exhibit high work-hardening should, generally, be prepared by milling, grinding, etc.

For very thin materials, it is recommended that strips of identical widths should be cut and assembled into a bundle with intermediate layers of a paper which is resistant to the cutting oil. Each small bundle of strips should then be assembled with a thicker strip on each side, before machining to the final dimensions of the test piece.

The tolerance given in [Table B.2](#), e.g. ±0,05 mm for a nominal width of 12,5 mm, means that no test piece shall have a width outside the two values given below, if the nominal value of the original cross-sectional area,  $S_0$ , is to be included in the calculation without having to measure it.

$$12,5 \text{ mm} + 0,05 \text{ mm} = 12,55 \text{ mm}$$

$$12,5 \text{ mm} - 0,05 \text{ mm} = 12,45 \text{ mm}$$

## B.5 Determination of the original cross-sectional area

$S_0$  shall be calculated from measurements of the dimensions of the test piece or by assumption of good machining practice (see footnote a of [Table B.2](#)).

The error in determining the original cross-sectional area shall not exceed  $\pm 2$  %. As the greatest part of this error normally results from the measurement of the thickness of the test piece, the error in measurement of the width shall not exceed  $\pm 0,2$  %.

In order to achieve test results with a reduced measurement uncertainty, it is recommended that the original cross-sectional area be determined with an accuracy of  $\pm 1$  % or better. For thin materials, special measurement techniques may be required.

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## Annex C (normative)

### Types of test pieces to be used for wire, bars, and sections with a diameter or thickness of less than 4 mm

#### C.1 Shape of the test piece

The test piece generally consists of an unmachined portion of the product (see [Figure 12](#)).

#### C.2 Dimensions of the test piece

The original gauge length,  $L_0$ , shall be taken as 200 mm ± 2 mm or 100 mm ± 1 mm. The distance between the grips of the machine shall be equal to at least  $L_0 + 3b_0$  but a minimum of  $L_0 + 20$  mm.

If the percentage elongation after fracture is not to be determined, a distance between the grips of at least 50 mm may be used.

#### C.3 Preparation of test pieces

If the product is delivered coiled, care shall be taken in straightening it.

#### C.4 Determination of the original cross-sectional area

Determine  $S_0$  to an accuracy of ±1 % or better.

For products of circular cross-section, the original cross-sectional area may be calculated from the arithmetic mean of two measurements carried out in two perpendicular directions.

The original cross-sectional area,  $S_0$ , in square millimetres, may be determined from the mass of a known length and its density using [Formula \(C.1\)](#):

$$S_0 = \frac{1\,000 \cdot m}{\rho \cdot L_t} \quad (\text{C.1})$$

where

$m$  is the mass, in grams, of the test piece;

$L_t$  is the total length, in millimetres, of the test piece;

$\rho$  is the density, in grams per cubic centimetre, of the test piece material.

## Annex D (normative)

### Types of test pieces to be used for sheets and flats of thickness equal to or greater than 3 mm and wire, bars, and sections of diameter or thickness equal to or greater than 4 mm

#### D.1 Shape of the test piece

Usually, the test piece is machined and the parallel length shall be connected by means of transition radii to the gripped ends which may be of any suitable shape for the grips of the testing machine (see [Figure 13](#)). The minimum transition radius between the gripped ends and the parallel length shall be the following:

- a)  $0,75d_0$ , where  $d_0$  is the diameter of the parallel length, for the cylindrical test pieces;
- b) 12 mm for other test pieces.

Sections, bars, etc. may be tested unmachined, if required.

The cross-section of the test piece may be circular, square, rectangular or, in special cases, of another shape.

For test pieces with a rectangular cross-section, it is recommended that the width to thickness ratio should not exceed 8:1.

In general, the diameter of the parallel length of machined cylindrical test pieces shall be not less than 3 mm.

#### D.2 Dimensions of the test piece

##### D.2.1 Parallel length of machined test piece

The parallel length,  $L_C$ , shall be at least equal to:

- a)  $L_0 + (d_0/2)$  for cylindrical test pieces;
- b)  $L_0 + 1,5\sqrt{S_0}$  for proportional test pieces other than cylindrical test pieces;
- c)  $L_0 + (b_0/2)$  for non-proportional test pieces (see [Table D.2](#)).

In cases of dispute, the length  $L_0 + 2d_0$  or  $L_0 + 2\sqrt{S_0}$  shall be used depending on the type of test piece, unless there is insufficient material.

##### D.2.2 Length of unmachined test piece

The free length between the grips of the machine shall be adequate for the gauge marks to be at least a distance of  $\sqrt{S_0}$  from the grips.

## D.2.3 Original gauge length

### D.2.3.1 Proportional test pieces

As a general rule, proportional test pieces are used where  $L_0$  is related to the original cross-sectional area,  $S_0$ , by [Formula \(D.1\)](#):

$$L_0 = k\sqrt{S_0} \quad (\text{D.1})$$

where  $k$  is equal to 5,65.

Alternatively, 11,3 may be used as the  $k$  value.

Test pieces of circular cross-section should preferably have one set of dimensions given in [Table D.1](#).

**Table D.1 — Circular cross-section test pieces**

Coefficient of proportionality $k$	Diameter $d$ mm	Original gauge length $L_0 = k\sqrt{S_0}$ mm	Minimum parallel length $L_c$ mm
5,65	20	100	110
	14	70	77
	10	50	55
	5	25	28

### D.2.3.2 Non-proportional test pieces

Non-proportional test pieces may be used if specified by the product standard.

The parallel length,  $L_c$ , should not be less than  $L_0 + b_0/2$ . In case of dispute, the parallel length  $L_c = L_0 + 2b_0$  shall be used unless there is insufficient material.

[Table D.2](#) gives details of some typical test piece dimensions.

**Table D.2 — Typical flat test piece dimensions**

Dimensions in millimetres

Width $b_0$	Original gauge length $L_0$	Minimum parallel length $L_c$	Approximately total length $L_t$
$40 \pm 0,7$	200	220	450
$25 \pm 0,7$	200	212,5	450
$20 \pm 0,5$	80	90	300

## D.3 Preparation of test pieces

### D.3.1 General

The tolerances on the transverse dimensions of machined test pieces are given in [Table D.3](#).

An example of the application of these tolerances is given in [D.3.2](#) and [D.3.3](#).

### D.3.2 Machining tolerances

The value given in [Table D.3](#), e.g.  $\pm 0,03$  mm for a nominal diameter of 10 mm, means that no test piece shall have a diameter outside the two values given below, if the nominal value of the original cross-sectional area,  $S_0$ , is to be used in the calculation of results without having to measure each test piece.

$$10 \text{ mm} + 0,03 \text{ mm} = 10,03 \text{ mm}$$

$$10 \text{ mm} - 0,03 \text{ mm} = 9,97 \text{ mm}$$

### D.3.3 Tolerances on shape

The value given in [Table D.3](#) means that, for a test piece with a nominal diameter of 10 mm which satisfies the machining conditions given above, the deviation between the smallest and largest diameters measured shall not exceed 0,04 mm.

Consequently, if the minimum diameter of this test piece is 9,99 mm, its maximum diameter shall not exceed  $9,99 \text{ mm} + 0,04 \text{ mm} = 10,03 \text{ mm}$ .

**Table D.3 — Tolerances relating to the transverse dimensions of test pieces**

Dimensions and tolerances in millimetres

Designation	Nominal transverse dimension	Machining tolerance on the nominal dimension <sup>a</sup>	Tolerance on shape <sup>b</sup>
Diameter of machined test pieces of circular cross-section and transverse dimensions of test pieces of rectangular cross-section machined on all four sides	$\geq 3$	$\pm 0,02$	0,03
	$\leq 6$		
	$> 6$	$\pm 0,03$	0,04
	$\leq 10$		
	$> 10$	$\pm 0,05$	0,04
	$\leq 18$		
$> 18$	$\pm 0,10$	0,05	
$\leq 30$			
Transverse dimensions of test pieces of rectangular cross-section machined on only two opposite sides	$\geq 3$	$\pm 0,02$	0,03
	$\leq 6$		
	$> 6$	$\pm 0,03$	0,04
	$\leq 10$		
	$> 10$	$\pm 0,05$	0,06
	$\leq 18$		
	$> 18$	$\pm 0,10$	0,12
$\leq 30$			
$> 30$	$\pm 0,15$	0,15	
$\leq 50$			

<sup>a</sup> These tolerances are applicable if the nominal value of the original cross-sectional area,  $S_0$ , is to be used in the calculation of results without having to measure each test piece. If these machining tolerances are not complied with, it is essential to measure every individual test piece.

<sup>b</sup> Maximum deviation between the measurements of a specified transverse dimension along the entire parallel length,  $L_c$ , of the test piece.

### D.4 Determination of the cross-sectional area

The nominal dimensions can be used to calculate  $S_0$  for test pieces of circular cross-section and rectangular cross-section machined on all four sides that satisfy the tolerances given in [Table D.3](#). For

all other shapes of test pieces, the original cross-sectional area shall be calculated from measurements of the appropriate dimensions, with an error not exceeding  $\pm 0,5\%$  on each dimension.

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## Annex E (normative)

### Types of test pieces to be used for tubes

#### E.1 Shape of the test piece

The test piece consists either of a length of tube, or a longitudinal or transverse strip cut from the tube and having the full thickness of the wall tube (see [Figures 14](#) and [15](#)), or of a test piece of circular cross-section machined from the wall of the tube.

Machined transverse, longitudinal, and circular cross-section test pieces are described in [Annex B](#) for tube wall thickness less than 3 mm, and in [Annex D](#) for thickness equal to or greater than 3 mm. The longitudinal strip is generally used for tubes with a wall thickness of more than 0,5 mm.

#### E.2 Dimensions of the test piece

##### E.2.1 Length of tube

The tube length may be plugged at both ends. The free length between each plug and the nearest gauge marks shall be greater than  $D_0/4$ . In cases of dispute, the value,  $D_0$ , shall be used, if there is sufficient material.

The length of the plug projecting beyond the grips of the machine in the direction of the gauge marks shall not exceed  $D_0$ , and its shape shall be such that it does not interfere with deformation of the gauge length.

##### E.2.2 Longitudinal or transverse strip

The parallel length,  $L_c$ , of the longitudinal strips shall not be flattened but the heads may be flattened for gripping in the testing machine.

Transverse or longitudinal test piece dimensions other than those given in [Annexes B](#) and [D](#) can be specified in the product standard.

Special precautions shall be taken when straightening the transverse test pieces.

##### E.2.3 Circular cross-section test piece machined in tube wall

The sampling of the test pieces is specified in the product standard.

#### E.3 Determination of the original cross-sectional area

$S_0$  for the test piece shall be determined to the nearest  $\pm 1\%$  or better.

The original cross-sectional area,  $S_0$ , in square millimetres, of the length of tube or longitudinal or transverse strip may be determined from the mass of the test piece, the length of which has been measured, and from its density using [Formula \(E.1\)](#):

$$S_0 = \frac{1000 m}{\rho L_t} \quad (\text{E.1})$$

where

$m$  is the mass, in grams, of the test piece;

$L_t$  is the total length, in millimetres, of the test piece;

$\rho$  is the density, in grams per cubic centimetre, of the test piece material.

The original cross-sectional area,  $S_o$ , of a test piece consisting of a longitudinal sample shall be calculated according to [Formula \(E.2\)](#):

$$S_o = \frac{b_o}{4}(D_o^2 - b_o^2)^{1/2} + \frac{D_o^2}{4} \arcsin\left(\frac{b_o}{D_o}\right) - \frac{b_o}{4}[(D_o - 2a_o)^2 - b_o^2]^{1/2} - \left(\frac{D_o - 2a_o}{2}\right)^2 \arcsin\left(\frac{b_o}{D_o - 2a_o}\right) \quad (E.2)$$

where

$a_o$  is the thickness of the tube wall;

$b_o$  is the average width of the strip;

$D_o$  is the external diameter of the tube.

The simplified [Formula \(E.3\)](#) can be used for longitudinal test pieces where the ratio between width and external tube diameter fall below set limits:

$$\left. \begin{aligned} S_o &= a_o b_o \left[ 1 + \frac{b_o^2}{6D_o(D_o - 2a_o)} \right] && \text{if } \frac{b_o}{D_o} < 0,25 \\ S_o &= a_o b_o && \text{if } \frac{b_o}{D_o} < 0,10 \end{aligned} \right\} \quad (E.3)$$

For length of tube, the original cross-sectional area,  $S_o$ , shall be calculated from [Formula \(E.4\)](#):

$$S_o = \pi a_o(D_o - a_o) \quad (E.4)$$

## Annex F (informative)

### Estimation of the crosshead separation rate in consideration of the stiffness (or compliance) of the testing equipment

[Formula \(2\)](#) does not consider any elastic deformation of the testing equipment (frame, load cell, grips, etc.) during the application of force to the test piece. It is possible to estimate a compensation for the deflection of the testing equipment by using the stiffness of the test piece at the point of interest (e.g.  $R_{p0,2}$ ). If the point of interest is beyond the elastic range (e.g.  $R_{p0,2}$ ), the use of the stiffness of the test piece during the elastic portion of the stress strain curve will result in a grossly overestimated correction. The stiffness of the testing equipment must also be known for the grip configuration and grip separation used. For some configurations, the effective stiffness of the testing equipment may increase substantially as the grips bite into the test piece during a test. It is imperative that the stiffness of the testing equipment be evaluated at the point of interest.

If desired, use the following procedure to calculate a crosshead separation rate that is compensated for the deflection of the testing equipment during a test, using the stiffness of the testing equipment at the point of interest and the slope of the stress-strain curve at the point of interest. It is recommended to check the resulting strain rate at the point of interest while doing a test to ensure that the calculation has been done appropriately.

The estimated strain rate, in reciprocal seconds, during a test at the point of interest is given by [Formula \(F.1\)](#) (see Reference [39]):

$$\dot{\epsilon}_m = \frac{v_c}{\frac{m \cdot S_o}{C_M} + L_c} \quad (\text{F.1})$$

where

$C_M$  is the stiffness, in newtons per millimetre, of the testing equipment (around the point of interest such as  $R_{p0,2}$ , if stiffness is not linear, e.g. when using wedge grips);

$L_c$  is the parallel length, in millimetres, of the test piece;

$m$  is the slope, in megapascals, of the stress-percentage extension curve at a given moment of the test (e.g. around the point of interest such as  $R_{p0,2}$ );

$S_o$  is the original cross-section area, in square millimetres;

$v_c$  is the crosshead separation rate, in millimetres per second.

NOTE The values of  $m$  and  $C_M$  derived from the linear portion of the stress/strain curve cannot be used.

[Formula \(2\)](#) does not compensate for the effects of compliance (see [10.3.2.1](#)). When controlling the test by crosshead displacement, a better approximation of the required strain rate can be achieved by using the crosshead separation rate derived from [Formula \(F.2\)](#) (see Reference [40]):

$$v_c = \dot{\epsilon}_m \left( \frac{m \cdot S_o}{C_M} + L_c \right) \quad (\text{F.2})$$

For using [Formula \(F.1\)](#) or [\(F.2\)](#) it is necessary to know the stiffness  $C_M$  of the complete used testing equipment (testing rig, load cell, clamping system for test pieces to be tested). The following procedure, firstly described in Reference [53] provides correct values for the stiffness  $C_M$ .

A test piece of the same geometry and similar properties to the material to be subsequently tested is tested using a slow known constant crosshead separation rate. Then the following parameters have to be determined:

- from the stress/strain diagram the slope  $m$  around the point of interest;
- from the percentage extension/time curve the resulting strain rate around the point of interest.

The stiffness can now be calculated using [Formula \(F.3\)](#) [conversion of [Formula \(F.1\)](#) or [\(F.2\)](#) according to  $C_M$ ].

$$C_m = \frac{m \cdot S_0}{\frac{v_c}{\dot{\epsilon}_m} - L_c} \quad (\text{F.3})$$

This procedure should only be used for materials with no discontinuous yielding behaviour in the relevant range. For testing materials which exhibits discontinuous or serrated yielding, the knowledge of the stiffness is not necessary because the estimated strain rate over the parallel length,  $\dot{\epsilon}_{L_c}$  and the simplified [Formula \(2\)](#) (see [10.3.2.1](#)) instead of [Formula \(F.2\)](#) should be used for the calculation of the crosshead separation rate  $v_c$ .

## Annex G (normative)

### Determination of the modulus of elasticity of metallic materials using a uniaxial tensile test

#### G.1 Introduction

Although ISO 6892-1 requires the generation of a straight line with a given offset parallel to the linear region of the stress-strain curve in order to determine the specified proof strength,  $R_p$ , of the material being tested and most users usually assume that the slope of the linear elastic region of the stress-strain curve corresponds to the Modulus of Elasticity of the material being tested since Modulus of Elasticity,  $E$ , is given by the relationship  $E = \text{stress}/\text{strain}$ . However, in general, the Class 1 extensometer required for the tensile test is not sufficiently accurate for measuring the very small strains in the elastic region with sufficient precision to give Modulus values with an acceptable level of uncertainty.

It is not required to use this Annex to determine the slope of the elastic part of the stress-percentage extension curve for the determination of proof strength.

An additional description of the determination of the Modulus of Elasticity by tensile testing is given in ASTM E 111.<sup>[52]</sup> For information, see also SEP 1235.<sup>[43]</sup>

#### G.2 General

This Annex contains additional requirements for the determination of the modulus of elasticity using a uniaxial tensile test. This test method is limited to materials which meet the following criteria:

- negligible creep effects of the material in the evaluation range;
- sufficient straight line in the elastic range of the material in the evaluation range.

These requirements are related to the design of the testing equipment, the test piece and the evaluation of the test.

The modulus of elasticity is a characteristic material property and is used for the calculation of the elasticity of products and components conforming to Hooke's Law.

NOTE Typically, this test is performed as a separate test from the tensile test because of the limitation of the extensometer displacement.

#### G.3 Testing equipment

##### G.3.1 Accuracy of the testing equipment

###### G.3.1.1 Force-measuring device

The force-measuring system of the testing machine shall be in accordance with ISO 7500-1, class 1, in the relevant range.

###### G.3.1.2 Extensometer system

The extensometer system shall be in accordance with ISO 9513, class 0,5, in the relevant range.

The strain shall be measured on opposite sides of the test piece.

The use of a large extensometer gauge length (e.g.  $\geq 50$  mm) is recommended.

### G.3.1.3 Resolution of the testing system

The resolution of the testing system shall be sufficient for obtaining at least 50 different discrete measured values in the evaluation range.

### G.3.1.4 Measuring devices for the determination of the relevant test piece dimensions

All measuring devices used for the determination of the original cross-sectional area shall be calibrated to the appropriate standards with traceability to a National Measurement System. The measuring device shall be able to guarantee an accuracy of the measured data of better than  $\pm 0,5$  % of the measured value.

### G.3.2 Method of gripping and alignment

The method of gripping and the alignment is important for the determination of the modulus of elasticity. For requirements regarding the method of gripping, see [10.2](#), and for further information, see ASTM E1012. Additional helpful information may be in ISO 23788.

It is recommended to use mechanical devices (e.g. stoppers) to position the test piece so that good alignment is achieved.

## G.4 Test pieces

### G.4.1 General

The test pieces shall be straight.

NOTE Bent or twisted test pieces cannot be tested according to this Annex.

The test piece surface shall be in such a condition that it does not influence the test result.

Where residual stresses are present in the sample, either as a result of prior processing, or sample preparation, the modulus values determined may not be representative of the base material.

### G.4.2 Determination of original cross-sectional area

For the determination of the original cross-sectional area, see [Clause 7](#). In addition to the requirements in [Clause 7](#), a minimum of three measurements for each dimension shall be performed. The original cross-sectional area,  $S_0$ , is the average cross-sectional area and shall be calculated from the measurements of the appropriate dimensions. The original cross-sectional area shall be determined with an accuracy of  $\pm 0,5$  % or better.

## G.5 Procedure

### G.5.1 General

If the stress-strain curve up to  $R_{eH}$  or  $R_{p0,2}$  is not known, a pre-test in advance of the measurement of the modulus of elasticity shall be performed.

### G.5.2 Setting the force zero point

The setting of the force zero point shall be carried out in accordance with [10.1](#).

### G.5.3 Testing conditions

#### G.5.3.1 Testing rate

Compared to the other properties determined within the tensile test, the modulus of elasticity is less sensitive to the testing rate. The testing rate should be according to Method A Range 1. Other testing rates including the use of Method B are permitted.

The testing rate may be low to achieve the required number of data points for the analysis.

A constant crosshead separation rate may be used to avoid any discontinuities.

#### G.5.3.2 Data sampling frequency

The data sampling frequency shall be chosen in a way, that a minimum of 50 measured values is obtained in the relevant range ( $R_1, R_2$ ).

The minimum data sampling frequency can be calculated by [Formula \(G.1\)](#):

$$f = \frac{N \cdot E \cdot \dot{\epsilon}}{R_2 - R_1} \quad (\text{G.1})$$

where  $N$  is the number of measured values in the relevant range.

For steel with  $R_1 = 10$  MPa and  $R_2 = 50$  MPa and a testing rate of  $0,000\ 07\ \text{s}^{-1}$ , the data sampling frequency shall be greater than 18 Hz.

#### G.5.3.3 Testing procedure

If the test piece will be used more than one time for the modulus determination, the applied load shall not be greater than a value corresponding to 50 % of the expected  $R_{eH}$  or  $R_{p0,2}$ .

Otherwise, it is recommended to perform the test up to a point where plastic deformation can be observed.

## G.6 Evaluation

### G.6.1 Averaging the extensometry signals

The average strain, necessary for the calculation in [G.6.2](#), is calculated for each stress value by averaging the strain from the opposite sides of the test piece.

Strain data from each side of the test piece may be displayed and differences in the slope of the two curves may be reduced by optimizing the testing equipment (reducing of bending). For further information, see ASTM E 1012. Additional helpful information may be in ISO 23788.

### G.6.2 Calculation of the modulus of elasticity

For evaluation of the recorded data the following interactive method is recommended.

The method is based on a numerical determination of the line of best fit for the elastic range (least squares method) including a visual evaluation of the match between this line of best fit and the curve of actual measurement readings, followed by recalculation with altered parameters, where appropriate. Therefore it corresponds essentially to a manual analysis of an X-Y graph.

The use of this method depends on the availability of suitable computer software.

A linear regression of stress over strain (G.4) shall be carried out between a lower stress value  $R_1$  and an upper stress value  $R_2$  (alternatively, strain values  $e_1$  and  $e_2$  may be used):

$$R = \frac{E \cdot e}{100 \%} + b \quad (\text{G.2})$$

where

- $R$  is the stress in megapascals;
- $E$  is the modulus of elasticity in megapascals;
- $e$  is the percentage extension in percent;
- $b$  is the stress offset in megapascals.

The straight line determined in this way shall be drawn into the stress-strain diagram, whereas the initial part of this diagram is magnified for this purpose. The match between the straight line and the curve shall be evaluated visually. It may be useful to consider the coefficient of correlation  $R^2$ , which should be close to 1 (>0,999 5), whereby the number of considered data points should be at least 50.

Another helpful tool is the calculation of the relative standard deviation. The relative standard deviation takes into account the coefficient of correlation  $R^2$  and the number of considered data points among other statistical data. It should be less than 1 %.

By shifting the lower or upper values and re-calculating the formula accordingly, the line of best fit (i.e. the modulus of elasticity) can be adapted to the curve.

The following values are recommended as starting points for the regression calculation:

- lower stress value  $R_1$ :  $\approx 10 \%$  of  $R_{eH}$  or  $R_{p0,2}$ ;
- upper stress value  $R_2$ :  $\approx 40 \%$  of  $R_{eH}$  or  $R_{p0,2}$ .

Additionally, the strain offset can be calculated according to [Formula \(G.3\)](#):

$$x_{(y=0)} = \frac{-b}{E} \quad (\text{G.3})$$

Under optimal testing conditions, the chosen default values will not have a great influence on the result of the calculation. Example: If the material fulfils the general conditions described in [G.2](#) and the determined default values  $R_1$  and  $R_2$  are 10 % and 40 % of  $R_{eH}$  or  $R_{p0,2}$  respectively a re-calculation of the formula by using default values inside the determined interval (e.g. 10 % to 20 %, 20 % to 30 %, 30 % to 40 % of  $R_{eH}$  or  $R_{p0,2}$  respectively) will not influence the result significantly.

In cases where the material exhibits no straight elastic line, e.g. cast iron, or the data for the regression is not of sufficient quality, i.e.  $R^2 < 0,999 5$ , the Modulus of Elasticity should not be determined.

It is recommended to perform regular checks on the repeatability of the results using suitable reference test pieces in the configuration used for testing.

Suitable reference test pieces can be manufactured in-house and should have the same geometry as the test pieces.

Further mathematical approaches and computer analysis methods are available for the evaluation of the modulus of elasticity.

## G.7 Measurement uncertainty

### G.7.1 General

The estimation of the measurement uncertainty for a determined modulus of elasticity can be done according to CWA 15261-2:2005, A.5<sup>[9]</sup> or according to Annex K.

NOTE The estimation of the measurement uncertainty according to CWA 15261-2 is based on absolute values. This results in different estimations of the respective single uncertainty budgets, if e.g. the test piece dimensions or the extensometer gauge length differs. The estimation of the measurement uncertainty according to Annex K is based on relative estimations. Therefore, the relative estimations normally will not change. Exception is the relative measurement uncertainty budget for the strain measurement. Because of the small extensions during the test in the elastic part, the absolute uncertainty of the strain measurement is relevant for the uncertainty contribution (according to ISO 9513).

### G.7.2 Estimation of the measurement uncertainty according to CWA 15261-2

#### G.7.2.1 General

NOTE In CWA 15261-2, the symbol  $L_o$  is used for the gauge length and  $m_E$  for the slope of the elastic part of the force-extension curve. For conformation with this part of ISO 6892 and to prevent confusion in the following (differing from CWA), the symbol  $L_e$  is used for the extensometer gauge length and  $S_E$  for the slope of the elastic part of the force-extension curve.

The measurement uncertainty according to CWA 15261-2 is given by [Formula \(G.4\)](#):

$$u_c(E) = \sqrt{\left(\frac{L_e}{S_o}\right)^2 \cdot u^2(S_E) + \left(\frac{S_E}{S_o}\right)^2 \cdot u^2(L_e) + \left(-\frac{S_E L_e}{S_o^2}\right)^2 \cdot u^2(S_o)} \quad (\text{G.4})$$

where

- $L_e$  is the extensometer gauge length;
- $S_o$  is the original cross-sectional area;
- $S_E$  is the slope of the force-extension curve;
- $u(L_e)$  is the uncertainty of extensometer gauge length;
- $u(S_o)$  is the uncertainty of original cross-sectional area;
- $u(S_E)$  is the uncertainty of slope of the force-extension curve.

#### G.7.2.2 Example for the calculation of the measurement uncertainty

[Table G.1](#) shows the results of an example for the measurement uncertainty according to CWA 15261-2 for a measured modulus of elasticity of 186,7 GPa<sup>[54]</sup> based on the following data:

- $L_e$ : 50 mm
- $S_o$ : 78,5 mm<sup>2</sup>
- $S_E$ : 293,07 kN/mm
- $u(L_e)$ : 0,144 mm
- $u(S_o)$ : 0,785 mm<sup>2</sup>
- $u(S_E)$ : 0,064 kN/mm

**Table G.1 — Uncertainty contribution, example 1 according to CWA 15261-2**

Parameter	Sensitivity coefficients <sup>a</sup>	Uncertainty contribution <sup>a</sup>
$\frac{L_e}{S_o}$	0,637 mm <sup>-1</sup>	
$u(S_E)$		0,064 $\frac{kN}{mm}$
$\frac{S_E}{S_o}$	3,733 $\frac{kN}{mm^3}$	
$u(L_e)$		0,144 mm
$-\frac{S_E L_e}{S_o^2}$	-2,378 $\frac{kN}{mm^4}$	
$u(S_o)$		0,785 mm <sup>2</sup>
$u_c(E)^b$		1,9 $\frac{kN}{mm^2}$

<sup>a</sup> Values are given for information only.

<sup>b</sup>  $u_c(E)$  is calculated according to [Formula \(G.5\)](#).

$$u_c(E) = \sqrt{0,637^2 \cdot 0,064^2 + 3,733^2 \cdot 0,144^2 + (-2,378)^2 \cdot 0,785^2} = 1,9 \text{ GPa} \quad (\text{G.5})$$

For a 95 % level of confidence, the combined uncertainty shall be multiplied by a coverage factor,  $k = 2$  [see [Formula \(G.6\)](#)].

$$U(E) = k \cdot u_c(E) = 2 \cdot 1,9 \text{ GPa} = 3,8 \text{ GPa} \quad (\text{G.6})$$

This are 2,0 % based on the modulus of elasticity of 186,7 GPa.

The result of the test for the modulus of elasticity is: 186,7 GPa  $\pm$  3,8 GPa ( $k = 2$ , 95 % confidence level).

That means that with a confidence level of 95 % the true value for the modulus of elasticity is in the range between 182,9 GPa and 190,5 GPa.

### G.7.3 Estimation of the measurement uncertainty according to Annex K

[Table G.2](#) indicates the uncertainty contribution that should be considered for the modulus of elasticity according to Annex K.

**Table G.2 — Uncertainty contribution, example 2 according to Annex K**

Parameter	Uncertainty contribution <sup>a</sup> %
Standard deviation of slope $S_{m(\text{rel})}$	0,2
Standard deviation of X-values of the X-Y graph, $S_X$ <sup>b, c</sup>	3
Standard deviation of Y-values of the X-Y graph, $S_Y$	1
Extensometer gauge length, $L_e$	0,5
Original cross-sectional area, $S_0$	1

<sup>a</sup> Values are given for information only.  
<sup>b</sup>  $S_m$  consists of  $S_X$  and  $S_Y$ , therefore  $S_X$  and  $S_Y$  should be considered.  
<sup>c</sup> Based on the small extensions measured in the test, the absolute value (1,5 µm of a class 0,5 extensometer) has to be used. Example:  $\Delta R = 200$  MPa,  $E = 200$  GPa,  $L_e = 50$  mm results in an extension of 0,05 mm. By using the bias error of 1,5 µm (absolute value of an 0,5 class extensometer), the uncertainty contribution is 3 %.

The combined uncertainty for the modulus of elasticity, expressed as a percentage, is given by [Formula \(G.7\)](#).

$$u_c(E) = \sqrt{\left(\frac{0,2}{\sqrt{3}}\right)^2 + \left(\frac{3}{\sqrt{3}}\right)^2 + \left(\frac{1}{\sqrt{3}}\right)^2 + \left(\frac{0,5}{\sqrt{3}}\right)^2 + \left(\frac{1}{\sqrt{3}}\right)^2} = 1,9\% \quad (\text{G.7})$$

For a 95 % level of confidence, the combined uncertainty shall be multiplied by a coverage function,  $k = 2$  [see [Formula \(G.8\)](#)].

$$U(E) = k \cdot u_c(E) = 2 \cdot 1,9\% = 3,8\% \quad (\text{G.8})$$

The result of the test for the modulus of elasticity is: (186,7 ± 7,1) GPa ( $k = 2$ , 95 % confidence level).

This means that with a confidence level of 95 % the true value for the modulus of elasticity is in the range between 179,6 GPa and 193,8 GPa.

#### G.7.4 Proficiency test

A proficiency test “Young’s Modulus” was performed and the measurement uncertainty for all participants was determined. An measurement uncertainty for the determination of the modulus of elasticity between 1,2 % and 5 % (at 95 % confidence level) is appropriate.<sup>[54]</sup>

### G.8 Test report

The test report shall contain the information required in [Clause 22](#) a) to f). Furthermore the following information shall be included:

- type of extensometer system;
- default stress values  $R_1$  and  $R_2$  (in MPa) or the default strain values  $e_1$  and  $e_2$  (in %), respectively;
- number of measured values in the evaluation range (between  $R_1$  and  $R_2$  or  $e_1$  and  $e_2$ );
- modulus of elasticity  $E$  (in GPa), rounded to the nearest 0,1 GPa and according to ISO 80000-1.
- measurement uncertainty including level of confidence (in GPa) and the method of determination (CWA 15261-2:2005, A.5 or [Table G.2](#));
- the coefficient of correlation  $R^2$  of the best fit of the straight line or the standard deviation  $S_m$  (in GPa) or the relative standard deviation  $S_{m(\text{rel})}$  (in %).

## G.9 Additional considerations

In general, it is difficult to determine reliable values of modulus in the tensile test unless special high resolution averaging extensometer system is employed, and such devices are not generally suitable for covering the full range of the tensile test. If a single sided extensometer or clip gauge is employed, then any slight misalignment of the test piece can result in large errors of the apparent modulus measurement.

## G.10 Other methods for Determining Modulus

The tensile test is not the best method for determining reliable values of Modulus of Elasticity, and other alternative methods, e.g. Impulse Excitation or Ultrasonics, are preferable. More information can be found in References [17] and [44] to [46].

## G.11 Uncertainty and Reproducibility

Full uncertainty budgets are not included here but procedures for estimating uncertainty based on the GUM[4] associated with modulus measurements have been developed as part of the European UNCERT project, both for Tensile testing[47] and for Dynamic Measurements.[48]

Reproducibility of modulus measurements based on 2 times the Standard Deviation (SD) from a series of tensile test inter-comparison exercises, collated as part of the TENSTAND Project are summarized in [Table G.3](#). [45]

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**Table G.3 — Overview of round robin tests: Modulus of elasticity or slope of the elastic line, respectively**

Reference	Authors	Year	Material	Reproducibility (±2SD) %
Testing Materials of Construction	Unwin <sup>[50]</sup>	1910	Mild steel	2
VAMAS	Lord, Roebuck and Orkney <sup>[51]</sup>	1995	SiC/Al MMC	6
BCR Tensile Reference Material CRM 661	Ingelbrecht and Loveday <sup>[29]</sup>	2000	Nimonic 75	12
TENSTAND WP3 Modulus Measurement	Lord, Rides and Loveday <sup>[49]</sup>	2005	Various	5-25
TENSTAND WP2 ASCII Data Files	Lord, Loveday, Rides and McEnteggart <sup>[22]</sup>	2005	Various - ASCII datafiles	1-6

It should be noted that the majority of the results reported above were all based on the criteria laid down in ISO 6892 or the equivalent earlier Standards. It should also be considered that the aim of several tests is the determination of common tensile test properties (e.g. also the generation of ASCII data sets in TENSTAND WP2). So the typically single sided Class 1 extensometers with a limited accuracy in the elastic range were employed and the slope of the elastic part of the stress-percentage extension curve  $m_E$  was determined with the aim of evaluation of  $R_{p0,2}$  and other properties and not to determine the intrinsic material property modulus of elasticity  $E$ . If double sided high resolution Class 0,5 extensometers are used as specified in this Annex, the Uncertainty of Measurement should be less and the reproducibility much better.

## Annex H (informative)

### Measuring the percentage elongation after fracture if the specified value is less than 5 %

Precautions should be taken when measuring the percentage elongation after fracture if the specified value is less than 5 %.

One of the recommended methods is as follows.

Prior to the test, a very small mark should be made close to each end of the parallel length. Using a pair of needle-pointed dividers set at the gauge length, an arc is scribed with the mark as a centre. After fracture, the broken test piece should be placed in a fixture and axial compressive force applied, preferably by means of a screw, sufficient to firmly hold the pieces together during measurement. A second arc of the same radius should then be scribed from the original centre closest to fracture, and the distance between the two scratches measured by means of a measuring microscope or other suitable instrument. In order to render the fine scratches more easily visible, a suitable dye film may be applied to the test piece before testing.

NOTE Another method is described in [20.2](#) (measuring extension at fracture using an extensometer).

## Annex I (informative)

### Measurement of percentage elongation after fracture based on subdivision of the original gauge length

**I.1** To avoid having to reject test pieces where the position of the fracture does not comply with the conditions of 20.1, but where the complete necking occurs inside the gauge length, the following method may be used:

- a) before the test, subdivide the original gauge length,  $L_0$ , into  $N$  equal lengths of 5 mm (recommended) to 10 mm;
- b) after the test, use the symbol X to denote the gauge mark on the shorter part of the test piece and the symbol Y for the gauge mark on the longer part of the test piece which is at the same distance from the fracture as mark X.

**I.2** If  $n$  is the number of intervals between X and Y, the elongation after fracture is determined as follows.

- a) If  $N - n$  is an even number [see [Figure I.1 a](#))], measure the distance between X and Y,  $l_{XY}$ , and the distance from Y to the graduation mark Z,  $l_{YZ}$ , located at  $(N - n)/2$  intervals beyond Y.

Calculate the percentage elongation after fracture,  $A$ , using [Formula \(I.1\)](#):

$$A = \frac{l_{XY} + 2l_{YZ} - L_0}{L_0} \cdot 100 \quad (\text{I.1})$$

- b) If  $N - n$  is an odd number [see [Figure I.1 b](#))], measure the distance between X and Y and the distance from Y to the graduation marks Z' and Z'',  $l_{YZ'}$ , and  $l_{YZ''}$ , located respectively at  $(N - n - 1)/2$  and  $(N - n + 1)/2$  intervals beyond Y.

Calculate the percentage elongation after fracture using [Formula \(I.2\)](#):

$$A = \frac{l_{XY} + l_{YZ'} + l_{YZ''} - L_0}{L_0} \cdot 100 \quad (\text{I.2})$$